

## ECO 101A: Tutorial # 6

Date: 21/02/2017

1. You manage a plant that mass-produces engines by teams of workers using assembly machines. The technology is summarized by the production function  $q = 5 KL$ , where  $q$  is the number of engines per week,  $K$  is the number of assembly machines, and  $L$  is the number of labor teams. Each assembly machine rents for  $r = \$10,000$  per week, and each team costs  $w = \$5000$  per week. Engine costs are given by the cost of labor teams and machines, plus \$2000 per engine for raw materials. Your plant has a fixed installation of 5 assembly machines as part of its design.
  - a) What is the cost function for your plant—namely, how much would it cost to produce  $q$  engines? What are average and marginal costs for producing  $q$  engines?
  - b) How many teams are required to produce 250 engines? What is the average cost per engine?
  - c) You are asked to make recommendations for the design of a new production facility. What capital/labor ( $K/L$ ) ratio should the new plant accommodate if it wants to minimize the total cost of producing at any level of output  $q$ ?
2. Assume that an entrepreneur's short run total cost function is  $C = Q^3 - 10 Q^2 + 17 Q + 66$ .
  - a) Determine the output level at which she maximizes profit if  $p = 5$ .
  - b) Compute output elasticity of cost at that output level.