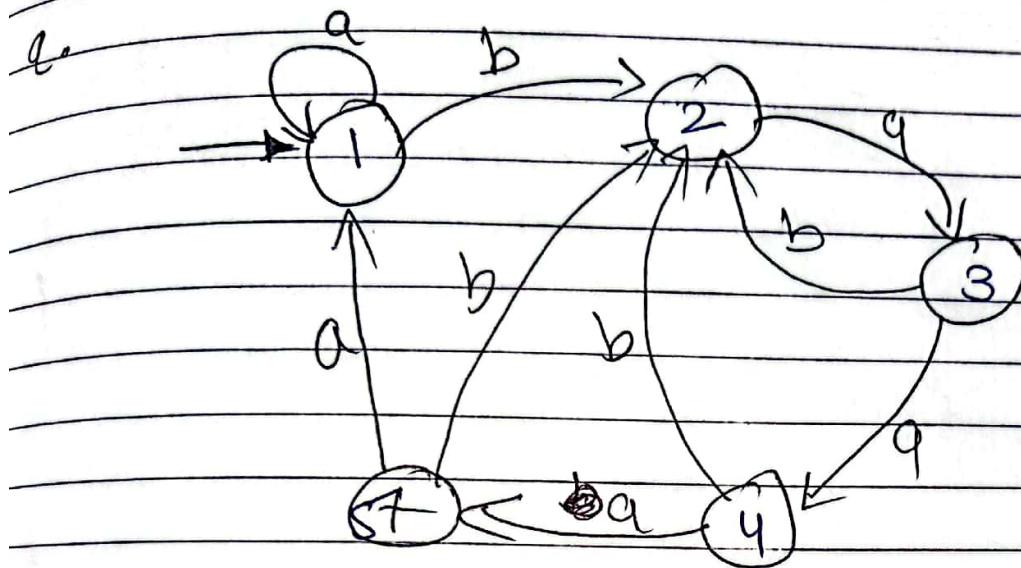
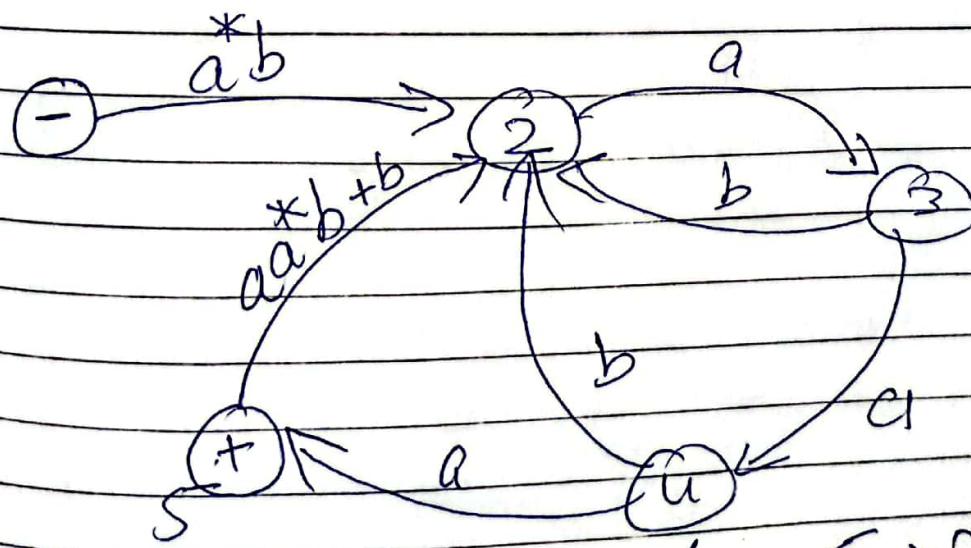


Q. find regular expression corresponding to following FA.



Solution :-

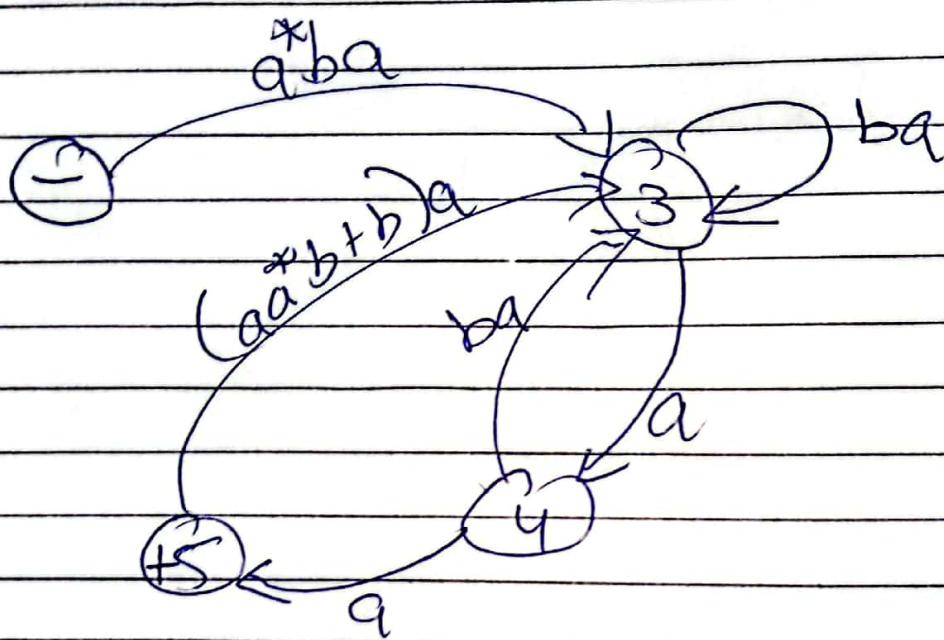
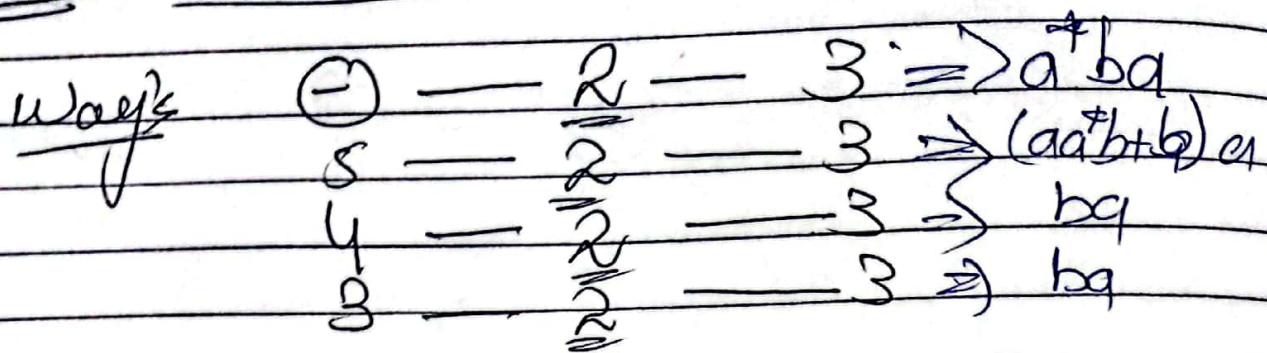
Step - 1 :- Eliminate State - 1 (Introduce λ -transition)



There were 2 ways from $0 \rightarrow 2$ (1) by 'b'
other through (2) by a^*b

$\Rightarrow \lambda$ transition before removal $\Rightarrow 0 \xrightarrow{\lambda} 1 \xrightarrow{b} 2$
So, $0 \rightarrow 2$ will be $\lambda a^*b = a^*b$

