

## A. MESOCOSM

### A self-sustaining ecosystem



#### Seal:

- Makes this a **closed** system
- **Prevents entry** and **exit** of chemical substances

#### Air contains:

- $O_2$  for **respiration**
- $CO_2$  for **photosynthesis**

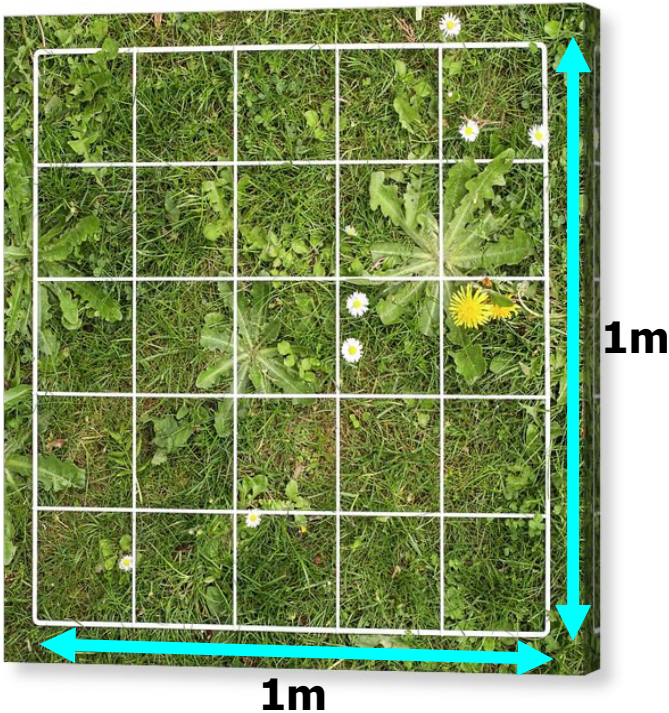
#### Pond water contains:

- **Autotrophs** to produce **glucose** and **oxygen** by **photosynthesis** that **themselves** and **other organisms** can use in **respiration**
- **Saprotrophs** to **decompose** dead organic matter and **recycle nutrients**
- **Consumers** and detritivores are **not essential** but are usually **included** as they are **part of normal ecosystems**

Advantages of using a mesocosm	Limitations of using a mesocosm
Can easily <b>alter/control other variables</b>	<b>Difficult to mimic natural environmental conditions exactly</b>
Closed system so <b>no external processes</b> affect the <b>experiment</b>	<b>Natural environments change/are not static</b>
Can carry out experiments with <b>many samples/replicates</b>	
<b>Easy collection of continuous data</b>	

## B. QUADRATS

### A square sampling area used in ecology



#### Random sampling:

- **Divide** a sample area up using **gridlines** and **coordinates**
- **Use a computer random number generator** to produce **random grid coordinates** e.g. A3, G10
- Place a **quadrat on the ground with its corner** at these coordinates
- **Count** the species of interest
- **Repeat** this with **many quadrats** so that data is **reliable**

### Example calculation of how to estimate the total number of daisies in a field

- Imagine that you have calculated the **mean** number of daisies seen in fifty quadrats that were randomly placed in a field, as **22** daisies.

22 daisies in **1 m<sup>2</sup>** of the field

The whole field measures **200 m<sup>2</sup>**

(So) **estimated total number of daisies** in the **whole field** is  $22 \times 200 = \underline{\underline{4,400}}$

### C. ASSOCIATION & THE CHI-SQUARED TEST

**ASSOCIATION** means that **one species can interact with another species and influence where it is found**

There are **two** possibilities here:

- If two species **are associated**, they interact but this can be positive or negative association.
  - **positively** associated means that they are **found** in the **same habitat**
  - **negatively** associated means that they are **not found** in the **same habitat**
- If two species show **no association**, they **do not interact** and their distribution is **random** and completely **independent** of one another

We are **counting** individuals here, not measuring, so the **chi-squared test** is used

#### Worked Example

The presence or absence of two species were recorded in fifty 1 m<sup>2</sup> quadrats on a rocky sea shore in the UK.

The results are shown in the table below.

**Use the chi-squared test to determine if there is an association between these two species.**

- The table must be set out **exactly** like this:
- The table shows the **presence or absence** of **each species** in **different quadrats**.

		Number of individuals of species X	
		Present	Absent
Number of individuals of species Y	Present	6	15
	Absent	20	9

- We first calculate the **expected numbers**, assuming **no association** between these two species

**NULL HYPOTHESIS:** There is **no significant association** between the **two species** (i.e. the **location** of **species A** has **no effect** on the **location** of **species B**)

- This is calculated by the equation:

$$\text{Expected number} = \frac{\text{row total} \times \text{column total}}{\text{grand total of all numbers}}$$

- This allows us to put the expected number, assuming **no association**, in **brackets**.

		Number of individuals of species X	
		Present	Absent
Number of individuals of species Y	Present	6 (10.9)	15 (10.1)
	Absent	20 (15.1)	9 (13.9)

- We now calculate the **chi-squared ( $\chi^2$ )** value using each of the four squares of the table:

Square	Observed (O)	Expected (E)	(O - E)	(O - E) <sup>2</sup>	$\frac{(O - E)^2}{E}$
A	6	10.9	- 4.9	24.01	2.20
B	15	10.1	4.9	24.01	2.37
C	20	15.1	4.9	24.01	1.59
D	9	13.9	-4.9	24.01	1.72

- The **chi-squared ( $\chi^2$ )** is the **total** of the **last column** of this table, so  **$\chi^2 = 7.89$**

- For this table, **degrees of freedom** =

$$(m-1) \times (n-1)$$

where **m** = number of **rows** in results table;

**n** = number of **columns** in results table.

(So) **degrees of freedom** =  $(2-1) \times (2-1) = 1$  (it **always will be** for this grid!)

Degrees of freedom	Probability, p				
	0.2	0.1	<b>0.05</b>	0.02	0.01
<b>1</b>	1.64	2.71	<b>3.84</b>	5.41	6.64
2	3.22	4.61	5.99	7.82	9.21
3	4.64	6.25	7.82	9.84	11.35
4	5.99	7.78	9.49	11.67	13.28
5	7.29	9.24	11.07	13.39	15.09

The **critical (book) value** at **1 degree of freedom** and a **probability** level of **0.05** is **3.84**

- Our  **$\chi^2$  value** of 7.89 is > than the **critical value** of 3.84
- (So) we **reject** the **null hypothesis**
- (So) there **is a significant association** between the two species
- There is a significant difference between observed and expected numbers at the **5% significance level**.
- Looking at the results table, they are **not usually found together** in the **same habitat**, so this is a **significant negative association**.
- The **probability** of these **two species not** being **negatively associated** is **<5%**
- The location of species **A does negatively affect/influence** the location of species **B**.