

# Introduction to **Information Retrieval**

Lecture 9: Index Compression

# This lecture

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BRUTUS → 

1	2	4	11	31	45	173	174
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CAESAR → 

1	2	4	5	6	16	57	132	...
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CALPURNIA → 

2	31	54	101
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- Collection statistics in more detail
  - How big are the dictionary and postings likely to be, for a given text documents collection?
- Dictionary compression
- Postings compression

# Why compression (in general)?

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- Use less disk space
  - Saves a little money
- Keep more stuff in memory
  - Increases speed due to caching of more data
- Increase speed of data transfer from disk to memory
  - [read compressed data | decompress] is faster than [read uncompressed data]
  - Premise: Decompression algorithms are fast
    - True of the decompression algorithms we use

# Why compression for inverted indexes?

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- Dictionary
  - Make it small enough to keep in main memory
  - Make it so small that you can keep some postings lists in main memory too
- Postings file(s)
  - Reduce disk space needed
  - Decrease time needed to read postings lists from disk
  - Large search engines keep a significant part of the postings in memory (compression lets you keep more in memory)
- We will devise various IR-specific compression schemes

# Sample text collection: Reuters RCV1

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■ symbol	statistic	value
■ N	documents	800,000
■ L	avg. # tokens per doc	200
■ M	terms (= word types)	~400,000
■	avg. # bytes per token (incl. spaces/punct.)	6
■	avg. # bytes per token (without spaces/punct.)	4.5
■	avg. # bytes per term	7.5
■	non-positional postings	100,000,000

# Observations

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- Preprocessing greatly affects the size of dictionary and number of postings
  - Stemming, case folding, stop word removal
- Percentage reduction can be different based on properties of the collections
  - E.g., lemmatizer for French reduces dictionary size much more than Porter stemmer for English

# Index parameters vs. what we index

(details *IIR* Table 5.1, p.80)

size of	word types (terms)			non-positional postings			positional postings		
	dictionary			non-positional index			positional index		
	Size (K)	$\Delta\%$	cumul %	Size (K)	$\Delta\%$	cumul %	Size (K)	$\Delta\%$	cumul %
Unfiltered	484			109,971			197,879		
No numbers	474	-2	-2	100,680	-8	-8	179,158	-9	-9
Case folding	392	-17	-19	96,969	-3	-12	179,158	0	-9
30 stopwords	391	-0	-19	83,390	-14	-24	121,858	-31	-38
150 stopwords	391	-0	-19	67,002	-30	-39	94,517	-47	-52
stemming	322	-17	-33	63,812	-4	-42	94,517	0	-52

Exercise: give intuitions for all the '0' entries. Why do some zero entries correspond to big deltas in other columns?

# Lossless vs. lossy compression

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- Lossless compression: All information is preserved.
  - What we mostly do in IR.
- Lossy compression: Discard some information
  - Makes sense when the discarded information is unlikely to be ever used by the IR system
- Several of the preprocessing steps can be viewed as lossy compression: case folding, stop words, stemming, number elimination.



# Compression

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- We will consider compression schemes
  - Dictionary compression
  - Postings list compression

