coursework1 template

November 3, 2020

1 Coursework 1 - Decision Trees Learning

1.0.1 Enter your candidate number here: 700041488

1.1 Summary

In this coursework, your task is to develop a machine learning classifier for predicting female patients that at high risk of Diabetes. Your model is to support clinicians in identifying patients who are likely to have "Diabetes". The dataset has 9 attributes in total including the "target/label" attribute. The full dataset is available on ELE under assessment coursework 1. The dataset consists of the following:

1.2 Dataset

- 1. preg: Number of times pregnant
- 2. plas: Plasma glucose concentration a 2 hours in an oral glucose tolerance test
- 3. pres: Diastolic blood pressure (mm Hg)
- 4. skin: Triceps skin fold thickness (mm)
- 5. insu: 2-Hour serum insulin (mu U/ml)
- 6. mass: Body mass index (weight in kg/(height in m)^2)
- 7. pedi: Diabetes pedigree function
- 8. age: Age (years)
- 9. class: Class variable (0 or 1)

```
[227]: dia_all.head(5)
```

```
[227]:
         preg plas pres
                                                                    class
                           skin
                                 insu
                                               pedi
                                                     age
                                       mass
      0
            6
                 148
                       72
                              35
                                     0
                                        33.6 0.627
                                                     50 tested_positive
      1
            1
                 85
                              29
                                       26.6 0.351
                                                      31 tested negative
                       66
                                     0
      2
            8
                183
                              0
                                       23.3 0.672
                                                      32 tested_positive
                       64
                                     0
                                                      21 tested negative
      3
             1
                 89
                        66
                              23
                                    94
                                       28.1 0.167
                 137
                                   168 43.1 2.288
                                                      33 tested_positive
                        40
                              35
```

1.3 Separate the inpout (attributes) from target (label)

```
[228]: dia_all = shuffle(dia_all)
dia_all['class'] = dia_all['class'].apply(lambda x: 1 if x == 'tested_positive'
else 0)
sourcevars = dia_all.iloc[:,:-1].astype(float) #all rows + all columns except
the last one
targetvar = dia_all.iloc[:,-1:] #all rows + only the last column
```

2 Your answers

Please clearly highlight each task.

- 2.1 Task1 [Exploratory data analysis]
- 2.2 Taks 1.a [Data Processing, Statistic Analysis, Cleaning and Correlation Matrix]

 $Helper\,Functions$

 $Zero\,Replacement$

```
[230]: df = pd.DataFrame()
       for col in sourcevars.columns:
           sourcevars[col] = sourcevars[col].mask(sourcevars[col] ==__
        →0, calculate_stats(sourcevars, col)[0])
      Data Statistics
[231]: dia_all.describe()
[231]:
                                 plas
                                              pres
                                                           skin
                                                                        insu
                                                                                    mass
                    preg
                                                    768.000000
                           768.000000
                                                                              768.000000
       count
              768.000000
                                        768.000000
                                                                 768.000000
       mean
                3.845052
                           120.894531
                                         69.105469
                                                      20.536458
                                                                  79.799479
                                                                               31.992578
                            31.972618
                                         19.355807
                                                                 115.244002
                                                                                7.884160
       std
                3.369578
                                                      15.952218
                             0.000000
                                          0.000000
                                                                   0.000000
                                                                                0.00000
       min
                0.000000
                                                      0.000000
       25%
                1.000000
                            99.000000
                                         62.000000
                                                      0.000000
                                                                   0.000000
                                                                               27.300000
       50%
                3.000000
                           117.000000
                                         72.000000
                                                      23.000000
                                                                  30.500000
                                                                               32.000000
       75%
                6.000000
                           140.250000
                                         80.000000
                                                      32.000000
                                                                 127.250000
                                                                               36.600000
               17.000000
                           199.000000
                                        122.000000
                                                      99.000000
                                                                 846.000000
                                                                               67.100000
       max
                    pedi
                                             class
                                  age
              768.000000
                           768.000000
                                        768.000000
       count
       mean
                0.471876
                            33.240885
                                          0.348958
                            11.760232
       std
                0.331329
                                          0.476951
       min
                0.078000
                            21.000000
                                          0.000000
       25%
                0.243750
                            24.000000
                                          0.00000
       50%
                            29.000000
                0.372500
                                          0.000000
       75%
                0.626250
                            41.000000
                                          1.000000
                            81.000000
       max
                2.420000
                                          1.000000
[245]: from IPython.display import Image
       corr = sourcevars.corr()
       fig = corr.style.background_gradient('coolwarm', axis=1).
```

