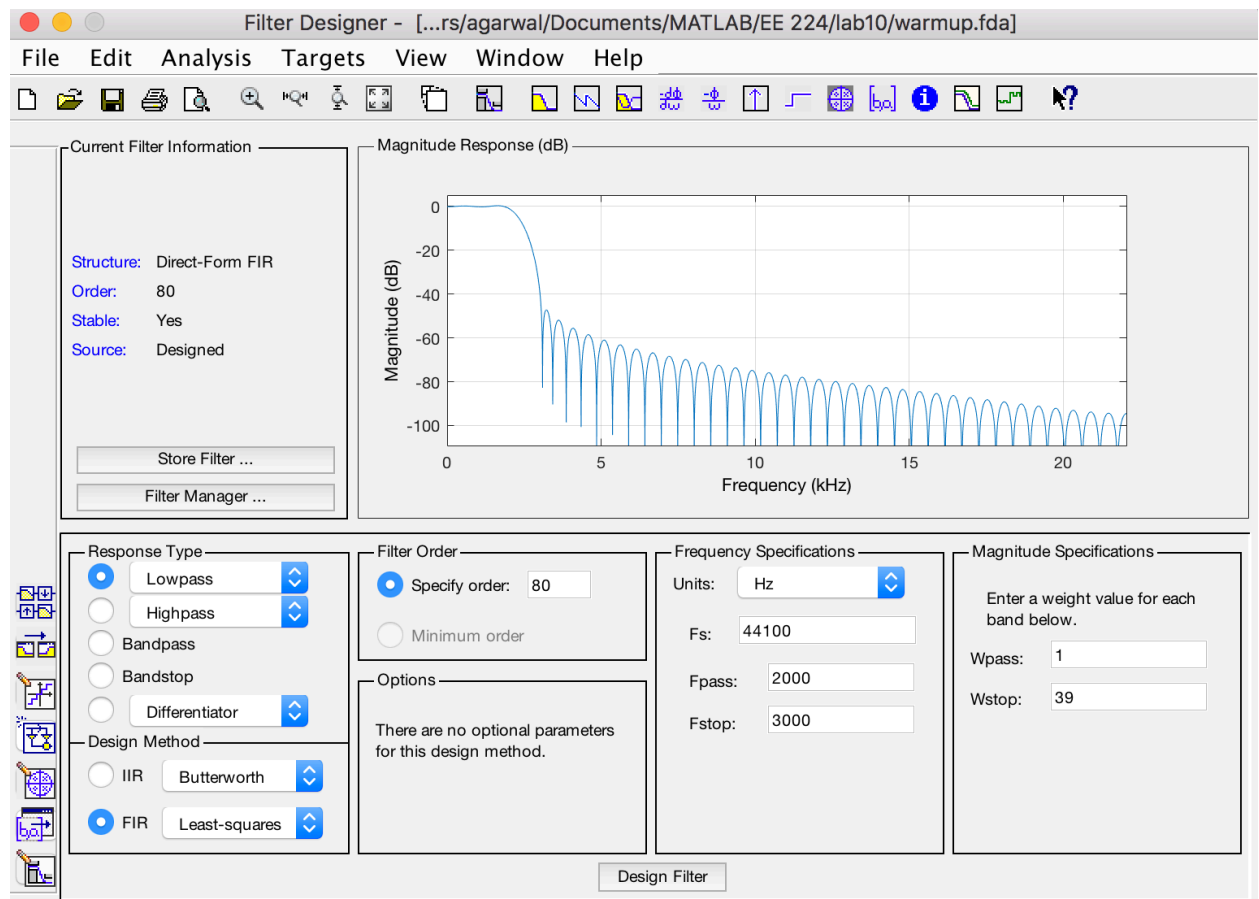