# DICTIONARY COMPRESSION

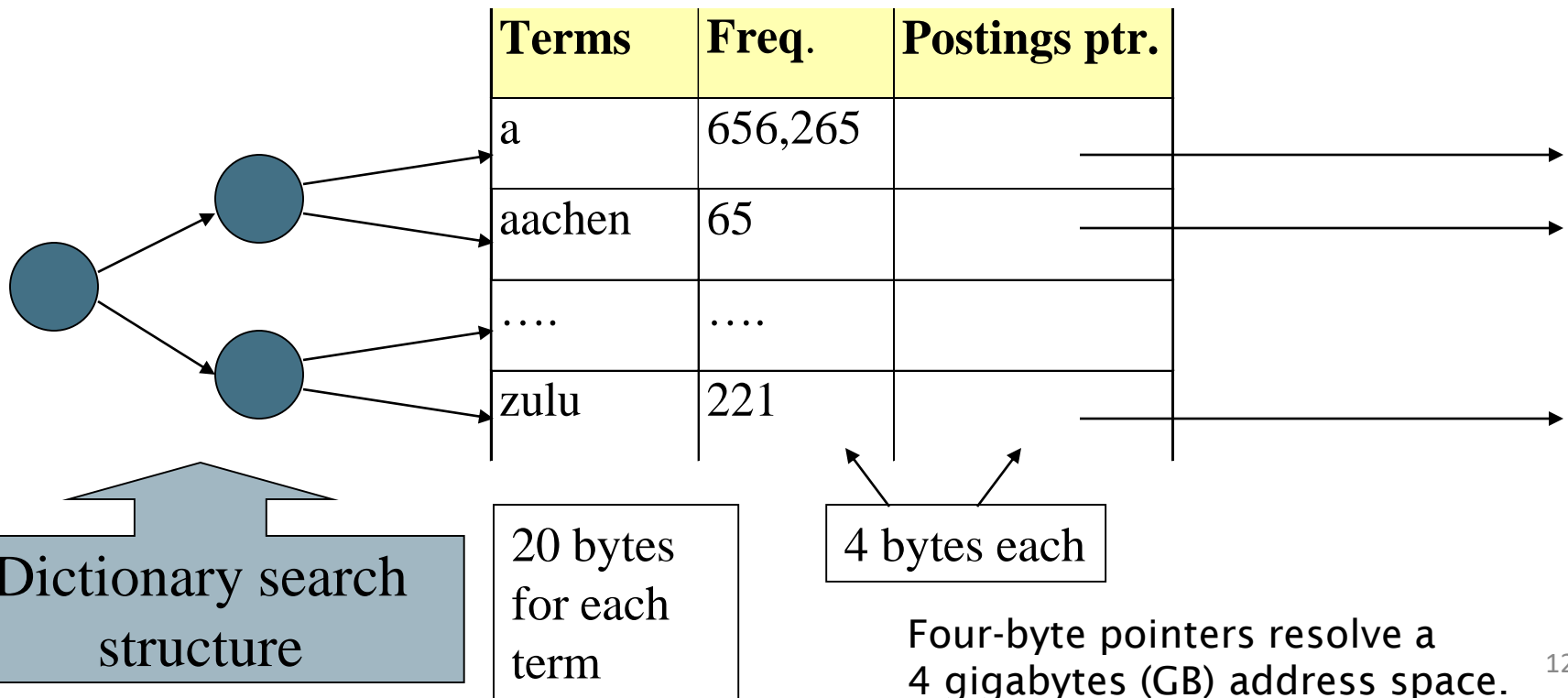
# Why compress the dictionary?

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- Search begins with the dictionary
- We want to keep it in memory
- Memory footprint: competition with other applications
- Embedded/mobile devices may have very little memory
- Even if the dictionary isn't in memory, we want it to be small for a fast search startup time
- So, compressing the dictionary is important

# Dictionary storage

- Array of fixed-width entries
  - ~400,000 terms; 28 bytes/term = 11.2 MB.



