Deep Learning for Natural Language Processing

Conditional Random Fields



CHALMERS



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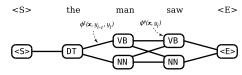
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recap

we saw how to define a function that computes a score for an input x and an output y:

$$score(\mathbf{x}, \mathbf{y}) = \sum_{i=1}^{L} \phi^{e}(\mathbf{x}, y_{i}) + \sum_{i=1}^{L} \phi^{t}(\mathbf{x}, y_{i-1}, y_{i})$$

• the scoring function is "factorized" into emission scores ϕ^e and transition scores ϕ^t

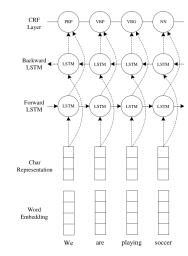


training the scoring function

- but there are many training algorithms that can train the scoring function score(x, y)
- some of them are generalizations of classification models:
 - ▶ perceptron → structured perceptron (Collins, 2002)
 - ► SVM → structured SVM (Tsochantaridis et al., 2005)
 - ▶ logistic regression → conditional random field

CRFs in NLP systems

- the CRF model was proposed by Lafferty et al. (2001) and has been popular in many NLP tasks since then
- ▶ in neural models, a CRF is typically used as the output layer (Ma and Hovy, 2016)



CRF and related models

		output type?				
		category	sequence			
probability model?	generative	naive Bayes,	hidden Markov			
	$P(\boldsymbol{x}, \boldsymbol{y})$	GMM	model			
	discriminative	logistic	conditional			
_	P(y x)	regression	random field			

CRF: basic definition (Lafferty et al., 2001)

▶ the CRF defines a probability of an output sequence y, given an input sequence x, as follows

$$P(\mathbf{y}|\mathbf{x}) = \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{\sum_{\mathbf{y}'} \exp \operatorname{score}(\mathbf{x}, \mathbf{y}')} = \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{Z(\mathbf{x})}$$

▶ to train the model, we minimize the negative log likelihood:

$$\mathcal{L}(\boldsymbol{X}, \boldsymbol{Y}) = -\sum_{i=1}^{N} \log P(\boldsymbol{y}_i | \boldsymbol{x}_i)$$

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- but the probability is a giant softmax!
 - ▶ the sum in the denominator goes over all possible sequences!
 - the giant sum is called the partition function Z(x)

requirements for training and prediction

• for predicting or decoding, we need to compute the top-scoring output sequence \hat{y} for a given input x:

$$\hat{\pmb{y}} = \arg\max_{\pmb{y}} P(\pmb{y}|\pmb{x})$$

for training, we need to compute the log likelihood, including the log of the partition function:

$$\log P(\mathbf{y}|\mathbf{x}) = \operatorname{score}(\mathbf{x}, \mathbf{y}) - \log Z(\mathbf{x})$$

finding the highest-probability sequence

- \triangleright the partition function Z(x) does not depend on y
- **>** so we don't need Z(x) to find the top-scoring output:

$$\arg \max_{\mathbf{y}} P(\mathbf{y}|\mathbf{x}) = \arg \max_{\mathbf{y}} \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{Z(\mathbf{x})}$$
$$= \arg \max_{\mathbf{y}} \exp \operatorname{score}(\mathbf{x}, \mathbf{y})$$
$$= \arg \max_{\mathbf{y}} \operatorname{score}(\mathbf{x}, \mathbf{y})$$

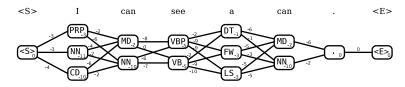
we've seen that we can use the Viterbi algorithm to solve this

the forward algorithm

the forward algorithm computes

$$\log Z(\mathbf{x}) = \log \sum_{\mathbf{y}} \exp \operatorname{score}(\mathbf{x}, \mathbf{y})$$

