

Link State routing protocol

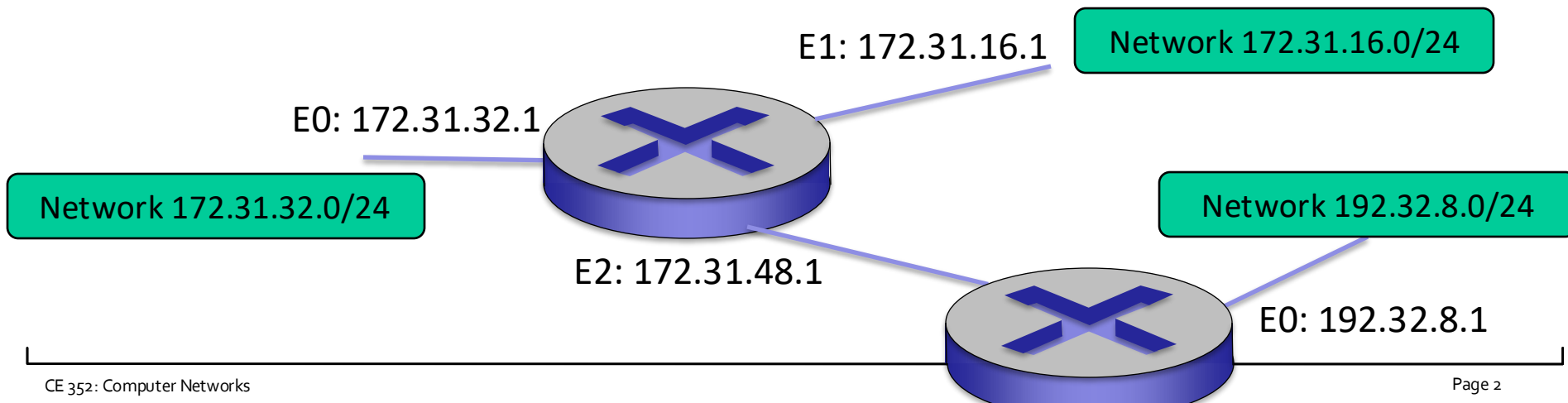
CE 352, Computer Networks
Salem Al-Agtash

Lecture 15

Slides are adapted from Computer Networking: A Top Down Approach, 7th Edition © J.F Kurose and K.W. Ross

Recall (Network-layer functions)

- *Data plane - forwarding*: move packets from router's input to appropriate router output
- *Control plane - routing*: determine route taken by packets from source to destination:
 - per-router control (traditional)
 - routers exchange information between each other
 - Individual router creates a forwarding table
 - logically centralized control (software defined networking - SDN)



Network layer control plane

Control plane

- Traditional routing algorithms: Link state and distance vector
- SDN controllers

Implementation in the Internet:

- OSPF: Open Shortest Path First
- BGP: Border Gateway Protocol
- ICMP: The Internet Control Message Protocol
- SNMP: Simple Network Management Protocol
- SDN OpenFlow and ONOS controllers

Internet routing protocols are responsible for constructing and updating the forwarding tables at routers

Inside router

Router processor

- Loopback interface: IP address of the CPU on the router for internal testing and diagnosis
- Administrator interface: Command line interface for configuration and monitoring
- Implementing routing protocols
- Setting up forwarding tables

Interfaces

- Ethernet (Twisted Pair): 10BaseT → 10Mbps
- Fast Ethernet (Twisted Pair): 100BaseT → 100 Mbps
- Gigabit Ethernet (Twisted Pair): 1000BaseT → 1Gbps
- Gigabit Ethernet (Fiber SFP): 1000Base-SX (Multimode) – LX (Single mode)
- Serial: T1, T2
- FDDI: Fiber Distributed Data Interface – 100 Mbps
- Token Ring: 4Mbps – 16 Mbps



1000Base-T RJ45



40GBase-SR4 SFP

Forwarding tables

- Computed forwarding tables: Map IP prefix (network ID) to outgoing links
- Statistically configured: "map 172.31.48.0/24 to FastEthernet0/1"

Routing protocols

Routing protocols implement the core function of a network

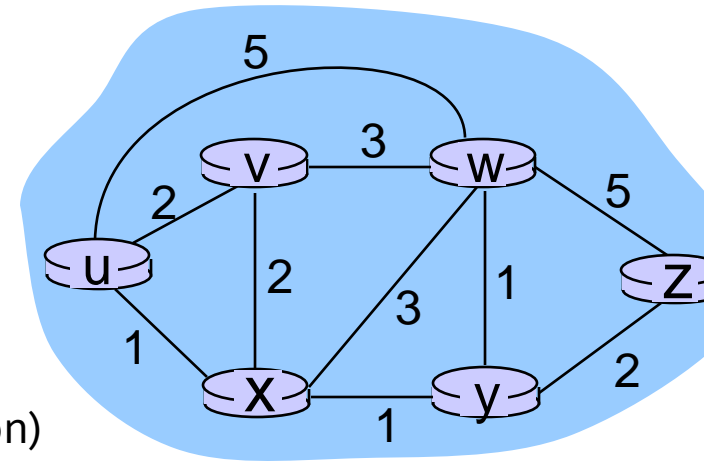
- determine “good” paths (equivalently, routes), from sending hosts to receiving host, through a network of routers

Network modeled as a graph

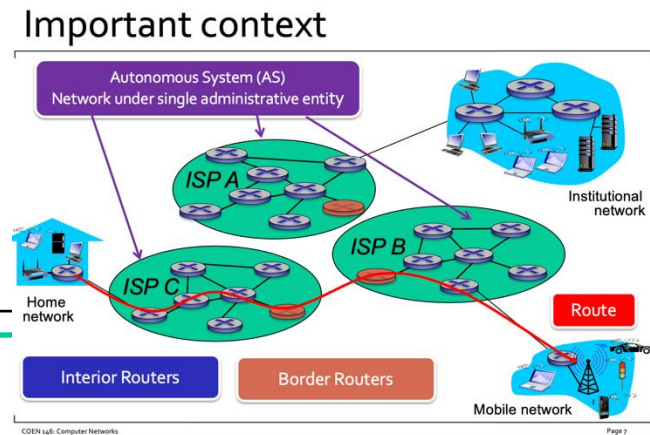
- graph: $G = (N, E)$
- N = set of nodes (routers) = $\{u, v, w, x, y, z\}$
- E = set of edges (links) = $\{(u, v), (u, x), (v, x), (v, w), (x, w), (x, y), (w, y), (w, z), (y, z)\}$
- Edges have **costs** (distance, bandwidth, congestion)

Path: sequence of routers packets will traverse in going from given initial source host to given final destination host

“good” path: least “cost”, “fastest”, “least congested” routing



Internet routing



Routers

- Need to know which router to use to reach a destination prefix (network ID)
- Need to know with outgoing interface to use to reach that router

Intra-domain

- Each “Autonomous System - AS” network (e.g. ISP) runs Intra-domain routing protocol to setup routes within its domain
 - Link State: e.g. Open Shortest Path First (OSPF)
 - Distance Vector: e.g. Routing Information Protocol (RIP)

Inter-domain

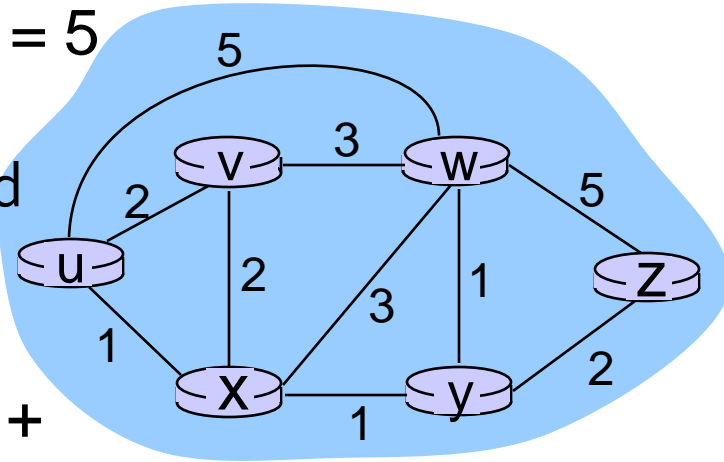
- AS networks run inter-domain routing protocols to setup routes between domains
 - Path Vector: Border Gateway Protocol (BGP)

