

INTRO

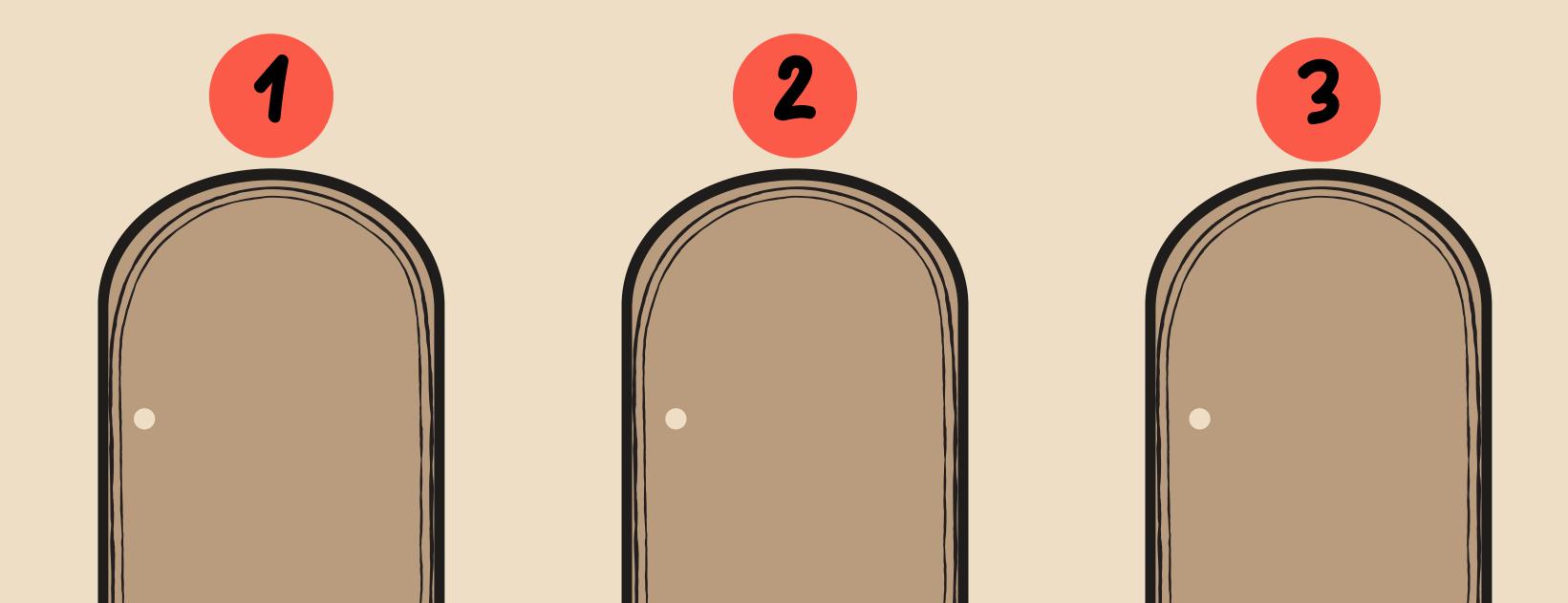
This problem gets it name from the host of the popular game-show "Let's Make a Deal".

The problem first appeared in 1975 in The American Statistician Academic Journal, a highly regarded journal among statisticians.

