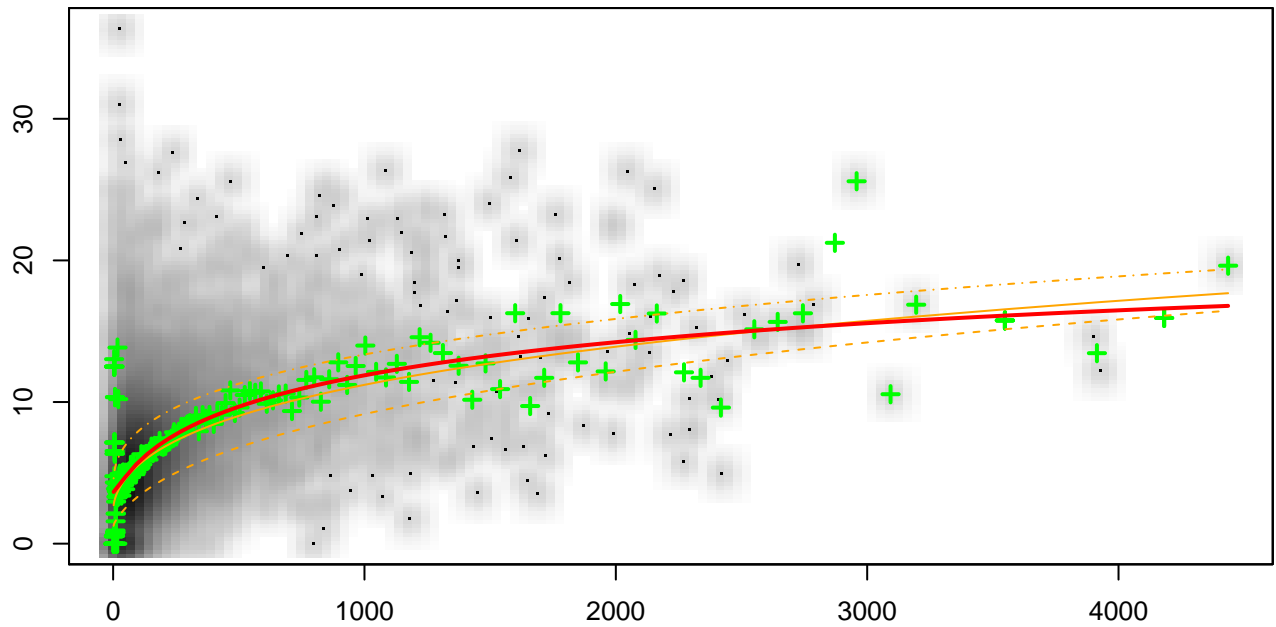


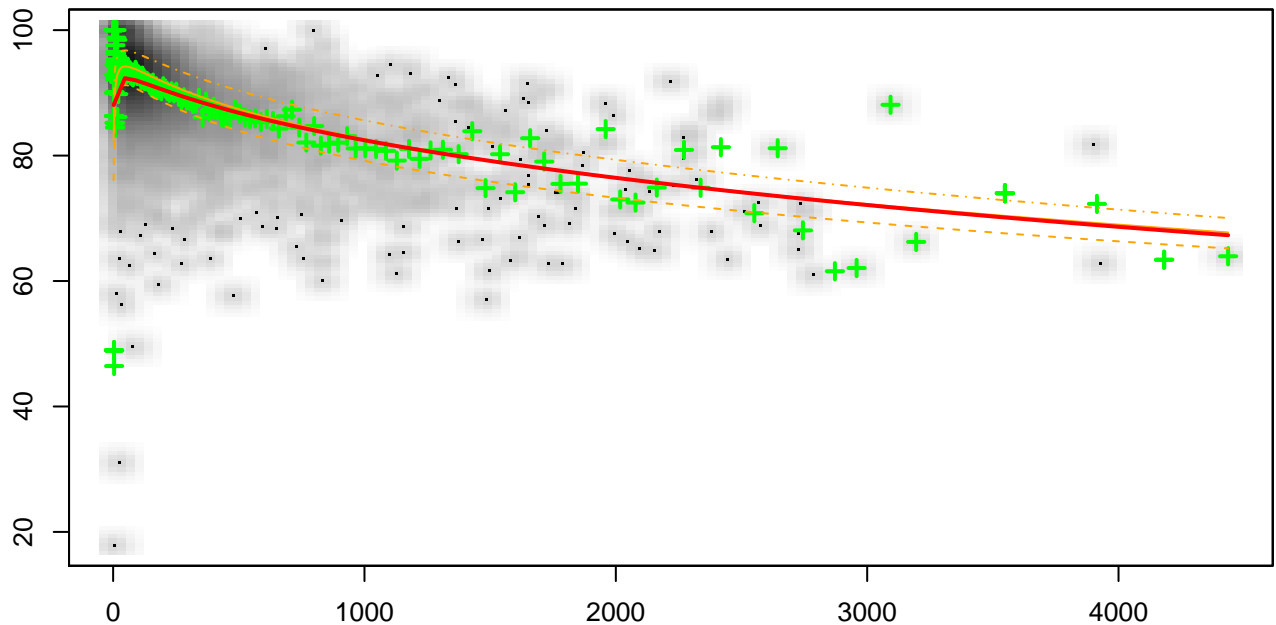
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3 + d\tilde{x}^4$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = 0.0312402617763
 a = 0.0118744160584 ; b = -0.00729746079842
