SIMUTECH PROJECT REPORT

HANDS-ON ASPEN AND MATLAB

MENTOR- Devang Kumawat

AAKASH SARAN210009

OVERVIEW

- Differential equations are essential for modeling and analyzing dynamic systems.
- MATLAB provides powerful tools for numerically solving differential equations.
- This report explores the utilization of MATLAB in solving differential equations and its application in heat conduction problems in chemical engineering.
- The report also discusses the use of Aspen, a process simulation software, for solving reactor problems.
- The report is organized as follows:
- Introduction to differential equations and MATLAB's capabilities in solving ordinary and partial differential equations.
- Application of MATLAB in solving heat conduction problems in chemical engineering, including formulation, boundary conditions, and real-world case studies.
- Introduction to Aspen and its role in modeling and simulating various reactor problems.
- Practical application of Aspen for solving reactor problems, including a step-by-step guide and analysis of simulation outcomes.
- Presentation of case studies demonstrating the combined usage of MATLAB and Aspen.

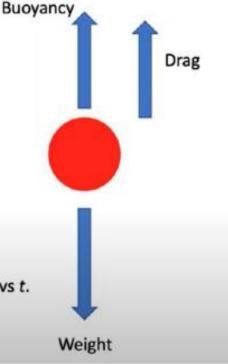
Assignment 1

$$m\frac{du}{dt} = W - F_B - F_D$$

$$m\frac{du}{dt} = mg - V\rho g - 6\pi R\eta u$$

EXERCISE:

- Fix the properties of the fluid and solid sphere.
- Do you get a terminal velocity? What will be the analytical expression for the same?
- \Box Get the analytical answer for u vs t (assume u = 0 at t = 0)
- \Box For the same initial velocity, numerically compute u vs t.
- \square Compare the analytical and numerical answers on a plot of u vs t.
 - ☐ Analytical solid line; numerical dashed line



- Take the value of the required properties as follows:
 - Radius of sphere = 10⁻⁵ m
 - Density of liquid = 1000 kg/m³
 - Density of sphere = 8050 kg/m³
 - Viscosity of liquid = 10⁻³ Pa.s
 - Acceleration due to gravity = 9.8 m/s

ASSIGNMENT 1: PROBLEM STATEMENT

-> To calculate analytical expression for u vs t

The equation of motion for an object falling through a viscous fluid is given by

mdu = mg - GTINRU

where u is velocity of sphere at time t

Taking m = EV where &= density of sphere V = volume of sphere

$$= \frac{1}{6\pi} \left[(6-8) vg - 6\pi n R u \right] J_0^u$$

SOLUTION:

Numerical computation of u vs t:

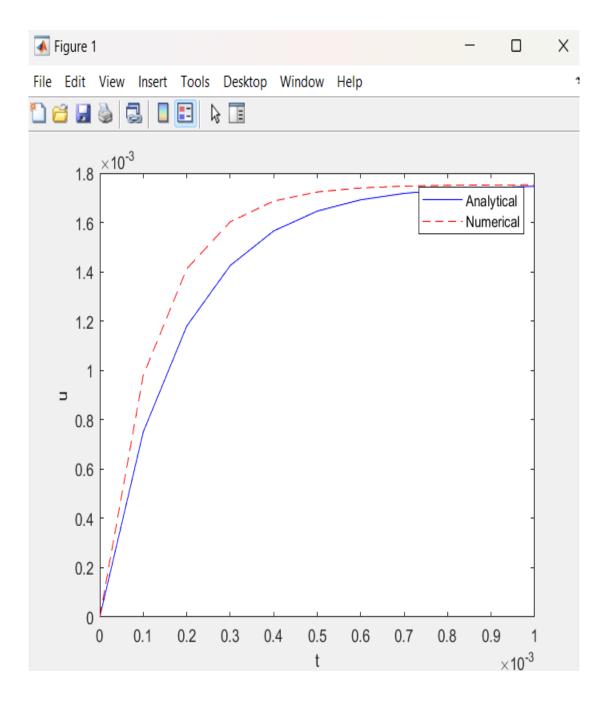
To obtain the numerical solution for u vs t, we can use numerical integration techniques such as Euler's method or the Runge-Kutta method. By discretizing the time interval and approximating the derivative, we can calculate the velocity at each time step.

