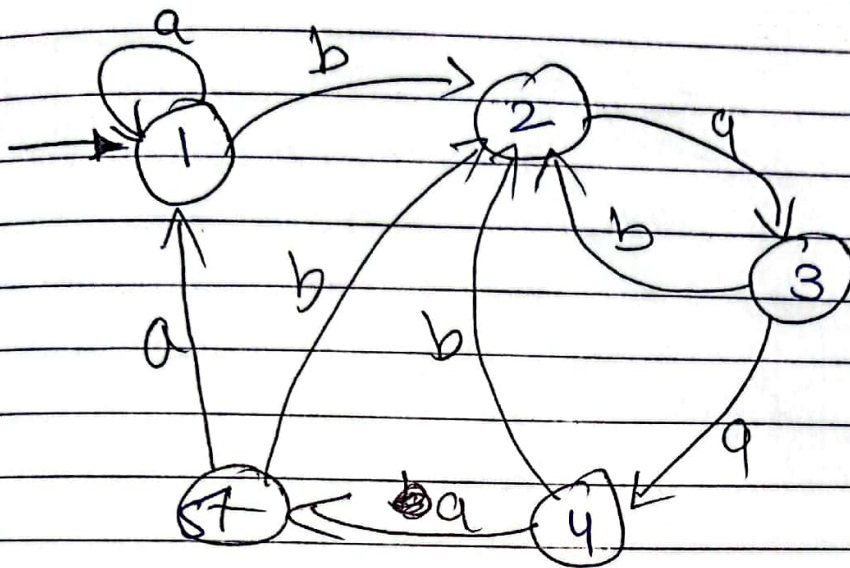
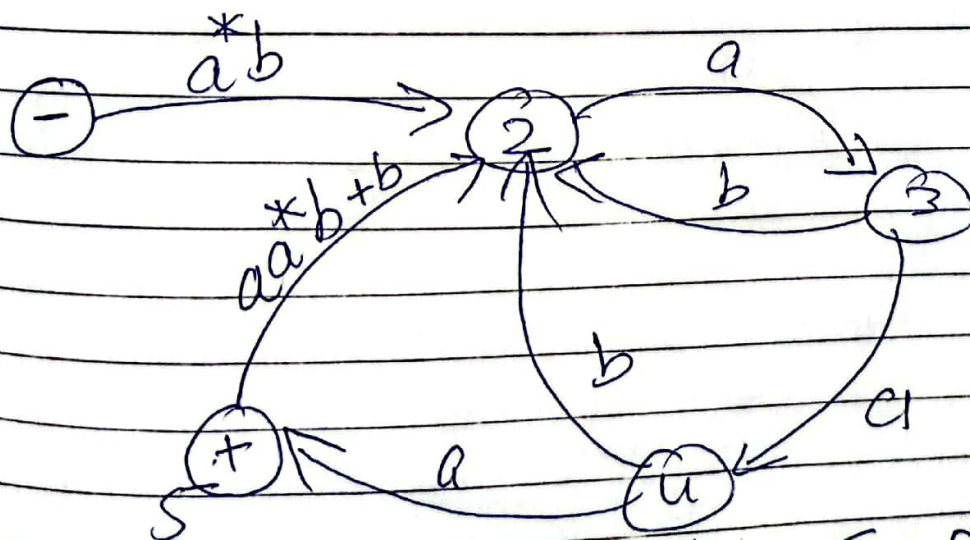


Q. find regular expressions corresponding to following FA.



Solution :-

Step - 1 : Eliminate State - 1 (Introduce λ -transition)



→ There were 2-ways from $5 \rightarrow 2$ ① by 'b' other through ① by $a a^* b$

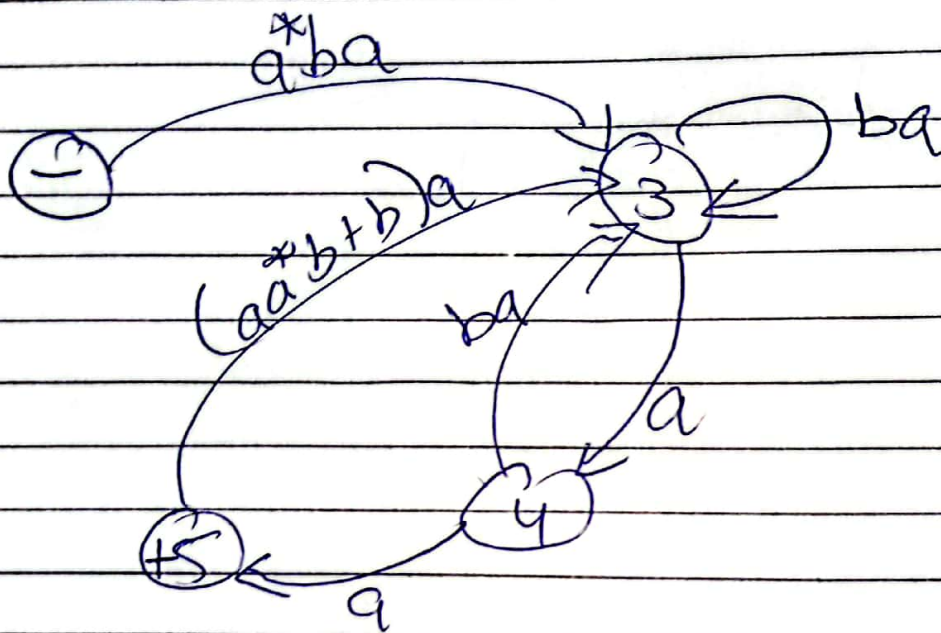
→ λ transition before removal $\Rightarrow (-) \xrightarrow{\lambda} (1) \xrightarrow{a} (2) \xrightarrow{b}$

So, $(-) \rightarrow 2$ will be $\lambda a^* b = a^* b$

Step-2 :- Eliminate State-2

ways

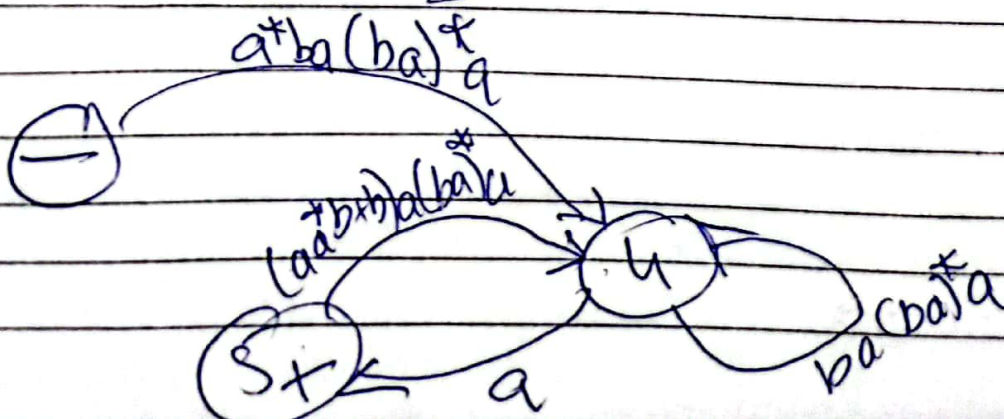
①	→	<u>2</u>	→	3	$\Rightarrow a^*ba$
5	→	<u>2</u>	→	3	$\Rightarrow (aa^*b+ba)a$
4	→	<u>2</u>	→	3	$\Rightarrow ba$
3	→	<u>2</u>	→	3	$\Rightarrow ba$



