4.3.50

Namaswi-EE25BTECH11060

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Question

Find the equation of the lines which makes intercepts -3 and 2 on the \boldsymbol{x} and \boldsymbol{y} axes respectively

solution

Given that line passes through points (-3,0) and (0,2) Let

Vector	coordinate
Α	(-3,0)
В	(0,2)
n	(a, b)

As equation of line is given by

$$n^{\top}x = 1 \tag{1}$$

Solution

So, for A

$$\begin{pmatrix} a \\ b \end{pmatrix}^{\top} \begin{pmatrix} -3 \\ 0 \end{pmatrix} = 1$$
 (2)

for B

$$\begin{pmatrix} a \\ b \end{pmatrix}^{\top} \begin{pmatrix} 0 \\ 2 \end{pmatrix} = 1$$
 (3)

(4)

Solution

From 2 and 3 In augmented matrix form

$$\begin{bmatrix} -3 & 0 & | & 1 \\ 0 & 2 & | & 1 \end{bmatrix} \tag{5}$$

Divide Row 1 by -3

$$\begin{bmatrix} -1 & 0 & | & \frac{1}{3} \\ 0 & 2 & | & 1 \end{bmatrix} \tag{6}$$

Solution

Divide Row 2 by 2

$$\begin{bmatrix} -1 & 0 & \begin{vmatrix} & -1\\ 0 & 1 & \end{vmatrix} & \frac{-1}{2} \end{bmatrix} \tag{7}$$

$$a = \frac{-1}{3}$$
 and $b = \frac{1}{2}$ (8)

$$-2x + 3y = 6 \tag{9}$$

C Code

```
#include <stdio.h>
int main() {
    // Given: line passes through A(-3, 0) and B(0, 2)
    float A[2] = {-3.0, 0.0};
    float B[2] = {0.0, 2.0};
    // We want to find normal vector n = (a, b) such that:
    // n^T * A = 1 => a*(-3) + b*0 = 1 => -3a = 1 => a = -1/3
    // n^T * B = 1 => a*0 + b*2 = 1 => 2b = 1 => b = 1/2
    float a = -1.0 / 3.0;
    float b = 1.0 / 2.0;
```

C Code

```
printf("Given Points:\n");
  printf("A = (\%.1f, \%.1f) \n", A[0], A[1]);
  printf("B = (\%.1f, \%.1f) \n\n", B[0], B[1]);
  printf("Normal Vector n = (a, b) = (\%.2f, \%.2f) \n", a, b);
  // Equation of line in dot product form: a*x + b*y = 1
  printf("\nEquation of line in dot product form:\n");
  printf("\%.2fx + \%.2fy = 1\n", a, b);
  // Convert to standard form: Multiply both sides by LCM(3,2)
       = 6
  // Original: -x/3 + y/2 = 1
  // Multiply by 6: -2x + 3y = 6 --> Standard form: 2x - 3y + 6
        = 0
```

C Code

```
int A_coeff = 2;
   int B coeff = -3;
   int C_coeff = 6;
   printf("\nEquation of line in standard form:\n");
   printf("%dx ", A_coeff);
   if (B coeff < 0)</pre>
       printf("- %dy ", -B coeff);
   else
       printf("+ %dy ", B coeff);
   if (C coeff < 0)</pre>
       printf("- \frac{1}{d} = 0 \times n", -C coeff);
   else
       printf("+ %d = 0\n", C coeff);
   return 0;
```

Python Code

```
import matplotlib.pyplot as plt
import numpy as np
| # Line equation: -2x + 3y = 6
# Solve for y: y = (2x + 6)/3
# Define x values for plotting
x = np.linspace(-10, 10, 400)
v = (2 * x + 6) / 3
# Find intercepts
| # X-intercept: set y = 0 -2x = 6 x = -3 A = (-3, 0)
| # Y-intercept: set x = 0 3y = 6 y = 2 B = (0, 2)
A = (-3, 0)
B = (0, 2)
```

Python Code

```
# Plot the line
|plt.plot(x, y, label='Line: -2x + 3y = 6', color='blue')|
# Mark the intercepts
plt.scatter(*A, color='red', zorder=5)
plt.scatter(*B, color='green', zorder=5)
# Annotate the points
plt.text(A[0]-1, A[1]-0.5, f'A\{A\}', color='red', fontsize=12)
plt.text(B[0]+0.2, B[1]+0.2, f'B {B}', color='green', fontsize
    =12)
# Axes lines
plt.axhline(0, color='black', linewidth=1)
plt.axvline(0, color='black', linewidth=1)
```

Python Code

```
# Graph settings
plt.title('Graph of the Line -2x + 3y = 6')
plt.xlabel('x-axis')
plt.ylabel('y-axis')
plt.grid(True)
plt.legend()
plt.axis('equal')
plt.xlim(-10, 10)
plt.ylim(-10, 10)
# Show the plot
plt.show()
```

C and Python Code

```
import ctypes
import os
# Load the shared object file
lib path = os.path.abspath("liblineeq.so")
lib = ctypes.CDLL(lib path)
# Define the function's argument types
lib.line from intercepts.argtypes = [ctypes.c double, ctypes.
    c double]
# Optional: Define the return type (void function, so None)
lib.line_from_intercepts.restype = None
```

C and Python Code

```
# Example intercepts
x_intercept = -3.0
y_intercept = 2.0

print("Calling C function from Python with:")
print(f" X-intercept = {x_intercept}")
print(f" Y-intercept = {y_intercept}\n")

# Call the function
lib.line_from_intercepts(x_intercept, y_intercept)
```