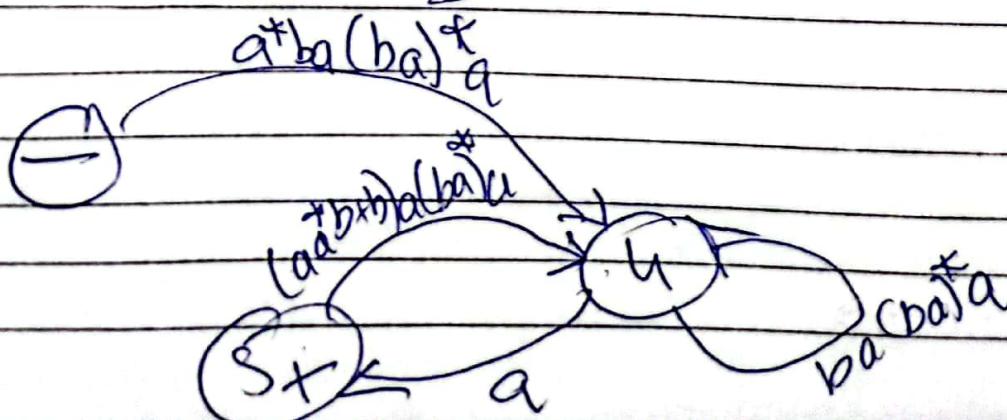
Step-2 :- Eliminate State-2



Step-3 :- Eliminate State-3

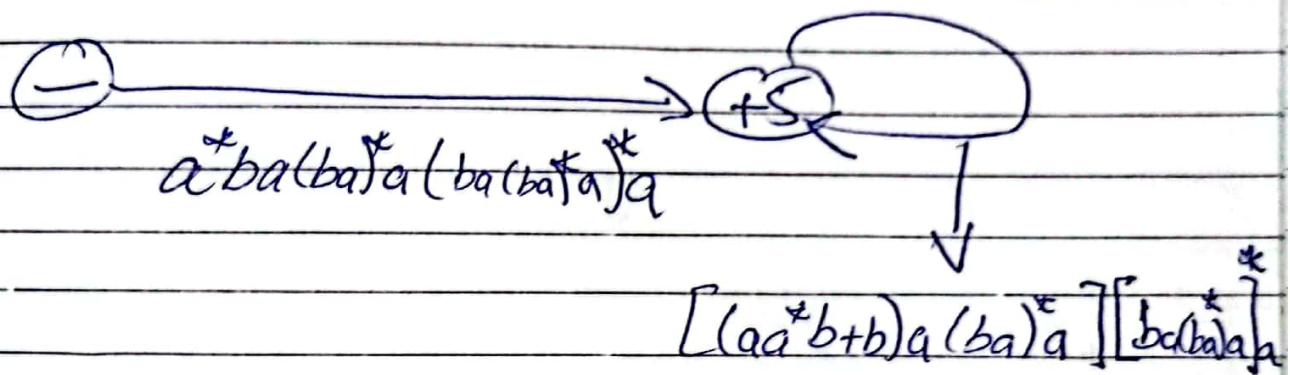
ways

$$\begin{aligned}
 1 &\rightarrow 3 \rightarrow 4 \quad a^*ba(ba)^*a \\
 5 &\rightarrow 3 \rightarrow 4 \quad (aa^*b+b)^*a(ba)^*a \\
 4 &\rightarrow 3 \rightarrow 4 \quad ba(ba)^*a
 \end{aligned}$$

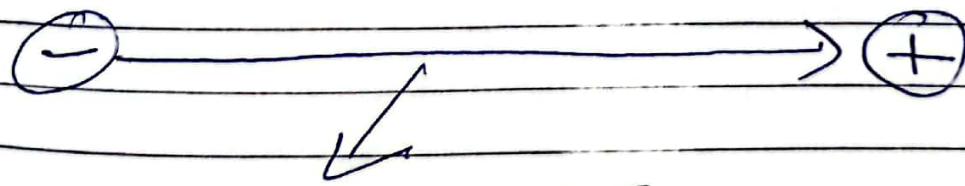


Step-4 :- Eliminate State - 4

Way's :- $\ominus \rightarrow 4 \rightarrow 5 \xrightarrow{a^*ba(ba)^*a}$
 $5 \rightarrow 4 \rightarrow 5$



