

UNIT-1

5 MARKS

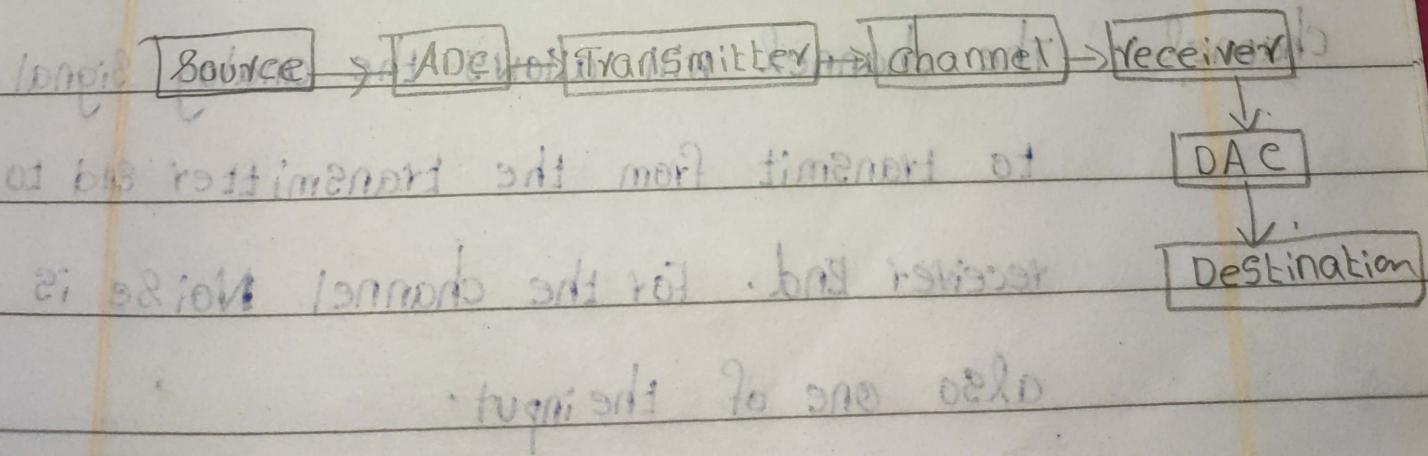
1) Develop an Expression for SNR of PCM in terms of number of bits?

At Last page

2) Explain digital communication system with block diagram?

Ans Any communication line in which digital information can be transmitted through the digital circuits is called digital communication system.

Ex:- Multiplexers, Encoders, Decoders.



Source :- The Source is nothing but the information which can be send to a circuit. The source is must be a Analog Signal.

Received

ADC :- The term ADC is defined as Analog to Digital converter. Here the total Analog Signal is converted to Digital Signal because we are giving the digital information to the circuit.

DAC

Transmitter :- The Transmitter is the input of ADC.

Dest

Here the transmitter will receive the Digital information and it will transmit the Information to the channel.

channel :- The channel will allows the analog signal to transmit from the transmitter end to receiver End. For the channel Noise is also one of the input.

Receiver :- The receiver will receive the data in the digital form.

DAC :- The term DAC is defined as Digital to Analog converter. We are converting again digital information to Analog Information because we have to understand properly.

Destination :- The destination point is the point

which the information will reach the person

properly.

not reach properly.

properly.

properly.

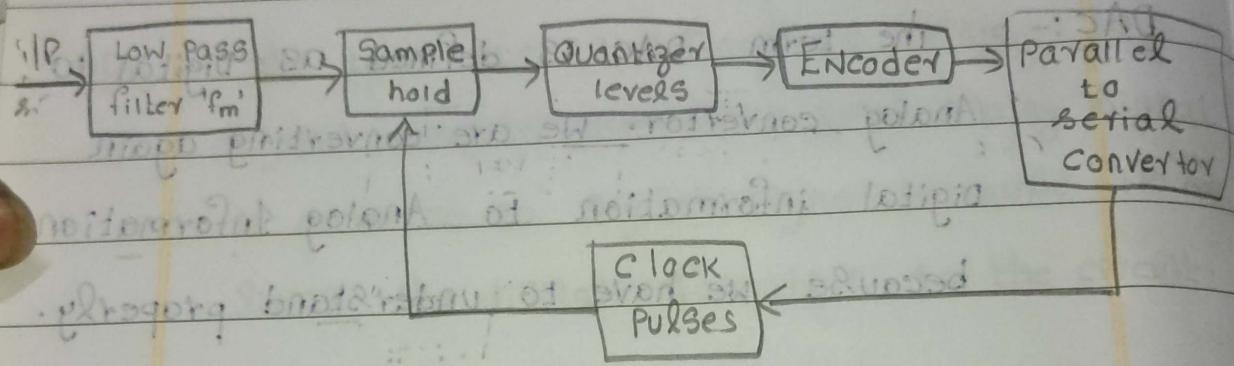
properly.