Step-3 :- Eliminate State-3

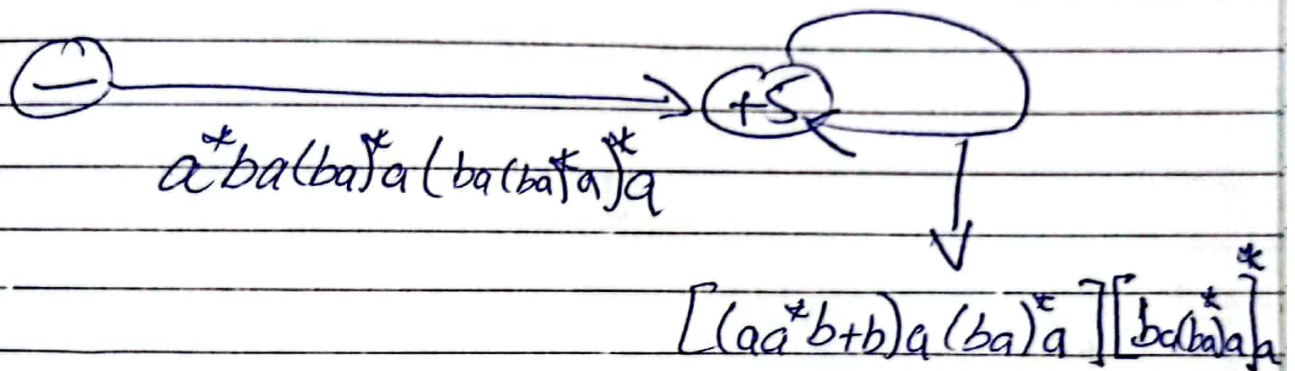
ways

①	→	<u>3</u>	→	4	$a^*ba(ba)^*a$
5	→	<u>3</u>	→	4	$(aa^*b+ba)a(ba)^*a$
4	→	<u>3</u>	→	4	$ba(ba)^*a$

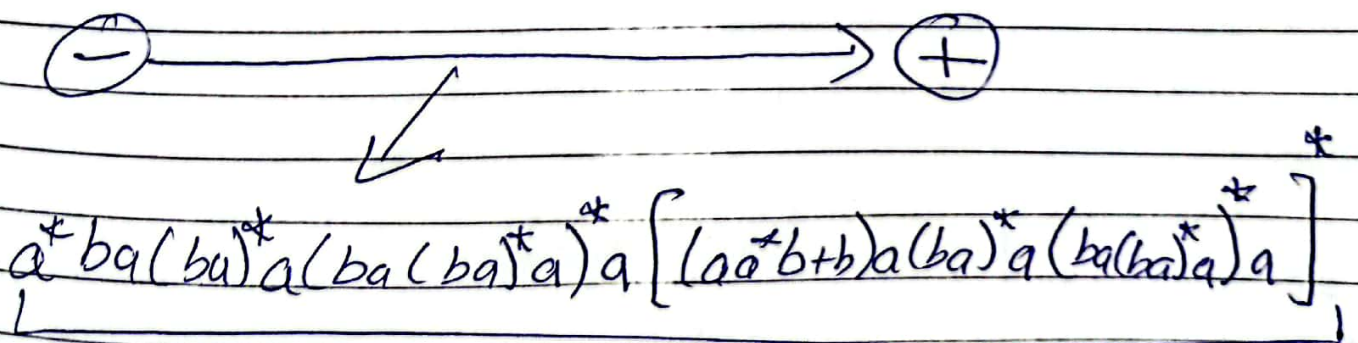


Step-4 :- Eliminate State-4

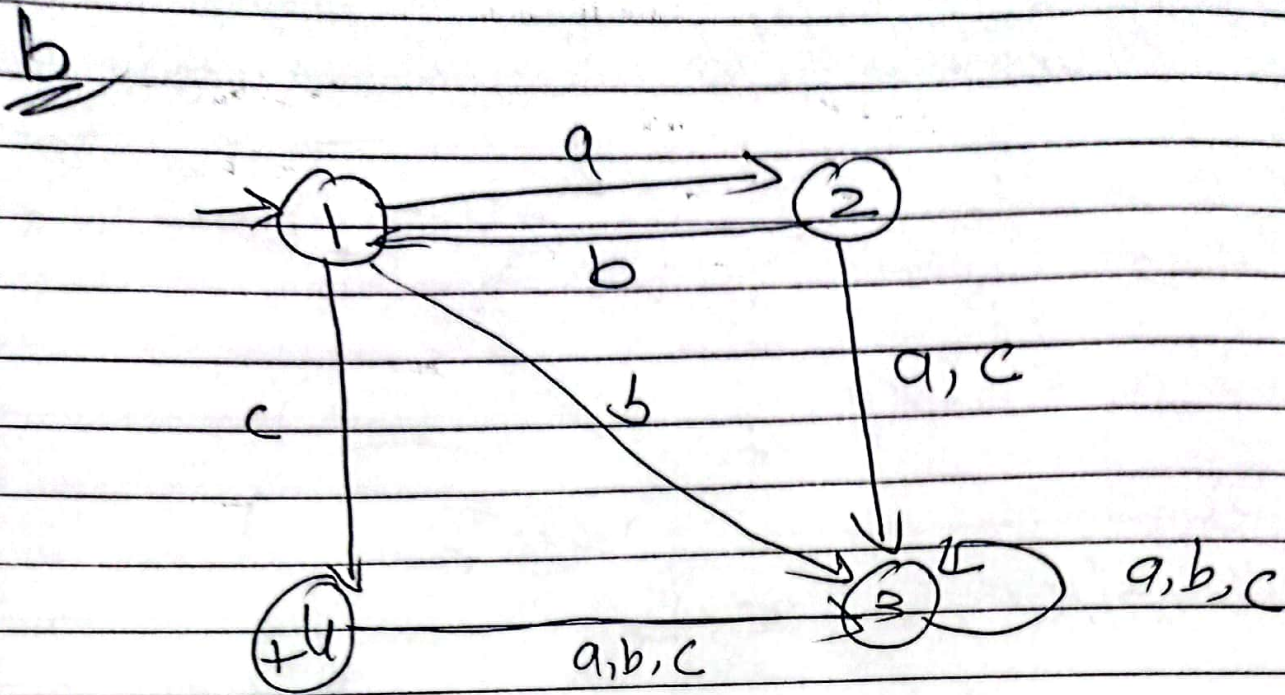
ways : $\ominus \rightarrow \underline{4} \rightarrow \bar{5} \rightarrow a^*ba(ba)^*a$
 $\bar{5} \rightarrow 4 \rightarrow \bar{5}$