 c = 0.00173208156049 ; d = -9.53526866706e-05

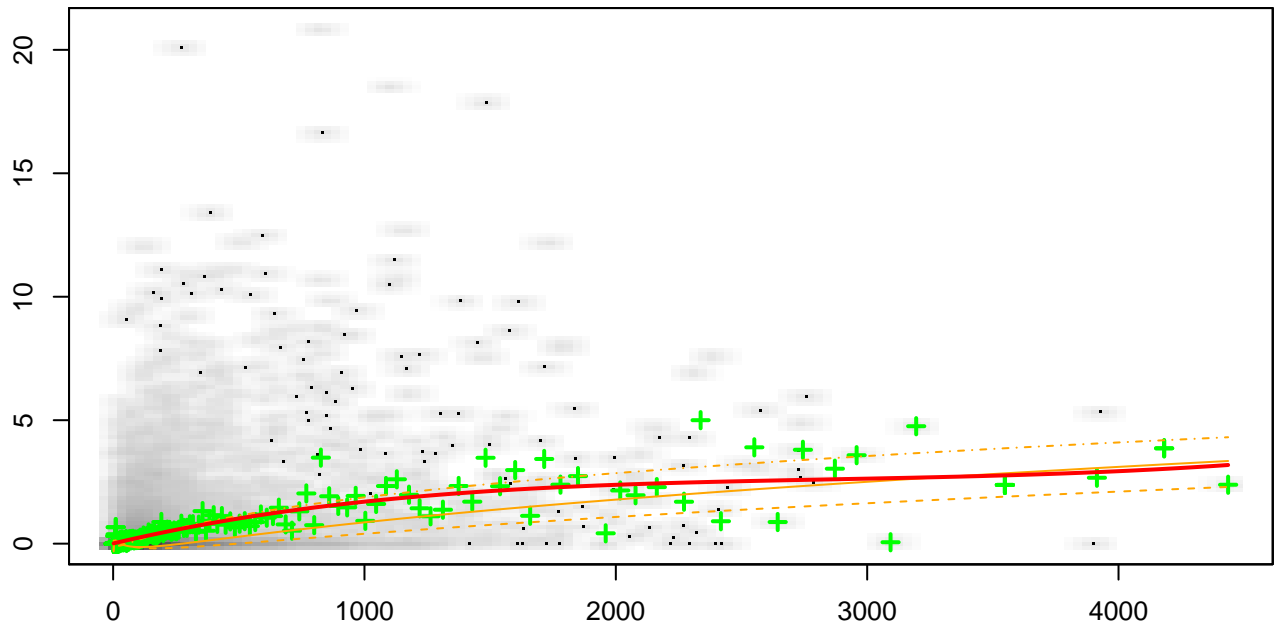
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = 0.870142013652
 a = 0.0125902143919 ; b = 0.00423575284842
 c = -0.00101572305978 ; d = NA