[245]:

Image(filename='fig.png')

→set_properties(**{'max-width': '180px', 'font-size': '10pt', 'padding': "1em_

→2em"}).set_caption("Correlation Matrix").set_precision(2)

Correlation Matrix

| | preg | plas | pres | skin | insu | mass | pedi | age |
|------|-------|------|------|------|-------|------|-------|------|
| preg | 1.00 | 0.15 | 0.25 | 0.05 | -0.02 | 0.10 | -0.01 | 0.53 |
| plas | 0.15 | 1.00 | 0.22 | 0.16 | 0.40 | 0.23 | 0.14 | 0.27 |
| pres | 0.25 | 0.22 | 1.00 | 0.13 | 0.01 | 0.28 | 0.00 | 0.33 |
| skin | 0.05 | 0.16 | 0.13 | 1.00 | 0.24 | 0.54 | 0.15 | 0.03 |
| insu | -0.02 | 0.40 | 0.01 | 0.24 | 1.00 | 0.19 | 0.16 | 0.04 |
| mass | 0.10 | 0.23 | 0.28 | 0.54 | 0.19 | 1.00 | 0.15 | 0.03 |
| pedi | -0.01 | 0.14 | 0.00 | 0.15 | 0.16 | 0.15 | 1.00 | 0.03 |
| age | 0.53 | 0.27 | 0.33 | 0.03 | 0.04 | 0.03 | 0.03 | 1.00 |

[76]: sourcevars.corr()

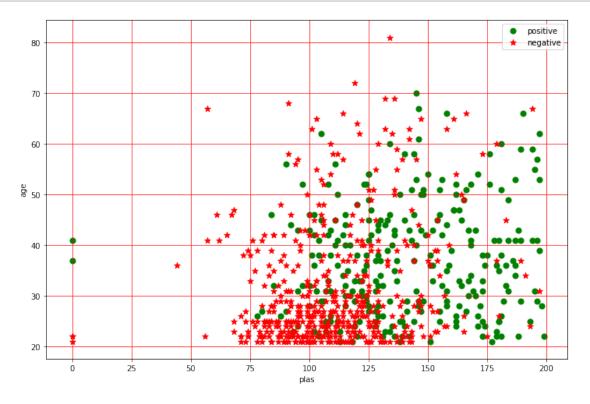
| [76]: | | preg | plas | pres | skin | insu | mass | pedi | \ |
|-------|------|-----------|----------|----------|----------|-----------|----------|-----------|---|
| | preg | 1.000000 | 0.152568 | 0.253275 | 0.045776 | -0.016738 | 0.097663 | -0.010297 | |
| | plas | 0.152568 | 1.000000 | 0.219666 | 0.160766 | 0.396597 | 0.231478 | 0.137106 | |
| | pres | 0.253275 | 0.219666 | 1.000000 | 0.134155 | 0.010926 | 0.281231 | 0.000371 | |
| | skin | 0.045776 | 0.160766 | 0.134155 | 1.000000 | 0.240361 | 0.535703 | 0.154961 | |
| | insu | -0.016738 | 0.396597 | 0.010926 | 0.240361 | 1.000000 | 0.189856 | 0.157806 | |
| | mass | 0.097663 | 0.231478 | 0.281231 | 0.535703 | 0.189856 | 1.000000 | 0.153508 | |
| | pedi | -0.010297 | 0.137106 | 0.000371 | 0.154961 | 0.157806 | 0.153508 | 1.000000 | |
| | age | 0.525261 | 0.266600 | 0.326740 | 0.026423 | 0.038652 | 0.025748 | 0.033561 | |

