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PHYSICS UNITS 1 & 2

Semester Two Examination 2017 Question/Answer Booklet

2017

PHYSICS UNITS 1 & 2

SOLUTIONS

TIME ALLOWED FOR THIS PAPER

Reading time before commencing work: Ten minutes Working time for the paper: Three hours

MATERIALS REQUIRED/RECOMMENDED FOR THIS PAPER

To be provided by the supervisor:

• This Question/Answer Booklet; Formula and Constants sheet

To be provided by the candidate:

- Standard items: pens, pencils, eraser or correction fluid, ruler, highlighter.
- Special items: Calculators satisfying the conditions set by the SCSA for this subject.

IMPORTANT NOTE TO CANDIDATES

No other items may be taken into the examination room. It is **your** responsibility to ensure that you do not have any unauthorised notes or other items of a non-personal nature in the examination room. If you have any unauthorised material with you, hand it to the supervisor **before** reading any further.

Structure of this paper

Section	Number of questions available	Number of questions to be answered	Suggested working time (minutes)	Marks available	Percentage of exam
Section One: Short answer	12	12	50	54	30
Section Two: Extended answer	7	7	90	90	50
Section Three: Comprehension and data analysis	2	2	40	36	20
			Total	180	100

Instructions to candidates

- 1. The rules for the conduct of Western Australian external examinations are detailed in the Year 11 Information Handbook 2017. Sitting this examination implies that you agree to abide by these rules.
- 2. Write your answers in this Question/Answer Booklet.
- 3. When calculating numerical answers, show your working or reasoning clearly. Give final answers to **three** significant figures and include appropriate units where applicable.
 - When estimating numerical answers, show your working or reasoning clearly. Give final answers to a maximum of **two** significant figures and include appropriate units where applicable.
- 4. You must be careful to confine your responses to the specific questions asked and follow any instructions that are specific to a particular question.
- 5. Spare pages are included at the end of this booklet. They can be used for planning your responses and/or as additional space if required to continue an answer.
 - Planning: If you use the spare pages for planning, indicate this clearly.
 - Continuing an answer: If you need to use the space to continue an answer, indicate in the original answer space where the answer is continued, i.e. give the page number.
 Refer to the question(s) where you are continuing your work.

Section One: Short response

30% (54 Marks)

This section has **twelve (12)** questions. Answer **all** questions. Write your answers in the space provided. Suggested working time for this section is 50 minutes.

Question 1 (4 marks)

100 g of ice is taken from a freezer where it is kept at -6°C. It is heated until it becomes steam at 110°C. Calculate how much energy it has absorbed.

$$Q = 0.1 [2.1 \times 10^{3} \times 6) + (3.34x10^{5}) + (4180 \times 100) + 2.26 \times 10^{6} + (2.0 \times 10^{3} \times 10)]$$
(3m)
$$= 2.71 \times 10^{5} I$$
 (1m)

Question 2 (4 marks)

Devil's Lair is a small cave near Margaret River, South of Perth. Its name comes from the Tasmanian Devil remains found amongst other bones in the cave. Artefacts from the cave show that aboriginal people have been living in the area for about 5.13×10^4 years. Samples of petrified wood have been dated using carbon-14 decay rates. The decay rate of carbon-14 in fresh wood today is 13.6 counts per minute per gram. If the half-life of carbon-14 is 5.7×10^3 years, calculate what the carbon-14 decay rate of a wooden spear shaft belonging to the first aboriginal people in the area would be now.

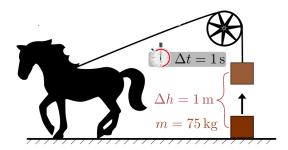
Number of half lives passed =
$$(5.13 \times 10^4) / (5.7 \times 10^3) = 9$$
 (1m)
$$N = No\left(\frac{1}{2}\right)^n \qquad (\mathbf{1m})$$

$$i. e \ N = 13.6 \left(\frac{1}{2}\right)^9 (1\text{m})$$

N = 0.0266 counts per min per gram (1m)

Question 3 (4 marks)

The Horsepower (hp) is an old unit to measure Power, the rate at which work is done. The diagram below shows that that 1.00 hp is needed to lift a 75 kg mass by 1 metre in 1 second.



a) Show by calculation that 1.0 hp = 735.0 W.