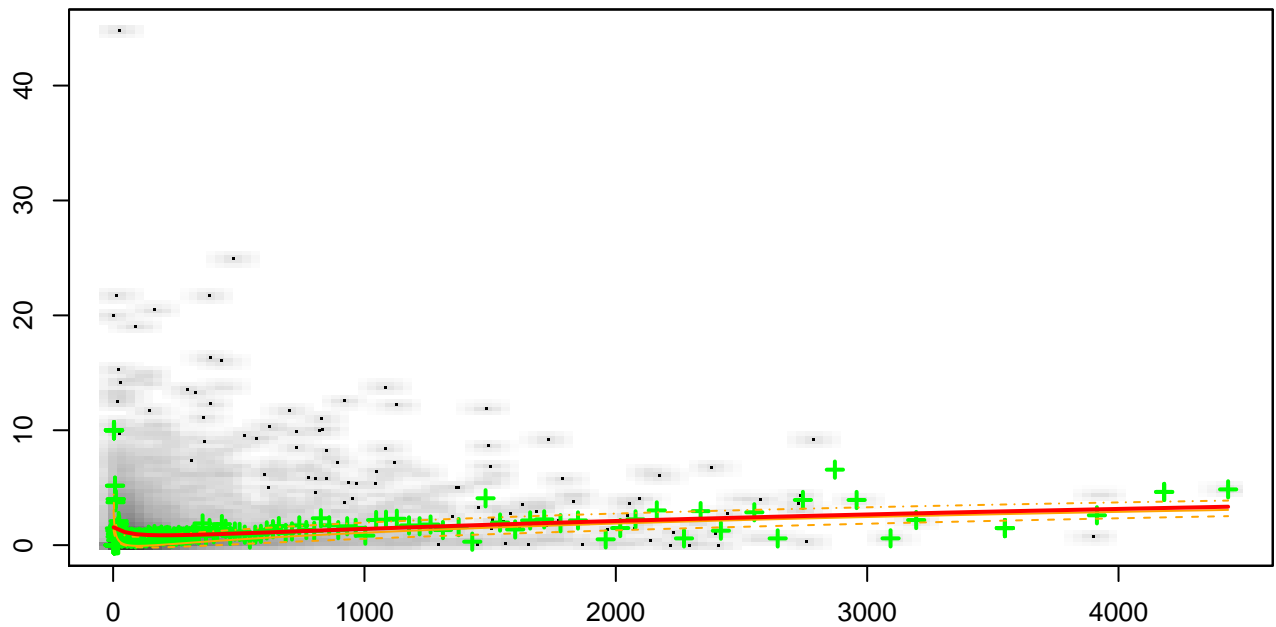
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =
 y =
 Const = 7.05505520927e-05
 a = 2.41405868896e-05 ; b = -8.36861380787e-09
 c = 1.19731589642e-12 ; d = -3.91117785944e-17

