

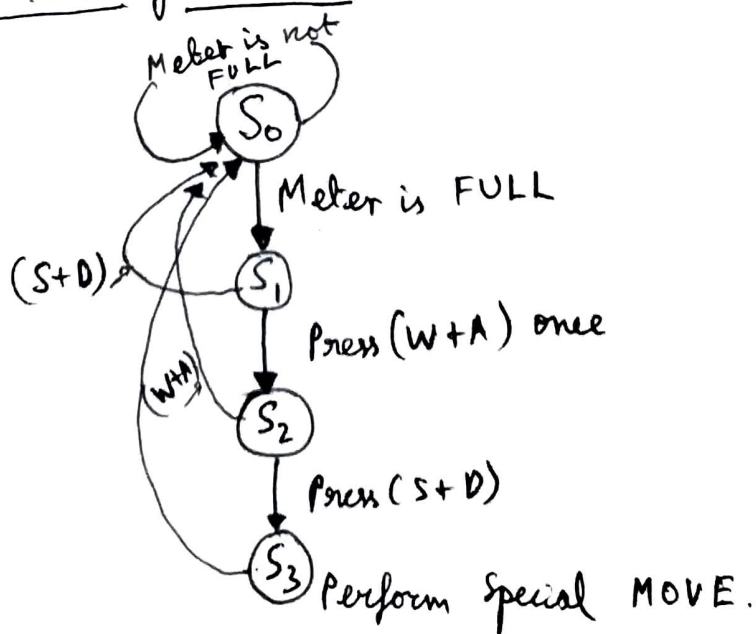
A2) Finite State machine for performing a Special Combo in a GAME.

⇒ Problem Statement :-

While playing the game we have a meter.  
When the meter is full the user can perform a special move by pressing the following sequence of keys in the keyboard.

- 1) Meter is full
- 2) Press (W+A) once, If (S+D) is pressed the combo is broken.
- 3) Press (S+D), If (W+A) is pressed again combo is broken.
- 4) Perform the special move and go back to the initial state.

Step 1) Representation of FSM.



## Step ② :- Encoding the States

|       | $Q_0$ | $Q_1$ |
|-------|-------|-------|
| $S_0$ | 0     | 0     |
| $S_1$ | 0     | 1     |
| $S_2$ | 1     | 0     |
| $S_3$ | 1     | 1     |

States

Meter is FULL  
Meter is NOT FULL  
Press (W+A)  
Press (S+D)

|                   | $I_0$ | $I_1$ |
|-------------------|-------|-------|
| Meter is FULL     | 0     | 0     |
| Meter is NOT FULL | 0     | 1     |
| Press (W+A)       | 1     | 0     |
| Press (S+D)       | 1     | 1     |

Inputs

D: FLIP FLOP (Excitation Table)

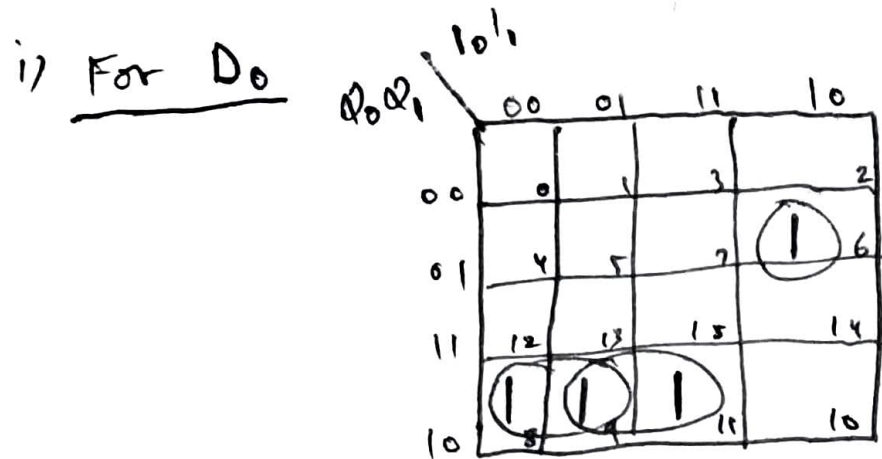
| $Q_n$ | $Q_{n+1}$ | D |
|-------|-----------|---|
| 0     | 0         | 0 |
| 0     | 1         | 1 |
| 1     | 0         | 1 |
| 1     | 1         | 0 |