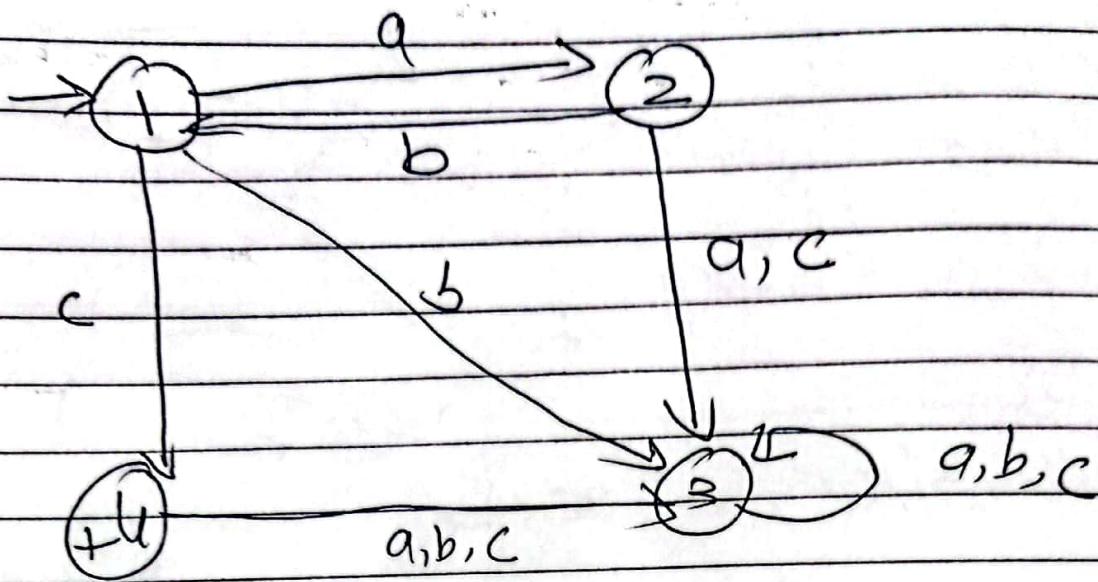
Step-5 :- Eliminate State - 5



$a^*ba(ba)^*a(ba(ba)^*a)^* \left[(aa^*b+b)a(ba)^*a(ba(ba)^*a)^* \right]^*$

final - RE

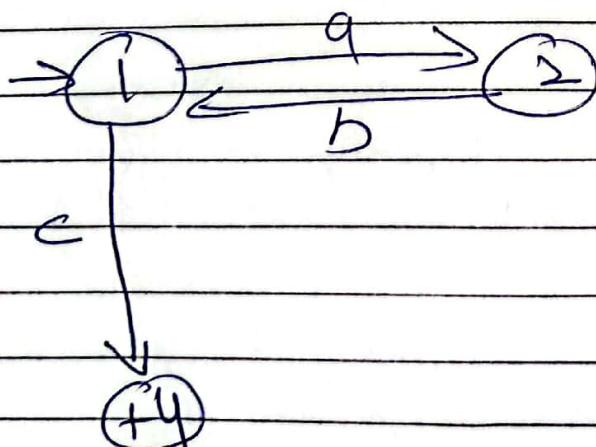
b



Solution:-

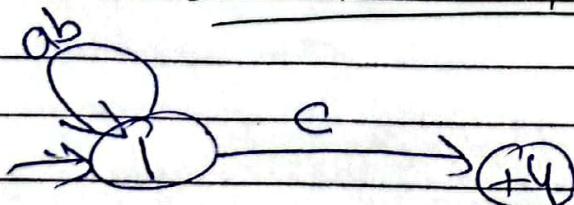
Step-1:- Eliminate State-3

No paths — Trap - State

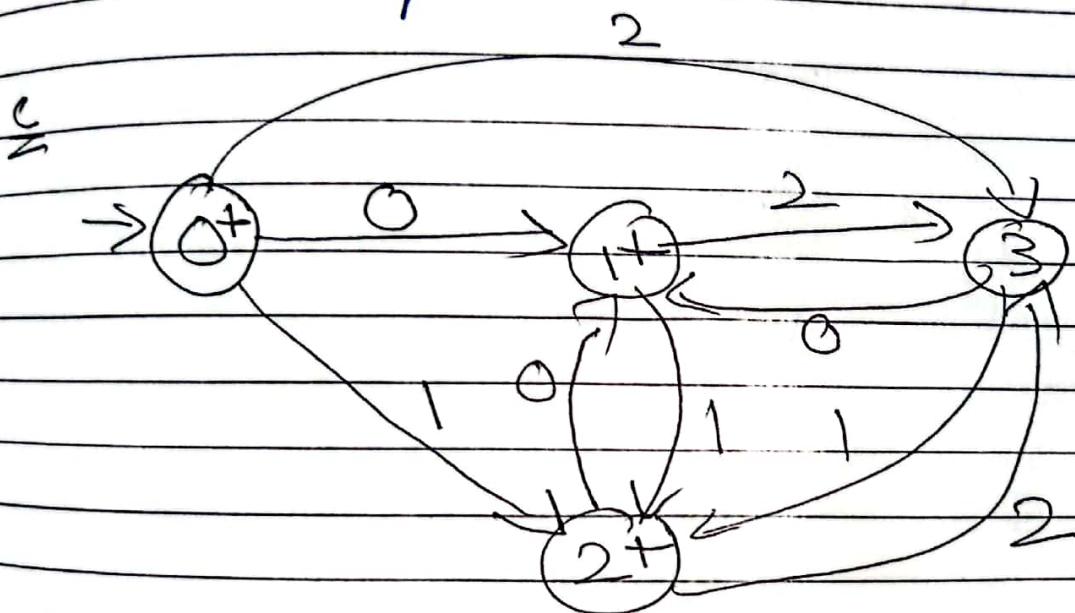
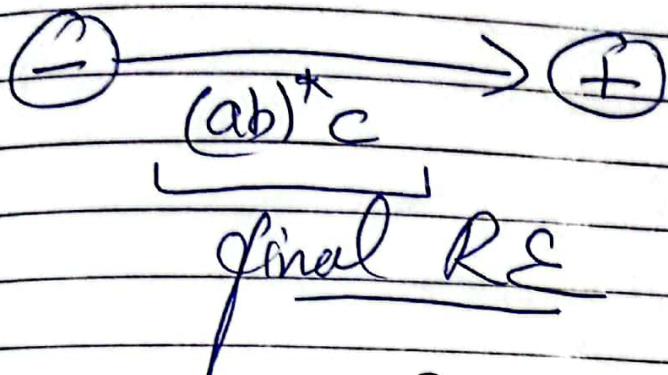