- it is a special case of the sum-product algorithm for graphical models
- it uses a dynamic programming approach similar to Viterbi
- it computes log sums instead of maximizing



side note about working in the log domain

- when computing $\log Z(x)$ in the forward algorithm, we need to work in the \log domain to avoid numerical overflows
- this is common when implementing probabilistic models in general
 - ▶ multiplying probabilities ⇒ summing log probabilities
 - summing probabilities $\Rightarrow \log \sum \exp$ with log probabilities
- ightharpoonup in PyTorch, torch.logsumexp computes $\log \sum$ exp in a numerically stable way

the forward algorithm: dynamic programming

- assume we have computed the log-sum-exp for all paths in the previous step
 - \triangleright let $\alpha_{i-1,i}$ be the log-sum-exp of the scores of all paths ending in label j at position i-1
- \blacktriangleright then we compute the α scores in step i as follows:

$$\alpha_{ij} = \phi^{e}(y_i) + \log \sum_{k} \exp \left[\alpha_{i-1,k} + \phi^{t}(y_{i-1}, y_i)\right]$$

$$\max_{\mathbf{NN}_{A}} \sup_{\mathbf{NN}_{A}} \mathbf{VB}_{2}$$

the forward algorithm: dynamic programming

- assume we have computed the log-sum-exp for all paths in the previous step
 - let $\alpha_{i-1,j}$ be the log-sum-exp of the scores of all paths ending in label j at position i-1
- then we compute the α scores in step i as follows:

$$\alpha_{ij} = \phi^{e}(y_i) + \log \sum_{k} \exp \left[\alpha_{i-1,k} + \phi^{t}(y_{i-1}, y_i)\right]$$

$$\max \quad \text{saw}$$

$$VB_1$$

the forward algorithm: dynamic programming

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$$\max_{\mathbf{VB}_{1}} \sup_{\mathbf{VB}_{2}} \mathbf{VB}_{2}$$

$$\mathbf{NN}_{4} \underbrace{\mathbf{NN}_{4}}_{\mathbf{6.3}}$$

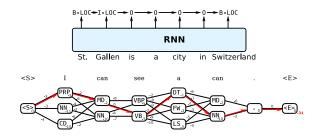
▶ $\log Z(x)$ is the α score for the dummy end token

CRF implementations for PyTorch

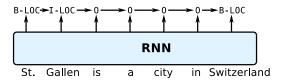
- PyTorch does not include a CRF module out of the box
- a couple of implementations:
 - pytorch-crf: a standalone CRF module
 - ► AllenNLP: the CRF module is part of a larger library
 - ► NCRF++: also part of a library

sequence labeling: summary of approaches

- why have we spent so much time on sequence models?
- ▶ a fairly simple task, but we could explore different approaches to solving structured prediction problems



summary: greedy sequential models



pros:

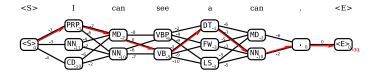
- a bit more flexible, no need to design special algorithms
- since we reduce the task to classification, we can rely on standard machinery for classification

cons:

- algorithm is greedy and does not necessarily find the highest-scoring sequence
- because prediction is sequential, we can't use any information about future predictions

summary: global scoring approaches

$$\mathsf{score}(\boldsymbol{x}, \boldsymbol{y}) = \sum_{\boldsymbol{p} \in \mathsf{parts}} \mathsf{part-score}(\boldsymbol{x}, \boldsymbol{p}) = \sum_{i=1}^{L} \phi^{\mathsf{e}}(\boldsymbol{x}, y_i) + \sum_{i=1}^{L} \phi^{t}(\boldsymbol{x}, y_{i-1}, y_i)$$



pros:

- a bit more accurate (generally)
- finds the globally best solution, does not go to a dead end

cons:

- need specialized algorithms for training and prediction
- computational complexity may be higher

exercise 2

we will continue our NER experiments

Manchester	United	will	return	to	the	United	States
B-ORG	I-ORG	Ο	0	0	Ο	B-LOC	I-LOC

▶ we will investigate autoregressive models and CRFs

reading

- Goldberg doesn't have a chapter on sequence tagging
 - chapter 19 includes a bit, but also some parts that are more relevant when we discuss parsing
- Eisenstein's chapter 7 covers CRF and related models
 - you can skim or skip the parts on HMMs and structured perceptrons and SVMs
- ▶ Reimers and Gurevych (2017b) gives a good overview of different engineering choices
 - ... and more in another paper (Reimers and Gurevych, 2017a)

state of the art for sequence labeling tasks

- Ruder collects state-of-the-art results for many NLP tasks: https://nlpprogress.com/
- examples of some of the tasks we have discussed:
 - part-of-speech tagging
 - named entity recognition
 - semantic role labeling
- quite English-centric. . .

references

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