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a)
$$g(t) = \sin(t) + \cos(\frac{\pi}{2}t + \frac{\pi}{4})$$
 $\longrightarrow \frac{\pi}{3} \left[6(w-1) - 6(w+1) \right] + \pi \left[6(w-\frac{\pi}{2}) + 6(w+\frac{\pi}{2}) \right]$

Fourier pairs $\int \sin w_0 t = \frac{\pi}{3} \left[6(w-w_0) + 8(w+w_0) \right]$

Cos $w_0 t = \pi \left(6(w-w_0) + 8(w+w_0) \right]$

b)
$$a(t) = \frac{2\sin^2(3t)}{t}$$
 D $X(ju) = \int_{-\infty}^{\infty} \frac{2\sin^2(3t)}{t} e^{-jut} dt = -\ln(-ju) + \ln(-ju)$

Former Transform 2 $X(ju)$, $\int_{-\infty}^{\infty} a(t)e^{-jut} dt$

C)
$$\Re(t) = \int_{2}^{\circ} + \frac{1}{2} e^{-(t-1)} dt = \int_{-\infty}^{\circ} \frac{1}{2} e^{-(t-1)} dt = \int_{$$

d)
$$\mathcal{H}(t) = \begin{cases} 0 & 0 < -2 \\ x_{+2} & -2 < x^{t} < 0 \\ -9 + 2 & 0 < x^{t} < 2 \end{cases}$$

$$= \begin{cases} 0 & 0 < -2 \\ 0 & 0 < x^{t} < 2 \end{cases}$$

$$= \begin{cases} 0 & 0 < -2 \\ 0 & 0 < x^{t} < 2 \end{cases}$$

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$$\frac$$

a)
$$X(jw) = \frac{7 jw_{+}32}{-w^{2}+9wj+20} = \frac{7jw_{+}32}{(jw_{+}4)(jw_{+}5)} = \frac{A}{jw_{+}44} + \frac{B}{jw_{+}5} = \frac{5A+jw_{A}+4B+jw_{B}}{(jw_{+}4)(jw_{+}5)}$$

Revuse Formler: $4(1) = \frac{1}{247} \int_{-\infty}^{\infty} \pi(jw)e^{jwt} dw$

$$X(jw) = \frac{4}{jw_{+}4} + \frac{3}{jw_{+}5} + \frac{3}{jw_{$$

$$X(jw) = \frac{1}{w^{2} + a^{2}}$$

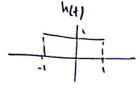
$$V(jw) = \frac{1}{2a^{2}}$$

$$V(jw) = \frac{1}{$$

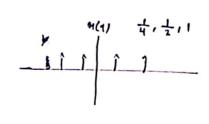
a)
$$q(t) = cos(st) + 2cos(st) + \frac{1}{2}cos(\frac{1}{2}t) \Rightarrow \frac{1}{2}(e^{\frac{j+1}{2}t} - \frac{j+1}{2}t) + \frac{j+1}{2}(e^{\frac{j+1}{2}t} - \frac{j+1}{2}t)$$

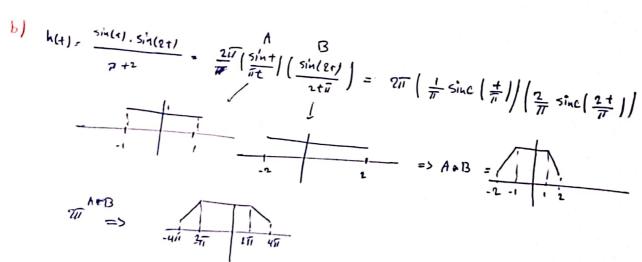
$$h(t) = \frac{sin(t)}{\pi t} = \frac{1}{\pi} sinc(\frac{1}{\pi})$$

X (jw) = A(t) + h(t)



#in(+) FT > j(waij) } | wich





$$\begin{array}{lll}
+ \frac{1}{2} & \frac{1}$$

$$\frac{G(jw)_{-1} + g(t) = S(t)}{-(2jw+13)} = \frac{j^{2}w^{2} + 7jw + (6-1)}{-2jw + 13} = \frac{g(jw)_{-1}}{-2jw + 13} = \frac{g(jw)_{-1}}{-2jw + 13}$$