properly.

properly.

3) Illustrate the transmitter and receiver of PCM?

► PCM Transmitter:-



i) Here the above diagram represents the PCM

across transmitter.

ii) The Low pass filter will is used to block all

frequencies greater than 'fm'.

iii) The Sample hold circuit will produce the flat-top Sampling

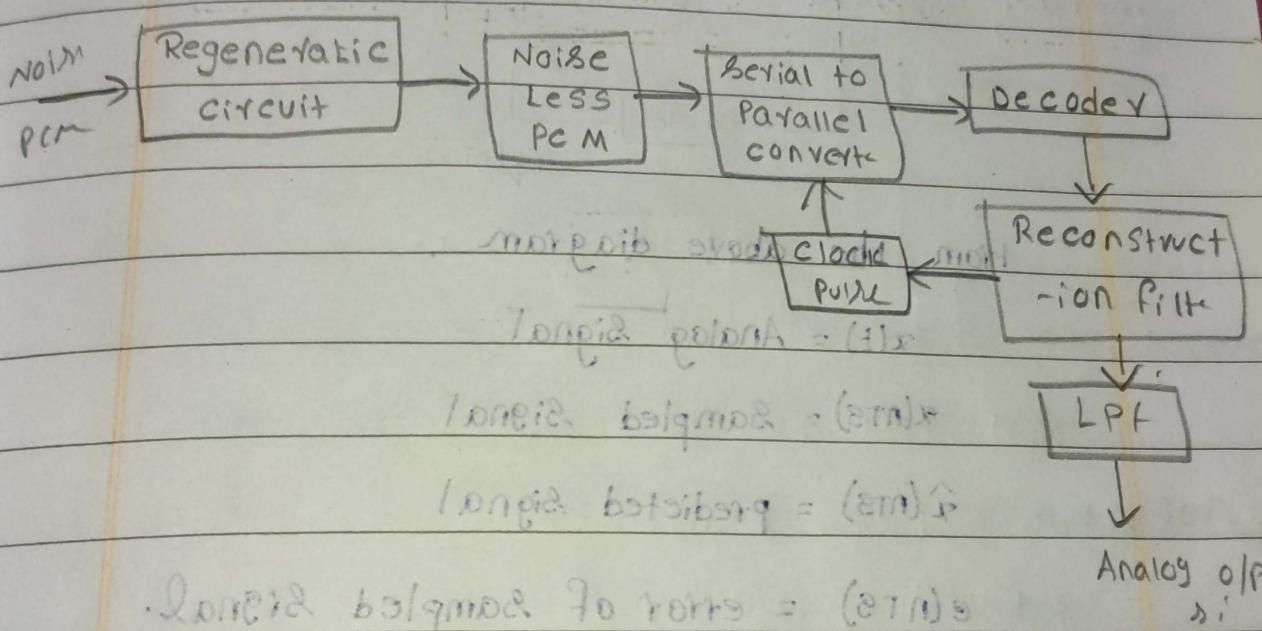
iv) Then after how many levels that we are required

to Quantize through formula $q = 2^n$

v) The Encoder will convert ^{into} the binary data

v) Again that binary data is converted into bit stream by using parallel to serial converter.

