“Mathematical Masterpiece”

December 25, 2022 (Dweeby little Christmas Gift[2])

$$\frac{t^{-1} ln(\frac{\sqrt{-1} + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + (v - at)}{h}(sw)^{-1})}{\frac{d}{da}(\frac{a^2}{2})} = 1$$

$$ln(\frac{\sqrt{-1} + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + (v - at)}{h}(sw)^{-1}) = at$$

$$\frac{\sqrt{-1} + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + (v - at)}{h}(sw)^{-1} = e^{ta}$$

$$\sqrt{-1} + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + (v - at) = \frac{he^{ta}}{(sw)^{-1}}$$

$$\sqrt{-1} + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + (v - at) = shwe^{ta}$$

$$i + o((\sqrt{\int 2l\, dl - c}) * (\sqrt{\int_0^1 e^x dx}) * \frac{d}{dt}(x(t))) + u = shwe^{ta}$$

$$i + o((l) * (e) * v) + u = shwe^{ta}$$

$$i + love + u = shwe^{ta}$$

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[2] This is the song that was playing in my ears during the equation deriving process because I was motivated by how much I was missing you during the process.