Run the entire notebook once. Then for each moment tensor, you need only run the last command, after entering your own eigenvalue triple Λ and orthonormal eigenbasis u.

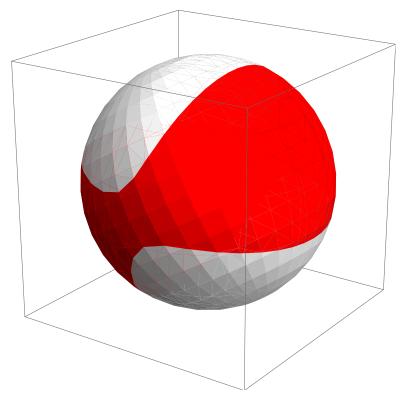
See the file BeachballCodeTutorial for more explanation.

```
sind[t_] := Sin[t Degree];
 cosd[t_] := Cos[t Degree];
 tand[t_] := Tan[t Degree];
 arccosd[t_] := ArcCos[t] / Degree;
 arctand[t_] := ArcTan[t] / Degree;
xyztp[\{\theta_-, \phi_-\}] := \{cosd[\theta] sind[\phi], sind[\theta] sind[\phi], cosd[\phi]\};
 id = IdentityMatrix[3];
BasicPoly[i_, j_, RangeX_, RangeY_] := \{ \{RangeX[[i ]], RangeY[[j]] \}, \}
                                                                          {RangeX[[i+1]], RangeY[[j]]},
                                                                          {RangeX[[i+1]], RangeY[[j+1]]},
                                                                          {RangeX[[i ]], RangeY[[j+1]]}};
BasicPolys[RangeX_, RangeY_] := Flatten[Table[BasicPoly[i, j, RangeX, RangeY],
         {i, Length[RangeX] - 1}, {j, Length[RangeY] - 1}], 1];
 \begin{aligned} &\text{XRot}[\texttt{t}_{-}] := \begin{pmatrix} 1 & 0 & 0 \\ 0 & \text{Cos}[\texttt{t}] & -\text{Sin}[\texttt{t}] \\ 0 & \text{Sin}[\texttt{t}] & \text{Cos}[\texttt{t}] \end{pmatrix}; \\ &\text{YRot}[\texttt{t}_{-}] := \begin{pmatrix} &\text{Cos}[\texttt{t}] & 0 & \text{Sin}[\texttt{t}] \\ 0 & 1 & 0 \\ &-\text{Sin}[\texttt{t}] & 0 & \text{Cos}[\texttt{t}] \end{pmatrix}; \\ &\text{ZRot}[\texttt{t}_{-}] := \begin{pmatrix} &\text{Cos}[\texttt{t}] & -\text{Sin}[\texttt{t}] & 0 \\ &\text{Sin}[\texttt{t}] & &\text{Cos}[\texttt{t}] & 0 \\ &0 & 0 & 1 \end{pmatrix}; \end{aligned} 
xrot[t_] := XRot[t Degree];
yrot[t_] := YRot[t Degree];
 zrot[t_] := ZRot[t Degree];
rot111 = \begin{pmatrix} 0 & 0 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{pmatrix};
 zref = DiagonalMatrix[{1, 1, -1}];
myRange[x1_, x2_, Nsubintervals_] :=
     If [x2 \le x1, {}, Range[x1, x2, (x2-x1) / Nsubintervals]];
 HueIn = White; (* change to GrayLevel[.8] or Blue, etc. *)
 HueOut = Red;
 HueBeach[v_{,}M_{]} := If[(M.v).v > 0, HueOut, HueIn]
\mathrm{phin}[\theta_-, \{\lambda 1_-, \lambda 2_-, \lambda 3_-\}] := \mathrm{arccosd} \Big[ \sqrt{\frac{\lambda 1 \operatorname{cosd}[\theta]^2 + \lambda 2 \operatorname{sind}[\theta]^2}{\lambda 1 \operatorname{cosd}[\theta]^2 + \lambda 2 \operatorname{sind}[\theta]^2 - \lambda 3}} \ \Big]
 SubdivideForLambda[poly_, \{\lambda 1_{-}, \lambda 2_{-}, \lambda 3_{-}\}] :=
     If [(\lambda 1 \ge 0 \&\& \lambda 2 \ge 0 \&\& \lambda 3 \ge 0) \mid |(\lambda 1 \le 0 \&\& \lambda 2 \le 0 \&\& \lambda 3 \le 0)]
       poly, Subdivide[poly, phiN[\#, {\lambda1, \lambda2, \lambda3}] &]];
