Feature scaling with sklearn

The data is located in the file: 'real_estate_price_size_year.csv'.

- create a multiple linear regression standardize the data

In [1]:

- Display the intercept and coefficient(s)
- Find the R-squared and Adjusted R-squared Compare the R-squared and the Adjusted R-squared
- Compare the R-squared of this regression and the simple linear regression where only 'size' was used Using the model make a prediction about an apartment with size 750 sq.ft. from 2009
- Find the univariate (or multivariate if you wish see the article) p-values of the two variables. Describe
- Create a summary table with your findings
- In this exercise, the dependent variable is 'price', while the independent variables are 'size' and 'year'.

Import the relevant libraries

import numpy as np import pandas as pd

```
import seaborn as sns
sns.set()
from sklearn linear model import LinearRegression
```

From Skiearn. Timear_moder Import Einearkeglession
Load the data
<pre>data = pd.read_csv('real_estate_price_size_year.csv') data.head()</pre>

50% 280590.716000 696.405000 2015.000000 1029.322500 2018.000000 **75**% 335723.696000 500681.128000 1842.510000 2018.000000

234280.148000

25%

In [4]:

Out[6]:

In [8]:

Out[8]:

Out[9]:

In [10]:

In [13]:

Out[13]:

Out[16]:

Out[17]:

Out[18]:

x = data[['size','year']]

y = data['price']

```
scaler = StandardScaler()
scaler.fit(x)
x scaled = scaler.transform(x)
```

reg.coef_

Regression

In [6]: reg = LinearRegression()

Find the intercept

```
reg.intercept
In [7]:
Out[7]:
```

```
reg.score(x_scaled,y)
0.7764803683276793
```

Let's use the handy function we created

```
Compare the Adjusted R-squared with the R-squared of the simple linear regression
Comparing the Adjusted R-squared with the R-squared of the simple linear regression (when only 'size' was used - a couple of lectures
```

Find the predicted price of an apartment that has a size of 750 sq.ft. from 2009.

array([258330.34465995])

Compare the R-squared and the Adjusted R-squared

array([8.12763222e-31, 3.57340758e-01])

reg summary ['Coefficients'] = reg.coef reg_summary ['p-values'] = p values.round(3)

```
f_regression(x_scaled,y)
In [15]:
         (array([285.92105192, 0.85525799]), array([8.12763222e-31, 3.57340758e-01]))
Out[15]:
```

```
array([0. , 0.357])
```

```
Create a summary table with your findings
```

In [18]: reg_summary = pd.DataFrame(data = x.columns.values, columns=['Features'])

```
reg summary
  Features Coefficients p-values
```

```
size 67501.576142
                       0.000
year 13724.397082
                       0.357
```

import matplotlib.pyplot as plt

price size year

- **0** 234314.144 643.09 2015
- Out[2]: 656.22 2009 **1** 228581.528
- **2** 281626.336 487.29 2018
- **3** 401255.608 1504.75 2015
- **4** 458674.256 1275.46 2009
- data.describe() In [3]: Out[3]: price size year count 100.000000 100.000000 100.000000
 - 292289.470160 853.024200 2012.600000 std 77051.727525 297.941951 4.729021 2006.000000 min 154282.128000 479.750000
- Create the regression

Scale the inputs

Declare the dependent and the independent variables

2009.000000

643.330000

In [5]: from sklearn.preprocessing import StandardScaler

reg.fit(x_scaled,y) LinearRegression(copy_X=True, fit_intercept=True, n_jobs=1, normalize=False)

292289.4701599997

array([67501.57614152, 13724.39708231])

Find the coefficients

Calculate the R-squared

Calculate the Adjusted R-squared

r2 = reg.score(x, y)n = x.shape[0]

of 2 independent variables.

Making predictions

reg.predict(new_data_scaled)

def adj r2(x,y):

p = x.shape[1]adjusted_r2 = 1-(1-r2)*(n-1)/(n-p-1)return adjusted_r2 In [11]: adj_r2(x_scaled,y) 0.77187171612825 Out[11]:

It seems the R-squared is only slightly larger than the Adjusted R-squared, implying that we were not penalized a lot for the inclusion

ago), we realize that 'Year' is not bringing too much value to the result.

In [12]: $new_data = [[750, 2009]]$ new_data_scaled = scaler.transform(new_data)

In [14]: from sklearn.feature selection import f regression

Calculate the univariate p-values of the variables

In [16]: $p_values = f_regression(x, y)[1]$ p_values

In [17]: p_values.round(3)

It seems that 'Year' is not event significant, therefore we should remove it from the model.

This dataset is extremely clean and probably artificially created, therefore standardization does not really bring any value to it.