

# OS2 N Queen Problem documentation

## project description:

solving N queen problem using multithreading

## what we actually did:

2 classes **N\_Queens\_solver** that begins by creating an instance of the **InputScreen** class to collect user input for the size of the chessboard (**N**). Once the user provides the input, the program initiates a set of threads, each responsible for solving the N-Queens problem starting with a queen placed in a different column of the first row.

The program creates an array of threads (**threadsArray**) and launches a thread for each initial column placement. Each thread is an instance of the **ThreadSolver** class, which is responsible for finding solutions for the N-Queens problem using backtracking. The main thread waits for all these threads to complete their execution using the **join** method.

After all threads finishes, a new instance of the solutionsScreen class is created to display the solutions found for the N-Queens problem.

This **ThreadSolver** class represents a thread that recursively solves the N-Queens problem using backtracking. It explores possible queen placements on a chessboard, avoiding conflicts in rows, columns, and diagonals. The class maintains a list of solutions, and each thread contributes to this list when it finds a valid solution.

## team members role:

ThreadSolver class: Abanoub Ibrahim, Ahmed Ibrahim

N\_Queens\_solver class: Basmala Hassan, Habiba Ahmed

GUI: Ahmed Ayman, Abobakr Khaled

## code documentation:

In our code we have 6 classes:

1) `InputScreen`,: takes the input from the user when entered in the gui

2) `N_Queens_solver`: this is the main class where N is the size of the chessboard. it use multithreading, create separate threads to explore different starting positions for the first queen in the first row. Then call The `ThreadSolver` class

3) `ThreadSolver`: it solves the N-Queens problem concurrently using multiple threads.

It has 5 methods:

1. `IsValid`

Checks whether placing a queen at a specific position is valid, ensuring no other queens threaten it in the same column, diagonals, or row.

2. `theBt`

Implements the backtracking algorithm to find solutions recursively. It explores different combinations of queen placements on the chessboard.

3. `run`

Overrides the run method from the `Thread` class. When a thread is started, it executes the backtracking algorithm.

4. `addSolution`

Adds a synchronized solution to the shared **solutions** list, making sure that multiple threads can safely update the list without conflicts.

5. `getAllSolutions`

Returns the list of all solutions found by the threads.

4) `Sol_OBJ`: is a simple data structure representing a solution object for the N-Queens problem. It holds information about the configuration of the chessboard and the thread number associated with the solution.

5)Cell: this class is designed to represent a cell in a chessboard for the N-Queens problem visualization. It defines different states for the cell, such as being a white or black block and optionally containing a queen.

6)SolutionsScreen: it relies on the ThreadSolver class and the Cell class for functionality.

The constructor initializes the JFrame with various properties such as size, location, and layout, It adds a KeyListener (the class itself) to the frame,It then calls View\_solution(0) to display the initial solution.

It has mainly 2 methods:

1. View\_solution
  - This method updates the frame to display the solution specified by the **solutions\_counter**.
  - It sets the title of the frame based on the solution number and thread number.
  - It iterates over the  $N \times N$  grid, checking the state of each cell in the solution, and adds a **Cell** to the frame accordingly.
  - The frame is made visible at the end.
2. KeyPressed
  - This method handles key events. If the right arrow key is pressed and there is a next solution, it removes all components from the frame and displays the next solution.
  - If the left arrow key is pressed and there is a previous solution, it does the same to display the previous solution.