# Fixed-width terms are wasteful

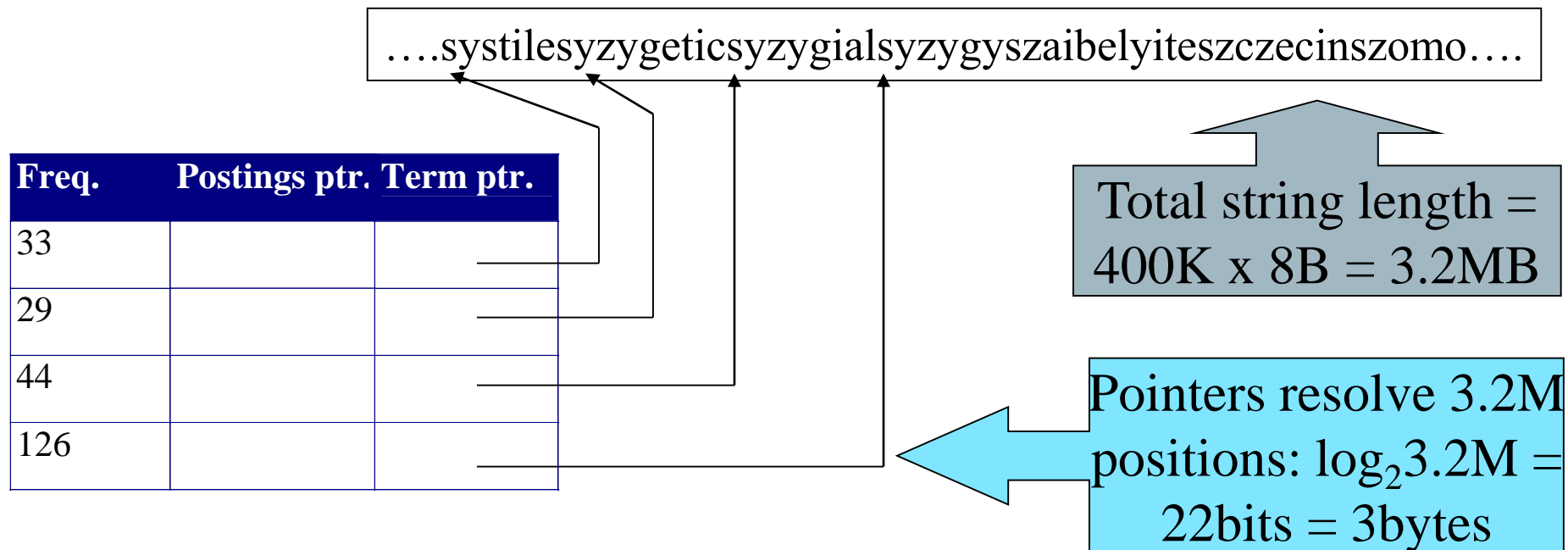
---

- Most of the bytes in the **Term** column are wasted – we allot 20 bytes even for 1 letter terms.
  - And we still can't handle *terms with more than 20 chars*
- Written English averages ~4.5 characters/word.
- Ave. dictionary word in English: ~8 characters
  - How do we use ~8 characters per dictionary term?

# Compressing the term list:

## Approach 1: Dictionary-as-a-String

- Store dictionary as a (long) string of characters:
  - Pointer to next word shows end of current word
  - Hope to save up to 60% of dictionary space.



# Space for dictionary as a string

- 4 bytes per term for Freq.
  - 4 bytes per term for pointer to Postings.
  - 3 bytes per term pointer
  - Avg. 8 bytes per term in term string
  - 400K terms x 19  $\Rightarrow$  7.6 MB (against 11.2MB for fixed width)
- } Now avg. 11 bytes/term, not 20.

## Approach 2: Blocking

- Store pointers to every  $k$ -th term string.
  - Example below:  $k=4$ .
- Need to store term lengths (1 extra byte)

....**7***systile***9***syzygetic***8***syzygial***6***syzygy***11***szaibelyite***8***szczecin***9***szomo*....

Freq.	Postings ptr.	Term ptr.
33		
29		
44		
126		
7		

} Save 9 bytes  
} on 3  
} pointers.

← Lose 4 bytes on  
term lengths.



# Blocking

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- Group terms into blocks, each having  $k$  terms
- Store a term pointer only for first term of each block
- Store the length of each term as one additional byte at the beginning of each term
- Search for terms in the compressed dictionary
  - Locate the term's block by **binary search**
  - Then locate term's position within the block by **linear search within the block**
- By increasing block size  $k$ : tradeoff between better compression and speed of term lookup

# Net saving

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- Example for block size  $k = 4$
- Where we used 3 bytes/pointer without blocking
  - $3 \times 4 = 12$  bytes,

now we use  $3 + 4 = 7$  bytes.