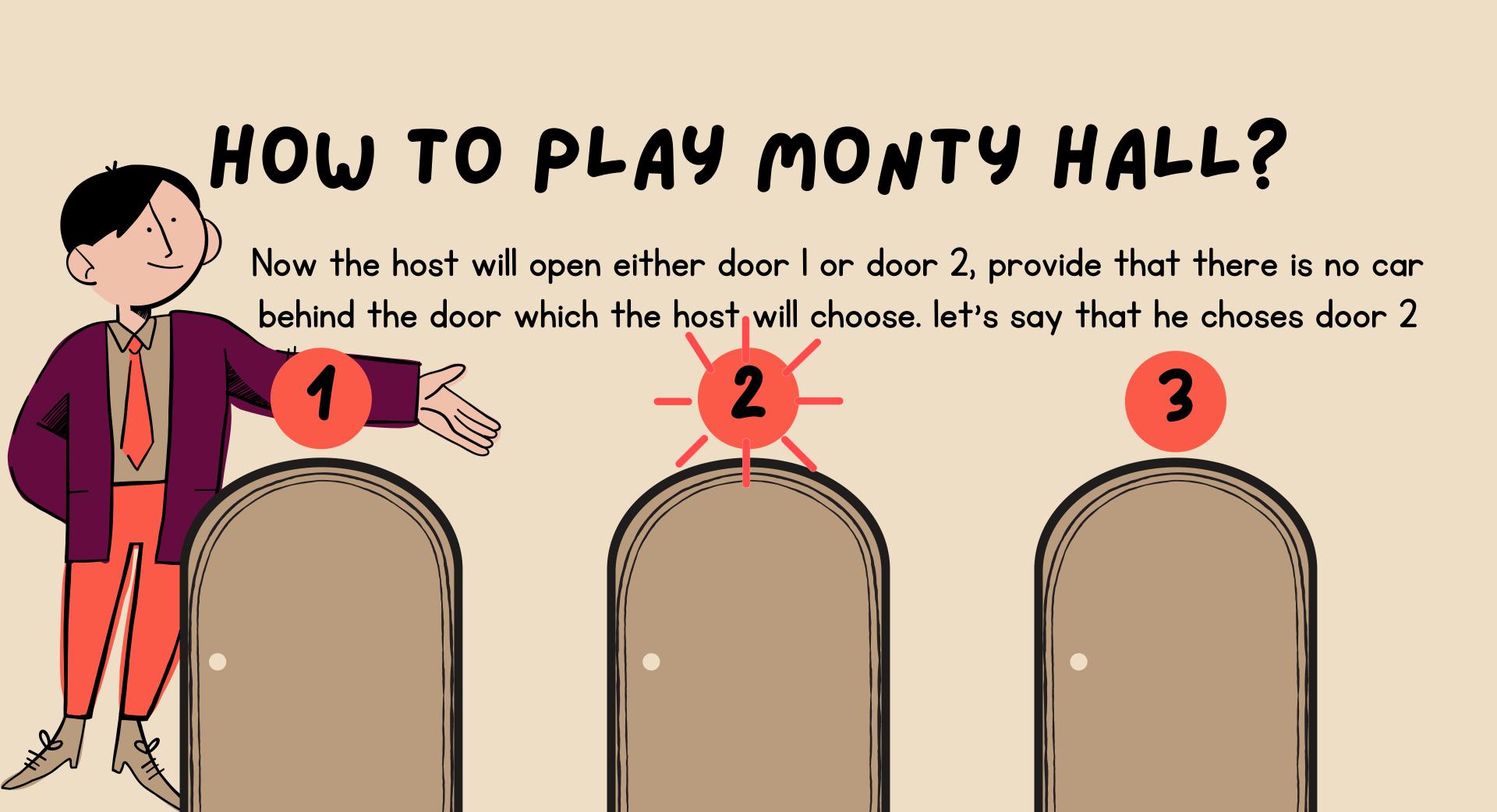


HOW TO PLAY MONTY HALL?

Immagine you have 3 doors behind one of them there is a car and the other 2 there is a goat





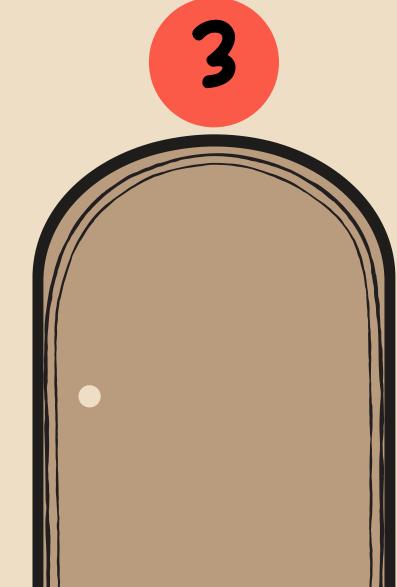




Now the host will ask you, whoud you like to swich doors or to stay on your choice?