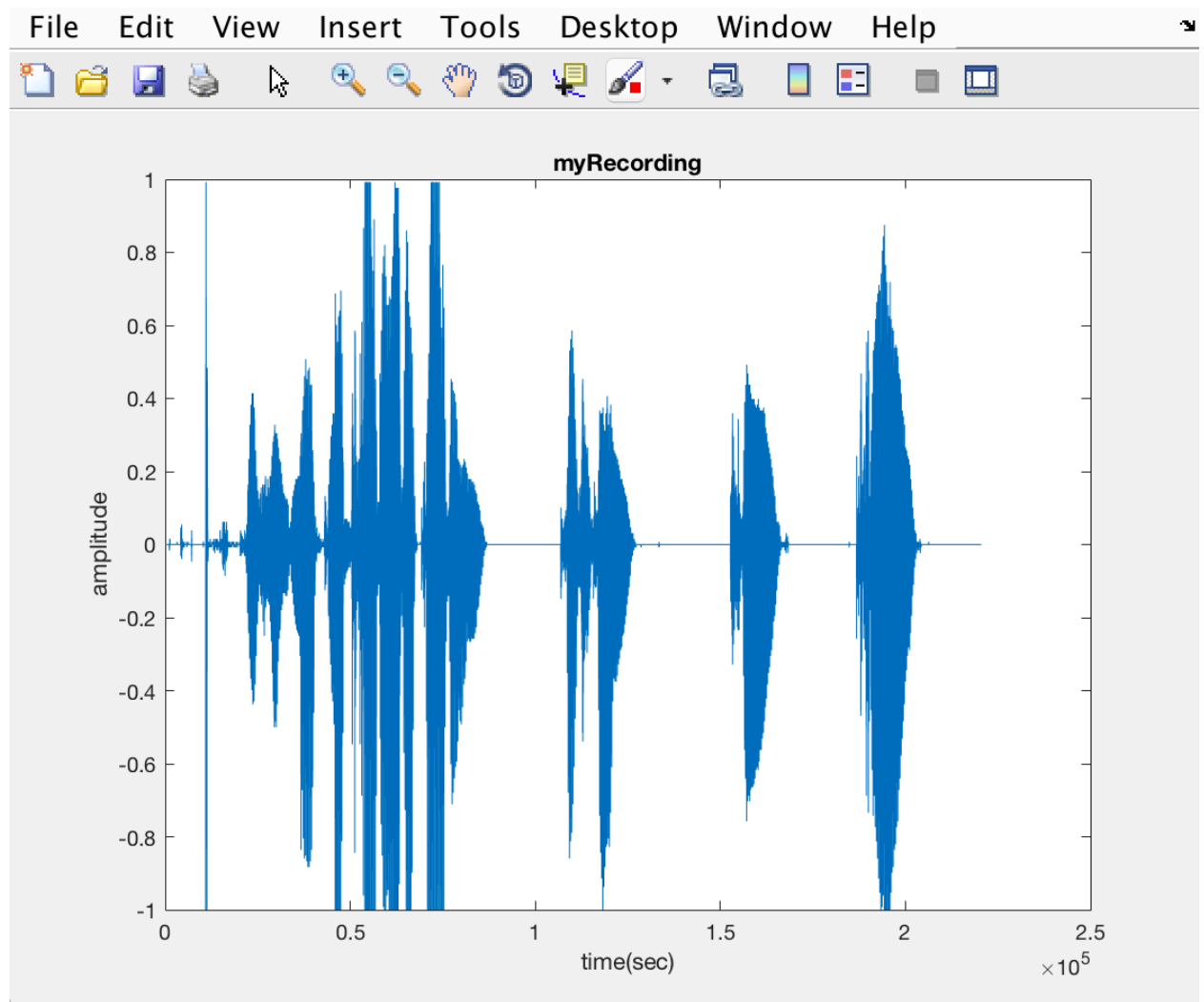