PCM receiver :-



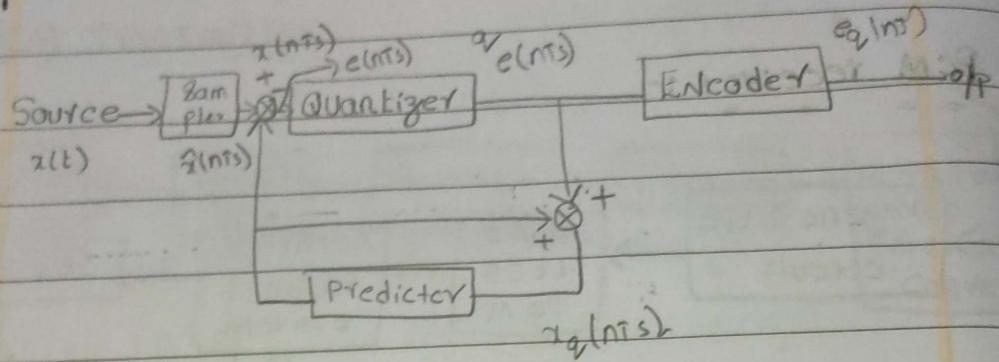
$$\textcircled{1} \leftarrow (2Tn)\hat{x} - (2Tn)x = (2Tn)\hat{s}$$

$$\textcircled{2} \leftarrow (2Tn)\hat{x} + (2Tn)s = (2Tn)\hat{s}$$

$$\textcircled{3} \leftarrow (2Tn)\hat{x} + (2Tn)\hat{s} = (2Tn)p$$

4) Illustrate the transmitter and receiver of DPCM?

D. DPCM Transmitter



From the above diagram

$x(t)$ = Analog Signal

$x(nTs)$ = Sampled Signal

$\hat{x}(nTs)$ = predicted Signal

$e(nTs)$ = error of sampled signal.

Now

$$e(nTs) = x(nTs) - \hat{x}(nTs) \rightarrow ①$$

$$e_q(nTs) = e(nTs) + q_e(nTs) \rightarrow ②$$

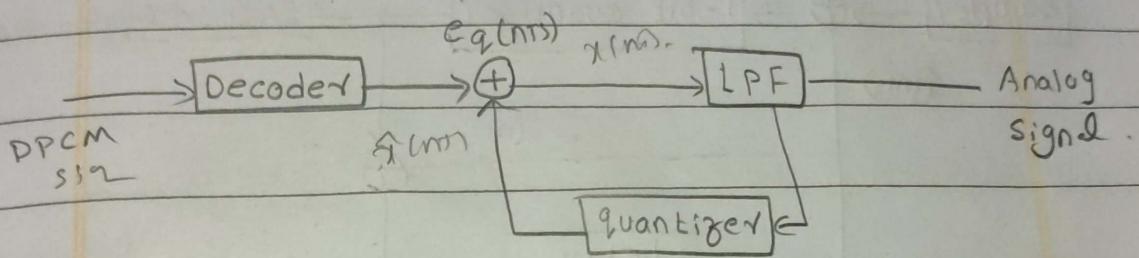
$$x_q(nTs) = e_q(nTs) + \hat{x}(nTs) \rightarrow ③$$

Sub ① & ② in ③

$$x_q(nT_s) = e(nT_s) + q_e(nT_s) + x(nT_s) - e(nT_s)$$

$$x_q(nT_s) = q_e(nT_s) + x(nT_s).$$

DPCM Receiver -



i) Here the DPCM signal is passed into decoder
then error signal will be obtained

ii) then it will pass through summation
the digital signal will be obtained.

iii) Now after that it pass through LPF then
 $\hat{x} + f_m$ is obtained.

