```
In [1]: import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split
```

## **MSE**

MSE stands for Mean Squared Error. It represents the average of the squared difference between the original and predicted values in the data set. It measures the variance of the residuals.

$$MSE = \frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y})^2$$

In the above formula: error = Y\_i - Y^

## **RMSE**

Root Mean Squared Error is the square root of Mean Squared error. It measures the standard deviation of residuals.

$$RMSE = \sqrt{MSE} = \sqrt{\frac{1}{N} \sum_{i=1}^{N} (y_i - \hat{y})^2}$$

Where:

∑ is the summation of all values

yi is the predicted value

y^ is observed or actual value

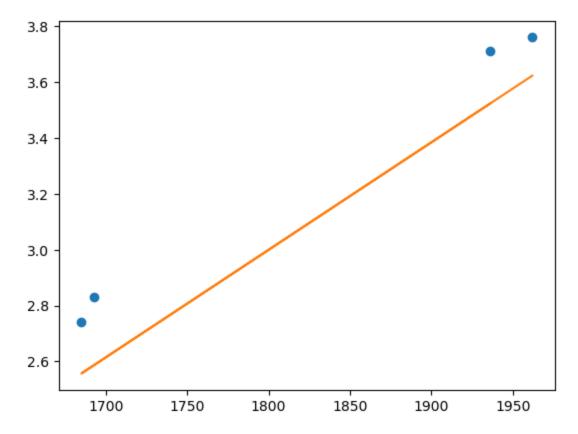
(yi — y^) 2 are the differences between predicted and observed values and squared

N is the total sample size

```
In [2]: X = np.array([1714,1664,1760,1685,1693,1936,1810,1987,1962,2050])
         y = np.array([2.40, 2.52, 2.54, 2.74, 2.83, 3.71, 3.71, 3.73, 3.76, 3.81])
 In [3]: X_train,X_test,y_train,y_test = train_test_split(X,y,test_size=0.4)
 In [4]: linear_model = LinearRegression()
         model = linear model.fit(X train.reshape(-1,1),y train.reshape(-1,1))
 In [5]: predicted_gpa=[]
         for x in X test:
             predicted_gpa.append(model.predict([[x]]))
 In [6]: | predicted_gpa = np.array(predicted gpa)
         predicted_gpa
 Out[6]: array([[[3.52320255]],
                [[2.58770442]],
                [[2.55690613]],
                [[3.623297 ]]])
 In [7]: | actual_gpa = y_test
         actual_gpa
Out[7]: array([3.71, 2.83, 2.74, 3.76])
In [8]: def mse(actual data, predicted data):
             if(len(actual_data)!=len(predicted_data)):
                 print("Error")
             error_squared=[]
             mse = None
             for i in range(0,len(predicted data)):
                 error_squared.append(((actual_data[i]-predicted_data[i]))**2)
                 mse = (1/len(actual_data))*np.sum(error_squared)
             return mse
 In [9]: | mse(actual_gpa,predicted_gpa)
Out[9]: 0.03645287761129573
         rmse = mse(actual gpa, predicted gpa)**0.5
In [10]:
Out[10]: 0.19092636698815524
```

```
In [11]: plt.plot(X_test,y_test,"o")
   plt.plot(X_test,model.predict(X_test.reshape(-1,1)))
```

Out[11]: [<matplotlib.lines.Line2D at 0x7fa25032dbe0>]



Error = actual value-predicted value

Then when we calcuate error for every value and square it and calculate mean which is known as mean square error.

Incase of RMSE if we squre root the mse then we get rmse

