

Topics in Computational Economics

Lecture 3

John Stachurski

NYU 2016



Today's Lecture

- UNIX shell – more features
- Hardware and execution
- Introduction to Python



The Desktop and the UNIX Shell

Getting started with the shell:

- See `command_line.ipynb`

Further reading

- <http://swcarpentry.github.io/shell-novice/>



Exercise:

Clone https://github.com/jstac/tmp_repo

Using just **one line** in the shell, delete from the `files` directory all files that do **not** end in `.py`

Hints:

- Google is your friend
- Make sure you're in the right dir before deleting!
- If you mess up, `git reset --hard` restores files



Python!

Hopefully you did the homework:

- http://quant-econ.net/py/getting_started.html

Please start up jupyter notebook

- consider adding alias `jp='jupyter notebook'`

Questions about the modal interface? Anything else?



An Easy Python Program

Next step: write and pick apart small Python program

Objective: To simulate and plot

$$\epsilon_0, \epsilon_1, \dots, \epsilon_T \quad \text{where} \quad \{\epsilon_t\} \stackrel{\text{iid}}{\sim} N(0,1)$$

Source:

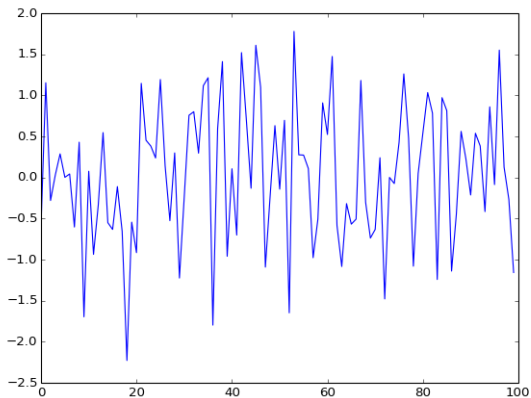
http://quant-econ.net/py/python_by_example.html

Like all first programs, it **will be contrived**

(Avoid existing solutions to focus on Python syntax)



The end result should be this (modulo randomness)



A first pass:

```
1 import matplotlib.pyplot as plt
2 from random import normalvariate
3
4 ts_length = 100
5 epsilon_values = []    # An empty list
6 for i in range(ts_length):
7     e = normalvariate(0, 1)
8     epsilon_values.append(e)
9 plt.plot(epsilon_values, 'b-')
10 plt.show()
```



Import Statements

First, consider the lines

```
1 import matplotlib.pyplot as plt
2 from random import normalvariate
```

Here matplotlib and random are two separate **modules**

- module = file containing Python code

Importing a module makes the functionality in the module available to the user



Example. Importing the module `random` causes Python to

- run the code in library file `random.py`
- initializes variables, functions, etc. in the file
- provides access to them via `random.name_of_object`

```
>>> import random
>>> random.normalvariate(0, 1)
-0.12451500570438317
>>> random.uniform(-1, 1)
0.35121616197003336
```



You can also just import the names directly, like so

```
>>> from random import normalvariate, uniform
>>> normalvariate(0, 1)
-0.38430990243287594
>>> uniform(-1, 1)
0.5492316853602877
```



Lists

Statement `epsilon_values = []` creates an empty list

Lists: a Python data structure used to group objects

```
>>> x = [10, 'foo', False]
>>> type(x)
<type 'list'>
```

Note that different types of objects can be combined in a single list



Adding a value to a list: `list_name.append(some_value)`

```
>>> x
[10, 'foo', False]
>>> x.append(2.5)
>>> x
[10, 'foo', False, 2.5]
```

- `append()` is an example of a **method**
- **method** = a function "attached to" an object



More examples of list methods:

```
>>> x
[10, 'foo', False, 2.5]
>>> x.pop()
2.5
>>> x
[10, 'foo', False]
>>> x.reverse()
>>> x
[False, 'foo', 10]
```



In general, different types of objects have different methods

- list objects have list methods
- string objects have string methods, etc.