Comparison of analytical and numerical answers:

Plotting the analytical solution (solid line) and the numerical solution (dashed line) on the same graph will allow us to compare the two solutions and observe any differences or similarities between them.

rs ▶ aakas ▶ Desktop ▶ amc ▶ Aakash_Saran_210009

```
Editor - C:\Users\aakas\Desktop\amc\Aakash_Saran_210009\ass1q1.m *
                     % Define the parameters
                     density = 8050; % Density of the sphere material
amc... X
                     r = 0.00001;
                                       % Radius of the sphere
 untit... X
                     m = (4/3) * pi * r^3 * density; % Mass of the sphere
 MAT... X
                     g = 9.8;
                                      % Acceleration due to gravity
                                       % Viscosity of the fluid
                     mu = 0.001;
ass1... X
ass1... X
                     % Define the time interval
                     dt = 0.0001;
                     t = 0:dt:0.001;
            10
           11
           12
                     % Initialize arrays for storing velocity values
           13
                     u analytical = zeros(size(t));
                     u_numerical = zeros(size(t));
            14
           15
            16
                     % Analytical solution
           17
                     u analytical = (m * g) / (6 * pi * r * mu) * (1 - exp(-(6 * pi * r * mu * t)) / m));
            18
            19
                     % Numerical solution using Euler's method
                     u numerical(1) = 0;
            20
            21
                     for i = 2:length(t)
            22
                         u_numerical(i) = u_numerical(i - 1) + (((m * g) - (6 * pi * r * mu * u_numerical(i - 1))) / m) * dt;
            23
                     end
           24
           25
                     % Plotting the results
            26
                     plot(t, u_analytical, 'b-', t, u_numerical, 'r--');
           27
                     xlabel('t');
            28
                     ylabel('u');
            29
                     legend('Analytical', 'Numerical');
            30
```

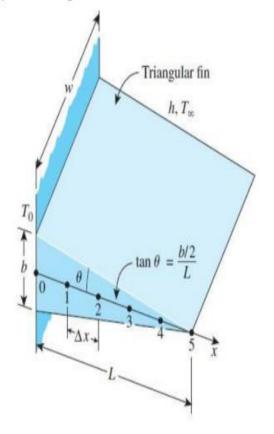


Assignment-2

Consider an aluminum alloy fin ($k = 180 \text{ W/m} \cdot \text{K}$) of triangular cross section with

length L=20 cm, base thickness b=4 cm, and very large width w. The base of the fin is maintained at a temperature of $T0=100^{\circ}$ C. The fin is losing heat to the surrounding medium at $T_{\infty}=25^{\circ}$ C with a heat transfer coefficient of h=15 W/m2·K. Using the finite difference method with 20 equally spaced nodes along the fin in the x-direction, Write a matlab program to find-

- (a) The Temperatures at the nodes
- (b) Plot the Temperature(T) vs distance from the base(x) plot.



