

$$= 0,5 (\cos(\omega T) - j \sin(\omega T)) + 0,2$$

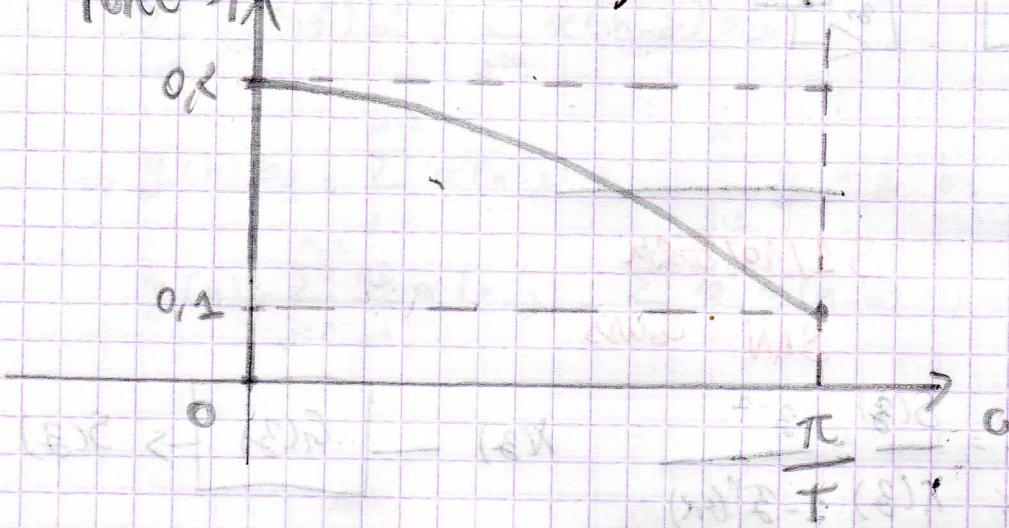
$$= [0,5 \cos(\omega T) + 0,2] - j[\sin(\omega T)]$$

$$|G_2(e^{j\omega T})| = \sqrt{[0,5 \cos(\omega T) + 0,2]^2 + \sin^2(\omega T)} \rightarrow \sqrt{0,13 + 0,12 \cos(\omega T)}$$

on travaille dans le domaine $[0, \frac{f_e}{2}] \subseteq [0, \frac{\pi}{T}]$

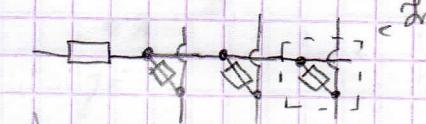
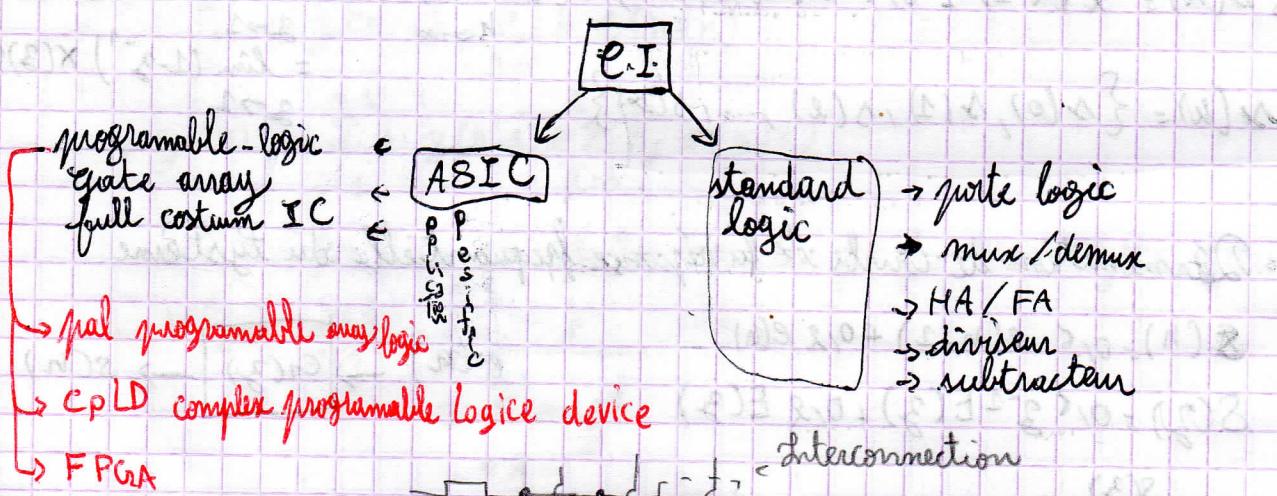
$$|G_2(e^{j\omega T})| \quad G_2(0) = 0,5$$

$$G_2\left(\frac{\pi}{T}\right) = 0,1$$



5-11-2014

~~CMIC~~ FPGA cours



one time programming architecture

dans la programmation
on donne une tension
très grande dans la file
de l'0 //, donc les 2 liens
se déconnectent

