

# Hash, authentication , and TLS (Transport Layer Security)

CE 352, Computer Networks  
Salem Al-Agtash

Lecture 25

Slides are adapted from Computer Networking: A Top Down Approach, 7<sup>th</sup> Edition © J.F Kurose and K.W. Ross

# Recap (network security)

- ▣ *Security*: well-being of information and infrastructures and rests on:
  - ▣ *confidentiality*: only sender, intended receiver should “understand” message contents
    - ▣ sender encrypts message and receiver decrypts message
  - ▣ *message integrity*: sender, receiver want to ensure message not altered (in transit, or afterwards) without detection
  - ▣ *authentication*: sender, receiver want to confirm identity of each other
  - ▣ *access and availability*: services must be accessible and available to users

# Recap (to cover)

## Cryptography

- ❑ Secret key algorithms: DES/AES
- ❑ Public key algorithms: RSA
- ❑ One-way hash functions and message integrity: MD5, SHA2

End-point authentication, access control, public key infrastructure, digital signature

## Securing the Internet

- ❑ Application layer security: Securing email
- ❑ Transport layer security: Securing TCP connection - SSL
- ❑ Network layer security: IPsec and VPN
- ❑ Data link layer security: Wireless LAN

# Recap (Simple encryption scheme)

*substitution cipher*: substituting one thing for another

- monoalphabetic cipher: substitute one letter for another

plaintext:    a b c d e f g h i j k l m n o p q r s t u v w x y z

ciphertext:    m n b v c x z a s d f g h j k l p o i u y t r e w q

🔑 *Encryption key*: mapping from set of 26 letters to set of 26 letters

Caesar Cipher: Mathematically give each letter a number

a	b	c	d	e	f	g	h	i	j	k	l	m	n	o	p	q	r	s	t	u	v	w	x	y	z
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25

Then have Caesar cipher as:

$$C = E(p) = (p + k) \bmod (26)$$

$$p = D(C) = (C - k) \bmod (26)$$

Total of  $26! = 4 \times 10^{26}$  keys , Secure?

Problem is language characteristics

Human languages are **redundant**

Letters are not equally commonly used

More sophisticated encryption: transposition and product

# Recap(Symmetric key crypto: DES)

## *DES operation*

initial permutation

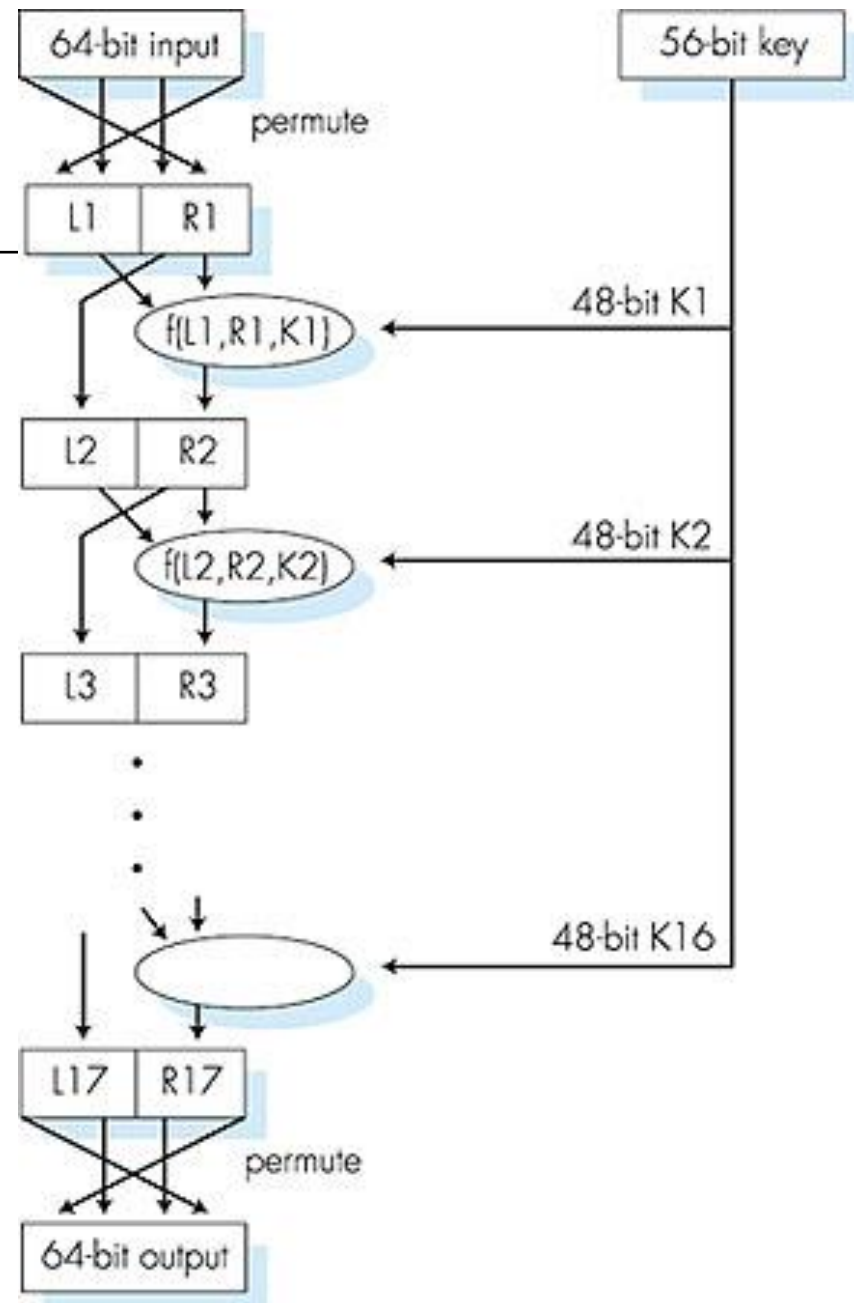
16 identical “rounds” of function

(Mangler) application, each using different 48 bits of key  
final permutation

Brute force search attack possible

Replacement:

- ▣ 3DES, but performance issues
- ▣ AES:
  - ▣ processes data in 128 bit blocks (DES: 64 bits data block)
  - ▣ 128, 192, or 256 bit keys (DES: 56 and 3DES: 168 bits)



# Recap (Public key encryption algorithms)

requirements:

- ① need  $K_B^+(\cdot)$  and  $K_B^-(\cdot)$  such that  $K_B^-(K_B^+(m)) = m$
- ② given public key  $K_B^+$ , it should be impossible to compute private key  $K_B^-$

Important characteristics:

- ❑ computationally infeasible to find decryption key knowing only algorithm & encryption key
- ❑ computationally easy to en/decrypt messages when the relevant (en/decrypt) key is known
- ❑ either of the two related keys can be used for encryption, with the other used for decryption (in some schemes)

# Recap (Security of Public Key Schemes)

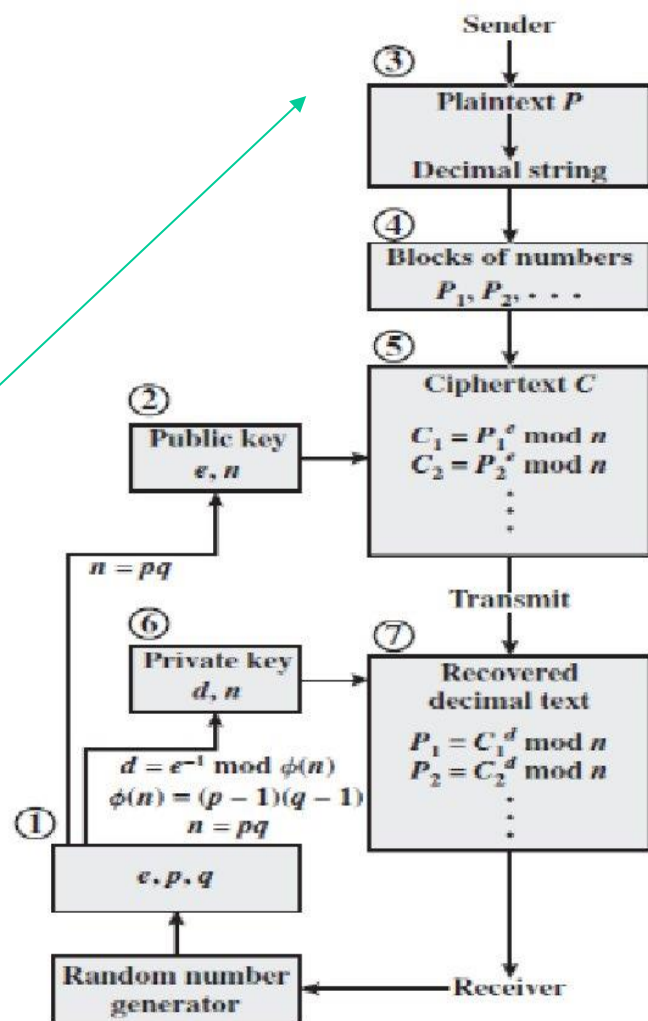
- brute force *exhaustive search* attack is always theoretically possible
- but keys used are too large (>512bits)
- security relies on a *large enough* difference in difficulty between *easy* (en/decrypt) and *hard* (cryptanalyse) problems
- more generally the *hard* problem is known, but is made hard enough to be impractical to break
- requires the use of *very large numbers*
- hence is *slow* compared to other schemes

RSA:

1. choose two large prime numbers  $p, q$ .  
(e.g., 1024 bits each)
2. compute  $n = pq$ ,  $z = (p-1)(q-1)$
3. choose  $e$  (with  $e < n$ ) that has no common factors with  $z$  ( $e, z$  are “relatively prime”).
4. choose  $d$  such that  $ed-1$  is exactly divisible by  $z$ .  
(in other words:  $ed \bmod z = 1$ ).
5. public key is  $(n, e)$ . private key is  $(n, d)$ .

$K_B^+$

$K_B^-$



# Example

Consider RSA with  $p=3$  and  $q=11$ .

What are  $n$  and  $z$ ?

$$n = p \cdot q = 33, z = (p-1)(q-1) = 20$$

Let  $e$  be 9.

$e = 9$  is less than  $n$  and has no common factors with  $z$ .