Graph abstraction: costs

$c(x, x') = \text{cost of link } (x, x')$, e.g., $c(w, z) = 5$

cost could always be 1, or inversely related to bandwidth, and/or to congestion

cost of path $(x_1, x_2, x_3, \dots, x_p) = c(x_1, x_2) + c(x_2, x_3) + \dots + c(x_{p-1}, x_p)$



key question: what is the least-cost path between u and z ?
routing algorithm: algorithm that finds that least cost path

Routing algorithm classification

Global:

- All routers have complete topology, link cost info
“link state” algorithms

Decentralized:

- Router knows physically-connected neighbors, link costs to neighbors
- iterative process of computation, exchange of info with neighbors
“distance vector” algorithms

static:

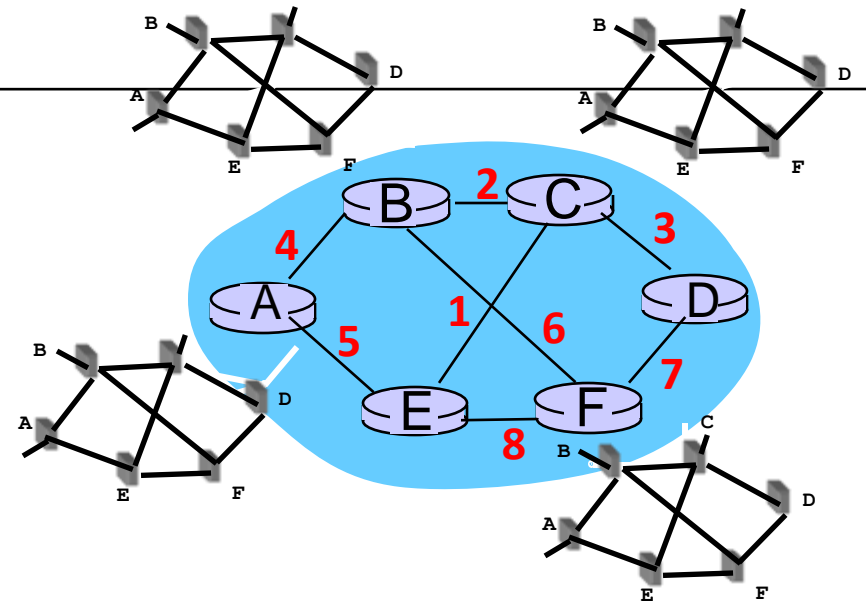
- routes change slowly over time

dynamic:

- routes change quickly periodic, update in response to cost changes

Link-state routing

- Each node maintains local link state
 - List of directly attached links and costs (Echo packet), sequence #, and Age
 - Construct LS packet
- Each node floods its local link state
 - When a router receives a new LS, it forwards the message to all its neighbors (excluding sending router)
- Each node learns the network topology
- Each node uses Dijkstra to compute the shortest paths between nodes



Link		State		Packets	
A	B	C	D	E	F
Seq.	Seq.	Seq.	Seq.	Seq.	Seq.
Age	Age	Age	Age	Age	Age
B 4	A 4	B 2	C 3	A 5	B 6
E 5	C 2	D 3	F 7	C 1	D 7
	F 6	E 1		F 8	E 8

- Sequence number (32 bits) is used to label LS packets
- Age (Time-to-Live) is used and when becomes 0, packet is discarded

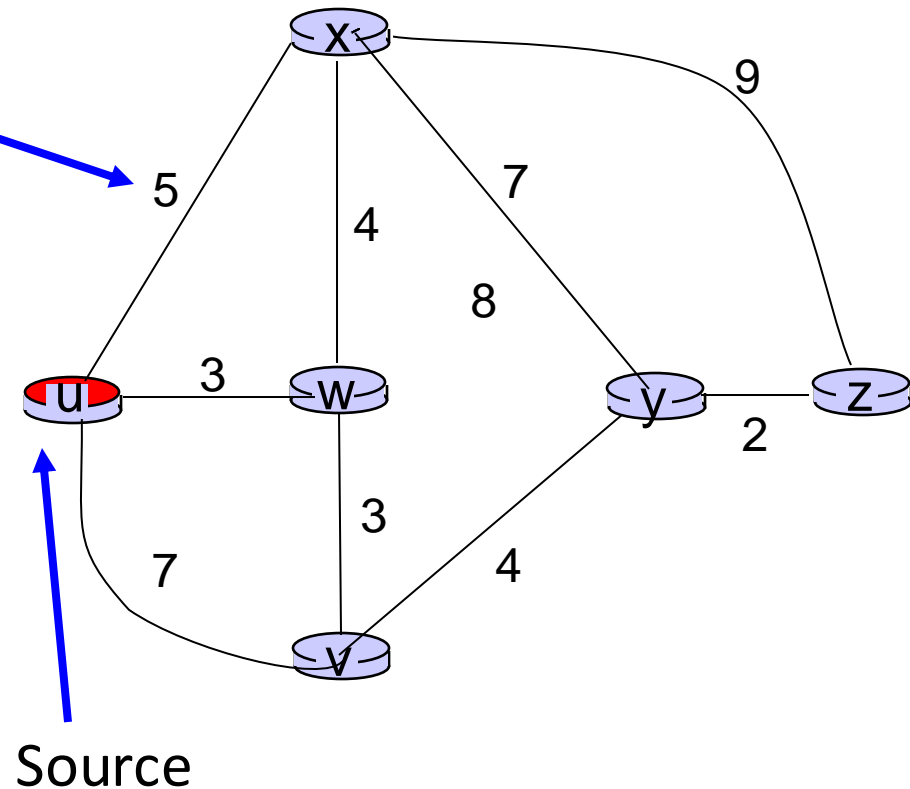
Dijkstra algorithm

Shortest path algorithm

- Input
 - Net topology, link costs known to all nodes
 - “link state broadcast” → all nodes have same info
- Output
 - Least cost paths from one node (‘source’) to all other nodes
 - gives *forwarding table* for that node
- Iterative:
 - after k iterations, a node knows least cost path to its k closest neighbor

Notation

- $c(x,y)$: link cost from node x to y ; $= \infty$ if not direct neighbors
- $D(v)$: current value of cost of path from source to dest. v
- $p(v)$: predecessor node along path from source to v
- N' : set of nodes whose least cost path definitively known



Dijkstra algorithm

1 *Initialization:*

- 2 $N' = \{u\}$
- 3 for all nodes v
- 4 if v adjacent to u
- 5 then $D(v) = c(u, v)$
- 6 else $D(v) = \infty$

7 *Loop*

- 8 find **node** not in N' such that $D(\text{node})$ is a minimum
- 9 add **node** to N'
- 10 update $D(v)$ for all v adjacent to **node** and not in N' :
- 11 $D(v) = \min(D(v), D(\text{node}) + c(\text{node}, v))$
/* new cost to v is either old cost to v or known
- 12 shortest path cost to **node** plus cost from **node** to v */
- 13 *until all nodes in N'*

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- $D(v)$: current value of cost of path from source to dest. V
- $p(v)$: predecessor node along path from source to v
- N' : set of nodes whose least cost path definitively known

Example 1

Step	N'	D(v) p(v)	D(w) p(w)	D(x) p(x)	D(y) p(y)	D(z) p(z)
0	u	7,u	3,u	5,u	∞	∞
1						
2						
3						
4						
5						