1. **Introduction:** In this lab, we learnt about the amplitude modulation, and demodulation of voice signal.

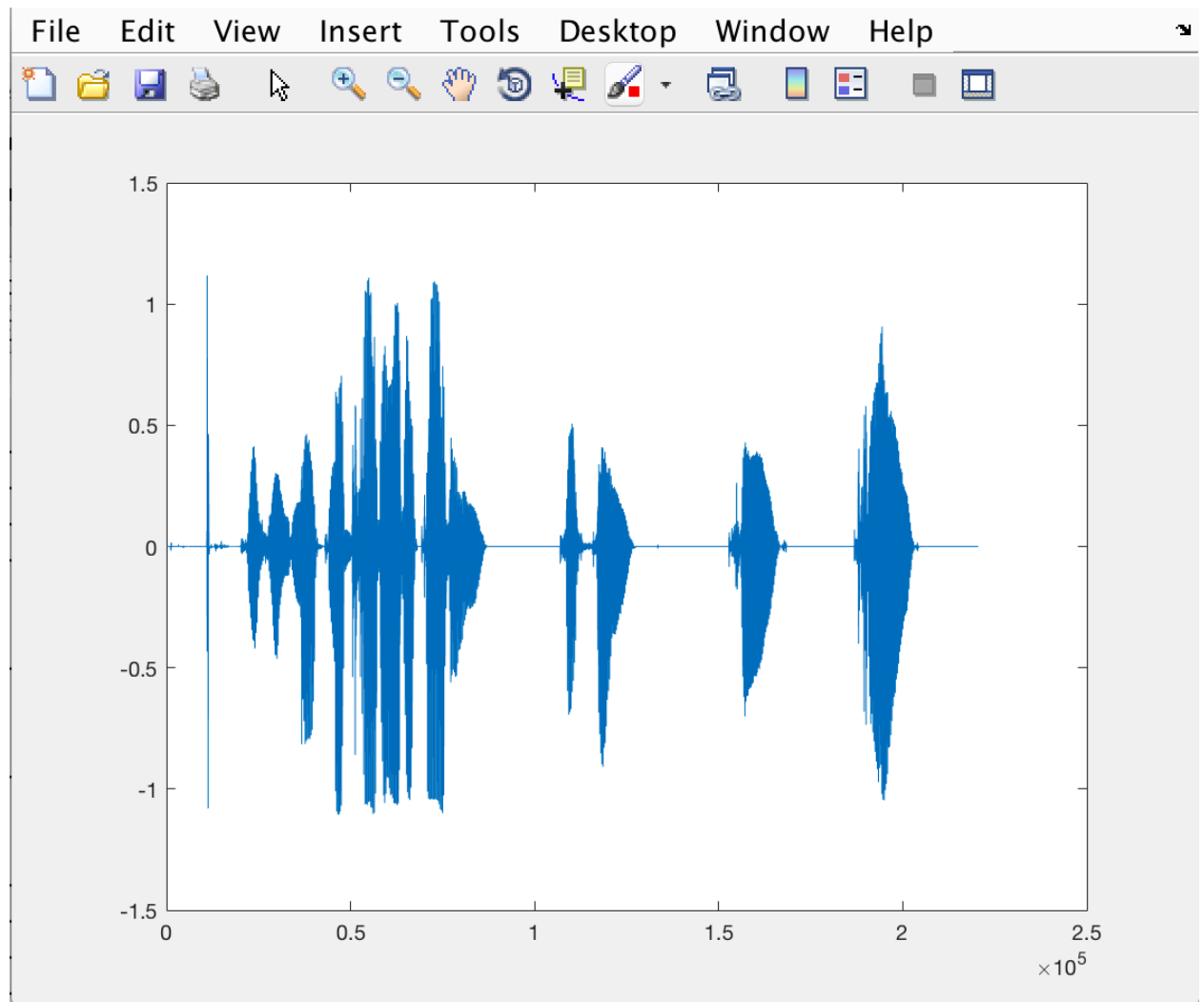
## 2. Warm up:



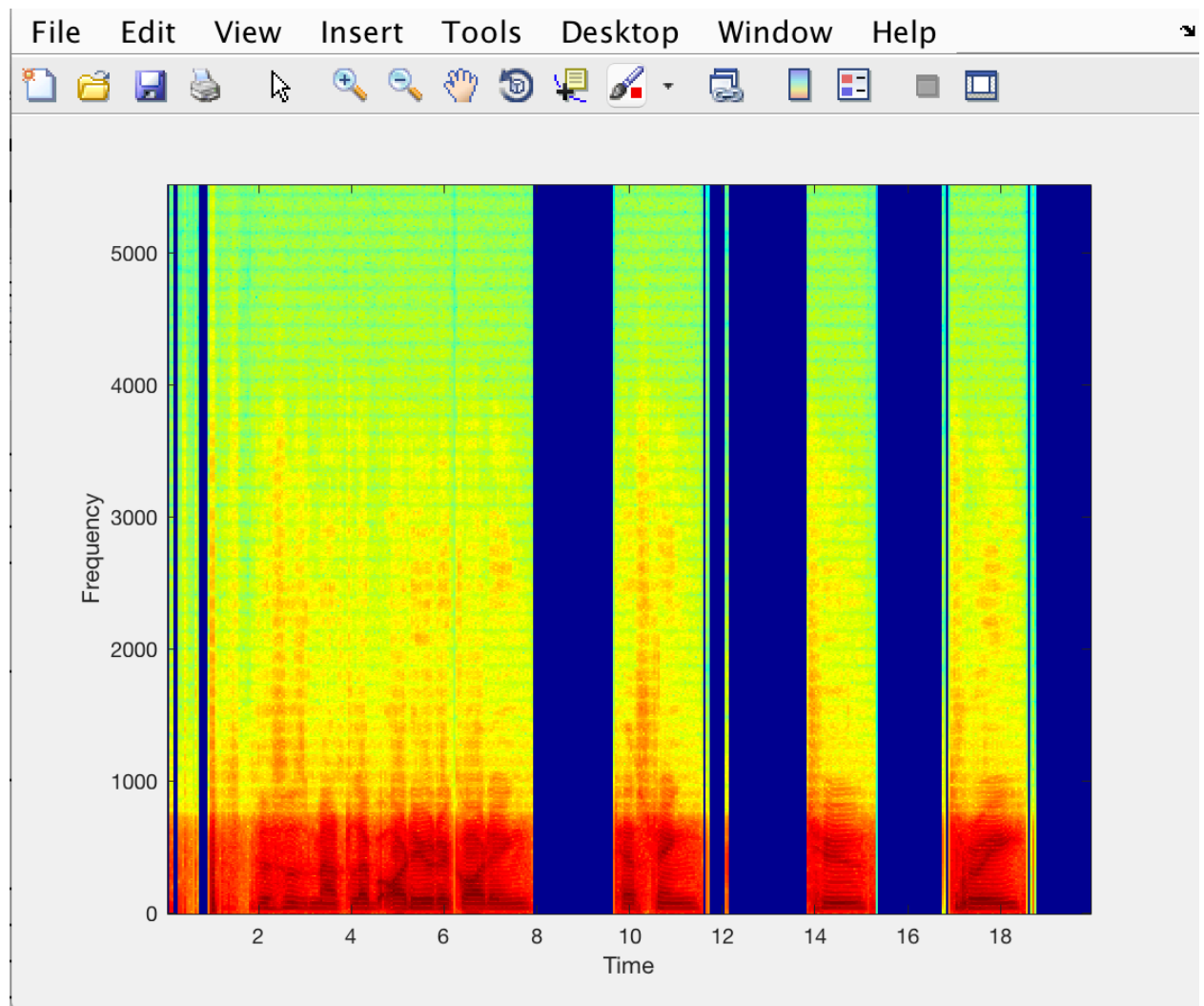
Original Recorded Voice:



Filtered Recorded Voice:

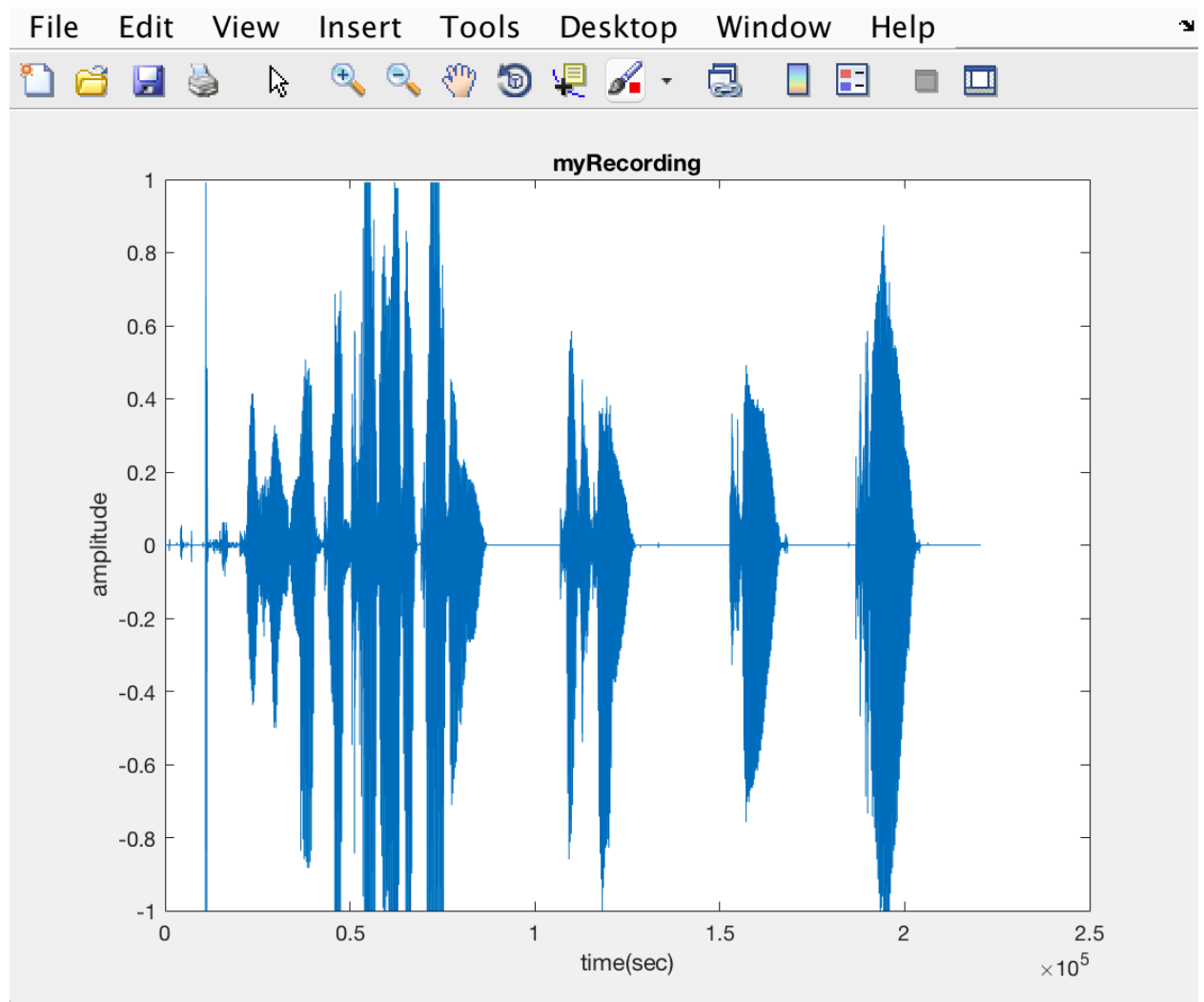


Spectrogram:

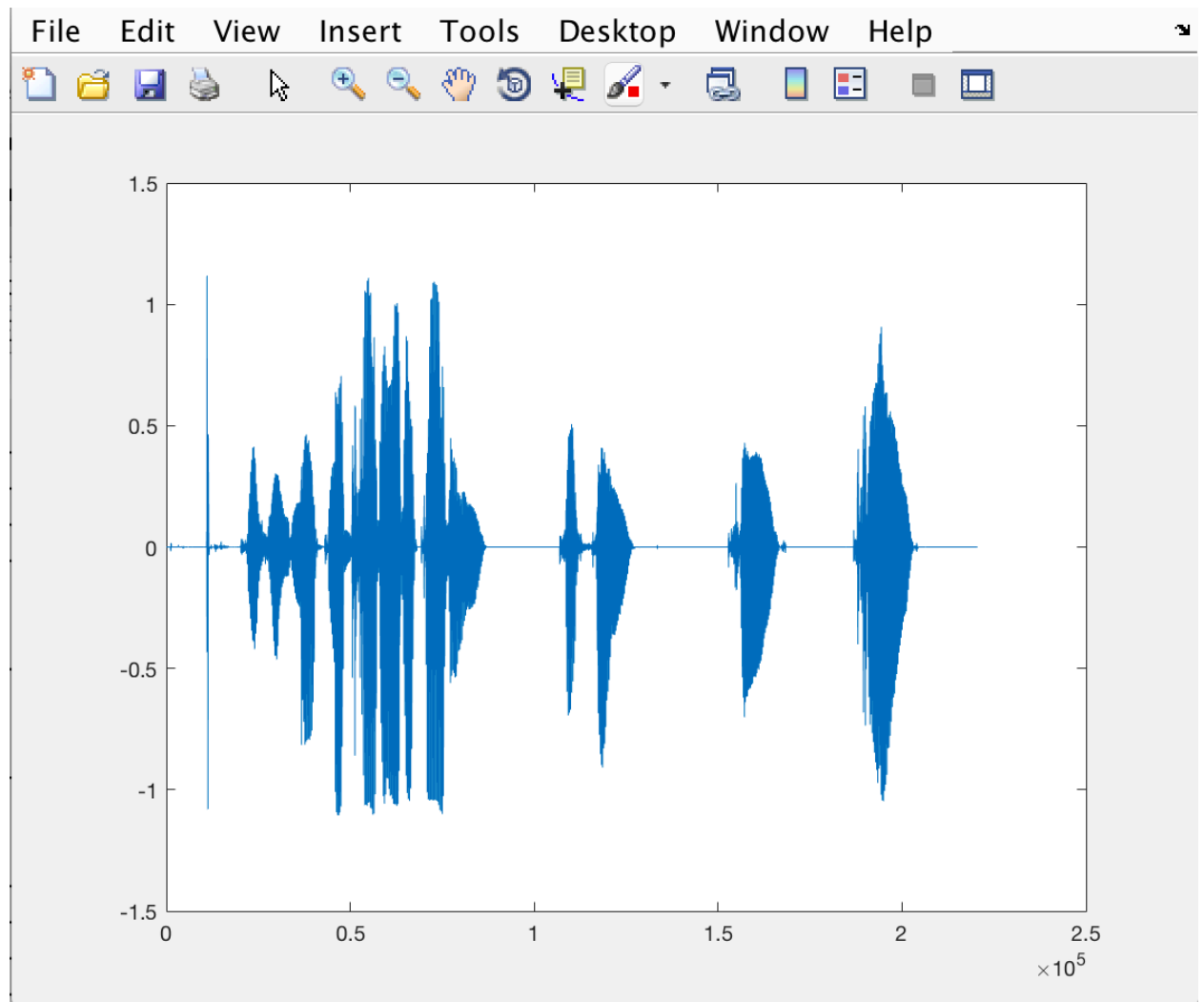


### 3. AM Communication System