Find  $d$  such that  $ed - 1$ , divisible by  $z \rightarrow (kz+1)/e$

with  $k=4, d = 9$

Encode the word "dog" by encrypting each letter separately.

$d = 4, o = 15$  and  $g = 7$ .

letter	m	$m \cdot e$	ciphertext = $m \cdot e \bmod 33$
d	4	262144	25
o	15	38443359375	3
g	7	40353607	19

ciphertext	$c \cdot d$	$m = c \cdot d \bmod n$	letter
25	38146972265625	4	d
3	19683	15	o
19	322687697779	7	g

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 $K_B^+$   $K_B^-$



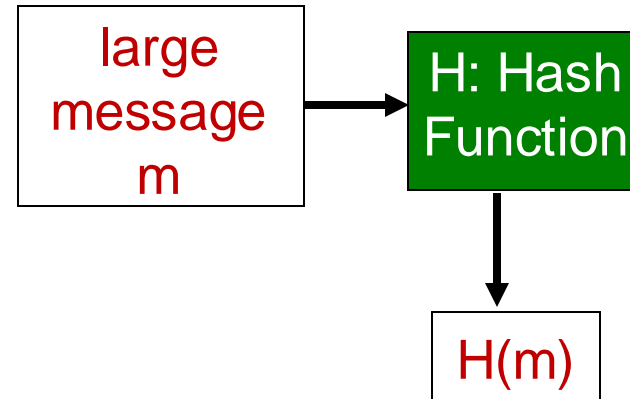
# Hashes and message digests

computationally expensive  
to public-key-encrypt long  
messages

*goal:* fixed-length, easy-  
to-compute digital  
“fingerprint”

apply hash function  $H$  to  $m$ , get  
fixed size message digest,  
 $H(m)$ .

Hash is also called message  
digest



Hash function properties:

many-to-1

produces fixed-size msg digest  
(fingerprint)

given message digest  $x$ ,  
computationally infeasible to  
find  $m$  such that  $x = H(m)$

# Hash function algorithms

Maps a message  $M$  as a “message digest”  $X = H(M)$  of constant length, e.g. 128, 160, or 256 bits.

- ▣ Well-known examples: MD5, SHA-1, RIPEMD-160, SHA-256.

## MD5 hash function widely used (RFC 1321)

- ▣ computes 128-bit message digest in 4-step process.

## SHA-1 is also used

- ▣ US standard [NIST, FIPS PUB 180-1]
- ▣ 160-bit message digest

## Security requirement

- ▣ One-way. Given a message digest  $X$ , it should be “hard” to find a message  $M$  satisfying  $X = H(M)$ .
- ▣ Collision resistance. It should be “hard” to find two messages  $M_1 \neq M_2$  such that  $H(M_1) = H(M_2)$ .

# Properties of a hash function

1. H can be applied to a **block of data** of any size.
2. H produces a fixed-length output.
3.  $H(m)$  is relatively **easy to compute** for any given  $m$ , making both hardware and software implementations practical.
4. For any given value  $h$ , it is computationally infeasible to find  $m$  such that  $H(m) = h \rightarrow$  **one-way property**.
5. For any given block  $m$ , it is computationally infeasible to find  $n \neq m$  such that  $H(n) = H(m)$ .  $\rightarrow$  **weak collision resistance**.
6. It is computationally infeasible to find pair  $m, n$  such that  $H(m) = H(n)$ .  $\rightarrow$  **strong collision resistance**

# Digital signatures

cryptographic technique analogous to hand-written signatures:

sender (Bob) digitally signs document, establishing he is document owner/creator.

*verifiable, nonforgeable*: recipient (Alice) can prove to someone that Bob, and no one else (including Alice), must have signed document

# Digital signatures

## simple digital signature for message $m$ :

Bob signs  $m$  by encrypting with his private key  $K_B^-$ , creating “signed” message,  $K_B^-(m)$

Bob's message,  $m$

Dear Alice  
Oh, how I have missed  
you. I think of you all the  
time! ...(blah blah blah)  
Bob



$K_B^-$  Bob's private  
key

Public key  
encryption  
algorithm

$m, K_B^-(m)$

Bob's message,  
 $m$ , signed  
(encrypted) with  
his private key

# Digital signatures

- suppose Alice receives msg  $m$ , with signature:  $m, K_B^-(m)$
- Alice verifies  $m$  signed by Bob by applying Bob's public key  $K_B^+$  to  $K_B^-(m)$  then checks  $K_B^+(K_B^-(m)) = m$ .
- If  $K_B^+(K_B^-(m)) = m$ , whoever signed  $m$  must have used Bob's private key.

Alice thus verifies that:

- Bob signed  $m$
- no one else signed  $m$
- Bob signed  $m$  and not  $m'$

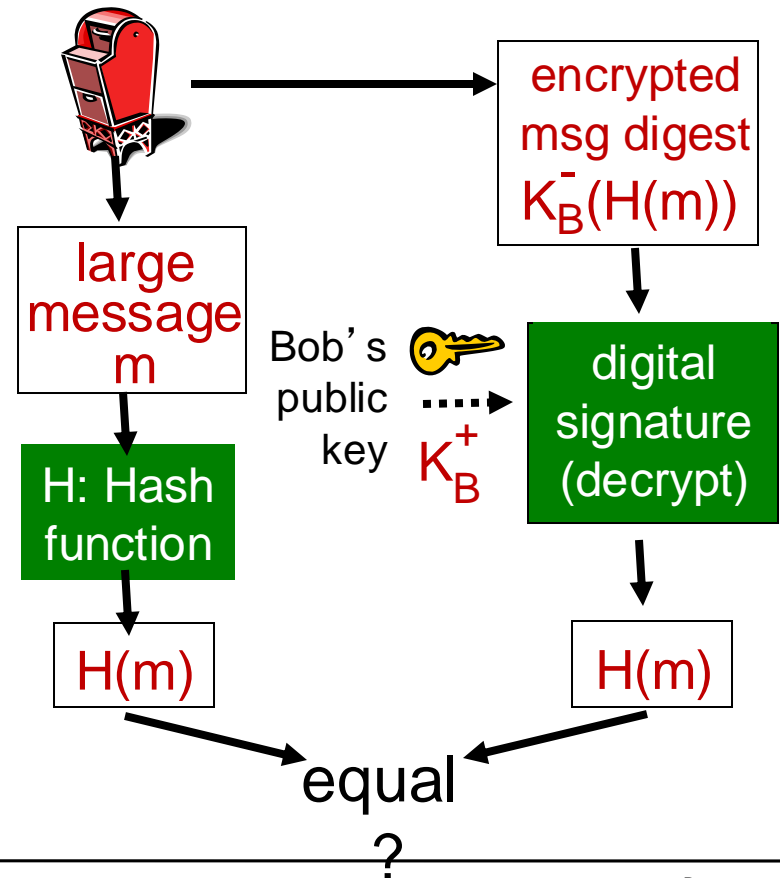
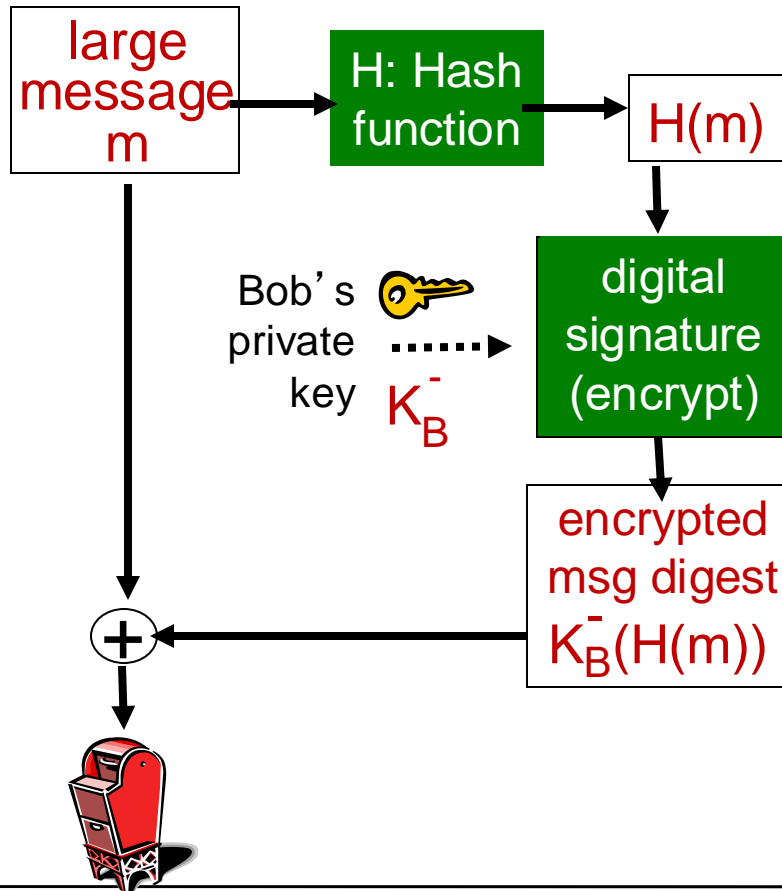
non-repudiation:

- ✓ Alice can take  $m$ , and signature  $K_B^-(m)$  to court and prove that Bob signed  $m$

# Digital signature = signed message digest

Bob sends digitally signed message:

Alice verifies signature, integrity of digitally signed message:



# Authentication

*Goal:* Bob wants Alice to “prove” her identity to him

*Protocol ap1.0:* Alice says “I am Alice”



Failure scenario??

