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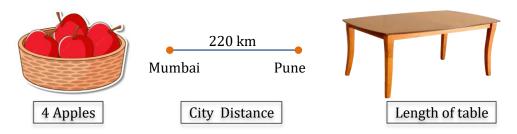
Knowing Our Numbers



Introduction to Numbers

Numbers play an important role in our life. We use numbers in our day to day life to count things.

While counting we use numbers to represent any quantity, to measure any distance or length.



The counting numbers starting from 1, 2, 3, 4, 5, are termed as natural numbers.

The set of counting numbers and zero are known as whole numbers.

Whole numbers are 0, 1, 2, 3, 4, 5, 6, 7, and so, on



The symbols used by different civilizations to represent numbers are as below:

Symbols	One	Two	Three	Four	Five	Six	Seven	Eight	Nine	Ten
Indo-Arabic	1	2	3	4	5	6	7	8	9	10
Dev Nagri	9	٦	3	8	٤	Ę	y	ζ	Ę	90
Arabs		۲	٧	۲	۵	Ч	<	* ₁₂	9	+
Roman	I	П	Ш	IV	V	VI	VII	VIII	IX	Х

Even Natural Numbers: Numbers which are divisible by 2 are called even numbers, e.g. 2, 4, 6, 8, 10,

Odd Natural Numbers: Numbers which are not divisible by 2 are called odd numbers, e.g. 1, 3, 5, 7, 9,



★ If at unit place, we have 0, 2, 4, 6, 8 then number is even otherwise it is odd.



How many odd numbers are there between 151 and 168?

Explanation

The odd numbers between 151 and 168 are - 153, 155, 157, 159, 161, 163, 165, 167

The total number is 8.



- (i) Find the smallest natural number.
- (ii) Find the number of four-digit natural numbers.

Solution

- (i) The smallest natural number is 1.
- (ii) The number of four-digit natural numbers is 9000.

Comparing and building numbers

To put large numbers in order, you must check the number of digits in them first. If the number of digits vary in each number, the smallest number is the one which is having the least number of digits and the greatest number is the one which is having the maximum number of digits.





Comparing numbers with the same number of digits

Comparison of the numbers with the same number of digits starts from the left-hand side. You must compare the face values of the digits having the same place value in the numbers until you come across unequal digits.



Compare 45967 and 45861.

Explanation

As number of digits are same so starting from the left hand side, we notice that 2 digits are the same.

45967 and **45**861

On comparing the digits at the hundred places in both the numbers we find that 9 in 45967 is greater than 8 in 45861.

∴ 45967 > 45861



Find the greatest and the smallest number in each row?

- **1.** 382, 4972, 18, 59785, 750
- **2.** 1473, 89423, 100, 5000, 310
- **3.** 1834, 75284, 111, 2333, 450
- **4.** 2853, 7691, 9999, 12002, 124



• 0 is the smallest whole number and largest whole number cannot be define because whole number goes to infinite.

Building numbers

Now, you will learn to build numbers, under different conditions.



Make the greatest and the smallest four-digit numbers by using different digits such that digit 6 is always in the tens place.

Explanation

We know that the digits written in the descending order are 9, 8, 7, 6, 5, 4, 3, 2, 1, 0.

Keeping 6 in the tens place, we have

Greatest number = 9867

Smallest number = $10\underline{6}2$



The successor of a

to the given number.

number obtained by adding 1

SPOT LIGHT

given



Make the smallest and the greatest 5-digit numbers using the digits 4, 6, 3, 1 and 0 only once.

Solution:

Smallest number: 10,346 Greatest number: 64,310



	Greatest	Smallest
1.	59785	18
2.	89423	100
3.	75284	111
4.	12002	124



- 1. How many different 4-digit numbers can be formed by using the digits 0, 7, 3, 8 without repeating any digit in the number?
- 2. Make the greatest and the smallest four-digit numbers by using the digits 4, 6, 7 by repeating any one digit twice.



Greatest 4-digit number is 9999 and greatest 5-digit number is 99999.

Introducing 6-digit, 7-digit and 8-digit numbers

Till now you have learnt up to 5 digit numbers and you know that the greatest 5 digit

number is 99,999. On adding 1 to it, we get the smallest 6-digit number.

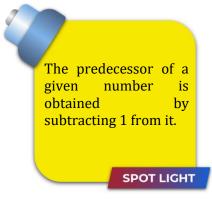
99999 + 1 = 1,00,000, read as one lakh.