Examples of string methods:

```
>>> s = 'foobar'
>>> s.endswith('bar')
True
>>> s.upper()
'FOOBAR'
```



Warning: Like C, Java, etc., lists in Python are zero based

```
>>> x
[10, 'foo', False]
>>> x[0]
10
>>> x[1]
'foo'
```



The for Loop

Consider again these lines from `test_program_1.py`

```
5 epsilon_values = []    # An empty list
6 for i in range(ts_length):
7     e = normalvariate(0, 1)
8     epsilon_values.append(e)
```

Lines 7–8 are the **code block** of the for loop

Reduced indentation signals lower limit of the code block



Comments on Indentation

In Python **all** code blocks are delimited by indentation

- more consistency, less clutter

Notes:

- Line before start of code block always ends with :
- All lines in a code block must have same indentation
- The Python standard is 4 spaces—please use it
- Tabs and spaces are different
 - But Jupyter will add 4 spaces when you hit Tab
 - So will Vim with the vimrc I gave you



While Loops

Here's the same program with a while loop (test_program_2.py)

```
1 import matplotlib.pyplot as plt
2 from random import normalvariate
3 ts_length = 100
4 epsilon_values = []
5 i = 0
6 while i < ts_length:
7     e = normalvariate(0, 1)
8     epsilon_values.append(e)
9     i = i + 1
10 plt.plot(epsilon_values, 'b-')
11 plt.show()
```



User-Defined Functions

Now let's go back to the for loop

—but restructure our program to illustrate functions

To this end, we will break our program into two parts:

1. A **user-defined function** that generates a list of random variables
2. The main part of the program, which
 1. calls this function to get data
 2. plots the data



test_program_3.py

```
1  import matplotlib.pyplot as plt
2  from random import normalvariate
3
4  def generate_data(n):
5      epsilon_values = []
6      for i in range(n):
7          e = normalvariate(0, 1)
8          epsilon_values.append(e)
9      return epsilon_values
10
11 data = generate_data(100)
12 plt.plot(data, 'b-')
13 plt.show()
```



Our function `generate_data()` is rather limited

Let's make it more flexible by giving it the ability to return either

- standard normals, or
- uniform rvs on $(0,1)$

This is done in `test_program_4.py`



```
1 import matplotlib.pyplot as plt
2 from random import normalvariate, uniform
3
4 def generate_data(n, generator_type):
5     epsilon_values = []
6     for i in range(n):
7         if generator_type == 'U':
8             e = uniform(0, 1)
9         else:
10            e = normalvariate(0, 1)
11            epsilon_values.append(e)
12    return epsilon_values
13
14 data = generate_data(100, 'U')
15 plt.plot(data, 'b-')
16 plt.show()
```



In fact we can get rid of the conditionals all together

Method: pass the desired generator type **as a function**

To understand this, consider `test_program_6.py`




```
1 import matplotlib.pyplot as plt
2 from random import normalvariate, uniform
3
4 def generate_data(n, generator_type):
5     epsilon_values = []
6     for i in range(n):
7         e = generator_type(0, 1)
8         epsilon_values.append(e)
9     return epsilon_values
10
11 data = generate_data(100, uniform)
12 plt.plot(data, 'b-')
13 plt.show()
```



We can even go a step further and pass in all arguments to the function



```
1  import matplotlib.pyplot as plt
2  from random import normalvariate, uniform
3
4  def generate_data(n, generator_type, *args):
5      epsilon_values = []
6      for i in range(n):
7          e = generator_type(*args)
8          epsilon_values.append(e)
9      return epsilon_values
10
11 data = generate_data(100, uniform, 0, 1)
12 plt.plot(data, 'b-')
13 plt.show()
```



Using the Scientific Libraries

In fact the scientific libraries will do all this more efficiently

For example, try

```
>>> from numpy.random import randn
>>> epsilon_values = randn(3)
>>> epsilon_values
array([-0.15591709, -0.67383208, -0.45932047])
```



Exercise

Simulate and plot the correlated time series

$$x_{t+1} = \alpha x_t + \epsilon_{t+1} \quad \text{where} \quad x_0 = 0 \quad \text{and} \quad t = 0, \dots, T$$

Here $\{\epsilon_t\} \stackrel{\text{iid}}{\sim} N(0, 1)$

In your solution, restrict your import statements to

```
from random import normalvariate
import matplotlib.pyplot as plt
```

Set $T = 200$ and $\alpha = 0.9$



Solution

```
import matplotlib.pyplot as plt
from random import normalvariate
```

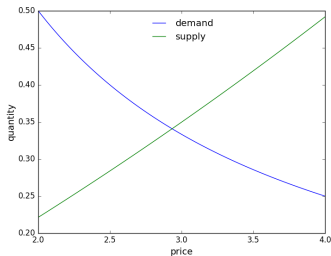
```
alpha = 0.9
ts_length = 200
x = 0
```

```
x_values = []
for i in range(ts_length):
    x_values.append(x)
    x = alpha * x + normalvariate(0, 1)
plt.plot(x_values, 'b-')
plt.show()
```



Homework

Computing equilibrium prices and quantities



See

https://github.com/jstac/quantecon_nyu_2016/tree/master/homework_assignments/hw_set2