ASSIGNMENT 2: PROBLEM STATEMENT

's ▶ aakas ▶ Desktop ▶ amc ▶ AAKASH_SARAN_210009_A2

```
Editor - C:\Users\aakas\Desktop\amc\AAKASH_SARAN_210009_A2\assign_2.m
                       A=zeros(20,20);
              2
                       B=zeros(20,1);
amc... ×
              3
                  for i=2:20
untit... ×
              5
                           B(i,1)=-0.209;
                       end
              6
MAT... ×
              7
                       B(1,1) = -1950.209;
              8
ass1... ×
                       for i=2:1:19
                          A(i,i-1)=20.5-i;
             10
ass1... ×
                          A(i,i)=2*(i) - 40.008;
             11
assi... ×
                          A(i,i+1)=19.5-(i);
             12
              13
   +
              14
              15
                       A(1,1)=2*(1) - 40.008;
                       A(1,2)=19.5-(1);
              16
                       A(20,19)=1;
             17
                       A(20,20)=-1.008;
             18
             19
              20
              21
                       maxerr = 1e-5;
              22
                       T = zeros(1, size(A,1));
              23
                       err1 = inf;
              24
              25
                       itr = 0;
                       while all(err1>maxerr)
              26
                           T old = T;
              27
                           for i = 1:size(A,1)
              28
                               sum = 0;
              29
              30
                               for i = 1:i-1
                                   sum = sum + A(i,j)*T(j);
             31
             32
                               end
                               for j=i+1:size(A,1)
              33
                               sum = sum+A(i,j)*T_old(j);
              34
              35
                               end
                               T(i) = (1/A(i,i)) * (B(i) - sum);
              36
             37
                           end
                           itr = itr + 1;
              38
                           y(itr,:) = T;
              39
              40
                           err1 = abs(T_old-T);
              41
                       end
                  for i=1:1:20
              42
                           fprintf("T_%d is %d.\n",i,T(i));
              43
              44
                       x=0.01:0.01:0.2;
              45
              46
                       plot(x,T)
```

```
T 1 is 9.945220e+01.
T 2 is 9.890652e+01.
T 3 is 9.836296e+01.
T 4 is 9.782152e+01.
T 5 is 9.728221e+01.
T 6 is 9.674502e+01.
T 7 is 9.620997e+01.
T 8 is 9.567703e+01.
T 9 is 9.514624e+01.
T 10 is 9.461757e+01.
T 11 is 9.409103e+01.
T 12 is 9.356663e+01.
T 13 is 9.304435e+01.
T 14 is 9.252421e+01.
T 15 is 9.200621e+01.
T 16 is 9.149034e+01.
T 17 is 9.097661e+01.
T 18 is 9.046504e+01.
T 19 is 8.995571e+01.
T 20 is 8.944911e+01.
```

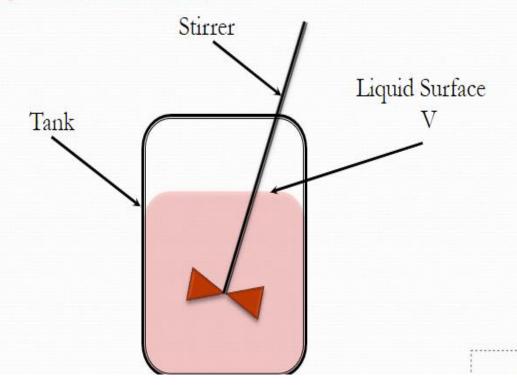
Reactors:

Batch Reactor:

Definition:

Batch Reactors are defined as reactors in which no flow of mass across the reactor boundaries, once the reactants have been charged.

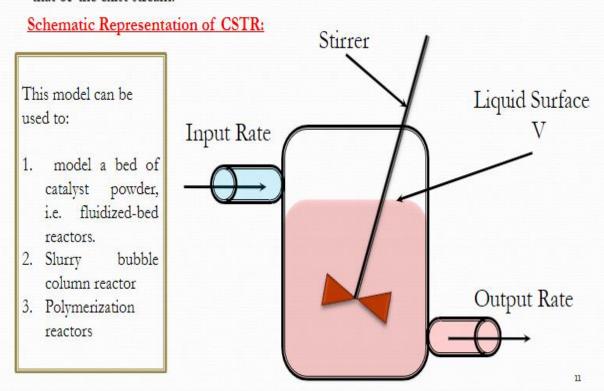
Schematic Representation of Batch Reactors:



Continuous Stirred Tank Reactor (CSTR):

Definition:

Continuous Stirred Tank Reactors (CSTR) are defined to be flow reactors characterized by intense mixing so that the properties anywhere inside the reactor are exactly the same as that of the exist stream.