Step-5 :- Eliminate State-5



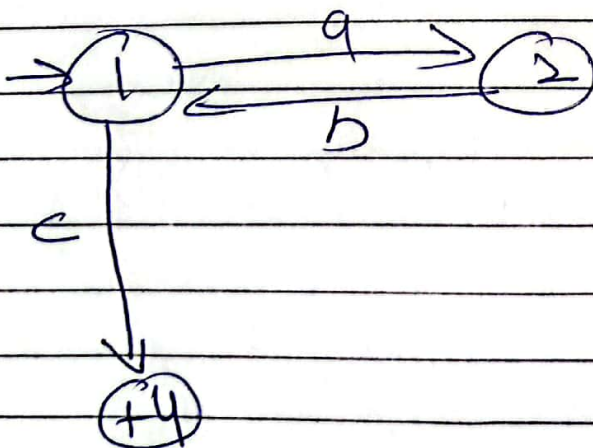
final - RE



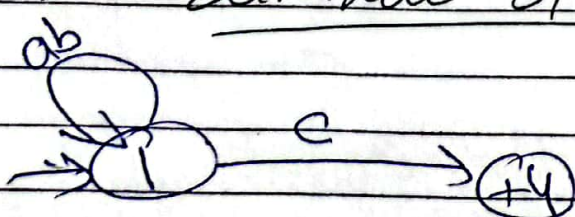
Solution:-

Step-1) - Eliminate State-3

No paths — Trap — State

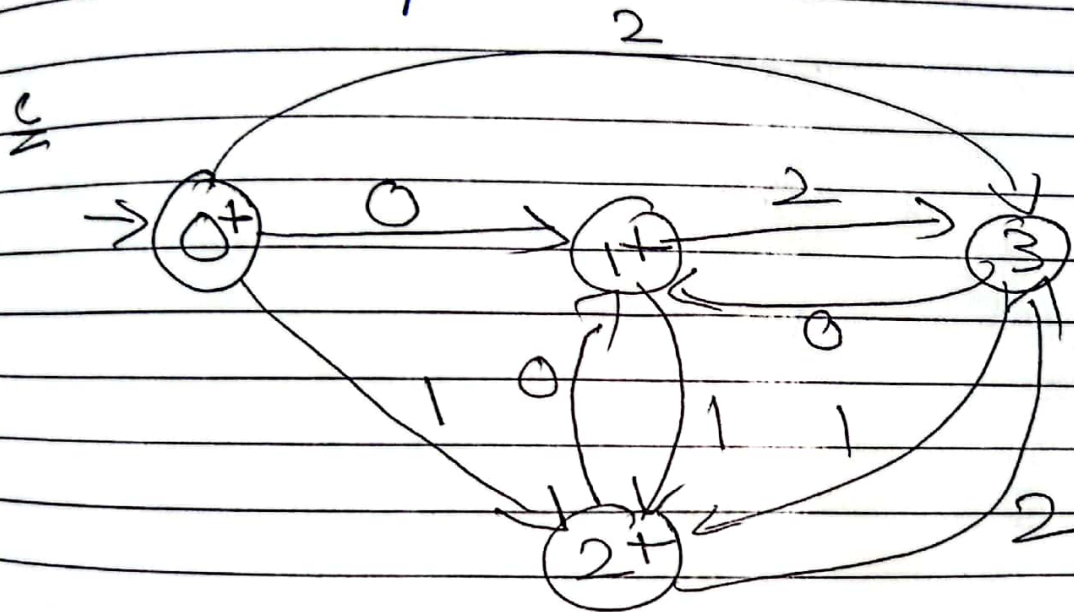
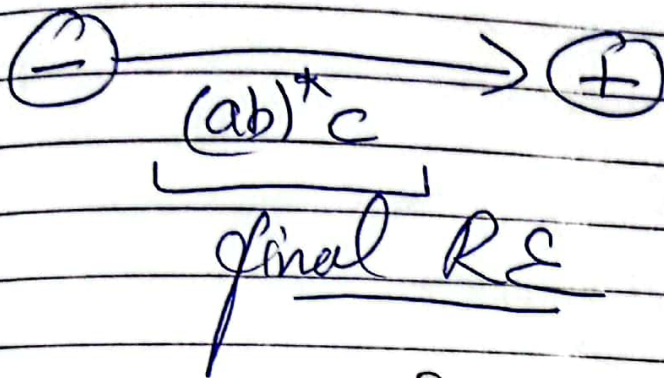


Step-2:- Eliminate State-2



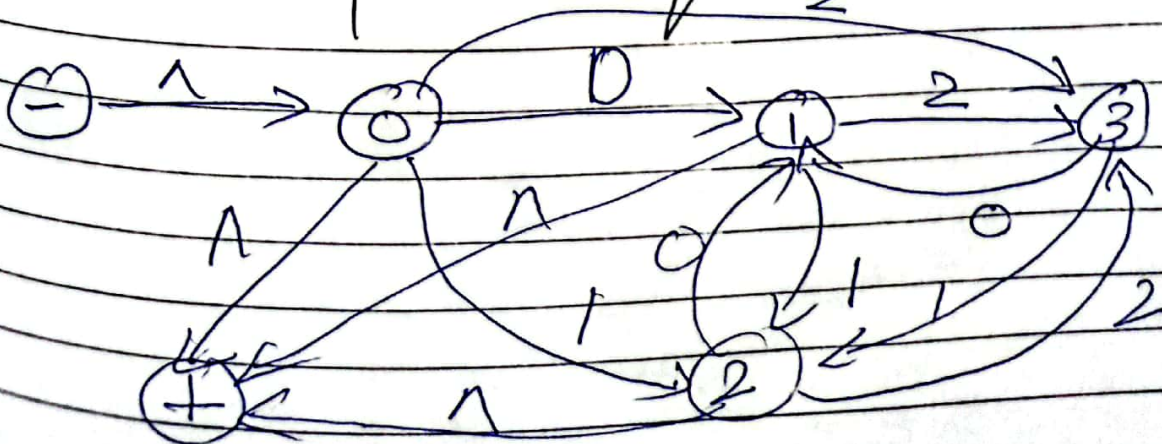
way — 1-2-1

Step-3 Include λ -transitions



Solution

Step-1 : ~~Climinate State 1~~
Make Unique Start - Stop & State



Step-2 :- Eliminate State - 0

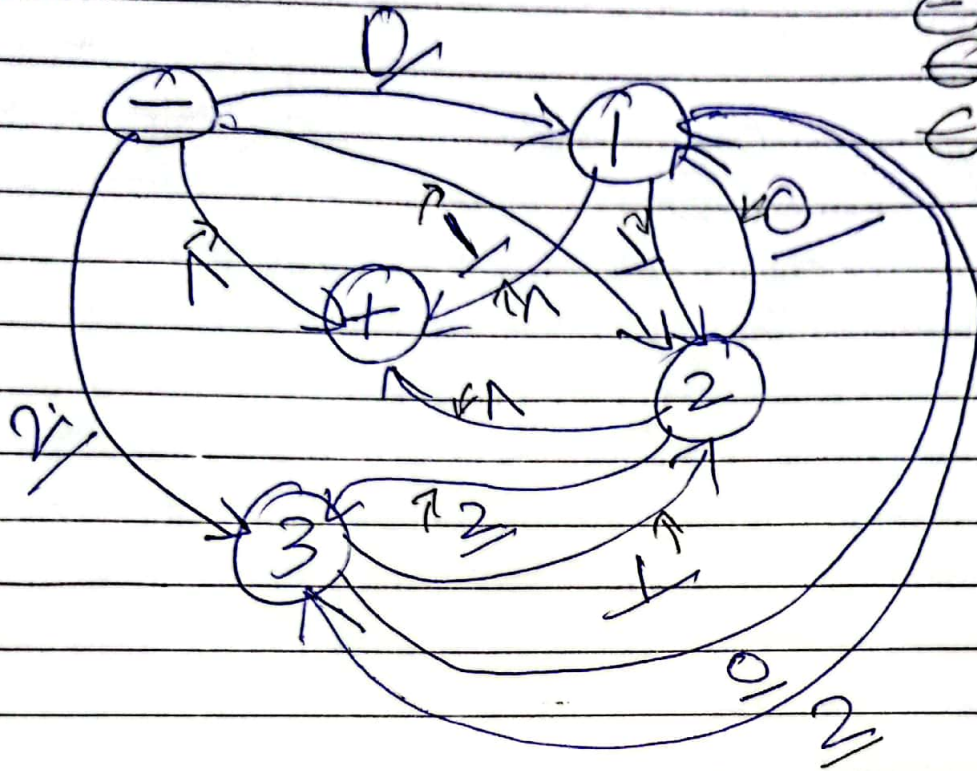
Way's

$\ominus \rightarrow 0 \rightarrow 3$

$\ominus \rightarrow 0 \rightarrow 1 \rightarrow 1$

$\ominus \rightarrow 0 \rightarrow 2$

$\ominus \rightarrow 0 \rightarrow 1 \rightarrow 1$



Step-3 Eliminate State - 1

Way's

$\ominus \rightarrow 1 \rightarrow \oplus$

$\ominus \rightarrow 1 \rightarrow \ominus$

$\ominus \rightarrow 1 \rightarrow \oplus$

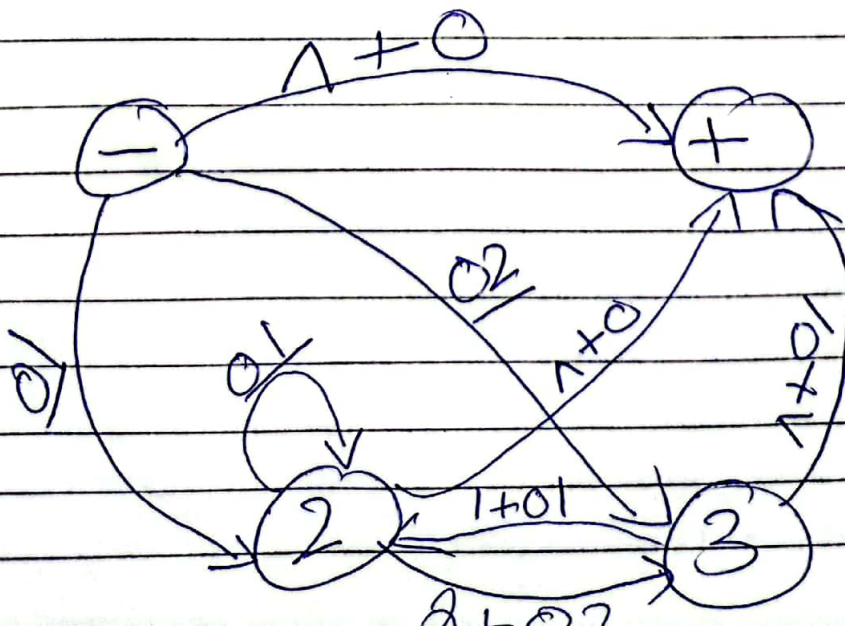
$\ominus \rightarrow 1 \rightarrow \oplus$