Step 2:- Eliminate State-2

why- 1-2-1

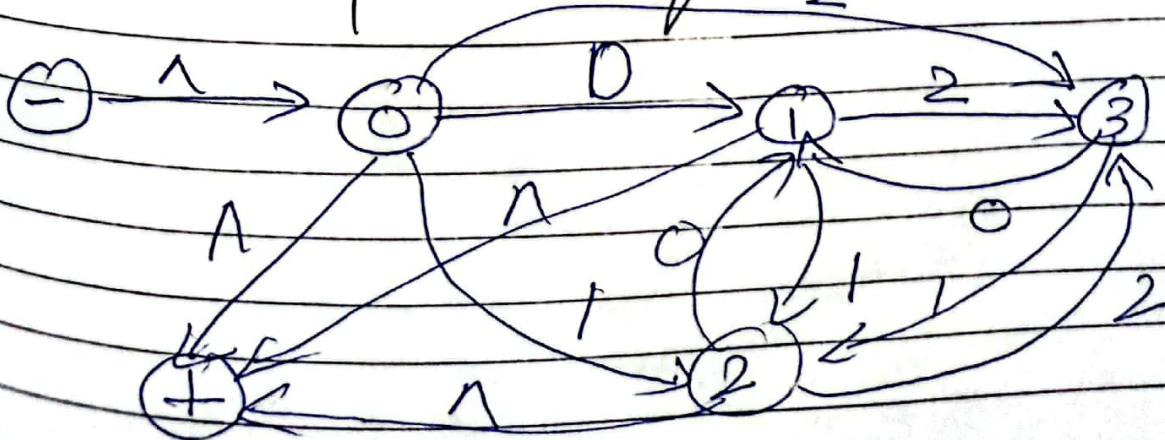


Step 3 Indicate d-transitions



Solution

Step 1 : ~~Eliminate State - 2~~
Make Unique Start - Stop State



Step - 2 :- Eliminate State - 0

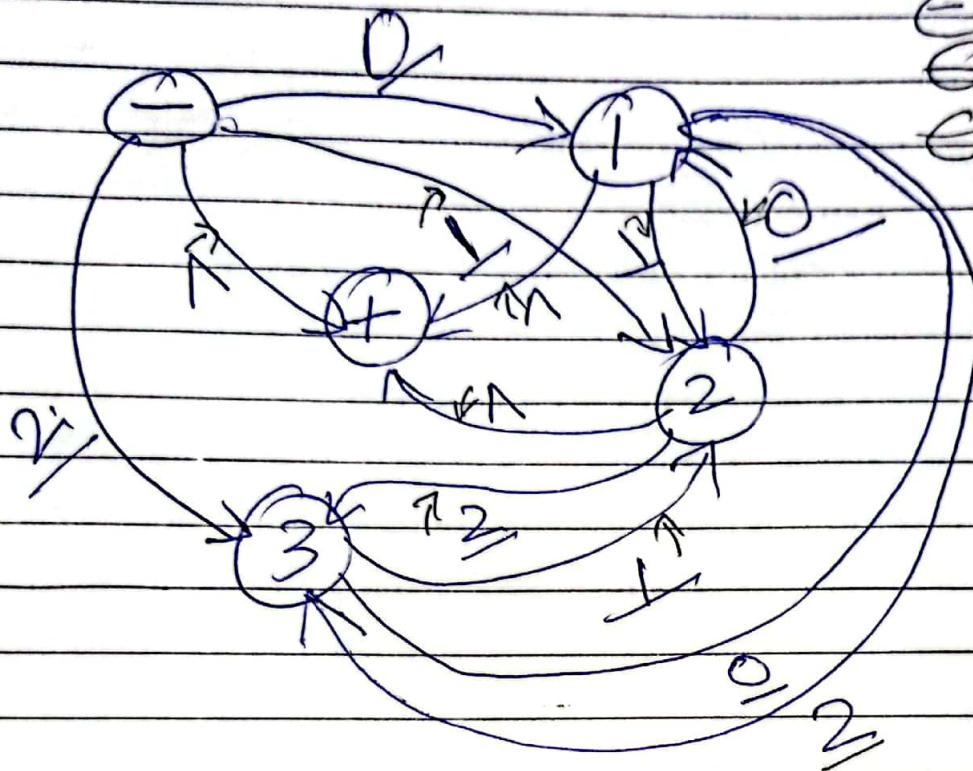
ways

$$0 - 0 \rightarrow 3$$

$$0 \rightarrow 0 \rightarrow 1 \rightarrow 1$$

$$0 \rightarrow 0 \rightarrow 2$$

$$0 \rightarrow 0 \rightarrow + -$$



Step - 3 Eliminate Stat - 1

ways

$$0 - 1 - 0 \checkmark$$

$$0 - 1 - 2 \checkmark$$

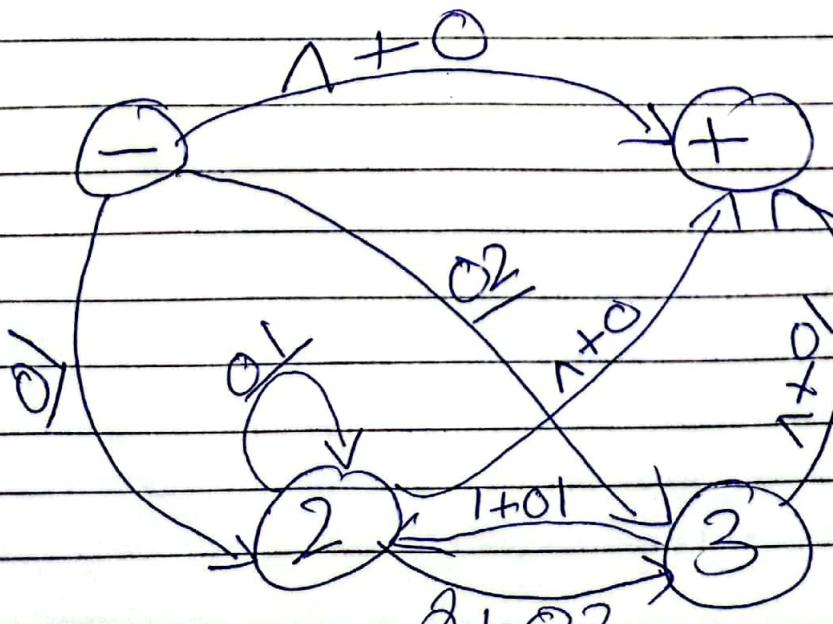
$$0 - 1 - 3 \checkmark$$

$$2 - 1 - 2 \checkmark$$

$$2 - 1 - 3 \checkmark$$

$$3 - 1 - 4 \checkmark$$

$$3 - 1 - 2 \checkmark$$



Step-4 :- Eliminate State 2

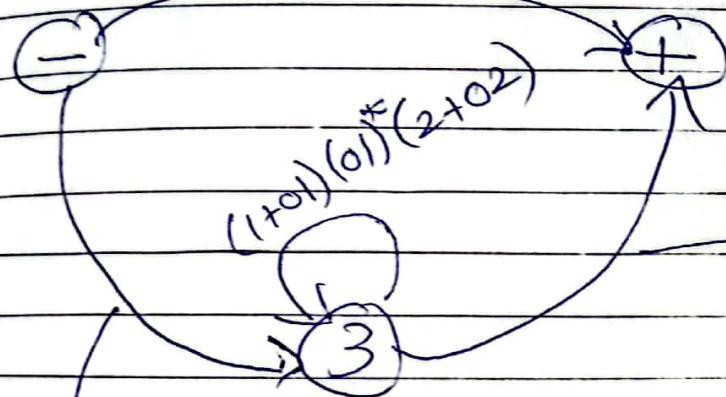
Why's

$$\ominus - 2 - + \checkmark$$

$$\ominus - 2 - 3 \checkmark$$

$$\textcircled{3} - 2 - 3$$

$$1+0 + [01(01)^*(1+0)] 3 - 2 - +$$



$$1+0 + [(1+01)(01)^*(1+0)]$$

$$02 + [01(01)^*(2+02)]$$

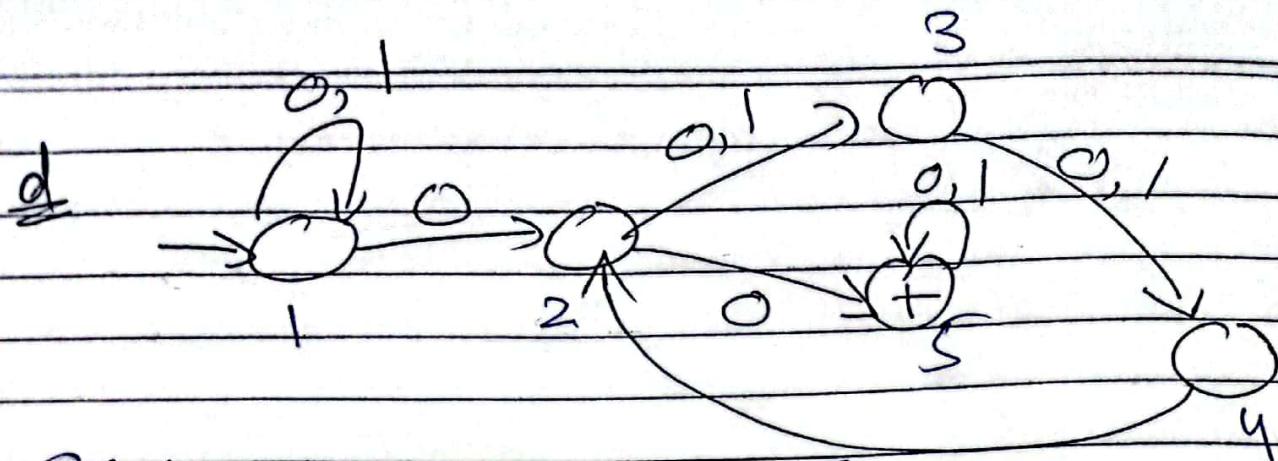
Step-5 Eliminate State -3

$$\ominus - 3 - + \checkmark$$

$$\ominus - \longrightarrow +$$

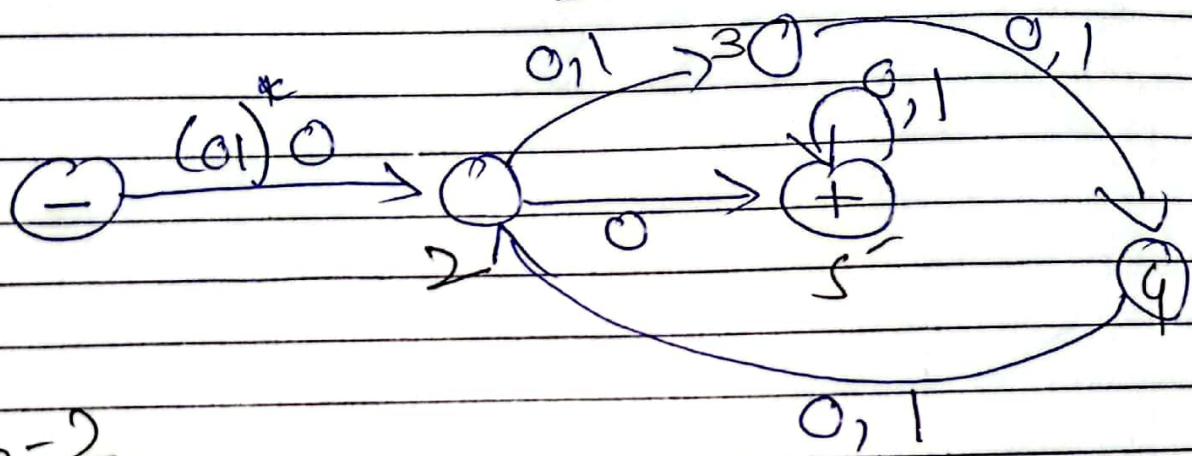
$$1+0 + (01)(01)^*(1+0) + [(02 + [01(01)^*(2+02)] [1+01(01)^*(2+02)]) \\ [1+01 + (1+01)(01)^*(1+0)]]$$

fixed - RE



Solution:

