## Making Predictions with the Standardized Coefficients

# For these lessons we will need NumPy, pandas, matplotlib and seaborn import pandas as pd

Load the data

SAT Rand 1,2,3 GPA

from sklearn.linear model import LinearRegression

data = pd.read csv('1.02. Multiple linear regression.csv')

**GPA** 

3.330238

0.271617

2.400000

3.190000

3.380000

3.502500

3.810000

Declare the dependent and independent variables

Create the multiple linear regression

In [4]: # There are two independent variables: 'SAT' and 'Rand 1,2,3'

84.000000 84.000000

2.059524

0.855192

1.000000

1.000000

2.000000

3.000000

3.000000

# and a single dependent variable: 'GPA'

In [6]: # Create an instance of the StandardScaler class

from sklearn.preprocessing import StandardScaler

StandardScaler(copy=True, with mean=True, with std=True)

# Let's store it in a new variable, named appropriately

In [8]: # The actual scaling of the data is done through the method 'transform()'

x = data[['SAT', 'Rand 1, 2, 3']]

In [2]: # Load the data from a .csv in the same folder

# Let's explore the top 5 rows of the df

1 2.40

3 2.52

3 2.54

3 2.74

2 2.83

**SAT** Rand 1,2,3

Libraries

sns.set()

## # and of course the actual regression (machine learning) module

import numpy as np import matplotlib.pyplot as plt import seaborn as sns

data.head()

**0** 1714

**1** 1664

**2** 1760

**3** 1685

**4** 1693

count

min

data.describe()

mean 1845.273810

**25%** 1772.000000

**50%** 1846.000000

**75%** 1934.000000

max 2050.000000

y = data['GPA']

scaler.fit(x)

In [9]: # The result is an ndarray

x scaled

Out[7]:

**Standardization** 

In [5]: # Import the preprocessing module

scaler = StandardScaler()

x scaled = scaler.transform(x)

array([[-1.26338288, -1.24637147],

[-1.74458431, 1.10632974], [-0.82067757, 1.10632974],[-1.54247971, 1.10632974], [-1.46548748, -0.07002087],[-1.68684014, -1.24637147],[-0.78218146, -0.07002087],[-0.78218146, -1.24637147],[-0.51270866, -0.07002087],[ 0.04548499, 1.10632974], [-1.06127829, 1.10632974], [-0.67631715, -0.07002087],[-1.06127829, -1.24637147],[-1.28263094, 1.10632974], [-0.6955652, -0.07002087],[0.25721362, -0.07002087],[-0.86879772, 1.10632974],[-1.64834403, -0.07002087],[-0.03150724, 1.10632974],[-0.57045283, 1.10632974],[-0.81105355, 1.10632974],[-1.18639066, 1.10632974], [-1.75420834, 1.10632974], [-1.52323165, -1.24637147],[ 1.23886453, -1.24637147], [-0.18549169, -1.24637147],[-0.5608288, -1.24637147],[-0.23361183, 1.10632974],[ 1.68156984, -1.24637147], [-0.4934606, -0.07002087],[-0.73406132, -1.24637147],[0.85390339, -1.24637147],[-0.67631715, -1.24637147],[ 0.09360513, 1.10632974], [0.33420585, -0.07002087],[ 0.03586096, -0.07002087], [-0.35872421, 1.10632974],[ 1.04638396, 1.10632974], [-0.65706909, 1.10632974],[-0.13737155, -0.07002087],[ 0.18984542, 1.10632974], [0.04548499, -1.24637147],[ 1.1618723 , 1.10632974], [-1.37887123, -1.24637147],[ 1.39284898, -1.24637147], [0.76728713, -0.07002087],[-0.20473975, -0.07002087],[ 1.06563201, -1.24637147], [0.11285319, -1.24637147],[ 1.28698467, 1.10632974], [-0.41646838, 1.10632974],[0.09360513, -1.24637147],[0.59405462, -0.07002087],[-2.03330517, -0.07002087],[0.32458182, -1.24637147],[0.40157405, -1.24637147],[-1.10939843, -0.07002087],[ 1.03675993, -1.24637147], [-0.61857297, -0.07002087],[0.44007016, -0.07002087],[ 1.14262424, -1.24637147], [-0.35872421, 1.10632974],[ 0.45931822, 1.10632974], [ 1.88367444, 1.10632974], [0.45931822, -1.24637147],[-0.12774752, -0.07002087],[ 0.04548499, 1.10632974], [0.85390339, -0.07002087],[0.15134931, -0.07002087],[ 0.8250313 , 1.10632974], [ 0.84427936, 1.10632974], [-0.64744506, -1.24637147],[ 1.24848856, -1.24637147], [ 0.85390339, 1.10632974], [ 1.69119387, 1.10632974], [ 1.6334497 , 1.10632974], [ 1.46021718, -1.24637147], [ 1.68156984, -0.07002087], [-0.02188321, 1.10632974],[ 0.87315144, 1.10632974], [-0.33947615, -1.24637147],[ 1.3639769 , 1.10632974], [ 1.12337618, -1.24637147], [ 1.97029069, -0.07002087]])