$\ominus \rightarrow 1 \rightarrow \oplus$

$\ominus \rightarrow 1 \rightarrow \oplus$

$\ominus \rightarrow 1 \rightarrow \oplus$

$\ominus \rightarrow 1 \rightarrow \oplus$



Step-4 :: Eliminate State 2

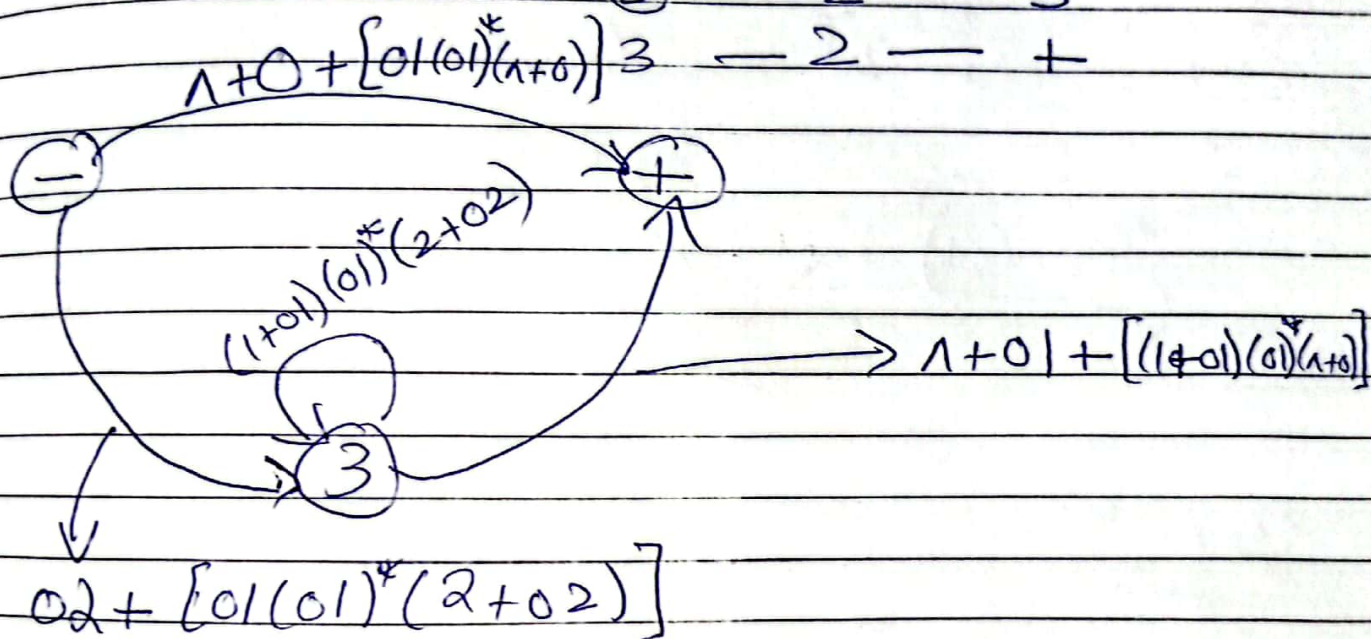
Why's

$$\ominus - 2 - + \checkmark$$

$$\ominus - 2 - 3 \checkmark$$

$$\textcircled{3} - 2 - 3$$

$$\textcircled{3} - 2 - +$$



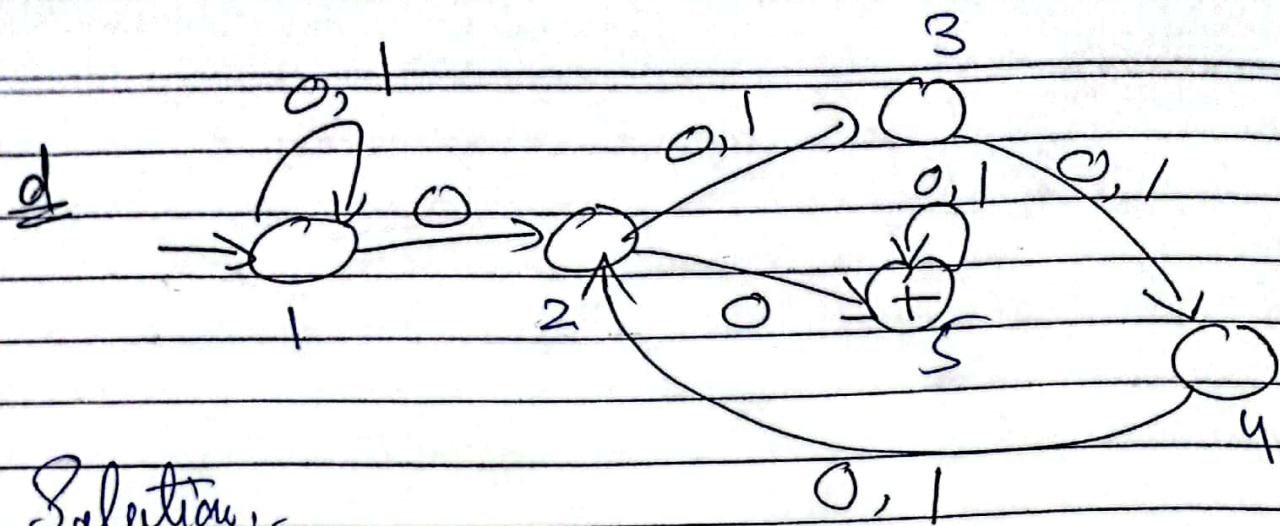
Step-5 Eliminate State-3

$$\ominus - 3 - \oplus$$

$$\ominus \longrightarrow \oplus$$

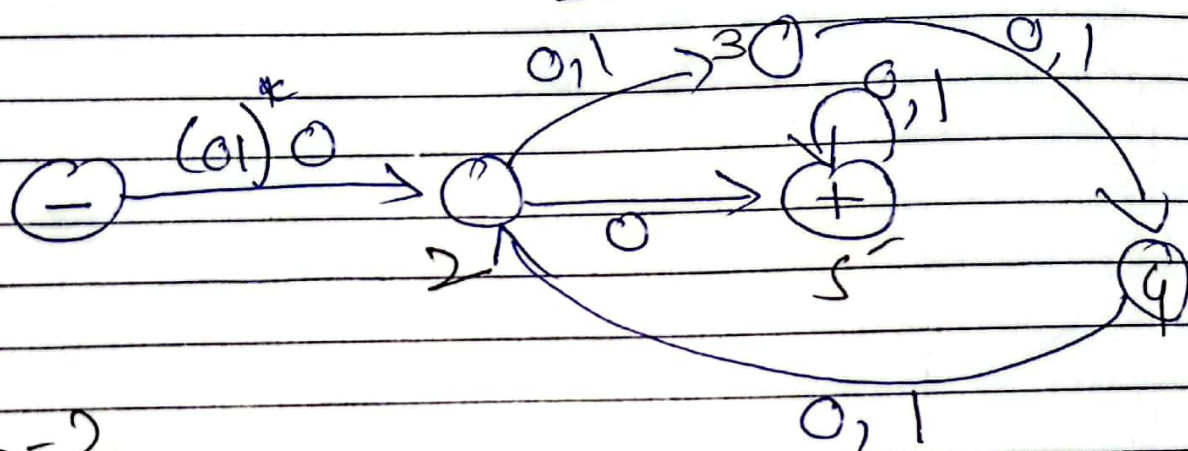
$$1+0 + (01)(01)^*(1+0) + \left[(02 + [01(01)^*(2+02)]) [1+01(01)^*(2+02)]^* \right. \\ \left. [1+01 + ((1+01)(01)^*(1+0))] \right]$$

