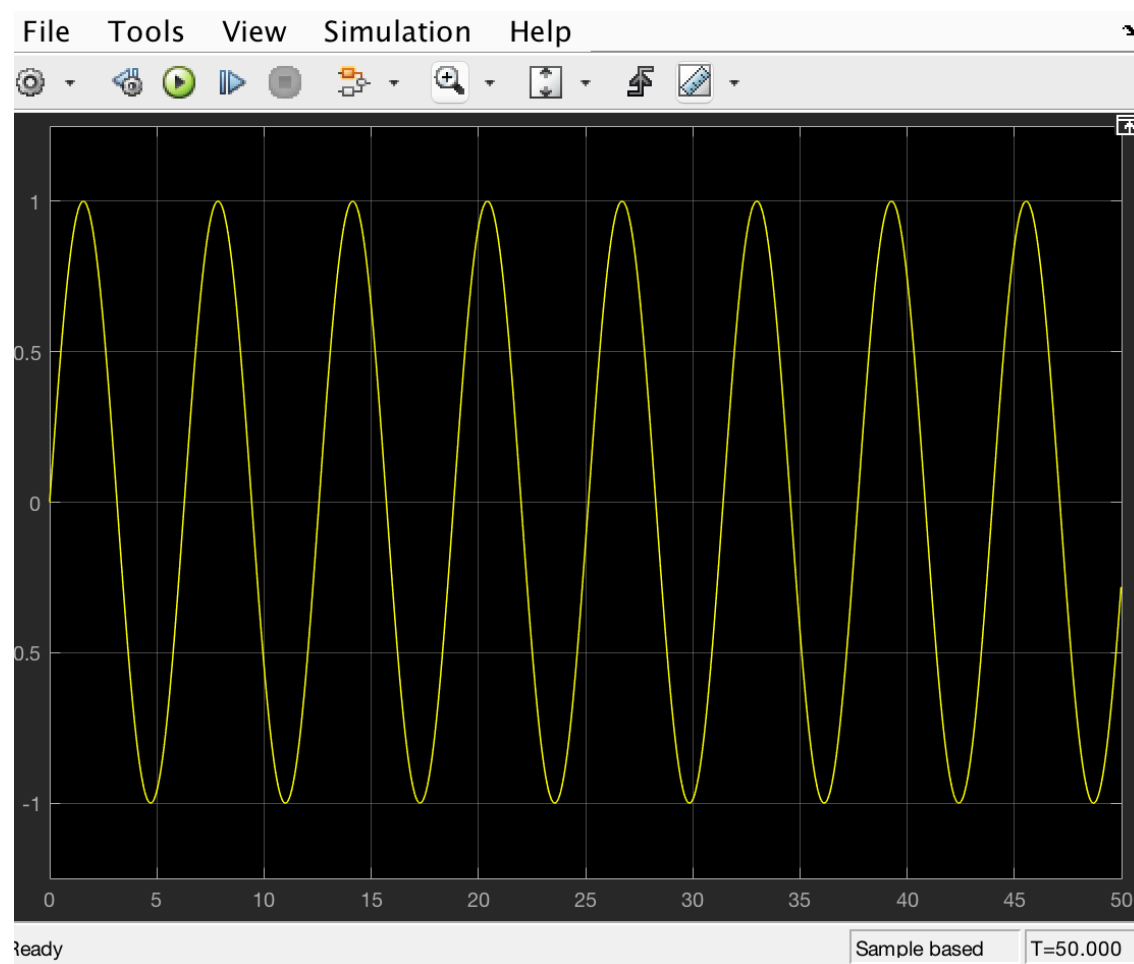
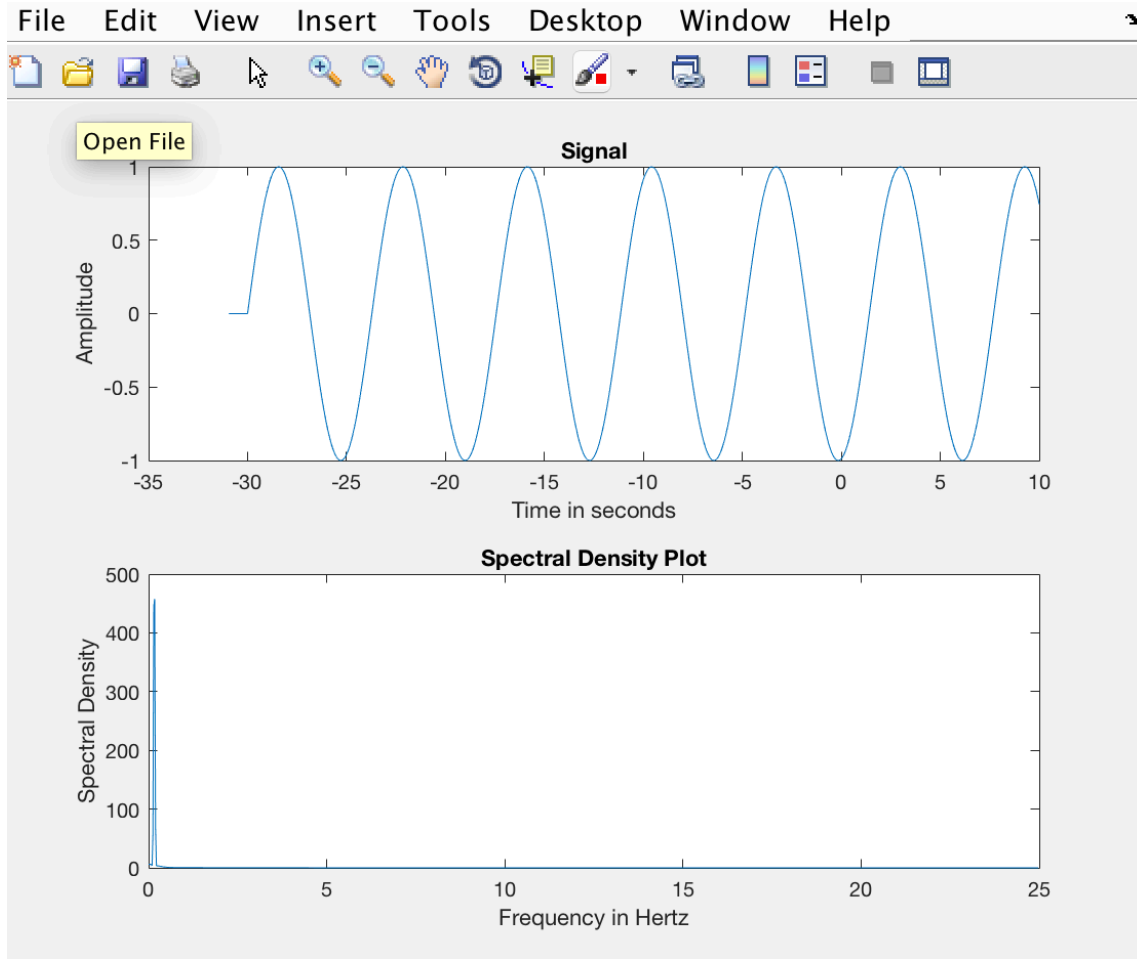