BATCH REACTOR:

Problem Description:

The specific chemistry used to illustrate the use of Aspen Plus is the reaction of ethylene (E) with benzene (B) to form ethylbenzene (EB)

C2H4 (Ethylene) + C6H6 (Benzene) → C8H10 (Ethylbenzene)

Reactor Spec. Batch feed time: 1 hour Pressure: 10 atm Feed Condition Ethylene Benzene Max Calculation time: 2 hrs (SI units) Rate of reaction Temp. (K) 298 300 $-r_A = C_E C_B (1.528 \times 10^8) e^{-1}$ Pressure (atm) Fluid Package 15 15 CHAO-SEA Molar ⇒Specific Reaction Rate Constant 50 100 Flow(kmole/hr) $K = K_0 \exp(-E_a/RT)$ Ko= 1.528e6 kmol/s.m3 Ea= 7.1129x107 J/kmol

OBJECTIVES:

Main Flowsheet × B (MATERIAL) × +

(A) Specifications

State variables

Temperature

Vapor fraction

Total flow basis

Total flow rate

Reference Temperature

Volume flow reference temperature

Component concentration reference temperature

Solvent:

Pressure

Flash Type

Mixed CI Solid NC Solid Flash Options EO Options Costing Comments

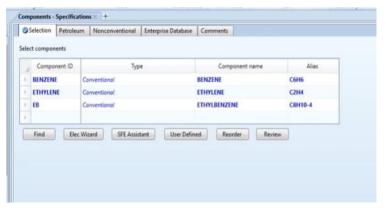
Pressure

15 atm

100 kmol/hr

- ANALYZE: The concentration of reactants and products as a function of time.
- PLOT: The temperature profile

SOLUTION STEPS:

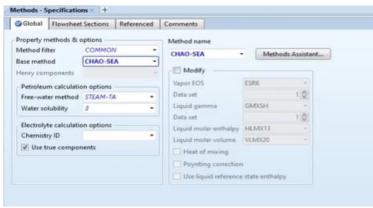


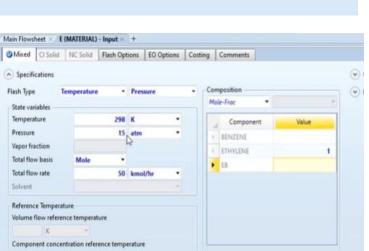
Composition

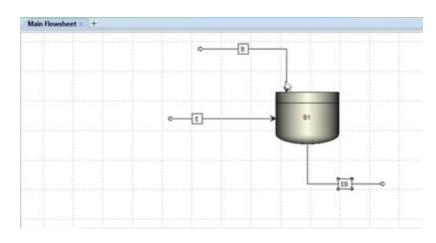
Component

BENZENE

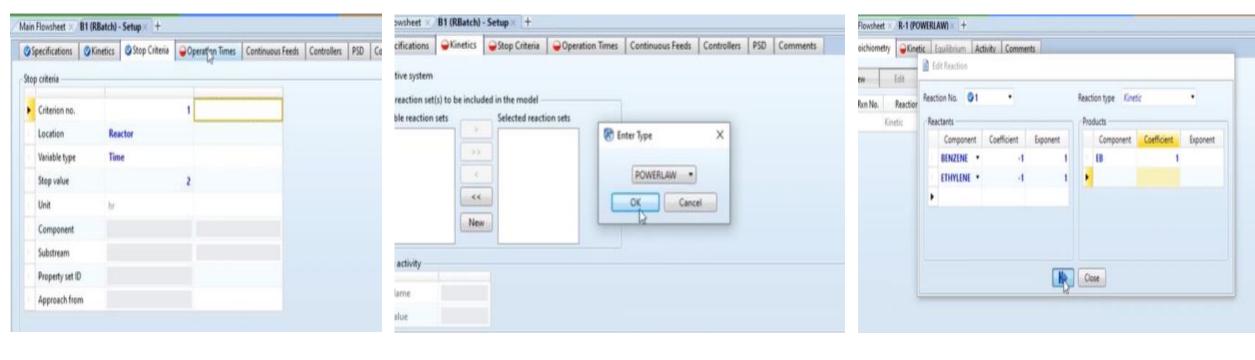
ETHYLENE

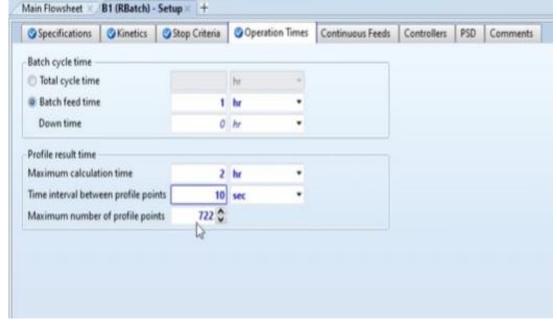






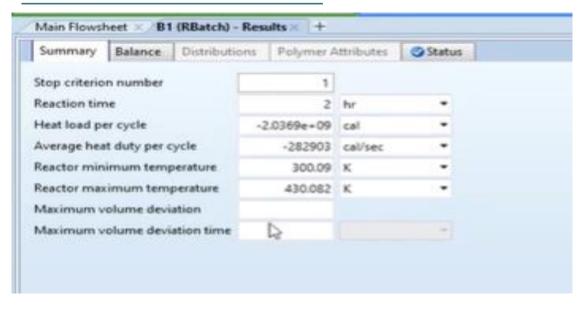


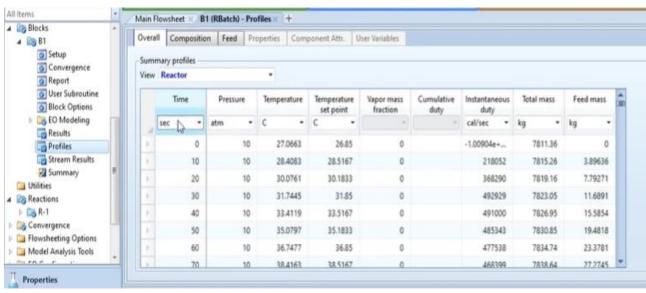


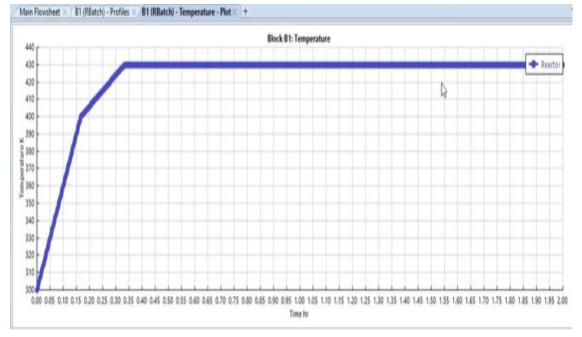


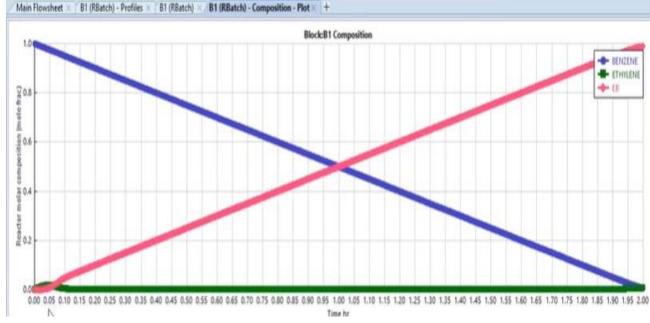


RESULTS AND ANALYSIS:











CSTR REACTOR:

Case. RCSTR Reactor Design

Problem Description:

• The specific chemistry used to illustrate the use of Aspen Plus is the reaction of ethylene (E) with benzene (B) to form ethylbenzene (EB)

Reactor Spec.

