



ball upon the surface of the ball. [Hint: the downward force with each interval between the result suggest an atmosphere mass of the stratosphere base the mean pressure around 100 hPaopause is near the tropical and the near 30° latitudes the Earth lies in

level up to the 850-hPa pressure surface. Estimate the equatorward mass flux into the equatorial zone. [Hint: The equatorward mass flux across the 15°N , in units of kg s^{-1} , is given by

$$-\oint_{15^{\circ}\text{N}}^{285^{\circ}} \int_0^{z_{850}} \rho v dz dx = \frac{m}{S} \left(\frac{Kg}{m^2 s} \right) = \frac{F_g \rightarrow S_d}{S} = \frac{m}{S} g$$

mass of the stratosphere based on the mean pressure around 100 hPa (popause is near the tropical and the subtropical latitudes near 30° latitude where the Earth lies in

where ρ is the density of the air, v is the meridional (northward) velocity component, the line integral denotes an integration around the 15°N latitude circle, and the vertical integral is from sea level up to the height of the 850-hPa surface. Evaluate the integral, making use of the relations

units of time

The Earth lies in
tropics. On the globe, the tropics are represented by two parallel lines of latitude, the Tropic of Cancer and the Tropic of Capricorn. The Tropic of Cancer is at approximately 23.5° N and the Tropic of Capricorn is at approximately 23.5° S.

Here is a flowing river with its water surface height $h(x, y, t)$. The pattern of waves is stationary.

$\frac{\partial h}{\partial t}(x, y) = 0$ (the elevation or local time derivative at a given location), it is not changing with time.

The Lagrangian derivative $\frac{dh}{dt}$ is the rate of change experienced by an observer riding on a parcel of fluid. That observer goes up the wave, over the crest, down the wave and through the troughs.

$\frac{\partial h}{\partial t} = 0 = \frac{dh}{dt} - u \frac{\partial h}{\partial x} - v \frac{\partial h}{\partial y}$ these terms must be non zero.