(2 marks)

$$P = \frac{\Delta PE}{t} = \frac{75 \times 9.8 \times 1}{1} (1m)$$

= 735.0 W (1m)

b) If a 12.50 hp air conditioner is working for 2 minutes 15 seconds, calculate how much work has been done. (2 marks)

$$work \ done = P \times t$$

12.50 x (735 x 2.25x 60) (1m)
= **1.24** × **10**⁶ J (1m)

Question 4 (5 marks)

A 240 V electric kettle is used to heat 280 mL of water initially at 22 $^{\circ}$ C. The heating element draws a current of 1.8 A, and is left on for 3 minutes. Determine the final temperature of the water, assuming 100% efficiency.

$$Q = mc\Delta T = V.I.T \qquad (1m)$$

$$\therefore \Delta T = \frac{V.I.T}{m.c} \qquad (1m)$$

$$= (1.8 \times 180 \times 240)/(0.28 \times 4180) \qquad (1m)$$

$$= 66.44^{\circ}C \qquad (1m)$$
Hence Final temp = 88 °C \quad (1m)

Question 5 (5 marks)

Sophie took 8 minutes to dry her hair with a hair dryer. During this period the hair dryer drew a current of 5.5 A from a 240 V supply.

a) Calculate much charge passed through the hair dryer in this time. (2 marks)

$$Q = I.T$$

= 5.5 × 8 × 60 (1m)
= 2640 C (1m)

b) What is the resistance of the heating coil of the hair dryer? (1 mark)

$$R = \frac{V}{I} = \frac{240}{5.5}$$
$$= 43.64 \Omega \qquad (1m)$$

c) What is the power rating of the hair dryer? (2 marks)

$$P = I.V = 5.5 \times 240$$
 (1m)
= 1320 W (1m)

Question 6 (4 marks)

In a game of 10-pin bowling, a person bowls a 10.5 kg bowling ball so that it hits the last remaining 1.0kg bowling pin at 2.4 ms⁻¹ and continues after the collision at 1.94 ms⁻¹. The collision is head-on, so that all motion is in one dimension and 10.0% of the initial energy is lost in the collision. Calculate the speed of the pin immediately after the collision.

$$(0.9)\Sigma KE_{initial} = \Sigma KE_{final} \quad (1m)$$
so, $(0.9) 5.25 \times 2.4^2 + 0 = 5.25 \times 1.94^2 + 0.5v^2 \quad (1m)$

$$27.216 = 19.75 + 0.5v^2 \quad (1m)$$

$$14.932 = v^2$$

$$v = 3.86 \text{ ms}^{-1} \quad (1m)$$

Question 7 (4 marks)

In an experiment to measure your reaction time, a partner drops a ruler through your open hand and you try to catch the ruler. The length from the start of the ruler to where you catch it can then be used to find your reaction time.

a) A group of students collected the following data:

Trial	Distance ruler fell (mm)
1	46
2	44
3	38
4	32
Average:	40

Complete the table by calculating the average distance the ruler fell.

(1 mark)

40 mm or (0.04 m)

b) Calculate the average reaction time as shown by the data above. (3 marks)

$$s = ut + \frac{1}{2}at^{2}$$

$$t = \sqrt{\frac{2s}{g}} \quad (1m)$$

$$= \sqrt{\frac{2 \times 0.04}{9.8}} \quad (1m)$$

$$= 0.09 \text{ sec} \quad (1m)$$

Question 8 (5 marks)

A 0.10 kg hockey puck is at rest. A force of 20.0 N acts on it for 0.2 s, which sets it in motion. Over the next 2.0s it encounters an average of 0.4N frictional force. Lastly, a force of 24.0N acts for 0.05s in the direction of motion.

a) Calculate the acceleration on the puck during the first 0.20 seconds.

(1 mark)

• In first 0.2 sec: $a = F/_m = \frac{20}{0.1} = 200 ms^{-2}$ (1m)

b) Calculate the puck's speed after the first 0.20 seconds. (1 mark)

$$v = u + at = 200 \times 0.2 = 40 \text{ ms}^{-1}$$
 (1m)

(1 IIIaik)

c) Calculate the puck's speed after the first 2.20 seconds.

(1 marks)

• In next 2.0s:
$$a = -4ms^{-2}$$

 $v = u + at = 40 - 8 = 32ms^{-1}$ (1m)

d) Calculate the puck's final speed.

(2 marks)

• Lastly,
$$a = F/_m = \frac{24}{0.1} = 240 m s^{-2}$$

 $v = u + at = 32 + 240 \times 0.05 = 44.0 \text{ ms}^{-1}$ (2m)

Question 9 (4 marks)

A person has decided to try Indoor skydiving. A large aeroplane engine bolted to the ground provides a very high wind, which blows straight up, on which participants can "fly".

a) Draw and clearly label two forces that act on a person whilst in "flight" (2 marks)



Relative magnitude doesn't matter at this stage

b) If a 70.0 kg person wishes to remain at a constant height, calculate the force that the wind needs to apply to them. Be sure to show your working. (2 marks)

Vertically,
$$\Sigma F = 0$$

 $hence F = -mg$ (1m)
 $= 70 \times 9.8$
 $= 686 N Upwards$ (1m)

Question 10 (7 marks)

On the way to school, a student decides not to use the pedestrian bridge to cross a busy road, and decides instead to run across the road. He sees a car 100 m away travelling towards him, and is confident that he can cross in time.

a) The car is travelling at 105 kmh⁻¹ and the student can run at 10 kmh⁻¹, calculate their respective speeds in ms⁻¹. (2 marks)

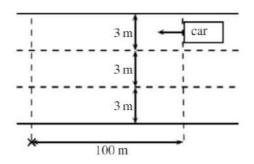
Divide kmh⁻¹ by 3.6 to get ms⁻¹....