## Step ③ :- Truth Table

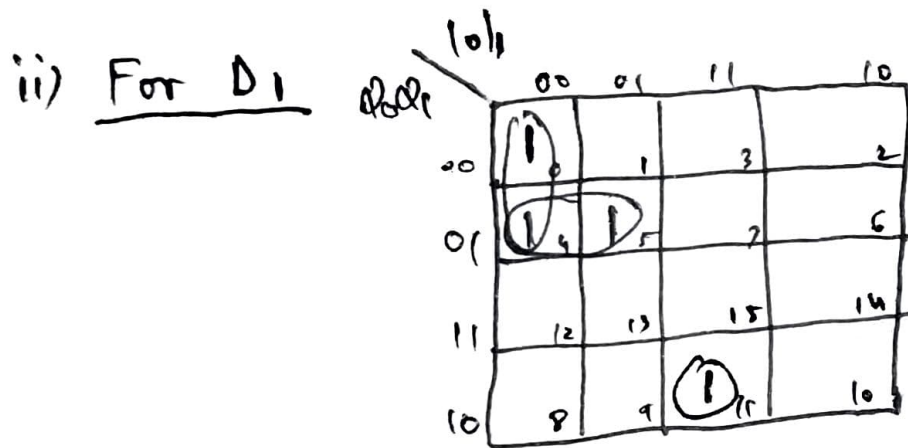
| $Q_0$ | $Q_1$ | $I_0$ | $I_1$ | $Q_0^+$ | $Q_1^+$ | $D_0$ | $D_1$ | Output (Special Move)         |
|-------|-------|-------|-------|---------|---------|-------|-------|-------------------------------|
| 0     | 0     | 0     | 0     | 0       | 1       | 0     | 1     | 0                             |
| 0     | 0     | 0     | 1     | 0       | 0       | 0     | 0     | 0                             |
| 0     | 0     | 1     | 0     | 0       | 0       | 0     | 0     | 0                             |
| 0     | 0     | 1     | 1     | 0       | 0       | 0     | 0     | 0                             |
| 0     | 1     | 0     | 0     | 0       | 1       | 0     | 1     | 0                             |
| 0     | 1     | 0     | 1     | 0       | 1       | 1     | 0     | 0                             |
| 0     | 1     | 1     | 0     | 1       | 0       | 0     | 0     | 0                             |
| 0     | 1     | 1     | 1     | 0       | 0       | 1     | 0     | 0                             |
| 1     | 0     | 0     | 0     | 1       | 0       | 1     | 0     | 0                             |
| 1     | 0     | 0     | 1     | 1       | 0       | 0     | 0     | 0                             |
| 1     | 0     | 1     | 0     | 1       | 1       | 1     | 1     | 1 (Special MOVE is performed) |
| 1     | 0     | 1     | 1     | 1       | 1       | 1     | 1     | 0                             |
| 1     | 1     | 0     | 0     | 0       | 0       | 0     | 0     | 0                             |
| 1     | 1     | 0     | 1     | 0       | 0       | 0     | 0     | 0                             |
| 1     | 1     | 1     | 0     | 0       | 0       | 0     | 0     | 0                             |
| 1     | 1     | 1     | 1     | 0       | 0       | 0     | 0     | 0                             |

## Step ④ : Simplification Using K-Maps

③



$$\Rightarrow D_0 = \bar{Q}_0 Q_1 I_0 \bar{I}_1 + Q_0 \bar{Q}_1 \bar{I}_0 + Q_0 \bar{Q}_1 I_1$$

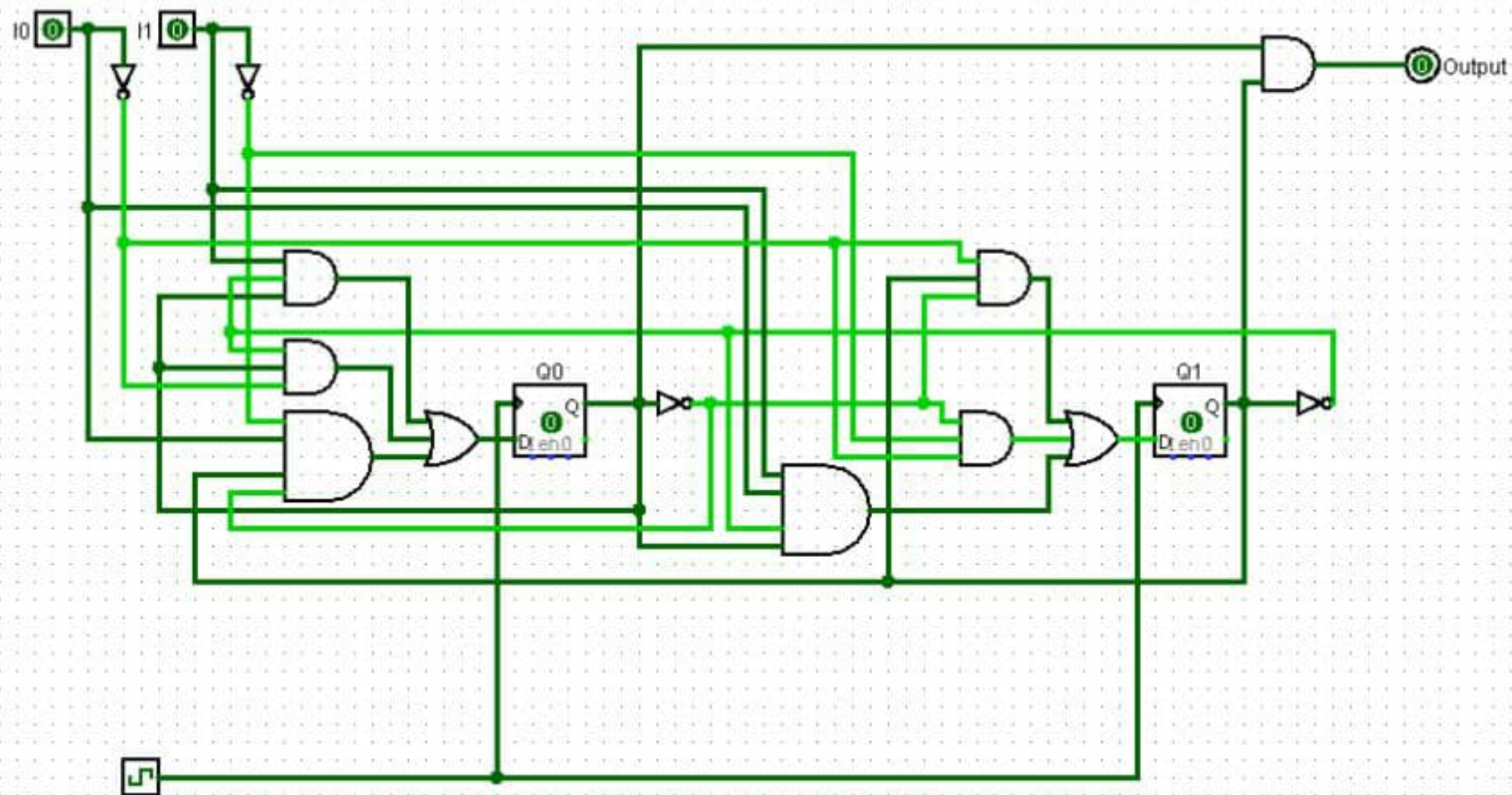


$$\Rightarrow D_1 = Q_0 \bar{Q}_1 I_0 I_1 + \bar{Q}_0 \bar{I}_0 \bar{I}_1 + \bar{Q}_0 Q_1 \bar{I}_0$$