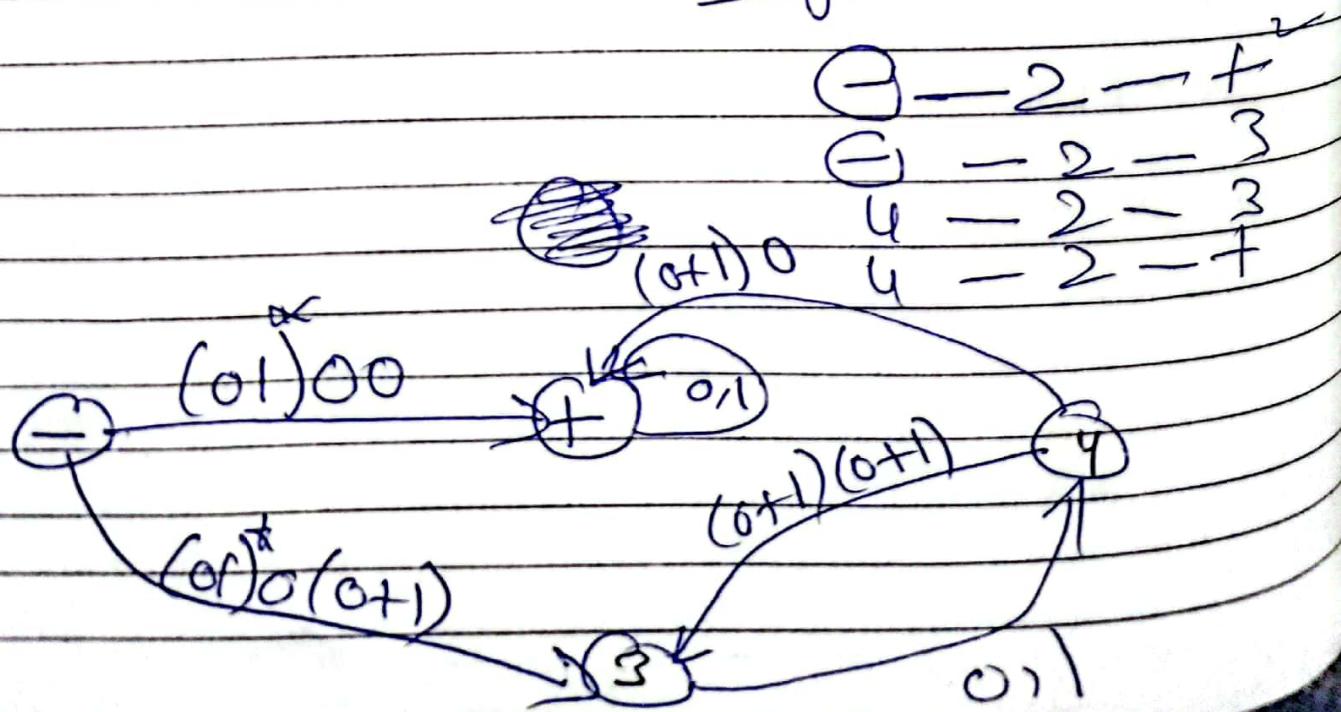
Step 1 : Introduce λ -transition, Eliminate S-1



Step -2

eliminate S-2

ways

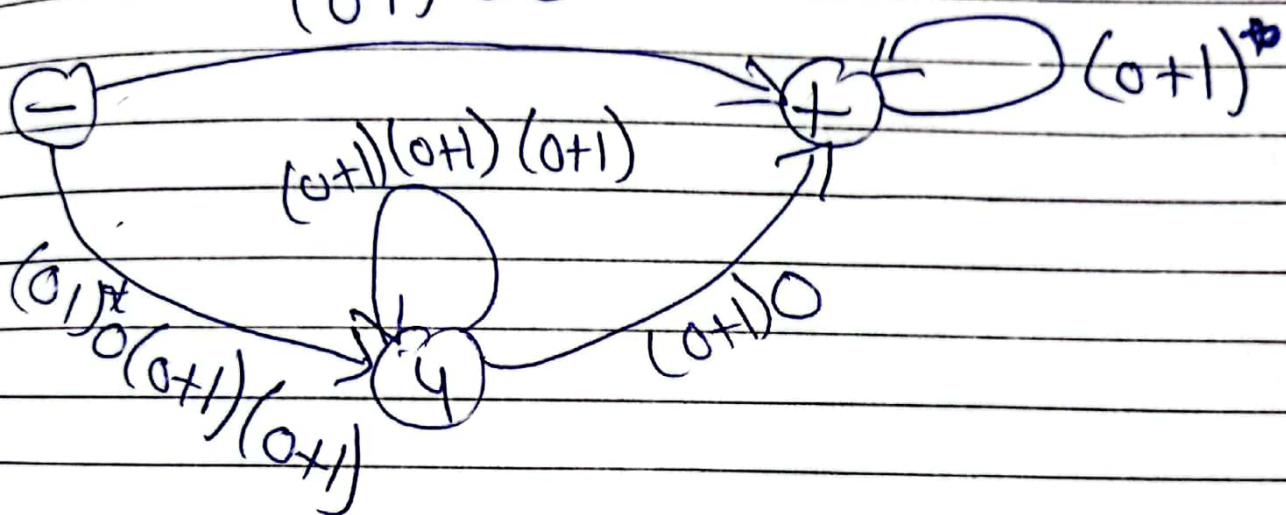


Step-3 Electo S-3

way's

$$\begin{array}{c} \ominus - 3 - 4 \\ \text{u} - 3 - 4 \end{array}$$

$$(01)^* 00$$



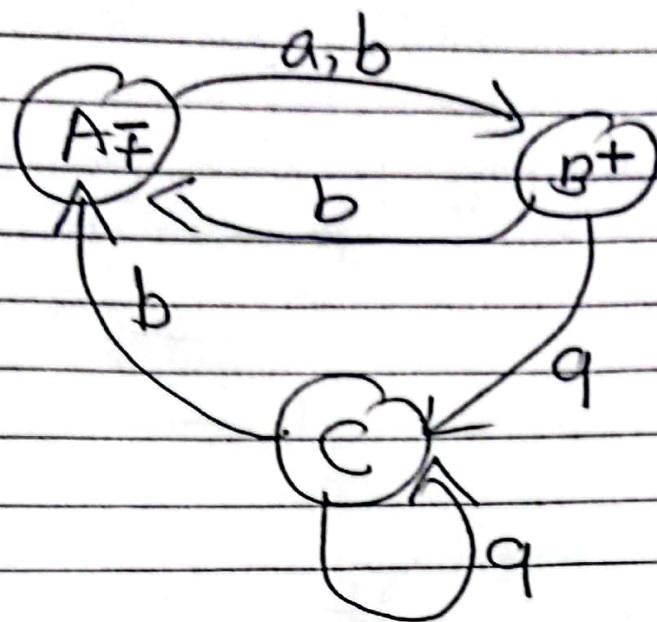
Step-4 Electo S-4

$\ominus \rightarrow +$

$$\begin{aligned}
 & \cancel{(01)^* 00 (0+1)^*} + [(01)^* 0 (0+1)(0+1) \cancel{(0+1)^3}] \\
 & \cancel{(01)^* 00 (0+1)^*} + [(01)^* 0 (0+1)(0+1) \cancel{(0+1)^3}] \cancel{(0+1) 0 (0+1)^*}
 \end{aligned}$$