age

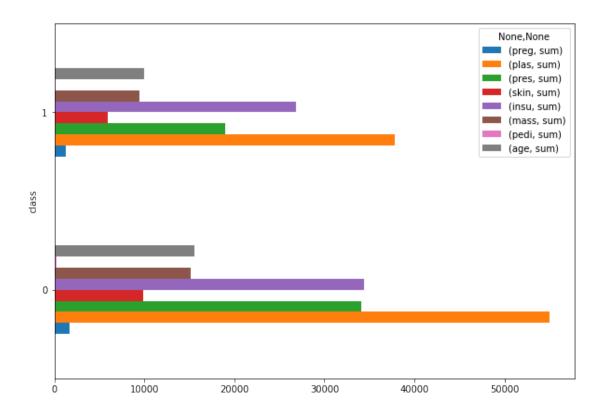
preg 0.525261 plas 0.266600 pres 0.326740 skin 0.026423 insu 0.038652 mass 0.025748 pedi 0.033561 age 1.000000

2.3 Task 1.b [Understand data using grouping and Class Distribution]

```
[179]: ax = dia_all[dia_all['class']==1].plot.scatter(x='plas', y='age', marker='o', \( \to \) \
```



```
[183]: df2 = dia_all.groupby(['class']).agg(['sum'])
    df2.plot(kind='barh', stacked=False, figsize=(10,7));
```



$Check\ for\ distribution\ of\ true\ and\ false\ cases$

Number of True cases: 268 (34.90%)

Number of False cases: 500 (65.10%)

2.4 Task 2.a [Classification]

2.5 2.a.1 Decision Tree (DT) classifier

```
[29]: from sklearn.model_selection import train_test_split from sklearn.preprocessing import StandardScaler from sklearn.tree import DecisionTreeClassifier from sklearn.model_selection import GridSearchCV from sklearn import metrics import numpy as np
```

General normalization function

```
[136]: def standardize(X):
    """ Standardize the dataset X """
    X_std = X
    mean = X.mean(axis=0)
    std = X.std(axis=0)
    X_std = (X - X.mean(axis=0)) / X.std(axis=0)
    return X_std
```

