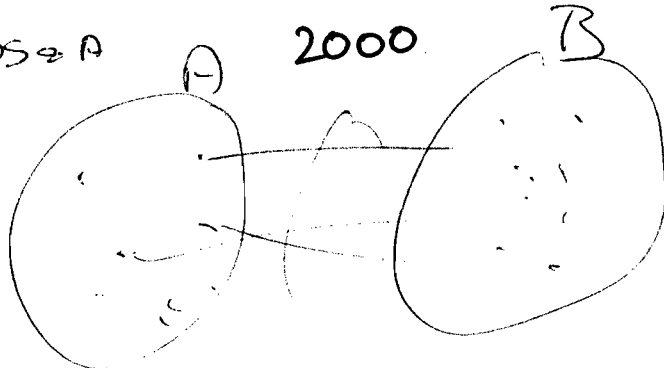


⑦

DS & A

2000



①
p5q1
MR
p12q1

$G(V, E)$

all edges between A and B

$$E = \{(a, b) \mid a \in A, b \in B\}$$

and $A \cap B = \emptyset$
 $A \cup B = V$

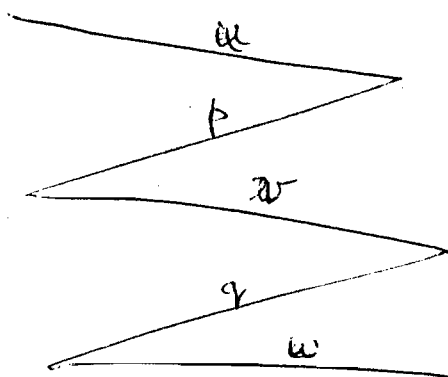
A match is a subset of the ~~set~~ E

st $(a, b) \in M$ and $(c, d) \in M$

$$\Rightarrow (a=c, b=d)$$

or
 $(a \neq c, b \neq d)$

Augmenting path. P U p v q w



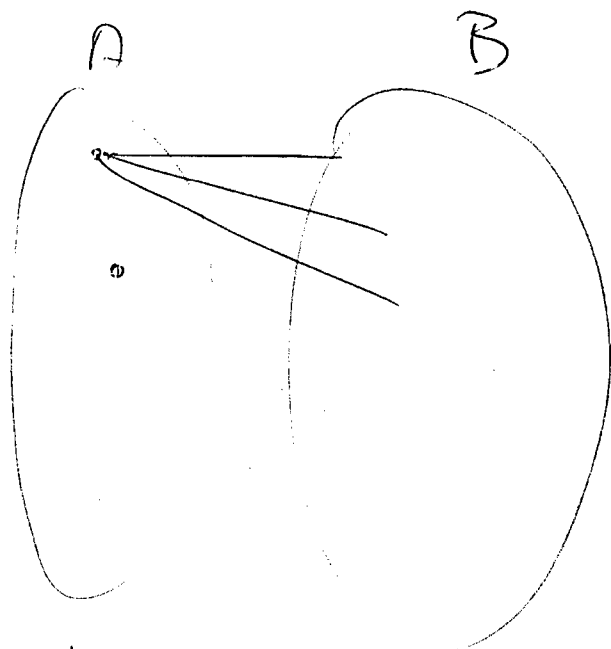
$$u, v, w \notin M$$

$$p, q \in M$$

consider $P \oplus M$

This is a matching with more edges than M.

proof bookwork. (quite easy).



$M = \emptyset$

- ① Find an augmenting path rel to M
- ② if none found return M
- ③ $M \leftarrow P \oplus M$

Then give details of ①

for each $a \in A$

for each $(a, b) \notin M$

[if no $(a, b) \in M$ return with path
now find any path from a
etc

not difficult

search $< m$ steps to find a matching

have to do it $< m$ times so $O(m^2)$ usually much faster.