Car 29.17 ms⁻¹

Student 2.78 ms⁻¹

b) If the road has 3 lanes, and each lane is 3 m wide, how long will it take for the student to cross all three lanes, from kerb to kerb?

$$time = \frac{s}{v} = \frac{9}{2.78}$$
$$= 3.24 seconds$$



c) If the car is travelling in the furthermost lane from the student, will he be able to cross all 3 lanes of the road safely? Provide a calculation as part of your reason. (3 marks)

Answer:

$$YES$$
 (1m)

Reason: Car will take $\frac{100}{29.17}$ = 3.429 sec to reach where the student is crossing.

In that time, student travels $2.78 \times 3.429 = 9.53 \, m$, crossing to the other side of the road.

Or similar. (2m)

Question 11 (4 marks)

A stone is dropped into a still pool of water. It generates 20 waves that spread out a distance of 10.0 m from where it entered the water. The outer wave covers the 10.0 m in a time of 5.00 s and the average height of the waves is 10.0 mm (crest to trough).



Determine the wavelength and velocity of the waves.

•
$$\lambda = \frac{10}{20} = 0.5 \, m$$
 $v = d/t = 10/5 = 2ms^{-1}$ (1m each)

b) Calculate the period of the water waves.

$$T = \frac{\lambda}{v} = \frac{0.5}{2}$$
 (1m)
= 0.25 sec (1m)

Question 12 (4 marks)

The intensity of an earthquake wave 120 km from its focus (origin) is measured to be $1.25 \times 10^6 \, \text{Wm}^{-2}$. Calculate the intensity of the same wave 480 km from its focus.

$$I \propto \frac{1}{r^2}$$
, and d_2 is $4 d_1$ (1m)

$$I_2 = \frac{1}{16} I_1$$
 (1m)

$$=\frac{1.25 \times 10^6}{16}$$
 (1m)

$$= 7.81 \times 10^4 \text{ W}m^{-2} \text{ (1m)}$$

End of Section One

Section Two: Problem-solving

50% (90 Marks)

This section has **seven (7)** questions. You must answer **all** questions. Write your answers in the space provided. Suggested working time for this section is 90 minutes.

Question 13 (16 marks)

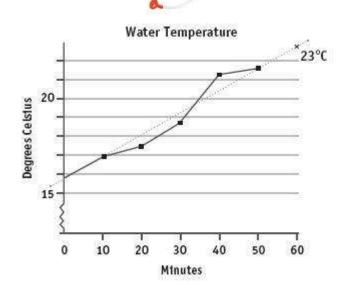
A solar camp shower is a device to heat water for a shower when other sources of energy are unavailable. The bag is simply hung in a sunny spot for a period of time. A typical camp shower would hold 20.0 litres of water.

a) Explain why the bag is black in colour.

To absorb maximum amount of solar radiation



- Examine the graph to the right, which shows how on a certain day, the temperature of water changes with time.
 - i. State and briefly explain one reason why the temperature of the water is not increasing at a constant rate.
- Cloud cover will vary or Sun may have been obscured for a time meaning amount of solar radiation hitting the bag will also vary
- Wind may affect the temp of the bag by evaporative cooling
- Or similar, reasonable answer with short explanation (1m each)



ii. Use the graph's line of best fit to calculate the average rate at which the water is heated. Express your answer in °C min⁻¹.

(2 marks)

$$\frac{\Delta T}{\Delta t} = \frac{23 - 15.8}{60} \quad (1m)$$
$$= 0.12 \, ^{\circ}\text{C} \, min^{-1} \, (1m)$$

iii. How long would it take to heat the water to 30°C?

(2 marks)

$$\Delta T = 14.2 \,^{\circ}\text{C}$$

hence time = $\frac{14.2}{0.12} = 118.33 \, min$ (2m)
(or 7099 sec, or 1 hr, 58 min 32 sec)

c) Calculate the amount of energy 20.0 litres of water needs to absorb to be heated from 15.8°C to 30.0°C.

$$Q = mc\Delta T = 20 \times 4180 \times 14.2$$

= 1.187 × 10⁶ J (1 m)

- d) The average amount of solar radiation received at the Earth's surface is 1.37 x 10³ Wm⁻². The camp shower bag has an absorbing area of 0.40 m².
 - i. Calculate the rate at which solar energy falls on the bag (2 marks)