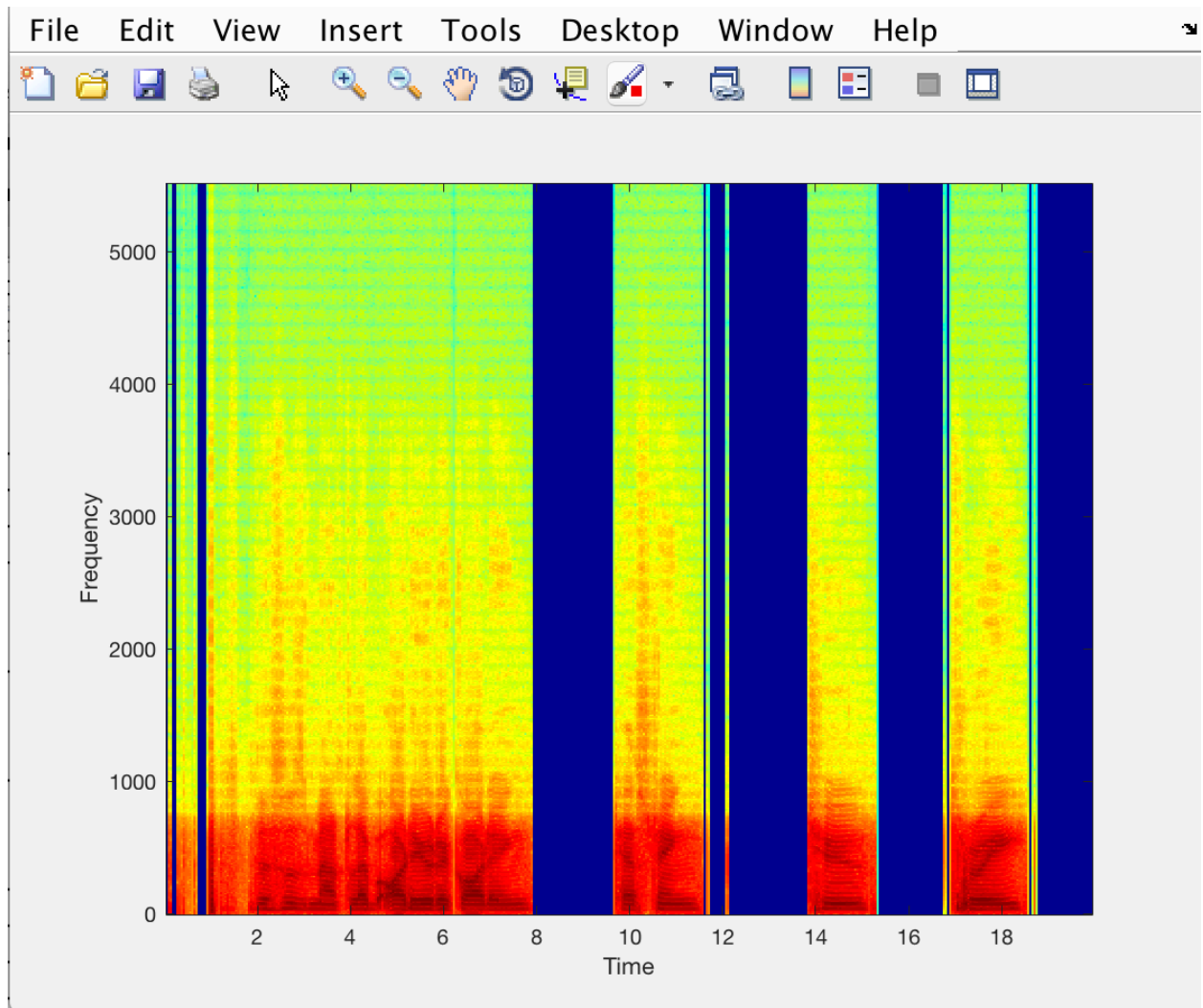
Input Voice Signal:



Filtered Voice:



Spectrogram:



MATLAB Code for AM signal:

```
% Record your voice for 5 seconds.
recObj = audiorecorder(44100,8,1);
disp('Start speaking.')
recordblocking(recObj, 5);
disp('End of Recording.');
```

```
% Play back the recording.
play(recObj);
```

```
% Store data in double-precision array.
myRecording = getaudiodata(recObj);
```

```
% Plot the waveform.
plot(myRecording);
```

```

title('myRecording');
xlabel('time(sec)');
ylabel('amplitude')

% Define the sampling frequency in Hz
fs = 44100;
len = 1; % length of signals in seconds
t = (-len/2):1/fs:(len/2); % time index
m = myRecording
fc = 8000; % carrier frequency
c = cos(2*pi*fc*t);
% Modulate the signal
u = m.*c;
am_plot(t,m,c,u,1.1);
% Calculate the spectra
M = am_spectrum(m);
C = am_spectrum(c);
U = am_spectrum(u);
% frequency index for plotting
f = (-fs/2):(1/len):(fs/2);
% plotting them in frequency
am_plot(f,M,C,U,0.1);

```

### 3.1 Explanation:

The following is my homework explanation for the derivation of Figure 1.

6.

$$(a) \cos \alpha \cos \beta = \frac{\cos(\alpha + \beta) + \cos(\alpha - \beta)}{2}$$

$$\cos(\omega_c t) \cos(\omega_c t + \phi) = \frac{1}{2} \cos(2\omega_c t + \phi) + \frac{1}{2} \cos \phi$$

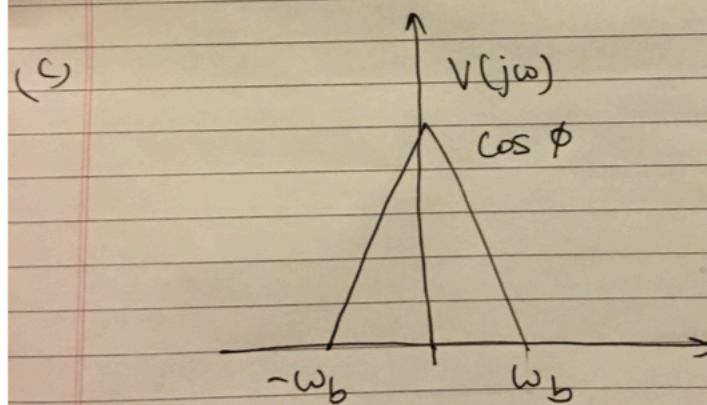
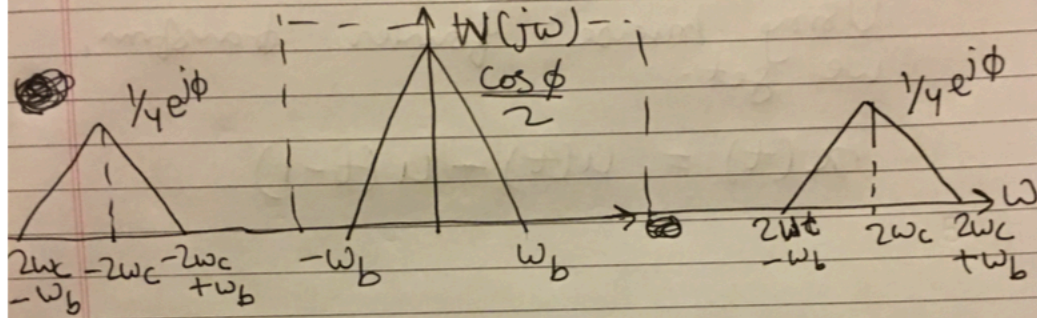
$$w(t) = x(t) \cos(\omega_c t + \phi) \cdot \cos(\omega_c t)$$

$$= \frac{1}{2} x(t) \cos(\omega_c t + \phi) + \frac{1}{2} x(t) \cos \phi$$

$$= \frac{1}{4} x(t) e^{j\phi} e^{j2\omega_c t} + \frac{1}{4} x(t) \cdot e^{-j\phi} e^{-j2\omega_c t} + \frac{1}{2} x(t) \cdot \cos \phi$$



(b) 
$$W(j\omega) = \frac{1}{4} e^{j\phi} X[j(\omega - 2\omega_c)] + \frac{1}{4} e^{-j\phi} X[j(\omega + 2\omega_c)] + \frac{\cos \phi}{2} X(j\omega).$$



d) 
$$v(t) = x(t) \cos \phi.$$