

CAMBRIDGE INSTITUTE OF TECHNOLOGY KR PURAM, BANGLORE - 560036 - KARNATAKA

AI AND ML APPLICATION DEVELOPMENT LABORATORY (Effective from the academic year 2018 -2019) SEMESTER – VII

DEPARTMENT OF ARTIFICIAL INTELLIGENCE AND MACHINE LEARNING

LAB MANUAL

SUBJECT- AI AND ML APPLICATION DEVELOPMENT LABORATORY
CODE- 18AIL76

BY:-

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Program 1

Write a program to implement k-Nearest Neighbour algorithm to classify the iris data set. Print both correct and wrong predictions.

```
Dataset - link
import pandas as pd import numpy as np from
sklearn import datasets from sklearn.neighbors
import KNeighborsClassifier from
sklearn.model_selection import train_test_split
# Importing Dataset dataset =
datasets.load_iris() X =
pd.DataFrame(dataset.data)
y = pd.DataFrame(dataset.target)
# Splitting The Dataset Into Training Set And Testing Set
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2)
# Model Fit And Prediction knn =
KNeighborsClassifier(n_neighbors=5)
knn.fit(X_train, y_train.values.ravel())
accuracy_train = knn.score(X_train, y_train)
accuracy_test = knn.score(X_test, y_test)
print("Training Accuracy\n", accuracy_train) print("Testing
Accuracy\n", accuracy_test)
available_class = pd.DataFrame(dataset.target_names)
print("Dataset Classes\n", available_class)
example = np.array([5.7, 3, 4.2, 1.2]) example
= example.reshape(1, -1)
print("Input Sample\n", example)
example_prediction = int(knn.predict(example))
print("Predicted Class\n", available_class[0][example_prediction])
```

OUTPUT -

Training Accuracy
0.95833333333333334
Testing Accuracy
1.0
Dataset Classes
0
0 setosa
1 versicolor
2 virginica
Input Sample
[[5.7 3. 4.2 1.2]]
Predicted Class
Versicolor

Program - 2

Develop a program to apply K-means algorithm to cluster a set of data stored in .CSV file. Use the same data set for clustering using EM algorithm. Compare the results of these two algorithms and comment on the quality of clustering.

Dataset- same as 1st

import sklearn.metrics as sm import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn import datasets from sklearn import preprocessing from sklearn.cluster import KMeans from sklearn.mixture import GaussianMixture

```
# Importing Dataset dataset
= datasets.load_iris()

# Attribute Variable(s)

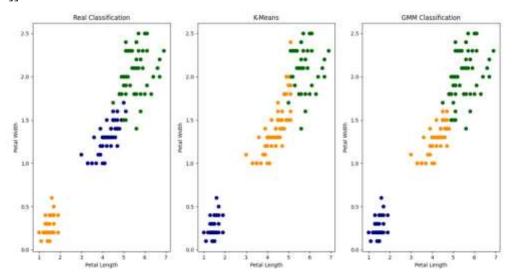
X = pd.DataFrame(dataset.data)

X.columns = ['Sepal_Length', 'Sepal_Width', 'Petal_Length', 'Petal_Width'] #

Target Variable

y = pd.DataFrame(dataset.target) y.columns
= ['Targets']
```

```
plt.figure(figsize=(14, 7))
colormap = np.array(['darkorange', 'navy', 'darkgreen'])
# REAL PLOT
plt.subplot(1, 3, 1)
plt.scatter(X.Petal Length, X.Petal Width, c=colormap[y.Targets], s=40)
plt.title('Real Classification') plt.xlabel('Petal Length') plt.ylabel('Petal
Width')
# K-PLOT
plt.subplot(1, 3, 2) model =
KMeans(n clusters=3)
model.fit(X)
predY = np.choose(model.labels, [0, 1, 2]).astype(np.int64)
plt.scatter(X.Petal Length, X.Petal Width, c=colormap[predY], s=40)
plt.title('K-Means') plt.xlabel('Petal Length') plt.ylabel('Petal Width')
print('K-Means Algorithm')
print('The Accuracy Score Of K-Mean Algorithm: ', sm.accuracy score(y, model.labels ))
print('The Confusion Matrix Of K-Mean Algorithm:\n', sm.confusion matrix(y,
model.labels ))
# EM PLOT
scaler = preprocessing.StandardScaler()
scaler.fit(X) xsa = scaler.transform(X) xs =
pd.DataFrame(xsa, columns=X.columns)
gmm = GaussianMixture(n components=3)
gmm.fit(xs) y gmm =
gmm.predict(xs)
plt.subplot(1, 3, 3)
plt.scatter(X.Petal Length, X.Petal Width, c=colormap[y gmm], s=40)
plt.title('GMM Classification') plt.xlabel('Petal Length') plt.ylabel('Petal Width')
print('EM Algorithm') print('The Accuracy Score Of EM Algorithm: ',
sm.accuracy score(y, y gmm)) print('The Confusion Matrix Of EM Algorithm:\n',
sm.confusion_matrix(y, y_gmm)) plt.show()
Output –
K-Means Algorithm
The Accuracy Score Of K-Mean Algorithm: 0.24 The
Confusion Matrix Of K-Mean Algorithm:
[[ 0 50 0]
[48 0 2]
[14 0 36]]
EM Algorithm
The Accuracy Score Of EM Algorithm: 0.3333333333333333 The
Confusion Matrix Of EM Algorithm:
[[0500]
[45 0 5]
```



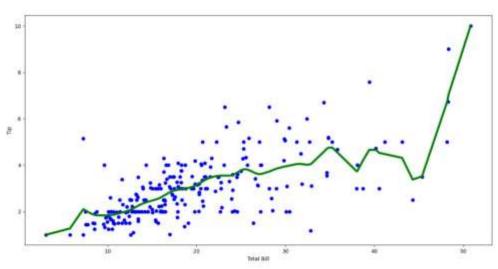
Program - 3

Implement the non-parametric Locally Weighted Regression algorithm in order to fit data points. Select appropriate data set for your experiment and draw graphs.

```
Dataset - link
import numpy as np import
pandas as pd
import matplotlib.pyplot as plt
data frame = pd.read csv('data/tips.csv')
feature array = np.array(data frame.total bill) label array
= np.array(data frame.tip)
total cases = feature array.shape[0]
y matrix = np.matrix(label array).T
x matrix = np.hstack((np.ones((total cases, 1)), np.matrix(feature array).T))
y_predicted = np.zeros(total_cases)
# get weight matrix def
get weight matrix(current x, x matrix, tau):
weight matrix = np.mat(np.eye(total_cases))
for j in range(total cases):
                               distance vector
= current x - x matrix[i]
     weight matrix[j, j] = np.exp(-1 * distance vector*distance vector.T / (2.0 * tau ** 2))
return weight matrix
```

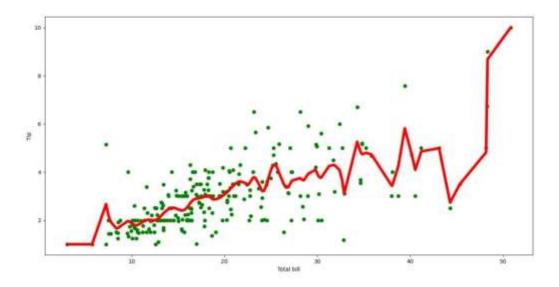
```
# get theta matrix def get theta matrix(current x,
x_matrix, y_matrix, tau):
  weight matrix = get weight matrix(current x, x matrix, tau)
  theta matrix = np.linalg.inv(x matrix.T * (weight matrix * x matrix)) * x matrix.T *
weight_matrix * y_matrix
  return theta matrix
# get final y predicted def get y for all x(current x, x matrix,
y matrix, tau):
                 theta matrix = get theta matrix(current x,
x matrix, y matrix, tau) y predicted result = current x *
theta matrix return y predicted result
# main loop for i in range(total cases):
                                         y predicted[i] =
get y for all x(x matrix[i], x matrix, y matrix, 1)
# Plotting the results sorted indexes =
x matrix[:, 1].argsort(0)
sorted x = x matrix[sorted indexes][:, 0]
figure = plt.figure()
axes = figure.add subplot(1, 1, 1)
axes.scatter(feature array, label array, color='blue')
axes.plot(sorted_x[:, 1], y_predicted[sorted indexes], color='green', linewidth=4)
plt.xlabel('Total Bill') plt.ylabel('Tip')
plt.show()
```

Output-



```
import matplotlib.pyplot as plt
import pandas as pd import
numpy as np def kernel(point,
xmat, k):
           m,n =
np.shape(xmat) weights =
np.mat(np.eye((m))) for j in
               diff = point - X[i]
range(m):
     weights[j,j] = np.exp(diff*diff.T/(-2.0*k**2))
return weights def localWeight(point, xmat, ymat,
  wei = kernel(point,xmat,k)
  W = (X.T*(wei*X)).I*(X.T*(wei*ymat.T))
  return W
def localWeightRegression(xmat, ymat, k):
                                             m,n =
np.shape(xmat) ypred = np.zeros(m)
range(m):
               ypred[i] =
xmat[i]*localWeight(xmat[i],xmat,ymat,k)
                                             return ypred
# load data points data =
pd.read csv('tips.csv') bill =
np.array(data.total bill)
tip = np.array(data.tip)
#preparing and add 1 in bill
mbill = np.mat(bill) mtip =
np.mat(tip) m=
np.shape(mbill)[1] one =
np.mat(np.ones(m)) X =
np.hstack((one.T,mbill.T))
#set k here
ypred = localWeightRegression(X,mtip,0.5)
SortIndex = X[:,1].argsort(0)
xsort = X[SortIndex][:,0] fig =
plt.figure() ax =
fig.add subplot(1,1,1)
ax.scatter(bill,tip,
color='green')
ax.plot(xsort[:,1],ypred[SortIndex], color = 'red', linewidth=5)
plt.xlabel('Total bill') plt.ylabel('Tip')
plt.show()
```

Output -



Program - 4

Build an Artificial Neural Network by implementing the Backpropagation algorithm and test the same using appropriate data sets.

```
import numpy as np
X = \text{np.array}(([2, 9], [1, 5], [3, 6]), \text{dtype=float})
y = np.array(([92], [86], [89]), dtype=float) y =
y/100
#Sigmoid Function def sigmoid
      return 1/(1 + np.exp(-x))
#Derivative of Sigmoid Function
def derivatives sigmoid(x):
  return x * (1 - x)
#Variable initialization
epoch=10000
                  1r=0.1
inputlayer neurons = 2
hiddenlayer neurons = 3
output neurons
#weight initialization
wh=np.random.uniform(size=(inputlayer neurons,hiddenlayer neurons))
wout=np.random.uniform(size=(hiddenlayer neurons,output neurons)) for
i in range(epoch):
#Forward Propogation
```

```
hinp=np.dot(X,wh)
hlayer act = sigmoid(hinp)
outinp=np.dot(hlayer act,wout)
  output = sigmoid(outinp)
#Backpropagation
  EO = y-output
  outgrad = derivatives sigmoid(output)
d output = EO* outgrad
d output.dot(wout.T)
                      hiddengrad =
derivatives sigmoid(hlayer act
d hiddenlayer = EH * hiddengrad
                                   wout +=
hlayer act.T.dot(d output) *lr
                               wh +=
X.T.dot(d hiddenlayer) *lr
                             print("Input: \n"
+ str(X)) y=y*100 output=output*100
print("Actual Output: \n" + str(y))
print("Predicted Output: \n" ,output)
```

Output

```
Input:
[[2. 9.]
[1. 5.]
[3. 6.]]
Actual Output:
[[92.]
[86.]
[89.]]
Predicted Output:
[[89.77293616]
[87.35314244]
[89.77030837]]
```

Program - 5

Demonstrate Genetic algorithm by taking a suitable data for any simple application.

```
# Define the knapsack problem parameters
max weight = 50 items
= \lceil
  {'name': 'item1', 'weight': 10, 'value': 60},
  {'name': 'item2', 'weight': 20, 'value': 100},
  {'name': 'item3', 'weight': 30, 'value': 120},
  {'name': 'item4', 'weight': 15, 'value': 50},
  {'name': 'item5', 'weight': 25, 'value': 60},
1
# Genetic algorithm parameters
population size = 100 generations
= 50
mutation rate = 0.1
# Initialize a population of random solutions def
initialize population(pop size, item count):
  population = []
                    for in range(pop size):
                                                   solution =
[random.randint(0, 1) for in range(item count)]
population.append(solution)
                               return population
# Calculate the fitness of a solution def fitness(solution):
                                                            total weight =
sum(item['weight'] for item, bit in zip(items, solution) if bit)
                                                                total value =
sum(item['value'] for item, bit in zip(items, solution) if bit)
                                                              return
total value if total weight <= max weight else 0
# Perform single-point crossover def
crossover(parent1, parent2):
  crossover point = random.randint(1, len(parent1) - 1)
                                                            child1
= parent1[:crossover point] + parent2[crossover point:]
child2 = parent2[:crossover point] + parent1[crossover point:]
return child1, child2
# Mutate a solution def mutate(solution,
mutation rate):
                  mutated solution = []
for bit in solution:
random.random() < mutation rate:
mutated solution.append(1 - bit) # Flip
the bit with a probability of mutation rate
else:
       mutated solution.append(bit)
return mutated solution
# Main genetic algorithm loop population =
initialize population(population size, len(items)) for generation in
                      population = sorted(population, key=lambda x:
range(generations):
```

```
fitness(x), reverse=True) new population = population[:population size
// 2]
  for in range(population size // 2):
parent2 = random.choices(population, k=2)
                                                child1,
child2 = crossover(parent1, parent2)
                                         child1 =
mutate(child1, mutation rate)
                                   child2 =
mutate(child2, mutation rate)
    new population.extend([child1, child2])
  population = new population
best solution = max(population, key=fitness) best value = sum(item['value']
for item, bit in zip(items, best solution) if bit) best weight =
sum(item['weight'] for item, bit in zip(items, best solution) if bit)
print("Best solution:", best solution) print("Total
value:", best value)
print("Total weight:", best weight)
```

Output -

Best solution: [0, 1, 1, 0, 0]

Total value: 220 Total weight: 50

Program - 6

Demonstrate Q learning algorithm with suitable assumption for a problem statement.

```
import numpy as np

# Estado terminal
terminal = 5

# Possiveis acoes
actions = ['UP','DW','LF','RG']

# Recompensas rws =
np.array([-1]*6)
rws[5] = 10
```

```
# Duas trajetorias
paths = [(0, ['UP', 'UP', 'RG']), (4, ['RG', 'RG', 'LF', 'UP'])]
# Constantes alpha
= 0.5 \text{ gamma} = 0.8
def print value(value):
  print('[' + str(value[2]) + ' ' + str(value[5]))
print(str(value[1]) + ' ' + str(value[4])) print(str(value[0])
+ ' ' + str(value[3]) + ']\n')
def update value(value, state, action):
  index = actions.index(action)
next state = state rw = 0
  if action == 'UP':
state == 2 or state == 5:
rw = -10
              else:
       next state = state + 1
  elif action == 'DW':
     if state == 0 or state == 3:
       rw = -10
else:
       next state = state - 1
  elif action == 'LF':
                           if state == 0 or
state == 1 or state == 2:
       rw = -10
else:
       next state = state - 3
  elif action == 'RG': if state == 3 or
state == 4 or state == 5:
                          rw = -10
else:
       next state = state + 3
  if rw == 0:
                   rw =
rws[next state]
  value[index][state] = value[index][state] + alpha * (rw + gamma *
max(value[i][next state] for i in range(4)) - value[index][state])
  return value, next state
```

```
def return policy(value):
policy = np.array([' ']*6)
policy[5] = '+10'
  for
       state in range(5):
                                                     policy[state] =
actions[np.argmax([value[action][state] for action in range(4)])]
  print(policy[2] + ' ' + policy[5])
print(policy[1] + ' ' + policy[4])
  print(policy[0] + ' ' + policy[3]+ '\n')
def main():
  # Inicializar matriz Q com valores 0, considerando as quatro acoes
value = [np.zeros(6),np.zeros(6),np.zeros(6)]
  for i in range(len(paths)):
state = paths[i][0]
    actions = paths[i][1]
    for action in actions:
                          value, state =
update value(value, state, action)
       if state == terminal:
         break
    # Acao UP
    print value(value[0])
    # Acao DW
                       # Acao LF
print value(value[1])
print value(value[2])
    # Acao RG
print value(value[3])
    # Politica
return policy(value)
if name ==
' main ':
                 main()
```

Output-

[-5.0 0.0

-0.5 0.0

-0.5 0.0]

 $[0.0\ 0.0]$

 $0.0 \ 0.0$

 $[0.0\ 0.0]$

 $[0.0\ 0.0]$

 $0.0 \ 0.0$

 $0.0 \ 0.0$

[5.0 0.0

 $0.0 \ 0.0$

0.0 0.0]

RG +10 DW

UP

DW UP

[-5.0 0.0

1.25 0.0

-0.5 0.0]

 $[0.0\ 0.0]$

 $0.0 \ 0.0$

 $0.0 \ 0.0$

 $[0.0\ 0.0]$

0.0 -0.5

 $[0.0\ 0.0]$

[5.0 0.0

0.0 -7.5

 $[0.0\ 0.0]$

RG +10

UP UP

DW UP