

#### Lab 10: WAP for Euclidean GCD

Code:

```
#include <iostream>
using namespace std;
int gcd(int a, int b){
  if (a == 0)
    return b;
  return gcd(b % a, a);
}
int main(){
 do{
    int a, b;
    cout << "Enter the value of a: ";
    cin >> a;
    cout << "Enter the value of b: ";
    cin >> b:
    cout << "GCD(" << a << ", " << b << ") = " << gcd(a, b) << endl;
    cout << "Do you want to continue? (y/n): ";
    char choice;
    cin >> choice;
    if (choice != 'y' && choice != 'Y')
       break;
    cin.ignore();
  } while (true);
  cout << "\nLab No.6\nName: Sabin Sapkota\nRoll no: 12 \n";</pre>
  return 0;
```

#### <u>Output</u>



#### Lab 11: WAP for Extended Euclidean GCD

```
#include <stdio.h>
int gcdExtended(int a, int b, int *x, int *y){
  if (a == 0){
    *x = 0;
    *y = 1;
    return b;
  }
  int x1, y1;
  int gcd = gcdExtended(b%a, a, &x1, &y1);
  x = y1 - (b/a) x1;
  *y = x1;
  return gcd;
int main(){
  int x, y;
  int a, b;
  printf("Enter the value of a and b: ");
  scanf("%d %d",&a,&b);
  int g = gcdExtended(a, b, &x, &y);
  printf("gcd(%d, %d) = %d", a, b, g);
  return 0;
```



#### Lab12: WAP to write Robin Miller

```
#include <iostream>
#include <stdlib.h>
using namespace std;
long long mulmod(long long, long long, long long);
long long modulo(long long, long long, long long);
bool Miller(long long, int);
int main(){
do{
    int iteration = 10;
    long long num;
    cout << "Enter integer to test primality: ";</pre>
    cin >> num;
    if (Miller(num, iteration))
       cout << num << " is prime" << endl;</pre>
    else
       cout << num << " is not prime" << endl;</pre>
    char choice;
    cout << "Do you want to continue? (y/n): ";</pre>
    cin >> choice;
    if (choice == 'n' | | choice == 'N')
       break;
  } while (true);
  cin.get();
 return 0;
long long mulmod(long long a, long long b, long long m){
  long long x = 0,
        y = a \% m;
  while (b > 0){
    if (b \% 2 == 1){
       x = (x + y) \% m;
    y = (y * 2) \% m;
    b /= 2;
  return x % m;
}
long long modulo(long long base, long long e, long long m){
  long long x = 1;
  long long y = base;
 while (e > 0)
          if (e % 2 == 1)
       x = (x * y) % m;
```

```
y = (y * y) % m;
    e = e / 2;
  }
  return x % m;
bool Miller(long long p, int iteration){
  if (p < 2){
    return false;
  if (p != 2 && p % 2 == 0){
    return false;
  long long s = p - 1;
  while (s \% 2 == 0){
    s /= 2;
  }
  for (int i = 0; i < iteration; i++){
    long long a = rand() \% (p - 1) + 1, temp = s;
    long long mod = modulo(a, temp, p);
    while (temp != p - 1 && mod != 1 && mod != p - 1){
       mod = mulmod(mod, mod, p);
       temp *= 2;
    if (mod != p - 1 \&\& temp \% 2 == 0){
       return false;
    }
  }
  return true;
}
```