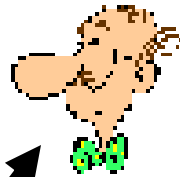




# Authentication

*Goal:* Bob wants Alice to “prove” her identity to him

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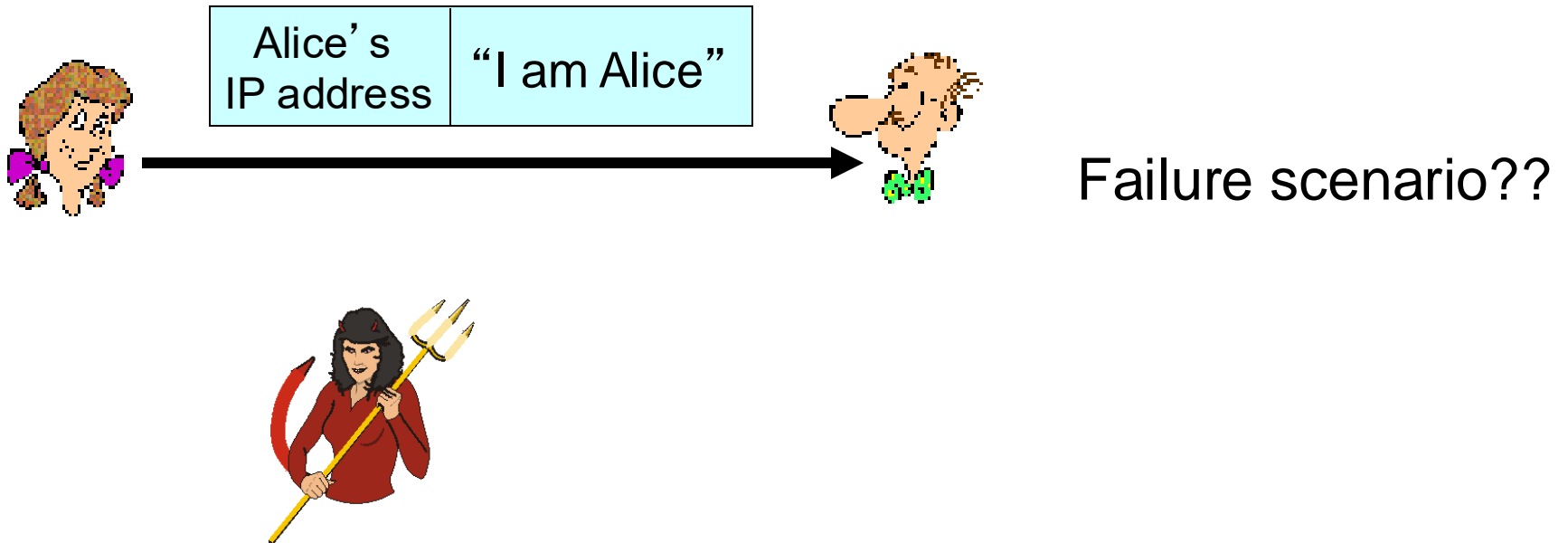


“I am Alice”

in a network,  
Bob can not “see” Alice,  
so Trudy simply declares  
herself to be Alice

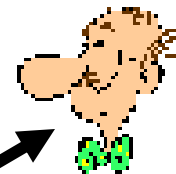
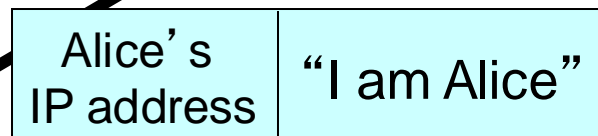
# Authentication: another try

*Protocol ap2.0:* Alice says “I am Alice” in an IP packet containing her source IP address



# Authentication: another try

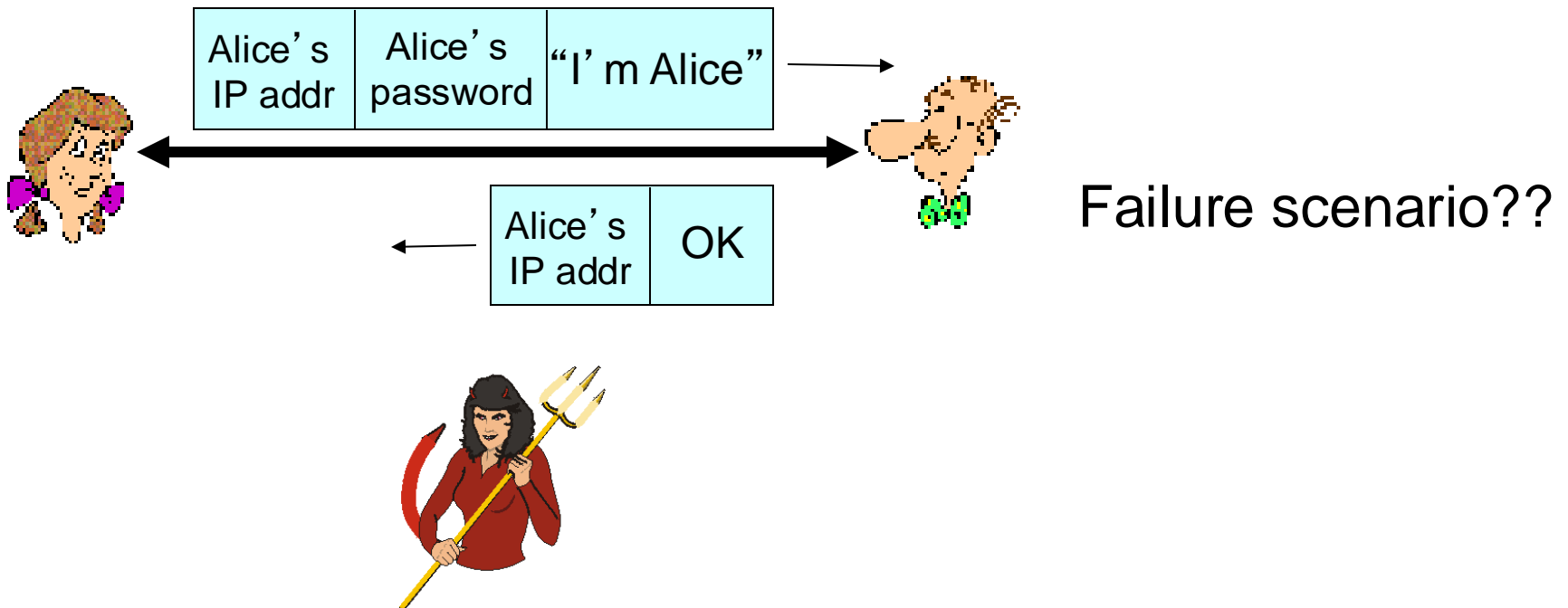
*Protocol ap2.0:* Alice says “I am Alice” in an IP packet containing her source IP address



Trudy can create a packet “spoofing” Alice’s address

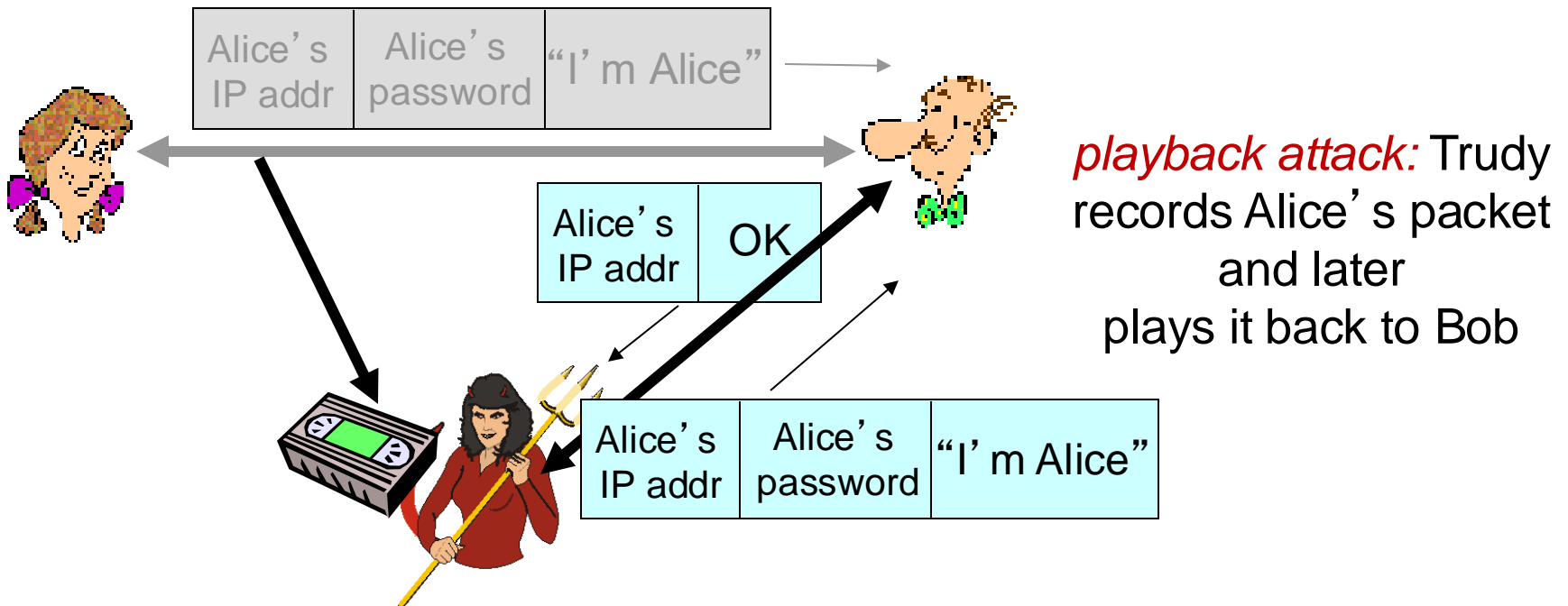
# Authentication: another try

*Protocol ap3.0:* Alice says “I am Alice” and sends her secret password to “prove” it.