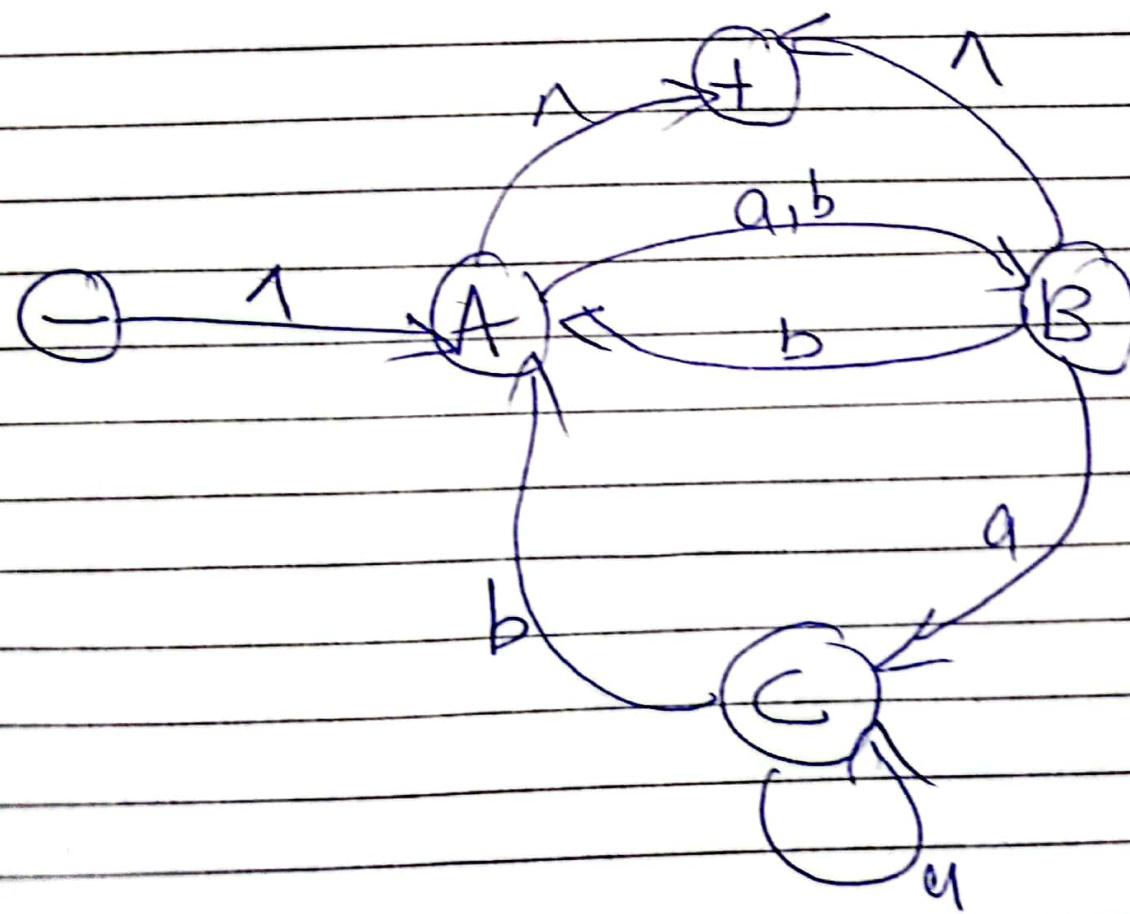
final- RE

Q Convert FA/TG \rightarrow RE



Solution :-

Step-1 Unique Start/Eed State



Step-2

Eliminate — A

ways $B - A - + \checkmark$

$G - A - B$

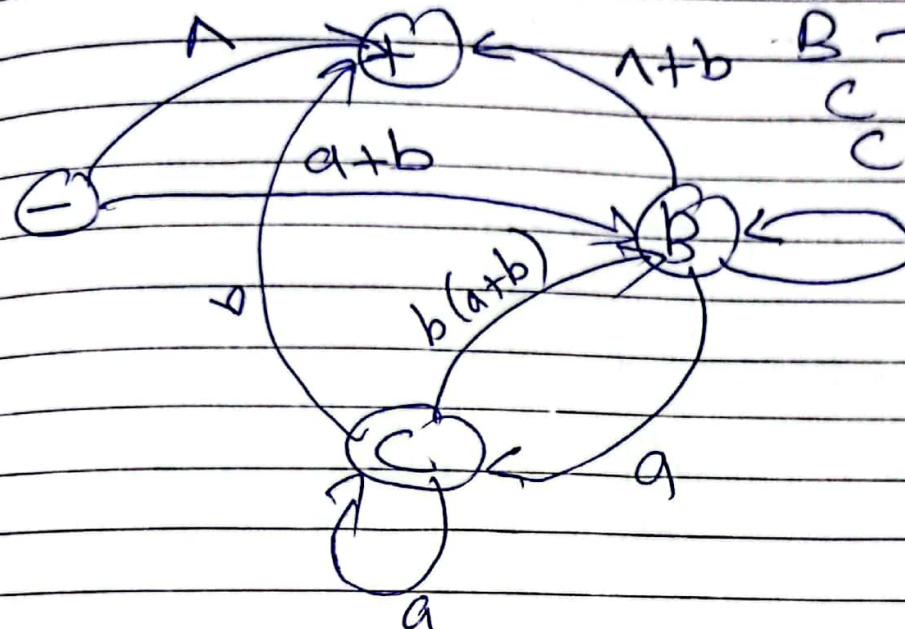
$G - A - + \checkmark$

$B - A - B$

$C - A - B$

$C - A - +$

$b(a+b)$



Step-3

Eliminate — B

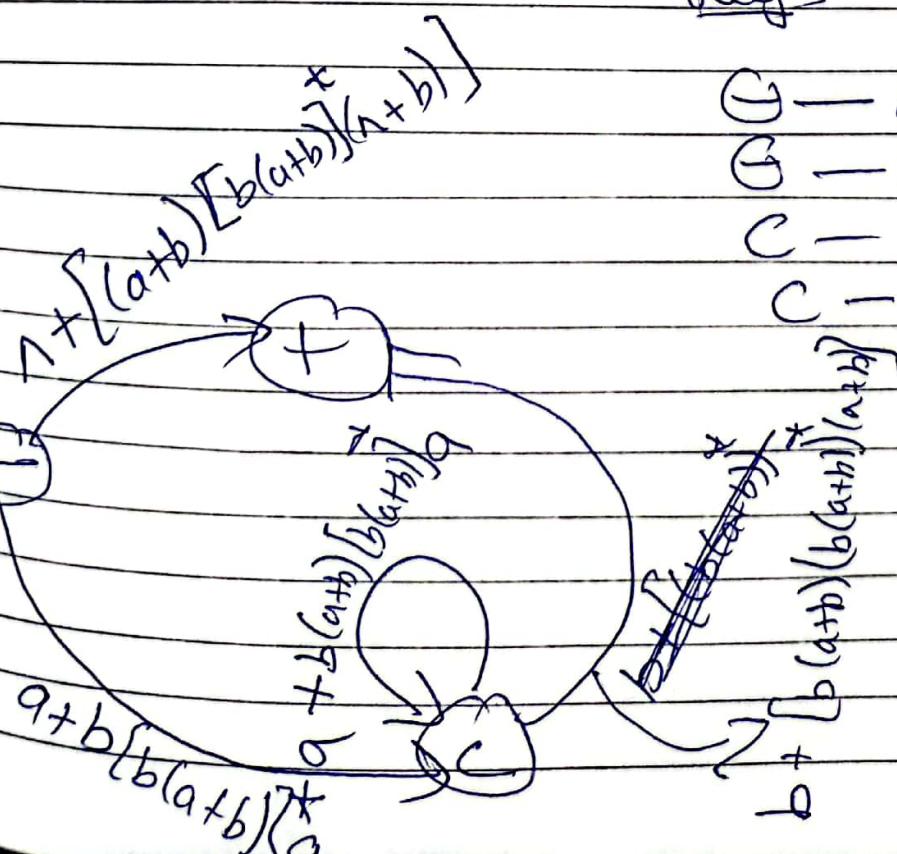
ways

$G - B - + \checkmark$

$G - B - C$

$C - B - C$

$C - B - +$

