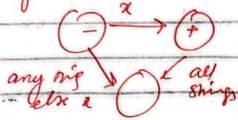


• Every language that can be defined by R.E can also be defined by F.A.

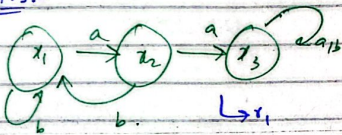
$\xrightarrow{1}$ if R.E = Σ^* then P.A.



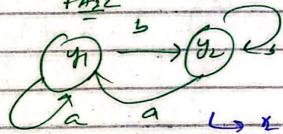
$\xrightarrow{2}$ if there are 2 R.E, will take union of both mem $(r_1 + r_2)$

mem can make 1 F.A from 2 F.A's.

FA:1:-



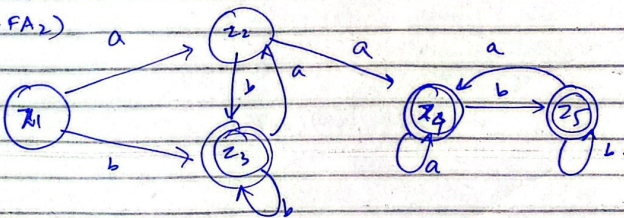
FA2:-



combining both of mem:

R.E $(r_1 + r_2)$

$(FA_1 + FA_2)$



Transitions	state		
old state	a	b	
$x_1 y_1 = x_1$	$x_2 y_1 = x_3$	$x_1 y_2 = x_3$	$x_3 y_1 = x_4$
$x_2 y_1 = x_2$	$x_3 y_1 = x_4$	$x_1 y_2 = x_3$	$x_3 y_1 = x_4$
$x_1 y_2 = x_3$	$x_2 y_1 = x_3$	$x_1 y_2 = x_3$	$x_3 y_1 = x_5$

simplified form

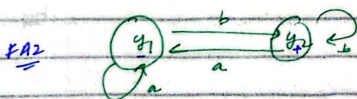
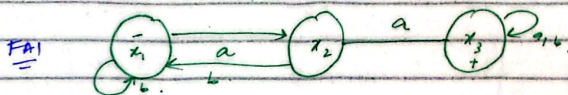
old state	a	b
- z_1	z_2	z_3
z_2	z_4	z_3
+ z_3	z_2	z_3
+ z_4	z_4	z_5
+ z_5	z_4	z_5

z_3, y_4 where
lower becomes
final ca
we've raised union not
concatenation

concatenation

$$x_1 \cdot x_2 \Rightarrow FA1 \cdot FA2$$

If there is an F.A called FA1 & FA2, that accepts language x_1 and x_2 respectively, then there is an F.A called FA3, that accepts language defined by $FA1 \cdot FA2$



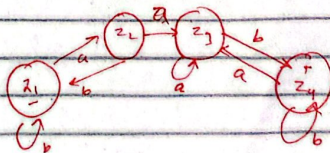
\therefore with final state of x with initial state of y .

$$x_1 \cdot x_2 \neq x_2 \cdot x_1$$

old state	a	b
- $x_1 = z_1$	$x_2 = z_2$	$x_1 = z_1$
$x_2 = z_3$	$x_3 y_1 = z_3$	$x_1 = z_1$
$x_3 y_1 = z_3$	$x_3 y_1 = z_3$	$x_3 y_1, y_2 = z_4$
+ $x_3 y_1, y_2 = z_4$	$x_2 y_1 = z_3$	$x_3 y_1, y_2 = z_4$

$x_2 \rightarrow b \Rightarrow z_3$
 $y_1 \rightarrow b \Rightarrow y_2$
 y_1, y_2

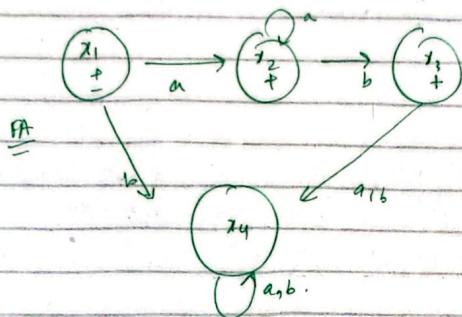
old state	a	b
- z_1	z_2	z_1
z_2	z_3	z_1
z_3	z_3	z_4
+ z_4	z_3	z_4



4
→ Kleene closures

$$(x_1)^+ \Rightarrow (FA)^+$$

If x is R.E and FA is finite automata, not accept exactly the language defined by x . then there is FA called $(FA)^+$ that accept language defined by x^+ .



\therefore with final state always unite initial state.

\therefore Initial state will always be final state.

old state	a	b		old state	a	b
- $x_1 = z_1$	$x_2 x_1 = z_2$	$x_4 = z_3$	\Rightarrow	+ z_1	z_2	z_3
+ $x_2, x_1 = z_2$	$x_2 x_1 = z_2$	$x_3 x_4 = z_4$		+ z_2	z_2	z_4
$x_4 = z_3$	$x_4 = z_3$	$x_4 = z_3$		z_3	z_3	z_3
+ $x_3, x_4 = z_4$	$x_4 x_4 x_2 x_1 = z_5$	$x_4 x_4 x_4 = z_4 \Rightarrow z_4 = z_3$		+ z_4	z_5	z_3
+ $x_4 x_2 x_1 = z_5$	$x_4 x_2 x_1 = z_5$	$x_4 x_3 x_1 = z_4$		+ z_5	z_5	z_4