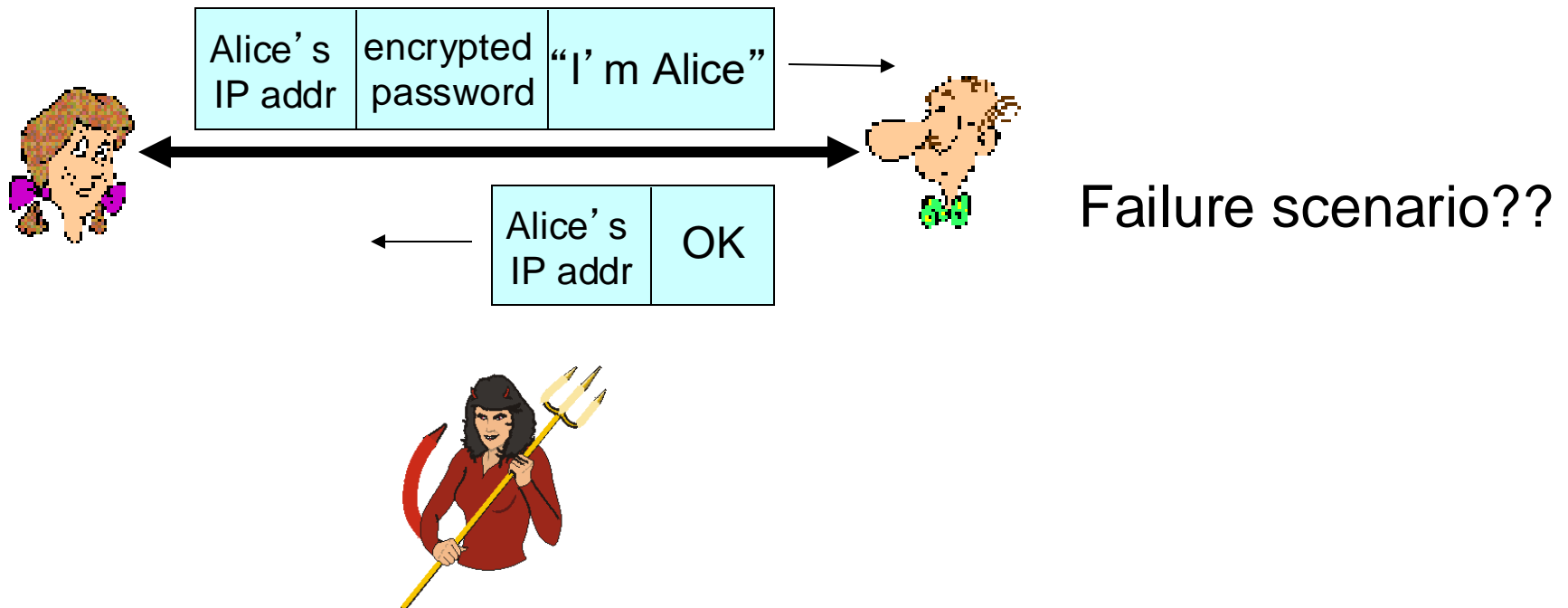
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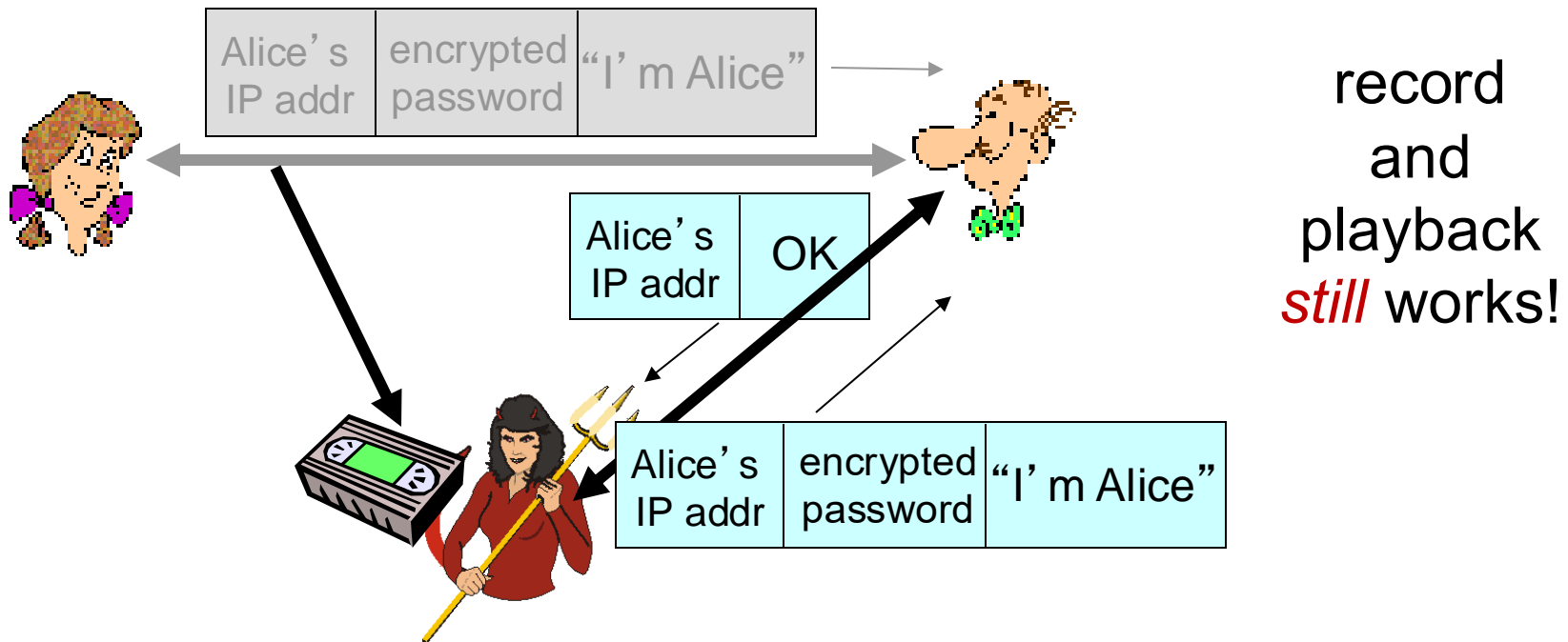
# Authentication: yet another try

*Protocol ap3.1:* Alice says “I am Alice” and sends her *encrypted* secret password to “prove” it.



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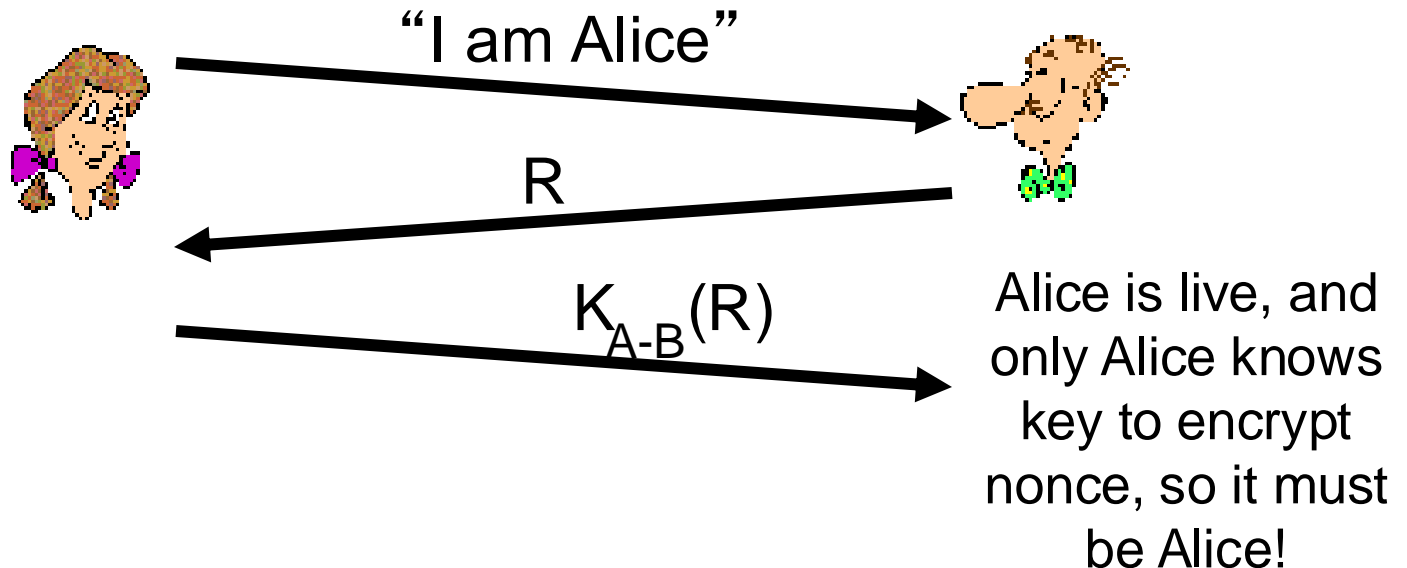


# Authentication: yet another try

*Goal:* avoid playback attack

*nonce:* number (R) used only *once-in-a-lifetime*

*ap4.o:* to prove Alice “live”, Bob sends Alice *nonce*, R. Alice must return R, encrypted with shared secret key



**Drawbacks:** requires shared symmetric key

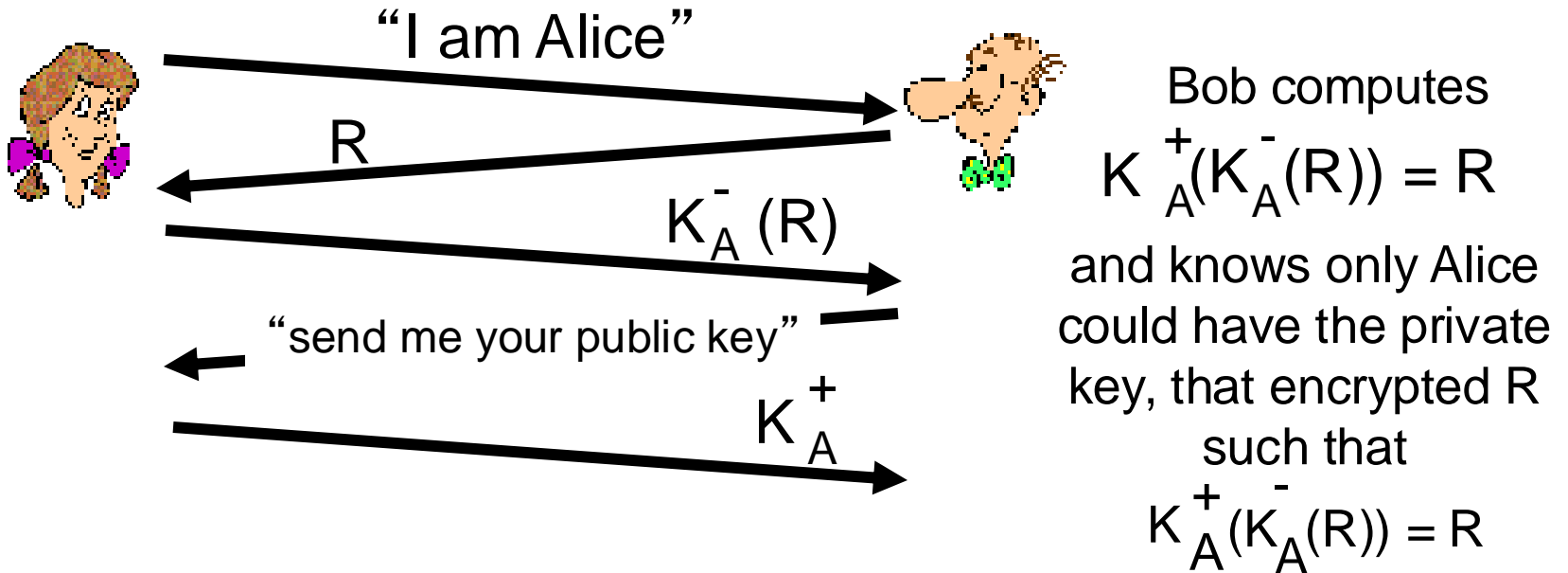


# Authentication: ap5.0

ap4.0 requires shared symmetric key

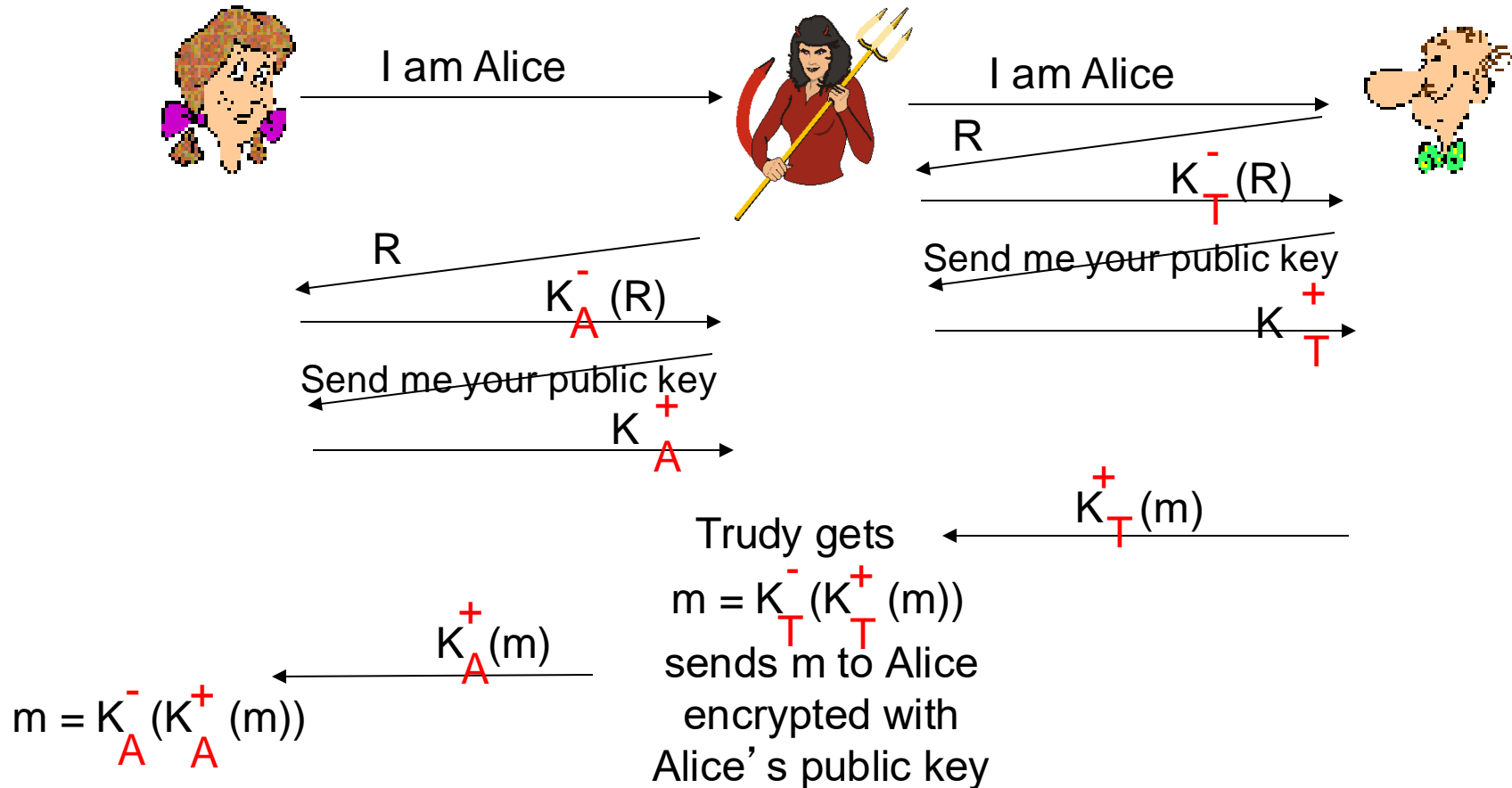
can we authenticate using public key techniques?

*ap5.0*: use nonce, public key cryptography



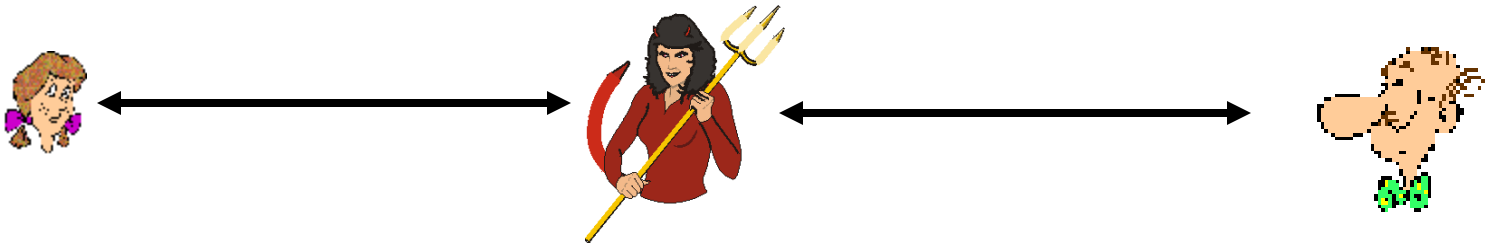
# ap5.0: security hole

*man (or woman) in the middle attack:* Trudy poses as Alice (to Bob) and as Bob (to Alice)



# ap5.0: security hole

*man (or woman) in the middle attack:* Trudy poses as Alice (to Bob) and as Bob (to Alice)



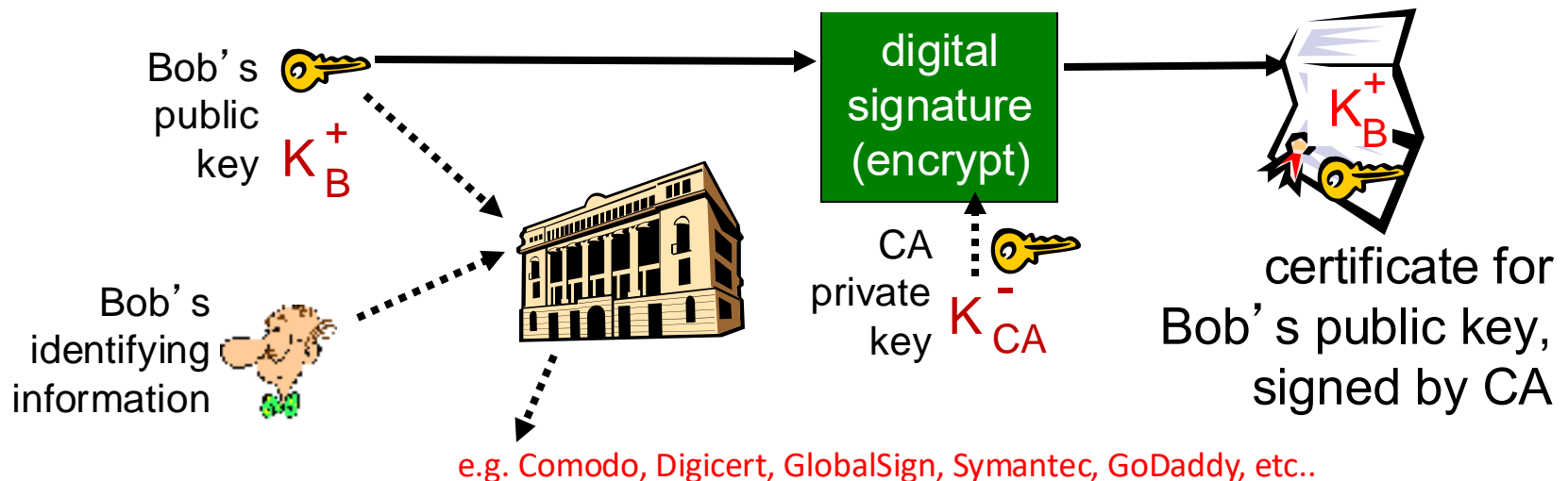
difficult to detect:

- Bob receives everything that Alice sends, and vice versa. (e.g., so Bob, Alice can meet one week later and recall conversation!)
- problem is that Trudy receives all messages as well!

# Public key certification → Certification authorities

*certification authority (CA)*: binds public key to particular entity, E.  
E (person, router) registers its public key with CA.

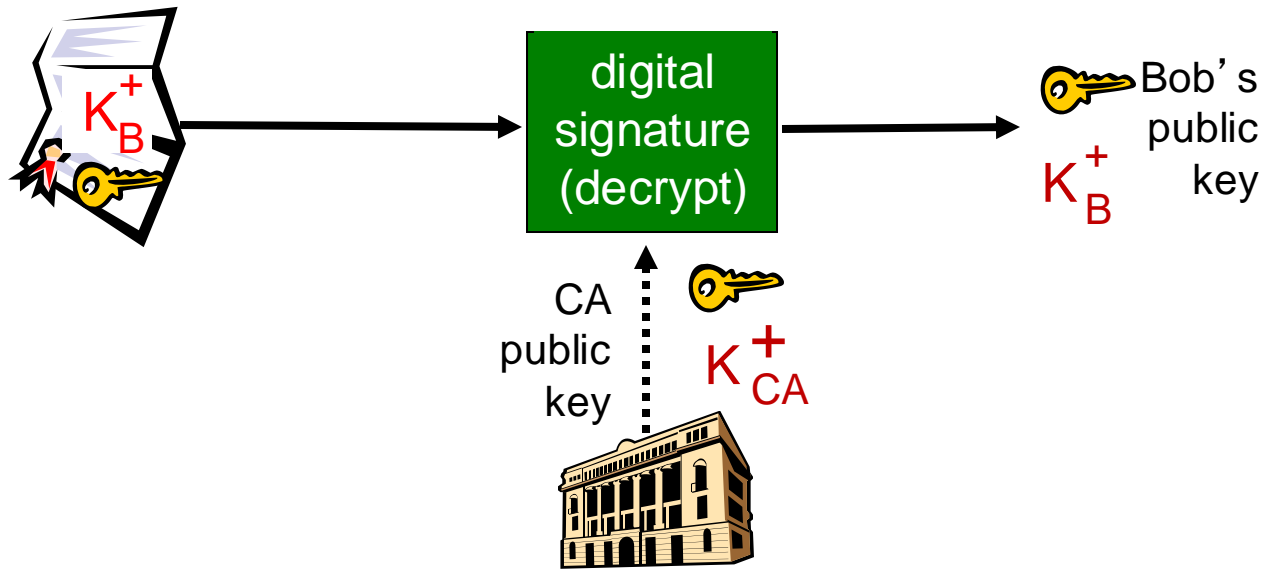
- E provides “proof of identity” to CA.
- CA creates certificate binding E to its public key.
- certificate containing E’s public key digitally signed by CA – CA says “this is E’s public key”



# Certification authorities

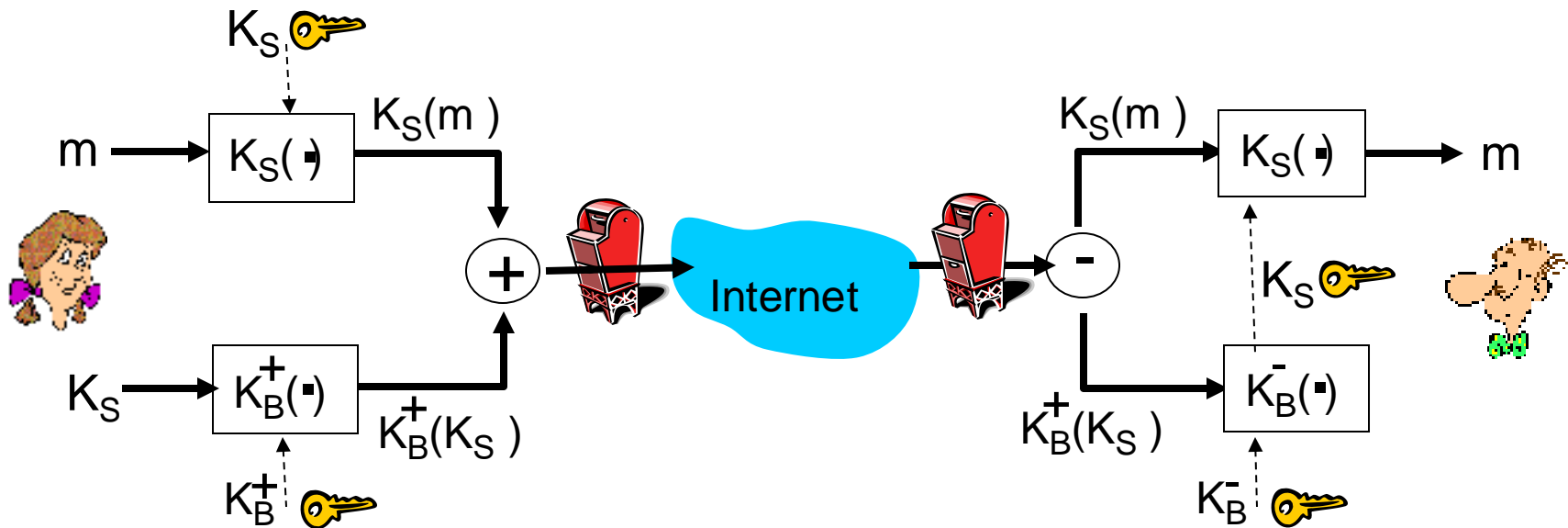
when Alice wants Bob's public key:

- ▣ gets Bob's certificate (Bob or elsewhere).
- ▣ apply CA's public key to Bob's certificate, get Bob's public key



# Secure e-mail

Alice wants to send **confidential e-mail**,  $m$ , to Bob.

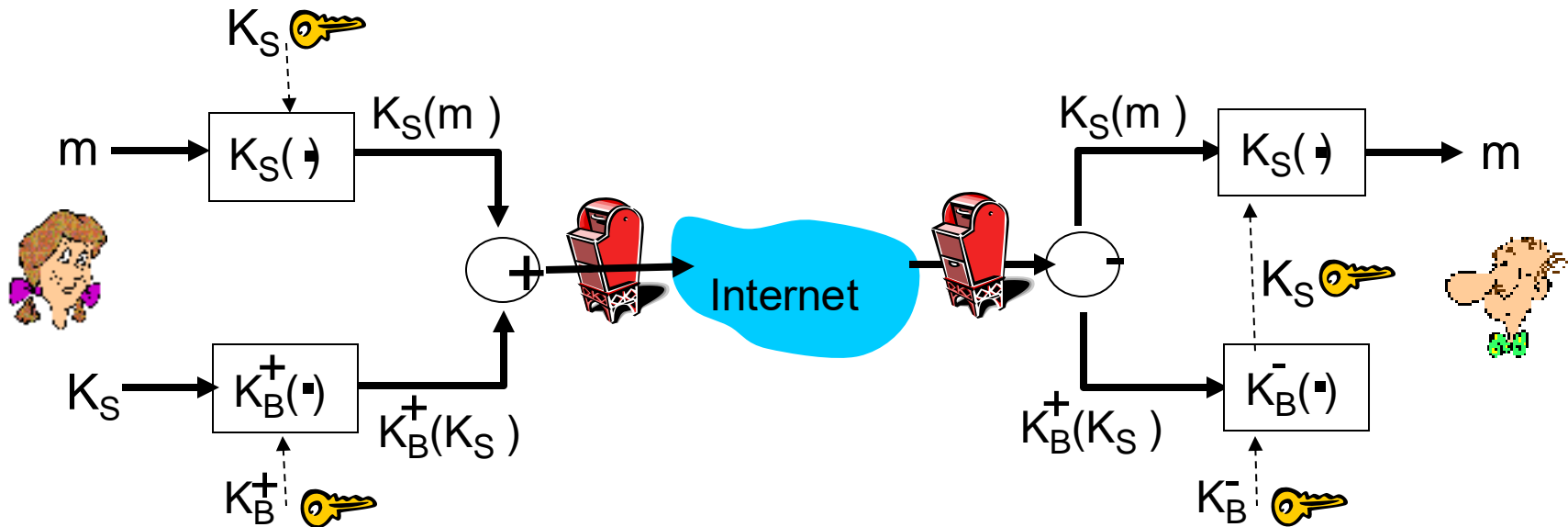


**Alice:**

- generates random *symmetric* private key,  $K_S$
- encrypts message with  $K_S$  (for efficiency)
- also encrypts  $K_S$  with Bob's public key
- sends both  $K_S(m)$  and  $K_B(K_S)$  to Bob

# Secure e-mail

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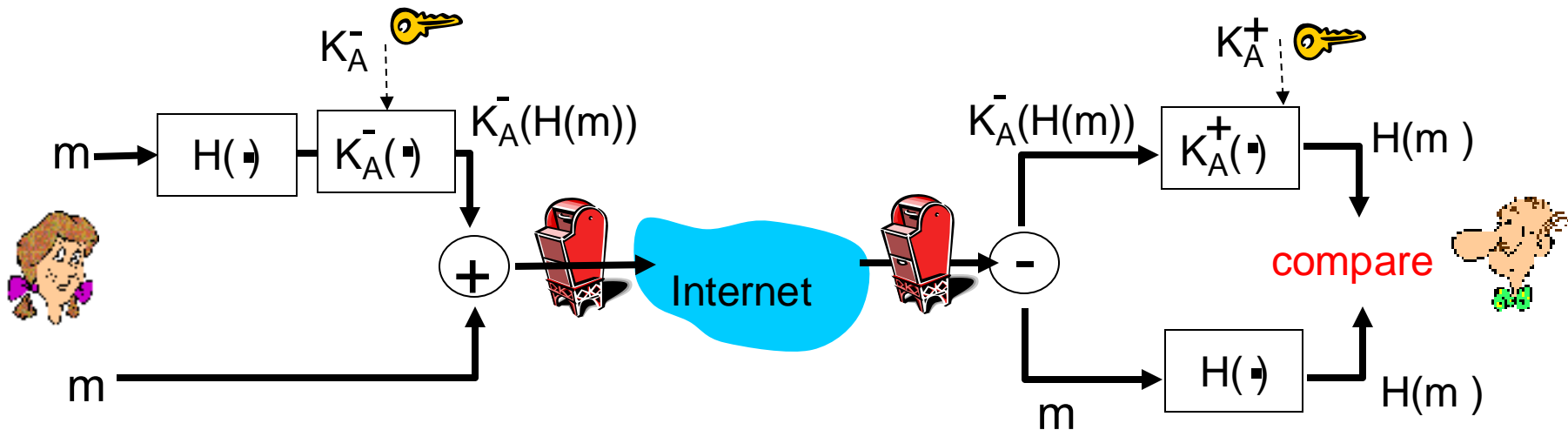
**Bob:**

- uses his private key to decrypt and recover  $K_S$
- uses  $K_S$  to decrypt  $K_S(m)$  to recover  $m$