The largest 6-digit number is 9,99,999. On adding 1 to it, we get the smallest 7-digit number.

9,99,999 + 1 = 10,00,000, read as ten lakh.

The largest 7-digit number is 99,99,999. On adding 1 to it, we get the smallest 8-digit number.

99,99,999 + 1 = 1,00,00,000, read as one crore.





Ascending Order

When the numbers are arranged from the smallest to the largest number, those numbers are said to be in an ascending order. The numbers are arranged from left to right in increasing order.

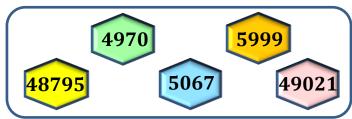
Descending Order

When the numbers are arranged from the largest to the smallest number, those numbers are said to be in descending order. The numbers are arranged from left to right in decreasing order.

Ascending order is represented by < (less than) symbol, whereas descending order is represented by > (greater than) symbol.



Arrange the numbers in ascending order.

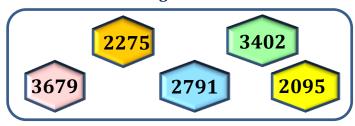


Explanation





Arrange the numbers in descending order.





Explanation





- **1.** 18
- **2.** The greatest number is 7764 and smallest number is 4467.



- **1.** Arrange the following numbers in ascending order: 3763214, 18340217, 984671, 3790423, 18431056
- **2.** Arrange the following numbers in descending order: 63872064, 4965328, 63890503, 5023145, 576943

Shifting digits

Changing the position of digits in a number, changes magnitude of the number.

Example:

Take a number 257.

The condition here is to exchange its hundreds and unit digit and form the new number. That is, exchange 2 to 7 and 7 to 2.



Here comes a question.

Which is greater and which is least among the numbers?

To find that express the numbers formed in both ascending and descending order.

The number before shifting is 257. Exchanging the hundreds and the unit digits, the number after shifting is 752.

That is, if we exchange the hundreds and unit digit, the resultant number becomes greater.



Place value and Face value

Every digit has two values the place value and the face value. The face value of a digit does not change while its place value changes according to its position and number.

The face value of a digit in a numeral is its own value, at whatever place it may be.

Place value or local value of a digit in a given number is the value of the digit because of the place or position of the digit in the number.

Number	Digit	Face Value	Place Value
	6	6	60,000
63,794	3	3	3,000
03,794	7	7	700
	9	9	90
	4	4	4

Expanded form of a Number

If we express a given number as the sum of its place values, it is called its expanded form.



Express the following in expanded form.

- (i) 3,54,039
- (ii) 3,85,00,386

Explanation

(i) Place value of $3 = 3 \times 100000$

Place value of $5 = 5 \times 10000$

Place value of $4 = 4 \times 1000$

Place value of $0 = 0 \times 100$

Place value of $3 = 3 \times 10$

Place value of $9 = 9 \times 1$

:. The expanded form of 3,54,029 is

$$3 \times 100000 + 5 \times 10000 + 4 \times 1000 + 0 \times 100 + 3 \times 10 + 9 \times 1.$$

(ii) Likewise, the expanded form of 3,85,00,386 is

 $3 \times 10000000 + 8 \times 1000000 + 5 \times 100000 + 0 \times 10000 + 0 \times 1000 + 3 \times 100 + 8 \times 10 + 6 \times 1.$

	С	TL	L	T-Th	Th	Н	T	0
	10000000	1000000	100000	10000	1000	100	10	1
(i)			3	5	4	0	3	9
(ii)	3	8	5	0	0	3	8	6

Indian and International system of numeration

Suppose a newspaper report state that Rs. 2500 crore has been allotted by the government for National Highway construction. The same amount of Rs. 2500 crore is sometimes expressed as 25 billion. In the Indian system, we express it as Rs. 2500 crore and in the International system, the same number is expressed as 25 billion. Hence, you need to understand both the systems and their relationship.



Indian system of numeration

The Indian system of numeration or Hindu–Arabic numeral system is a positional decimal numeral system developed between the 1st and 5th centuries by Indian mathematicians, adopted by Persian and Arabian mathematicians and spread to the western world by the High Middle Ages. It uses ten basic symbols 0, 1, 2, 3, 4, 5, 6, 7, 8, 9 (called digits) and the idea of place value.