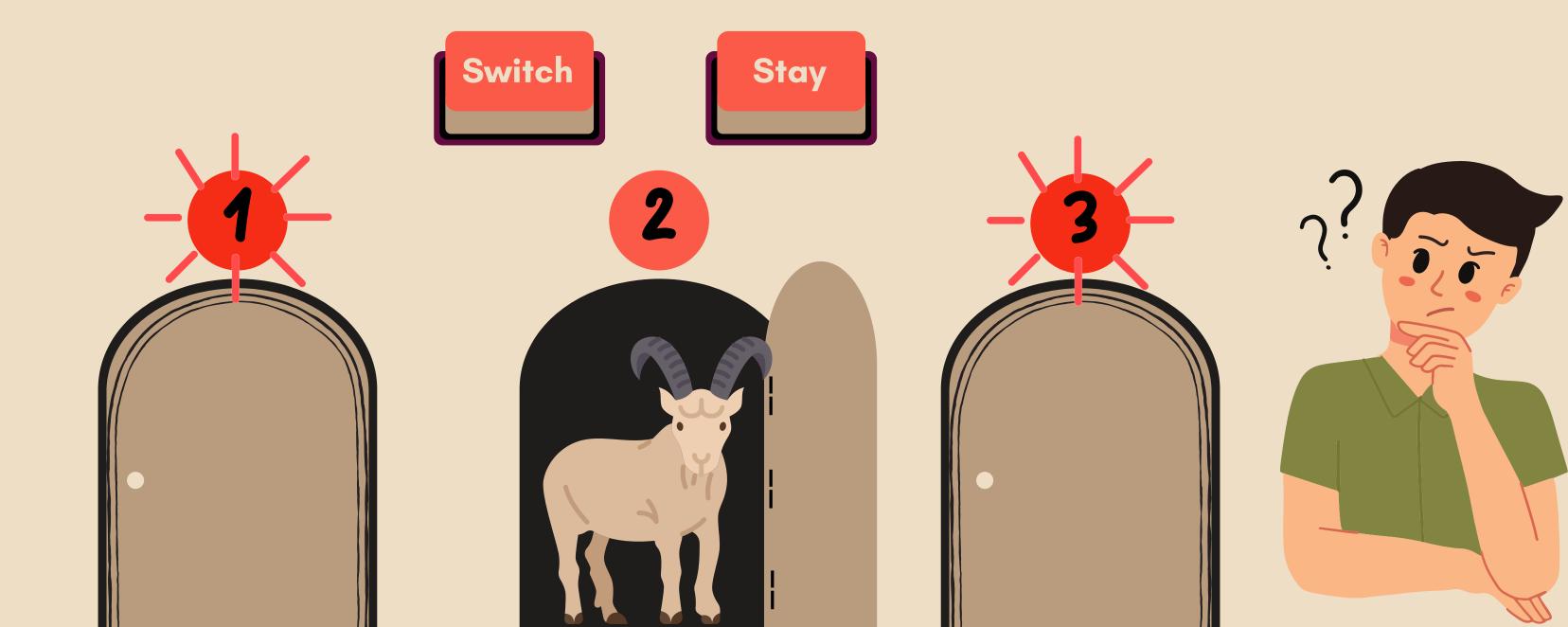






WHAT WHOULD YOU DO??

