



Department of Mathematics, Bennett University

Course Details for EMAT101L – Fall Semester 2018

Course Name:	Engineering Calculus	Course Code:			EMAT101L
Department:	Mathematics	Type:			Core
L-T-P Structure	3-1-0	Credits	4	Pre-requisite:	NA
Course Objectives	<p>Main Objectives of the course are:</p> <p>CO1: To identify the convergence or divergence of a wide class of sequence/series.</p> <p>CO2: To develop the fundamental ideas of the differential and integral calculus to functions of one variable.</p> <p>CO3: To understand the concepts of the differential and integral calculus to functions of multivariable.</p> <p>CO4: To develop the problem-solving skills related to limit, continuity, differentiation, integration etc. using some computational software packages.</p>				
Course Outcome	<p>At the end, students will be able to</p> <ol style="list-style-type: none"> 1: Test the convergence and divergence of sequence and series. 2: Check the continuity, differentiability and integrability of functions in single and multi-variables. 3. Compute the area and volume of functions up to three-variables. 4. Approximate the smooth function with a polynomial. 5. Solve the problems using computational software packages. 				
Evaluation Policy	Component of Course Evaluation			Percentage	
	Project/Assignment			5%+5%=10%	
	Online Quizzes			5%+5%=10%	
	Quizzes			10%+10%=20%	
	Mid Term			20%	
	End Term			40%	
	Total			100%	

S. No.	Course Contents	No. of Hours
1	The Real Number System, Archimedean Property, Convergence of a Sequence, Monotone Sequences, Cauchy Criterion, Bolzano-Weierstrass Theorem, Limit inferior and Limit Superior	6
2	Infinite Series, Convergence Tests and Alternating series	4
3	Limit, Continuity, Existence of Maxima, Intermediate Value Property	4
4	Differentiability, Rolle's Theorem, Mean Value Theorem	3
5	Convexity, Concavity, L'Hospital Rule, Fixed Point Iteration Method, Taylor's Theorem, Taylor Series, Power Series	5
6	Riemann Integration, Fundamental Theorems of Calculus, Riemann Sum	3
7	Improper Integrals, Beta-Gamma Functions, Differentiation under integration	3
8	Area between two curves; Polar Coordinates, Volumes by slicing, Washer and Shell Methods, Length of a plane curve, Areas of Surfaces of Revolution	5
9	Review of vectors, Calculus of Vector Valued Functions, Functions of Several Variables: limit, Continuity and Differentiability, Chain Rule, Directional Derivative, Gradient	6
10	Mixed Derivative Theorem, MVT, Extended MVT, Taylor's Theorem in Multiple Variables, Hessian, Maxima, Minima, Second Derivative Test, Lagrange Multiplier Method	6
11	Double Integrals, Change of Variable in a Double and Triple Integrals, Area of a Parametric Surface and surface integral	5
12	Surface Area, Surface Integrals, Line Integrals Green's Theorem and Applications	4
	Total Lectures	54
Special Instructions	1. Students must attend every class. They are expected to arrive on time for class. 2. Please turn off cell phones when you enter the class. Your participation is essential.	
Text Book:	1. Maurice D. Weir and Joel Hass, " <i>Thomas' Calculus</i> ", 12 th Edition, Pearson Education India, 2016. 2. K. A. Ross, " <i>Elementary Analysis: The Theory of Calculus</i> ", 2 nd Edition, Springer, 2013.	
References:	1. S. R. Ghorpade and B. V. Limaye, " <i>An Introduction to Calculus and Real Analysis</i> ", Springer India, 2006. 2. James Stewart, " <i>Calculus</i> ", 7 th Edition, Brooks Cole Cengage Learning, 2012. 3. Bartle and Shebert, " <i>Introduction to Real Analysis</i> ", 4 th Edition, Wiley, 2014. 4. Erwin Kreyszig, " <i>Advanced Engineering Mathematics</i> ", 10 th edition, Wiley, 2010.	