 Subdivide[\{\{x1_, y1_\}, \{x2_, y2_\}, \{x3_, y3_\}, \{x4_, y4_\}\}, f_] :=
     If[y1 < f[x1] < y4 && y2 < f[x2] < y3,
```

```
{{{x1, y1}, {x2, y2}, {x2, f[x2]}, {x1, f[x1]}}, (* lower quadrilateral *)
 {{x4, y4}, {x3, y3}, {x2, f[x2]}, {x1, f[x1]}}}, (* upper quadrilateral *)
If y1 < f[x1] < y4 && f[x2] < y2,
 \left\{\left\{\{x1, f[x1]\}, \{x1, y1\}, \left\{x1 + \frac{(y1 - f[x1])(x2 - x1)}{f[x2] - f[x1]}, y1\right\}, \{x1, f[x1]\}\right\}\right\}
   (* upper left triangle *)
   \left\{ \left\{ \text{x1, f[x1]} \right\}, \left\{ \text{x1} + \frac{(\text{y1-f[x1]}) (\text{x2-x1})}{\text{f[x2]-f[x1]}}, \text{y1} \right\}, \left\{ \text{x2, y2} \right\}, \left\{ \text{x3, y3} \right\}, \left\{ \text{x4, y4} \right\} \right\} \right\},
  (* the remaining pentagon *)
 If[f[x1] < y1 && y2 < f[x2] < y3,
   \left\{ \left\{ \left\{ x1 + \frac{(y1 - f[x1]) (x2 - x1)}{f[x2] - f[x1]}, y1 \right\}, \{x2, y2\}, \{x2, f[x2]\} \right\}, \right.
     \left\{\left\{x1 + \frac{(y1 - f[x1])(x2 - x1)}{f[x2] - f[x1]}, y1\right\}, \{x2, f[x2]\}, \{x3, y3\}, \{x4, y4\}, \{x1, y1\}\right\}\right\},
   If[y4 < f[x1] && y2 < f[x2] < y3,
     \left\{\left\{\left\{x1+\frac{(y3-f[x1])(x2-x1)}{f[x2]-f[x1]},y3\right\},\{x3,y3\},\{x3,f[x3]\}\right\}\right\}
       \left\{\left\{x1 + \frac{(y3 - f[x1])(x2 - x1)}{f[x2] - f[x1]}, y3\right\}, \left\{x3, f[x3]\right\}, \left\{x2, y2\right\}, \left\{x1, y1\right\}, \left\{x4, y4\right\}\right\}\right\},
     If[y1 < f[x1] < y4 && y3 < f[x2],
       \left\{\left\{x1 + \frac{(y3 - f[x1])(x2 - x1)}{f[x2] - f[x1]}, y3\right\}, \{x4, y4\}, \{x4, f[x4]\}\right\},
         \left\{\left\{x1 + \frac{(y3 - f[x1]) (x2 - x1)}{f[x2] - f[x1]}, y3\right\}, \{x3, y3\}, \{x2, y2\},\right\}
           {x1, y1}, {x1, f[x1]}
       If[(f[x2] < y2 && y4 < f[x4]) || (f[x1] < y1 && y3 < f[x3]),
         \left\{ \left\{ x_4 + \frac{(y_1 - f[x_4]) (x_2 - x_4)}{f[x_2] - f[x_4]}, y_1 \right\}, \{x_2, y_2\}, \{x_3, y_3\}, \right\}
             \left\{x4 + \frac{(y4 - f[x4])(x2 - x4)}{f[x2] - f[x4]}, y3\right\}\right\}, (* left quadrilateral *)
           \left\{\left\{x4 + \frac{(y1 - f[x4])(x2 - x4)}{f[x2] - f[x4]}, y1\right\}, \{x1, y1\}, \{x4, y4\},\right\}
             \left\{x4 + \frac{(y4 - f[x4])(x2 - x4)}{f[x2] - f[x4]}, y3\right\}\right\}
```

```
\{\{\{x1, y1\}, \{x2, y2\}, \{x3, y3\}, \{x4, y4\}\}\}\}]]]]];
       th0[{a_, b_, c_}] := arctand \left[\sqrt{-a/b}\right]; (* special case for \lambda 1 \ \lambda 2 \ \lambda 3 = 0 \ *)
       OrangeSlice[\theta1_{-}, \theta2_{-}] :=
          \operatorname{Map}\left[\operatorname{xyztp}[\#] \&, \operatorname{BasicPolys}\left[\operatorname{myRange}\left[\theta 1, \theta 2, \operatorname{Min}\left[\operatorname{Select}\left[\operatorname{Range}\left[30\right], \frac{\theta 2 - \theta 1}{\#} \le 10 \&\right]\right]\right]\right],