**Introduction:** This lab teaches about using Simulink for frequency analysis and sampling of continuous time signals.

## 2. Pre-Lab

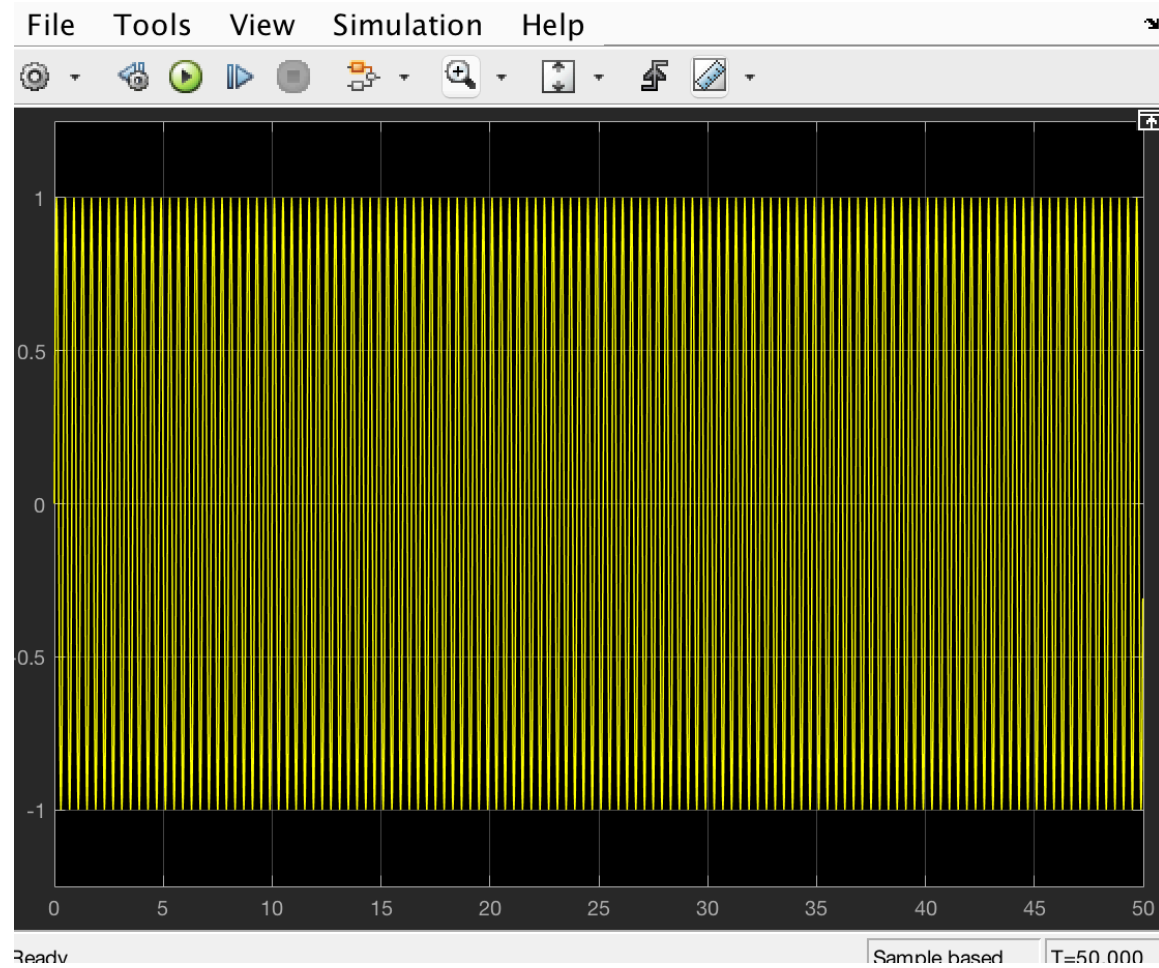
### 2.2

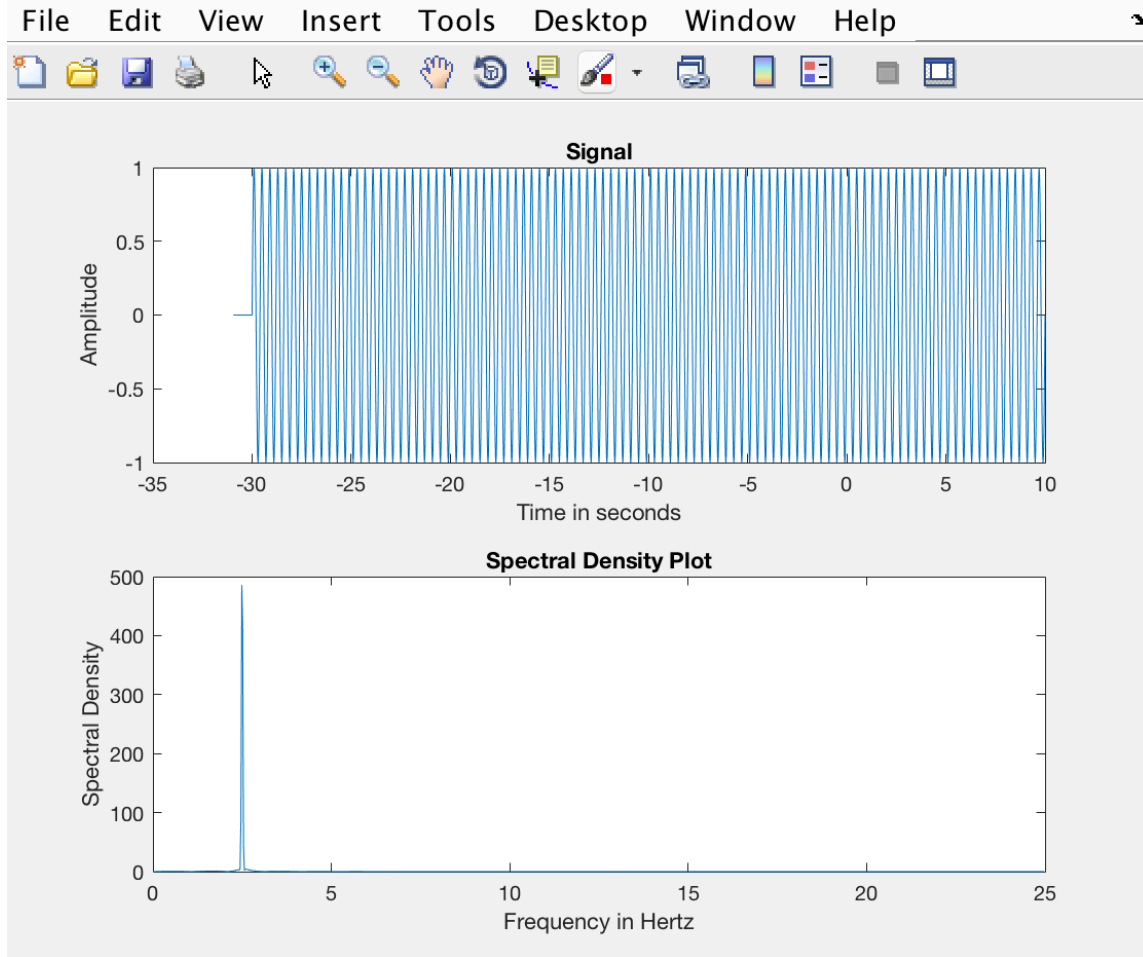




The frequency is at around 0 Hz.

Changing the frequency to  $5\pi$  rad/s:

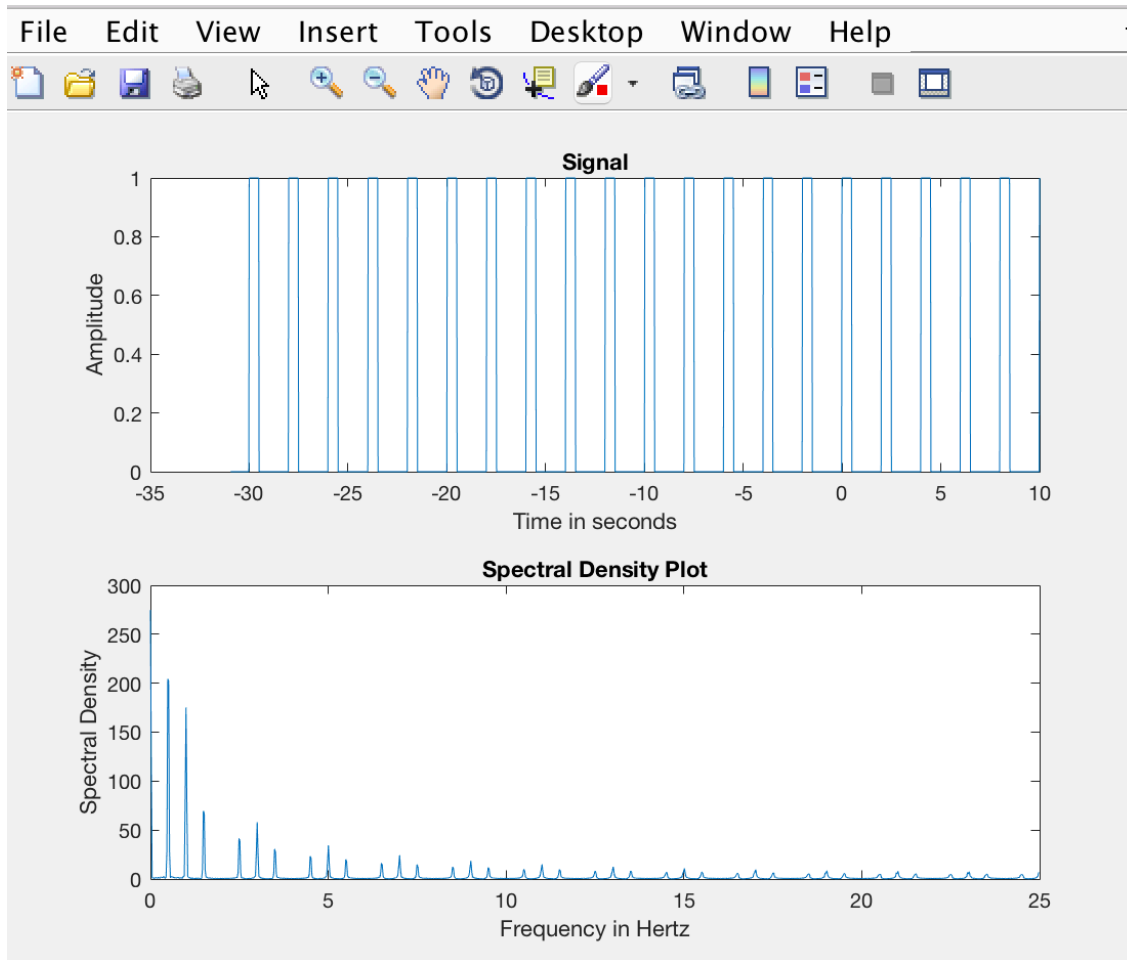




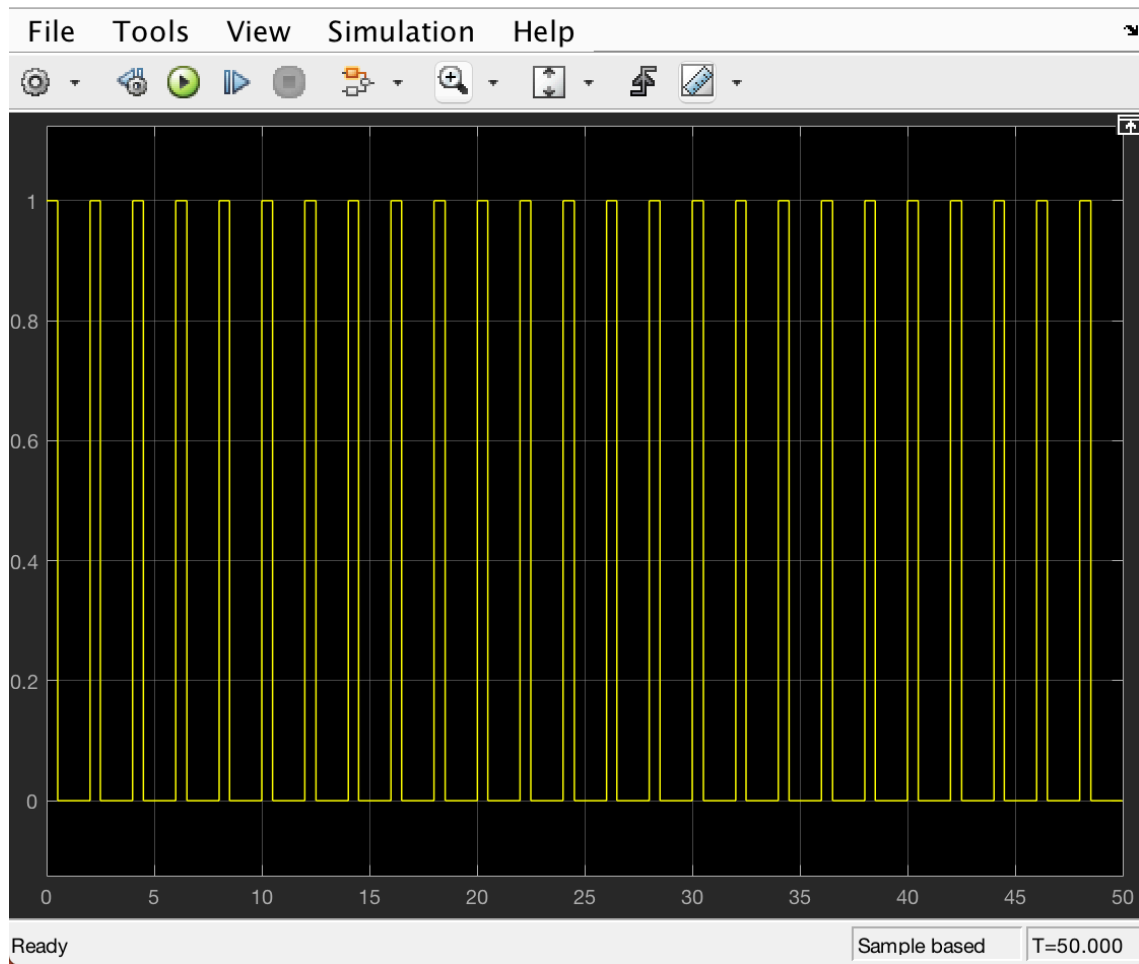
The frequency is peak at around 2.5 Hz.

3.

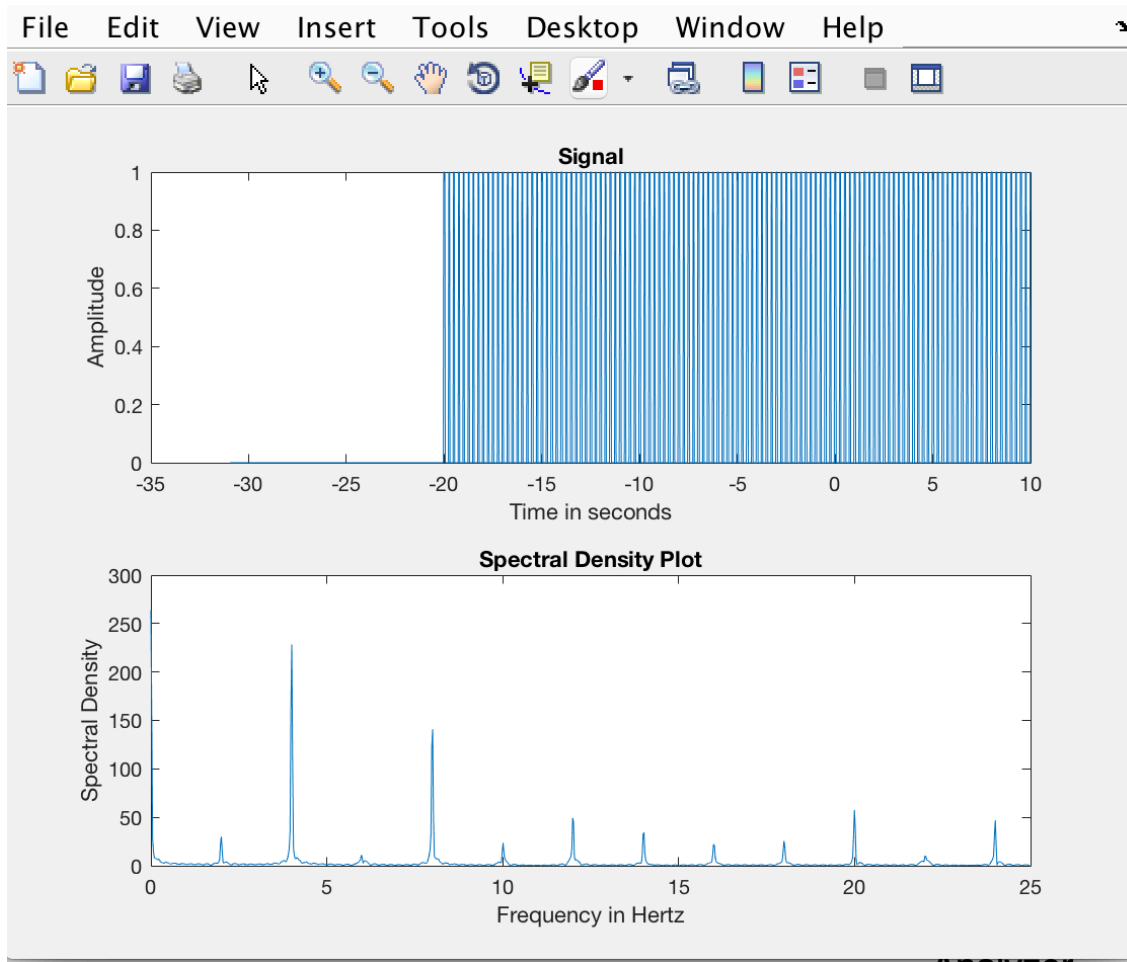
3.1 When period of square-wave = 2 sec:



The frequency is spiked around 0.5 Hz, and looks slight different than that seen in the class.



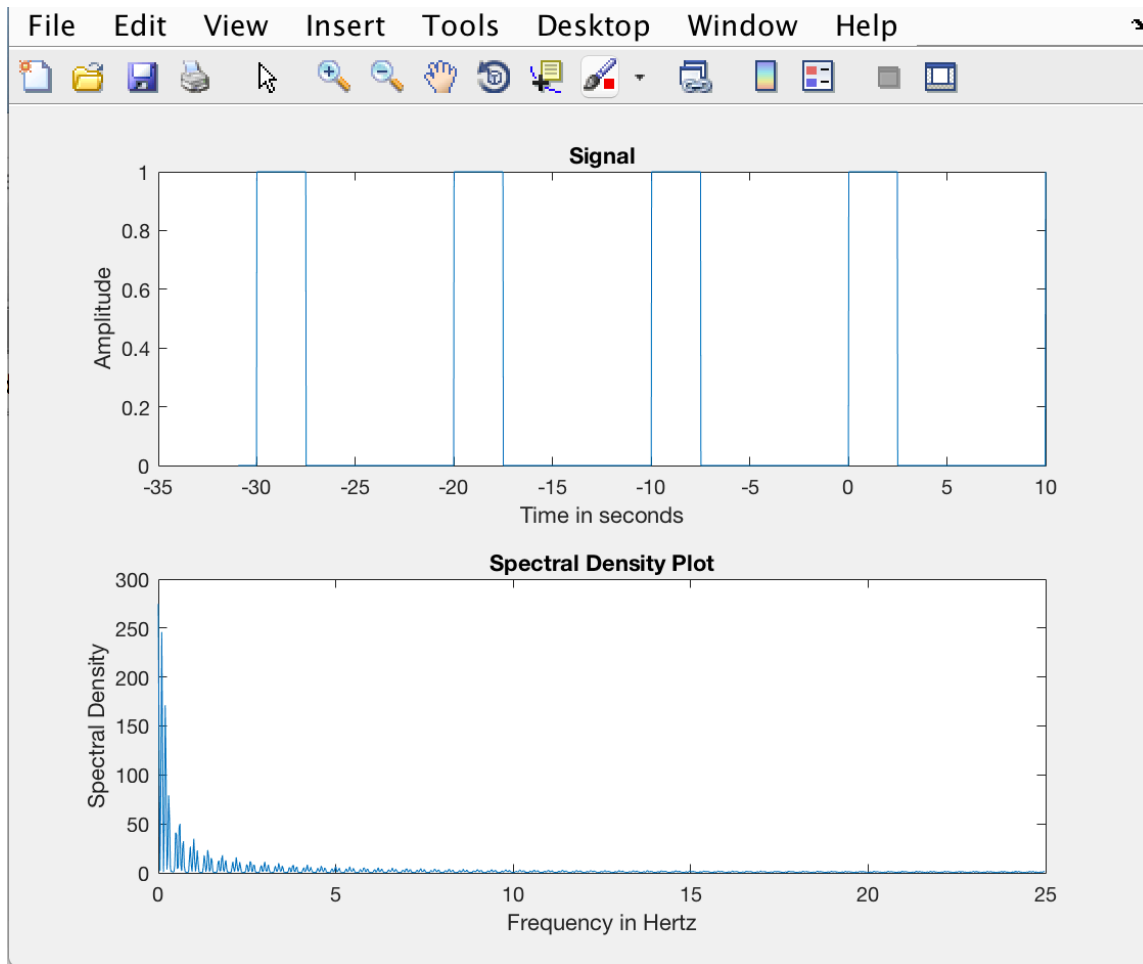
When period = 0.25 sec:

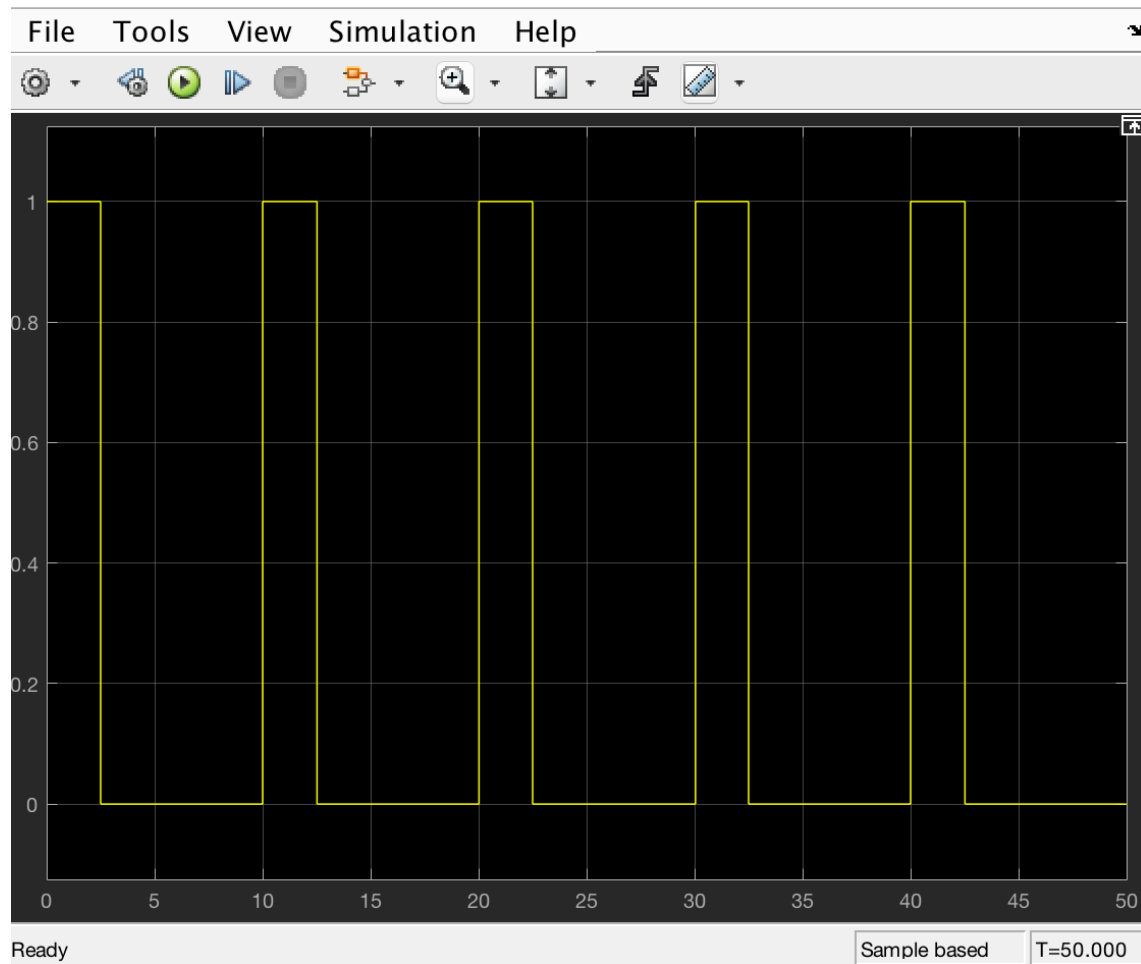




When period = 10 sec:





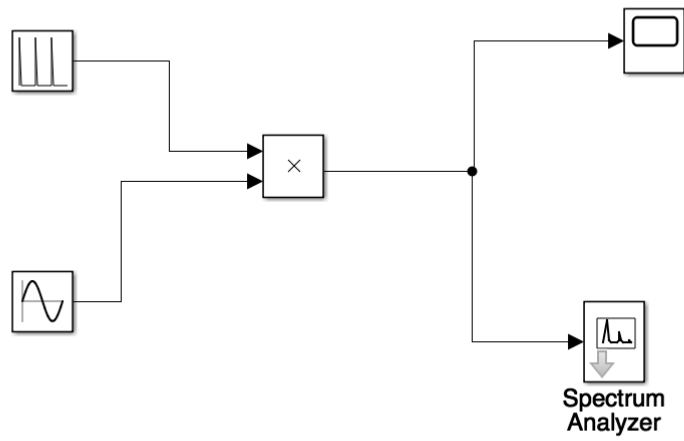


Yes, the results did correspond to the Time-Scaling Property.

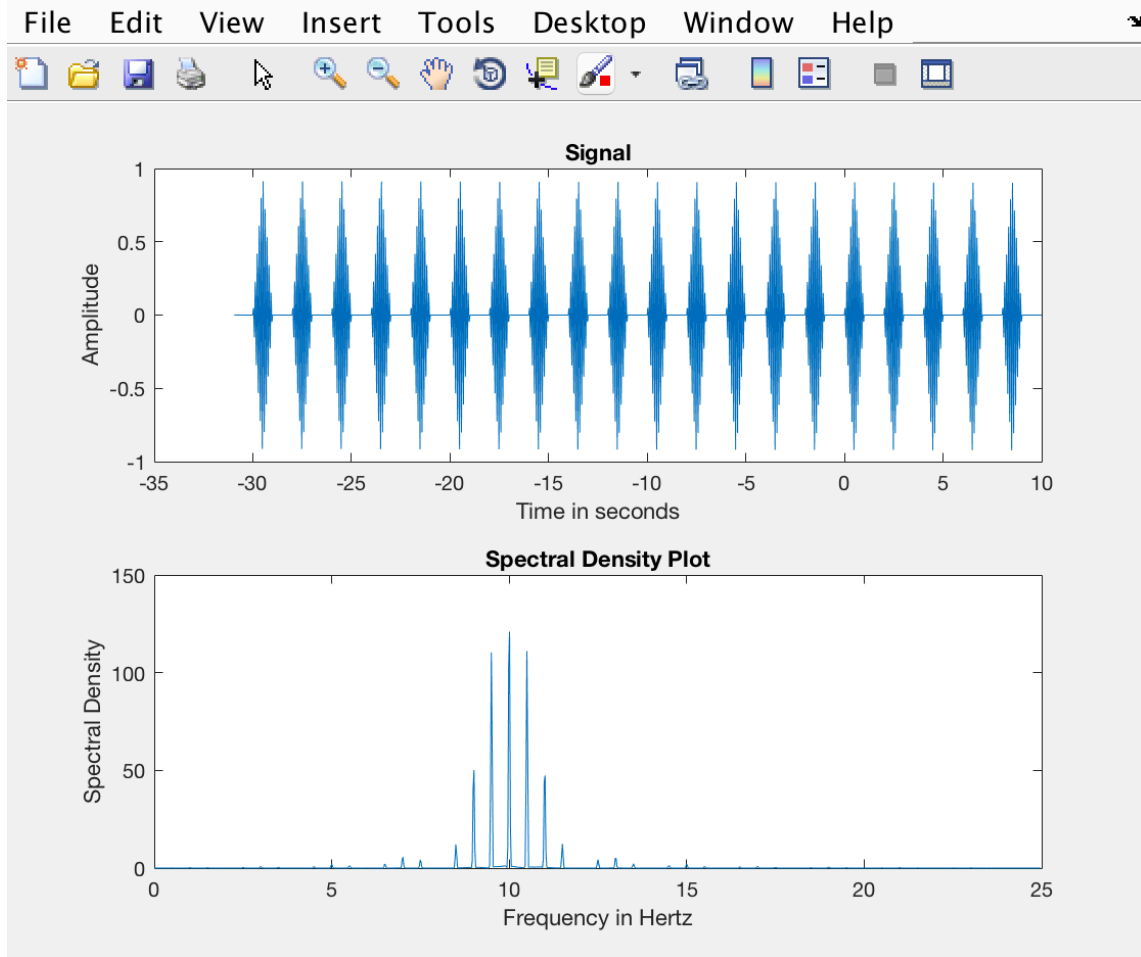
Fundamental period and the frequency are inverse of each other.