#### Lab 13: WAP to calculate S-Box Substitution

```
#include <iostream>
#include <bitset>
#include <string>
using namespace std;
const int S1[4][16] = {
  {14, 4, 13, 1, 2, 15, 11, 8, 3, 10, 6, 12, 5, 9, 0, 7},
  \{0, 15, 7, 4, 14, 2, 13, 1, 10, 6, 12, 11, 9, 5, 3, 8\},\
  {4, 1, 14, 8, 13, 6, 2, 11, 15, 12, 9, 7, 3, 10, 5, 0},
  {15, 12, 8, 2, 4, 9, 1, 7, 5, 11, 3, 14, 10, 0, 6, 13}};
bitset<4> S1Substitution(bitset<6> input){
  int row = (input[5] << 1) + input[0];
  int col = (input[4] << 3) + (input[3] << 2) + (input[2] << 1) + input[1];
  int output = S1[row][col];
  return bitset<4>(output);
int main(){
  do{
     string inputStr;
     cout << "Enter a 6-bit binary input: ";</pre>
     cin >> inputStr;
                 if (inputStr.length() != 6){
       cout << "Input must be 6 bits long." << endl;</pre>
       return 1;
     }
     bitset<6> input(inputStr);
     bitset<4> output = S1Substitution(input);
     cout << "Input: " << input << endl;</pre>
     cout << "Output: " << output << endl;</pre>
     char choice;
     cout << "Do you want to continue? (y/n): ";</pre>
     cin >> choice;
     if (choice == 'n' | | choice == 'N')
       break;
  } while (true);
  return 0;
}
```

Enter a 6-bit binary input: 100110
Input: 100110
Output: 1000
Do you want to continue? (y/n): y
Enter a 6-bit binary input: 1011
Input must be 6 bits long.

Process exited after 12.38 seconds with return value 1
Press any key to continue . . .



#### Lab 15: WAP to calculate Discrete Logarithm

```
#include<bits/stdc++.h>
using namespace std;
int discreteLogarithm(int a, int b, int m) {
  int n = (int) sqrt(m) + 1;
  int an = 1;
  for (int i = 0; i < n; ++i)
     an = (an * a) % m;
  for (int i = 1, cur = an; i<= n; ++i) {
     if (! value[ cur ])
       value[ cur ] = i;
     cur = (cur * an) % m;
  }
  for (int i = 0, cur = b; i <= n; ++i){
     if (value[cur]){
       int ans = value[cur] * n - i;
       if (ans < m)
         return ans;
    cur = (cur * a) % m;
  return -1;
}
int main(){
  int a = 2, b = 3, m = 5;
  cout << discreteLogarithm(a, b, m) << endl;</pre>
  a = 3, b = 7, m = 11;
  cout << discreteLogarithm(a, b, m);</pre>
}
```



# Lab 16: WAP to calculate the Key for two persons using the Diffie-Hellman Key exchange algorithm

```
#include <iostream>
#include <cmath>
using namespace std;
int modExp(int base, int exponent, int modulus){
  if (exponent == 0)
    return 1;
  int result = 1;
  base = base % modulus;
while (exponent > 0){
    if (exponent % 2 == 1){
       result = (result * base) % modulus;
    exponent = exponent >> 1; // Right shift exponent by 1
    base = (base * base) % modulus;
  }
  return result;
}
int main(){
  int p, g, a, b;
do {
    cout << "Enter a prime number (p): ";</pre>
    cout << "Enter a primitive root (g) modulo " << p << ": ";</pre>
    cin >> g;
    cout << "Enter Alice's private key (a): ";</pre>
    cin >> a;
    cout << "Enter Bob's private key (b): ";</pre>
    cin >> b;
    int A = modExp(g, a, p); // Calculate Alice's public key
    int B = modExp(g, b, p); // Calculate Bob's public key
    int s1 = modExp(B, a, p); // Calculate shared secret key for Alice
    int s2 = modExp(A, b, p); // Calculate shared secret key for Bob
 if (s1 == s2)
       cout << "Shared secret key: " << s1 << endl;</pre>
       cout << "Key exchange failed!" << endl;</pre>
     char choice;
    cout << "Do you want to continue (y/n): ";
    cin >> choice;
```

```
if (choice == 'n')
    break;
} while (true);
cin.get();
return 0;
}
```



