Anthony Bartholomew Professor Chen CSE 5542 1/22/19

## CSE 5542 HWI

1 & rule Matrix

Translation Matrix needed after scale is applied.

$$T_{1} = \begin{bmatrix} 1 & 0 & 0 & 2.25 \\ 0 & 1 & 0 & 2 \\ 0 & 0 & 1 & 2.25 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

Complete Transformation Watrix:

$$T = \begin{bmatrix} 1 & 0 & 0 & 2.25 \end{bmatrix} \begin{bmatrix} 4.5 & 0 & 0 & 0 \\ 0 & 1 & 0 & 2 \\ 0 & 0 & 1 & 2.25 \end{bmatrix} \begin{bmatrix} 4.5 & 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

T= [	4.5	0	0	2.25	
	0	4	0	2	
	0	0	4.5	2.25	
	0	0	0		
	C			7	

Verifying Transformation Matrix T:

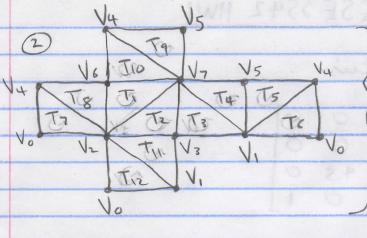
Let B equal the 4×8 matrix consisting of all vertices that make the unit box centered at the vigin. So,

Let B' be the box after the transformation matrix T is applied to B. So,

Thus,

B'=[ V3 V7 V, V5 V2 V6 V0 V4]

Therefore, T is the correct transformation matrix for the unit box centered at the origin.



This diagram is the lox infolded into its respective faces. The face consisting of T, and Tz is the top of the box as seen on the homework webpage.

 $T_{1} = (V_{6}, V_{2}, V_{7})$   $T_{2} = (V_{3}, V_{7}, V_{2})$   $T_{3} = (V_{3}, V_{1}, V_{7})$   $T_{4} = (V_{5}, V_{7}, V_{1})$   $T_{5} = (V_{5}, V_{1}, V_{4})$   $T_{6} = (V_{6}, V_{4}, V_{1})$   $T_{7} = (V_{6}, V_{4}, V_{7})$   $T_{8} = (V_{6}, V_{4}, V_{7})$   $T_{10} = (V_{6}, V_{7}, V_{4})$   $T_{11} = (V_{3}, V_{2}, V_{1})$   $T_{12} = (V_{6}, V_{1}, V_{2})$ 

Note: all triangles above were constructed using counter-clock-wise order using the diagram above.