1 Initialization:

```

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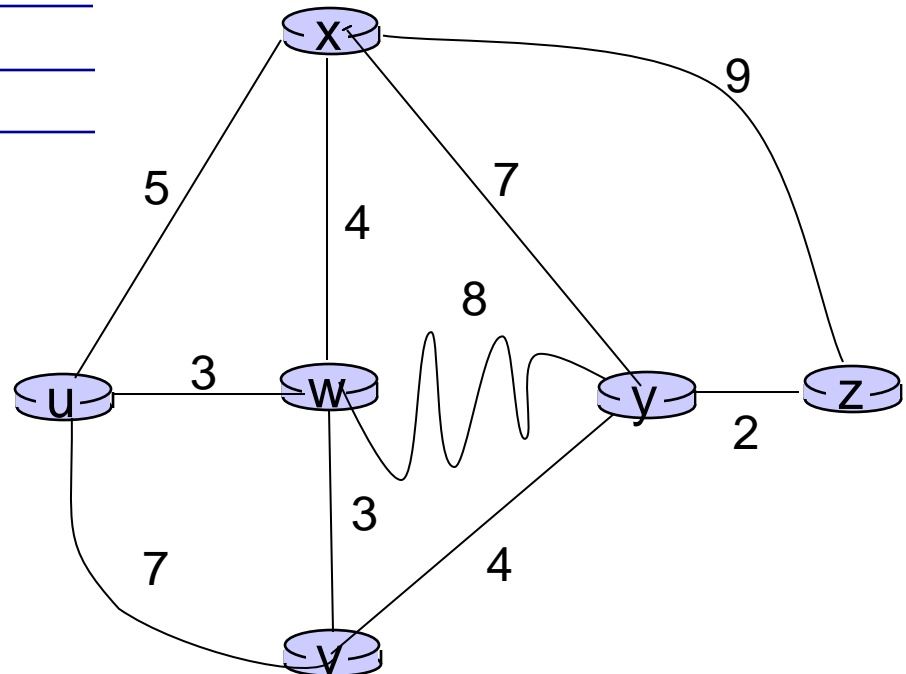
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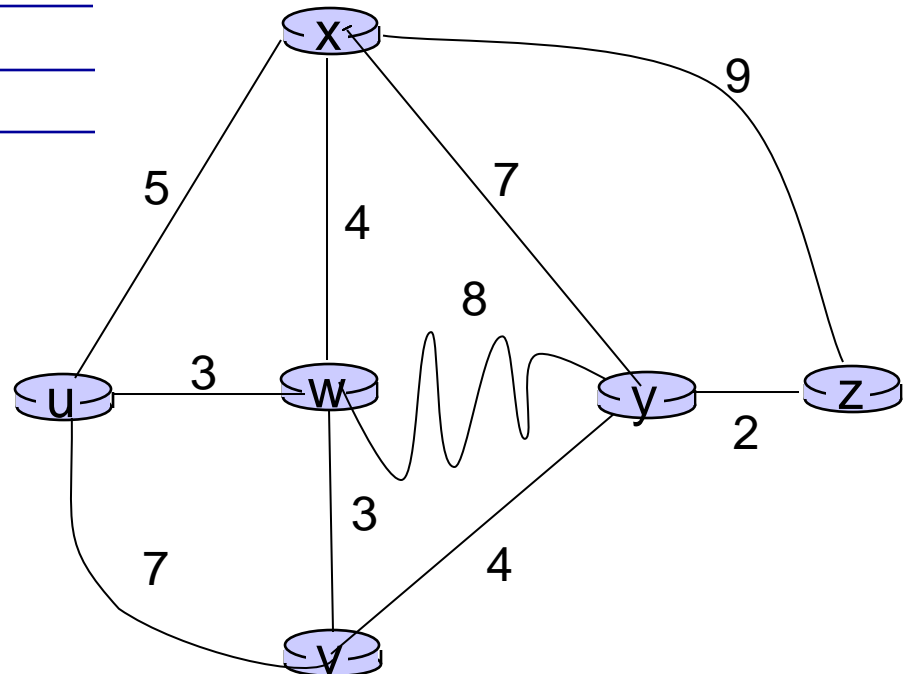
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1	uw					
2						
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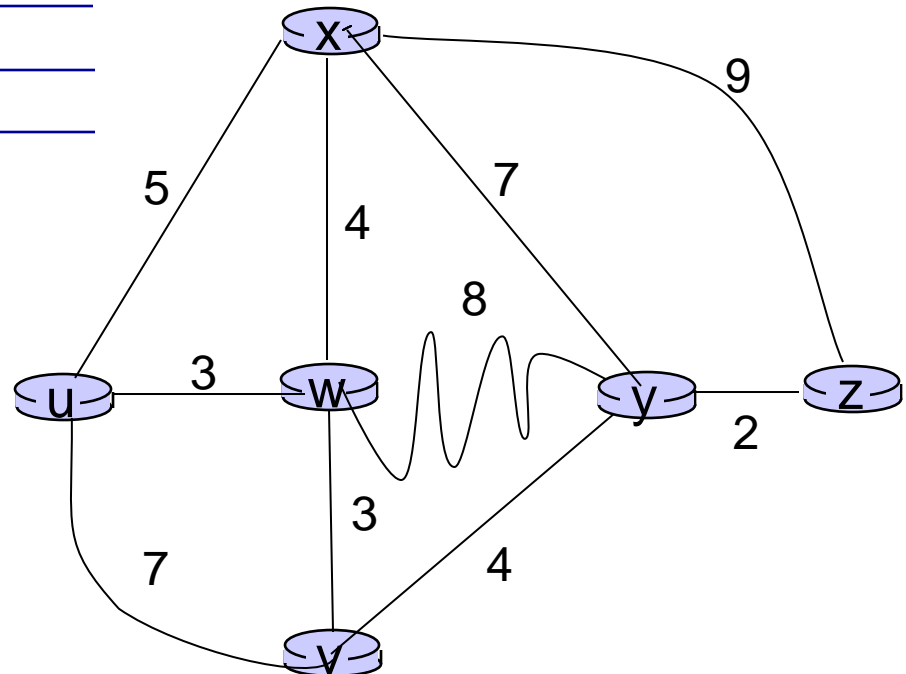
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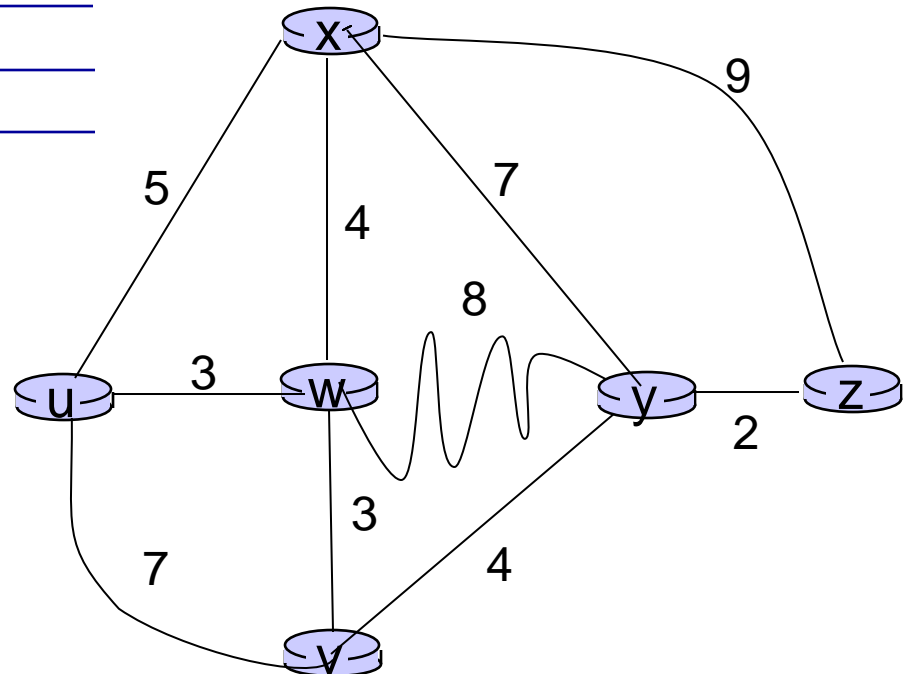
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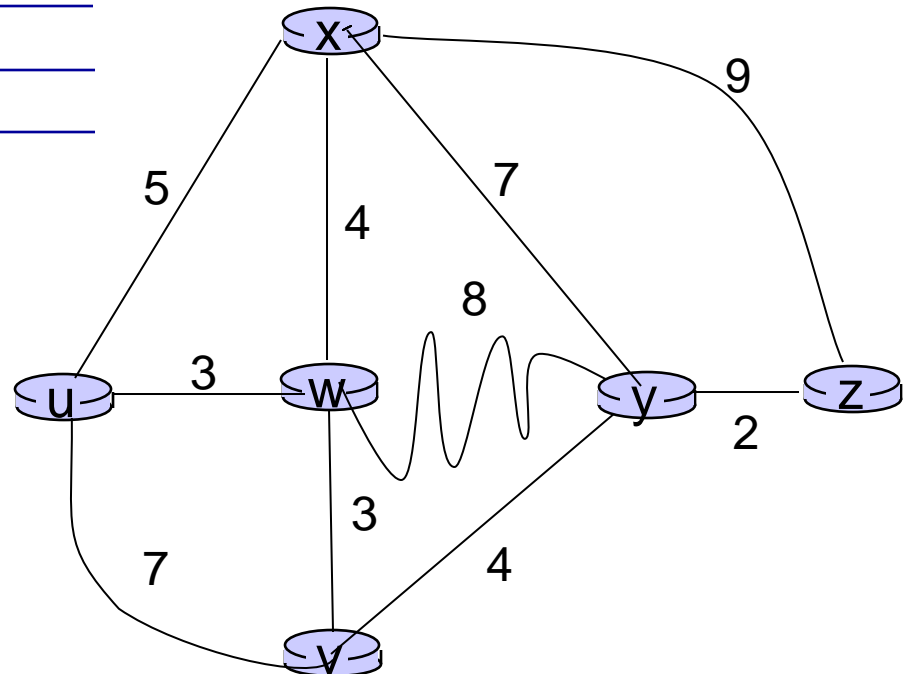
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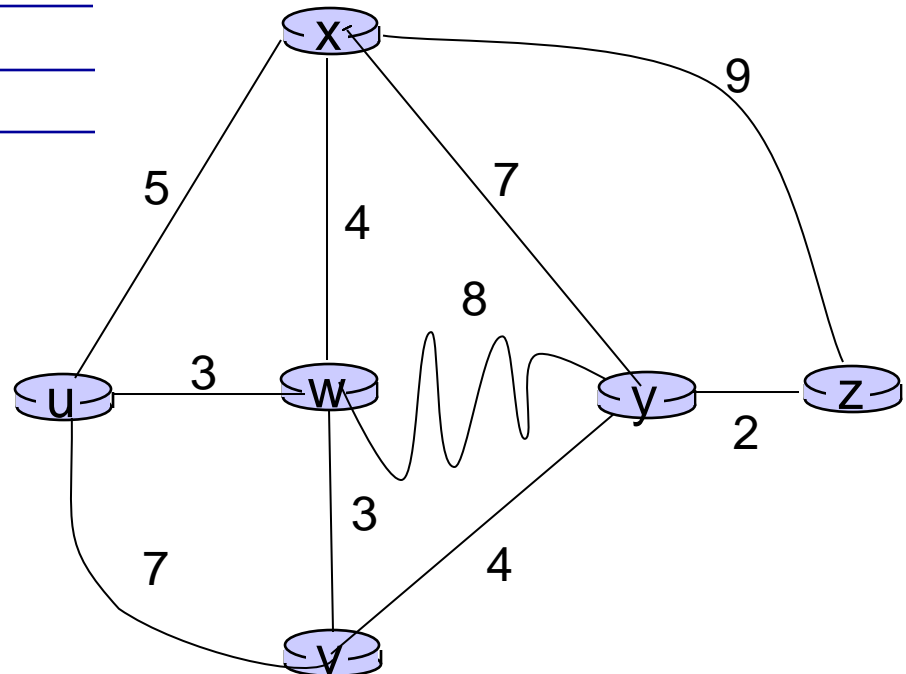
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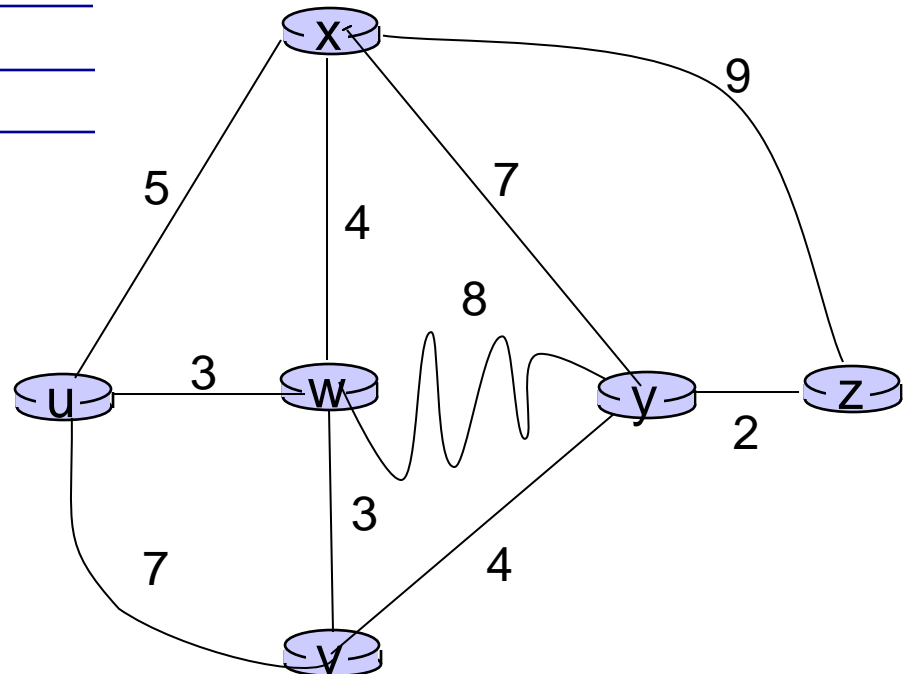
