### Link layer Error detection and correction

CE 352, Computer Networks
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Lecture 19

Slides are adapted from Computer Networking: A Top Down Approach, 7<sup>th</sup> Edition © J.F Kurose and K.W. Ross

## Recall (Layers)

- Protocols, reference model, layers
- Internet protocol stack

#### Today

- Data link layer
  - Error detection and correction
  - Multiple access protocol broadcast channels: Aloha, CSMA/CD
  - Link layer addressing: MAC and ARP
  - Local area networks: Ethernet,
     VI ANS

Bits Web Browser (HTTP) Email (SMTP, IMAP, POP3) Remote Login (Telnet) Name Resolution (DNS) File Transfer (FTP, TFTP) Port: 16 Transmission Control Protocol (TCP) **User Datagram Protocol (UDP)** IPv4: 32 Vetwork Internet Protocol IP OR **OSPF, BGP, SNMP, ICMP** IPv6· 128 Error detection/correction **Ethernet and VLAN** MAC: 48 **MAC Protocols: Aloha, CSMA Copper Twisted Pair Fiber Optic** Radio

## Terminology

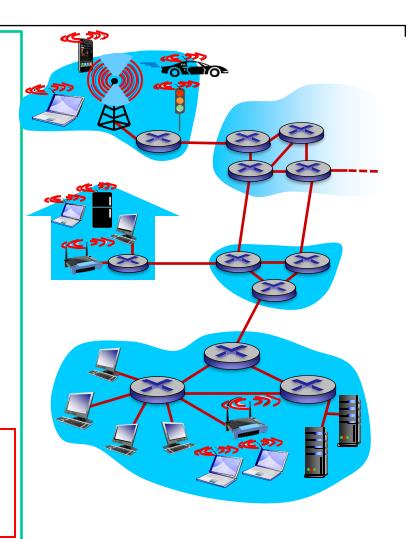
nodes: Hosts and routers

links: communication channels that connect adjacent nodes along communication path

- wired links
- wireless links
- WANs, LANs

layer-2 packet: frame, encapsulates datagram

data-link layer has responsibility of transferring datagram from one node to physically adjacent node over a link



### Context

Datagram transferred by different link protocols over different links:

 e.g., Ethernet on first link (LAN), fiber (SONET, SDH) intermediate links (WAN), 802.11 on last link (LAN)

Each link protocol provides different services

e.g., may or may not provide rdt over link

### transportation analogy:

trip from Princeton to Lausanne

- limo: New York to JFK
- plane: JFK to Geneva
- train: Geneva to Lausanne

tourist = datagram

transport segments =

communication links

transportation mode = link layer protocol

travel agent = routing algorithm

## Link layer services

### framing, link access:

- encapsulate datagram into frame, adding header, trailer
- channel access at shared medium Multiple Access Protocols
- "MAC" addresses used in frame headers to identify source, destination
  - different from IP address!

### reliable delivery between adjacent nodes

- Stop-and-wait, Sliding Window
- Seldom used on low bit-error link (fiber, some twisted pair)

Wireless links: high error rates

## Link layer services (more)

### flow control:

pacing between adjacent sending and receiving nodes

#### error detection:

- errors caused by signal attenuation, noise.
- receiver detects presence of errors:
  - signals sender for retransmission or drops frame

#### error correction:

 receiver identifies and corrects bit error(s) without resorting to retransmission

### half-duplex and full-duplex

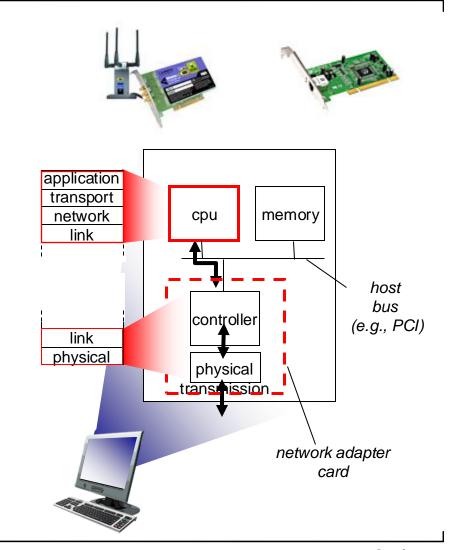
 with half duplex, nodes at both ends of link can transmit, but not at same time