Find optimum parameters using Grid Search technique

```
{'max_depth': 6, 'max_features': 4, 'min_samples_split': 3}
     0.7736666666666666
[84]: X_train, X_test, y_train, y_test = split_data()
     tree = DecisionTreeClassifier(max_depth=6,max_features = 4, min_samples_split =__
      \rightarrow3, random_state = 0)
     tree.fit(X_train,y_train)
     print("Accuracy on training set: {:.3f}".format(tree.score(X_train,y_train)))
     print("Accuracy on test set: {:.3f}".format(tree.score(X_test,y_test)))
     Accuracy on training set: 0.872
     Accuracy on test set: 0.766
[85]: prediction_from_test_data = tree.predict(X_test)
     accuracy = metrics.accuracy_score(y_test, prediction_from_test_data)
     print ("Accuracy of Decision Tree is: {0:0.4f}".format(accuracy))
     Accuracy of Decision Tree is: 0.7662
[86]: print ("Confusion Matrix")
     print ("{0}".format(metrics.confusion_matrix(y_test, prediction_from_test_data,__
      \rightarrowlabels=[1, 0]))
     Confusion Matrix
     [[ 52 25]
      [ 29 125]]
[87]: print ("Classification Report")
     print('_____
     print ("{0}".format(metrics.classification_report(y_test,__
      →prediction_from_test_data, labels=[1, 0])))
     Classification Report
                  precision recall f1-score support
               1
                       0.64
                               0.68
                                          0.66
                                                      77
                       0.83
                                 0.81
                                          0.82
                                                     154
                                          0.77
                                                     231
        accuracy
        macro avg
                       0.74
                               0.74
                                          0.74
                                                     231
     weighted avg
                       0.77 0.77
                                          0.77
                                                     231
```

```
[88]: # Making the Confusion Matrix
     from sklearn.metrics import classification report, confusion matrix
     y_pred = tree.predict(X_test)
     cm = confusion_matrix(y_test, y_pred)
     print('TP - True Negative {}'.format(cm[0,0]))
     print('FP - False Positive {}'.format(cm[0,1]))
     print('FN - False Negative {}'.format(cm[1,0]))
     print('TP - True Positive {}'.format(cm[1,1]))
     print('_____')
     print('Accuracy Rate: {}'.format(np.divide(np.sum([cm[0,0],cm[1,1]]),np.
      →sum(cm))))
     print('Misclassification Rate: {}'.format(np.divide(np.
      \rightarrowsum([cm[0,1],cm[1,0]]),np.sum(cm))))
     round(metrics.roc_auc_score(y_test,y_pred),5)
     print ("Confusion Matrix")
     print(cm)
     TP - True Negative 125
     FP - False Positive 29
     FN - False Negative 25
     TP - True Positive 52
     Accuracy Rate: 0.7662337662337663
     Misclassification Rate: 0.23376623376623376
     Confusion Matrix
     [[125 29]
     [ 25 52]]
```

2.6 2.a.2 - Repeat(2.a.1) the experiment 10 times (General function for multiple iterations)

```
model.fit(X_train,y_train)
    prediction_from_test_data = model.predict(X_test)
    accuracy = metrics.accuracy_score(y_test, prediction_from_test_data)
    MSE append (metrics mean_squared_error(y_test, prediction_from_test_data))
    cm = confusion_matrix(y_test, prediction_from_test_data)
    precision = metrics.precision_score(prediction_from_test_data, y_test,_
 →average='micro')
    TN.append(cm[0,0]); FP.append(cm[0,1]); FN.append(cm[1,0]); TP.
 \rightarrowappend(cm[1,1])
    PRECISION.append(precision); ACCURACY.append(accuracy)
    print('Running cyle: %s'%str(i))
    print('_____')
    print('Random Split {}'.format(random_train_test_split))
    print('TN - True Negative {}'.format(cm[0,0]))
    print('FP - False Positive {}'.format(cm[0,1]))
    print('FN - False Negative {}'.format(cm[1,0]))
    print('TP - True Positive {}'.format(cm[1,1]))
    print('Precision of Decision Tree {0:0.4f}'.format(precision))
    print ("Accuracy of Decision Tree {0:0.4f}".format(accuracy))
    print("Test set MSE for {} cycle:{}".format(i+1,MSE[i]))
    print('____')
print("Mean MSE for {}-random split cross validation : {}".format(len(MSE), np.
 →mean(MSE)))
print("Mean Accuracy for {}-random split cross validation : {}".
 →format(len(ACCURACY), np.mean(ACCURACY)))
print("Mean Precision for {}-random split cross validation : {}".
 →format(len(PRECISION), np.mean(PRECISION)))
print("Mean True Negative for {}-random split cross validation : {}".
 →format(len(TN), np.mean(TN)))
print("Mean False Positive for {}-random split cross validation : {}".
 →format(len(FP), np.mean(FP)))
print("Mean False Negative for {}-random split cross validation : {}".
 →format(len(FN), np.mean(FN)))
print("Mean True Positive for {}-random split cross validation : {}".
 →format(len(TP), np.mean(TP)))
Running cyle: 0
Random Split 0.99
TN - True Negative 404
FP - False Positive 90
```