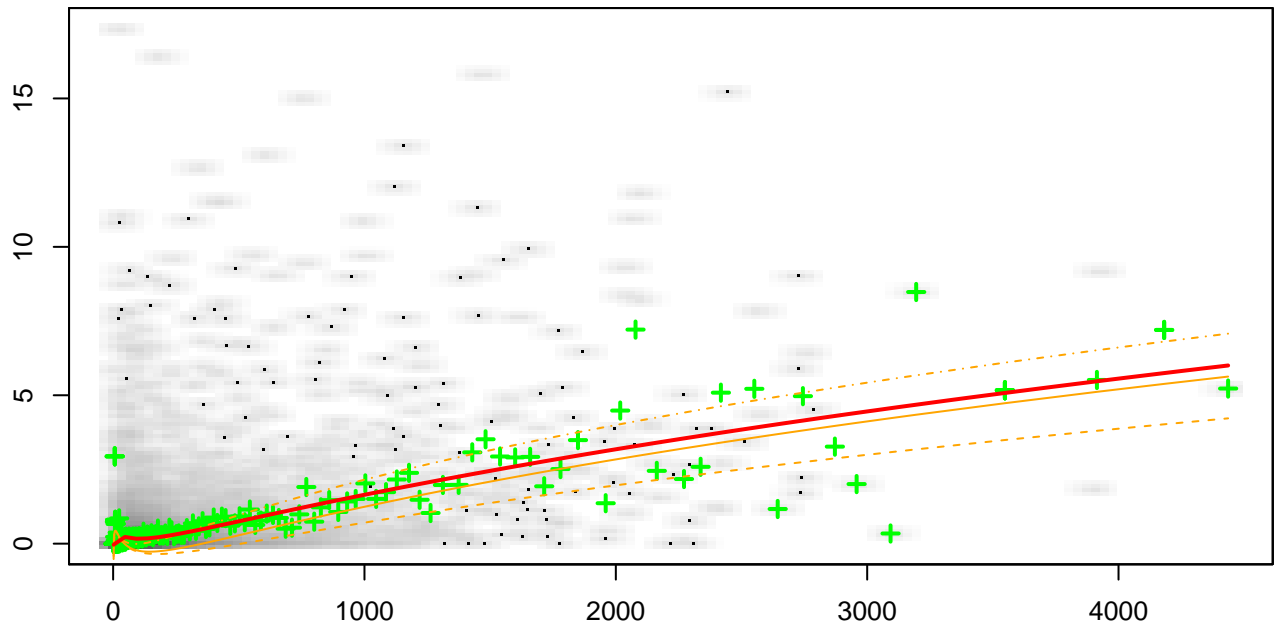
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = 0.0119495453475
 a = 0.00711820124277 ; b = -0.00303579094598
 c = 0.000296825110286 ; d = NA

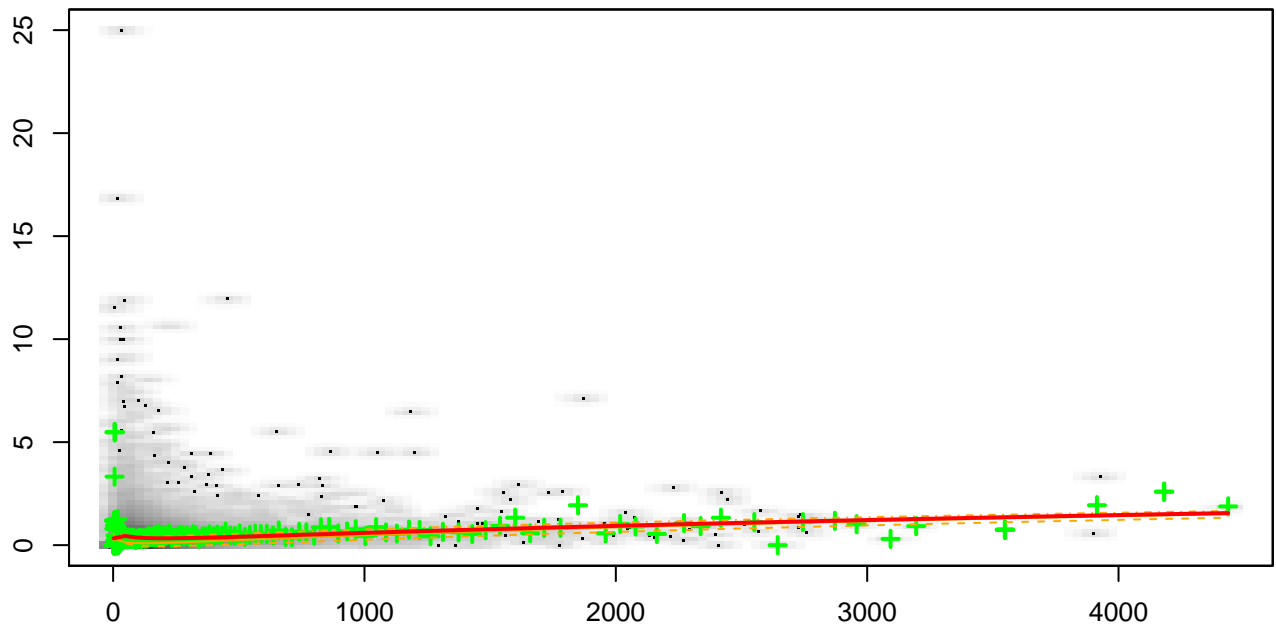
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3 + d\tilde{x}^4$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = -0.00352036390092
 $a = 0.00501006910544$; $b = -0.000436116039481$
 $c = -0.000303172760381$; $d = 4.66056854617e-05$