# Where is the link layer implemented?

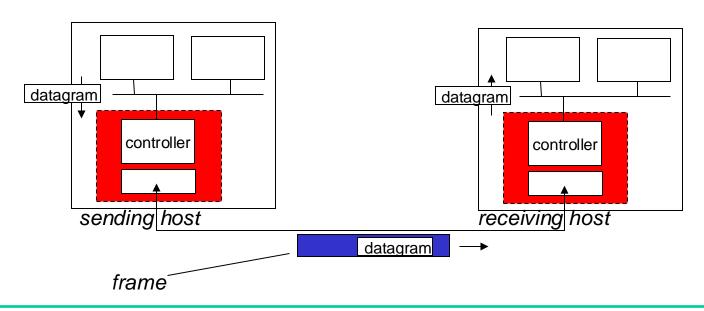
in each and every host
link layer implemented in
"adaptor" (aka *network interface*card NIC) or on a chip

- Ethernet card, 802.11 card;Ethernet chipset
- implements link, physical layer

attaches into host's system buses combination of hardware, software, firmware



## Adaptors communicating



### sending side:

- encapsulates datagram in frame
- adds error checking bits, flow control, etc.

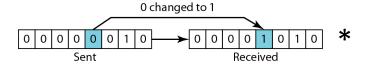
### receiving side

- looks for errors, flow control, etc.
- extracts datagram, passes to upper layer at receiving side

### Transmission errors

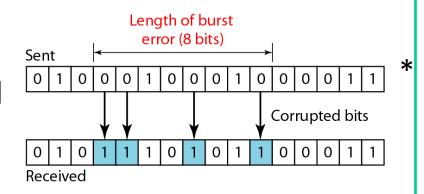
#### Data transmission can contain errors

Single-bit



Burst errors of length n

 (n: distance between the first and
 last errors in data block)



### How to detect/ correct errors

- If only data is transmitted, errors cannot be detected/ corrected
  - Send more information with data that satisfies a special relationship
  - Add redundancy

<sup>\*</sup> Source: Behrouz Forouzan, Data Communications and Networking, 4th Edition, McGraw-Hill

# Error detecting/ correcting codes

#### Error-Detecting Codes

- Parity.
- Checksums.
- Cyclic Redundancy Checks (CRCs).

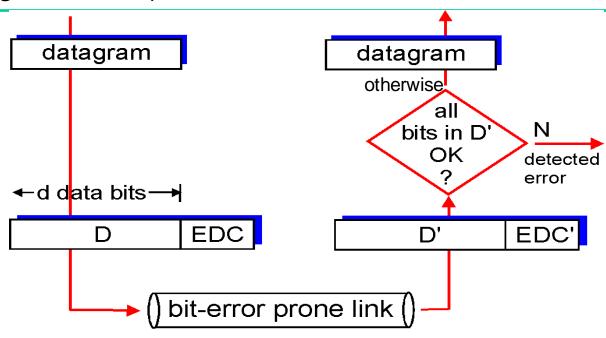
#### Error-Correcting Codes (not in the scope of this course)

- Hamming codes.
- Binary convolutional codes.
- Reed-Solomon codes.
- Low-Density Parity Check codes

### Error detection

EDC= Error Detection and Correction bits (redundancy)

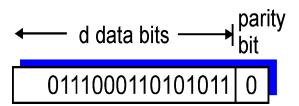
- D = Data protected by error checking, may include header fields
- Error detection not 100% reliable!
  - protocol may miss some errors, but rarely
  - larger EDC field yields better detection and correction



# Parity checking

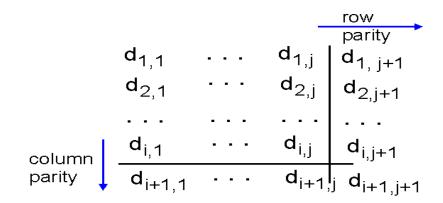
#### single bit parity:

detect single bit errors



#### two-dimensional bit parity:

detect and correct single bit errors



## Single bit parity

Single bit parity checking is often referred to as vertical redundancy check (VRC).

- Append a single bit at the end of data block such that the number of ones is even (odd)
  - → Even Parity (odd parity is similar)

```
o110011 → o110011?
```

o110001 → o110001?

- Performance:
  - Detects
    - single-bit errors
    - multiple-bit or burst errors only if the total number of errors is odd

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- Append a single bit at the end of data block such that the number of ones is even (odd)
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    - 0110011 > 01100110
    - $0110001 \rightarrow 01100011$
- Performance:
  - Detects
    - single-bit errors
    - multiple-bit or burst errors only if the total number of errors is odd

## Example

Suppose the information content of a packet is the bit pattern 1110 0110 1001 1101 and an even parity scheme is being used. What would the value of the field containing the parity bits be for the case of a two-dimensional parity scheme?