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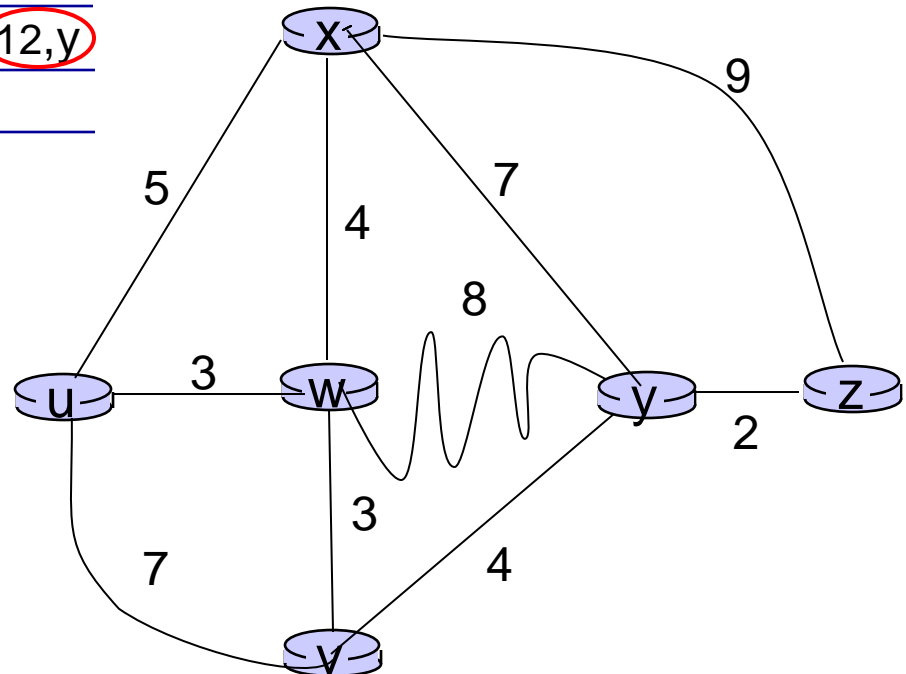
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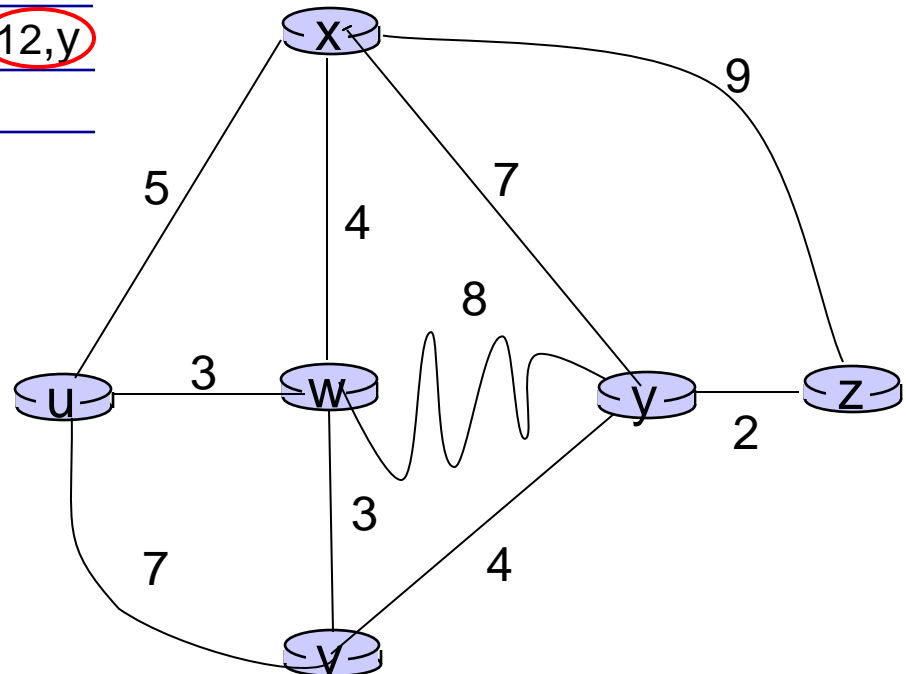
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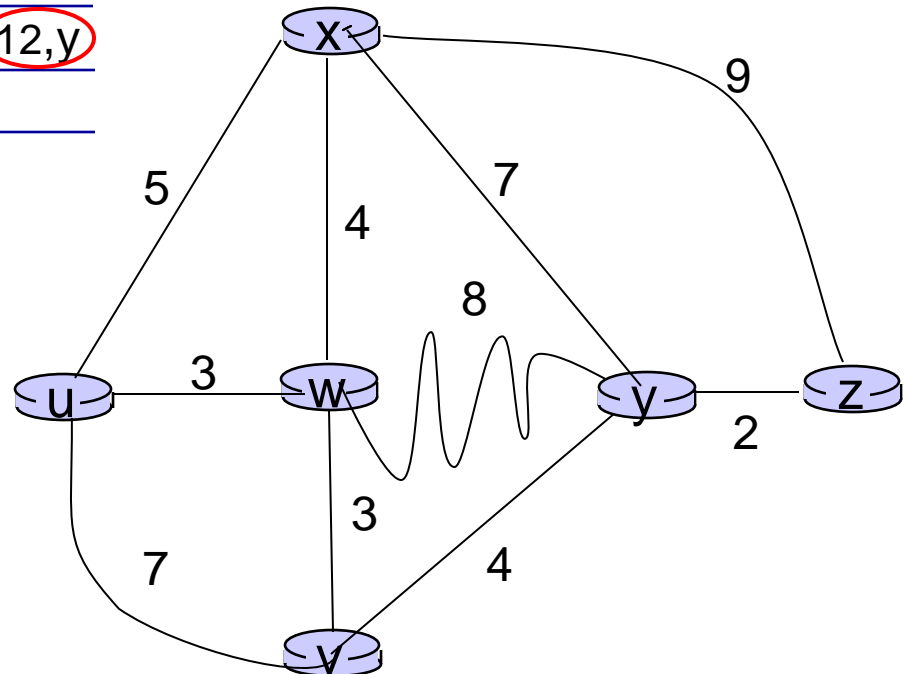
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- ❖ ties can exist (can be broken arbitrarily)

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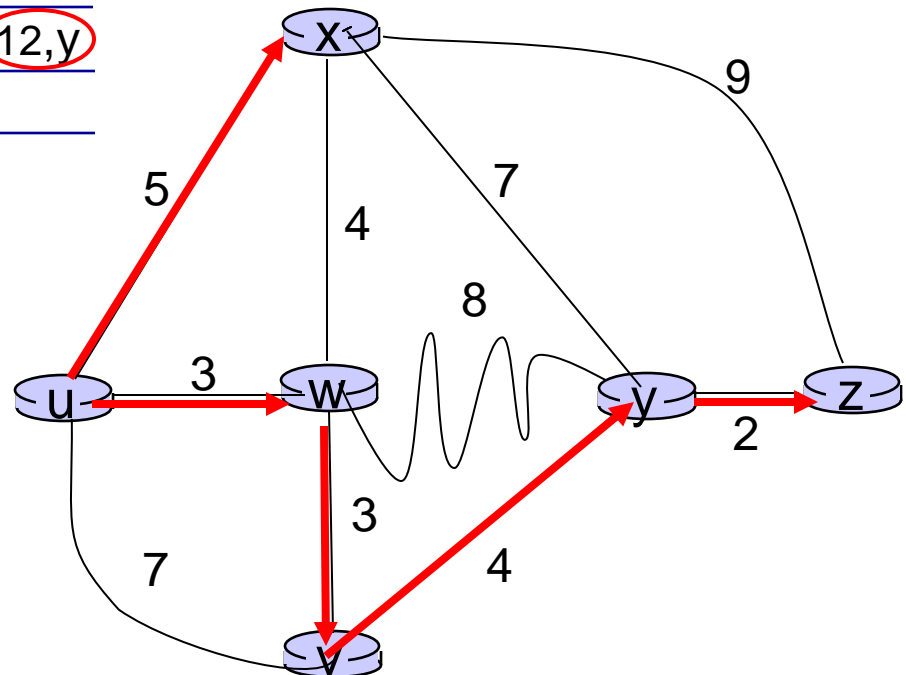
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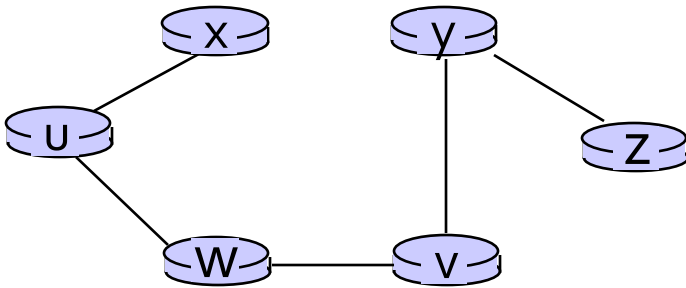
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Forwarding table @ node u