FN - False Negative 112

```
TP - True Positive 155
Precision of Decision Tree 0.7346
Accuracy of Decision Tree 0.7346
Test set MSE for 1 cycle:0.26544021024967146
               -----
Running cyle: 1
Random Split 0.16
TN - True Negative 61
FP - False Positive 21
FN - False Negative 10
TP - True Positive 31
Precision of Decision Tree 0.7480
Accuracy of Decision Tree 0.7480
Test set MSE for 2 cycle:0.25203252032520324
Running cyle: 2
Random Split 0.31
TN - True Negative 128
FP - False Positive 32
FN - False Negative 37
TP - True Positive 42
Precision of Decision Tree 0.7113
Accuracy of Decision Tree 0.7113
Test set MSE for 3 cycle:0.28870292887029286
Running cyle: 3
Random Split 0.42
TN - True Negative 161
FP - False Positive 59
FN - False Negative 37
TP - True Positive 66
Precision of Decision Tree 0.7028
Accuracy of Decision Tree 0.7028
Test set MSE for 4 cycle:0.29721362229102166
               .____
Running cyle: 4
Random Split 0.36
TN - True Negative 145
FP - False Positive 44
FN - False Negative 36
TP - True Positive 52
Precision of Decision Tree 0.7112
Accuracy of Decision Tree 0.7112
```

Test set MSE for 5 cycle:0.2888086642599278

| Running cyle: 5 |
|--|
| Random Split 0.51 TN - True Negative 202 FP - False Positive 64 FN - False Negative 49 TP - True Positive 77 Precision of Decision Tree 0.7117 Accuracy of Decision Tree 0.7117 Test set MSE for 6 cycle:0.288265306122449 |
| Running cyle: 6 |
| Random Split 0.7 TN - True Negative 276 FP - False Positive 79 FN - False Negative 82 TP - True Positive 101 Precision of Decision Tree 0.7007 Accuracy of Decision Tree 0.7007 Test set MSE for 7 cycle:0.2992565055762082 |
| Running cyle: 7 |
| Random Split 0.58 TN - True Negative 214 FP - False Positive 85 FN - False Negative 54 TP - True Positive 93 Precision of Decision Tree 0.6883 Accuracy of Decision Tree 0.6883 Test set MSE for 8 cycle:0.3116591928251121 |
| Running cyle: 8 |
| Random Split 0.95 TN - True Negative 311 FP - False Positive 162 FN - False Negative 77 TP - True Positive 180 Precision of Decision Tree 0.6726 Accuracy of Decision Tree 0.6726 Test set MSE for 9 cycle:0.3273972602739726 |
| Running cyle: 9 |
| Random Split 0.36 |

2.7 2.b.1 Peformance comparsion between Gini impurity ("gini") to information gain ("entropy")

```
[90]: def compare_performance(criterion='gini', max_depth = 7, min_samples_split = 5):
        tree = DecisionTreeClassifier(max_depth=max_depth, max_features = 3,__

_min_samples_split = min_samples_split, random_state=0, criterion=criterion)

        tree.fit(X train, y train)
        return [tree.score(X_train,y_train), tree.score(X_test,y_test)]
     print('Performance Check on: gini')
     train_gini, test_gini = compare_performance(criterion='gini')
     print('_____')
     print("Accuracy on training set: {:.3f}".format(train_gini))
     print("Accuracy on test set: {:.3f}".format(test_gini))
     print('____')
     print('Performance Check on: entropy')
     train entropy, test entropy = compare performance(criterion='entropy')
     print('_____')
     print("Accuracy on training set: {:.3f}".format(train_entropy))
     print("Accuracy on test set: {:.3f}".format(test_entropy))
     print('_____')
```

Performance Check on: gini

Accuracy on training set: 0.868 Accuracy on test set: 0.711

```
Performance Check on: entropy

Accuracy on training set: 0.843

Accuracy on test set: 0.704
```

2.8 2.b.2 Peformance comparsion between Gini impurity ("gini") to information gain ("entropy") on random train test split and for 10 iterations

