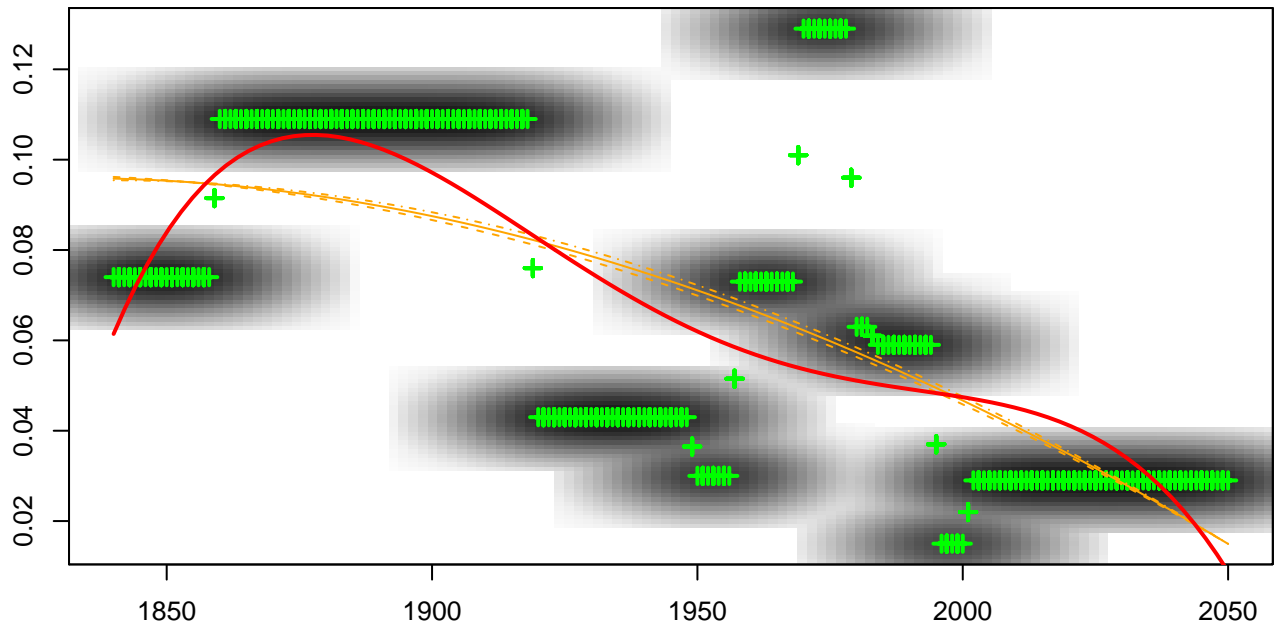


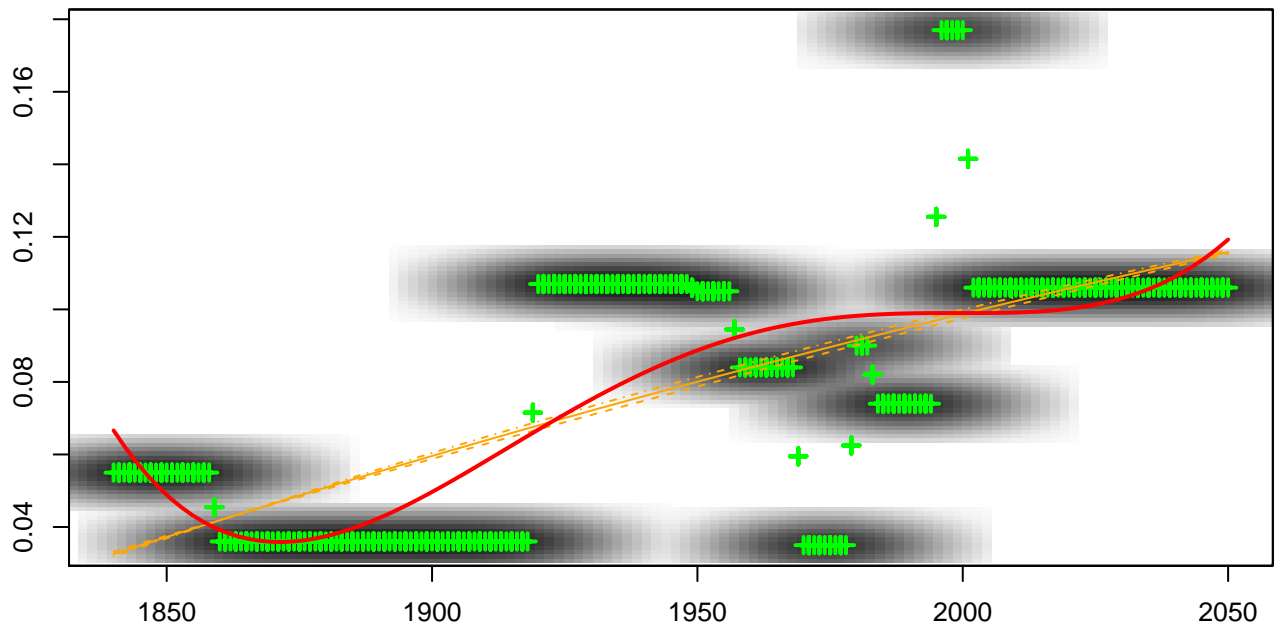
Correlation Chart  
= f( )