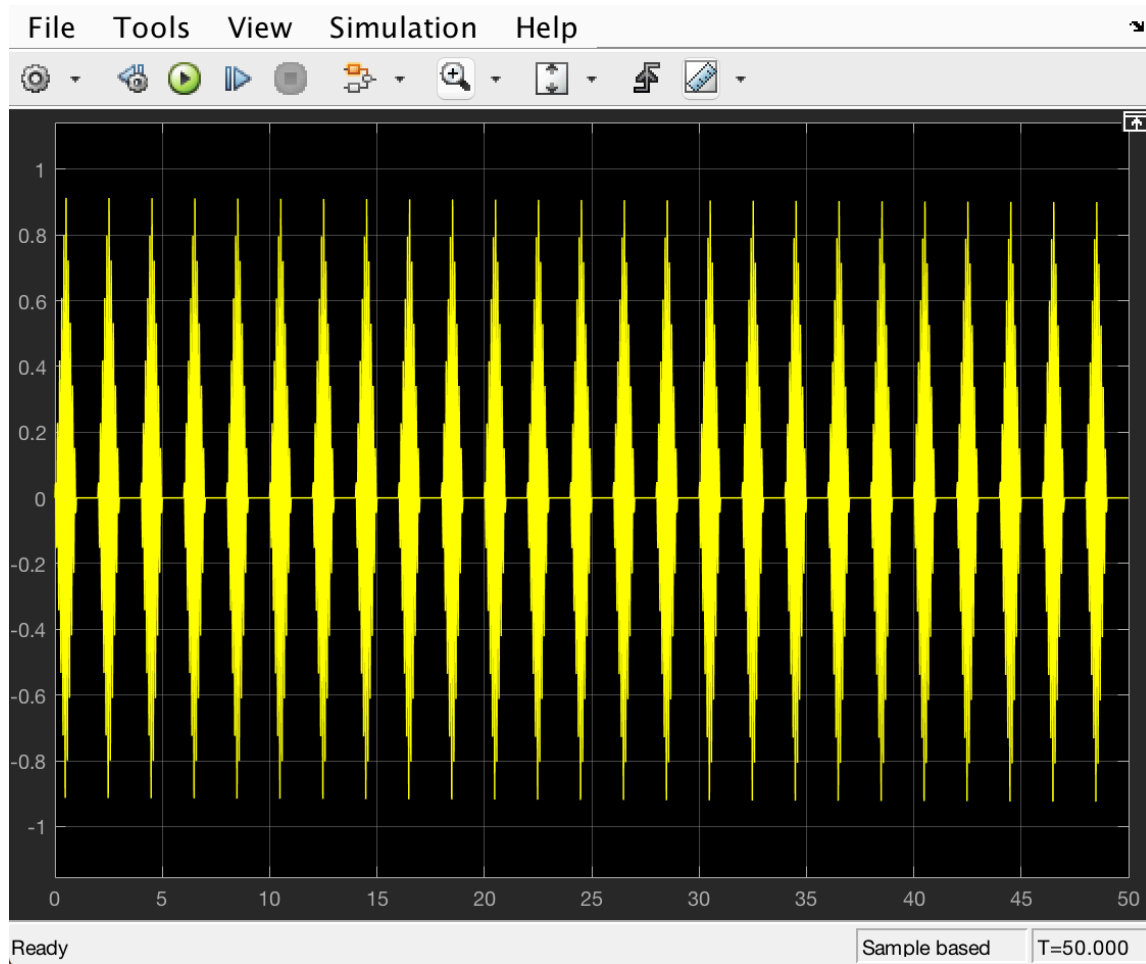
$$T_0 = 1/f_0$$

3.2

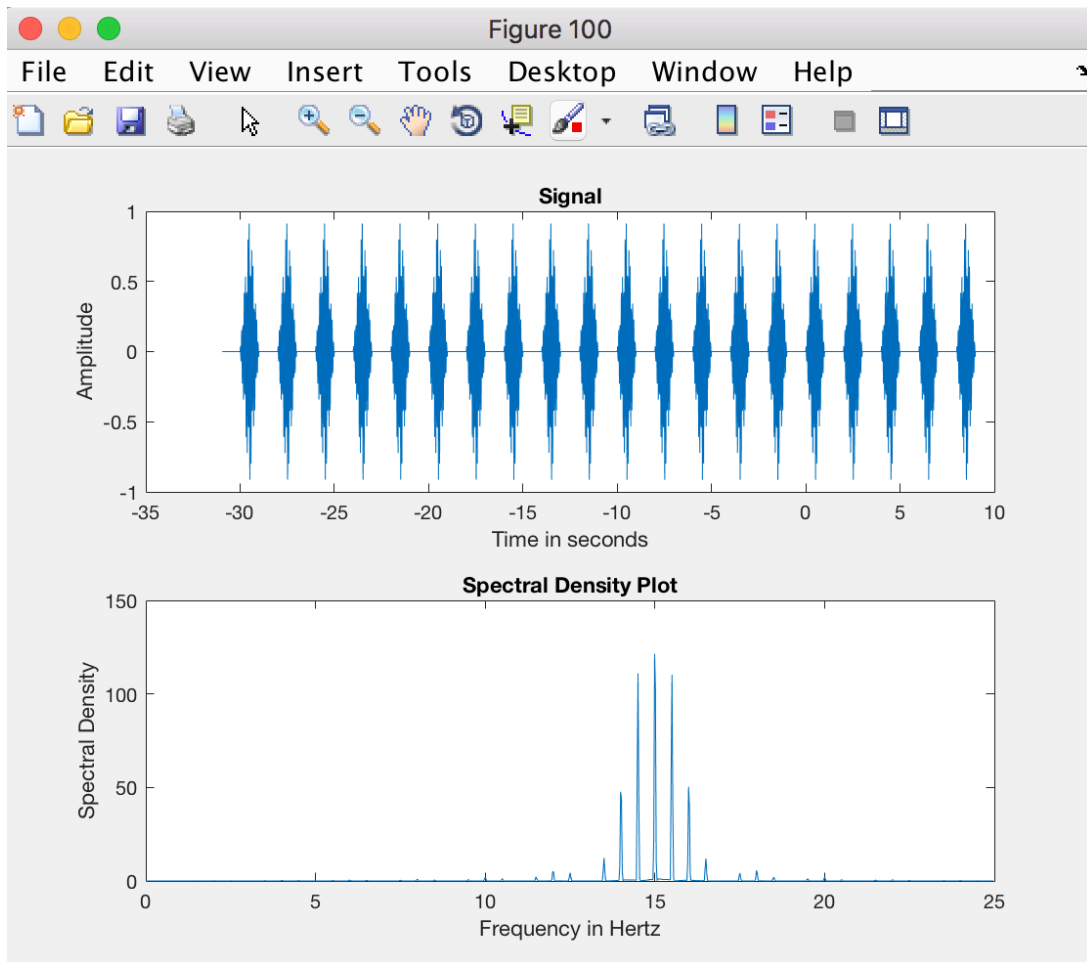


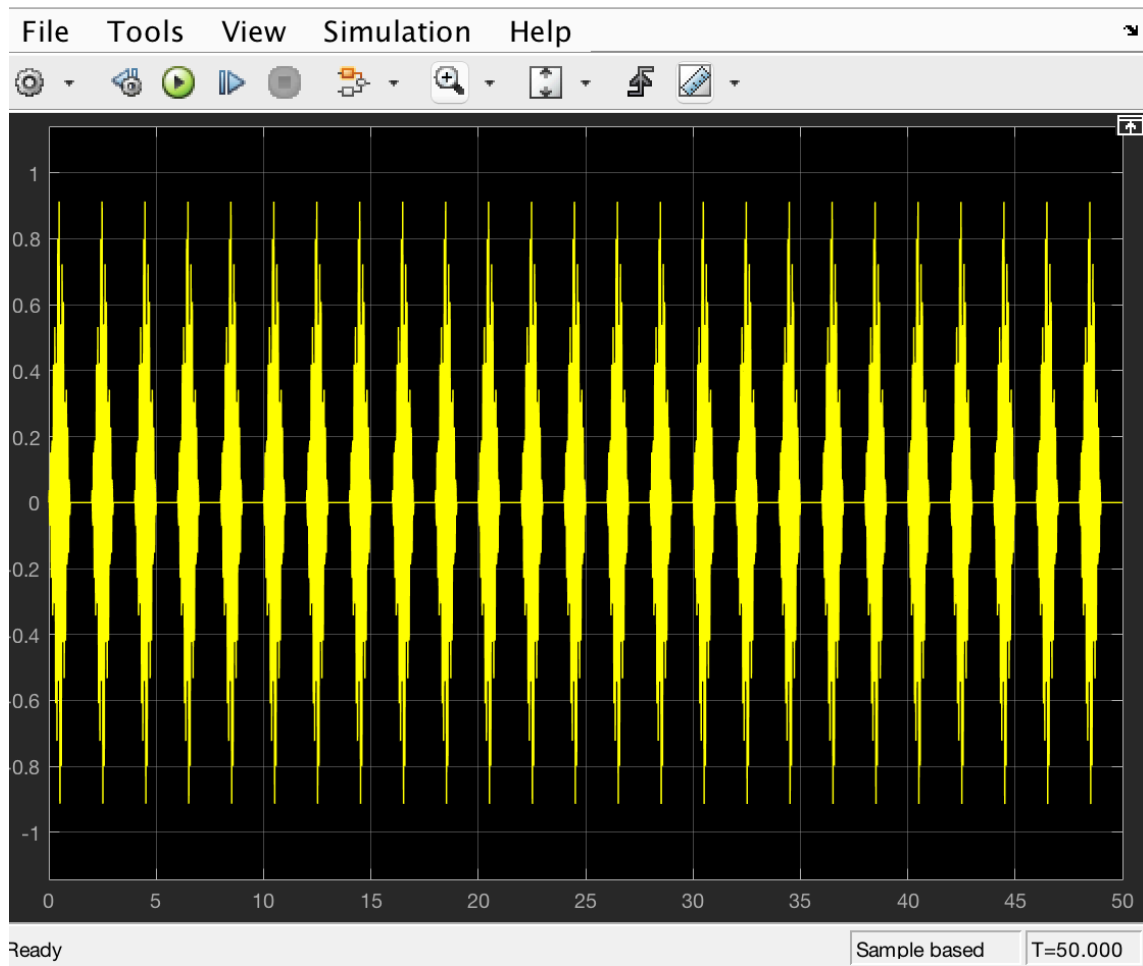
1. Triangular pulse duration = 1 sec, Period = 2 sec, Modulating Frequency = 10 Hz:



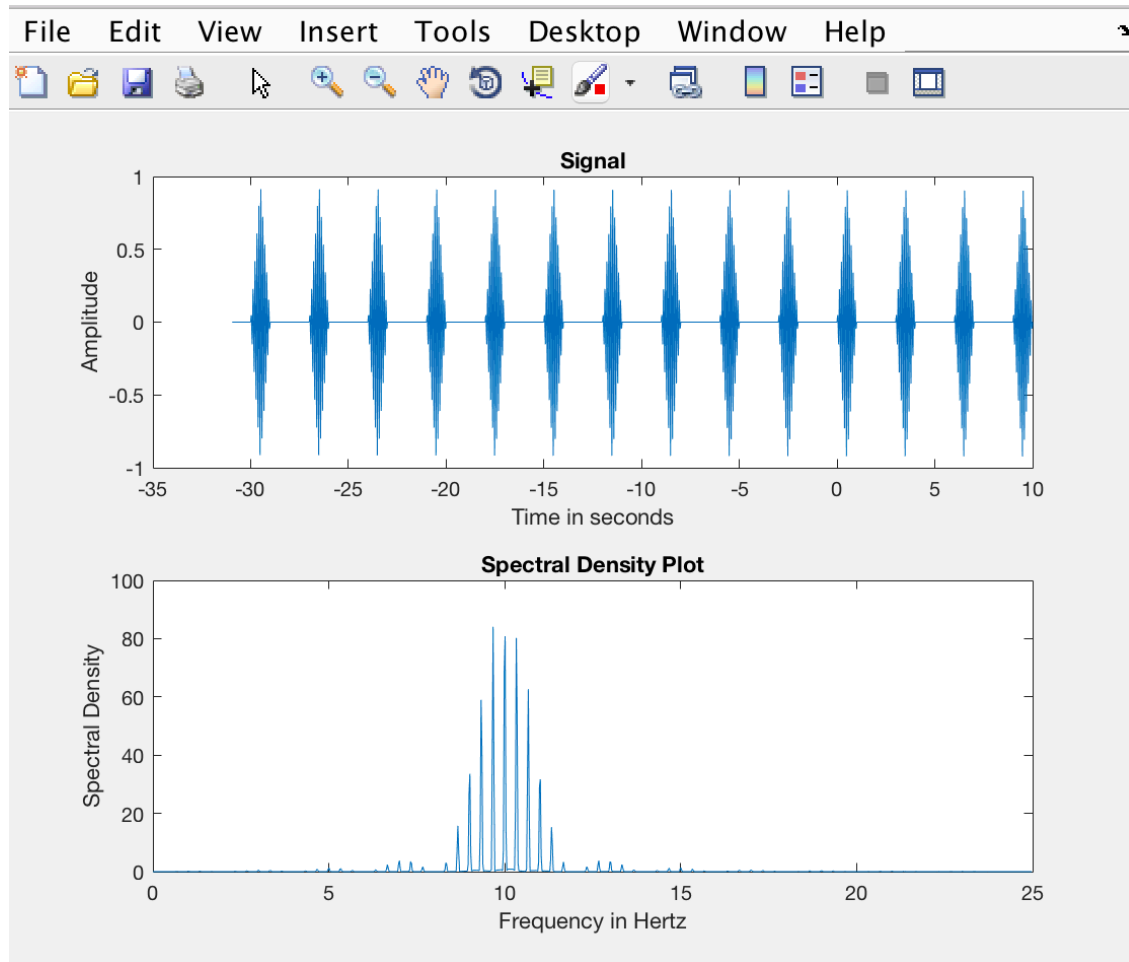


2. Triangular pulse duration = 1 sec, Period = 2 sec, Modulating Frequency = 15 Hz

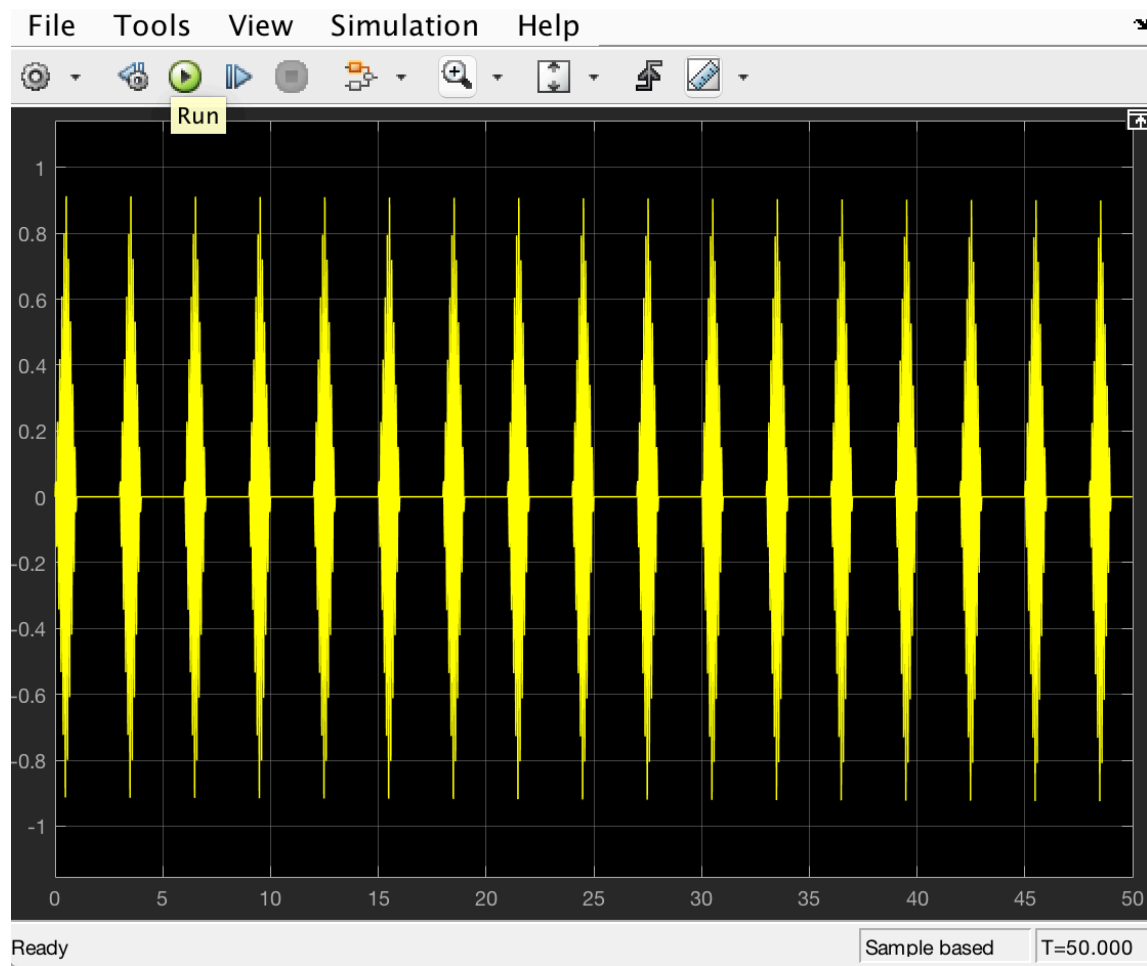




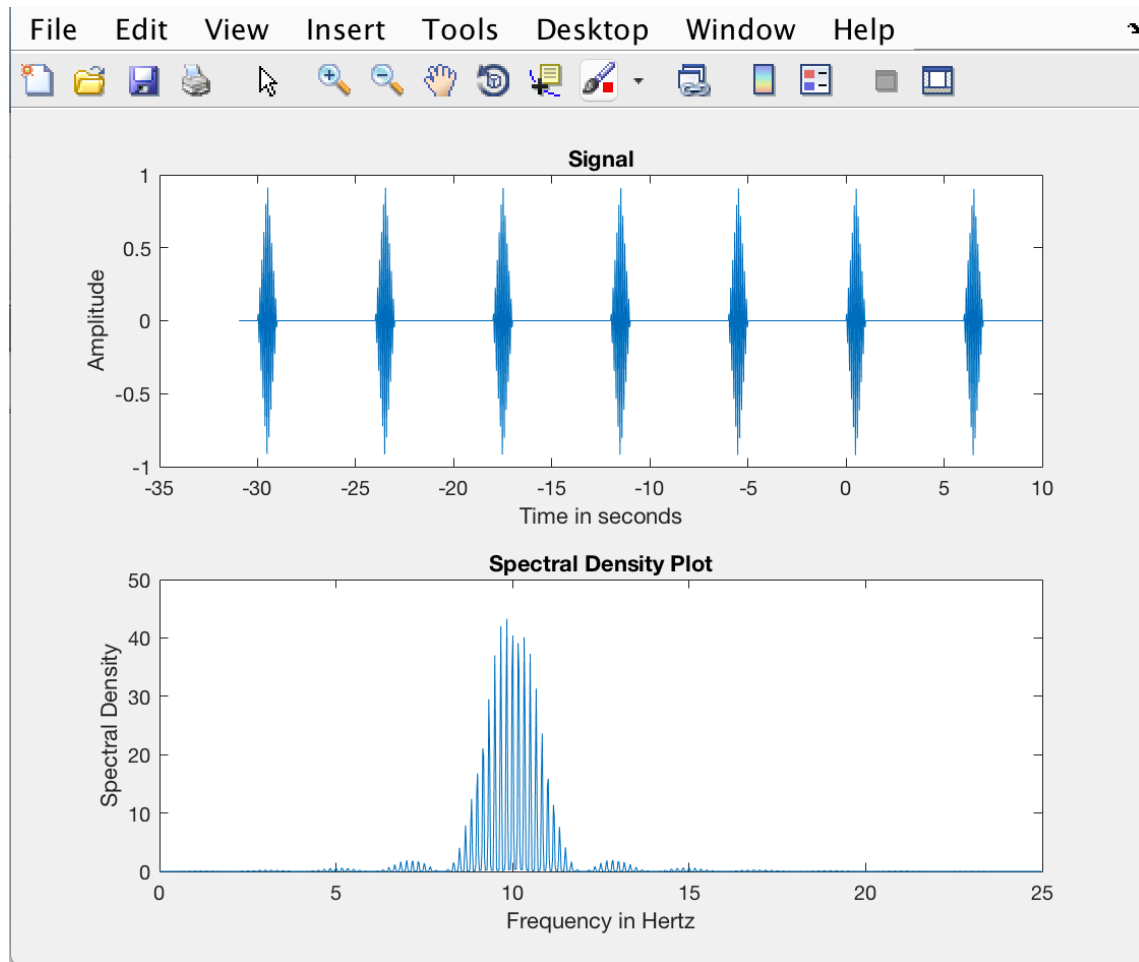
3. Triangular pulse duration = 1 sec, Period = 3 sec, Modulating Frequency = 10 Hz

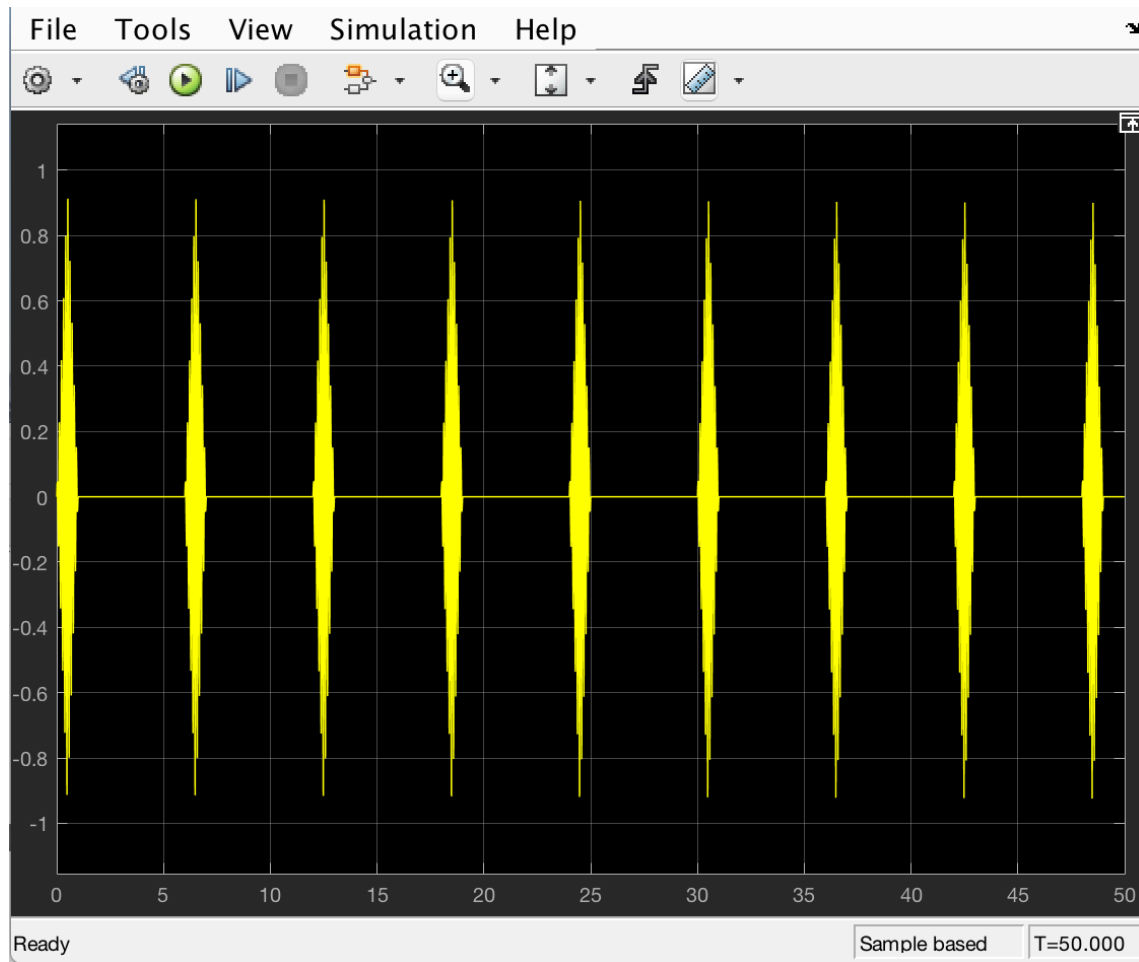






4. Triangular pulse duration = 1 sec, Period = 6 sec, Modulating Frequency = 10 Hz





- Changing the modulating frequency increases the density around the center frequency.
- Spectrum have a comb structure due to the modulation property.
- If the period were to increase toward infinity within the limit, then spectral density tends to increase within the limit.

Extra Credit:

Modulation Property

$$s(t) p(t) \xleftrightarrow{F} \frac{1}{2\pi} [S(\omega) * P(\omega)].$$

Let our spectrum be  $\cos(2\pi f_0 t) s(t) \rightarrow$

Then by duality & linearity -

$$\frac{1}{2} [S(f-f_0) + S(f+f_0)].$$

Multiplying by  $\cos(2\pi f_0 t) \rightarrow$

$$\cos(2\pi f_0 t) s_0(t) + \cos(2\pi f_0 t) (s_1(t))$$

which gives modulation property