Mean Accuracy gini for 10-random train test cross validation : 0.6893745870311155

```
[92]: accuracy_entropy = repeat_experiment(criterion='entropy')

print("Mean Accuracy entropy for {}-random train test cross validation : {}".

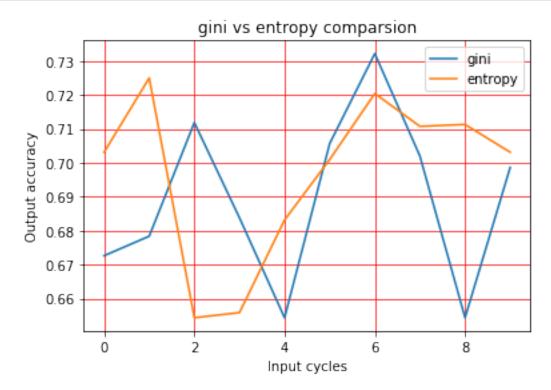
→format(len(accuracy_entropy), np.mean(accuracy_entropy)))
```

Mean Accuracy entropy for 10-random train test cross validation : 0.6967989583165975

2.9 2.c Performance comparsion between "gini" and "entropy" using chart

```
[180]: cycles = range(10)
   plt.plot(cycles, accuracy_gini, label='gini')
   plt.plot(cycles, accuracy_entropy, label='entropy')
```

```
plt.title('gini vs entropy comparsion')
plt.xlabel('Input cycles')
plt.ylabel('Output accuracy')
plt.grid(True, linewidth=0.7, color='#ff0000', linestyle='-')
plt.legend()
plt.show()
```



2.10 2.d why standardizing helps in improving performance

Standardizing a dataset in machine learning helps with making the data comparable across tasks and algorithms. There are many data preprocessing steps that could be applied to a dataset, such as data normalization, feature selection, data transformations, and so on. In the given dataset there were some zero values which are kind of outliers in data and hence removing zeros before applying DT algorithm definitely improved the performance. Also when I tried to standardize the dataset using formula

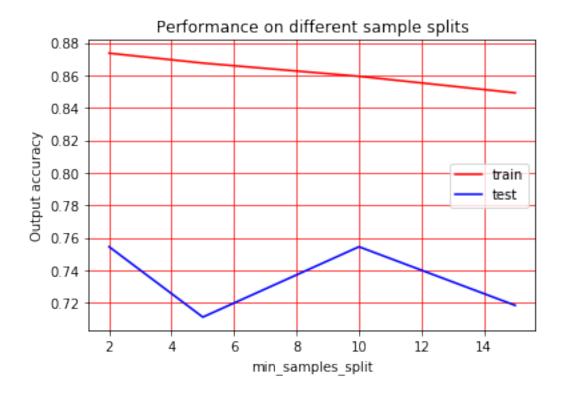
standardized_data =
$$\frac{data - \mu}{\sigma}$$

There was no change in the performance of the model. The reason for that is because the data is highly correlated and is standardized.

2.11 Task 3[Classification parameters DT]

2.12 Task 3.a min_samples_split effect on performance of algorithm

```
[181]: min_samples_split = [2, 5, 10, 15]
       acc_comparsion_train = []
       acc_comparsion_test = []
       for sample in min_samples_split:
           acc_comparsion_train.append(compare_performance(min_samples_split =__
        \rightarrowsample)[0])
           acc_comparsion_test.append(compare_performance(min_samples_split =_
        \rightarrowsample)[1])
       plt.plot(min_samples_split, acc_comparsion_train, label='train', color='r')
       plt.plot(min_samples_split, acc_comparsion_test, label='test', color='b')
       plt.title('Performance on different sample splits')
       plt.grid(True, linewidth=0.7, color='#ff0000', linestyle='-')
       plt.xlabel('min_samples_split')
       plt.ylabel('Output accuracy')
       plt.legend()
       plt.show()
```