Power =
$$1370 \times 0.4$$
 (1m)
= $548 J s^{-1}$ (1m)

ii. If 100% of this energy was to go into heating water, how long would it take to heat 20.0 litres of water from 15.8°C to 30.0°C (3 marks)

$$time = \frac{work}{power} = \frac{1.187 \times 10^6}{548}$$
 (2m)
= 2166.05 sec (or 36 min) (1m)

e) Calculate the efficiency of the camp shower at converting the solar energy it receives into thermal energy in the water. (3 marks)

Note: can calculate this any of three ways. (2m for working) Answer is 30.5% (1m)

$$\textit{Efficiency} = \frac{\textit{energy abosrbed by water to get to } 30^{\circ}\text{C}}{\textit{energy recieved in } 7099 \textit{ sec}} = \frac{1.187 \times 10^{6}}{3890252} = \textbf{30.5}\%$$

$$\textit{Or:} \ \frac{\textit{Rate at which energy is actually absorbed by water}}{\textit{rate at which solar energy falls on bag}} = \frac{167.20}{548} = \mathbf{30.5\%}$$

Or:
$$\frac{Answer from part d) ii}{actual time taken} = \frac{2166.05}{7099} = 30.5\%$$

Question 14 (13 marks)

Panpipes, or pan flutes, can be traced back to Greek, Mayan, Native American, and many other ancient cultures. Although the sizes and styles differ across cultures, the basic design is a series of closed-end tubes of varying length, fixed together.

The sound is produced by blowing into the pipes and setting the column of air inside into motion. Once the wave pattern is stabilized it is known as a standing wave.



a) Will the closed end of the tube always serve as a displacement node or a displacement antinode? Briefly explain your answer in terms of interference of waves.

(2 marks)

As a **node**. (1m)

Oncoming and reflected wave are 180° out of phase and hence **destructively interfere**, creating a node. **(1m)**

b) Determine the relationship between the wavelength of the **fundamental** frequency and the length of the tube. (1 mark)

$$\lambda = 4l$$

c) If a pipe of length 30.4 cm was made to resonate at its fundamental frequency, calculate the frequency of sound produced. (2 marks)

$$f_1 = \frac{v}{4l} = \frac{346}{4 \times 0.304}$$
 (1m)
= 26.30 Hz (1m)

d) The tube is now vibrating with a standing wave pattern of three antinodes and three nodes.
 State which overtone this represents. Draw a particle displacement diagram below to aid your answer.
 (2 marks)



Overtone: 1st (3rd harmonic) (1m)

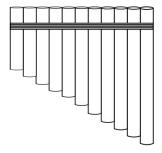
Sketch (1m)

e) A student wishes to make another pipe that produces sounds 1 octave above this (i.e twice its frequency). What length pipe will she need to make? Justify your answer. (2 marks)

$$recognise\ that\ f \propto \frac{1}{l}\ \ ({\bf 1m})$$
 hence make the new pipe HALF as long. (or 15.2 cm) (1m)

f) An internet guide to making your own panpipe suggests that each pipe is 9/8 the length of the previous. One of the pipes resonates at its 3rd harmonic, producing an A note of 440 Hz.

Calculate the frequency of the fundamental note produced by the pipe 3 "steps" longer than this. (4 marks)



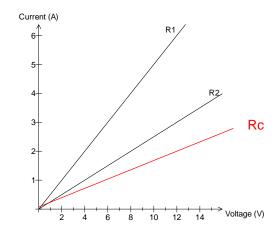
$$l_1 = \frac{3v}{4f} = \frac{1038}{1760} = 0.590 \ m \ (1m)$$

$$l_3 = 0.590 \times \frac{9^3}{8}$$
 (1m)
= 0.84 m (1m)

$$f_1 = \frac{v}{4l} = \frac{346}{4 \times 0.84} = 102.97 \text{ Hz}$$
 (1m)

Question 15 (14 marks)

In an experiment, the current that passes through two separate resistors is measured as the voltage across them is changed. The results are shown in the graph below:



- a) State whether *either, both or none* of the tested resistors are ohmic. Explain your answer. (2 marks)
 - o Both are ohmic
 - Straight line plots above show that $V \propto I$ (*R* is constant)
- b) Using the graph, determine the resistance of each, R1 and R2. Be sure to show your working.

(4 marks)

For each resistor, R = gradient -1 (2m)

 $R1 = 2\Omega$ $R2 = 4\Omega$

c) If the resistors are now joined in series, plot and label their combined resistance (Rc) on the graph above. (3 marks)

 $Rc = R1 + R2 = 6\Omega$ (1m)

Shown on graph: (2m)

d) If the current running through the series circuit is 1.8 A, determine the Potential Difference of the battery powering the circuit. (2 marks)

$$V = IR$$

$$= 1.8 \times 6 \qquad (1m)$$

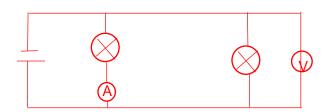
$$= 10.8 V \qquad (1m)$$

e) The two resistors are now placed in parallel to the battery. An ammeter is placed in position to measure the current passing through R1 and a voltmeter is in position to measure the potential difference across R2. Draw a labelled diagram of the circuit as described

(3 marks)

Labelled (1m)

Or similar to below:



Question 16 (12 marks)

The La Quebrada Cliff Divers® are a group of professional high divers based in Acapulco, Mexico. They regularly dive head first from a height of 36 m into a narrow inlet of ocean water. The water depth varies from $1.8\ m-4.9\ m$ as the ocean waves surge in and out of the inlet. The average depth is $3.6\ m$.