#### Lab 17: Write a program for RSA asymmetric cryptographic algorithm.

```
#include <iostream>
#include <cmath>
using namespace std;
long long mod_pow(long long a, long long b, long long c){
  long long result = 1;
  a = a \% c;
  while (b > 0){
    if (b \% 2 == 1){
       result = (result * a) % c;
    a = (a * a) % c;
    b /= 2;
  }
  return result;
long long encrypt(long long message, long long e, long long n){
  return mod_pow(message, e, n);
long long decrypt(long long encrypted, long long d, long long n){
  return mod_pow(encrypted, d, n);
int main(){
  long long p, q, n, phi, e, d;
  long long message, encrypted, decrypted;
  char choice;
  cout << "RSA Encryption and Decryption Menu" << endl;</pre>
do{
    cout << "1. Key Generation\n2. Encrypt\n3. Decrypt\n4. Exit" << endl;</pre>
    cout << "Enter your choice: ";</pre>
    cin >> choice;
 switch (choice) {
    case '1':
       cout << "Enter two prime numbers (p and q): ";</pre>
       cin >> p >> q;
       n = p * q;
       phi = (p - 1) * (q - 1);
       cout << "Enter a public key (e): ";</pre>
       cin >> e;
       d = 1;
       while ((d * e) % phi != 1){
         d++;
```

```
cout << "Keys generated: " << endl;</pre>
       cout << "Public key (e, n): (" << e << ", " << n << ")" << endl;
       cout << "Private key (d, n): (" << d << ", " << n << ")" << endl;
       break;
    case '2':
       cout << "Enter the message to encrypt: ";</pre>
       cin >> message;
       encrypted = encrypt(message, e, n);
       cout << "Encrypted message: " << encrypted << endl;</pre>
       break;
    case '3':
       cout << "Enter the message to decrypt: ";</pre>
       cin >> encrypted;
       decrypted = decrypt(encrypted, d, n);
       cout << "Decrypted message: " << decrypted << endl;</pre>
       break;
    case '4':
       cout << "Exiting the program. Goodbye!" << endl;</pre>
       break;
    default:
       cout << "Invalid choice. Please try again." << endl;
  } while (choice != '4');
 return 0;
}
```

```
C:\Users\Aayush\Desktop\MB X
RSA Encryption and Decryption Menu
1. Key Generation
2. Encrypt
3. Decrypt
4. Exit
Enter your choice: 1
Enter two prime numbers (p and q): 53 59
Enter a public key (e): 3127
Keys generated:
Public key (e, n): (3127, 3127)
Private key (d, n): (951, 3127)
1. Key Generation
2. Encrypt
3. Decrypt
4. Exit
Enter your choice: 4
Exiting the program. Goodbye!
Process exited after 119.4 seconds with return value 0
Press any key to continue . . .
```



#### Lab 18: Write a program to illustrate ElGamal encryption

```
#include <iostream>
#include <cmath>
#include <cstdlib>
#include <ctime>
using namespace std;
long long mod_pow(long long a, long long b, long long c){
  long long result = 1;
  a = a % c;
  while (b > 0){
    if (b \% 2 == 1){
       result = (result * a) % c;
    }
    a = (a * a) % c;
    b /= 2;
  return result;
}
long long generate_random_prime(){
  long long n = rand() % 1000 + 1000; // Generate a random number in a certain range
  for (long long i = n;; i++) {
    bool is_prime = true;
    for (long long j = 2; j \le sqrt(i); j++) {
       if (i \% j == 0){
         is_prime = false;
         break;
       }
    }
    if (is_prime){
       return i;
    }
  }
}
int main(){
  srand(static_cast<unsigned>(time(0)));
  long long p, g, x, y, k, m, a, b;
  long long decrypted_m; // Declare decrypted_m here
  char choice;
  do{
    cout << "ElGamal Cryptographic System Menu" << endl;</pre>
    cout << "1. Key Generation\n2. Encrypt\n3. Decrypt\n4. Exit" << endl;
    cout << "Enter your choice: ";</pre>
    cin >> choice;
```

```
switch (choice){
case '1':
       p = generate_random_prime();
       g = generate_random_prime();
       cout << "Enter your private key x: ";</pre>
       cin >> x;
       y = mod_pow(g, x, p);
       cout << "Keys generated: " << endl;</pre>
       cout << "Public Key (p, g, y): (" << p << ", " << g << ", " << y << ")" << endl;
       break;
    case '2':
       cout << "Enter the message to encrypt (an integer): ";</pre>
       cin >> m;
       k = rand() \% (p - 2) + 1; // Random value in the range [1, p-1]
       a = mod_pow(g, k, p);
       b = (m * mod_pow(y, k, p)) \% p;
       cout << "Ciphertext (a, b): (" << a << ", " << b << ")" << endl;
       break;
    case '3':
       decrypted_m = (b * mod_pow(a, p - 1 - x, p)) % p;
       cout << "Decrypted Message: " << decrypted_m << endl;</pre>
       break;
    case '4':
       cout << "Exiting the program. Goodbye!" << endl;</pre>
       break;
    default:
       cout << "Invalid choice. Please try again." << endl;</pre>
  } while (choice != '4');
 return 0;
}
```

```
©:\ C:\Users\Aayush\Downloads\' ×
ElGamal Cryptographic System Menu

    Key Generation

2. Encrypt
Decrypt
4. Exit
Enter your choice: 1
Enter your private key x: 5
Keys generated:
Public Key (p, g, y): (1087, 1193, 942)
ElGamal Cryptographic System Menu
1. Key Generation
Encrypt
Decrypt
4. Exit
Enter your choice: 2
Enter the message to encrypt (an integer): 45
Ciphertext (a, b): (214, 901)
ElGamal Cryptographic System Menu

    Key Generation

2. Encrypt
Decrypt
4. Exit
Enter your choice: 4
Exiting the program. Goodbye!
Process exited after 21.05 seconds with return value 0
Press any key to continue . . .
```