+ Local averages  
 - - - 25% Quantile  
 - - - 50% Quantile  
 - - - 75% Quantile  
 -  $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =  
 y =  
 Const = -11052.3823843  
 a = 22.6351382938 ; b = -0.0173766908244  
 c = 5.92660035179e-06 ; d = -7.57742893581e-10

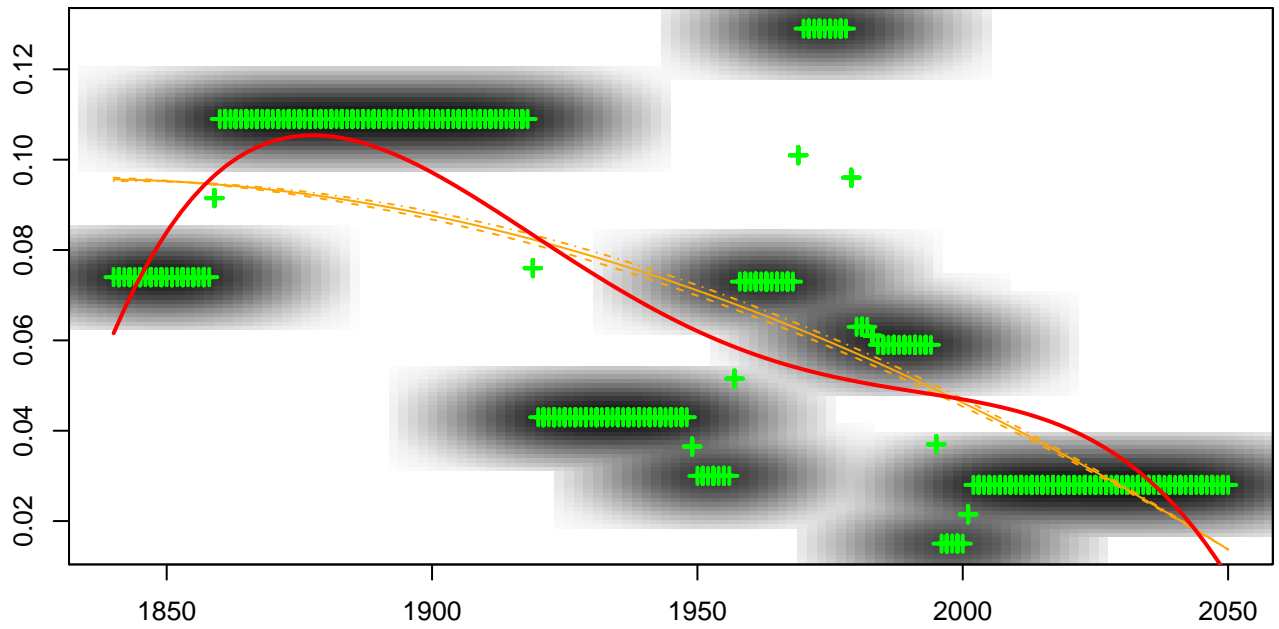
Correlation Chart  
= f( )



+ Local averages  
 - - - 25% Quantile  
 - - - 50% Quantile  
 - - - 75% Quantile  
 -  $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =  
 y =  
 Const = 10302.3136644  
 a = -21.092071995 ; b = 0.0161850186846  
 c = -5.51707203568e-06 ; d = 7.04901928916e-10

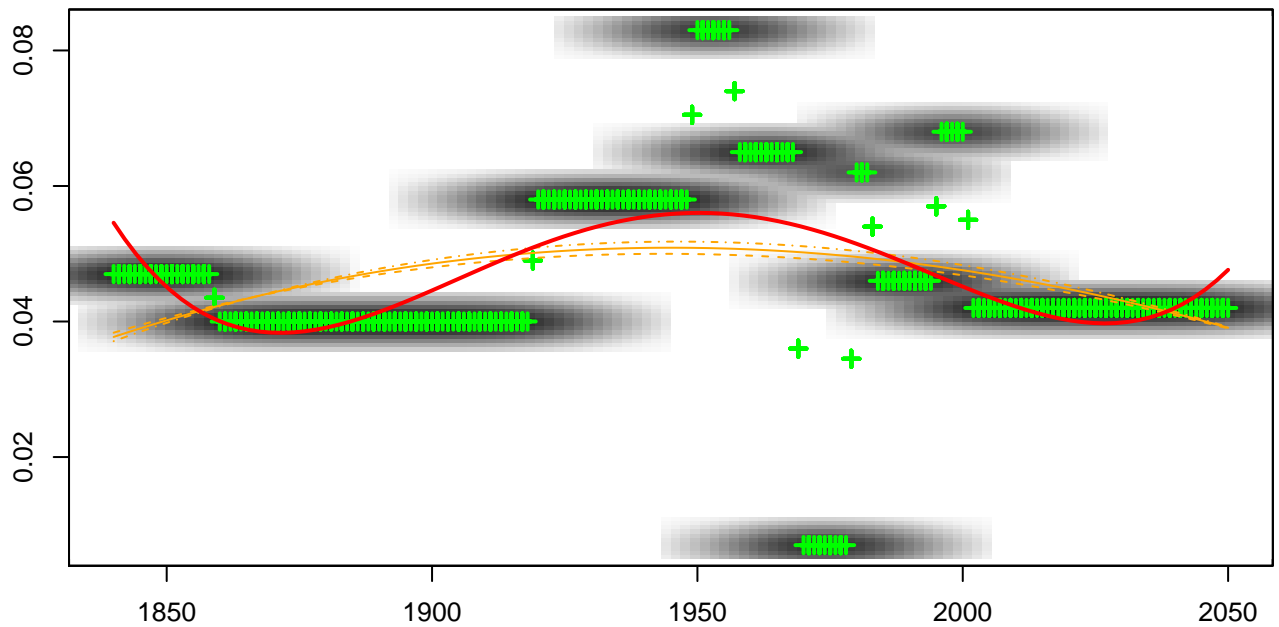
Correlation Chart  
= f( )