A 60.0 kg diver jumped from the cliff with an initial vertical velocity of 3.5 ms⁻¹ upwards.



a) Calculate the velocity of the diver at the instant he reached the water. (2 marks)

$$v^2 = u^2 + 2as$$
 (1m)
= 3.5² + (2 × (-9.8) × 36)
= 693.35 m²s⁻²
or $v = -26.33 ms^{-1}$ (1m)

b) Calculate the kinetic energy of the diver at the instant he reached the water. (2 marks)

$$KE = \frac{1}{2} mv^2 = 30 \times 693.35 = 2.08 \times 10^4 J$$
 (2m)

c) Calculate how long it would take the diver to reach the water. (2 marks)

time to dive =
$$\frac{v - u}{a} = \frac{-26.33 - 3.5}{-9.8} = 3.04 \,\text{sec}$$
 (2m)

d) The divers time their dive by observing the waves at the entrance of the inlet, to their right. The aim is to land as the wave passes under them, hence the water is at a maximum depth. Calculate how far away from the landing zone a wave peak travelling at 12 ms⁻¹ would need to be for the diver to hit the water when at its maximum depth. (2 marks)



for wave:
$$s = v \times t = 12 \times 3.04 = 36.5 m$$
 away. (2m)

e) If the diver came to stop at a depth of 3.0 m, what average vertical force must the water exert on him? (2 marks)

$$W = F \times s$$

$$F = \frac{2.08 \times 10^4}{3.0}$$
 (1m) = 6933.5 N (upwards) (1m)

f)The rocks at the base of the cliff protrude up to 4m into the water from where the divers jump. Explain, in terms of forces, why a diver would be killed if they hit these rocks.

(2 marks)

Need to state that a **very large force** will be exerted on the diver. **(1m)** Explain either in terms of rate of change of momentum, or using newton's second law. **(1m)**

Question 17 (11 marks)

Nuclear Fusion is the process that powers our Sun and stars as smaller nuclei fuse together to form larger ones, and matter is converted into energy. When Hydrogen is heated to very high temperatures, its electrons are separated from the nuclei and the gas changes to a plasma. These high temperatures are also needed to overcome strong repulsive forces.

a) Describe the origin of the "strong repulsive forces" mentioned above. (2 marks)

Electrostatic repulsion from like charges (protons) in the nucleus. (2m)

b) As the temperature of the plasma rises, describe two things that happen to the particles within it. (2 marks)

Any two:

- Speed (hence KE) increases
- PE decreases
- Rate of collisions with other particles also increases
- c) Write a nuclear equation for the fusion of two Deuterium $\binom{2}{1}H$) nuclei to form a helium-3 $\binom{3}{2}He$) nucleus, one other particle and energy. (2 marks)

$$2_1^2 H \rightarrow {}_2^3 H e + {}_0^1 n + E$$
 (2m)

d) Another fusion reaction that occurs in stars, is given below:

$${}_{1}^{2}H + {}_{1}^{3}H \rightarrow {}_{2}^{4}He + {}_{0}^{1}n + E$$

Given the data below, determine the amount of energy (in J) released by this reaction.

(5 marks)

```
m \binom{2}{1}H) = 2.01410178 u
m \binom{3}{1}H) = 3.01604927 u
m \binom{4}{2}He) = 4.00260325 u
```

Note: Mass of ${}_{0}^{1}n$ is given in kg on F +D sheet. stds will need to convert to u for following:

```
\Delta m = (2.01410178 + 3.01604927) - (4.00260325 + 1.00866492) (1m)

= 0.01888288 u (1m)

= 3.13455808 \times 10^{-29} kg (1m)

E = mc^2 (1m)

= 3.13455808 \times 10^{-29} \times 9 \times 10^{16}

= 2.8211 \times 10^{-12} I per fusion reaction. (1m)
```

Question 18 (8 marks)

Fuses provide a way of protecting people against electrocution. They are generally a short length of wire which is designed to melt when the current in the circuit exceeds a certain amount.

a) Describe why the wire will melt when a high current passes through it. (2 marks)

Electrical energy is converted to HEAT in the wire. May mention friction, etc.