## Step ⑤ Create combinational logic

\* Refer to the circuit in the image given below:

*Finite State Machine Circuit Diagram*



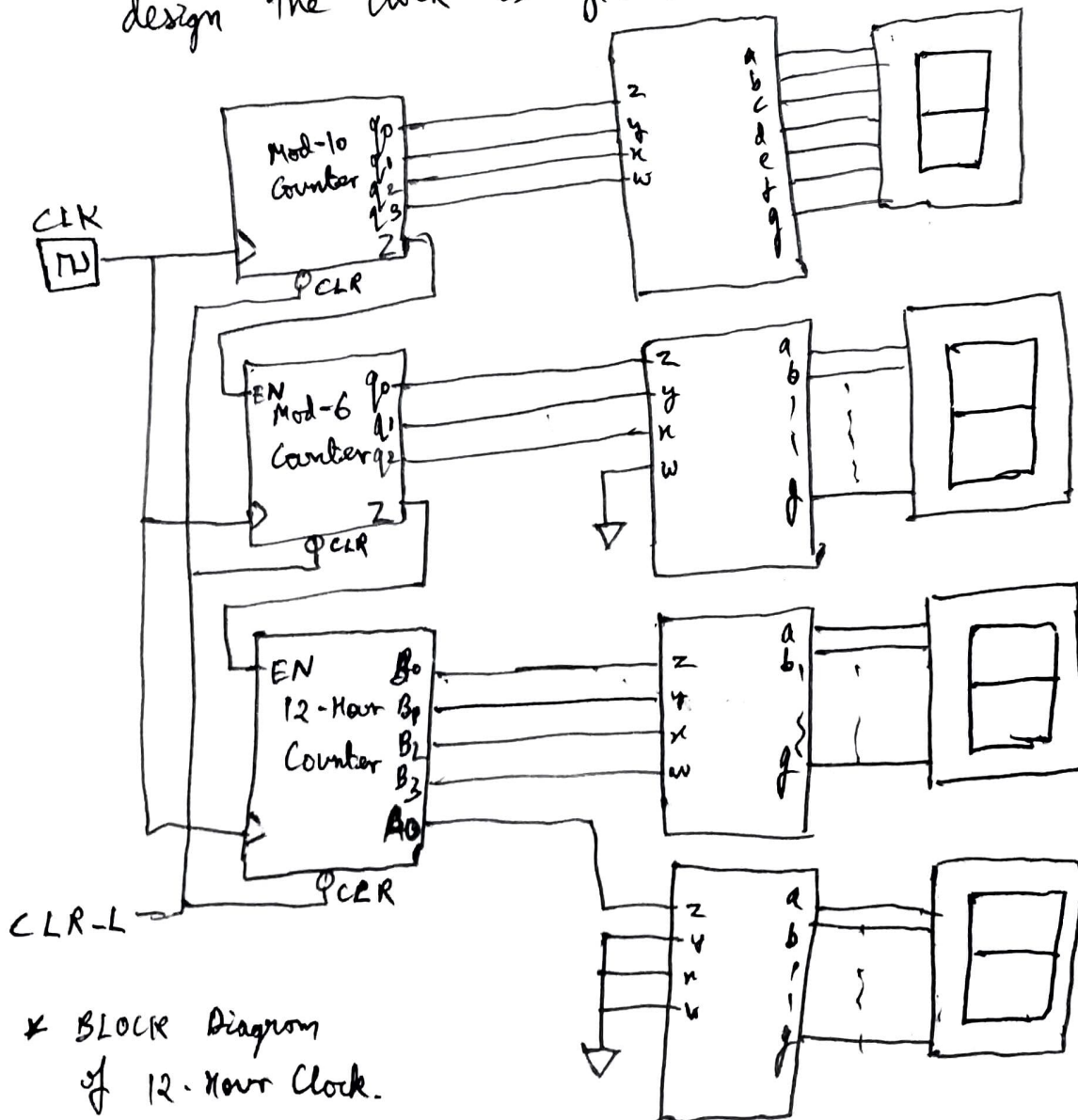


### A3) Aim of the Experiment

→ To design a 12-HOUR CLOCK Using counters

#### Method

→ Digital Clocks are usually set up to start at 12:00, and they count 12:01, 12:02, 12:03, ..., 12:58, 12:59, 1:00, and so on. The one's place of the minutes (the right-most digit) counts 0, 1, 2, 3, ..., 9 and then repeats, and a circuit that counts in that way is called a mod-10 counter. The ten's place of the minutes (second digit from the right) counts 0, 1, 2, 3, 4, 5, and then repeats, which is called a mod-6 counter. The hour counter counts 12, 1, 2, 3, 4, ..., 9, 10, 11, and repeats. One way to design the clock is given below:



\* The output from each counter is a binary coded decimal (BCD) number that represents one of the digits in time, and BCD-to-Seven segment decoders are used to drive the seven segment displays. (5)

\* The circuit is a clocked synchronous circuit where all the flip-flops have the same clock signal. If the clock signal is set to have one pulse per minute, the mod-10 counter will increment every minute and needs to have an output Z that indicates when it is at the maximum count (1001). Since the mod-6 counter only increments every 10 minutes, it needs to have an enable input which is connected to the max. count indicator Z that is 1 when the mod-6 counter is at the max-count (0101) and that it is enabled. The hour counter needs to have an enable input which is connected to the max. count indicator from the mod-6 counter.

