

Mind maps of climate models and their components:

[http://proj.badc.rl.ac.uk/pimms/browser/CASCADE/ControlledVocabs/trunk/Software?](http://proj.badc.rl.ac.uk/pimms/browser/CASCADE/ControlledVocabs/trunk/Software?rev=48&order=size)

rev=48&order=size

(Must have Flash player installed)

Secondary tool: τ strategic tool. Examples:

① \rightarrow Mean plus deviations

$\bar{\psi} + \psi'$

• climo + anomalies

timescale separation

$\bar{\psi} + \psi'$

• Smoothed + eddies

\leftarrow

• Zonal mean + edg

\nwarrow Spatial scale separation

$[\psi] + \psi^*$

②

\rightarrow Flywheel plus engine

Geostrophic with "inertia" \leftarrow
contains most KE + the propensity to persist

geostrophic flow

• is moving things etc.

• DUE PART is what

maintains ITB

• divergent \Rightarrow controls $\frac{d}{dt}$

Geostrophic winds doing the job to maintain TwB in a geostrophic flow pattern:

Two \vec{V}_g to do the job

$$\frac{\partial \vec{V}}{\partial t} = f(\vec{V}_g \times \hat{k}) \approx \frac{\partial}{\partial t}(\vec{V}_g) \text{ can adjust } \vec{V}_g$$

$$Z_0 \quad \frac{\partial w}{\partial p} = -(\vec{V}_0 \cdot \vec{V}) = -\vec{V} \cdot \vec{V}_g$$

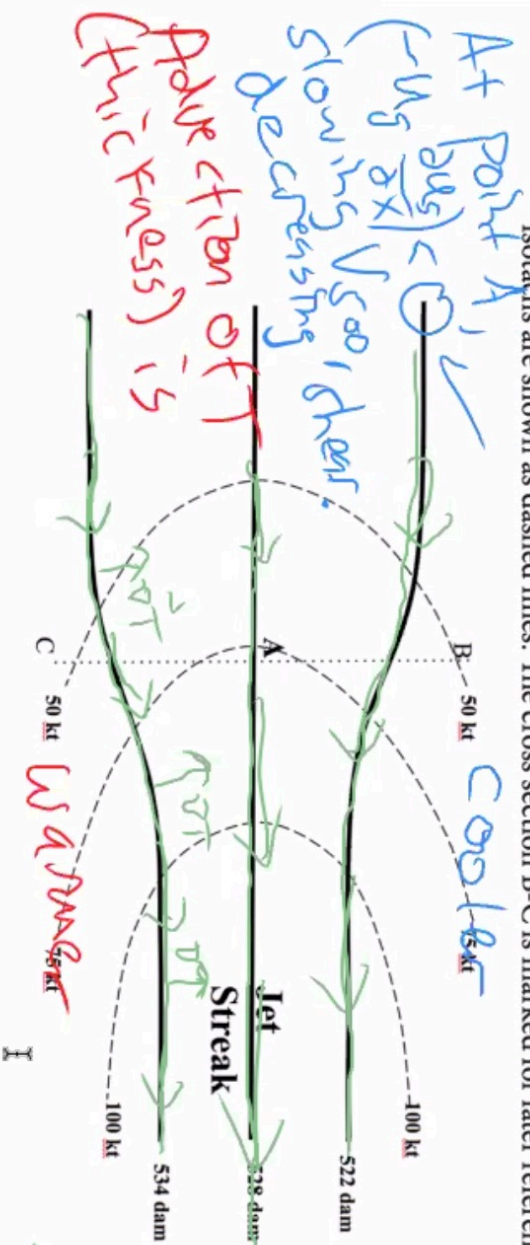
Geostrophic wind's divergent part connects to w which can adjust $\frac{\partial T}{\partial t} = w \Delta p$

via

adiabatic cooling or warming

static stability

jet streak situation. Suppose the 1000-hPa geopotential height surface $Z_{1000} = 0$ everywhere (i.e. the 1000-hPa surface is flat, with no geostrophic wind at that level). On the following diagram, the 500-hPa height contours are shown as bold solid lines, and the 500-hPa isotachs are shown as dashed lines. The cross section B-C is marked for later reference.



$$\Delta Z = Z_{500} - Z_{1000}$$

$$T \sim \Delta T$$

$$T \text{ contours}$$

$$T + \Delta T$$

$$-\vec{V}_g \cdot \vec{\nabla} T = 0$$

$$T + \Delta T$$

This is Eq. (1.44) in MSM. Here, the subscripts “U” and “L” correspond to “upper” and “lower” levels, and “C” is a constant for a given pressure layer. **Would thermal wind balance be sustained in locations such as point A as the advective tendencies from a) and b) act together? Why or why not?**

- d) If the answer to c) is “no,” **explain the sense of the imbalance** that would develop at point A. In other words, would the vertical shear of the westerly flow become too weak for the north–south temperature gradient, or vice versa?

- e) **Based on your answer to d), what would need to happen in order to bring the atmosphere back toward thermal wind balance in the vicinity of point A?**

The magnitude of the temperature gradient would need to

AND/OR

The magnitude of vertical wind shear would need to

decrease by $\frac{\partial T}{\partial T} = -25$

increase by $\frac{\partial V}{\partial T} = \frac{fV_0}{g}$

b. (5 points) What is the final relative circulation around the loop?

get rid of Φ

$$\frac{d\vec{V}}{dt} = f(\vec{V} \times \hat{e}) - \nabla \Phi \quad \text{two approaches: } \rightarrow \text{derivatives} \quad \text{construct a}$$

$$\oint \frac{d\vec{V}}{dt} d\ell = \oint f(\vec{V} \times \hat{e}) d\ell + \oint \nabla \Phi d\ell \quad \rightarrow \text{integrals around any closed}$$

c. (5 points) What tangential wind speed does this imply? Clockwise or loop

counter-clockwise?

can't work with this for circular loop though its area or radius.

these help restore trust
because

Page

er
with many
thinks



Higher
tendency

$\rho = 500 \text{ kg/m}^3$

UP →

C South

Surface

B
back

Sketch the ageostrophic circulation (using vertical and horizontal arrows) that would be needed to bring the atmosphere back towards thermal wind balance