Ea= 7.1129x107 J/kmol

(-7.1129x10⁷)

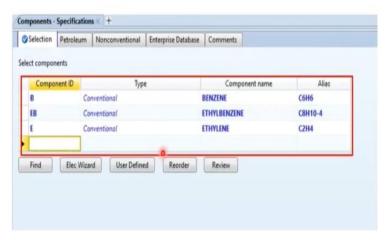
C2H4 (Ethylene) + C6H6 (Benzene) → C8H10 (Ethylbenzene)

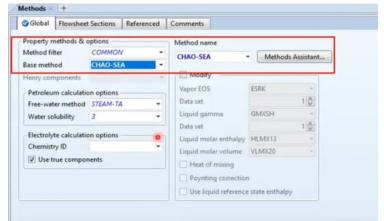
| | | | | Reactor Temp 400K |
|------------------------------|----------|---------|---|---|
| Feed Condition (SI units) | Ethylene | Benzene | PI → | Pressure: 10 atm |
| | | | | Reactor Volume 0.1 cum |
| Temp. (K) | 298 | 300 | | Rate of reaction |
| Pressure (atm) | 15 | 15 | | $-r_A = C_E C_B (1.528 \times 10^8) e^{\frac{(-7.1129)}{RT}}$ |
| | | | | Fluid Package |
| Molar Flow(kmole/hr) | 50 | 100 | | CHAO-SEA |
| | | | | Specific Reaction Rate Constant |
| | | | | $K = K_o exp(-E_a/RT)$ |
| | | | | Ko= 1.528e8 kmol/s.m3 |
| | | | | |

OBJECTIVES:

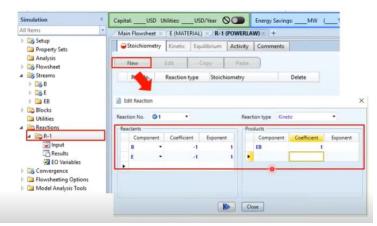
- ANALYZE: as Using Design specs to analyze the volume of the reactor for 98% ethylene conversion.
- <u>CALCULATE:</u> The conversion of ethylene for given reaction kinetics.

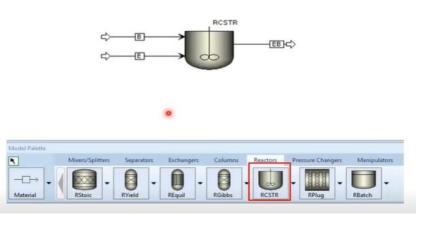
SOLUTION STEPS:

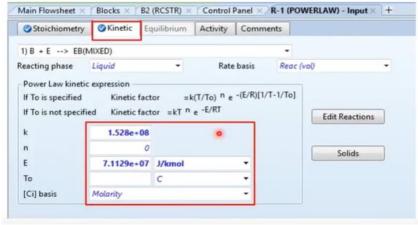


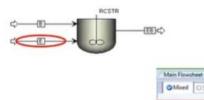


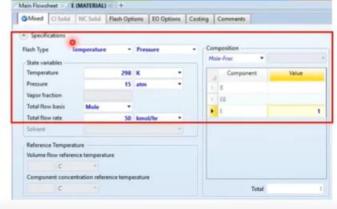


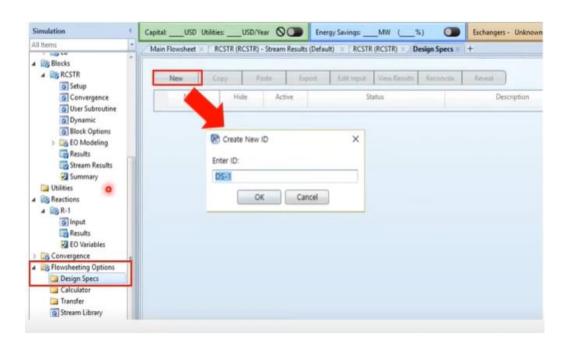


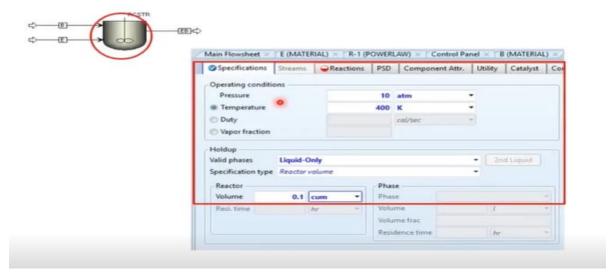


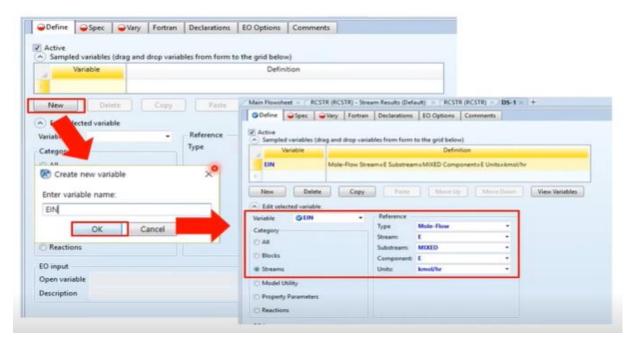


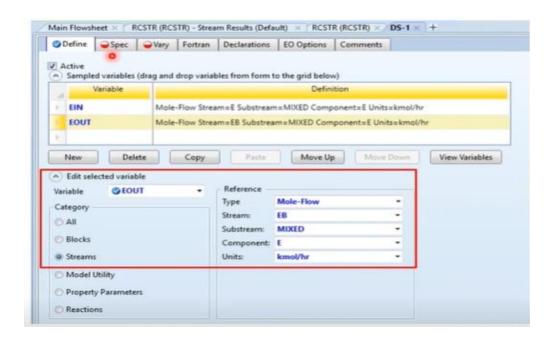




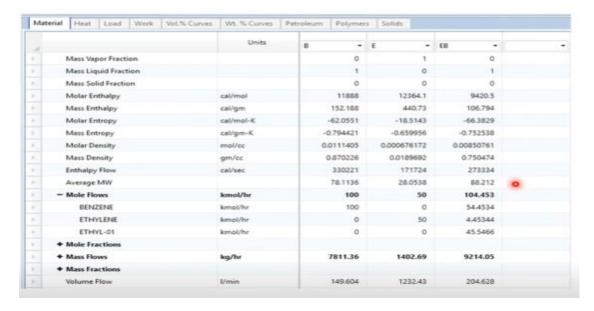


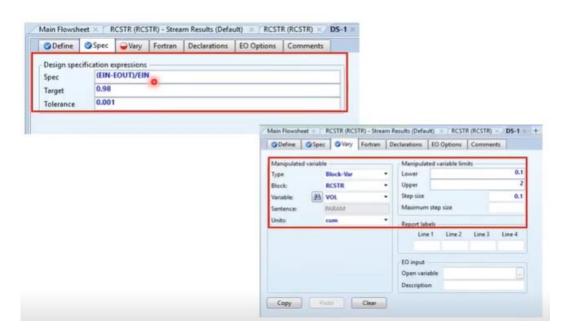


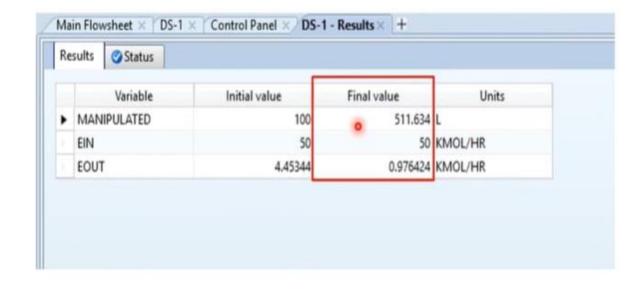




RESULTS AND ANALYSIS:







Sensitivity analysis in Aspen:

Sensitivity analysis in Aspen is a technique used to assess how changes in input variables affect the outputs of a model. It helps in understanding the sensitivity of a process or system, optimizing decisions, and evaluating risks. The process involves defining the objective, selecting input variables, specifying variable ranges, creating the Aspen model, running the sensitivity analysis, analyzing the results, interpreting the findings, and refining the analysis if necessary. It's a valuable tool for making informed decisions and improving process performance.



Thank you