Running Dijkstra at node U gives the following shortest path tree from u to all destinations

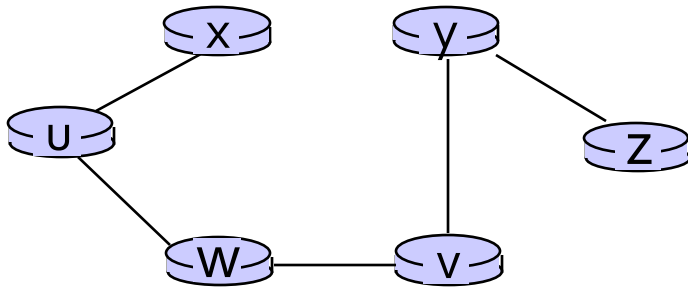


The forwarding table is constructed at u :

destination	link
v	?
x	?
y	?
w	?
z	?

Forwarding table @ node u

Running Dijkstra at node U gives the following shortest path tree from u to all destinations



The forwarding table is constructed at u :

destination	link
v	(u,w)
x	(u,x)
y	(u,w)
w	(u,w)
z	(u,w)

Example 2

Step	N'	D(v) p(v)	D(x) p(x)	D(w) p(w)	D(y) p(y)	D(z) p(z)
0	u					
1						
2						
3						
4						
5						

1 Initialization:

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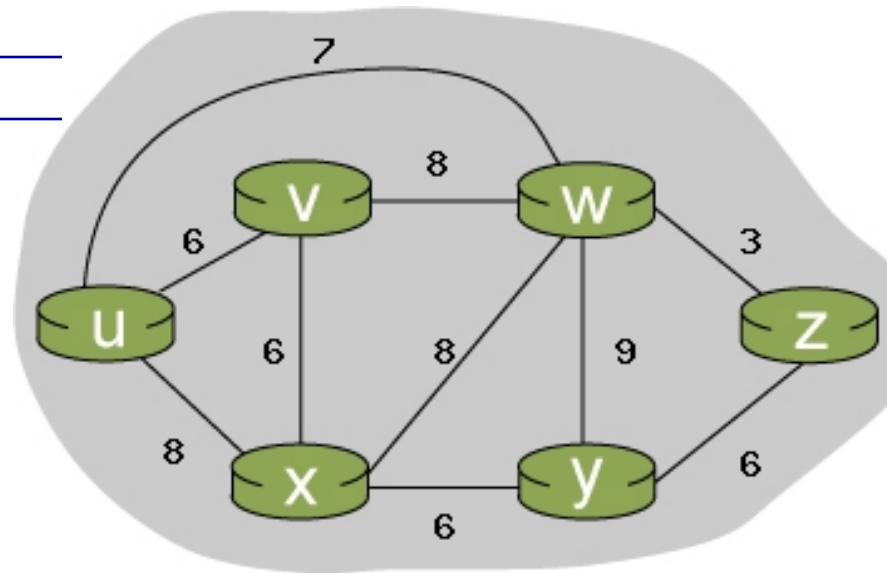
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13 until all nodes in N'