Regression with scaled features

LinearRegression(copy\_X=True, fit\_intercept=True, n jobs=1, normalize=False)

reg summary = pd.DataFrame([['Bias'],['SAT'],['Rand 1,2,3']], columns=['Features'])

reg summary['Weights'] = reg.intercept , reg.coef [0], reg.coef [1]

# create and fill a second column, called 'Weights' with the coefficients of the regression

Making predictions with the standardized coefficients (weights)

new data = pd.DataFrame(data=[[1700,2],[1800,1]],columns=['SAT','Rand 1,2,3'])

In [16]: # We can make a prediction for a whole dataframe (not a single value)

In [17]: # Our model is expecting SCALED features (features of different magnitude)

# We simply transform the 'new data' using the relevant method

# Luckily for us, this information is contained in the 'scaler' object

What if we removed the 'Random 1,2,3' variable?

# Since the standardized coefficients are called 'weights' in ML, this is a much better word choice for our cas

# In fact we must transform the 'new data' in the same way as we transformed the inputs we train the model on

In [20]: # Theory suggests that features with very small weights could be removed and the results should be identical

# Once more, we must reshape the inputs into a matrix, otherwise we will get a compatibility error

In [21]: # In a similar manner to the cell before, we can predict only the first column of the scaled 'new data'

# Let's create a simple linear regression (simple, because there is a single feature) without 'Rand 1,2,3'

# Moreover, we proved in 2-3 different ways that 'Rand 1,2,3' is an irrelevant feature

# Note that instead of standardizing again, I'll simply take only the first column of x

LinearRegression(copy X=True, fit intercept=True, n jobs=1, normalize=False)

# Note that we also reshape it to be exactly the same as xreg simple.predict(new data scaled[:,0].reshape(-1,1))

In [10]: # Creating a regression

# coefficients

reg.intercept

3.330238095238095

reg.coef

In [12]: # intercept

In [14]: reg\_summary

0

**Features** 

new data

**0** 1700

**1** 1800

Bias

**2** Rand 1,2,3 -0.007030

**SAT** Rand 1,2,3

reg.predict(new data)

# Let's check the result

new data scaled

Weights

3.330238

In [15]: # a new dataframe with 2 \*new\* observations

array([295.39979563, 312.58821497])

array([[-1.39811928, -0.07002087],

reg.predict(new data scaled)

array([3.09051403, 3.26413803])

reg simple = LinearRegression()

# Finally, we fit the regression reg\_simple.fit(x\_simple\_matrix,y)

array([3.08970998, 3.25527879])

new data scaled = scaler.transform(new data)

[-0.43571643, -1.24637147]])

In [18]: # Finally we make a prediction using the scaled new data

 $x_{simple_matrix} = x_{scaled[:,0].reshape(-1,1)}$ 

SAT 0.171814

Out[10]:

In [11]:

Out[11]:

Out[12]:

Out[14]:

Out[15]:

Out[16]:

Out[17]:

Out[18]:

Out[20]:

Out[21]:

reg = LinearRegression()

reg.fit(x scaled,y)

# inputs are the 'scaled inputs'

array([ 0.17181389, -0.00703007])

Creating a summary table

In [13]: # create a new data frame with the names of the features

84.000000

104.530661

1634.000000

Out[2]:

In [3]:

Out[3]: