

1 - If $5^{X-3} = 4^{X-3}$, then x =

a - $\frac{5}{4}$

b - 3

c - zero

d - 1

2 - $\sqrt[5]{a^3} \times \sqrt{a^3} = \dots\dots\dots$

a - $\sqrt[7]{a^3}$

b - $\sqrt[7]{a^6}$

c - $\sqrt[7]{a^{14}}$

d - $a^2 \sqrt[10]{a}$

3 - If $\left(\frac{2}{3}\right)^{x-2} = \frac{8}{27}$, then x =

a - 2

b - 3

c - 4

d - 5

4 - The simplest form $\frac{10^{2x+1} \times 2^{2x}}{4^x \times 25^{x+\frac{1}{2}}}$

a - 2^{2x+1}

b - 2^{x+2}

c - 2^{x-2}

d - 2^{2x+2}

5 - $2 \times 4^{x-3} = 16$, then x =

a - 5

b - 7

c - $4\frac{1}{2}$

d - $-1\frac{1}{2}$

6 - If $2^{x-1} = 44$, then $2^{x-2} = \dots\dots\dots$

a - 18

b - 22

c - 10

d - 16

7 - If $5^{2x-1} = \frac{1}{125}$, then x =

a - 1

b - zero

c - -1

d - -2-

8 - If $5^x = 2$, then $(25)^x = \dots\dots\dots$

a - 10

b - 625

c - 4

d - 2

9 – The solution set of equation $3^x + 3^{3-x} = 12$ is

a – $\{1, 2\}$ b – $\{0, 3\}$ c – $\{3, 4\}$ d – $\{-1, -2\}$

10 – The solution set of equation $\sqrt[3]{x^3} - 3\sqrt[3]{x} + 2 = 0$ is

a – $\{1, 8\}$ b – $\{9, 3\}$ c – $\{8\}$ d – $\{1\}$

11 – If $f(x) = 3^x$, then the value of x which satisfy the equation $f(x + 1) - f(x - 1) = 24$ is

a – zero b – 2 c – 3 d – 8

12 – If $f(x) = 3^x$ the value of x which satisfy the relation $f(2x) - 24f(x - 1) - f(2) = 0$ is

a – $2, \frac{1}{3}$ b – 2, zero c – 2 d – 2, -1

13 – The solution set of equation $\log_x 81 = 4$ in R is

a – $\{-3\}$ b – 3 c – $\{3, -3\}$ d – $\{9\}$

14 – The form $\log_a x = y$ is equivalent to

a – $\log_a y = x$ b – $a^y = x$ c – $a^x = y$ d – $y = a^x$

15 – The S.S of the equation $\log_x(x + 6) = 2$ in R is

a – $\{3, -2\}$ b – $\{3\}$ c – $\{3, 1\}$ d – $\{6, 1\}$

16 – If $\log_9 \sqrt{x + 7} = \frac{1}{2}$, then x =

a – 2 b – 4 c – 6 d – 8

17 – $\log_2 5 \times \log_5 2 = \dots\dots\dots$

a – 1

b – 10

c – $\log_2 10$

d – $\log_5 10$

18 – If $\log_2 x = 3$, then $\log_8 x = \dots\dots\dots$

a – 8

b – 4

c – 2

d – 1

19 – If $3^x = 5$, then $x = \dots\dots\dots$

a – 3

b – $\log_3 5$

c – $\log_5 3$

d – $\frac{5}{3}$

20 – The simplest form of expression

$\log_b a^2 \times \log_c b^3 \times \log_a c = \dots\dots\dots$

a – 2

b – 3

c – 6

d – 1

21 – The solution set of the equation

$2\log 2 - \log x = \log(x + 3) - \log 7$

a – $\{7\}$

b – $\{4\}$

c – $\{7, 4\}$

d – \emptyset

22 – If $\log_2 x + \log_2 x^2 = 6$, then $x = \dots\dots\dots$

a – 2

b – 4

c – 6

d – 216

23 – If $\log_2 x + \log_2(x + 2) = 3$, $x = \dots\dots\dots$

a – 2

b – -2

c – 3

d – -3

24 – The S.S of $\log_3(x + 6) = 2\log_3 10$, the $x = \dots\dots\dots$

a – 3

b – -3

c – 6

d – -6

25 – If $3^{x+2} = 6$, the value of x to two decimals is

a – 0.37

b – - 0.37

c – 0.73

d – 0.73

26 – If $3^{2x-3} = 11^{1-x}$, the value of x to two decimals is

a – 1.24

b – 1.42

c – 2.14

d – 2.41

27 – If $4 \times 7^{x-2} = 1$, the value of x =

a – 1.29

b – 1.92

c – 2.19

d – 2.91

28 – If $3^{5x-2} = 7^{x+1}$, then x =

a – 7.71

b – 7.11

c – 1.17

d – 1.71

29 – The numbers of ways of forming 2 – digit number out of {3, 4, 5, 6, 7} equals

a - 2^5

b - 5^2

c - 5P_2

d - 5C_2

30 – By how many ways can Hossam select a meal and drink from different meals (meat – chicken – fish) and two kinds of drinks (juice – CocaCola) ?

a - 3^2

b - 3C_2

c - $3! \times 2!$

d - 3P_2

31 – The numbers of 2 different digit even numbers which formed 1,2,3,4,5,6 equal

a – 5

b – 6

c – 9

d – 15

32 – The numbers of 3 different digit greater than 400 formed 3, 4, 5, 6, 7

a – 12

b – 16

c – 48

d – 60

33 – By how many ways can 7 children be arranged in a circle ?

a – 7! b - 6! c - 7² d - 2⁷

34 - By how many ways can 5 children be arranged in one row ?

a – 5! b – 4! c - 5² d - 4²

35 - The numbers of ways of selecting a team of 6 numbers from 12 for sons equals

a – ¹²P₆ b – ¹⁷C₆ c – ¹²C₆ d – ¹⁷C₁₂

36 – If n! = 720 , then ⁿp₂ =

a – 30 b – 20 c – 15 d – 12

37 – If ⁿC₅ = ⁿC₆ , then n =

a – 5 b – 6 c – zero d – 11

38 – If ⁿC₅ = ⁿC_{n-2} , then n =

a – 6 b – 7 c – 8 d – 10

39 – If ⁿC₉ : ⁿC₇ = 7 : 9 , then n =

a – 7 b – 15 c – 16 d – 9

40 - The numbers of ways of selecting a group of 3 girls and 4 boys from 5 girls and 7 boys equals

a – ⁵P₃ × ⁷P₄ b – ⁷P₃ + ⁵P₄ c – ⁵C₃ × ⁷C₄ d - ⁵C₃ + ⁷C₄

1 – prove that : $\frac{(343)^{2x-\frac{1}{3}} \times (4)^{3x+1}}{(196)^{3x \times 4}} = \frac{1}{7}$

2 – Find in R the solution set of equation :

$$x^{\frac{4}{5}} - 5x^{\frac{2}{5}} + 4 = 0$$

3 – Find the value of x to the nearest two decimal places where :

$$7^{3x-2} = 5$$

4 – Find the value of (n) if :

$${}^{25}C_{3n-5} = {}^{25}C_{2n}$$

5 – If ${}^9P_{r-1} = 504$, then find the value of $(r + 3)!$

Model answer for question bank

1-B	2-D	3-D	4-A
5-C	6-B	7-C	8-C
9-A	10-A	11-B	12-B
13-B	14-B	15-B	16-A
17-A	18-D	19-B	20-A
21-B	22-B	23-A	24-A
25-B	26-A	27-A	28-C
29-B	30-D	31-D	32-C
33-A	34-A	35-C	36-A
37-D	38-B	39-B	40-D

Q Prove that $\frac{(343)^{\frac{2x-1}{3}} \times (4)^{3x+1}}{(196)^{3x} \times 4} = \frac{1}{7}$

Solution:

$$\begin{aligned} & \frac{6x-1}{7} \times 2 \\ & \frac{6x}{2} \times \frac{6x}{7} \times 2 \\ & 6x-1-6x \quad 6x+2-6x-2 \quad -1 \\ & 7 \quad \times 2 \quad = 7 = \frac{1}{7} \end{aligned}$$

Find in \mathbb{R} the solution set of equation

$$x^{\frac{4}{5}} - 5x^{\frac{2}{5}} + 4 = 0$$

Solution:

$$(x^{\frac{2}{5}} - 4)(x^{\frac{2}{5}} - 1) = 0$$

$$x^{\frac{2}{5}} = 4 \quad x^{\frac{2}{5}} = 1$$

$$x = \pm (4)^{\frac{5}{2}} \quad (x = \pm (1)^{\frac{5}{2}})$$

$$x = \pm 32 \quad x = \pm 1$$

$$S.S = \{1, -1, 32, -32\}$$

Find The value of x to the nearest two decimal places where

$$\frac{3x-2}{7} = 5$$

Solution:

$$(3x-2) \log 7 = \log 5$$

$$3x-2 = \frac{(\log 5)}{(\log 7)}$$

$$3x-2 = \log_7 5$$

$$3x = \log_7 5 + 2$$

$$3x = 2.8708$$

$$x = 0.96$$

Find the value of n if

$${}^{25}C_{3n-5} = {}^{25}C_{2n}$$

Solution

$$3n - 5 + 2n = 25$$

$$5n = 30$$

$$n = 6$$

if ${}^9P_{r-1} = 504$, then find the value of $1r+3$

Solution:

$${}^9P_{r-1} = 504$$

$$r-1 = 3$$

$$r = 4$$

$$\underline{1r+3} = 5040$$