final - RE



Solution:-

Step 1 :- Introduce λ -transition, Eliminate S-1

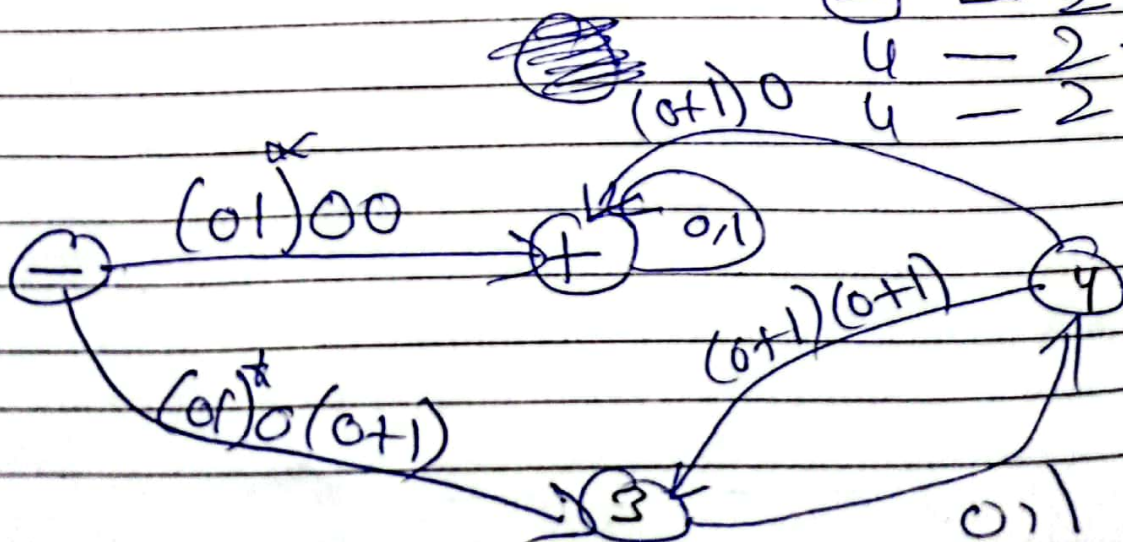


Step-2

eliminate S-2

ways

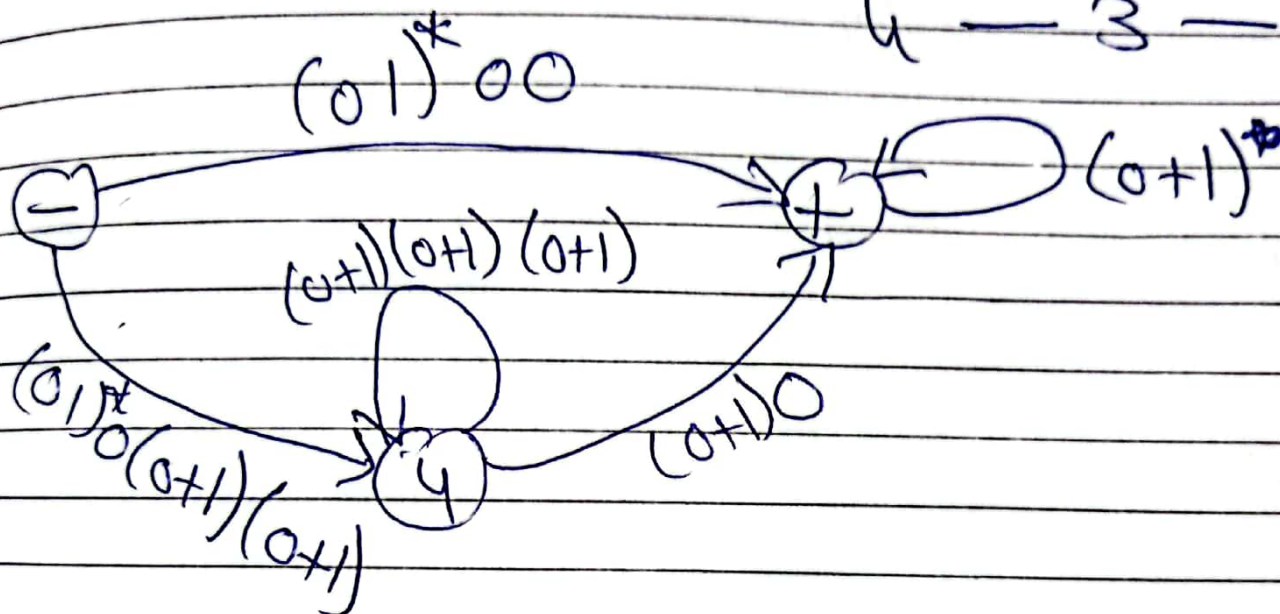
$\ominus - 2 - +$
 $\ominus - 2 - 3$
 $4 - 2 - 3$
 $4 - 2 - +$