             Range[0., 180, 10], {2}];
       PolyList = BasicPolys[Range[0., 360, 10], Range[0., 90, 10]];
        (\star (\theta, \phi)) polys for hemisphere; take smaller increments if desired \star)
       SubdividePolyList[PolyList_, \Lambda_] :=
          Flatten[SubdivideForLambda[#, A] & /@ PolyList, 1];
       (*(\theta, \phi)) polys for hemisphere after the subdivision *)
       PolyListForBeachball0[\Lambda_{-}] := If[(\Lambda[[1]] \ge 0 \&\& \Lambda[[2]] \ge 0 \&\& \Lambda[[3]] \ge 0) \mid |
              (\Lambda[[1]] \le 0 \&\& \Lambda[[2]] \le 0 \&\& \Lambda[[3]] \le 0), (* all white or all red *)
            Join[Map[zref.xyztp[#] &, PolyList, {2}],
                  Map[
                                xyztp,
                                                PolyList, {2}]],
            If[\Lambda[[1]] \Lambda[[2]] \Lambda[[3]] = 0, (* at least one eigenvalue is zero *)
             Join[OrangeSlice[-th0[\Lambda], th0[\Lambda]],
               OrangeSlice[th0[\Lambda], -th0[\Lambda] + 180], OrangeSlice[-th0[\Lambda] + 180, th0[\Lambda] + 180],
               OrangeSlice[ th0[\Lambda] + 180, -th0[\Lambda] + 360]],
             Join[
                                                    (* the usual
               Map[zref.xyztp[#] &, SubdividePolyList[PolyList, A], {2}],
               Map[
                                             SubdividePolyList[PolyList, A], {2}]]]];
PolyListForBeachball0 was only for \lambda 1 >= 0, \lambda 2 >= 0, \lambda 3 <= 0 OR \lambda 1 <= 0, \lambda 2 <= 0, \lambda 3 >= 0 (or for all \lambda 3 the same sign). PolyList-
ForBeachball removes the restriction.
       CycleMat[{a_, b_, c_}] :=
          If [(a > 0 \&\& c > 0 \&\& b < 0) \mid | (a < 0 \&\& c < 0 \&\& b > 0) \mid | b == 0, rot111,
            If[(b > 0 \&\&c > 0 \&\&a < 0) \mid | (b < 0 \&\&c < 0 \&\&a > 0) \mid |a == 0, rot111.rot111, id]];
       PolyListForBeachball[A_] :=
          \texttt{Map[Transpose[CycleMat[\Lambda]]. # \&, PolyListForBeachball0[CycleMat[\Lambda]. \Lambda], \{2\}];}
Beachball[\Lambda, u, c, BBrad] is for the moment tensor [\Lambda]<sub>II</sub>. BBrad and c are the radius and center of the ball.
       BeachBall[\Lambda_, u_, c_, BBrad_] :=
          {HueBeach[Mean[(#-c) & /@#], u.DiagonalMatrix[Λ].Transpose[u]], EdgeForm[],
               Polygon[#] } & /@ Map[c + BBrad * u. # &, PolyListForBeachball[Λ], {2}];
```

 $\Lambda = \{1, 19, -20\}; u = xrot[30]; eye = 5 xyztp[\{35, 70\}]; c = \{10, 0, 0\}; BBrad = 1; Graphics3D[BeachBall[<math>\Lambda$, u, c, BBrad], ViewPoint \rightarrow eye, Lighting \rightarrow "Neutral"]



The beachball can be rotated with the mouse.

You can experiment with other choices of Λ and u.