Saved another  $\sim 0.5\text{MB}$  ( $400000 \times 5/4$ ). This reduces the size of the dictionary from 7.6 MB to 7.1 MB.

We can save more with larger  $k$ .

Why not go with larger  $k$ ?

By increasing the block size  $k$ , we get better compression. However, there is a tradeoff between compression and the speed of term lookup. By increasing  $k$ , we can get the size of the compressed dictionary arbitrarily close to the minimum of  $400,000 \times (4 + 4 + 1 + 8) = 6.8\text{ MB}$ , but term lookup becomes prohibitively slow for large values of  $k$ .

## Approach 3: Front coding

- Front-coding:
  - Sorted words commonly have long common prefix – store differences only
  - In the case of Reuters, front coding saves another 1.2 MB,
  - (for last  $k-1$  in a block of  $k$ )

**8automata8automate9automatic10automation**

→ **8automat\**a*1♦e2♦ic3♦ion**

Encodes *automat*

Extra length  
beyond *automat*.

Begins to resemble general string compression. 19

# RCV1: Our collection for this lecture

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- As an example for applying scalable index construction algorithms, we will use the Reuters RCV1 collection.
  - This is one year of Reuters newswire (part of 1995 and 1996)
- The collection isn't really large enough, but it's publicly available and is a plausible example.

# A Reuters RCV1 document



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## Extreme conditions create rare Antarctic clouds

Tue Aug 1, 2006 3:20am ET

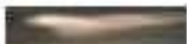
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SYDNEY (Reuters) - Rare, mother-of-pearl colored clouds caused by extreme weather conditions above Antarctica are a possible indication of global warming, Australian scientists said on Tuesday.

Known as nacreous clouds, the spectacular formations showing delicate wisps of colors were photographed in the sky over an Australian meteorological base at Mawson Station on July 25.



# Reuters RCV1 statistics

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■ symbol	statistic	value
■ N	documents	800,000
■ L	avg. # tokens per doc	200
■ M	terms (= word types)	400,000
■	avg. # bytes per token (incl. spaces/punct.)	6
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■	non-positional postings	100,000,000

4.5 bytes per word token vs. 7.5 bytes per word type: why?

# RCV1 dictionary compression summary

Technique	Size in MB
Fixed width	11.2
Dictionary-as-String with pointers to every term	7.6
Also, blocking $k = 4$	7.1
Also, Blocking + front coding	5.9

# POSTINGS COMPRESSION



# Postings compression

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- The postings file is much larger than the dictionary, factor of at least 10.
- Key requirement: store each posting compactly.
- A posting for our purposes is a docID.
- For Reuters (800,000 documents), we would use 32 bits per docID when using 4-byte integers.
- Alternatively, we can use  $\log_2 800,000 \approx 20$  bits per docID.
- Our goal: use fewer than 20 bits per docID.

# Postings: two conflicting forces

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- A term like ***arachnocratic*** occurs in maybe one doc out of a million – we would like to store this posting using  $\log_2 1M \sim 20$  bits.
- A term like ***the*** occurs in virtually every doc, so 20 bits/posting is too expensive.

# Postings file entry

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- We store the list of docs containing a term in increasing order of docID.
  - **computer**: 33,47,154,159,202 ...
- Consequence: it suffices to **store gaps**.
  - 33,14,107,5,43 ...
- Hope: most gaps can be encoded/stored with far fewer than 20 bits.