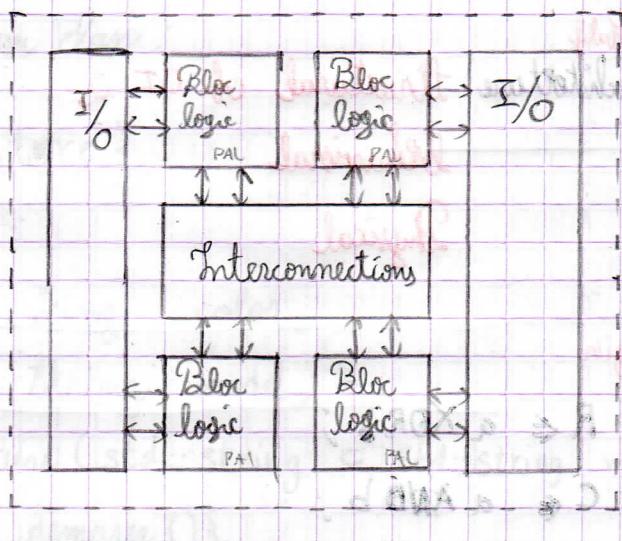
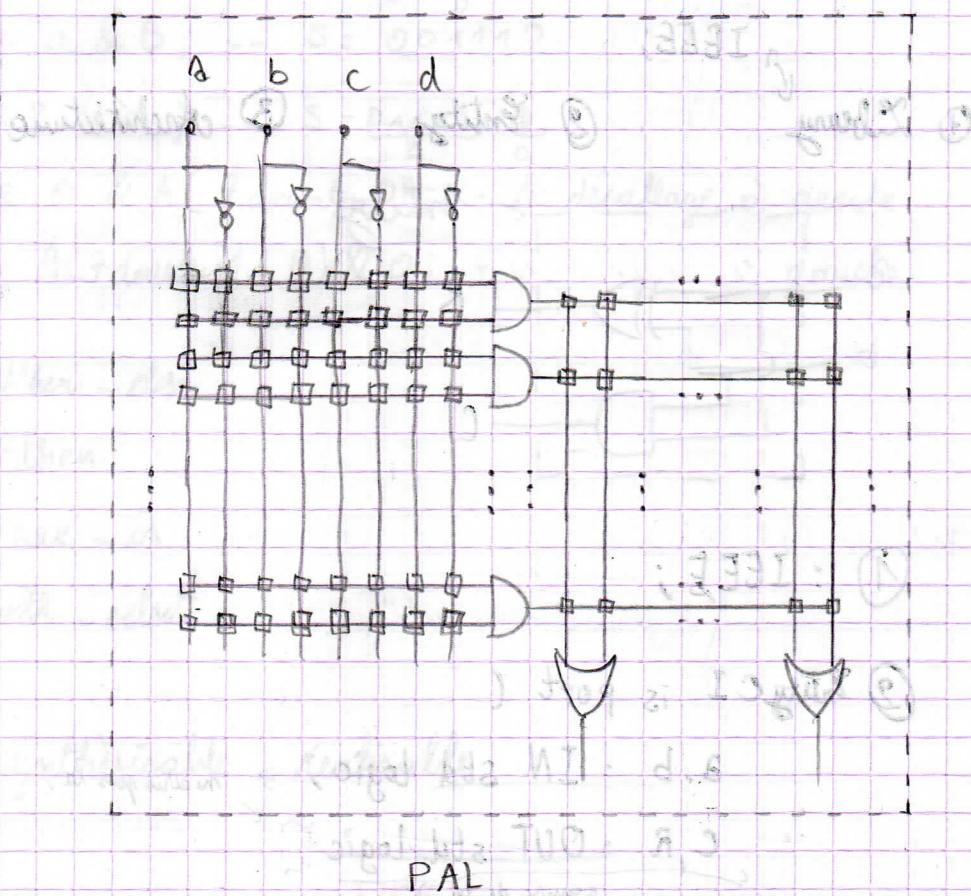
المتريل
بأ
نوع



interconnection

cette architecture permet de programmer le CI plusieurs fois

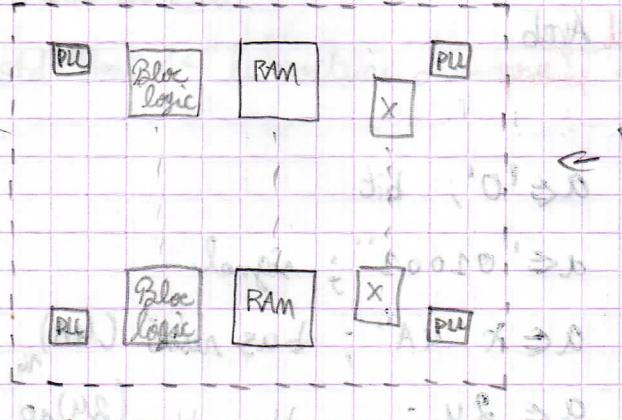
Vdd
programmation



CPLD

Example

Réf : 5M160ZE64ASN



PPGA

VHDL:

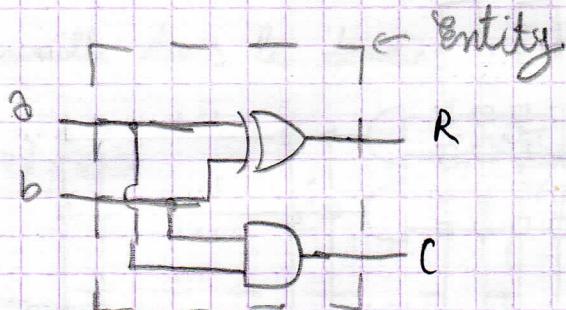
→ Commentaire : '-- c'est une commentaire'

IEEE;

① Library

② Entity

③ Architecture



① : IEEE;

② Entity CI is port (

a, b : IN std logic; n'oublier pas la;

c, R : OUT std logic

à cause de son " "

);

end; CI facultatif

③ , Architecture structural of CI is
behavioral
Physical

Begin

R \leftarrow a XOR b;

C \leftarrow a AND b;

end Arch

facultatif

a \in '0'; bit

a \in "01001"; signal

a \in x "4A"; bus resoi (4A)₁₆

a \in 24; ou (24)₁₀

$a \in '0' \rangle$

$B \in "01110";$

$S \in a \& B; \quad S = \begin{array}{c} a \\ \text{---} \\ B \end{array}$

$S \in B \& a; \quad S = \begin{array}{c} B \\ \text{---} \\ a \end{array}$

$S \in 0 \& A(7 \text{ down to } 0); \quad A \text{ décalage à droite}$

$S \in A(7 \text{ down to } 0) \& 0; \quad A \text{ décalage à gauche}$

When - else

if - then

case - in

with - select

synthétisable \Leftarrow réalisable

POO - classes

creation d'un classe:

```
class Voiture {
```

```
public:
```

```
    std::string color;
```

```
    std::string model;
```

```
voiture (std::string c, std::string m):color(c), model(m) {} // 1
```

```
void demarer () {
```

```
    std::cout << "la voiture démarre!" << std::endl;
```

```
}
```

```
};
```

Création d'un objet

voiture ma_voiture ("Rouge", "Toyota");

ma_voiture.démarrer(); // appeler la méthode / fonction démarrer

std::cout << "couleur : " << ma_voiture.color << std::endl;

On continue la Class // I

Construction { voiture (std::string e, std::string m) : color (c), model (m) {
std::cout << "objet voiture créé !" << std::endl;
}

Destructeur { ~voiture () {
std::cout << "objet voiture détruit !" << std::endl;
}

6-11-Lec4

TAS//SAP

- Random variable

ensemble of X_1 and X_2 respectively

1. Independence principle: Considering $A = \{a_1, a_2, \dots, a_n\}$ & $B = \{b_1, b_2, \dots, b_m\}$
It stipulates that, if 2 random variables X_1 & X_2 are independent, then
the joint probability for X_1 to take the value a_k noted $Pr(X_1=a_k)$
and $Pr(X_2=b_i)$ is $Pr(X_1=a_k, X_2=b_i) = Pr(X_1=a_k) \times Pr(X_2=b_i)$

2. The exclusion Principle: If the 2 variables X_1 & X_2 cannot take ~~simultaneously~~
simultaneously the value $X_1=a_k$ & $X_2=b_i$ then the probability is
 $Pr(X_1=a_k, X_2=b_i) = Pr(X_1=a_k) + Pr(X_2=b_i)$

→ Probability

1) True probability : $\Pr(X = a_k) = \lim_{N_t \rightarrow \infty} \frac{m_{ak}}{N_t}$

2) Estimated : $\Pr(X = a_k) = \frac{m_{ak}}{N_t}$

→ The average of a random variable

1) The true average: assume that $A = \{a_1, a_2, \dots, a_N\}$ ensemble of N possible values, the average is:

$$m_{\bar{x}} = \frac{\sum_{k=1}^N a_k \cdot m_{ak}}{N_t} \underset{N_t \rightarrow \infty}{=} \sum_{k=1}^N a_k \lim_{N_t \rightarrow \infty} \left(\frac{m_{ak}}{N_t} \right) = \sum_{k=1}^N a_k \Pr(X = a_k) = E[X]$$

$$= \Pr(1)a_1 + \Pr(2)a_2 + \dots + \Pr(N)a_N$$

X esperance de X
X الجملة المطلوبة