Lab 6: WAP to find additive inverse.

#### **Theory:**

Additive inverse is the number that is added to a given number to make the sum zero. For example, if we take the number 3 and add -3 to it, the result is zero. Hence, the additive inverse of 3 is -3. We come across such situations in our daily life where we nullify the value of a quantity by taking its additive inverse.

The additive inverse of a number is its opposite number. If a number is added to its additive inverse, the sum of both the numbers becomes zero. The simple rule is to change the positive number to a negative number and vice versa. We know that, 7+(-7)

=0. Thus -7 is the additive inverse of 7 and 7 is the additive inverse of -7.

0	0
1	7
2	6
3	5
4	4
5	3
6	2
7	1

Additive inverse modulo 8

**Programming Language: C** 

```
#include <stdio.h>

int main()
{
    int i, n, inv, m;

    printf("Enter the modulo value:");
    scanf("%d", &m);

    printf("Additive Inverse\n");

    for (i = 0; i < m; i++)
    {
        printf("%d=%d\n", i, inv = (m - i) % m);
    }
}</pre>
```

```
Enter the modulo value:5
Additive Inverse
0=0
1=4
2=3
3=2
4=1

Process exited after 1.6 seconds with return value 5
Press any key to continue . . .
```



Lab 7: WAP to find multiplicative inverse.

#### Theory:

The meaning of the word "inverse" is something opposite in effect. The multiplicative inverse of a number is a number that, when multiplied by the given number, gives 1 as the product. By multiplicative inverse definition, it is the reciprocal of a number. The multiplicative inverse of a number "a" is represented as a-1 or (1/a).

The multiplicative inverse property states that if we multiply a number with its reciprocal, the product is always equal to 1. The image given below shows that (1/a) is the reciprocal of the number "a".

A pair of numbers, when multiplied to give product 1, are said to be multiplicative inverses of each other. Here, a and (1/a) are reciprocals of each other.

0	-
1	1
2	-
3	3
4	-
5	5
6	-
7	7

Multiplicative inverse modulo 8

**Programming Language: C** 

```
#include <stdio.h>
int gcd(int n1, int n2)
  if (n2 != 0)
     return gcd(n2, n1 % n2);
  else
     return n1;
}
void main()
  int s, m, i, num, MI, j;
  printf("Enter the modulo value:\n");
  scanf("%d", &m);
  for (j = 0; j < m; j++)
     if (gcd(j, m) == 1)
       for (i = 1; i <= j; i++)
         s = ((i * m) + i);
         MI = s \% m;
         if (MI % j == 0)
            break;
         }
       }
       printf("Multiplicative inverse of %d is %d\n", j, MI);
     }
     else
       printf("Multiplicative inverse of %d can not be calculated\n", j);
  }
}
```



Lab 8: WAP for totient function

#### **Theory:**

Totient function also known as Euler's Totient function can be defined as the number of positive integer less than n, which are relatively prime to n. It is denoted by  $\Phi(n)$ .