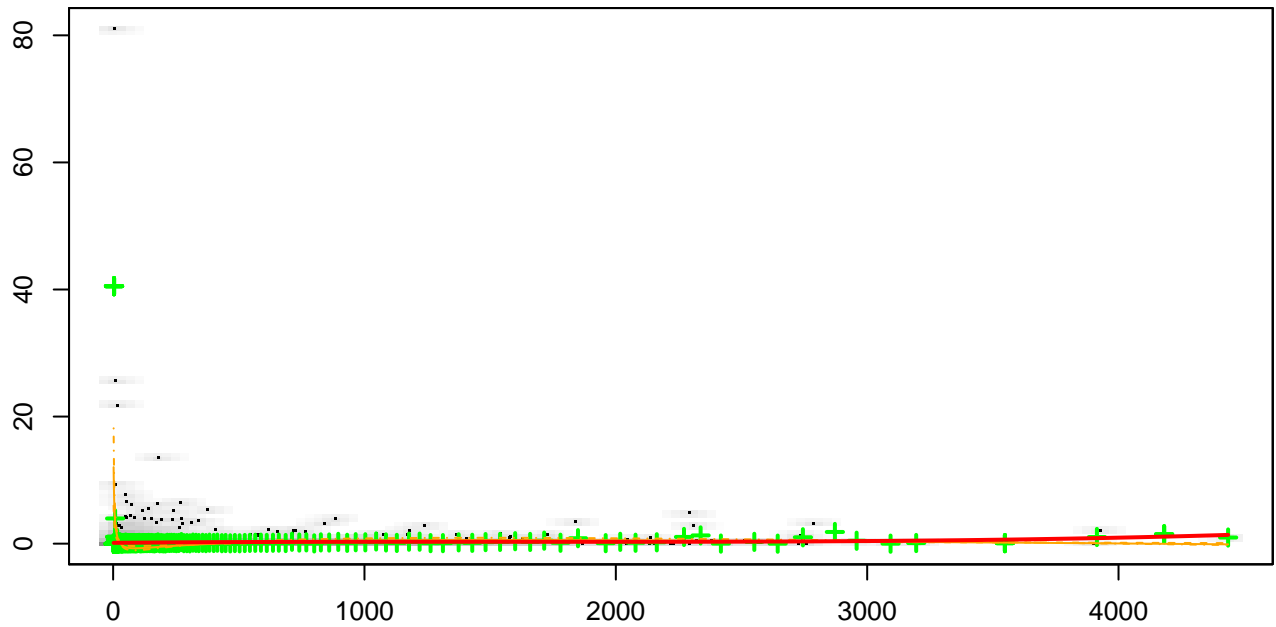
Correlation Chart
Percentage of = f()



