Experiment No.2		
Convert an Infix expression to Postfix expression using stack		
ADT.		
Name: AARYAN CHANDRAKANT GOLE		
Roll No: 12		
Date of Performance:		
Date of Submission:		
Marks:		
Sign:		



Experiment No. 2: Conversion of Infix to postfix expression using stack ADT Aim: To convert infix expression to postfix expression using stack ADT.

Objective:

- 1) Understand the use of Stack.
- 2) Understand how to import an ADT in an application program.
- 3) Understand the instantiation of Stack ADT in an application program.
- 4) Understand how the member functions of an ADT are accessed in an application program.

### Theory:

Postfix notation is a way of representing algebraic expressions without parentheses or operator precedence rules. In this notation, expressions are evaluated by scanning them from left to right and using a stack to perform the calculations. When an operand is encountered, it is pushed onto the stack, and when an operator is encountered, the last two operands from the stack are popped and used in the operation, with the result then pushed back onto the stack. This process continues until the entire postfix expression is parsed, and the result remains in the stack.

Conversion of infix to postfix expression

Expression	Stack	Output
2	Empty	2
*	*	2
3	*	23
/	/	23*
(	/(	23*
2	/(	23*2
-	/(-	23*2
1	/(-	23*21
)	V	23*21-
+	+	23*21-/
5	+	23*21-/5
*	+*	23*21-/53
3	+*	23*21-/53
	Empty	23*21-/53*+



# Vidyavardhini's College of Engineering and Technology

### Department of Artificial Intelligence & Data Science

### Algorithm:

### **Conversion of infix to postfix**

- Step 1: Add ")" to the end of the infix expression
- Step 2: Push "(" on to the stack
- Step 3: Repeat until each character in the infix notation is scanned

IF a "(" is encountered, push it on the stack

IF an operand (whether a digit or a character) is encountered, add it to the postfix expression.

IF a ")" is encountered, then

a. Repeatedly pop from stack and add it to the postfix expression until a "(" is encountered.

b.Discard the "(". That is, remove the "(" from stack and do not add it to the postfix expression

IF an operator 0 is encountered, then

a. Repeatedly pop from stack and add each operator (popped from the stack) to t postfix

expression which has the same precedence or a higher precedence than o

b. Push the operator o to the stack

[END OF IF]

Step 4: Repeatedly pop from the stack and add it to the postfix expression until the stack is empty

Step 5: EXIT

#### Code:

```
#include<stdio.h>
#include<ctype.h>
char stack[100];
int top = -1;
void push(char x)
{
    stack[++top] = x;
}
char pop()
{
    if(top == -1)
```

CSC303: Data Structures



```
return -1;
 else
 return stack[top--];
int priority(char x)
{
if(x == '(')
 return 0;
 if(x == '+' || x == '-')
 return 1;
if(x == '*' || x == '/')
 return 2;
 return 0;
int main()
 char exp[100];
 char *e, x;
 printf("Enter the expression : ");
 scanf("%s",exp);
 printf("\n");
 e = exp;
 while(*e != '\0')
 if(isalnum(*e))
 printf("%c ",*e);
```

CSC303: Data Structures



```
else if(*e == '(')
push(*e);
else if(*e == ')')
{
while((x = pop()) != '(')
printf("%c ", x);
 else
 {
while(priority(stack[top]) >= priority(*e))
printf("%c ",pop());
push(*e);
e++;
while(top !=-1)
 {
printf("%c ",pop());
}return 0;
}
```



### **Output:**

```
File Edit Search Run Compile Debug

[1] Output =

Enter the expression : (2+5)-1*2

2 5 + 1 2 * - _
```

#### **Conclusion:**

- 1) Convert the following infix expression to postfix (A+(C/D))\*B

  The given infix expression "A+(C/D))B" is converted to postfix as follows: "ACD/+B".
- 2) How many push and pop operations were required for the above conversion?To convert the expression, you can count the push and pop operations:
- Push operations: 6
- Pop operations: 6
- 3) Where is the infix to postfix conversion used or applied?

Infix to postfix conversion is used in compiler design, calculators, interpreter development, constraint solvers, mathematical software, and various other applications to simplify expression evaluation and parsing. It's a versatile technique for handling complex mathematical expressions.