+ Local averages  
 - - - 25% Quantile  
 - - - 50% Quantile  
 - - - 75% Quantile  
 —  $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =  
 y =  
 Const = -10943.0054913  
 a = 22.4107483923 ; b = -0.0172041943831  
 c = 5.86771158801e-06 ; d = -7.5020997042e-10

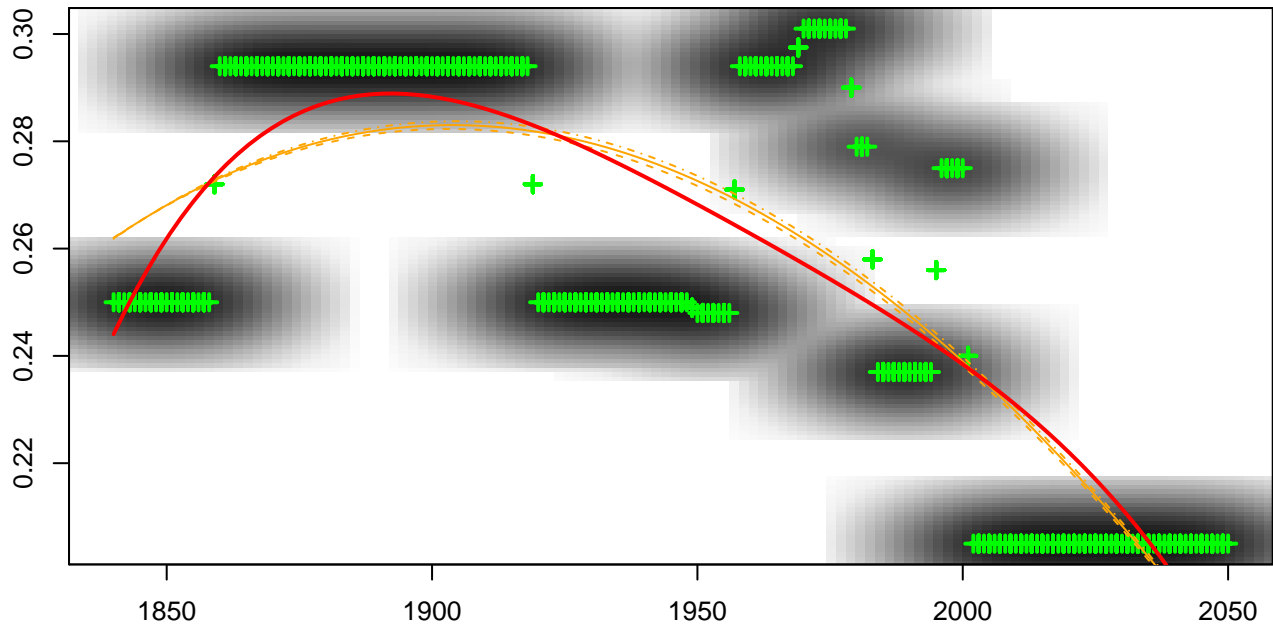
Correlation Chart  
= f( )



+ Local averages  
 - - - 25% Quantile  
 - - - 50% Quantile  
 - - - 75% Quantile  
 —  $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =  
 y =  
 Const = 6714.12158413  
 a = -13.79793424 ; b = 0.0106277696954  
 c = -3.63627735374e-06 ; d = 4.66308256101e-10

Correlation Chart  
= f()



+ Local averages  
--- 25% Quantile  
--- 50% Quantile  
--- 75% Quantile  
—  $y = \text{Const} + ax + bx^2 + cx^3 + dx^4$

x =  
y =  
Const = -5192.18309207  
a = 10.595584353 ; b = -0.00810791696619  
c = 2.75761707253e-06 ; d = -3.51750993302e-10