**public key encryption is relatively inefficient, particularly for long messages.**

# Secure e-mail (continued)

Alice wants to provide **sender authentication** **message integrity**

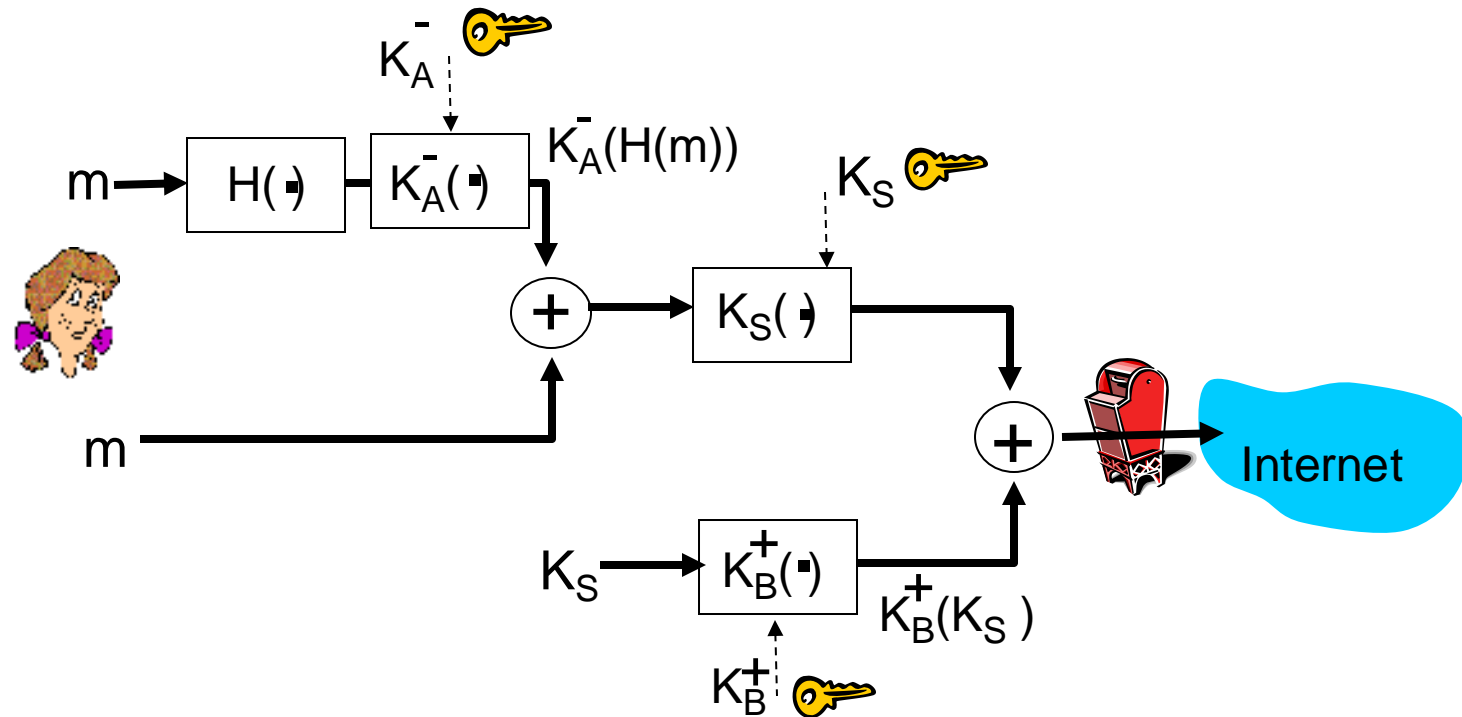


- Alice digitally signs message
- sends both message (in the clear) and digital signature
- Bob obtains Alice's public key via the certificate and uses to get  $H(m)$



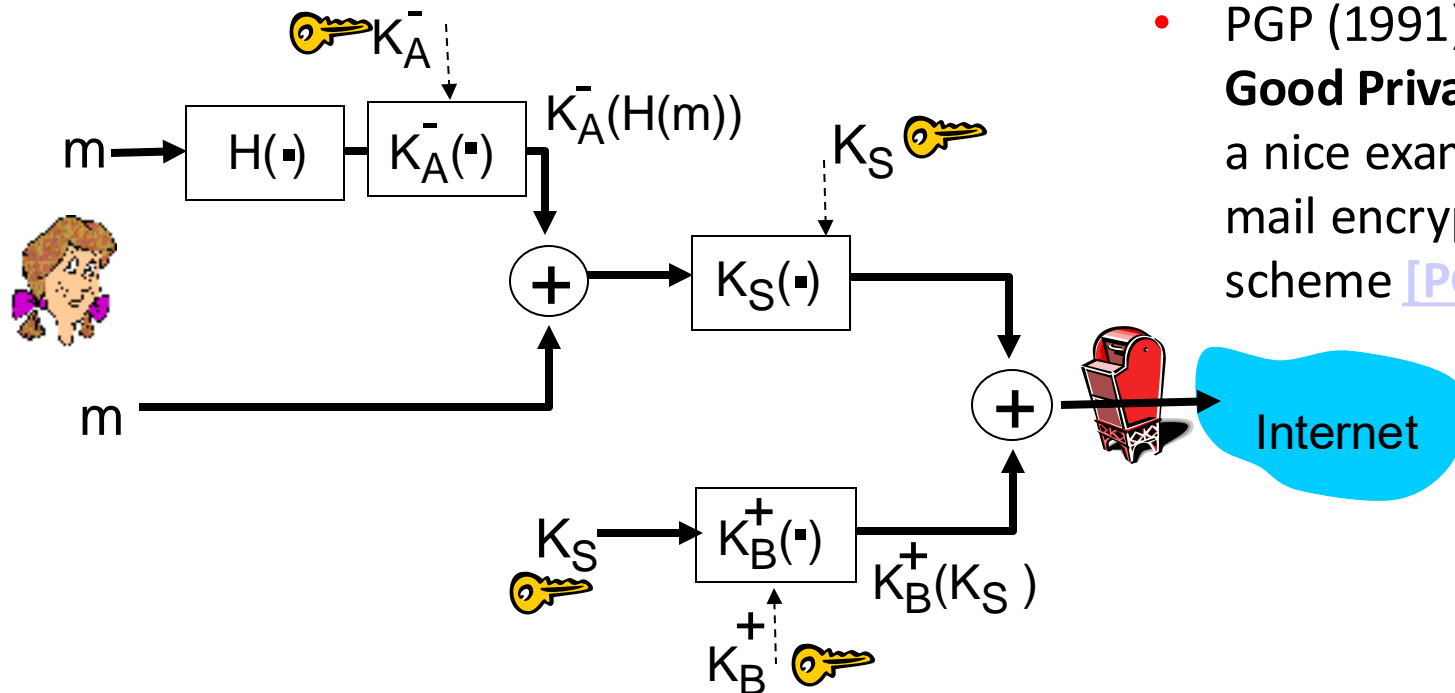
# Secure e-mail (continued)

Alice wants to provide **secrecy, sender authentication, message integrity**.



**Alice uses three keys:** her private key, Bob's public key, newly created symmetric key  
**And so she used "symmetric key cryptography, public key cryptography, a hash function, and a digital signature"**

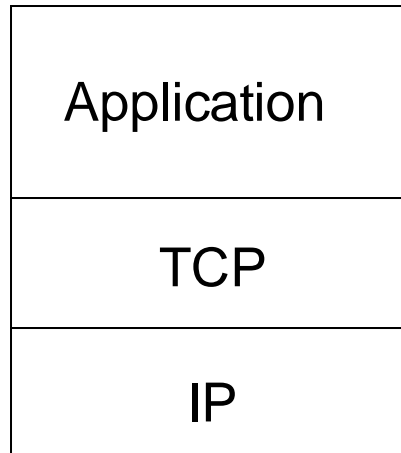
# PGP email encryption



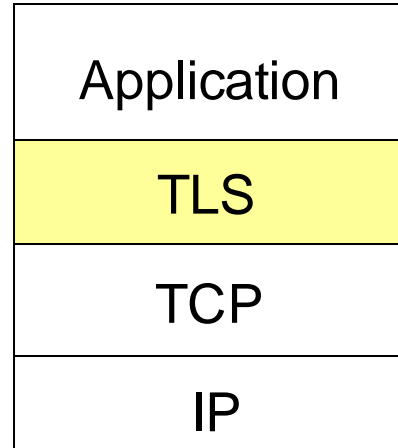
- PGP (1991): **Pretty Good Privacy (PGP)** is a nice example of an e-mail encryption scheme [\[PGPI 2016\]](#)

- but want to send byte streams & interactive data
- want set of secret keys for entire connection
- want certificate exchange as part of protocol: handshake phase

# TLS and TCP/IP



*normal application*



*application with TLS*

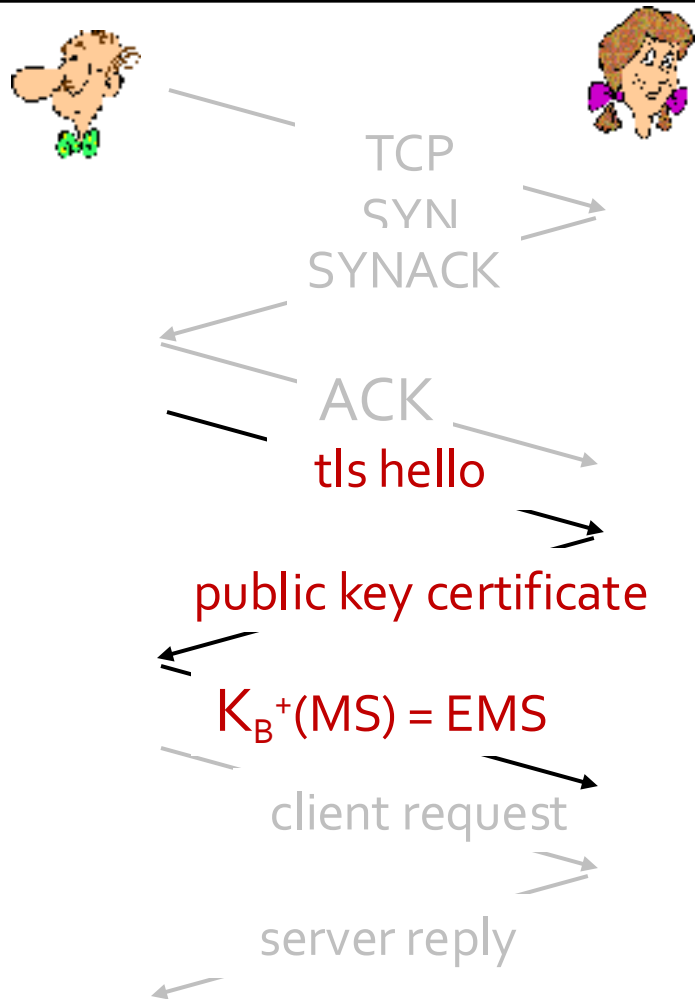
- SSL: Secure Socket Layer → TLS (Transport Layer Security)
- TLS provides application programming interface (API) to applications
- C and Java TLS libraries/classes readily available