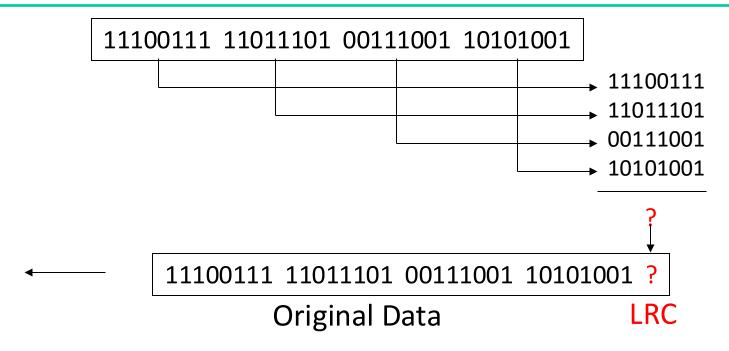
```
1110?
0110?
1001?
1101?
?????
```

## Example

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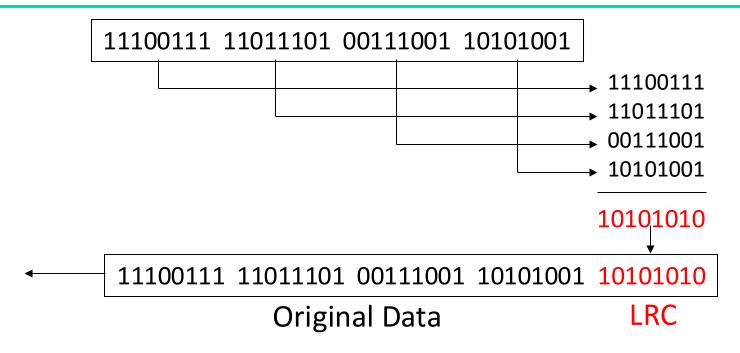
## Longitudinal redundancy check (LRC)

- Organize data into a table and create a parity for each column
- Parity byte
- Detects all single bit and odd bit errors. Some even bit errors are detected



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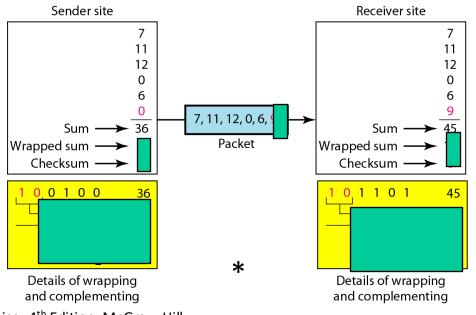
### Checksum

#### Idea:

- Message is five 4-bit numbers: 7, 11, 12, 0, 6
- The sender sends message+ redundancy,
  - numbers + sum: 7, 11, 12, 0, 6, 36
- The receiver adds five numbers and compares the result with the sum
- Easier if negative (complement) of the sum (i.e. -36) is sent
  - Only 4-bits can be used
- 1's complement arithmetic, represent unsigned numbers
  - n-bits is used to represent numbers 2<sup>n</sup> 1
  - If the number has more than n bits, the extra left most bits to be added to the n rightmost bits (wrapping)
  - In 1's complement, the negative number is represented by inverting all bits. Same as subtracting the number from  $2^n$  1

### Checksum

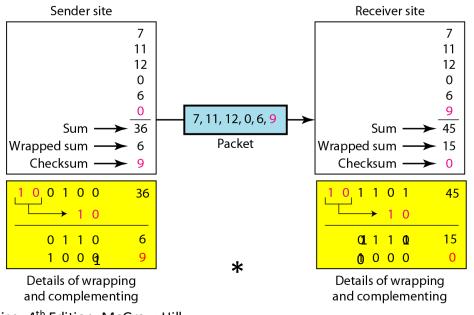
- $_{1}$  1's complement of number 21 using 4-bits  $\rightarrow$  10101 (5 bits),
- So wrap the leftmost bit and add it to 4 rightmost bits: 0101+1 = 0110 (6)
- $\Box$  6 in 1's complement is 1001  $\rightarrow$  9, so complement of 6 is 9
  - Or subtract 6 from  $2^n 1$  (15)
- Example: at the sender:  $36 \rightarrow 100100$  in 4-bits = 0100+10 = 0110 (6) by wrapping 2 leftmost bits
  - Checksum is -6
  - in 1's complement → 9
- at the receiver, 45: 101101
  - Wrapped sum = 1111 (15)
  - In 1's complement -15 = 0000



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### Checksum

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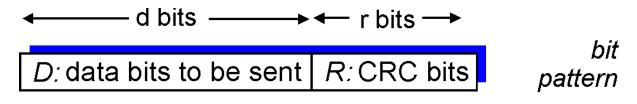
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# Cyclic redundancy check (CRC)

more powerful error-detection coding view data bits, D, as a binary number choose r+1 bit pattern (generator), G goal: choose r CRC bits, R, such that

- <D,R> exactly divisible by G (modulo 2)
- receiver knows G, divides <D,R> by G. If non-zero remainder: error detected!
- can detect all burst errors less than r+1 bits