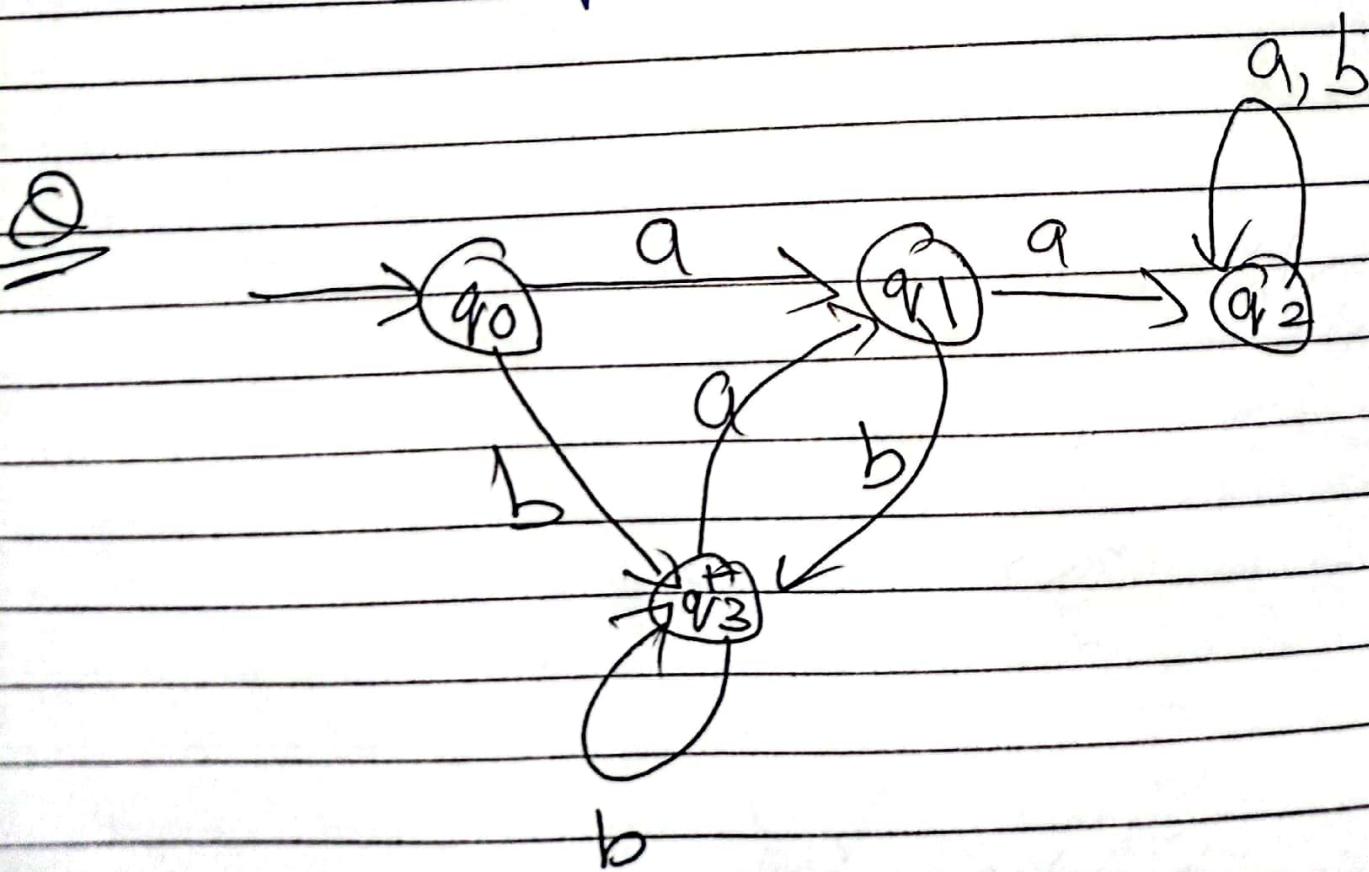


Step - 4 Eliminate - C

$\text{C} \rightarrow \text{L}$

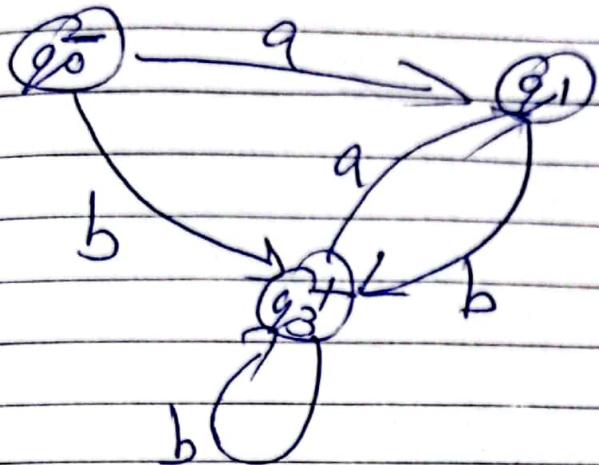
$$\left[\text{L} + ((\text{a+b})(\text{b}(\text{a+b})^*)^*(\text{a+b})) \right] +$$
$$\left[(\text{a+b})(\text{b}(\text{a+b})^*)^*\text{a} (\text{a} + (\text{b}(\text{a+b})^*)(\text{b}(\text{a+b})^*\text{a})^*(\text{b} + (\text{b}(\text{a+b})^*)(\text{b}(\text{a+b})^*)^*(\text{a+b})) \right]$$

