

Week 10 Programming Assignment

Steffen Petersen — au722120

November 14th 2022

Here is the link for my repository, in which you will find all the edited code files and such.

<https://github.com/Aarhus-University-ECE/assignment-10-SirQuacc>

1

Write a recursive function that prints out a linked list of integers.

Here is my code for this function, it can also be found in linked_list.c

```
1 void print_list(node *p) {
2     printf("-> %d ", p->value); //Print current value
3     if(p->next != NULL) print_list(p->next); //If we're not at the end, recursively send the
4     next node
5 }
```

2

Write a recursive function that accepts a linked list of integers, and returns the sum of the *squares* of the integers in the list. E.g.

int sum;

```
node* list =
    make_node(1,
        make_node(2,
            make_node(3,
                make_node(4,
                    make_node(5, &SENTINEL)
                )
            )
        )
    );
```

sum = sum_squares(list); /* sum should equal 55 */

Below is the recursive function, it can also be found in linked_list.c

```
1 int sum_squares(node *p) {
2     if(p == NULL) return 0; //If we've gotten to the null pointer at the end of the list, or
    input was empty, return 0
3 }
```

```

3     else return (p->value*p->value + sum_squares(p->next)); //square the input value and
    recursively add the same from the next nodes.
4 }

```

3

In the lecture we discussed the *fold* (or *reduce*) function that takes a list and a *binary* operator (i.e. an operator that takes two inputs) and returns an integer. Another useful general higher order function is *map* that takes a list and a unary operator (i.e. an operator that accepts just one input), applies the operator to each element in the list, and returns a new list of the resulting values. For example, if *X* is a list:

```

node* X =
    make_node(1,
        make_node(2,
            make_node(3,
                make_node(4,
                    make_node(5, &SENTINEL)
                )
            )
        )
    );

```

We also have a *square* function that multiplies a value by itself:

```

int square(int x) {
    return x * x;
}

```

Your task in this exercise is to implement a recursive *map* function. When you pass the list *X* and the function *square* to your *map* function, the result should be a linked list with the following elements: 1, 4, 9, 16, 25.

Hint: you should assign the function *square* to a variable, and pass this variable to your *map* function, e.g. consider the following code that assigns the *square* function to a variable:

```

int (*sf)(int);
sf = square;
int x;
x = sf(2);

```

The code for this is seen below, and can be found in `linked_list.c`

```

1 typedef int (*fn_int_to_int)(int);
2 node *map(node *p, fn_int_to_int f) {
3     if(p != NULL){ //If not at the end, return a node with the applied function's value and
        next node being recursive.
4         return make_node(f(p->value), map(p->next, f));
5     }
}

```

```

6     return NULL; //Terminate the list, when the end is reached.
7 }

```

4

A *binary tree*^T is a container that stores items for potentially faster retrieval than a linked list. It is equipped with a search operation (called `Contains(x, t)` below). A binary tree is composed from nodes and leafs that store an item. Each node has maximally two children (a *left* child and a *right* child) each of which is either a node or a leaf. The node is called the parent node of the children. A leaf does not have children. The node without a parent is called the root node of the tree. A tree has exactly one root node. The nodes (and leafs) in a binary tree are ordered such that, the left child of a node is smaller or equal than the item of the node and the right child is larger.

The abstract operations on a binary tree include —

- `Insert(x, t)` – Insert item `x` into the tree `t`.
 - `Remove(x, t)` – Remove one item `x` from tree `t`. Do nothing if `x` is not contained in the tree.
 - `Contains(x, t)` – Return `true` if the tree `t` contains item `x`. Return `false` otherwise.
 - `Initialize(t)` – Create an empty tree.
 - `Full(t), Empty(t)` – Test whether the tree can accept more insertions or removals, respectively.
- (a) Implement a binary tree following the implementation of the singly-linked lists as discussed in the lecture.
- (b) Test your implementation. You should expect the following “laws” to hold for any implementation of a queue:
- (A) After executing `Initialize(t)`; the tree `t` must be empty.
 - (B) After executing `Insert(x, t); Remove(x, t)`; the tree `t` must be the same as before execution of the two commands.
 - (C) After executing `Insert(x, t); y = Contains(x, t)`; the value of `y` must be `true`.
 - (D) After executing
`Insert(x, t); Insert(y, t); Remove(x, t); z = Contains(y, t);`
the value of `z` must be `true`.
 - (E) After executing
`Insert(x, t); Insert(x, t);`
`Remove(x, t); y = Contains(x, t);`
`Remove(x, t); z = Contains(x, t);`
the value of `y` must be `true` and the value of `z` must be `false`.

Implement a binary tree following the implementation of the singly-linked lists as discussed in the lecture.

The solutions to this exercise are found in `btree.c`, and the testing of the program is done via `CMake` and `tests.cpp`

Also, the solutions are made assuming that ALL nodes on the left of a parent, are smaller than or equal to that parent.

Similarly on the right, ALL nodes to the right, also children of children, are larger than the parent.