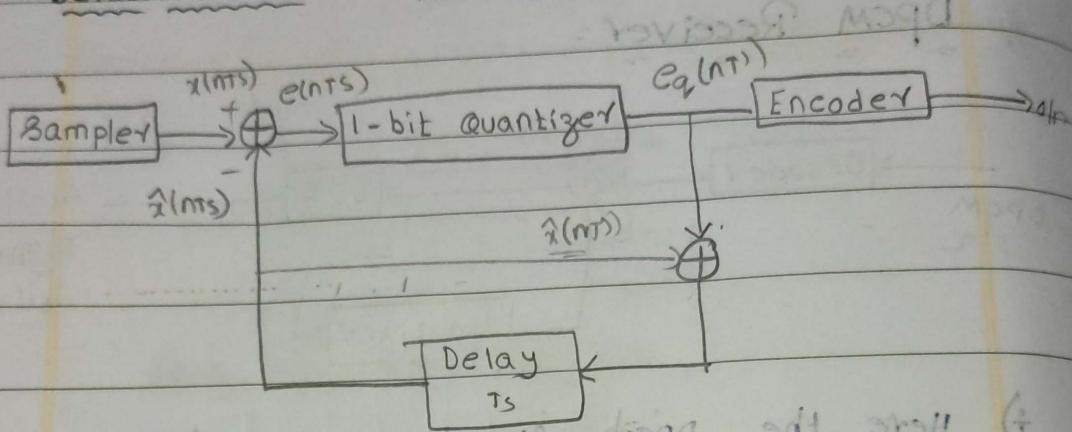
$$\hat{x} = (2m)_B \text{ mod } 1 \quad 0 \leq (2m)_B < 1$$

$$t^1 = (2m)_B \text{ and } \hat{x} = (2m)_B^{1/2} \quad ?$$

$$\hat{x} = (2m)_B \text{ mod } 1 \quad \hat{x} = (2m)_B^{1/2}$$

5) Illustrate the transmitter and receiver of Delta modulation?

Delta modulation Transmitter:-



Now From the block diagrams note

$$e(nTs) = x(nTs) - \hat{x}(nTs)$$

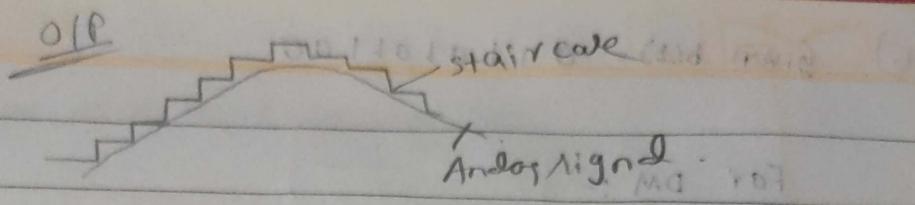
Here if $x(nTs) \geq \hat{x}(nTs)$ then $e(nTs) \geq 0$.

If $e(nTs) \geq 0$ then $eq(nTs) = +S$

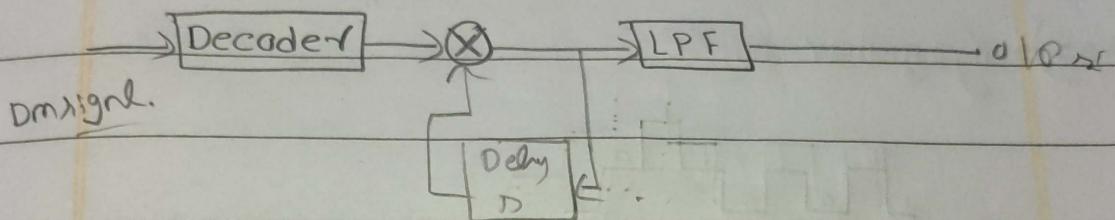
$e(nTs) < 0$ then $eq(nTs) = -S$.

If $eq(nTs) = +S$ then $s(nTs) = '1'$

$eq(nTs) = -S$ then $s(nTs) = '0'$



Delta modulation Receiver :-



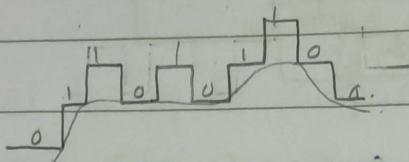
0 1 1 1 1 0 0 1 0
-8 +8 +8 +8 -8 -8 +8 -8.

- Now on applying a signal to Decoder then the binary data is converted into ± 8 values.
- By using Feedback it will added simultaneously.
- This will be resultant to form a Stair case signal.
- Then this signal is passes through LPF it will convert into Analog signal.

6) Given $b(t) = 0110101100$

For DM :-

$$\begin{array}{cccccccccc} 0 & 1 & 1 & 0 & 1 & 0 & 1 & 1 & 0 & 0 \\ -8 & +8 & +8 & -8 & +8 & -8 & +8 & +8 & -8 \end{array}$$



7) Explain how the Drawbacks of DM can be overcome?