```



Example 2

Step	N'	D(v) p(v)	D(x) p(x)	D(w) p(w)	D(y) p(y)	D(z) p(z)
0	u	6,u	8,u	7,u	∞	∞
1	uv		8,u	7,u	∞	∞
2	uvw		8,u		16,w	10,w
3	uvwX				14,x	10,w
4	uvwXZ				14,x	
5	uwXvyZ					

notes:

- ❖ construct shortest path tree by tracing predecessor nodes
- ❖ ties can exist (can be broken arbitrarily)

1 Initialization:

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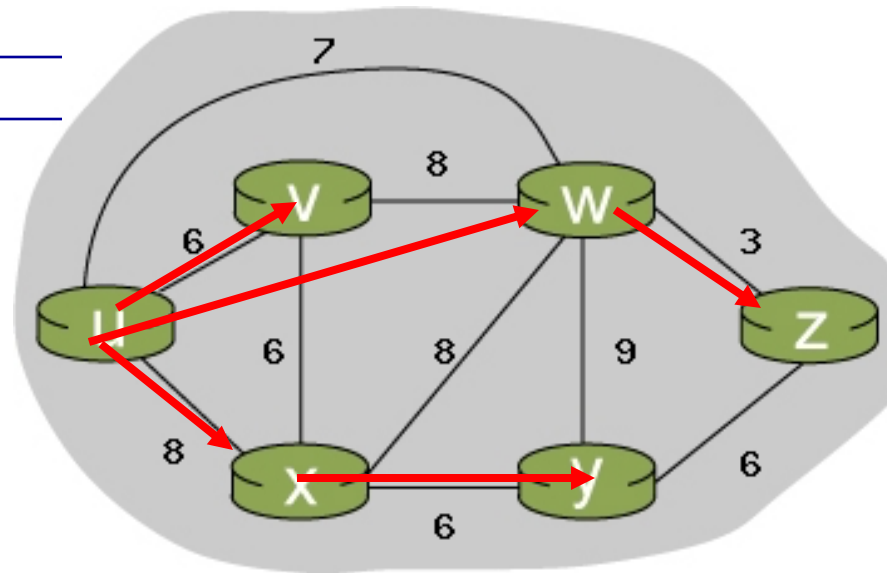
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7 Loop

```

8 find node not in N' such that D(node) is a minimum
9 add node to N'
10 update D(v) for all v adjacent to node and not in N' :
11    $D(v) = \min(D(v), D(\text{node}) + c(\text{node}, v))$ 
    /* new cost to v is either old cost to v or known
12   shortest path cost to node plus cost from node to v */
13 until all nodes in N'

```



Example 2

Step	N'	D(v) p(v)	D(x) p(x)	D(w) p(w)	D(y) p(y)	D(z) p(z)
0	u	6,u	8,u	7,u	∞	∞
1	uv		8,u	7,u	∞	∞
2	uvw		8,u		16,w	10,w
3	uvwX				14,x	10,w
4	uvwXZ				14,x	
5	uwxvyz					

Forwarding table @ u

destination	link
-------------	------

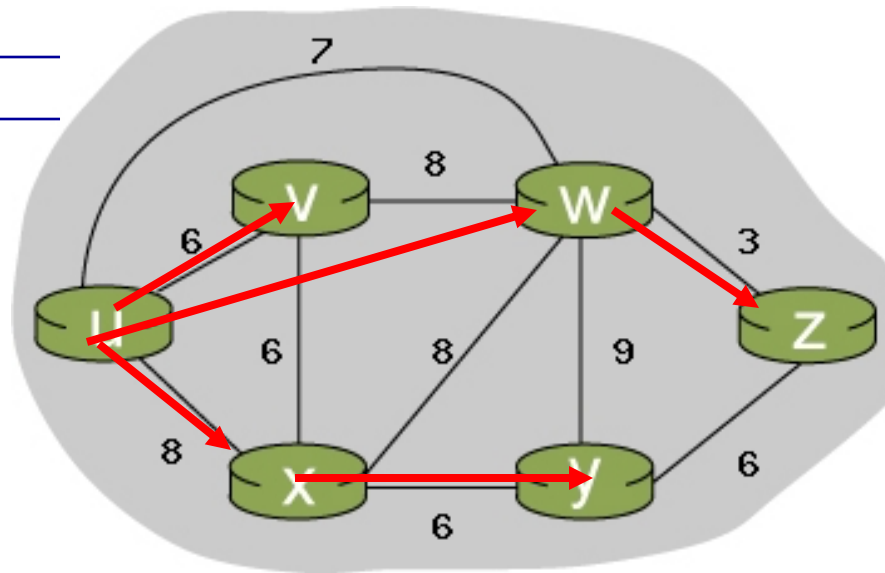
v	(u,v)
x	(u,x)
y	(u,x)
w	(u,w)
z	(u,w)

1 Initialization:

- 2 $N' = \{u\}$
- 3 for all nodes v
- 4 if v adjacent to u
- 5 then $D(v) = c(u,v)$
- 6 else $D(v) = \infty$

