

Analog Systems Design

1. Introduction

1. Analog Vs Digital

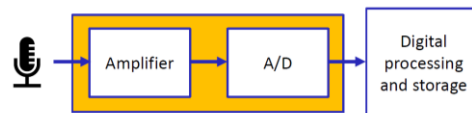
- Analog : Continuous in Time and Amplitude
- Digital : Discrete in Time and Amplitude

2. Why Digital ?

- Less sensitive to noise
- Easier to store (Digital Memories)
- Easier to process (Digital Signal Processing DSP)
- Amenable to automated design and testing
- Direct beneficiary of Moor's law

3. Why Analog ?

- All the physical signals in the world around us are analog
- We always need an analog interface circuit to connect between our physical world and our digital electronics

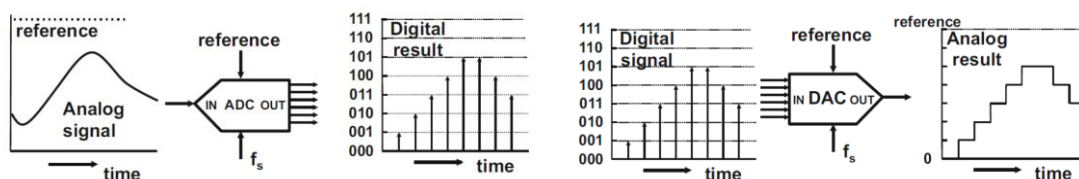


4. ADC Functions

- Convert analog signal (Continuous in time and amplitude) to a digital signal (Discrete in time and amplitude) by
 - **Sampling** : Discretization of analog signal in time domain
 - **Quantization** : Discretization of analog signals in amplitude domain
 - Linking to a reference (V_{FS})

5. DAC Functions

- Convert digital signal (Discrete in time and amplitude) to an analog signal (Continuous in time and amplitude) by
 - Amplitude Restoration : Convert digital levels to voltage amplitude
 - Holding : Holding voltage amplitude to convert signal from DT to CT
 - Linking to a reference (V_{FS})



2. Sampling

1. Sampling introduction

- Sampling is time discretization
 - Converts a continuous time signal to a discrete time signal
 - The result is a sequence of samples
- The Sampling instants are defined by a clock signal controls an electronic switch e.g. MOS
- The sampled signal is stored as a voltage on a capacitor
- The circuits is called sample and hold S/H circuit

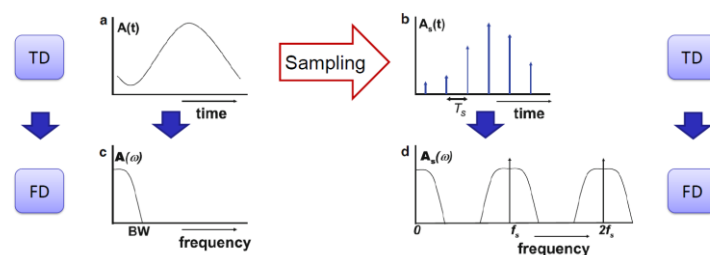
2. Time and Frequency domains

- $TD_{\text{step}} = \Delta t = 1/f_s = 1/FD \text{ period}$
- $FD_{\text{step}} = \Delta f = 1/T_o = 1/TD \text{ period}$

Time domain		Technique \leftrightarrow	Frequency domain		Where in the chain?
CT/DT	Periodic		C/D	Periodic	
CT	Yes	CT Fourier series (CTFS)	Discrete	No	-
CT	No	CT Fourier transform (CTFT)	Continuous	No	Before S/H
DT	Yes	DT Fourier series (DTFS) \rightarrow FFT	Discrete	Yes	After ADC
DT	No	DT Fourier transform (DTFT)	Continuous	Yes	After S/H

3. Discrete and periodicity

- Sampling causes “images” in the frequency domain
 - The sampled signal is folded around f_s and its multiples
 - The part from 0 to $f_s/2$ is the only part that has a physical meaning



4. Aliasing and Nyquist criterion

- Aliasing is an effect that causes different signals to become indistinguishable (or aliases of one another) when sampled
- Nyquist criterion $f_s \geq f_{\text{nyq}} = 2 BW$

