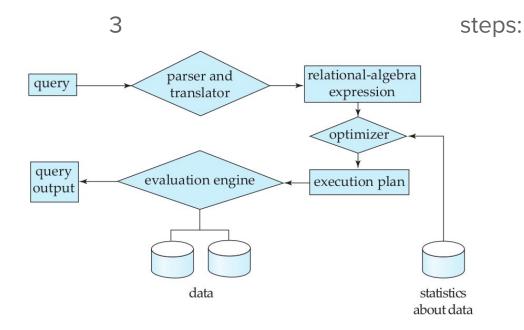
Databases and Information Systems CS303

Query Processing 20-10-2023

Query Processing

- Mainly
 - Parsing
 - Optimization
 - Evaluation



Parser

• Similar to Parser of a Compiler

Constructs a parse-tree representation of the query,

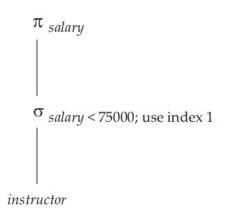
 \circ It then translates into a relational-algebra expression

- Verifies Syntax of the query
 - Does the relation names appearing in the query are names of the relations in the database
 - Does the attributes of Select and Where appear in the relations mentioned in the query

We will not discuss the parsing phase in detail

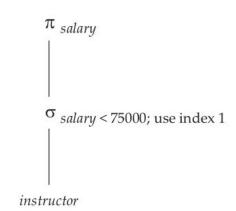
- Same query can have multiple relational algebraic representations
 - SELECT salary FROM instructor WHERE salary < 75000

- σ_{salary} < τ_{salary} (instructor)
- π_{salary} ($\sigma_{\text{salary}} < 75000$ (instructor)
- Even with same relational algebra expression we can use different evaluation schemes
 - Search every tuple in instructor with salary < 75000
 - If B⁺ tree is available on salary as search key, we can use index search to locate the tuples



- A relational algebra operation annotated with instructions on how to evaluate it is called an evaluation

 primitive.
- A sequence of primitive operations that can be used to evaluate a query is a query-execution plan or query-evaluation plan
- Query-execution engine takes a query-evaluation plan, executes that plan, and returns the answers to the query.



- Different evaluation plans have different cost
- Users would not worry about this when writing the query
- System should construct a query-evaluation plan that minimizes the cost of query evaluation
 - This task is called query optimization
- Instead of using the relational-algebra representation:
 - several databases use an annotated parse-tree representation based on the structure of the given SQL query.

- In order to optimize a query, a query optimizer must know the cost of each operation.
 - Although the exact cost is hard to compute, since it depends on many parameters
 - Possible to get a rough estimate of execution cost for each operation

How is the cost estimated for a given execution plan?

- Estimate cost of individual operation and combine them to get the cost of the query
- Cost is measured in terms of:
 - Disk accesses
 - CPU time to execute a query
 - o In a distributed or parallel database system, the cost of communication
- In large databases, cost to access data from disk is the most important cost
- Let us ignore CPU time cost and only study disk access cost
 - Actual implementations consider both

- Use the number of block transfers from disk and the time to access the block to estimate the cost of a query-evaluation plan
- If it takes an average of t_T seconds to transfer a block of data, and has an average block-access time (disk seek time plus rotational latency) of t_S seconds
 - \circ Transferring b blocks and performs S seeks would take $b * t_T + S * t_S$ seconds
 - Typically $t_{\tau} = 0.1$ milliseconds and $t_{s} = 4$ milliseconds
 - With 4KB block size, this gives transfer rate of 40MB per second
- Some database systems perform test seeks and block transfers to estimate average seek and block transfer costs, as part of the software installation process
- These costs do not include writing the output to the disk
 - Taken into account if required

- The costs of the algorithm depends on the size of the buffer in main memory.
 - In the best case, all data can be read into the buffers, and the disk does not need to be accessed again.
 - o In the worst case, the buffer can hold only a few blocks of data
 - Assume one block per relation
- When presenting cost estimates, we assume the worst case
- We assume that data must be read from disk initially
 - It is possible that a block that is accessed is already present in the in-memory buffer.
 - For simplicity, we ignore this effect
 - The actual disk-access cost during the execution of a plan may be less than the estimated cost.

