## Question 2 : Large Scale Stochastic Dominance

```
import cvxpy as cp
import numpy as np
import pandas as pd
# df = pd.read_excel(r'C:\Users\aayus\Documents\GitHub\StochOpt\stochastic-dominance\returns_data.xlsx')
# returns = df.iloc[:,1:].to_numpy()[1:]
# print(returns)
returns = np.array([[ 0.004, -0.025,  0.009,  0.012,  0.047, -0.019,  0.006, -0.037,
         0.025, 0.021, 0.017, 0.019],
       [0.014, 0., -0.039, 0.016, -0.006, 0.07, -0.021, -0.022,
         0.019, 0.025, 0.054, 0.04],
       [ 0.001, 0.006, 0.005, 0.019, 0.016, 0.057, -0.052, 0.027,
         0.039, 0. , 0.011, 0.002],
       \hbox{$[-0.012,\ -0.021,\ 0.062,\ 0.036,\ -0.002,\ -0.038,\ 0.015,\ -0.003,}
         0.024, 0.012, 0.048, -0.007],
       [-0.043, \ 0.005, \ 0.023, \ 0. \ , \ 0.023, \ 0.04 \ , \ 0.034, \ 0.029,
        -0.013, -0.04 , 0.011, 0.003],
       [ \ 0.015, \ -0.027, \ -0.01 \ , \ -0.027, \ \ 0.002, \ \ 0.038, \ \ 0.056, \ -0.004,
         0.08 , 0.001, 0.013, 0.026],
       [-0.001, \ 0.011, \ 0.056, \ -0.024, \ 0.019, \ -0.048, \ -0.015, \ 0.019,
         0.062, 0.023, 0.002, -0.017],
       [ 0.039, 0.03 , 0.003, -0.004, 0.016, -0.021, 0.003, 0.018,
        -0.026, -0.022, 0.026, 0.073],
       [\ 0.017,\ 0.02\ ,\ -0.024,\ -0.004,\ 0.019,\ 0.039,\ -0.03\ ,\ 0.025,
         0.021, 0.054, -0.011, 0.056],
       [ \ 0.108, \ -0.003, \ \ 0.061, \ \ 0.008, \ \ 0.024, \ -0.037, \ -0.013, \ \ 0.053,
        -0.009, -0.021, 0.026, -0.009]])
mean_returns= np.resize(returns.mean(axis=1),(10,1))
print("mean", mean_returns)
 → mean [[0.00658333]
      Γ0.0125
      [0.01091667]
      [0.0095
      [0.006
      [0.01358333]
      [0.00725
      [0.01125
      [0.01516667]
      [0.01566667]]
np.mean(mean_returns)
<del>→</del> 0.01084166666666666
assets = 10
senarios = 12
# Compute of E(max(0,n-y))
Y_weights = (1/assets)*(np.ones((assets,1)))
Y_returns = np.sort(((returns.T)@Y_weights).flatten())
V = []
for eta in Y_returns:
    v_j = np.sum((eta-Y_returns)[Y_returns< eta])/(len(Y_returns))</pre>
    V.append(v_j)
weights = cp.Variable(shape=(assets,1),name="weights")
S = cp.Variable(shape=(senarios, senarios), name="slack")
X_returns = returns.T@weights
constraints = []
for j,eta in enumerate(Y_returns):
    for i,x in enumerate(X_returns):
        constraints.append(x+S[i,j]>=eta)
for j,v_j in enumerate(V):
    constraints.append((1/(len(Y\_returns)))*cp.sum(S[:,j]) <= v\_j)
constraints.extend([cp.sum(weights)==1,S>=0,weights>=0])
objective = cp.Maximize((mean_returns.T@weights))
nrohlem = cn Prohlem(objective constraints)
```

```
0.013845284660021651
X_returns = np.sort((returns.T@weights.value).flatten())
print("Optimized Returns",X_returns)
print("Equally weighted Returns",Y_returns)
→ Optimized Returns [-0.0017 -0.0004
                                                 0.00319999 0.0053
                                                                             0.00839842 0.01028123
     0.0141204 0.01562975 0.01703332 0.02170916 0.03148095 0.04109018]
Equally weighted Returns [-0.0017 -0.0004 0.0032 0.0053 0.0081 0.0105 0.0142 0.0146 0.0158
       0.0186 0.0197 0.0222]
print("Optimal Weights", weights.value)
→ Optimal Weights [[8.05783707e-10]
      [3.66586340e-02]
      [1.79852513e-09]
      [7.21659992e-02]
      [5.90082030e-09]
      [1.89657805e-01]
      [3.18553277e-10]
      [1.63699545e-01]
      [2.84291684e-01]
      [2.53526323e-01]]
```

Start coding or generate with AI.

problem.solve()