- b) Explain what would have to happen to the resistance of a circuit for the current to increase, and what might cause this to happen. (2 marks)
 - R would need to decrease (1m)
 - May be caused by a short circuit or faulty wiring (1m)
- c) In a house, a lighting circuit might use a 20A fuse, whilst an oven would use 40A. State which of these circuits would use a fuse with a thicker wire. (1 mark)

Answer The oven (40A) No reason needed.

d) State one disadvantage of fuses, compared to a residual current device (RCD).

(1 mark)

- Will not prevent electrocution, only overheating/fire (1m)
- Not easy to re-set
- Slower to respond to faults.
- Any other reasonable answer.
- e) List two other electrical safety devices or features commonly used in a home. (2 marks)
 - Double insulation of appliances
 - Earthing wires

Any two (1m) each

Circuit breakers

Question 19 (16 marks)

When an object such as a metal rod is heated, its length will almost always increase. A measure of the rate at which this increases is called the coefficient of linear expansion α_L . It is the fractional change in length per degree of temperature change, and can be expressed as:

$$\frac{\Delta L}{L_o} \cdot \frac{1}{\Delta T} = \alpha_L$$

where L_o is the initial length of the sample material, ΔL is the amount by which it has expanded and ΔT is the change in temperature.

This equation works well as long as the linear-expansion coefficient does not change much over the change in temperature, and the fractional change in length $\frac{\Delta L}{L_0}$ is small.

In an experiment to determine the coefficient of linear expansion of Aluminium, a sample of known length, $L_o=6.00 \times 10^2$ mm was placed in a sealed chamber, and heated with steam at 100°C, then allowed to cool. The length of the bar was recorded each drop of 2°C until the Temperature inside the chamber reached 50°C.

- a) Explain, using the Kinetic particle model of matter, why substances expand when heated.
 (2 marks)

 Particles have greater KE, hence collisions are more energetic and hence particles move further apart. (or similar)
- b) State what assumption must be made when collecting data for the temperature of the sample.

(1 mark)

That the sample is in thermal equilibrium with the steam in the chamber

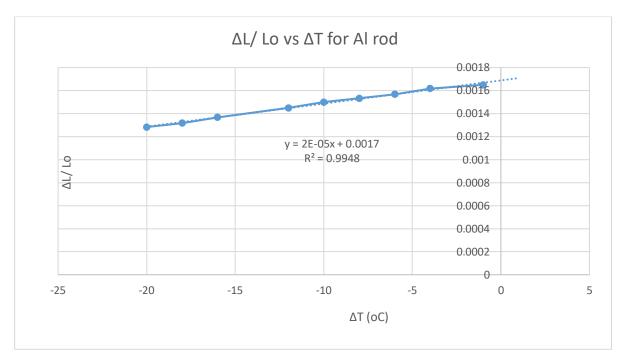
The results for the experiment until temp = 80 °C are as follows:

ΔTemp (°C)	ΔL (mm)	ΔL
		$\overline{L_o}$
-1	0.99	0.00165
-4	0.97	0.001617
-6	0.94	0.001567
-8	0.92	0.001533
-10	0.9	0.0015
-12	0.87	0.00145
-16	0.82	0.001367
-18	0.79	0.001317
-20	0.77	0.001283

c) Complete the third column, $\frac{\Delta L}{L_0}$ in the table above. Some values are already done.

(2 marks)

d) On the graph paper provided, plot a graph of $\frac{\Delta L}{L_o}$ on the y-axis and ΔT on the x-axis. You must label your axes. (A spare grid is supplied at the end of the paper) (4 marks)



For graph: Appropriate title (1m) Correct axes labels (1m) Correct scales on axes (1m) Correct plotting of points (1m)

- e) Draw the line of best fit for your data. Straight line through middle of data. (1 mark)
- f) Using your line of best fit, calculate the coefficient of linear expansion for the sample used. Show all relevant calculations and working. (4 marks)
- Should recognise that $\frac{\Delta L}{L_o} \cdot \frac{1}{\Delta T} = gradient$ of the $LOBF = \alpha_L$ (2m) Excel above gave m= $\alpha_L = 2.00 \text{ x} \cdot 10^{-5} \text{ °C}^{-1}$
- Calculation of gradient: Points used to find m are on line of best fit and shown on graph Accept range of m = 1.80 to 2.20 x10⁻⁵ $^{\circ}$ C⁻¹ (2m)

g) The theoretical value of α_L for Aluminium is 23.8 x 10⁻⁶ °C⁻¹. Calculate the percentage error in the experimental value obtained. (If you were unable to calculate a value for part f, use 23.0 x 10⁻⁶ °C⁻¹). (2 marks)

$$23.0 \times 10^{-6} \, {}^{\circ}\text{C}^{-1}\text{)}.$$
% $error = \frac{23.8 \times 10^{-6} - 2.00 \times 10^{-5}}{23.8 \times 10^{-6}} \times 100$

$$= 15.97\% \qquad (1m)$$

(23.0 x 10⁻⁶ °C⁻¹ gives 3.36% error)

Obviously, it's more about the **method** used.