- Response time of a plan is very hard to estimate without actually executing the plan, for the following reasons:
 - Depends on the contents of the buffer when the query begins execution
 - In a system with multiple disks, the response time depends on how accesses are distributed among disks
 - Needs detailed knowledge of data layout on disk.
- A plan may get a better response time at the cost of extra resource consumption.
 - If a system has multiple disks, a plan A that requires extra disk reads, but performs the reads in parallel across multiple disks may finish faster than another plan B that has fewer disk reads, but from only one disk
 - But if many instances of a query using plan A run concurrently, the overall response time may be more than if the same instances are executed using plan B
 - since plan A generates more load on the disks
- Instead of trying to minimize the response time, optimizers generally try to minimize the total resource consumption of a query plan

- File-scan is the lowest level operator to access data
 - Search algorithms that locate and retrieve records that fulfill a selection condition
 - File-scan allows an entire relation to be read in cases where the relation is stored in a single, dedicated file.
 - Assume that a records of a relation is stored in continuous blocks

- Linear Scan : Scan each file block and test all records to see whether they satisfy the selection condition.
 - An initial seek is required to access the first block of the file
 - Can be applied to any file, regardless of the ordering of the file, or the availability of indices, or the nature of the selection operation.
 - $\circ \quad \mathsf{Cost} : \mathsf{t}_{\mathsf{S}} + \mathsf{b}_{\mathsf{r}}^* \, \mathsf{t}_{\mathsf{T}}$
 - Where b_r is the number of blocks used by the file
- Scan based on index structures (Index Scan):
 - A primary index (clustering index) is an index that allows the records of a file to be read in an order that corresponds to the physical order in the file (usually primary key)
 - An index that is not a primary index is called a secondary index

- Various possibilities on search:
 - Primary index is a key (unique) and test condition is for equality of search-key: retrieve the single record that satisfies the equality
 - Primary index is a non-key and test condition is for equality of search-key: retrieve multiple records that satisfy non-key equality
 - Secondary index, test for equality of search-key: One or multiple records depending on search index is key or not
 - Primary index, test for Comparison :
 - For A > v or A >= v; find the first record with value equal A equal to v; Output everything after that
 - For A <= v or A < v; index lookup is not required. Start from the beginning of the file, continue upto the value v
 - Secondary index, test for Comparison :
 - Use the index structure to get pointers to location of the records

	Algorithm	Cost	Reason
A1	Linear Search	$t_S + b_r * t_T$	One initial seek plus b_r block transfers, where b_r denotes the number of blocks in the file.
A1	Linear Search, Equality on Key	Average case $t_S + (b_r/2) * t_T$	Since at most one record satisfies condition, scan can be terminated as soon as the required record is found. In the worst case, b_r blocks transfers are still required.
A2	Primary B+-tree Index, Equality on Key	$(h_i + 1) * (t_T + t_S)$	(Where h_i denotes the height of the index.) Index lookup traverses the height of the tree plus one I/O to fetch the record; each of these I/O operations requires a seek and a block transfer.
A3	Primary B ⁺ -tree Index, Equality on Nonkey	$h_i * (t_T + t_S) + b * t_T$	One seek for each level of the tree, one seek for the first block. Here <i>b</i> is the number of blocks containing records with the specified search key, all of which are read. These blocks are leaf blocks assumed to be stored sequentially (since it is a primary index) and don't require additional seeks.
A4	Secondary B+-tree Index, Equality on Key	$(h_i + 1) * (t_T + t_S)$	This case is similar to primary index.
A4	Secondary B+-tree Index, Equality on Nonkey	$(h_i + n) * (t_T + t_S)$	(Where <i>n</i> is the number of records fetched.) Here, cost of index traversal is the same as for A3, but each record may be on a different block, requiring a seek per record. Cost is potentially very high if <i>n</i> is large.
A5	Primary B ⁺ -tree Index, Comparison	$h_i * (t_T + t_S) + b * t_T$	Identical to the case of A3, equality on nonkey.
A6	Secondary B+-tree Index, Comparison	$(h_i + n) * (t_T + t_S)$	Identical to the case of A4, equality on nonkey.

Complex comparison conditions:

- Conjunctive selection : $\sigma_{\theta 1 \wedge \theta 2 \wedge ... \wedge \theta n}(r)$
 - Conjunctive selection using one index
 - If any θ_i is a simple condition on some search-index, retrieve all records that satisfy θ_i (using one of the previous algorithms) and check which of these records satisfy all other conditions.
 - \circ $\sigma_{\Theta i}$ (r)
 - To reduce the cost, choose one of the previous search algorithm that gives best result for the chosen θ_i
 - Cost is same as the cost of the chosen algorithm

- Complex comparison conditions:
 - Conjunctive selection : $\sigma_{\theta 1 \wedge \theta 2 \wedge ... \wedge \theta n}(r)$
 - Conjunctive selection by intersection of identifiers:
 - Compute the pointers to records satisfying each θ_i (where index-search is available)
 - Take the intersection of all the resulting pointers
 - Retrieve the records and check for conditions for which index-search is not available
 - Cost is sum of the cost of each individual index-scans
 - Can be improved by sorting the pointers and retrieving records in other
 - Every block is retrieved at most once