One million = ten lakhs
Ten millions = one
crore
Hundred million = ten
crores
1 billion = Hundred
crores
SPOT LIGHT

For a given numeral, we start from the extreme right as:

Ones, Tens, Hundreds, Thousands, Ten Thousands, Lakhs, Ten Lakhs, etc. Each place represents ten times the one which is immediately to its right.

Indian system of numbers

Cro	res	Lakhs		Thousands		Ones		
Ten Crore	One Crore	Ten Lakh	One Lakh	Ten Thousand	One Thousand	One Hundred	Ten	One
10,00,00,000 9 Digits	1,00,00,000 8 Digits	10,00,000 7 Digits	1,00,000 6 Digits	10,000 5 Digits	1,000 4 Digits	100 3 Digits	10 2 Digits	1 1 Digit

Indian place-value chart

Cı	ores	Lakhs		Thousands		Ones		
TC	С	TL	L	TTh	Th	Н	Т	0
	1	0	0	0	0	0	0	0

 $1 C = 1 \text{ crore} = 1,\overline{00,00,000}$

International system of numeration

International system of numeration is adopted by all the countries throughout the world.

International system of numbers

Millions				Thousands		Ones		
Hundred	Ten	One	Hundred	Ten	One	One	Ten	One
Million	Million	Million	Thousand	Thousand	Thousand	Hundred	Ten	One
100,000,000	10,000,000	1,000,000	100,000	10,000	1,000	100	10	1
9 Digits	8 Digits	7 Digits	6 Digits	5 Digits	4 Digits	3 Digits	2 Digits	1 Digit

International place-value chart

Millions			T	housan	ds	Ones			
НМ	TM	M	HTh	TTh	Th	Н	Т	0	
	1	0	0	0	0	0	0	0	

1 TM = 10 million = 10,000,000



Use of commas

Commas help us in reading and writing large numbers. In our Indian system of numeration, commas are used to mark thousands, lakhs and crores. The first comma comes after hundreds place and marks thousands. The second comma comes after ten thousands place and marks lakh. The third comma comes after ten lakh place and marks crore.

In International system of numeration, commas are used to mark thousands and millions. It comes after every three digits from the right.



Express 643871 in both the systems of numeration.

Explanation

Indian: 6,43,871

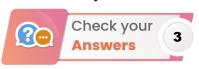
Six lakh forty three thousand eight hundred and seventy

one

International: 643,871

Six hundred forty-three thousand eight hundred and

seventy one



- **1.** 984671, 3763214, 3790423, 18340217, 18431056
- **2.** 63890503, 63872064, 5023145, 4965328, 576943



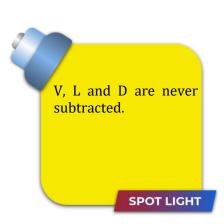
Express the following numbers in both the systems of numeration.

- **1.** 475329
- **2.** 9846245
- **3.** 567439032



Write the numeral for each of the following numbers:

- (i) Ninety-eight crore two lakh seventy five.
- (ii) Six million, four hundred and twelve thousand, two hundred and twenty.



trillion

millions

crore.

is

(10

billions i.e. 1 million

millions) or 1 lakh

1000

lakh

SPOT LIGHT



Solution:

- (i) Ninety-eight crore two lakh seventy-five is 98,02,00,075.
- (ii) Six million, four hundred and twelve thousand, two hundred and twenty is 6,412,220.

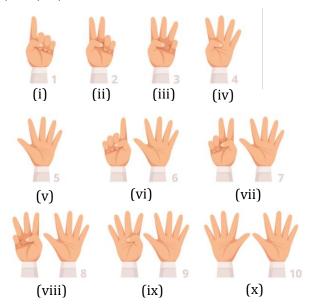


* Roman numbers were invented for the purpose of counting and performing other day-to-day transactions.

Roman Numerals

The Roman numerals is the numeral system of ancient Rome. It uses combinations of letters from the Latin alphabet to signify values. The numbers 1 to 10 can be expressed in Roman numerals as follows:

I, II, III, IV, V, VI, VII, VIII, IX, and X.



This followed by XI for 11, XII for 12, ... tilll XX for 20. Some more roman numerals are:

I	V	X	L	С	D	M
1	5	10	50	100	500	1000

The Roman numeral system is decimal but not directly positional and does not include a zero.

Rules to form Roman numerals

We can form different roman numerals using the symbols and the following rules.

Rule 1: If a symbol is repeated one after the other, its value is added as many times as it occurs. For example,

$$III = 1 + 1 + 1 = 3$$

$$XX = 10 + 10 = 20$$

With the help of the

symbols I, V, X, L, C we

can write numbers

SPOT LIGHT

upto 399.



