

# AutoML: Beyond AutoML

Capping of Runtimes

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↪ To compare against  $\hat{\lambda}$  based on  $N$  runs,  
we can terminate evaluation of  $\lambda'$  after time  $\sum_{k=1}^N c(\hat{\lambda}, i_k)$

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Note: To combine adaptive capping with BO, we need to impute the censored observations caused by adaptive capping. [Hutter et al. 2011]

# Overview of Racing and Adaptive Capping

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**Input** : candidate configurations  $\Lambda_{new}$ , cutoff  $\kappa_{max}$ , previously evaluated runs  $\mathcal{D}_{Hist}$ , budget  $T$ , incumbent  $\hat{\lambda}$

**while**  $\Lambda_{new}$  not empty **do**

- $\lambda^{(t)} \leftarrow \text{getNext}(\Lambda_{new});$
- [... add new run for incumbent ...];
- while** true **do**
  - $\mathcal{I}^+, s^+ \leftarrow \text{getAlreadyEvaluatedOn}(\hat{\lambda}, \mathcal{D}_{Hist});$
  - $\mathcal{I}^{(t)}, s^{(t)} \leftarrow \text{getAlreadyEvaluatedOn}(\lambda^{(t)}, \mathcal{D}_{Hist});$
  - $i^{(t)}, s^{(t)} \leftarrow$  drawn uniformly at random from  $\mathcal{I}^+ \setminus \mathcal{I}^{(t)}$  and  $s^+ \setminus s^{(t)};$
  - $\kappa^{(i)} \leftarrow \text{AdaptCutoff}(\kappa_{max}, \langle (\lambda^{(j)}, c^{(j)}) \rangle_{\lambda^{(j)} = \lambda^+}) \cdot \xi;$
  - $c_i \leftarrow \text{EvaluateRun}(\lambda^{(t)}, i^{(t)}, s^{(i)}, \kappa^{(i)});$
  - $\mathcal{D}_{Hist} \leftarrow \mathcal{D}_{Hist} \cup (\lambda^{(t)}, i^{(t)}, s^{(t)}, c^{(t)});$
  - if** average cost of  $\lambda^{(t)} >$  average cost of  $\hat{\lambda}$  across  $\mathcal{I}^{(t)}$  and  $s^{(t)}$  **then**
    - $\perp$  break;
  - else if** average cost of  $\lambda^{(t)} <$  average cost of  $\hat{\lambda}$  and  $\mathcal{I}^+ = \mathcal{I}^{(t)}$  and  $s^{(t)} = s^+$  **then**
    - $\perp \hat{\lambda} \leftarrow \lambda^{(t)};$

**if** time spent exceeds  $T$  or  $\Lambda_{new}$  is empty **then**

- $\perp$  return  $\hat{\lambda}, \mathcal{D}_{Hist}$

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