# Three postings entries

	encoding	postings list				
THE	docIDs	...	283042	283043	283044	283045 ...
	gaps		1	1	1	...
COMPUTER	docIDs	...	283047	283154	283159	283202 ...
	gaps		107	5	43	...
ARACHNOCENTRIC	docIDs	252000	500100			
	gaps	252000	248100			

# Approach 1 : Variable length encoding

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- Aim:
  - For *arachnocentric*, we will use  $\sim 20$  bits/gap entry.
  - For *the*, we will use  $\sim 1$  bit/gap entry.
- If the average gap for a term is  $G$ , we want to use  $\sim \log_2 G$  bits/gap entry.
- Key challenge: encode every integer (gap) with about as few bits as needed for that integer.
- This requires a *variable length encoding*
- Variable length codes achieve this by using short codes for small numbers

## Variable Byte (VB) codes

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- For a gap value  $G$ , we want to use close to the fewest bytes needed to hold  $\log_2 G$  bits
- Begin with one byte to store  $G$  and **dedicate 1 bit in it to be a continuation bit  $c$**
- If  $G \leq 127$ , binary-encode it in the 7 available bits and set  $c = 1$
- Else encode  $G$ 's lower-order 7 bits and then use additional bytes to encode the higher order bits using the same algorithm
- At the end **set the continuation bit of the last byte to 1 ( $c = 1$ )** – and for the other bytes  $c = 0$ .

# Example

docIDs	824	829	215406
gaps		5	214577
VB code	00000110 10111000	10000101	00001101 00001100 10110001

Postings stored as the byte concatenation

000001101011100010000101000011010000110010110001

Key property: VB-encoded postings are uniquely prefix-decodable.

Binary Rep. of 824

1100111000

Binary Rep. of 214577

110100011000110001

For a small gap (5), VB uses a whole byte.

## Other variable unit codes

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- Instead of bytes, we can also use a different “unit of alignment”: 32 bits (words), 16 bits, 4 bits (nibbles).
- Variable byte alignment wastes space if you have many small gaps – nibbles do better in such cases.
- Variable byte codes:
  - Used by many commercial/research systems



- Unary code for 40 is

- Unary code for 80 is:

- This doesn't look promising, but....

# Gamma codes

- We can compress better with bit-level codes
  - The Gamma code is the best known of these.
- Represent a gap  $G$  as a pair *length* and *offset*
- *offset* is  $G$  in binary, with the leading bit cut off
  - For example  $13 \rightarrow 1101 \rightarrow 101$
- *length* is the length of *offset*
  - For 13 (offset 101), this is 3.
- We encode *length* with *unary code*: 1110.
- Gamma code of 13 is the concatenation of *length* and *offset*: 1110101

# Gamma code examples

number	length	offset	$\gamma$ -code
0			none
1	0		0
2	10	0	10,0
3	10	1	10,1
4	110	00	110,00
9	1110	001	1110,001
13	1110	101	1110,101
24	11110	1000	11110,1000
511	111111110	11111111	111111110,11111111
1025	11111111110	0000000001	11111111110,0000000001

# Gamma code properties

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- $G$  is encoded using  $2 \lfloor \log G \rfloor + 1$  bits
  - Length of offset is  $\lfloor \log G \rfloor$  bits
  - Length of length is  $\lfloor \log G \rfloor + 1$  bits
  - Eg.  $\lfloor \log 24 \rfloor = \lfloor 4.58 \rfloor = 4$
- All gamma codes have an odd number of bits
- Almost within a factor of 2 of best possible,  $\log_2 G$
- Gamma code is uniquely prefix-decodable, like VB
- Gamma code can be used for any distribution
- Gamma code is parameter-free

# RCV1 compression

Data structure	Size in MB
dictionary, fixed-width	11.2
dictionary, term pointers into string	7.6
with blocking, $k = 4$	7.1
with blocking & front coding	5.9
collection (text, xml markup etc)	3,600.0
collection (text)	960.0
Term-doc incidence matrix	40,000.0
postings, uncompressed (32-bit words)	400.0
postings, uncompressed (20 bits)	250.0
postings, variable byte encoded	116.0
postings, $\gamma$ -encoded	101.0

# Index compression summary

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- We can now create an index for highly efficient Boolean retrieval that is very space efficient
- Only 4% of the total size of the collection