\* State Table for Mod-10 counter.

|    | $q_3$ | $q_2$ | $q_1$ | $q_0$ | $q_3^+$ | $q_2^+$ | $q_1^+$ | $q_0^+$ | Z |
|----|-------|-------|-------|-------|---------|---------|---------|---------|---|
| 0  | 0     | 0     | 0     | 0     | 0       | 0       | 0       | 1       | 0 |
| 1  | 0     | 0     | 0     | 1     | 0       | 0       | 1       | 0       | 0 |
| 2  | 0     | 0     | 1     | 0     | 0       | 0       | 1       | 1       | 0 |
| 3  | 0     | 0     | 1     | 1     | 0       | 1       | 0       | 0       | 0 |
| 4  | 0     | 1     | 0     | 0     | 0       | 1       | 1       | 0       | 0 |
| 5  | 0     | 1     | 0     | 1     | 0       | 1       | 1       | 1       | 0 |
| 6  | 0     | 1     | 1     | 0     | 1       | 0       | 0       | 0       | 0 |
| 7  | 0     | 1     | 1     | 1     | 1       | 0       | 0       | 1       | 0 |
| 8  | 1     | 0     | 0     | 0     | 1       | 0       | 0       | 0       | 1 |
| 9  | 1     | 0     | 0     | 1     | 0       | 0       | 0       | 0       | 1 |
| 10 | 1     | 0     | 1     | 0     | x       | x       | x       | x       | x |
| 11 | 1     | 0     | 1     | 1     | x       | x       | x       | x       | x |
| 12 | 1     | 1     | 0     | 0     | x       | x       | x       | x       | x |
| 13 | 1     | 1     | 0     | 1     | x       | x       | x       | x       | x |
| 14 | 1     | 1     | 1     | 0     | x       | x       | x       | x       | x |
| 15 | 1     | 1     | 1     | 1     | x       | x       | x       | x       | x |

# K-Map Simplification (Using D-Flip-Flops)

$D_0$

| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$$D_0 = \bar{q}_0$$

$D_1$

| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$$D_1 = \bar{q}_3 \bar{q}_1 \bar{q}_0 + q_1 \bar{q}_0$$

$D_3$

| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$$D_3 = q_3 \bar{q}_0 + q_2 q_1 q_0$$

$D_2$

| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$D_3$

| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$$D_3 = q_3 q_0 + q_2 q_1 q_0$$

Z

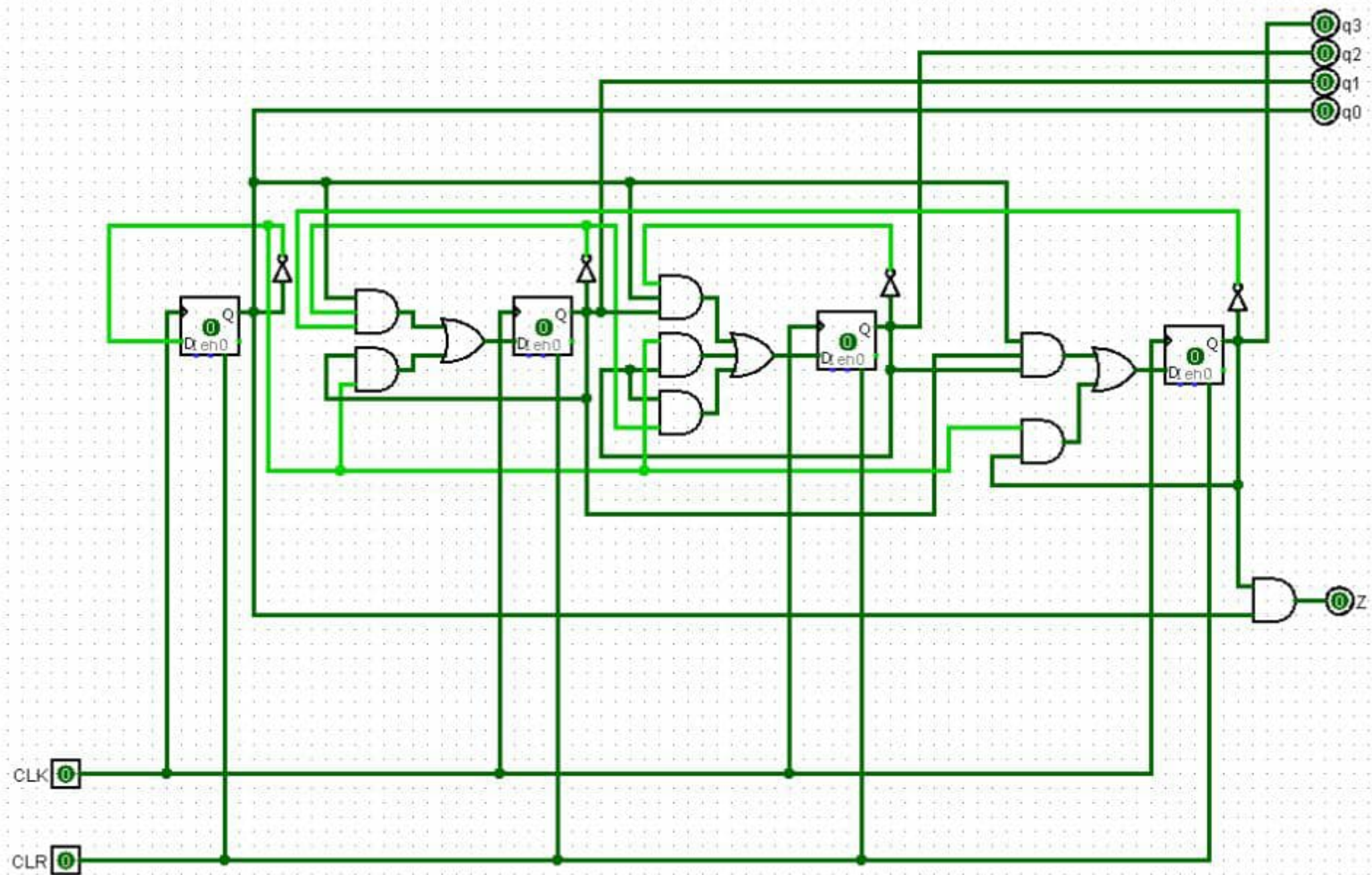
| $q_3 q_2$ \ $q_1 q_0$ | 00 | 01 | 11 | 10 |
|-----------------------|----|----|----|----|
| 00                    | 1  | 1  | 1  | 1  |
| 01                    | 1  | 1  | 1  | 1  |
| 11                    | X  | X  | X  | X  |
| 10                    | 1  | 1  | X  | X  |