Rule 2 : The symbols I, X, C and M can be repeated up to a maximum of three times. For example,

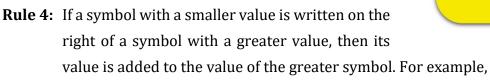
$$I = 1$$
, $II = 2$, $III = 3$

$$X = 10$$
, $XX = 20$, $XXX = 30$

$$C = 100$$
, $CC = 200$, $CCC = 300$

$$M = 1000$$
, $MM = 2000$, $MMM = 3000$

Rule 3: The symbols V, L and D (i.e., 5, 50, and 500, respectively) can never be repeated in a roman numeral.



$$XII = 10 + 2 = 12$$
, $LX = 50 + 10 = 60$,

$$DCCCX = 500 + 300 + 10 = 810$$

Rule 5 : If a symbol with a smaller value is written on the left of a symbol with a larger value, then its value is subtracted from the value of the greater symbol. For example,

$$IV = 5 - 1 = 4$$
, $IX = 10 - 1 = 9$, $CD = 500 - 100 = 400$

$$VI = 5 + 1 = 6$$
, $XI = 10 + 1 = 11$, $DC = 500 + 100 = 600$

Note: I can be subtracted from V and X once only. X can be subtracted from L and C once only. C can be subtracted from D and M once only. Thus, I or V is never written to the left of L or C. L is never written to the left of C.



★ Zero is the only number that can't be represented in Roman numberals.



Write the following in Roman numerals:

Explanation

(i)
$$52 = 50 + 2 = L + II = LII$$

(ii)
$$44 = 40 + 4 = XL + IV = XLIV$$

(iii)
$$85 = 80 + 5 = LXXX + V = LXXXV$$

(iv)
$$49 = 40 + 9 = XL + IX = XLIX$$

(v)
$$99 = 90 + 9 = XC + IX = XCIX$$





Write the following in Hindu-Arabic numerals:

- (i) XLV (ii) LXIII (iii) LXXVI (iv) XCII (v) XXXVIII Solution
- (i) XLV = XL + V = (50 10) + 5 = 40 + 5 = 45
- (ii) LXIII = L + X + III = 50 + 10 + 3 = 63
- (iii) LXXVI = $L + XX + VI = 50 + (2 \times 10) + 6 = 76$
- (iv) XCII = XC + II = (100 10) + 2 = 90 + 2 = 92
- (v) $XXXVIII = XXX + VIII = (3 \times 10) + 8 = 30 + 8 = 38$



▼ VC is not possible because V, L & D are never subtracted.



1. Indian: 4,75,329

Four lakhs seventy five thousand three hundred and twenty nine

International: 475,329

Four hundred seventy-five thousand three hundred twenty nine

2. Indian: 98,46,245

Ninety-eight lakhs forty six thousand two hundred and forty five

International: 9,846,245

Nine million eight hundred forty-six thousand two hundred forty-five

3. Indian: 56,74,39,032

Fifty-six crores seventy four lakh thirty nine thousand and thirty two

International: 567,439,032

Five hundred sixty-seven million four hundred thirty-nine thousand thirty two



- **1.** Write the following numbers in Roman numerals:
 - (i) 43
- (ii) 54
- (iii) 96
- (iv) 87
- **2.** Write the following in Hindu-Arabic numerals:
 - (i) XV
- (ii) XXXIX (iii) LXXXV
- (iv) XCIV

Use of brackets

Raju brought 6 pencils from the market, each at Rs. 2. His brother Ramu also bought 8 pencils of the same type. Raju and Ramu both calculated the total cost but in their own ways. Raju found that they both spent Rs. 28 and he used the following method:

$$(6 \times 2) + (8 \times 2)$$

$$=(12+16)$$

Here number of operations are two times multiplication and one time addition

But Ramu found an easier way. He did 6 + 8 = 14 and then $(2 \times 14) = 28$. The use of brackets makes this sum easy. It can be done as follows:

Rs.
$$2 \times (6 + 8)$$

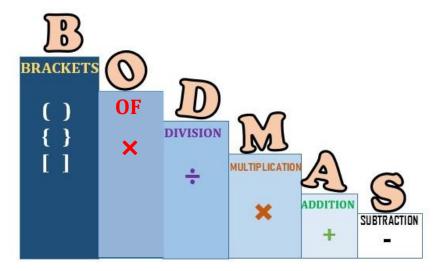
$$= Rs. (2 \times 14)$$

Here first solve the operation inside the bracket and then multiply it by the number outside.

Now number of operations are one addition and one multiplication.

So, second method takes less time.

BODMAS Explanation



B → **B**rackets first (parentheses)

$$0 \rightarrow 0f$$

 $DM \rightarrow Division$ and Multiplication (start from left to right)

AS → Addition and Subtraction (start from left to right)



Sometimes

of rounding.

as round at tens.

we

SPOT LIGHT

word 'nearest' in place

Ex. Nearest 10 is same

Note:

- (i) Start Divide/Multiply from left side to right side since they perform equally.
- (ii) Start Add/Subtract from left side to right side since they perform equally.



$$78 - [5 + 3 \text{ of } (25 - 2 \times 10)]$$

Explanation:

$$78 - [5 + 3 \text{ of } (25 - 2 \times 10)]$$

= $78 - [5 + 3 \text{ of } (25 - 20)]$ (Simplifying 'multiplication' $2 \times 10 = 20$)
= $78 - [5 + 3 \text{ of } 5]$ (Simplifying 'subtraction' $25 - 20 = 5$)
= $78 - [5 + 3 \times 5]$ (Simplifying 'of')
= $78 - [5 + 15]$ (Simplifying 'multiplication' $3 \times 5 = 15$)
= $78 - 20$ (Simplifying 'addition' $5 + 15 = 20$)



Simplify: 25 - [22 - {17 - (5 - 2)}]

Solution

= 58

Rounding Numbers

Rounding involves replacing one number with another number that's easier to work with. Rounded numbers can be easier to use.

(Simplifying 'subtraction' 78 - 20 = 58)

Suppose you want to find 18×43 , but had lost the calculator. You could find an answer close to 18×43 by rounding to the nearest ten.

"Rounding to the nearest ten" means replacing a number with the nearest multiple of 10.

Replacing a number with a higher number is called rounding up.

Replacing a number with a lower number is called rounding down.



Round 18×43 to the nearest ten.



Explanation

You need to decide whether to round up or down.

Look at the digit in the ones place:

If the ones digit is 5 or more, round up.

If the ones digit is 4 or less, round down.

Start with 18: The digit in the ones place is 8 and 8 is more than 5, so round up. 18 rounded up to the nearest ten is 20.

Next, 43: The digit in the ones place is 3 and 3 is less than 5, so round down. 43 rounded down to the nearest ten is 40.

By rounding, you can replace 18×43 with 20×40 .

This is much easier to solve: $20 \times 40 = 800$

800 is fairly close to the real answer: $18 \times 43 = 774$

Procedure of round to different place values

You can round numbers to place values other than tens.

Write the number. Underline the digit in the position you want to round to.

- If the digit to the right of the underlined digit is 5 or more, round up.
- If the digit to the right of the underlined digit is 4 or less, round down.

Note: When we round a number to nearest place, all other digits to the right of the place becomes zero. Ex round 24912 to nearest hundred, we will get 24900. Digits to the right of 9 become zero.



Round 25,281 to the nearest hundred.

Explanation

Write the number, and underline the hundreds digit: 25,<u>2</u>81

You're rounding to the nearest hundred, so that's going to be either 25,200 or 25,300.

The digit to the right of the underline is 8.

That's greater than 5, so round up. So, 25,281 rounds up to 25,300, to the nearest hundred.

Rounding a number to the nearest 1000

To round off a number to the nearest thousand, we get the nearest multiples of 1000 for that number.

Rule: Look at the digit in the hundreds place. If it is 5 or more, then **round up,** i.e., replace the digits at ones, tens and hundreds place by 0 and add 1 to the digit at thousands place.

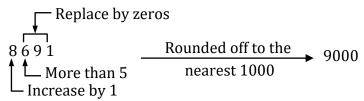
If it is less than 5, then **round down,** i.e., replace the digits at ones, tens and hundreds place by zeros and leave the digit at thousands place unchanged.





Round 8691 to the nearest thousand.

Explanation





Round 4392 to the nearest thousand.

Explanation



Round off the following numbers to the nearest tens, hundreds, thousands.

- (i) 7848
- (ii) 5164

Explanation

(i)
$$7848 \xrightarrow{\text{Rounded off}} 7850 \qquad 7848 \xrightarrow{\text{Rounded off}} 7800$$

$$7848 \xrightarrow{\text{Rounded off}} 8000$$
to nearest 1000

(ii)
$$5164 \xrightarrow{\text{Rounded off}} 5160 \qquad 5164 \xrightarrow{\text{Rounded off}} 5200$$

$$5164 \xrightarrow{\text{Rounded off}} 5000$$
to nearest 1000

Be Alert!

★ While converting 27381 into nearest thousands, we will focus on the digit which is on hundred place.





- **1.** (i) XLIII
- (ii) LIV
- (iii) XCVI
- (iv) LXXXVII

- **2.** (i) 15
- (ii) 39
- (iii) 85
- (iv) 94



- **1.** The number 3478 was rounded to 3480. To what place value was the number rounded?
- **2.** Clara lives in a city that has a population of 82,458 people. Write this population rounded to the nearest hundred.
- **3.** The average distance from the Earth to the Moon is 238,857 miles.

What is this distance to the nearest thousand miles?

Using rounded numbers

Now, you will learn more about using rounded numbers. You'll think about how much certain numbers should be rounded. You'll also see how rounded numbers are useful for checking your work. People round numbers to different place values depending on what the numbers are being used for.

The amount of rounding affects the accuracy

If you use rounding to estimate a sum, be careful how much you round.

Rounding to higher place values usually gives an estimate farther from the actual answer than rounding to lower place values.



Lucas wants to add 3439 and 5482. He doesn't need an exact answer, so he decides to use rounding. Look at Lucas's work below. How could he have found a more accurate answer?

Actual Rounded to the nearest thousand

Rounded to the nearest hundred

Explanation

Lucas rounded to the nearest thousand, so he got an estimate of 8000.

If he had rounded to the nearest hundred, he would have got 8900, which is much closer to the actual 8921.



Rounded numbers can be used to check work

Many times you'll want to check your work without doing the calculation all over again. Rounding is a way to see if your answer is reasonable.

Note: Using rounded numbers to check your answer won't ever tell you that your answer is definitely right, only whether it is reasonable. Your answer might be close to the real answer but could still be wrong.



Calculate 2343 + 5077. Then check your work by rounding to the nearest hundred. Solution

Actual sum: 2343 Rounded sum: 2300

<u>+ 5077</u> <u>+ 5100</u>

7420 7400

The answer to the rounded sum is close to the answer to the actual sum, so the answer to the rounded sum is reasonable.



- 1. Nearest ten
- **2.** 82,500
- **3.** 2,39,000 miles



- Remember that a rounded number is usually not the same as the real figure. It only gives you a guide to how big the real number is.
 - **SPOT LIGHT**
- **1.** (i) Estimate 962 246 by rounding to the nearest hundred.
 - (ii) Estimate 962 246 by rounding to the nearest ten.
 - (iii) Calculate 962 246 exactly.

Which of your two estimates was closer to the actual result?

- **2.** Write the answers by rounding to the place value shown in parentheses.
- (i) 1818 + 700 = (hundred)
- (ii) 22 + 79 =____(ten)
- (iii) 490 + 770 =____ (hundred)
- (iv) 642 369 =____ (ten)





Martin is trying to solve 29.6×9.8 . He gets the answer 192.08. Check Martin's answer by rounding to the nearest ten.

Solution

Rounded product : $30 \times 10 = 300$

Martin's answer is a long way from the rounded answer, so it looks like his answer of 192.08 might be wrong.

In fact, $29.6 \times 9.8 = 290.08$

This is much closer to the rounded estimate.

Estimation

Estimation means "making a good guess." We can use it if we don't need to know an exact answer, or if a question has no exact right answer.

You can estimate when there's no exact answer

Sometimes in math there is no exact right answer.

You can use the information you do have to make an estimate.



Carla has a tall bookshelf and a short bookshelf. When full, the tall bookshelf can hold about 60 books.

Estimate from the picture how many books the small bookshelf will hold.

Explanation

There is no exact number of books you can fit on a bookshelf, because not all books are the same size.

To estimate the answer, compare the bookshelves. The tall one has 3 shelves, and the small one only 2. All the shelves has the same size, so the small bookshelf will hold around two-thirds the number of books.



So, you can estimate that the small bookshelf will hold about 40 books.

You can estimate if you don't need an exact answer

You don't always need to use an exact figure. Sometimes an estimate is enough.

Using estimation

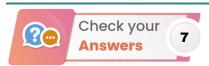
Estimation is really useful in a lot of real-life situations, where you might not be able, or don't need, to do an exact calculation.

There are other times when it's better to figure out the exact answer.

Estimates aren't always a good idea

There are some situations where you definitely shouldn't use an estimate.





- 1. (i) 800 (ii) 710 (iii) 716

 Rounding to nearest ten was closer to the actual answer.
 - (i) 2500 (ii) 100 (iii) 1300 (iv) 270



- **1.** This bar graph shows the number of points scored by four students in a math test. Alex scored 40 points.
 - Estimate the number of points scored by Lupe, Aisha, and Joe.
- **2.** This car is 20 feet long. Estimate the length of the bicycle.
- **3.** Say whether each situation needs a precise figure, or if an estimate would be more suitable, and give a reason for your answer:
- (i) Mr. Bishop is deciding how much gas to put in his car at the start of a long journey.
- (ii) Mrs. Suarez is figuring out how many roll of wallpaper she needs for her bedroom.
- (iii) Sasha's pumpkin is weighed for the annual "heaviest pumpkin" competition.
- (iv) Professor Elliott is finding the heights of a class of children for a scientific study.
- (v) Peter is calculating how many wins and losses his baseball team had this season.
- (vi) Susie is deciding how many sandwiches to make for a party.
- (vii) Ms. Ryan is figuring out the grade point averages of the students in her class.

Use of numbers in everyday life

Numbers are used immensely in our everyday life, such as measuring the length of a small object as pencil, the distance between two given places, the weight of an orange, the weight of a ship, the amount of juice in a glass and the amount of water in a lake.

Small lengths are measured in millimeter (mm) and centimeter (cm) while bigger lengths are measured in meter (m) and kilometer (km).

Meter (m) is the standard unit of length and we define it as :

1 m = 100 cm = 1000 mm

 \therefore 1 cm = 10 mm

 \therefore 100 cm = 100 × 10 = 1000 mm

1 km = 1000 m

Also, $1 \text{ km} = (1000 \times 1000) \text{ mm} = 1000000 \text{ mm}$

Similarly, the units of weight are as under:

1 g = 1000 mg

1 kg = 1000 gm

 $1 \text{ kg} = (1000 \times 1000) \text{ mg} = 10000000 \text{ mg}$

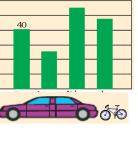
For capacity or volume,

 $1 \ell = 1000 \text{ mL}$ and $1 k\ell = 1000 \ell$

 $1 \text{ k}\ell = 1000 \times 1000 \text{ m}\ell = 1000000 \text{ m}\ell$

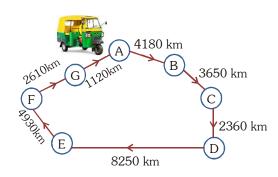
For distance									
km	hm	dam	m	dm	cm	mm			
	For weight								
kg	hg	dag	g	dg	cg	mg			
	For liquids								
kl	hl	dal	1	dl	cl	ml			

Units of measurement





A auto started its journey and reached different places with a speed of 20 km/hour. The journey is shown below.



- (i) Find the total distance covered by the auto from A to D.
- (ii) Find the total distance covered by the auto from D to G.
- (iii) Find the total distance covered by the auto, if it starts from A and returns back to A.
- (iv) Find the difference of distances from C to D and D to E?
- (v) Find out the time taken by the auto to reach
 - (a) A to B (b) C to D
- (c) E to G
- (d) Total journey

Explanation

(i) Total distance covered by the auto from A to D

$$=4180 + 3650 + 2360$$

- = 10,190 km
- (ii) Total distance covered by the auto from D to G

$$= 8250 + 4930 + 2610$$

- = 15790 km
- (iii) Total distance = 4180 + 3650 + 2360 + 8250 + 4930 + 2610 + 1120
 - = 27100 km
- (iv) Difference of distances from C to D and D to E

(v) (a)
$$\frac{4180}{20} = 209 \text{hrs}$$

(b)
$$\frac{2360}{20}$$
 = 118hrs

(c)
$$\frac{4930 + 2610}{20} = 377 \text{ hrs}$$

(d)
$$\frac{\text{Total distance}}{\text{speed}} = \frac{27100}{20} = 1355 \text{hrs}$$





- **1.** 25, 55, 45
- **2.** 5 feet
- 3. (i)Estimate (ii) Estimate (iii) Exact (iv) Exact (v) Exact (vi)Estimate (vii)Estimate



- 1. The number of candidates appearing for class 10 board examination conducted by CBSE was 14,58,937 in year 2002; 16,93,487 in year 2003; 24,13,468 in year 2004 and 40,05,093 in year 2005. Find the total number of candidates who appeared for the examination in these four years.
- 2. The number of cars sold in year 2004 was 45,63,900 and in the year 2005 was 54,00,603. Which year had the maximum sale and by how much?
- 3. A milk depot sells 657 litres of milk every day. How much milk will it sell in 1 year? (Take 1 year = 365 days)
- **4.** The students of class VI of a school collected Rs. 3,37,875 for Prime Minister's Relief Fund. If each child contributed Rs. 255, how many children are there in the school?
- **5.** Convert the following:
 - (i) 754 km into m
- (ii) 46 g into kg
- (iii) 40 ℓ into m ℓ



The population of Rajasthan is 5,64,73,122, and of Goa is 13,43,998 and of Karnataka is 5,27,33,958. What is the combined population of the three states?

Solution

Population of Rajasthan is 5,64,73,122

Population of Goa is 13,43,998

Population of Karnataka is 5,27,33,958

- ∴ Total population of three states
- = 5,64,73,122 + 5,27,33,958 + 13,43,998 = 11,05,51,078
- i.e., Eleven crore five lakh fifty-one thousand seventy-eight.





What must be added to 34,52,629 to make it equal to 6 crores?

Solution

6 crores = 6,00,00,000 \therefore Required number = 6,00,00,000 - 34,52,629 $\begin{array}{r} 6,00,00,000 \\ -34,52,629 \\ \hline 5,65,47,371 \end{array}$

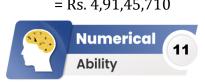
= 5,65,47,371



There are 785 students on roll in a residential public school. If the annual fee per student is Rs. 62,606. What is the total fee collected annually by the school.

Solution

Annual fee of one student = Rs. 62,606	62606
Number of students = 785	<u>×785</u> 313030
Total Annual collection of fee	500848
= Rs. 62,606 × 785	438242
- Dc 4.01.45.710	<u>4914571</u> 0



Find the number of pages in a book which has on an average 207 words on a page and contains 201411 words altogether.

Solution

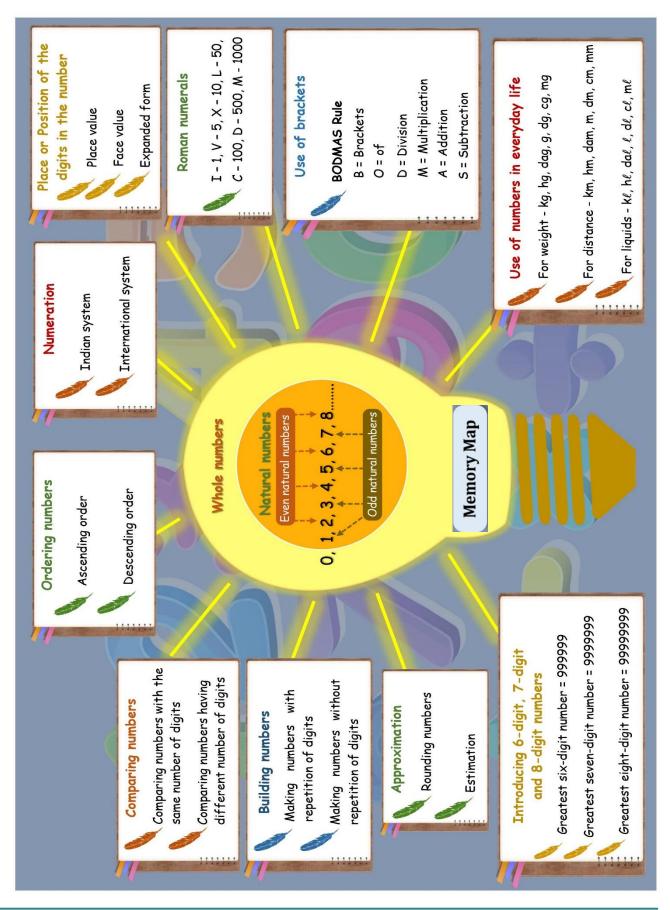
Number of pages = $201411 \div 207$

Thus, the number of pages in the book = 973.



- **1.** 95,70,985
- **2.** Year 2005; 8,36,703 cars
- **3.** 2,39,805 litres
- **4.** 1325 children
- **5.** (i) 754000 m (ii) 0.046 kg (iii) 40000 m ℓ





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