+ Local averages
 --- 25% Quantile
 --- 50% Quantile
 --- 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = $5.2083798971e-05$
 $a = 0.00594480102356$; $b = -0.00189094906311$
 $c = 0.000167059857312$; $d = \text{NA}$

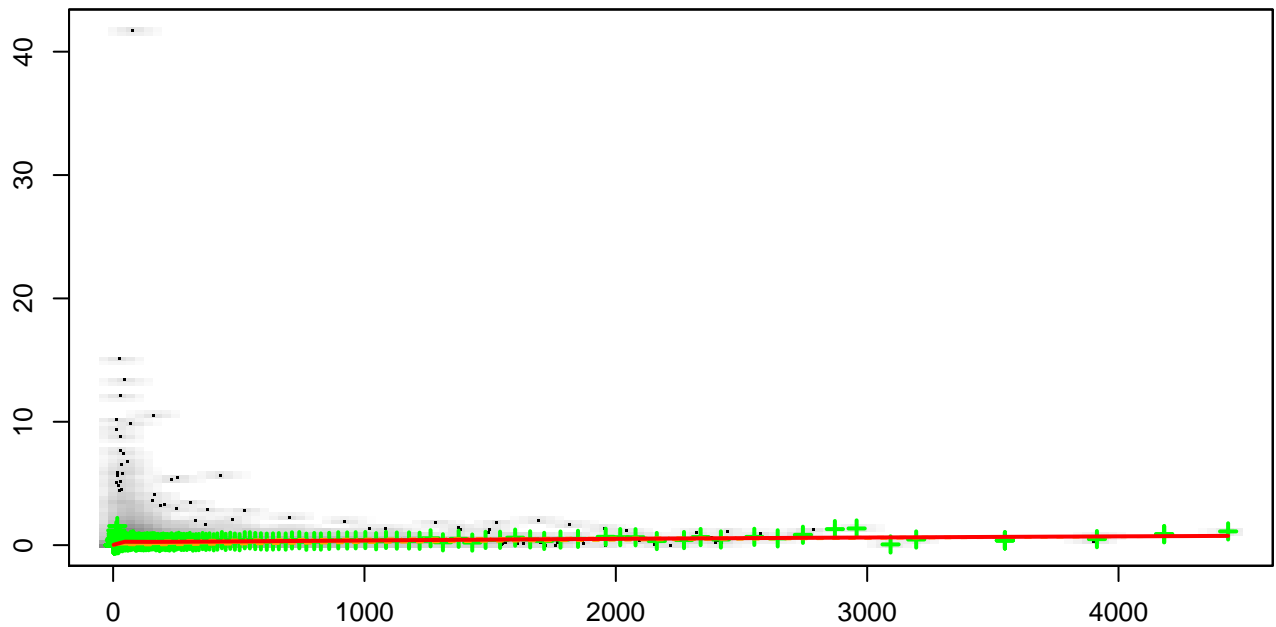
Correlation Chart
Percentage of = f()



+ Local averages
 - - - 25% Quantile
 - - - 50% Quantile
 - - - 75% Quantile
 — $y = \text{Const} + ax + bx^2 + cx^3$

x =
 y =
 Const = 0.00125717232549
 a = 3.53179848584e-06 ; b = -2.32282383087e-09
 c = 4.87405593612e-13 ; d = NA

Correlation Chart
Percentage of = f()



+ Local averages
 - - - 25% Quantile
 - - - 50% Quantile
 - - - 75% Quantile
 — $y = \text{Const} + a\tilde{x} + b\tilde{x}^2 + c\tilde{x}^3$; $\tilde{x} = \ln(x)$

x =
 y =
 Const = -0.00178904938759
 a = 0.00356828920262 ; b = -0.000892835212844
 c = 7.13734965882e-05 ; d = NA

Correlation Sum Check