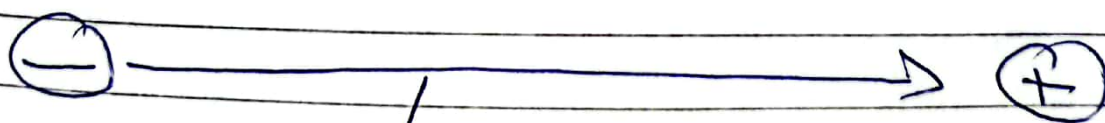
Step-3 Exercto S-3

Ways

0 — 3 — 4
4 — 3 — 4



Step-4 Exercto S-4

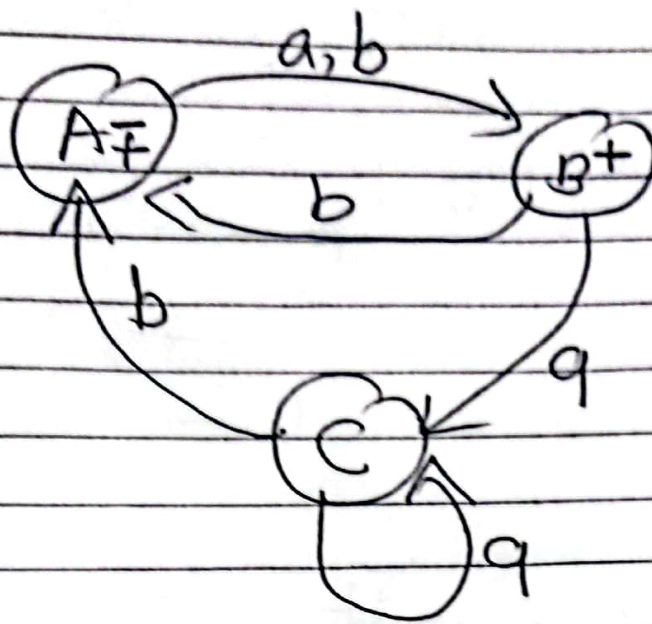


$$(01)^*00(0+1)^* + [(01)^*0(0+1)(0+1)[(0+1)^3]^*]$$

$$(01)^*00(0+1)^* + [(01)^*0(0+1)(0+1)[(0+1)^3]^*(0+1)0(0+1)^*]$$

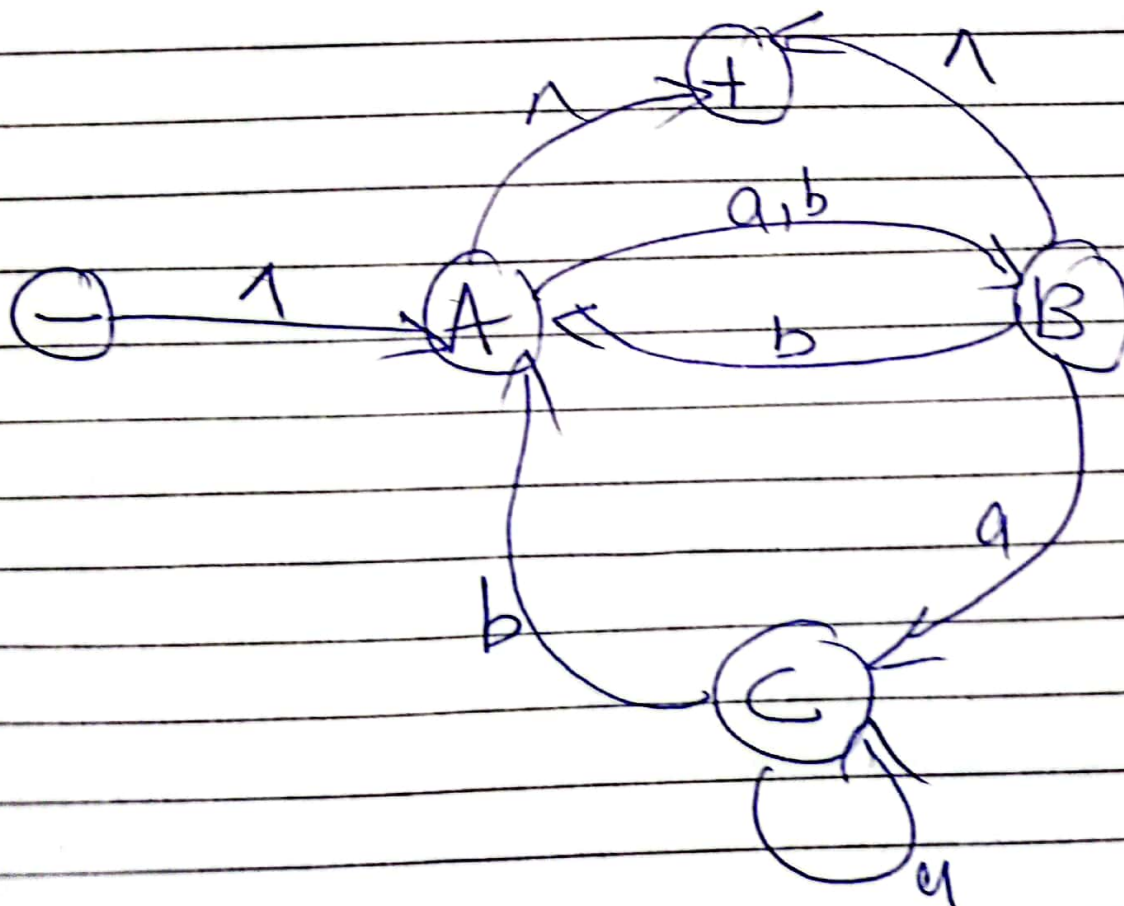
final-RE

Q Convert FA/TG \rightarrow RE



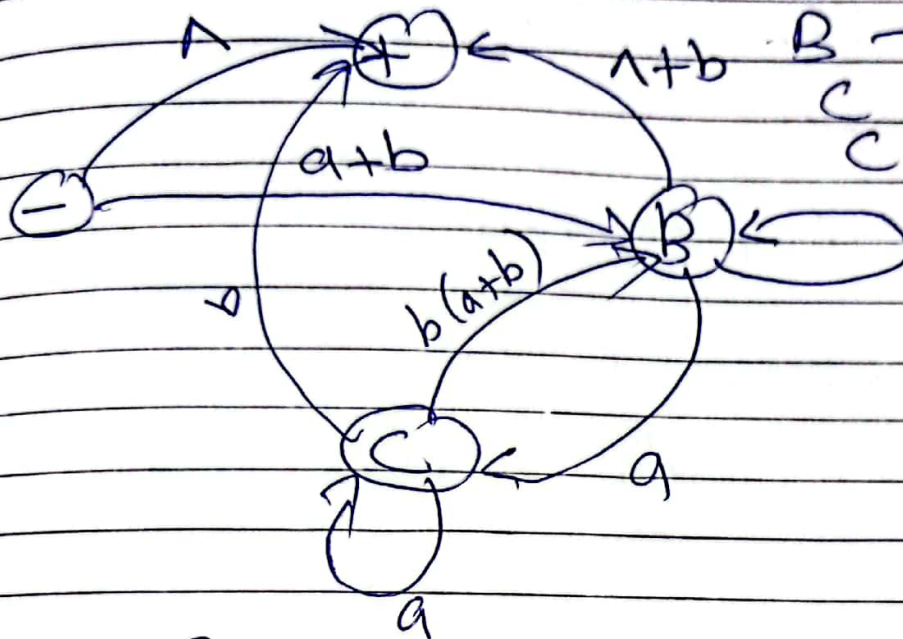
Solution :-

Step-1 Unique Start/Final State



Step-2 Eliminate — A

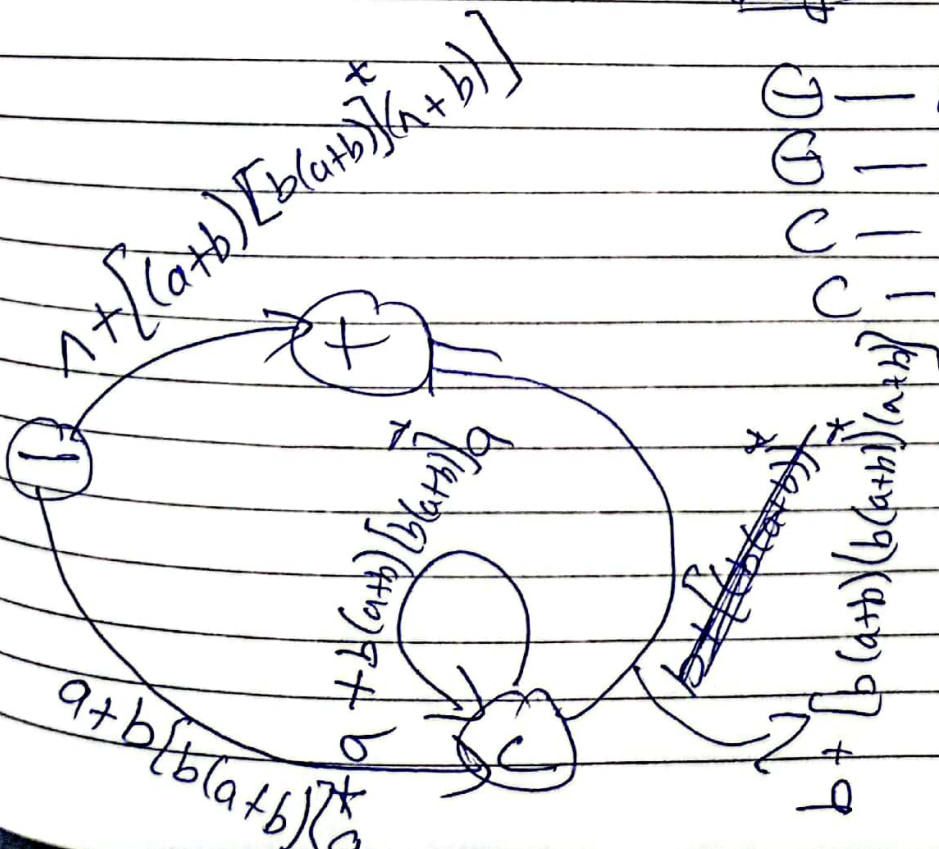
Way's $B - A - +$ ✓
 $G - A - B$
 $G - A - +$ ✓
 $B - A - B$
 $C - A - B$
 $C - A - +$
 $b(a+b)$