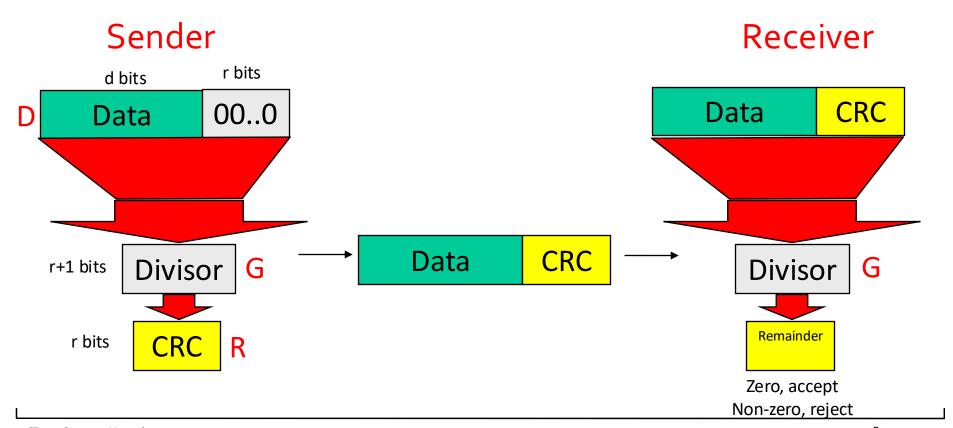
widely used in practice (Ethernet, 802.11 WiFi)



D \* 2 T XOR R mathematical formula

## Cyclic Redundancy Check

Rather than addition, binary division is used  $\rightarrow$  Finite Algebra Theory (Galois Fields)



### D.2<sup>r</sup> XOR R

- CRC calculations are done in modulo 2 arithmetic
  - without carries in addition and without borrows in subtraction.
  - Addition and subtraction are identical, and both are equivalent to the bitwise exclusive or, XOR, of the operands
  - e.g. 11001 XOR 01011 = 10010

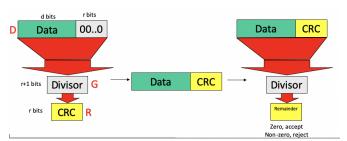
```
• 11001 + 01011 = 10010
```



 $A \times B = C$ , then  $A = C \times B$ 

- 11001 01011 = ?
- 10010 XOR 01011 = 11001
- D.2<sup>r</sup> → shift left D by r bits → add r 0's to the right of D
- e.g.  $D.2^5 \rightarrow$  shift left D by 5 bits

## CRC example



#### want:

 $D \cdot 2^r XOR R = nG$ 

equivalently:

 $D \cdot 2^r = nG XOR R$ 

equivalently:

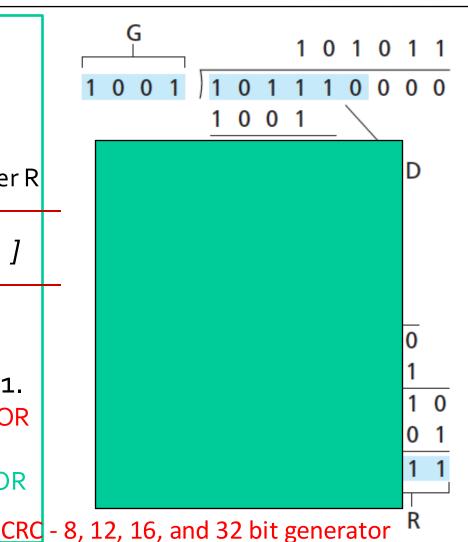
if we divide D<sup>2</sup> by G, want remainder R to satisfy:

$$R = remainder[\frac{D \cdot 2^r}{G}]$$

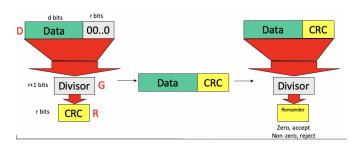
How?

e.g D = 101110, G = 1001  $\rightarrow$  r = 3 Check the leading left bit is 0 or 1.

- If o, place a o in the quotient and XOR the current bits with o's.
- If 1, place a 1 in the quotient and XOR the current bits with the divisor



## CRC example



#### want:

 $D \cdot 2^r XOR R = nG$ 

equivalently:

 $D \cdot 2^r = nG XOR R$ 

equivalently:

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How?

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- If o, place a o in the quotient and XOR the current bits with o's.
- If 1, place a 1 in the quotient and XOR the current bits with the divisor CRC 8, 12, 16, and 32 bit generator

### Summary

#### Today:

- Data link layer
- Error detection and error correction
  - Parity
  - Checksum
  - Cyclic Redundancy Check

#### Canvas discussion:

- Reflection
- Exit ticket

#### Next time:

- read 6.3 of KR (Multiple Access Links and Protocols)
- follow on Canvas! material and announcements

# Any questions?