# Transport-layer security (TLS)

- widely deployed security protocol above the transport layer
  - supported by almost all browsers, web servers: https (port 443)
- history:
  - early research, implementation: secure network programming, secure sockets
  - secure socket layer (SSL) deprecated [2015]
  - TLS 1.3: RFC 8846 [2018]
- provides:
  - **confidentiality**: via *symmetric encryption*
  - **integrity**: via *cryptographic hashing*
  - **authentication**: via *public key cryptography*

} *all techniques we have studied!*
- activities
  - **handshake**: Alice, Bob use their certificates, private keys to authenticate each other, exchange or create shared secret
  - **key derivation**: Alice, Bob use shared secret to derive set of keys
  - **data transfer**: stream data transfer: data as a series of records
  - **connection closure**: special messages to securely close connection

# TLS: Big picture



**MS**: master secret

**EMS**: encrypted master secret

- Bob establishes TCP connection with Alice
- Bob verifies that Alice is really Alice
- Bob sends Alice a master secret key (MS), used to generate all other keys for TLS session
- potential issues:
  - 3 RTT before client can start receiving data (including TCP handshake)

# SSL cipher suite

## cipher suite

- ❑ public-key algorithm
- ❑ symmetric encryption algorithm
- ❑ .....

## SSL supports several cipher suites

### negotiation: client, server agree on cipher suite

- ❑ client offers choice
- ❑ server picks one

## common SSL symmetric ciphers

- DES – Data Encryption Standard: block
- 3DES – Triple strength: block
- RC2 – Rivest Cipher 2: block
- RC4 – Rivest Cipher 4: stream

## SSL Public key encryption

- RSA

# Real SSL: handshake

## *Purpose*

1. server authentication
2. negotiation: agree on crypto algorithms
3. establish keys
4. client authentication (optional)

# SSL services

## *Fragmentation*

- ▣ Divides the data into blocks of  $2^{14}$  or less

## *Compression*

- ▣ Each fragment of data is compressed using a negotiated method (optional)

## *Message Integrity*

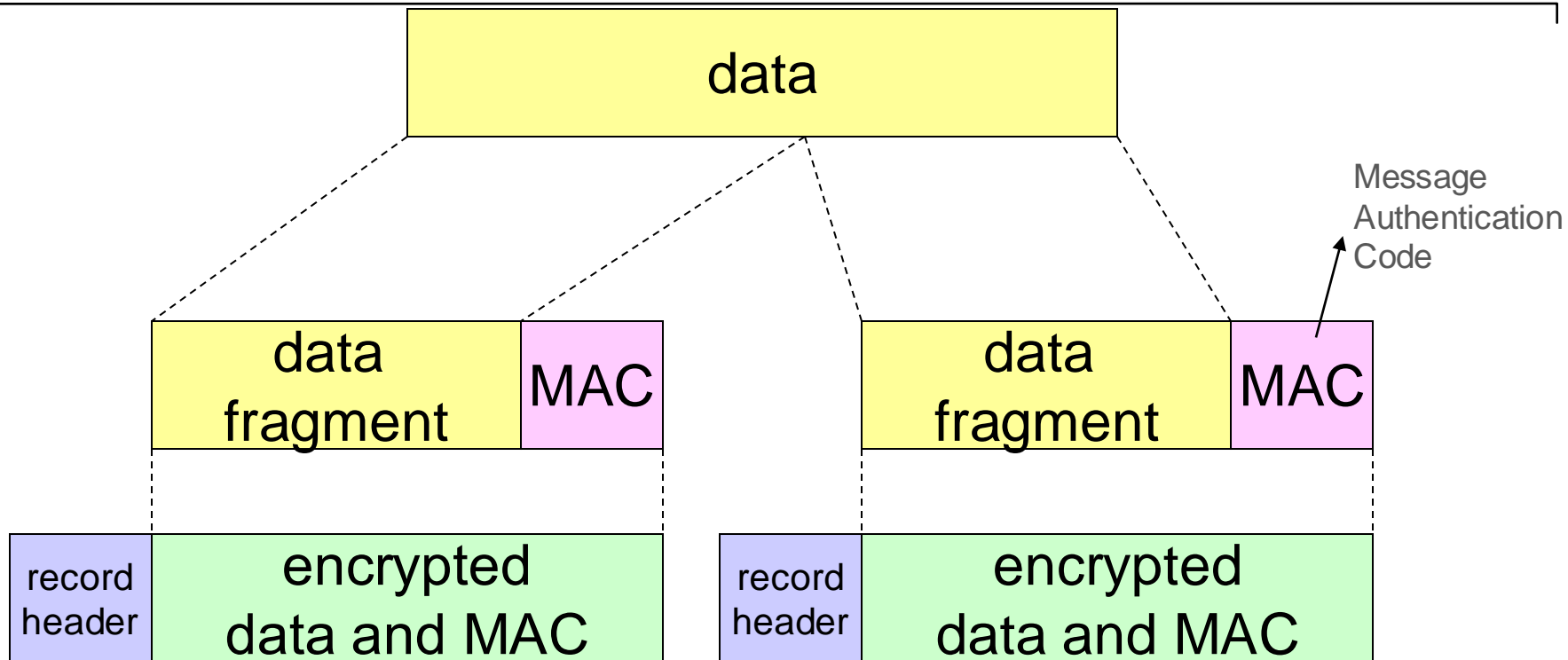
- ▣ Uses key-hashed function to create MAC (Message Authenticated code)

## *Confidentiality*

- ▣ Original data and the MAC are encrypted using symmetric key cryptography



# SSL record protocol



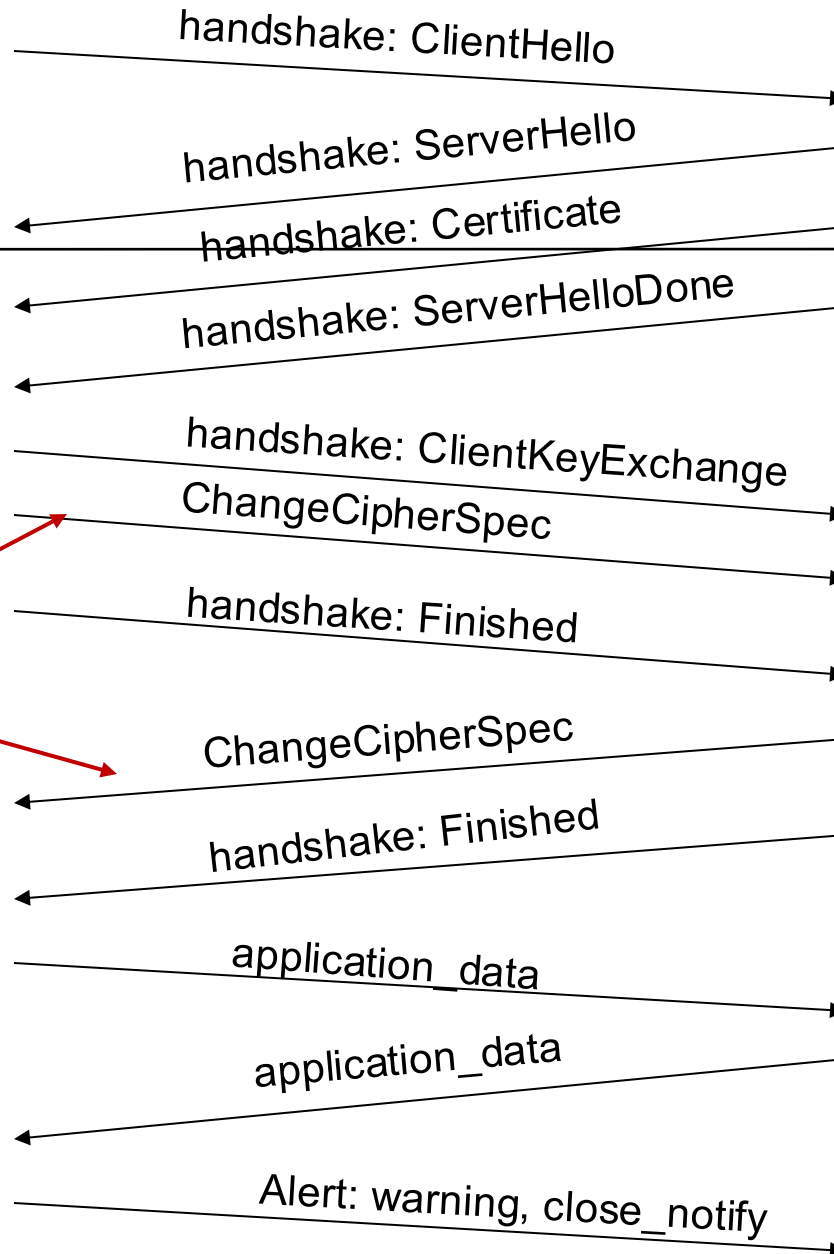
*record header:* content type; version; length

*MAC:* includes sequence number, MAC key  $M_x$

*fragment:* each SSL fragment  $2^{14}$  bytes (~16 Kbytes)

# Real SSL connection

*everything  
henceforth  
is encrypted*



# Key derivation

client nonce, server nonce, and pre-master secret input into pseudo random-number generator.

- ▣ produces master secret

master secret and new nonces input into another random-number generator: “key block”

key block sliced and diced:

- ▣ client MAC key
- ▣ server MAC key
- ▣ client encryption key
- ▣ server encryption key
- ▣ client initialization vector (IV)
- ▣ server initialization vector (IV)

# Summary

## Today:

- Hashes and message digests
- Hash function algorithms
- Digital signatures
- Authentication
- Public key certification authorities
- Secure email and TLS

## Next time:

- read 8.7, 8.8 and 8.9 of K&R (Ipsec, Secure wireless LAN, IDS,...)
- follow on Canvas! material and announcements

Any questions?