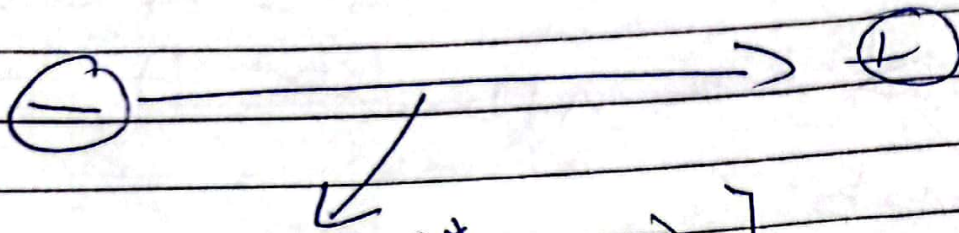
Step-3 Eliminate — B

Way's

$G - B - +$ ✓
 $G - B - C$
 $C - B - C$
 $C - B - +$



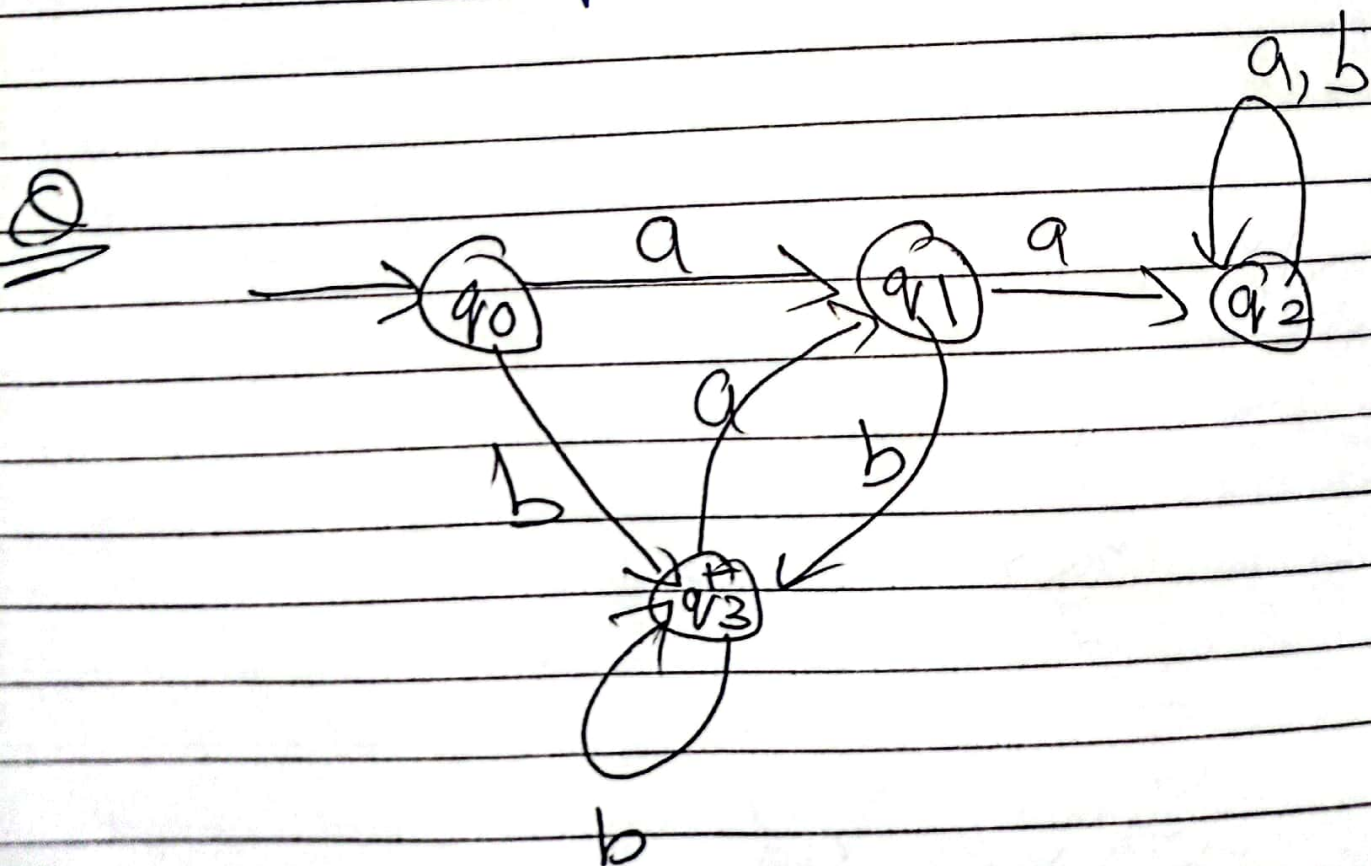
Step-6 Eliminate - C



$$[a + (a+b)(b(a+b))^*(a+b)] +$$

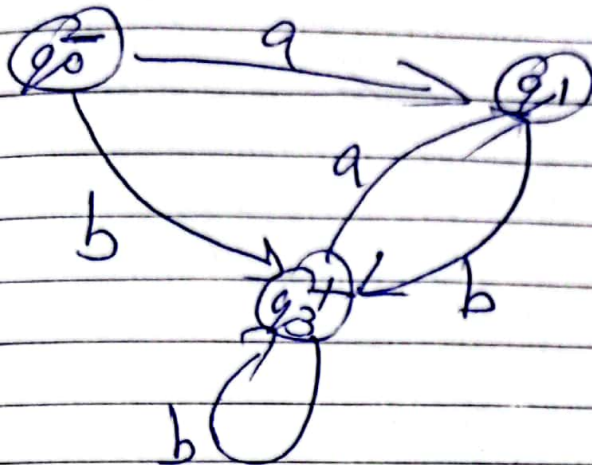
$$[(a+b)(b(a+b))^*a(a+(b(a+b)(b(a+b))^*a)^*(b+(b(a+b)(b(a+b))^*(a+b))))]$$