$$Z = q_3 q_0$$

Circuit :-



# Mod-10 Counter





# \* State Table for mod-6 Counter.

(7)

| $q_2$ | $q_1$ | $q_0$ | $q_2^+$<br>$E=0$ | $q_1^+$<br>$E=0$ | $q_0^+$<br>$E=0$ | $E=0$ | $E=1$ |
|-------|-------|-------|------------------|------------------|------------------|-------|-------|
| 0     | 0     | 0     | 0                | 0                | 0                | 0     | 0     |
| 0     | 0     | 1     | 0                | 0                | 1                | 0     | 0     |
| 0     | 1     | 0     | 0                | 1                | 0                | 0     | 0     |
| 0     | 1     | 1     | 0                | 1                | 1                | 0     | 0     |
| 1     | 0     | 0     | 1                | 0                | 0                | 0     | 0     |
| 1     | 0     | 1     | 1                | 0                | 1                | 0     | 0     |
| 1     | 1     | 0     | X                | X                | X                | X     | X     |
| 1     | 1     | 1     | X                | X                | X                | X     | X     |

$D_0$

| $q_2$ | $q_1$ | $q_0$ | 00 | 01 | 11 | 10 |
|-------|-------|-------|----|----|----|----|
| 0     | 0     | 0     | 1  |    |    | 1  |
| 0     | 0     | 1     |    |    |    |    |
| 0     | 1     | 0     |    |    |    |    |
| 0     | 1     | 1     |    |    |    |    |
| 1     | 0     | 0     |    |    |    |    |
| 1     | 0     | 1     |    |    |    |    |
| 1     | 1     | 0     | X  | X  | X  | X  |
| 1     | 1     | 1     | X  | X  | X  | X  |

$$D_0 = \bar{q}_0$$

If we use E,  $D_0 = \bar{q}_0 E + q_0 \bar{E}$

$$D_0 = q_0 \oplus E$$

$D_1$

| $q_2$ | $q_1$ | $q_0$ | 00 | 01 | 11 | 10 |
|-------|-------|-------|----|----|----|----|
| 0     | 0     | 0     |    | 1  |    | 1  |
| 0     | 0     | 1     |    |    |    |    |
| 0     | 1     | 0     |    |    |    |    |
| 0     | 1     | 1     |    |    |    |    |
| 1     | 0     | 0     |    |    |    |    |
| 1     | 0     | 1     |    |    |    |    |
| 1     | 1     | 0     | X  | X  | X  | X  |
| 1     | 1     | 1     | X  | X  | X  | X  |

$$D_1 = \bar{q}_2 \bar{q}_1 q_0 + q_1 \bar{q}_0$$

If we use E,

$$D_1 = \bar{q}_2 \bar{q}_1 q_0 E + q_1 \bar{E} + q_1 q_0$$

$D_2$

| $q_2$ | $q_1$ | $q_0$ | 00 | 01 | 11 | 10 |
|-------|-------|-------|----|----|----|----|
| 0     | 0     | 0     |    |    | 1  |    |
| 0     | 0     | 1     |    |    |    |    |
| 0     | 1     | 0     |    |    |    |    |
| 0     | 1     | 1     |    |    |    |    |
| 1     | 0     | 0     |    |    |    |    |
| 1     | 0     | 1     |    |    |    |    |
| 1     | 1     | 0     | X  | X  | X  | X  |
| 1     | 1     | 1     | X  | X  | X  | X  |