Final RE



Step 1

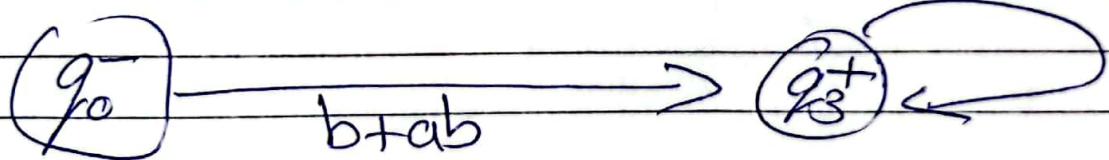
Renee - q_2 trap - State



Step 2

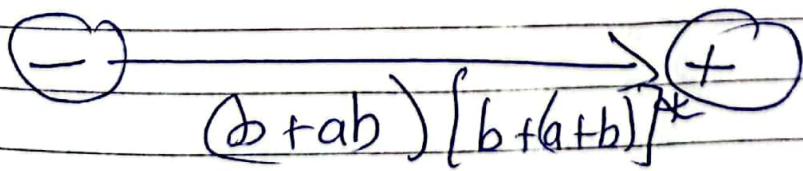
Renee - q_1

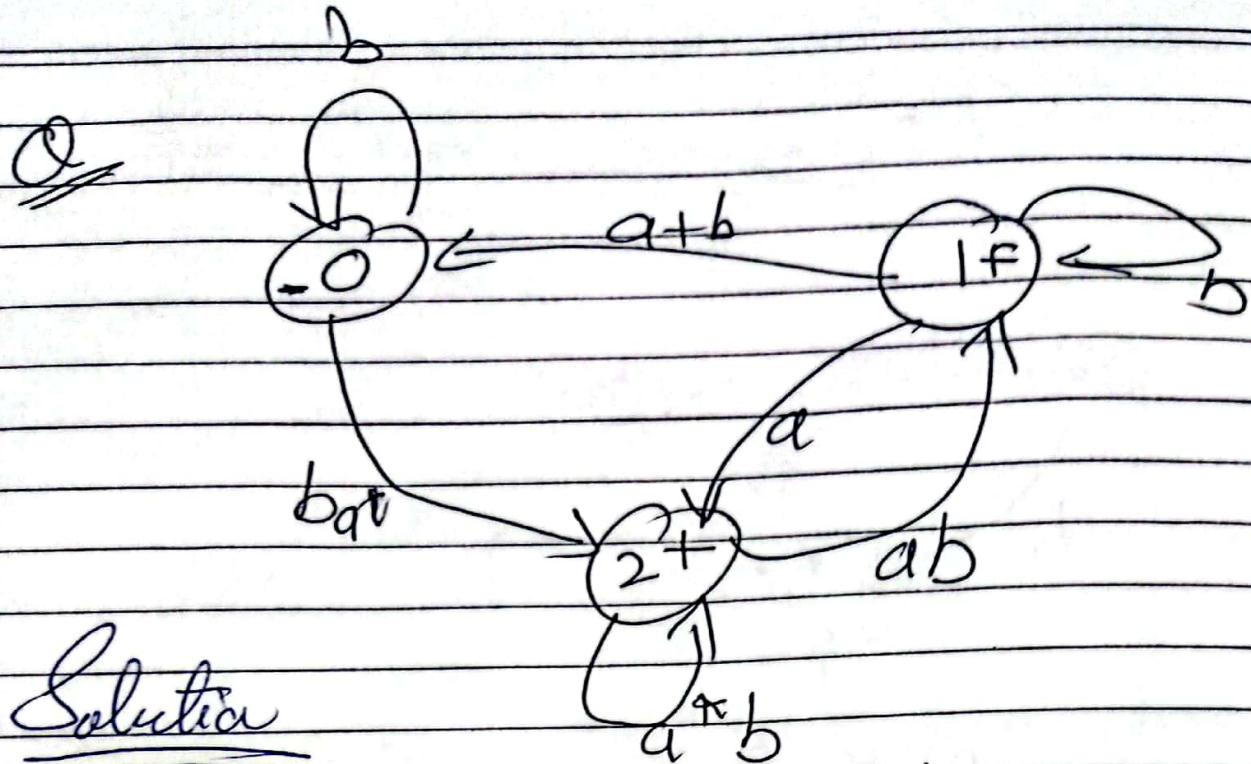
$$b + (a+b)$$



Step 3

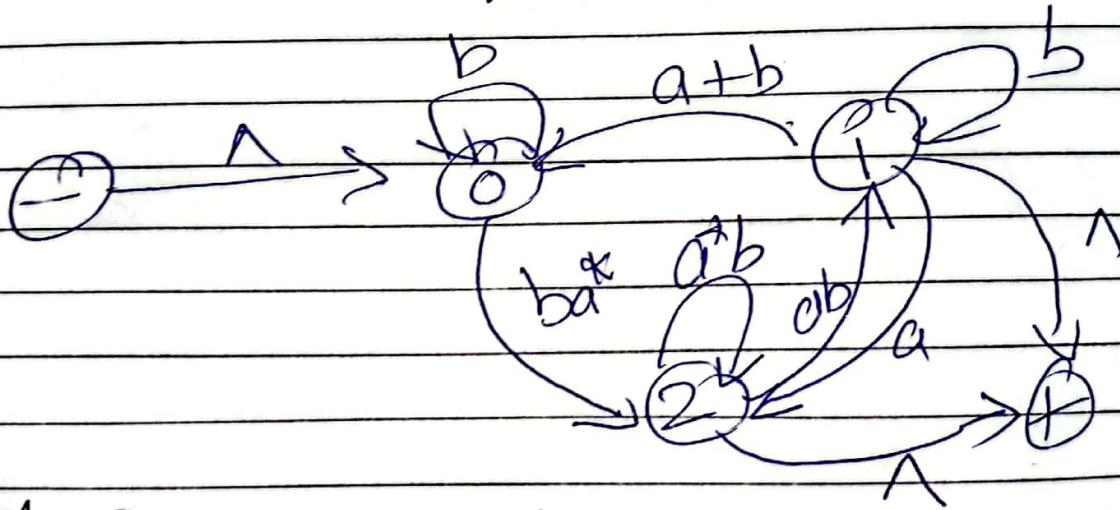
Renee - q_3 & 1 electron





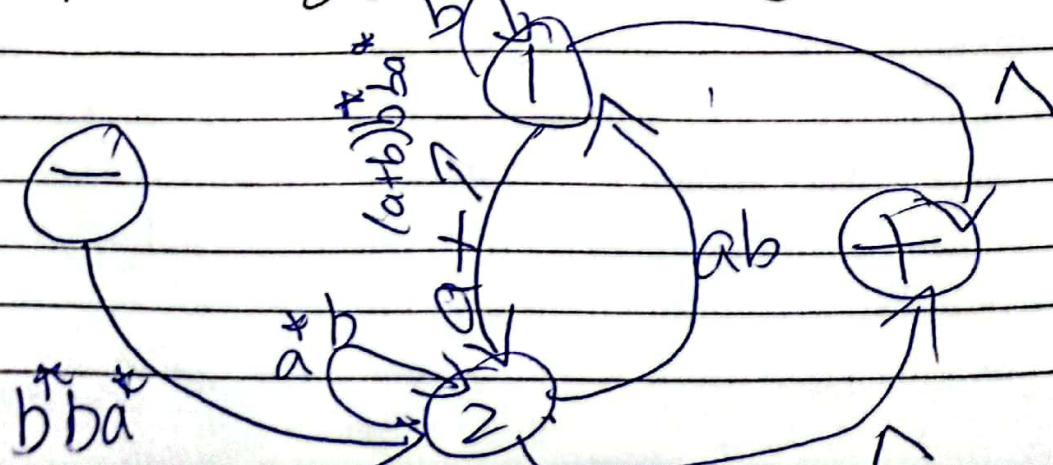
Solution

Step - 1 Unique S/ST State

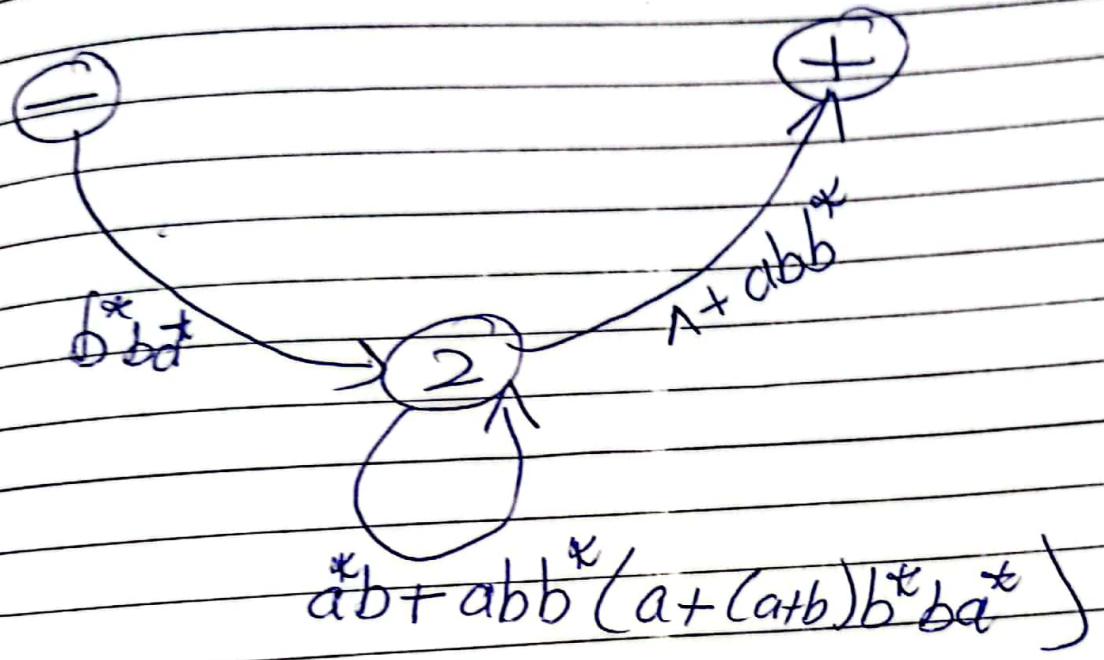


Step - 2

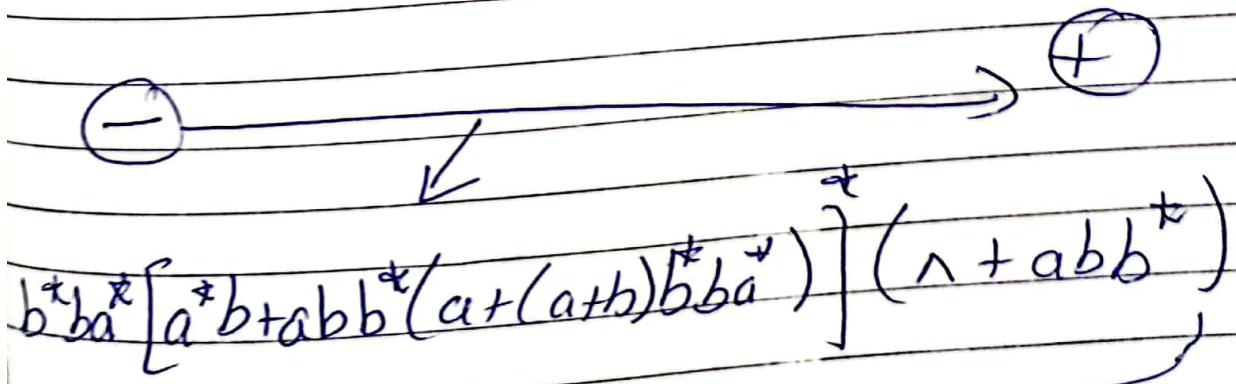
Eliminate Start - 0



Step-3 Eliminate Start - 1



Step-4 Rem - 2



Final - RE