End of Section 2

Section Three: Comprehension

20% (36 Marks)

This section contains **two (2)** questions. You must answer both questions. Write your answers in the spaces provided. Suggested working time for this section is 40 minutes.

Question 20 (18 marks)

The Great Eastern Japan Earthquake and Tsunami

On March 11, 2011 at 2:45 pm a massive earthquake occurred off the North-East Coast of Japan. The hypocentre was at an underwater depth of approximately 29 km.

Less than an hour after the earthquake, the first of many tsunami waves hit Japan's eastern coastline. It is estimated that the Tsunami waves were travelling at about 340 kmh⁻¹ with wavelengths averaging 280 km when they encountered the coastline. The tsunami waves reached run-up heights (how far the wave surges above sea level as it hits the land) of up to 39 metres at Miyako city and travelled inland as far as 10 km in some places.



The tsunami waves also travelled across the Pacific, reaching Alaska, Hawaii and Chile. In Chile, some 17,000 km distant, the tsunami waves were 2 metres high when they reached the shore. The earthquake produced a low-frequency rumble called infrasound, which travelled into space and was detected by the Goce satellite.

As well as the devastation from the Tsunami, several nuclear power stations were damaged, releasing significant amounts of radioactive material into the atmosphere. Some 55,000 households were displaced and evacuation zones of up to 100km from the reactors were established.

The following table is from reports released by Japan's Atomic Energy Commission a year after the disaster, estimating the amount of various isotopes released into the atmosphere and the ocean:

Isotope	Estimated amount released (TBq)
iodine-131	511,000
caesium-134	13,500
caesium-137	13,600
strontium-90	8,300

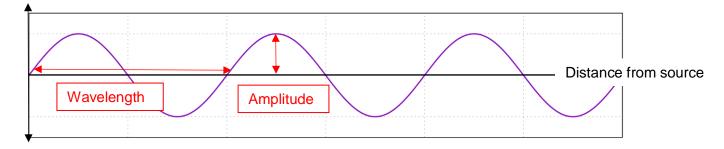
- lodine-131 is easily absorbed by the thyroid, so persons exposed to releases of I-131 have a higher risk of developing thyroid disease. Children are more vulnerable to I-131 than adults. I-131 decays by beta minus and gamma emissions with a short half-life at 8.02 days.
- Caesium-137 has a long, 30-year half-life. Internal exposure to Cs-137, through
 ingestion or inhalation, allows the radioactive material to be distributed in the soft
 tissues, especially muscle and lung tissue, exposing these tissues to the beta
 particles and gamma radiation.
- Strontium-90 behaves like calcium (20–30% of ingested Sr-90 is absorbed and deposited in the bone and bone marrow). It undergoes β- decay into Yttrium-90, with a half-life of 28.8y.

On 22 March, World Nuclear News reported that 6 workers had received over 100 mSv, and one of over 150 mSv. On 24 March, three workers required hospital treatment after radioactive water seeped through their protective clothes. The injuries indicated exposure of 2000 to 6000 mSv

around their ankles, with whole body doses of about 170 mSv. They were not wearing protective boots, as their employing firm's safety manuals "did not assume a scenario in which its employees would carry out work standing in water at a nuclear power plant".

Questions:

a) As the Tsunami waves travel in deep water, they can be approximated as a sine wave. On the diagram below, clearly indicate the amplitude and wavelength of the wave.
 1m each (2 marks)



b) Calculate the time between two successive waves hitting Japanese the coastline. (1 mark)

$$T = \frac{\lambda}{c} = \frac{280}{340} = 0.8235 \ hrs \ or \ 49.4 \ min$$
 (1m)

c) As a result of their long wavelengths, tsunamis act as shallow-water waves. A wave becomes a shallow-water wave when the wavelength is very large compared to the water depth. Shallow-water waves move at a speed, *c*, that is dependent upon the water depth and is given by the formula:

$$c = \sqrt{gH}$$

where g is the acceleration due to gravity and H is the depth of water, in metres.

i. Refer to the equation above to state what would happen to the speed of the tsunami wave as it approached the shore.

(1 mark)

As $\propto \sqrt{H}$, c would **decrease** as depth gets shallower. (1m)

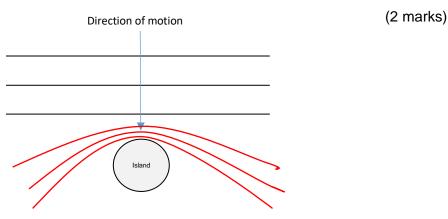
ii. Calculate how long after the earthquake the Tsunami wave would reach the shore of Chile if the average ocean depth is 3.00 km. (3 marks)

$$t = \frac{d}{\sqrt{gH}} \qquad (1m)$$
$$= \frac{17 \times 10^6}{\sqrt{9.8 \times 3 \times 10^3}} \qquad (1m)$$

 $= 99146 \sec or 27.5 hrs (1m)$

- iii. Explain why the wave height would only be around 2m when it reached Chile.(2 marks)
 - Wave attenuates due to friction, etc.
 - $I \propto \frac{1}{r^2}$, so Intensity falls with distance away. Or similar resonable explanation
- d) Complete the diagram below to show how the Tsunami waves behave around and beyond a large island.