Example:  $\Phi(10)=?$ 

Here, n = 10

Numbers less than 10 are: {1,2,3,4,5,6,7,8,9}

Numbers relatively prime to 10 are: {1,3,7,9}

∴  $\Phi(10) = 4$ 

If n is the prime number then  $\Phi(n) = n-1$ 

Example:  $\Phi(7) = ?$ 

 $\Phi(7) = 7-1$ 

= 6

Let p and q be the two prime numbers such that  $p \neq q$  and n = p\*q, then  $\Phi(n) = (p-1)(q-1)$ Example:  $\Phi(15) = ?$ 

Here,

15 = 3 \* 5

p = 3 and q = 5 then

 $\Phi(15) = (3-1)(5-1)$ 

= 2 \* 4

=8

**Programming Language: C** 

```
#include <stdio.h>
// gcd calculation
int gcd(int a, int b)
{
  if (a == 0)
     return b;
  return gcd(b % a, a);
}
int phi(unsigned int n)
  int i;
  unsigned int result = 1;
  for (i = 2; i < n; i++)
     if (\gcd(i, n) == 1)
       result++;
  return result;
}
int main()
  int n;
  printf("Enter the number:");
  scanf("%d", &n);
  printf("phi(%d) = %d\n", n, phi(n));
  return 0;
}
```



# Lab 9: WAP for primitive root.

#### Theory:

Given a prime number n, the task is to find its primitive root under modulo n. The primitive root of a prime number n is an integer r between [1, n-1] such that the values of  $r^x \pmod{n}$  where x is in the range [0, n-2] are different. -1 if n is a non-prime number.

#### Example:

n = 7

r = 3 then,

 $30 \pmod{7} = 1$ 

 $31 \pmod{7} = 3$ 

 $32 \pmod{7} = 2$ 

 $33 \pmod{7} = 6$ 

 $34 \pmod{7} = 4$ 

 $35 \pmod{7} = 5$ 

**Programming Language: C** 

```
#include <stdio.h>
#include <stdbool.h>
#include <math.h>
#include <string.h>
#include <stdlib.h>
bool isPrime(int n) {
  int i;
  if (n <= 1) return false;
  if (n <= 3) return true;
  if (n%2 == 0 || n%3 == 0) return false;
  for (i = 5; i \le sqrt(n); i = i + 6)
    if (n\%i == 0 \mid \mid n\%(i+2) == 0)
       return false;
  return true;
}
int power(int x, unsigned int y, int p) {
  int res = 1;
  x = x \% p;
  while (y > 0) {
    if (y & 1)
       res = (res*x) % p;
    y = y >> 1;
    x = (x*x) \% p;
  return res;
void findPrimefactors(int* s, int* size, int n) {
  int i;
  while (n % 2 == 0) {
    s[(*size)++] = 2;
 n = n / 2;
  }
```

```
for (i = 3; i \le sqrt(n); i = i + 2) {
    while (n \% i == 0) {
       s[(*size)++] = i;
       n = n / i;
    }
  }
  if (n > 2)
    s[(*size)++] = n;
}
int findPrimitive(int n) {
  int r, i;
  int s[20];
  int size = 0;
  if (!isPrime(n)) return -1;
  int phi = n - 1;
  findPrimefactors(s, &size, phi);
  for (r = 1; r <= phi; r++) {
     bool flag = true;
    for (i = 0; i < size; i++) {
       if (power(r, phi / s[i], n) == 1) {
         flag = false;
          break;
       }
     }
    if (flag == true)
       return r;
  }
  return -1;
}
int main() {
  int n;
  printf("Enter the number: ");
scanf("%d", &n);
  printf("Smallest primitive root of %d is %d\n", n, findPrimitive(n));
  return 0;
}
```

		I	
	1	1	