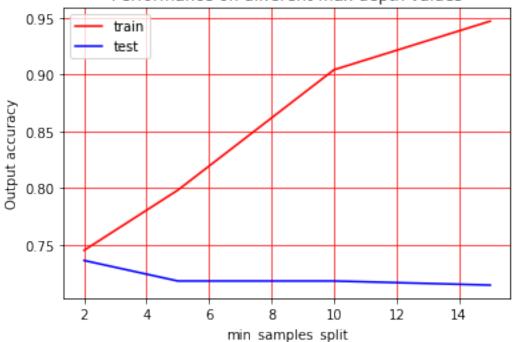
2.13 Task 3.b max_depth effect on performance of algorithm

```
[182]: max_depth = [3, 4, 5, 6]
    acc_comparsion_train = []
    acc_comparsion_test = []

for sample in min_samples_split:
    acc_comparsion_train.append(compare_performance(max_depth = sample)[0])
    acc_comparsion_test.append(compare_performance(max_depth = sample)[1])

plt.plot(min_samples_split, acc_comparsion_train, label='train', color='r')
    plt.plot(min_samples_split, acc_comparsion_test, label='test', color='r')
    plt.title('Performance on different max depth values')
    plt.grid(True, linewidth=0.7, color='#ff0000', linestyle='-')
    plt.xlabel('min_samples_split')
    plt.ylabel('Output accuracy')
    plt.legend()
    plt.show()
```



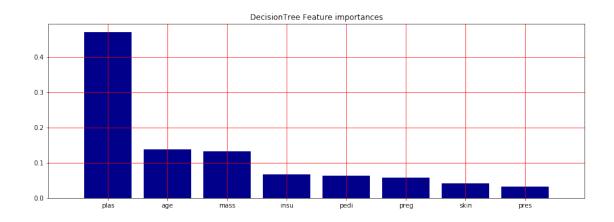


2.14 Task 4[Decision Tree Boundaries] - Implemented this part to understand decision tree better

```
[96]: #Feature Importance DecisionTreeClassifier
     importance = tree.feature_importances_
     indices = np.argsort(importance)[::-1]
     feature = X_train
     feat_names = sourcevars.columns
     print("DecisionTree Feature ranking:")
     print('_____')
     for f in range(feature.shape[1]):
         print("%d. feature %s (%f)" % (f + 1, feat_names[indices[f]],__
      →importance[indices[f]]))
     print('_____')
     plt.figure(figsize=(15,5))
     plt.title("DecisionTree Feature importances")
     plt.bar(range(feature.shape[1]), importance[indices], color='#00008B', ___
      →align="center")
     plt.xticks(range(feature.shape[1]), list(feat_names[indices]))
     plt.xlim([-1, feature.shape[1]])
     plt.grid(True, linewidth=0.7, color='#ff0000', linestyle='-')
     plt.show()
```

DecisionTree Feature ranking:

```
1. feature plas (0.470215)
2. feature age (0.136975)
3. feature mass (0.131788)
4. feature insu (0.066243)
5. feature pedi (0.063821)
6. feature preg (0.057307)
7. feature skin (0.041671)
8. feature pres (0.031980)
```



```
[97]: from sklearn.tree import export_graphviz
import graphviz

importance = tree.feature_importances_
indices = np.argsort(importance)[::-1]

export_graphviz(tree,out_file="diabetes_tree.dot",class_names=["0","1"],
    feature_names=sourcevars.columns,impurity=False,filled=True)

with open("diabetes_tree.dot") as f:
    dot_graph = f.read()
    graphviz.Source(dot_graph)
```

```
[97]:
```

```
[98]: #Evaluation DecisionTreeClassifier

from sklearn.metrics import roc_curve, auc import random

y_pred = model.predict(X_test)
fpr,tpr,thres = roc_curve(y_test, y_pred)
roc_auc = auc(fpr, tpr)
```