$$D_2 = q_2 \bar{q}_0 + q_1 q_0$$

If we use E,  $D_2 = q_2 \bar{E} + q_2 \bar{q}_0 + q_1 q_0 E$

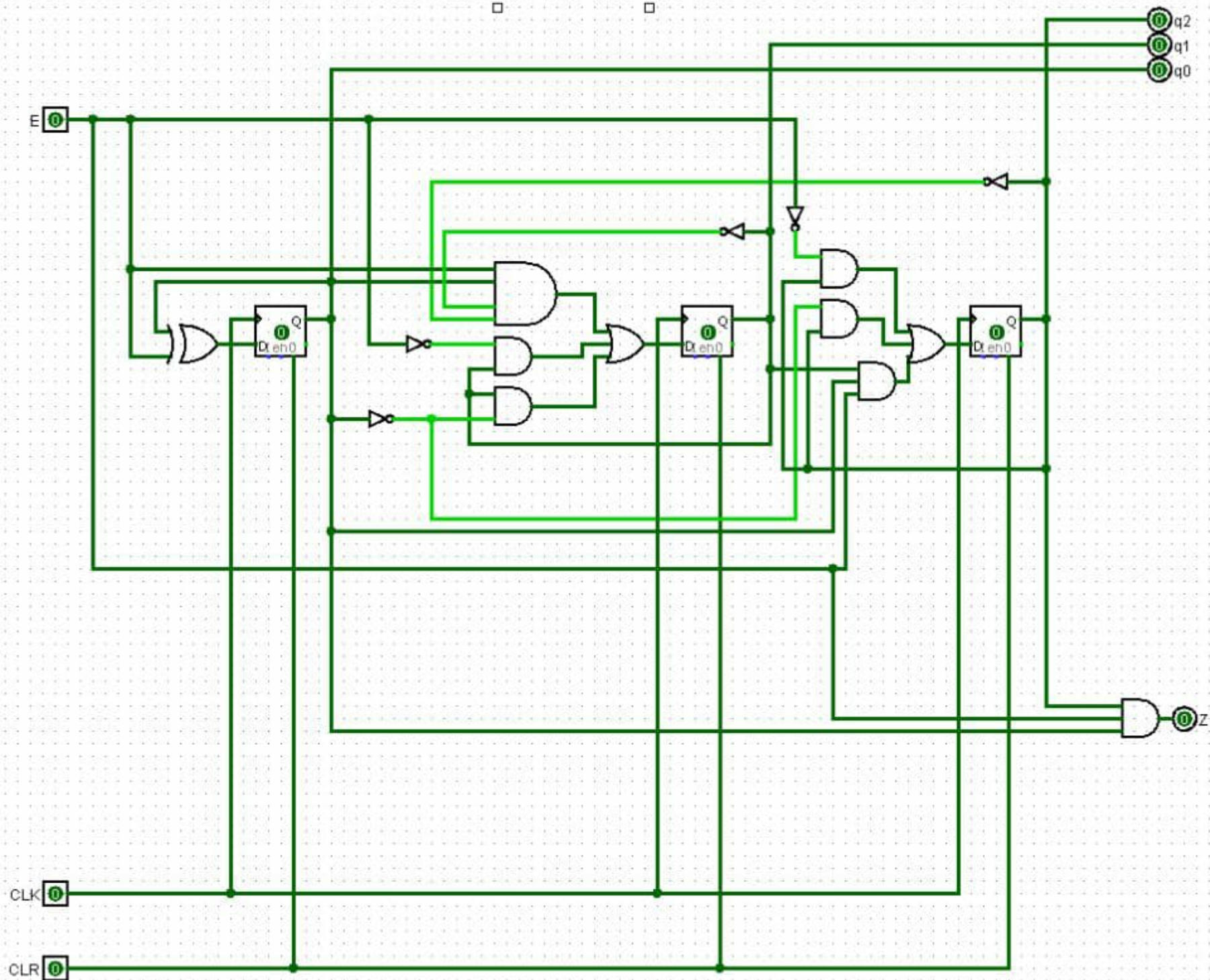
$Z$

| $q_2$ | $q_1$ | $q_0$ | 00 | 01 | 11 | 10 |
|-------|-------|-------|----|----|----|----|
| 0     | 0     | 0     |    |    |    |    |
| 0     | 0     | 1     |    |    |    |    |
| 0     | 1     | 0     |    |    |    |    |
| 0     | 1     | 1     |    |    |    |    |
| 1     | 0     | 0     |    |    |    |    |
| 1     | 0     | 1     |    |    |    |    |
| 1     | 1     | 0     | X  | X  | X  | X  |
| 1     | 1     | 1     | X  | X  | X  | X  |

$$Z = q_2 q_0 E$$

\* Mod-6 Counter :- (Circuit)

# Mod-6 Counter



enable.

Therefore the hour counter was designed without an enable input so that excitation equations are functions of only four variables, but it was constructed using flip-flops with enable.

[illegible]



K-Map

D<sub>0</sub>

|    | 00              | 01              | 11              | 10              |
|----|-----------------|-----------------|-----------------|-----------------|
| 00 | 1               | 1               | 3               | 2               |
| 01 | 1               | 1               | 2               | 1               |
| 11 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 10 | 1               | 1               | 1               | 1               |

$$D_0 = q_0$$

D<sub>1</sub>

|                 | 01              | 10              |
|-----------------|-----------------|-----------------|
| 0               | 1               | 2               |
| 1               | 1               | 1               |
| X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> |
| 1               | 1               | 1               |