final - RE



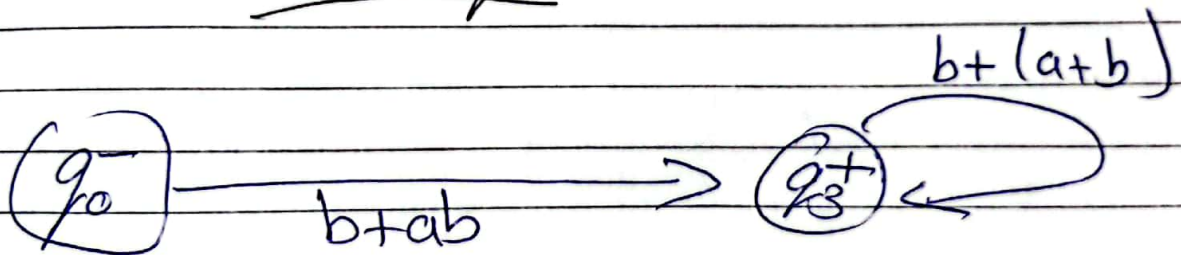
Step 1

Remove q_2 trap-State



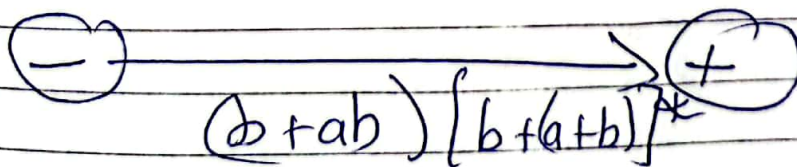
Step 2

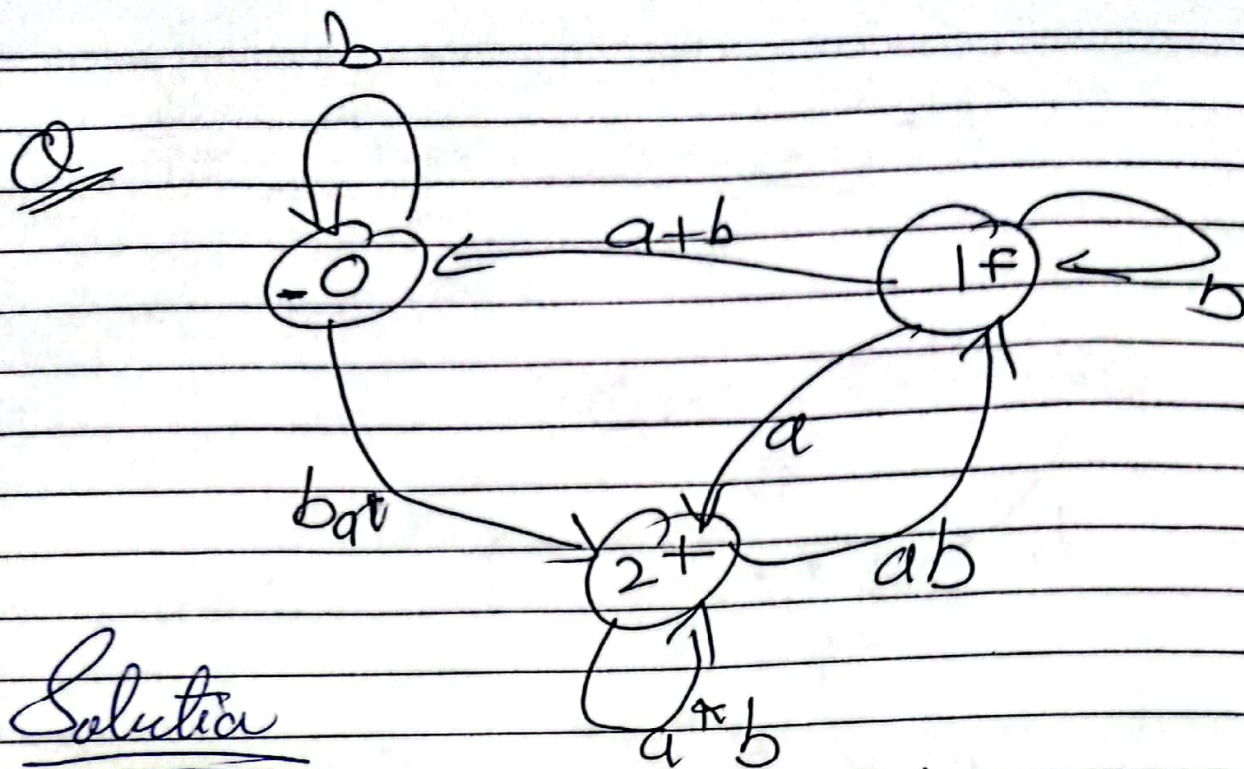
Remove q_1



Step 3

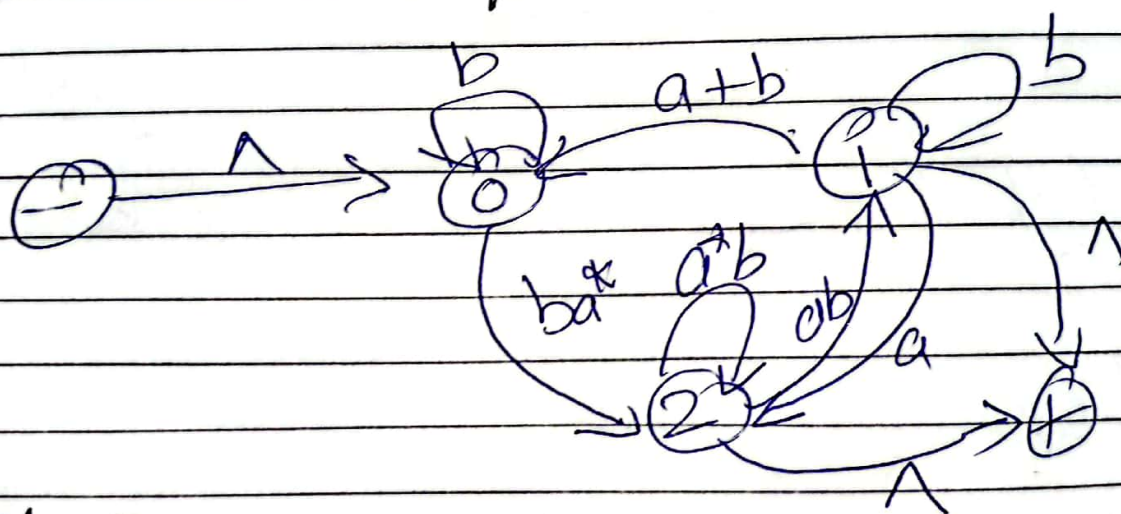
Remove q_3 & 1 transition



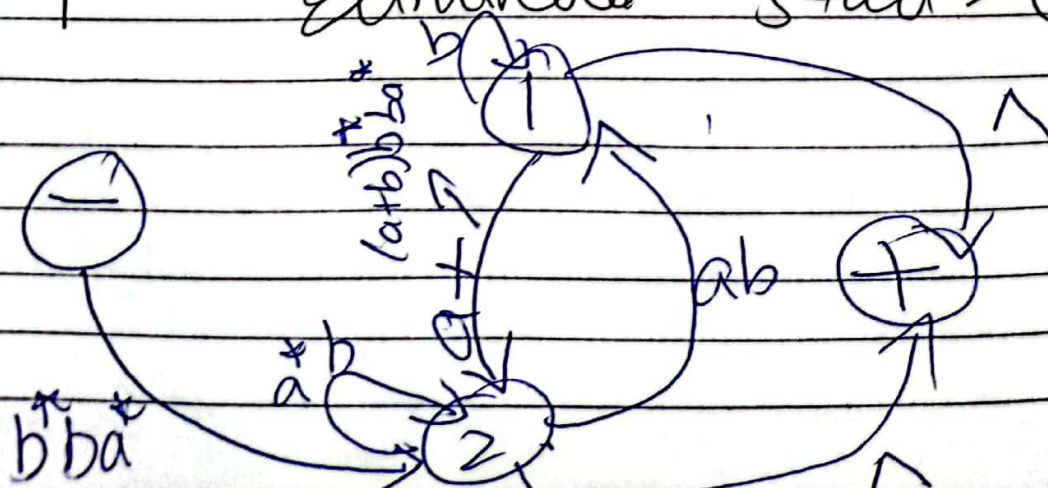


Solution

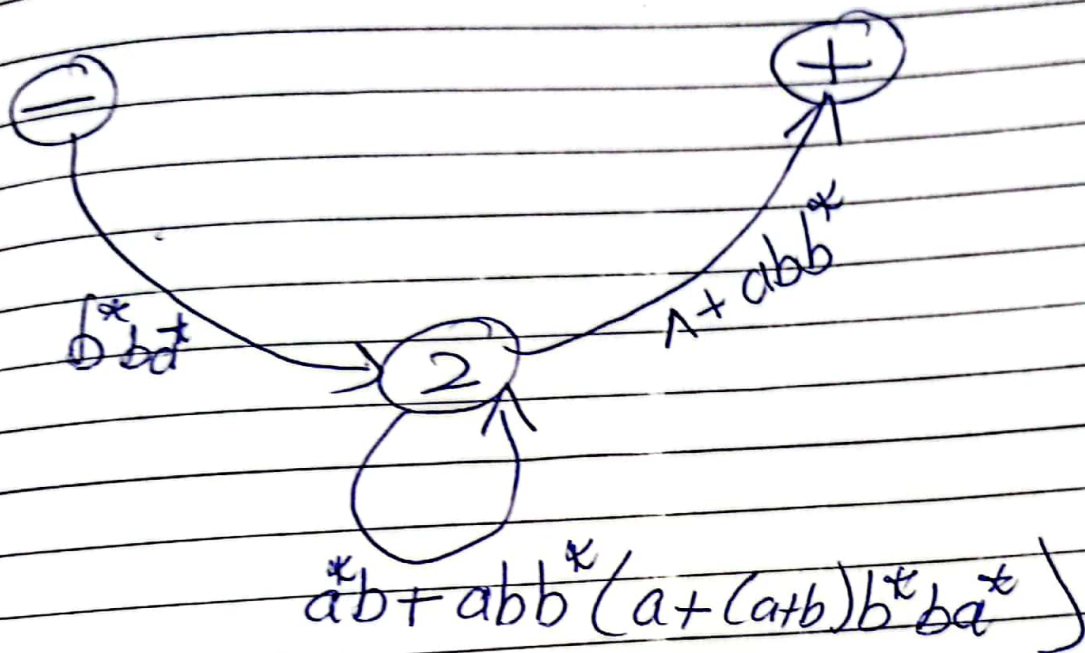
Step-1 Unique S/SF State



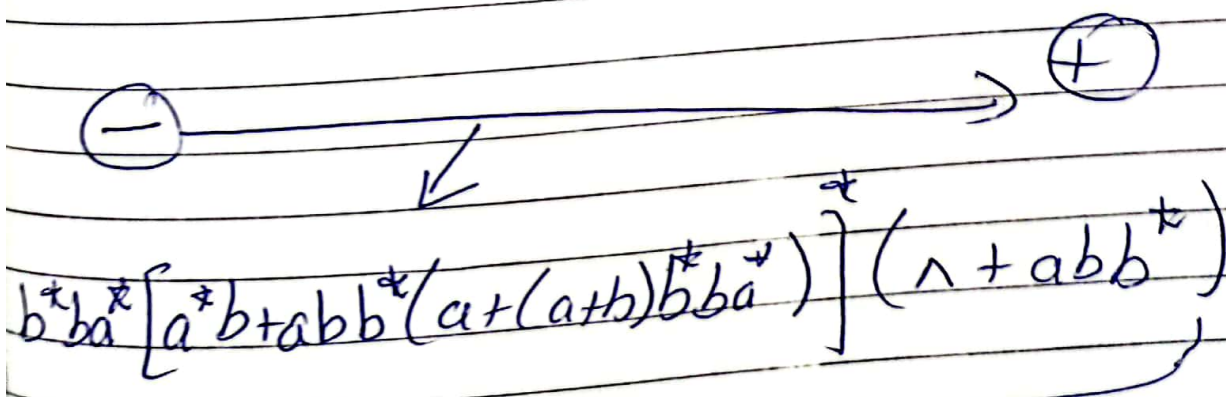
Step-2 Eliminates start - 0



Step-3 Eliminate Start-1



Step-4 Rem-2



Final-RE