7 Loop

- 8 find **node** not in N' such that $D(\text{node})$ is a minimum
- 9 add **node** to N'
- 10 update $D(v)$ for all v adjacent to **node** and not in N' :
- 11 $D(v) = \min(D(v), D(\text{node}) + c(\text{node}, v))$
/* new cost to v is either old cost to v or known
- 12 shortest path cost to **node** plus cost from **node** to v */
- 13 until all nodes in N'



Result: u-to-v, u-to-w, u-to-x, x-to-y, w-to-z

Example 3

Step

0

1

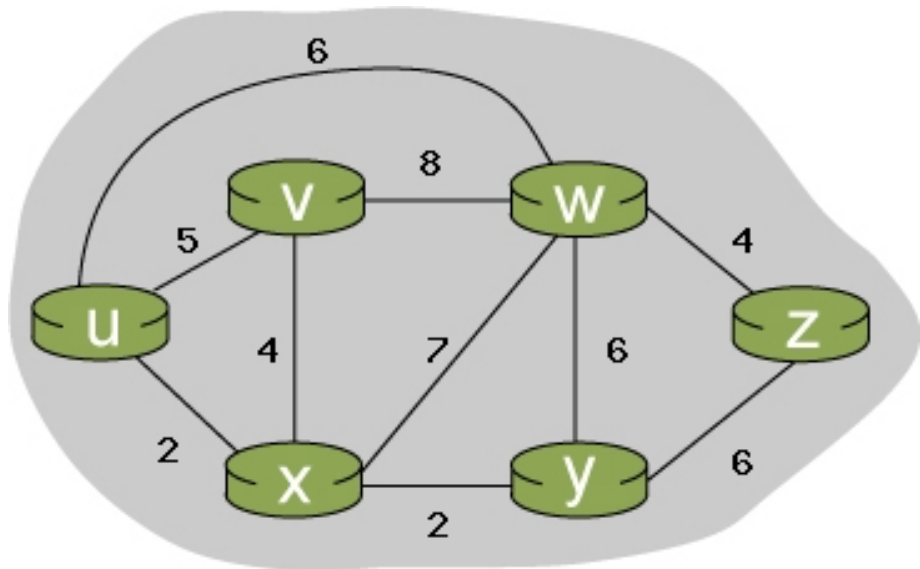
2

3

4

5

Forwarding table @ u ?



Example 3

1 **Initialization:**

2 $N' = \{u\}$

3 for all nodes v

4 if v adjacent to u

5 then $D(v) = c(u, v)$

6 else $D(v) = \infty$

7 **Loop**

8 find **node** not in N' such that $D(\text{node})$ is a minimum

9 add **node** to N'

10 update $D(v)$ for all v adjacent to **node** and not in N' :

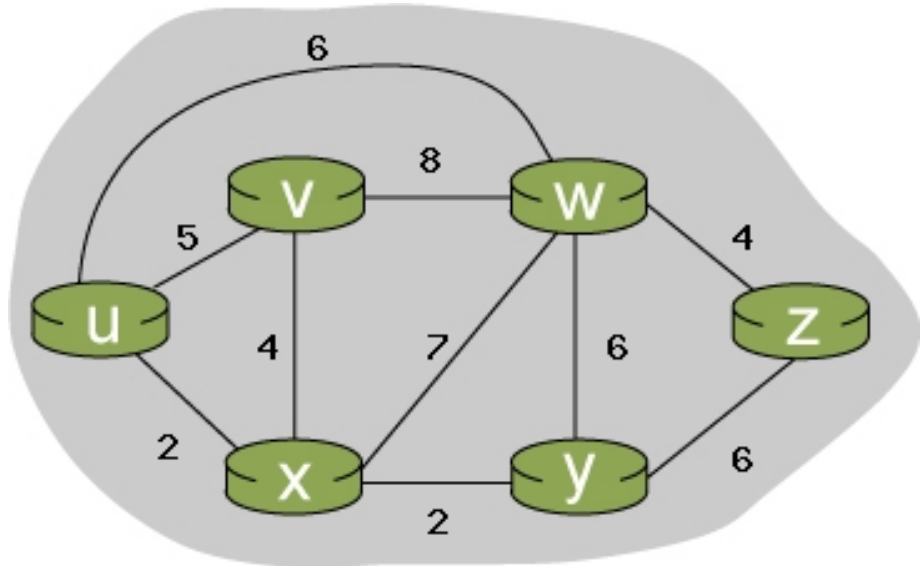
11 $D(v) = \min(D(v), D(\text{node}) + c(\text{node}, v))$

/* new cost to v is either old cost to v or known

12 shortest path cost to **node** plus cost from **node** to v */

13 until all nodes in N'

Step	N'	$D(v), p(v)$	$D(w), p(w)$	$D(x), p(x)$	$D(y), p(y)$	$D(z), p(z)$
0	u	,u	,u	,u	∞	∞
1						
2						
3						
4						
5						



Example 3

1 Initialization:

2 $N' = \{u\}$

3 for all nodes v

4 if v adjacent to u

5 then $D(v) = c(u, v)$

6 else $D(v) = \infty$

7 Loop

8 find **node** not in N' such that $D(\text{node})$ is a minimum

9 add **node** to N'

10 update $D(v)$ for all v adjacent to **node** and not in N' :

11 $D(v) = \min(D(v), D(\text{node}) + c(\text{node}, v))$

/* new cost to v is either old cost to v or known

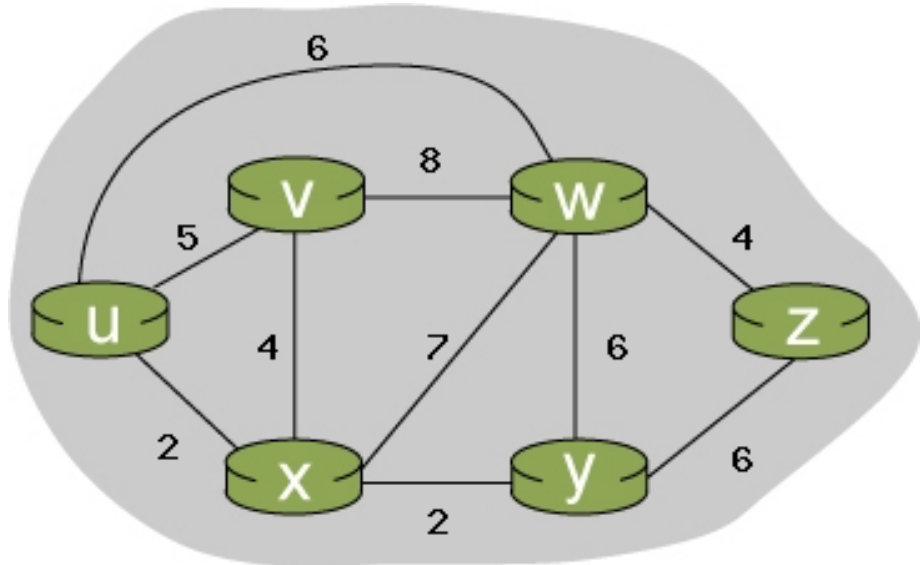
12 shortest path cost to **node** plus cost from **node** to v */

13 until all nodes in N'

Step	N'	$D(v), p(v)$	$D(w), p(w)$	$D(x), p(x)$	$D(y), p(y)$	$D(z), p(z)$
0	u	,u	,u	,u	∞	∞
1						
2						
3						
4						
5						