$$D_1 = q_1 \oplus q_0$$

D<sub>2</sub>

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

~~$$D_2 = q_2 q_1 q_0 + q_3 q_1$$~~

$$D_2 = \bar{q}_3 \bar{q}_2 q_1 q_0 + q_2 \bar{q}_0 + q_2 \bar{q}_1$$

D<sub>3</sub>

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

$$D_3 = q_2 q_1 q_0 + q_3 \bar{q}_1 + q_3 \bar{q}_0$$

A<sub>0</sub>

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

$$A_0 = \bar{q}_3 \bar{q}_2 \bar{q}_1 \bar{q}_0 + q_3 q_1$$

B<sub>0</sub>

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

$$B_0 = q_0$$

B<sub>1</sub>

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

$$B_1 = \bar{q}_3 \bar{q}_2 \bar{q}_0 + \bar{q}_3 q_1$$

B<sub>2</sub>

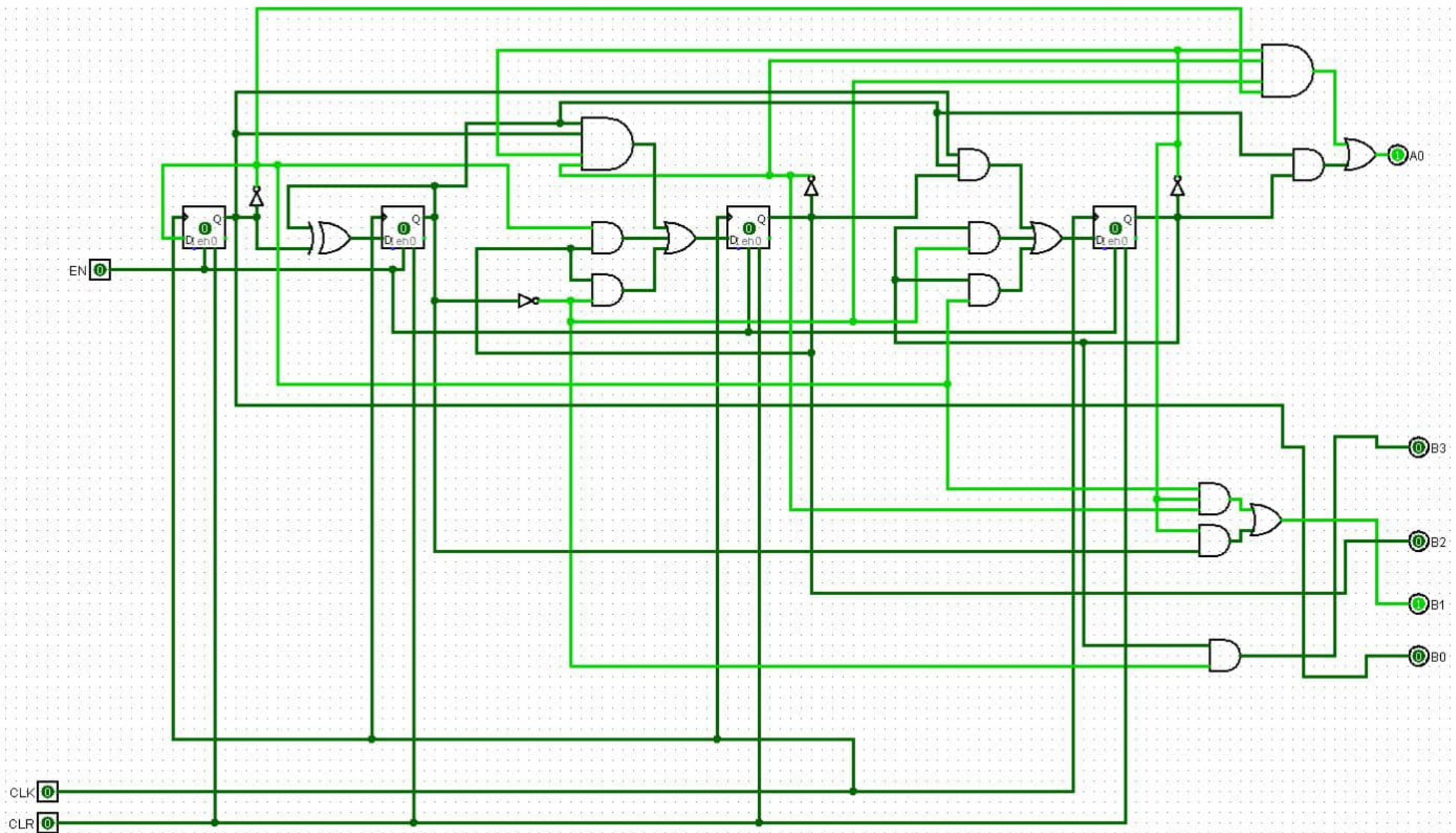
|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

$$B_2 = q_2$$

$$B_3 = q_3 \bar{q}_1$$

|   | 0               | 1               | 2               | 3               |
|---|-----------------|-----------------|-----------------|-----------------|
| 0 | 1               | 1               | 2               | 1               |
| 1 | X <sub>12</sub> | X <sub>13</sub> | X <sub>14</sub> | X <sub>15</sub> |
| 2 | 1               | 1               | 1               | 1               |

# 12-Hour Counter





\* The clock signal, which needs to have one pulse every minute, can be generated, by dividing the signal from a crystal oscillator down to the required frequency. The time can be set by having a button that allows the user to temporarily select a clock that has a higher frequency so that the clock counts quicker than normal.

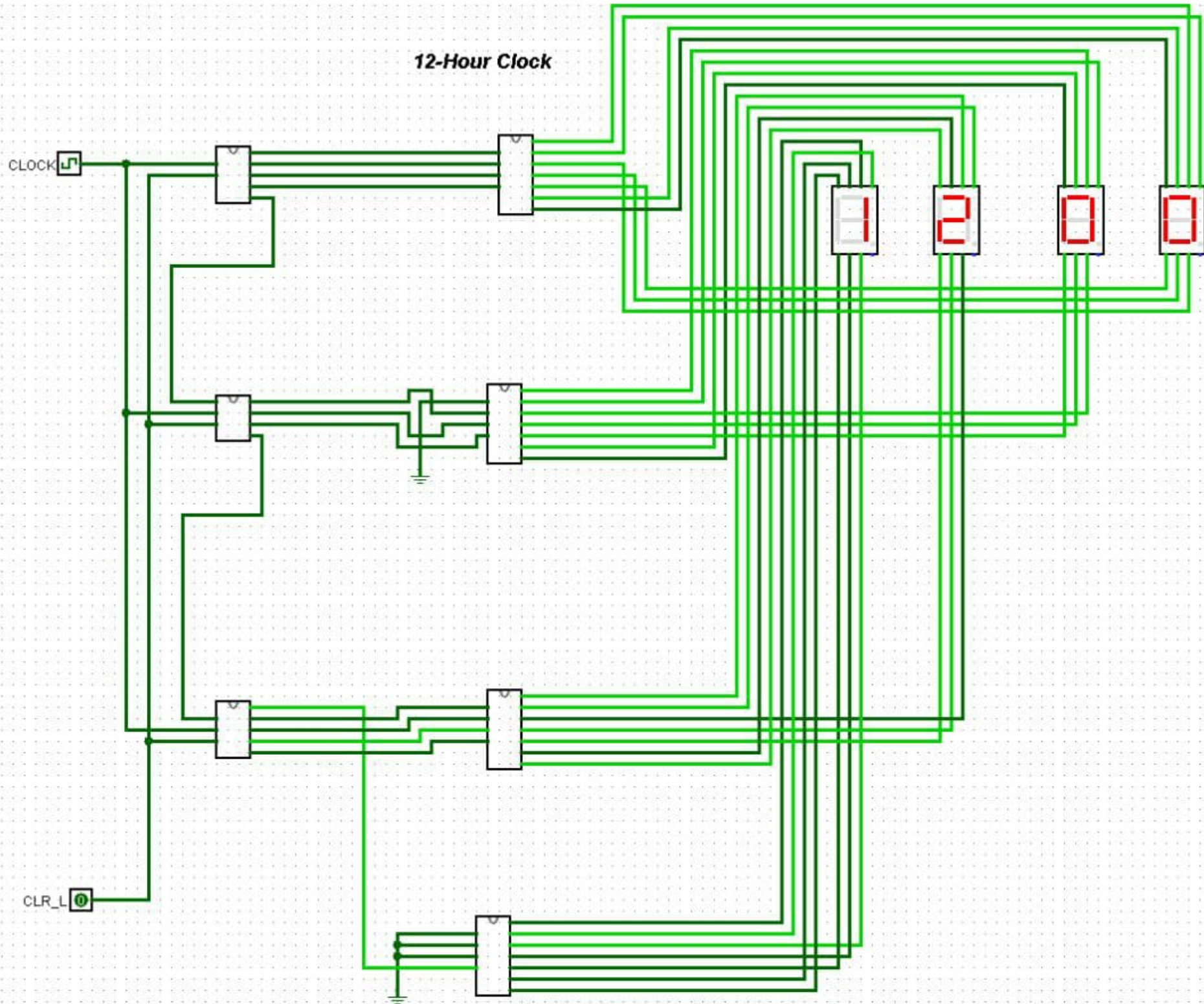
### Conclusion :-

→ We are able to implement a 12-HOUR CLOCK using Counters.