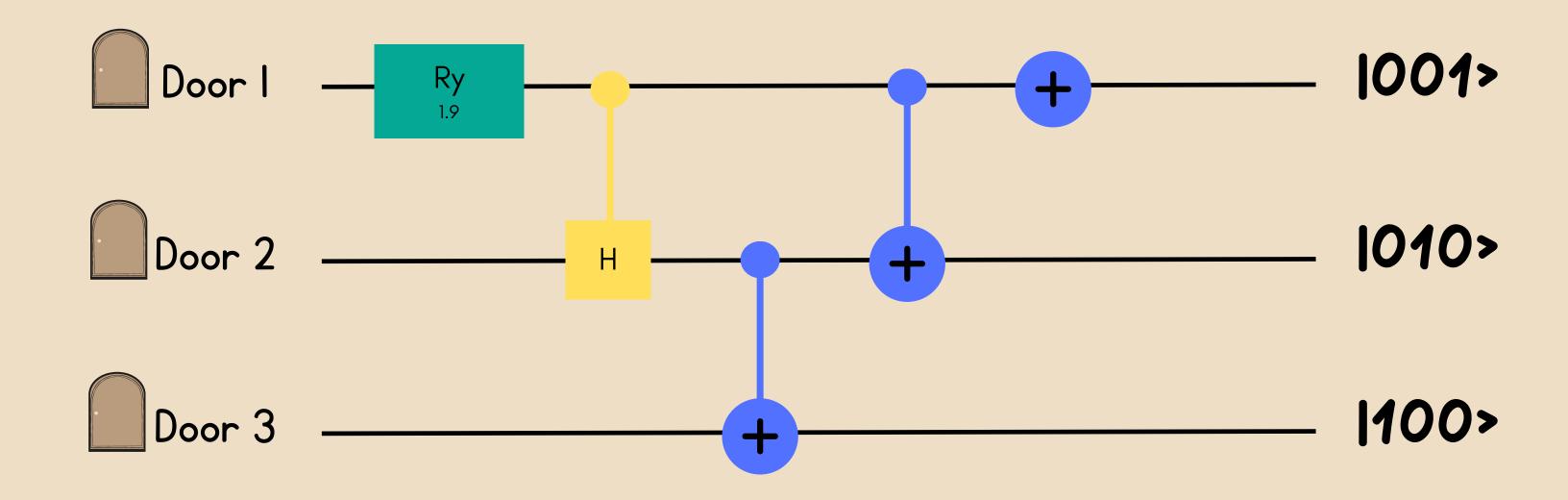
Is it better to switch doors or stick to your choice? what is the probability that the car will be behinde one of the two remaining doors?



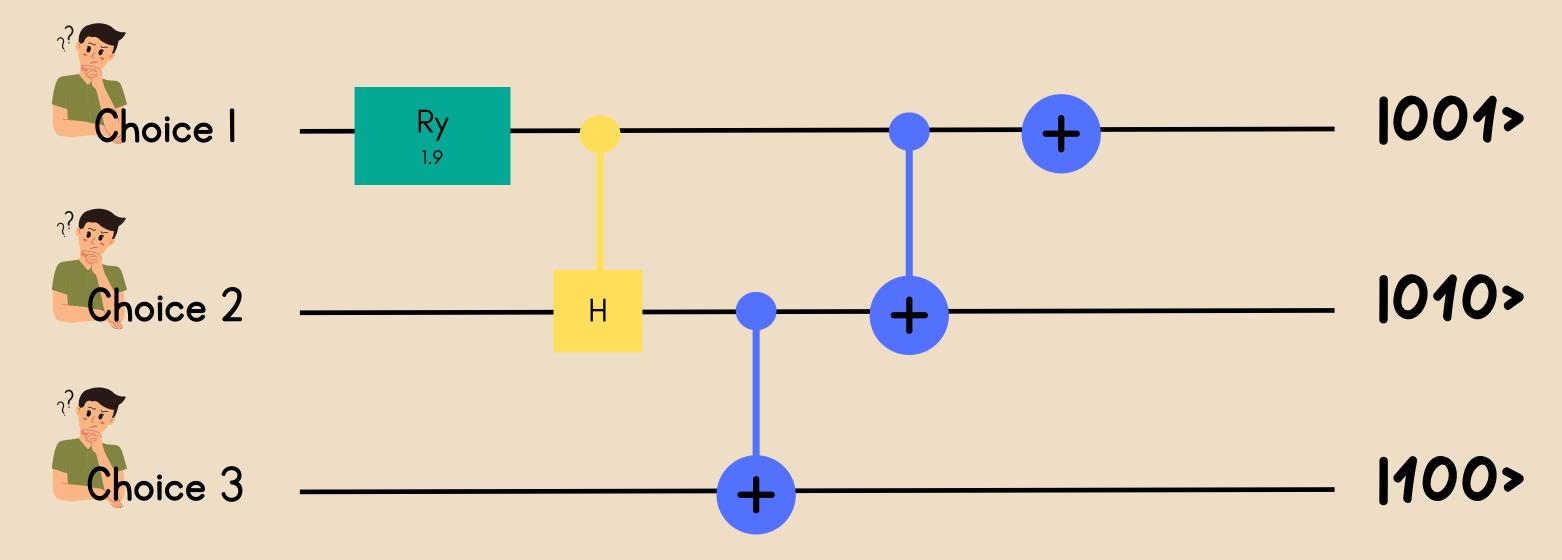
IS SWITCHING DOORS TO FIND THE CAR REALLY 50%, 50%?



