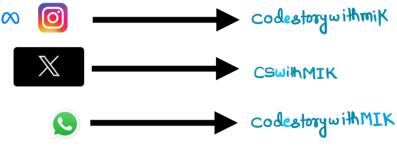


Backtracking





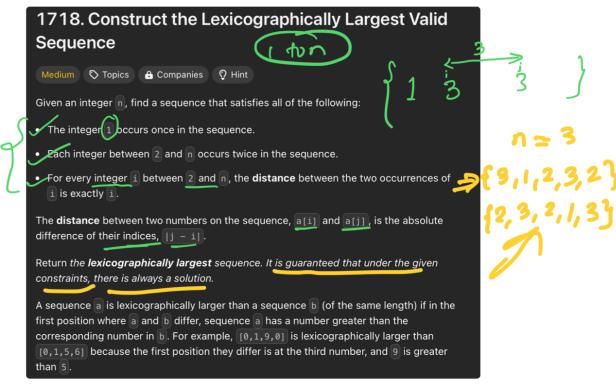




Try this channel to see 'Lije behind the seenes + Tech News

Motivation: To all my Youtube family members -

I wish I <u>could</u> put into words how much I truly trust a believe in you all. Every single day, I see your dedication, your consistency a your effort a it genuienly inspires me. If someone else can do it, so can you. And no matter how hard it gets, please remember - MIK believes in you all ??



Example:
$$n = 3$$
output: $[3, 1, 2, 3, 2]$
 $[3, 1, 2, 3, 2]$
 $[4-$

size=
$$2*n^{-1}$$
; $n = 4 \rightarrow (0^2, 3, 4)$
 $8ize = 2*4-1 = 7$

Thought Process

$$\eta = 3$$

$$\{1\}$$

$$\{2,1,2\}$$

$$\{3,1,2,3,2\}$$

$$\{40,32,43,1\}$$

Patter [4, 2, 3, 2, 4, 3, 1]

lexical largest

$$N = 3$$
, Size =(2*n-1);
115

$$\{3, \frac{1}{2}, \frac{3}{3}, \frac{2}{3}\}$$

$$j = i + nums(i)$$
= 2+ 2
= 7

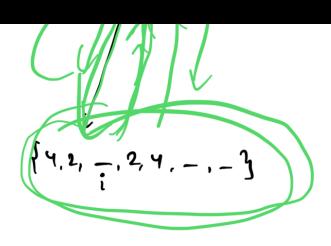
Few observations:-

- (i) 2*n-1;
- 2) Used -> set, vector(bool > Used (n+1, falm);
- (3) Apont from 1, (2 ton) $i \equiv j = i + nums(i)$;
- Jor any index i will try to put largest no.

 if not possible, more to 2nd largest & so...on.

 So we have to explore

 different options.
- (5) if result (i) already populated, more ahead.





Options -> Recursion.

(Backtracking),

All Sequences ->

Backs

$$\eta = 3$$

Solve (=0, N=3, 1 -1, -1, -1, -1, -1, -1, 4 used)

```
for ( num = 3; num >=1; num --) {

i) (used (num) == + rue) continue;

// Truy

Used (num) = True;

Hesult(i) = num;

i) (num ==1) of //only once

i) (Solve (i+1, n, nexult, used) == True) {

True;

Tetus True;

} else {
```