→ There are two types of drawbacks :-

i) Slope overload distortion and

ii) Granular noise.

Method of reducing noise at low side :-

• Long tail

Method of reducing noise at high side :-

• Long tail

j) Slope - overload distortion

- a) The distortion will occur when analog signal slope is high
- b) Here step size is very small
- c) So by increasing the step size we can reduce the distortion.

$$\text{Slope of Stair case} = \frac{\delta - 0}{T_s - 0} = \frac{\delta}{T_s}$$

& above yield stiff longitudinal stiff in short

$$\text{Slope of Analog signal} = V_m \sin \omega t$$

section volume) for position at section side

$$WAV "S" \text{ situation } \frac{dv}{dt} = V_m \omega \cos \omega t (\omega)$$

$$\therefore V_m(\omega) \cos \omega t$$

Now

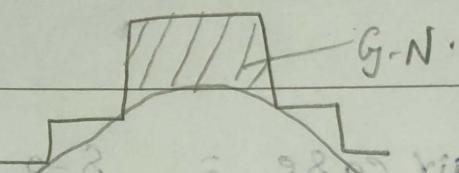
$$V_m \omega > \frac{\delta}{T_s}$$

$$V_m w > \frac{s}{Ts}$$

$$V_m > \frac{s}{WTS}$$

So, when signal amplitude is high then "s" should be high.

ii) Granular noise: -



$$\frac{3}{2T} = \frac{1}{2T} \text{ analog}$$

→ Here in the signal the staircase is continuously fluctuates.

Twierdzenie o dorywczej granicy spodziewanego

→ This noise is nothing but Granular noise

→ It will be reduced by maintain "g" value

is small (w) \approx 6.

1st QUESTION

* Signal to noise Ratio:

Let x_{\max} be the peak value of $x(t)$ such that The power of signal x_{\max}^2 $P = x_{\max}^2$

Noise Power:

Let δ be the step size so that $\text{error}_{\max} = \frac{\delta}{2}$

$$e_{\max} = \pm \frac{\delta}{2} \quad -\frac{\delta}{2} < e < \frac{\delta}{2}$$

∴ error is uniform random variable distributed

$$\text{b/w } \left[-\frac{\delta}{2}, \frac{\delta}{2} \right]$$

$$f(e) = \frac{1}{b-a} = \frac{1}{\frac{\delta}{2} - (-\frac{\delta}{2})} \\ = \frac{1}{\delta}$$

The average power of a R.V is $R_{xx}(0)$

$$R_{xx}(0) = E[e^2] \quad (\because \text{from } E[x^2])$$

$$= \int_{-\frac{\delta}{2}}^{\frac{\delta}{2}} f(e) e^2 de$$

$$= \frac{1}{\delta} \left[\frac{e^3}{3} \right]_{-\frac{\delta}{2}}^{\frac{\delta}{2}}$$

$$= \frac{1}{\delta} \frac{\left(\frac{\delta^3}{2} \right) + \left(\frac{-\delta^3}{2} \right)}{2}$$

$$= \frac{1}{\delta} \frac{\frac{\delta^3}{2}}{2} = \frac{\delta^2}{12}$$



Step size,

$$\delta = \frac{x_{\max} - [-x_{\max}]}{\text{over level}} = \frac{2x_{\max}}{2^n}$$

\therefore Signal to Noise ratio

$$I = \frac{\text{Signal Power}}{\text{Noise Power}}$$

$$= \frac{P_s}{\delta^2 / 12}$$

$$= \frac{x_{\max}^2}{\left(\frac{2x_{\max}}{2^n}\right)^2} \times 12$$

$$= \frac{x_{\max}^2}{4 \times x_{\max}^2} \times 12 \times \frac{2^n}{2^n}$$

$$S.N.R = 3 \cdot 2^{2n}$$

$$\therefore SNR_{dB} = 10 \log (3 \cdot 2^{2n})$$

$$= 10 \log 3 + 10 \log 2^n$$

$$= 4.6 + 6n$$

From the expression has n increases then
Step size increases, error decreases and
SNR increases.