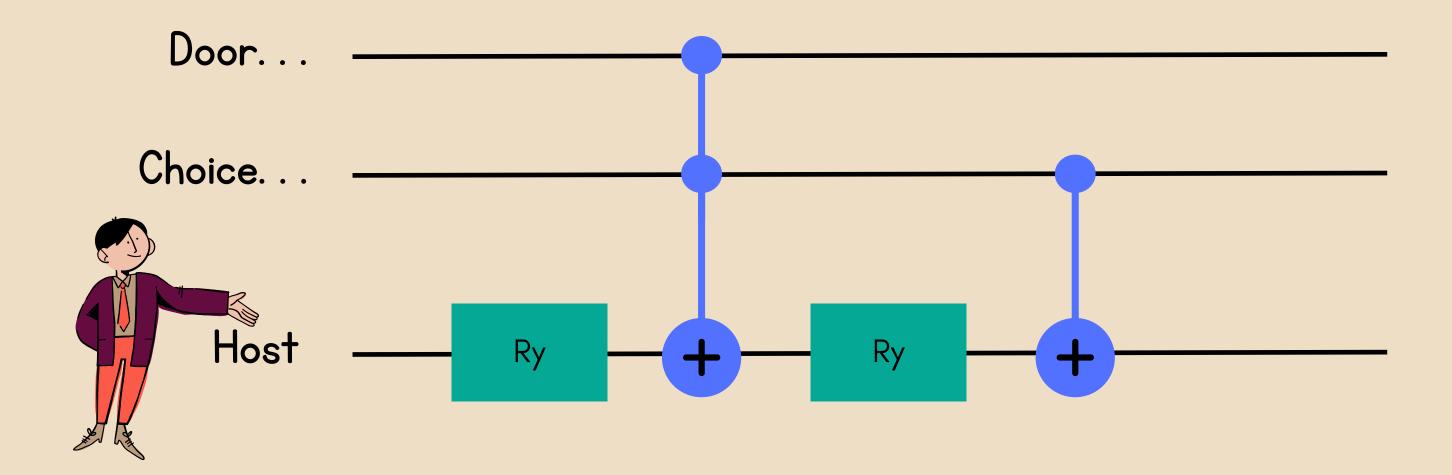
First 3 Qubits for the random door

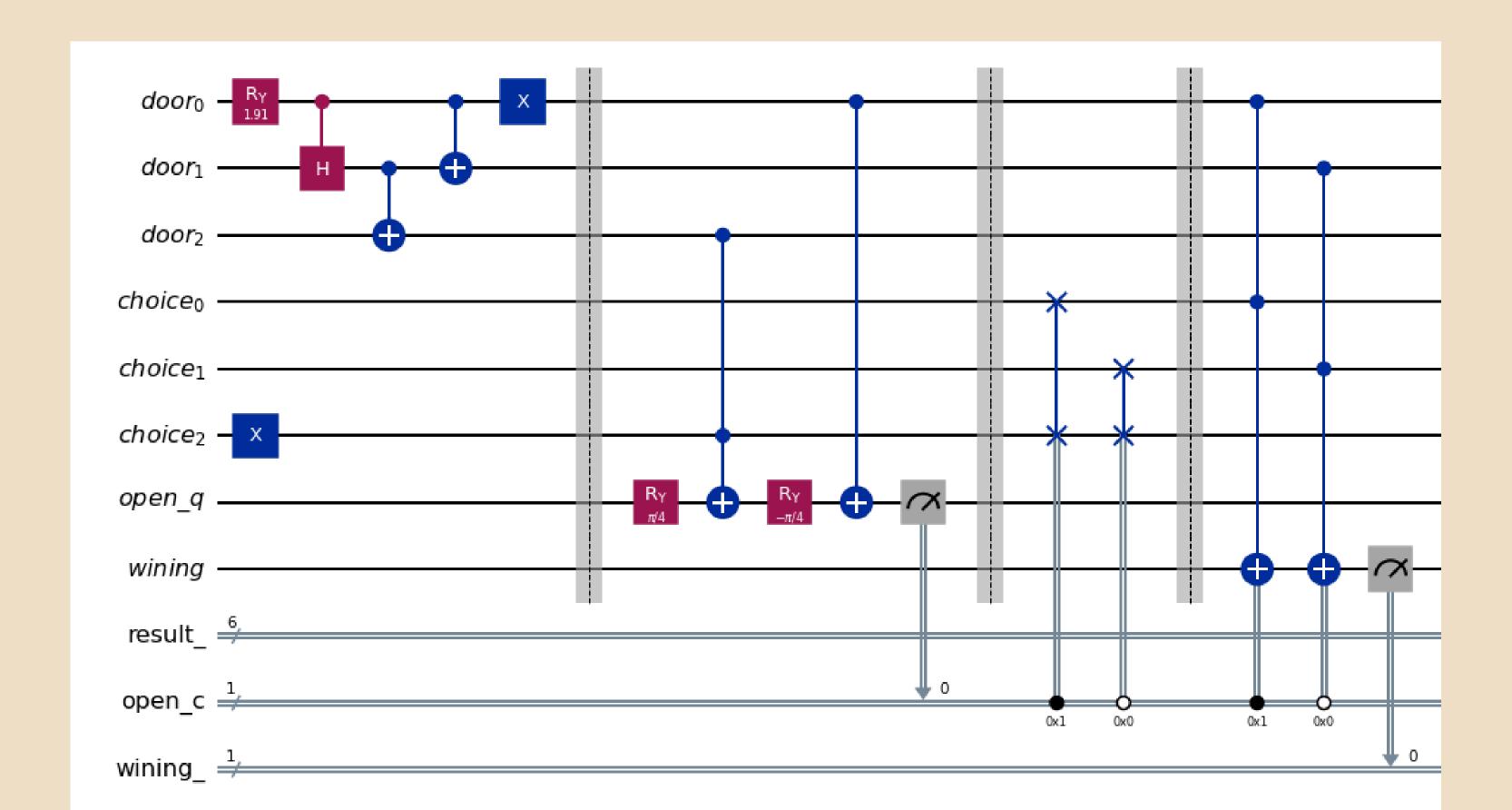


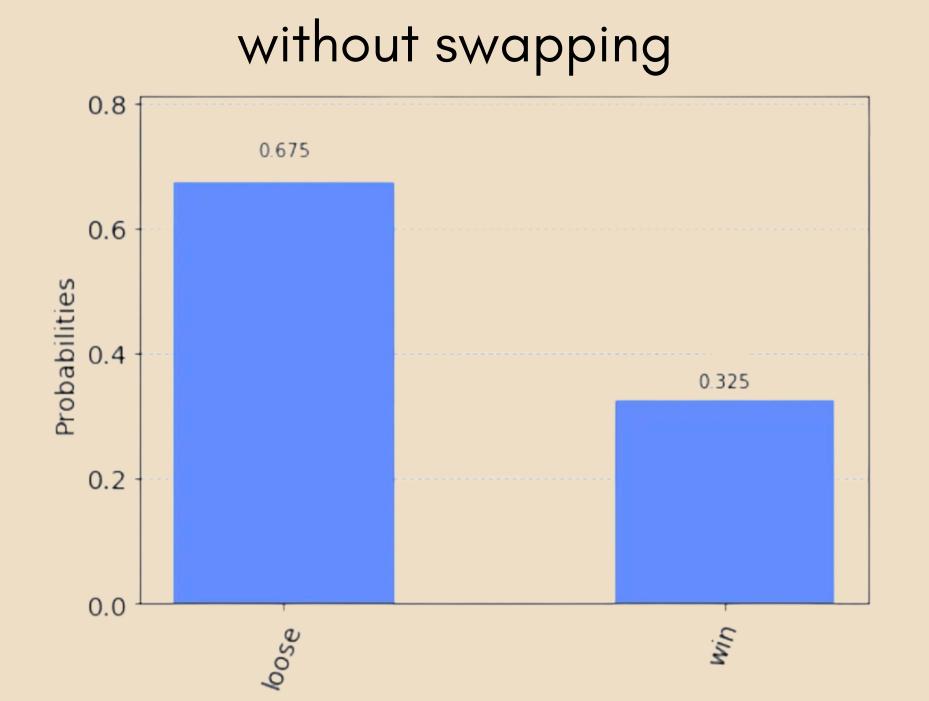
Second 3 Qubits for the random choice