Shows **Diffraction** around the island.



e) Which of the isotopes mentioned would cause the most serious health risks in the first weeks after the incident? Explain your answer. (2 marks)

f) Calculate the percentage of the total fallout was from I-131. (1 mark) $\frac{511\ 000}{546\ 400} \times 100 = \mathbf{93.5}\%$

g) Calculate the amount (in TBq) of Iodine131 that remained 30 days after the accident.

(2 marks)

25

$$\frac{A}{A_o} = \left(\frac{1}{2}\right)^n$$

$$A = 511\ 000 \times \left(\frac{1}{2}\right)^{\frac{30}{8.02}} \qquad (1m)$$

$$= 3.82 \times 10^4 \, TBq \qquad (1m)$$

h) Calculate how much energy would need to be absorbed by a 75.0 kg person for them to receive a whole body dose of 170 mSv. (2 marks)

$$E = AD \times mass$$

= 170 × 10⁻³ × 75 (1m)
= 12.75 J (1m)

Question 21 (18 marks)

The Tesla model S, is an electric vehicle which the manufacturer claims is the third-fastest production car ever, with an acceleration of 0-100 kmh⁻¹ in 2.7 seconds. It has a mass of 2108 kg, of which 544 kg is the battery packs.

The 2012 Model S P90D came equipped with an 85 kWh battery pack which is arranged in modules, spread under the floor of the vehicle. The 11 modules each have 9 x 3.6 V "bricks" arranged



in series. This model has a stated range of 410 km on a full charge. The Environmental Protection authority measured its average energy consumption at 237.5 watt-hours per kilometre or 23.75 kWh/100 km for a combined fuel economy of 2.64 L/100 km equivalent.

The vehicle is charged by simply plugging it into a source of electricity, not unlike a mobile phone. The standard on-board charger accepts 120 or 240 Volt sources at a rate of up to 10.0 kW. An optional US\$2,000 upgrade for a second 10 kW on-board charger supports a total of up to 20 kW charging from an 80 amp Tesla Wall Connector.

Questions:

a) Calculate stated the acceleration of the tesla Model S.

(2 marks)

$$a = \frac{\Delta v}{\Delta t}$$

$$= \frac{27.78}{2.7} \quad (1m)$$

$$= 10.3 \text{ ms}^{-2} \quad (1m)$$

b) Calculate the average force is produced by the engine to produce this acceleration (2 marks)

$$F = m. a = 2108 \times 10.29 \ (1m)$$

= $2.17 \times 10^4 N \ (1m)$

c) Calculate the total EMF of the Model S P90D's battery pack.

(2 marks)

In series, so Total
$$V = 11 \times 9 \times 3.6$$
 (1m)
= 356 V (1m)

d) The kilowatt-hour (kWh) is a unit used to measure energy and is the amount of energy used by a 1.0 kW machine in 1 hour. Calculate the capacity of the Model S P90D's battery pack, in Joules. (3 marks)

$$1kWh = 1000 \times 60 \times 60 = 3.6 \times 10^{6}J$$
 (1m)
 $Capacity = 85 \times 3.6 \times 10^{6}J$ (1m)
 $= 306 MJ$ (1m)

- e) Calculate the range of the model S P90D, based upon the EPA's testing? How does this compare to the manufacturer's claims? (4 marks)
 - Tesla's claim = **410km** • Range as calc by EPA= $\frac{85kWh}{23.75kWh/100km}$ = **357.89km** (2m)
 - Manufacturer's claim is (52.1km) greater than that calculated by EPA. (1m)

 f) When charging from a 240V source at 10.0kW, calculate how much current is being drawn by the charger. (2 marks)

$$I = \frac{P}{V}$$
= $\frac{10 \times 10^3}{240}$ (1m)
= 41.7 A (1m)

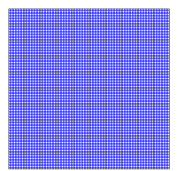
 g) Calculate the minimum time it would take to re-charge a flat battery when using the standard on-board charger. (3 marks)

Min time at max power of 10kW
$$time = \frac{Energy\ total}{power} = \frac{306 \times 10^6}{10 \times 10^3}$$
 (1m)
= 30600 sec or 8.50 hrs. (1m)

End of Questions

Additional working space

Spare grid for graph



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