The Circuit Diagram is given below :-



# 12-Hour Clock



**A1) Critical analysis report on Computer memory Architectures**

| Memory Types | Year of Introduction | Application  | Power Consumption  |   | Memory Capacity  |                                   | Speed            |   | Technology Used   |  | Number of transistors  | Price                  |                    |
|--------------|----------------------|--|--|---|--|-----------------------------------|------------------|---|---|--|--|------------------------|--------------------|
|              |                      |  | Past   | Present   | Past   | Present                           | Past             | Present   | Past  | Present  |  | Past                   | Present            |
| DRAM         | 1959                 | DRAM is the main memory (called the "RAM") in modern computers and graphics cards (where the "main memory" is called the graphics memory). | less amount of power due to lesser number of transistors and resistors | Nearly 3 Watts  | 128 Mbits  | 16GBs                             | Bus rate 66MHz   | Bus rate 400Mhz   | Bipolar Transistors were used   | MOS Technology   | Single DRAM is composed of only two components, a transistor and a capacitor. DRAM can be made in high densities |                        |                    |
| SRAM         | 1965                 | Hard Disk Buffers, Cache Memory, etc   | Very low power consuming device  | 82nW per bit.   | In Bytes   | 1MB to 16MB                       | 3200Mbps         | 19200Mbps   | 16-bit silicon memory chip based on the Farber-Schlig cell, with 80 transistors, 64 resistors, and 4 diodes | MOSFETs.   | Each bit is stored on 4 transistors  | \$/Mbyte : 411,041,792 | \$/Mbyte : 0.0035  |
| EEPROM       | 1972                 | Storing BIOS of the computer   | Negligible   |   | In order of Bytes  | 32 KB                             |                  | Write access times in the area of 10ns                      | Antifuse bit cells dependent on a capacitor between crossing conductive lines                               | One thin Oxide Transistor per bit cell                                       | 2 transistors per bit  | 13\$ for 2Kbit         | 2\$ for 1024Kbit   |
| PROM         | 1956                 | Video Game consoles, Old Cell Phones   | Negligible   |   | PROM comes with all bits reading as 1. Burning a Fuse bit during programming cause the bit to read as zero |                                   |                  | The breakdown of a bit occurs in 100 micro seconds or less  | PMOS  | CMOS   | 1 Transistor per bit cell  | \$66 for 2Kbit         | \$24 for 16Kbit    |
| CAM          | 2007                 | Networking Devices, databases engines, artificial neural networks etc  | Negligible   |   | Can store Binary or Ternary Bits   |                                   |                  | It is able to hit speeds of about 100Mhz in network devices | Cryptographic Hash Function   |  | 4 n type Transistors   | \$/Mbyte : 411,041,792 | \$/Mbyte : 0.0035  |
| EPROM        | 1971                 | In integrated Circuits and boards, Computer BIOS   | Negligible   |   | 2 Kbit   | 32 Mbit                           | 256Kbitps        | 8Mbitps   | PMOS  | CMOS   | Two Transistors  |                        |                    |
| USB/Flash    | 1972                 | Storing small amount of data   | Large amount of Power due to mechanical systems                        | A write takes about 60 mA at 3V for upto 3msec  | 256KBs   | 1TB                               | 12 Mbit/s        | 5 Gbit/s  | Floating Gate MOSFET transistors memory Cells   | NAND Flash Memory Chips, Crystal Oscillator, USB Mass Storage Controller     | 16 GB flash drive consists of 64 Billion Transistors   | US\$/MB: 0.258         | US\$/MB: 0.000214  |
| Registers    | 1944                 | buffer storage, I/O of different kinds   | Negligible   |   | Binary 1 or 0  | Upto 64bit registers or even more |                  | 100GBps in processor Cache (L3)                             | Basic Gates using mechanical equipments   | MOSFETs Semiconductors   | Variable   |                        |                    |
| HDD          | 1956                 | Storing Large amount of data, One of the basic components of computers   | High power consumption due to mechanical glass platters                | 10Watts   | 3.75 MB on a stack of 50 disks.  | Upto 16TB on a single disk.       | 1Mbit/s          | 200 MBps  | Reels of Magnetic tape  | Modern HDD records data by magnetizing a thin film of ferromagnetic material | Tens or Hundreds of Millions   | US\$/MB: 9200          | US\$/MB: 0.0000190 |
| SSD          | 1991                 | As a fast storage device in various computing devices like servers, gaming pcs, etc  | 20Watts  | Nearly 4 Watts  | 20MB   | 100TB                             | 0.65GBps         | 15GBps  | DRAM volatile Memory  | NAND Flash Non Volatile Memory   | 800 Billion transistors  | \$650 for 8KB          | \$30 for 240GB     |
| Tape Drives  | 1991                 | Used for Offline and archival Data Storage   | High amount of power consumption due to mechanical components          | Only about 200 Watts for 140TB tape drive. Significantly less than the same sized HDD | 224KB  | 20TB                              | In order of KBps | 200MBps   | First computer tape drive, used 1/2" nickel-plated phosphor bronze tape                                     | Linear Tape File System (LTFS)   |  |                        | \$6222 for 15TB    |