Forwarding table @ u

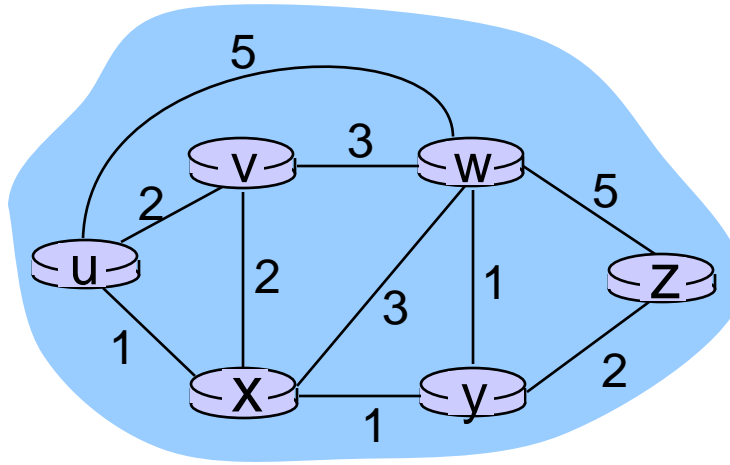
destination	link
v	(u,v)
x	(u,x)
y	(u,x)
w	(u,w)
z	(u,x)



Result: u-to-v, u-to-w, u-to-x, x-to-y, y-to-z

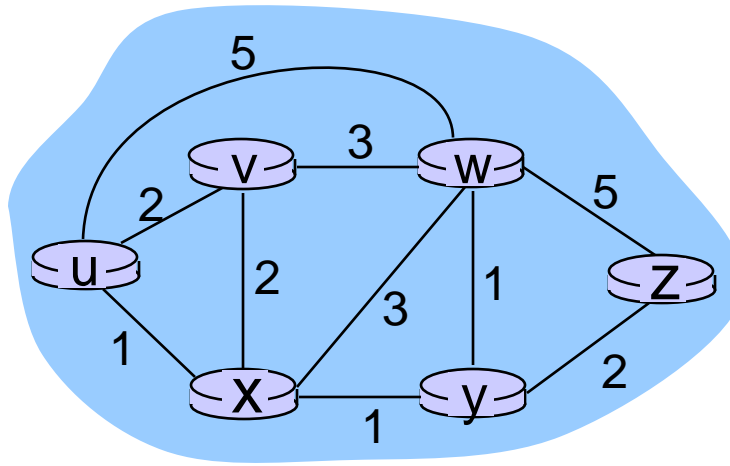
Example 4

Step	N'	D(v),p(v)	D(w),p(w)	D(x),p(x)	D(y),p(y)	D(z),p(z)
0	u	,u	,u	,u	∞	∞
1						
2						
3						
4						
5						



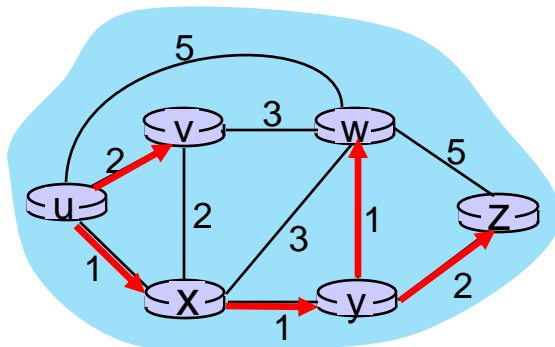
Example 4

Step	N'	D(v),p(v)	D(w),p(w)	D(x),p(x)	D(y),p(y)	D(z),p(z)
0	u	2,u	5,u	1,u	∞	∞
1	ux	2,u	4,x		2,x	∞
2	uxy	2,u	3,y			4,y
3	uxyv		3,y			4,y
4	uxyvw					4,y
5	uxyvwz					



Example 4

Step	N'	D(v),p(v)	D(w),p(w)	D(x),p(x)	D(y),p(y)	D(z),p(z)
0	u	2,u	5,u	1,u	∞	∞
1	u,x	2,u	4,x		2,x	∞
2	u,x,y	2,u	3,y			4,y
3	u,x,y,v		3,y			4,y
4	u,x,y,v,w					4,y
5	u,x,y,v,w,z					



Initialization (step 0): For all a : if a adjacent to then

$$D(a) = c_{u,a}$$

find a not in N' such that $D(a)$ is a minimum

add a to N'

update $D(b)$ for all b adjacent to a and not in N' :

$$D(b) = \min (D(b), D(a) + c_{a,b})$$

Summary: Link-state routing

- Each router keeps track of its adjacent links (cost and operational status)
- Each router broadcasts the link state to give every router a complete view of the graph
 - Periodically every 30 minutes (e.g.), or topology change (Link/node failure or recovery)
 - Sequence number (32 bits) is used to label LS packets and keep flooding in check, when a new one arrives the older is discarded
 - Age (Time-to-Live) is used and when becomes 0, packet is discarded
- Each router runs Dijkstra's algorithm to compute the shortest path and construct the forwarding table
- Widely used protocol: OSPF

Dijkstra's algorithm complexity

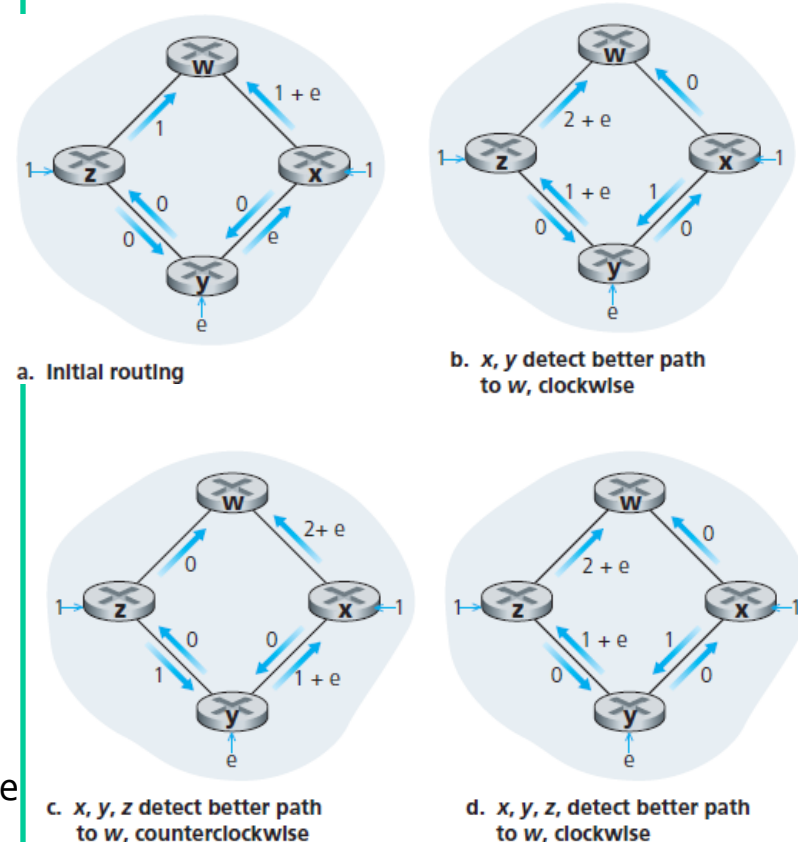
algorithm complexity for a network (graph) with n nodes and e edges:

- each iteration: need to check all nodes not in N'
- $n(n+1)/2$ comparisons: $O(n^2)$
- Flood link state messages: $O(nxe)$
- Entries in the forwarding table: $O(n)$
- Entries in the LS topology data bases: $O(e)$

Oscillation is possible

oscillations possible: Inconsistent link state database, leading to transient forwarding loops

- Link cost is equal to the load carried on the link
- z send 1 packet to w, y sends e packet to w, and x sends 1 packet to w
- Paths to w from x and y are favorable clockwise, and so generate new paths (figure b)
- When LS runs again detects 0 cost paths to w in the counterclockwise routes (figure c)
- Figure d
- Oscillation
 - Solution 1 – not to measure link based on traffic
 - Solution 2- ensure not all routers run LS same time



Summary

Today:

- Routing protocols
- Link state

Canvas discussion:

- Reflection
- Exit ticket

Next time:

- read 5.2.2 (DV) of K&R
- follow on Canvas! material and announcements

Any questions?