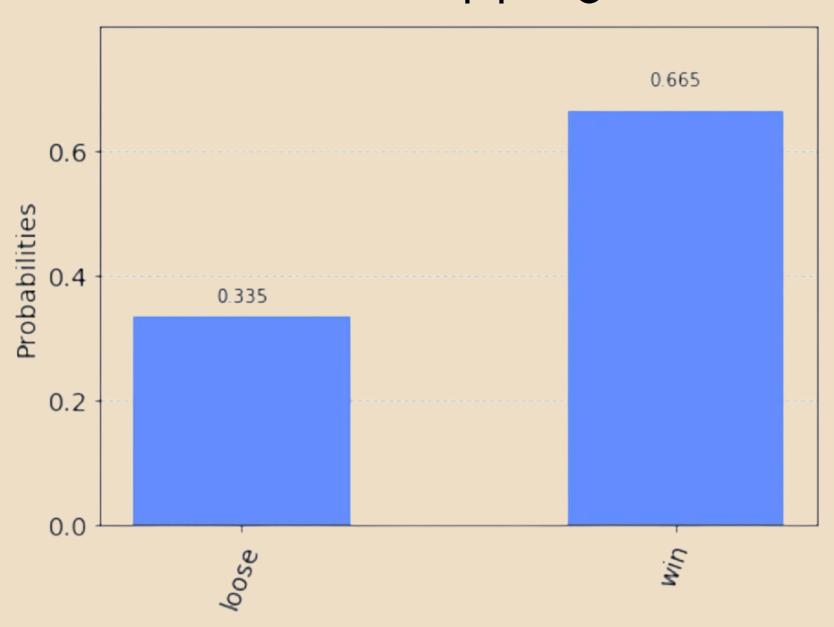
Last Qubit for the host







with swapping

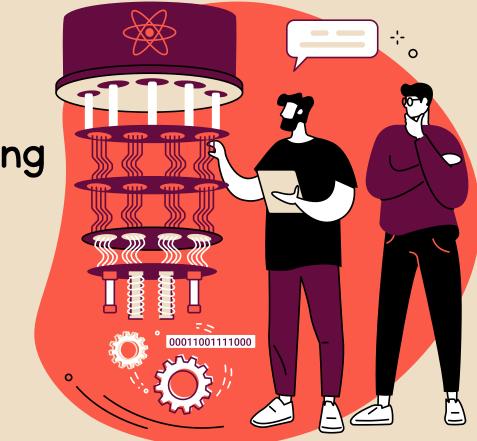


WHY QUANTUM?

BY SIMULATING THIS PROBLEM USING QUANTUM COMPUTER WE WERE ABLE TO

Support the theory that indicates switching doors will encrease winning chance

Performing All cases in the same time by using entanglement and superposition



Thank you!



