

## Progress Report II

### 1. Resampling Methods

In Chapter 6, we discussed two common resampling methods: cross-validation and bootstrapping. Since my dataset is a time series, I applied a resampling technique to aggregate the data into hourly intervals. This step was essential to simplify the dataset and focus on trends and patterns at a higher level of granularity:

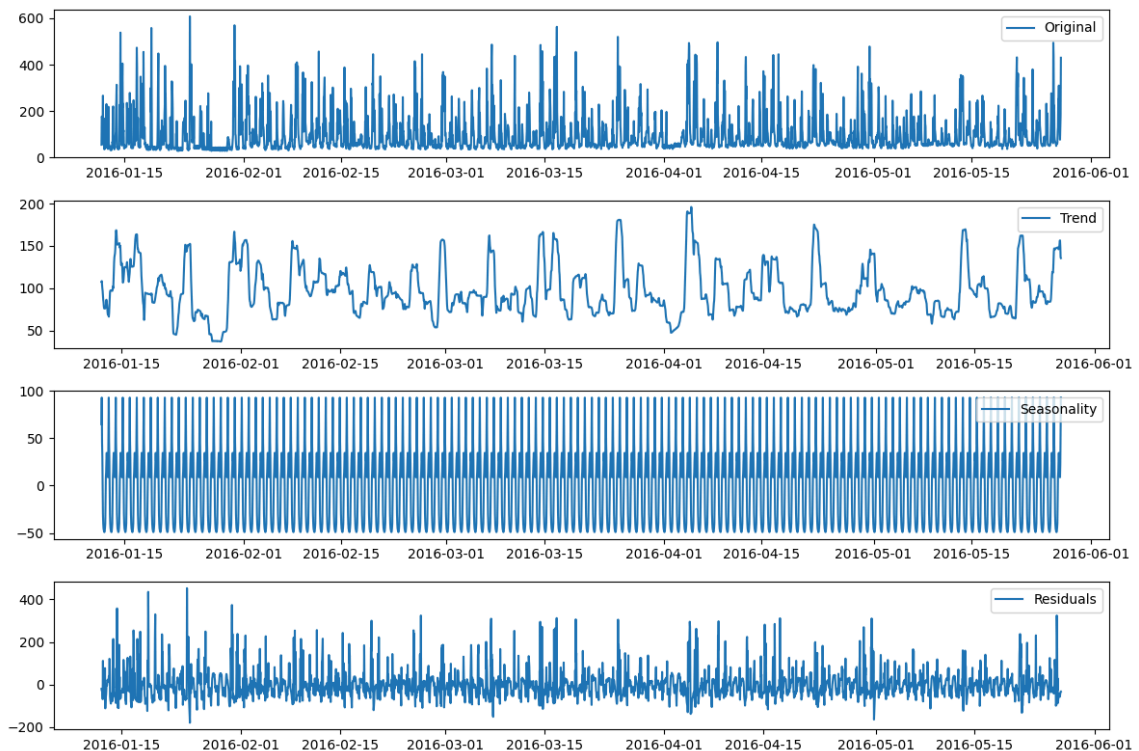
- Original Dataset Shape: (19735, 28)
- After Resampling: (3290, 28)

By resampling, I reduced the dataset size significantly while preserving the key temporal patterns, making it more suitable for time series analysis and modeling.

### 2. Time Series Decomposition

To better understand the underlying patterns in the Appliances Energy Consumption time series, I applied a seasonal decomposition technique. This process breaks down the time series into three key components:

- Trend: Captures the long-term movement or direction in the data.
- Seasonality: Identifies repeating patterns or cycles hours
- Residuals: Represents the remaining noise or unexplained variation after removing the trend and seasonality.



### Figure 1: Appliance Decomposition

I used the `seasonal_decompose` function from the `statsmodels` library with an additive model. Since the data was resampled to hourly intervals, I specified a period of 24 to capture daily seasonality. The decomposition was performed as follows:

**Code:** `decomposition = seasonal_decompose(df_hourly['Appliances'], model='additive', period=24)`

#### Outcome:

- It shows a **slight up-and-down pattern**, with noticeable bumps during certain periods (e.g., around mid-March and April).

### 3. Check Stationarity

I applied the Augmented Dickey-Fuller (ADF) test to assess whether the Appliances time series is stationary.

```
ADF Statistic: -8.948888280256888
p-value: 8.833753129594426e-15
Critical Values:
1% -3.432357502010421
5% -2.862426994644342
10% -2.567242166152283
```

#### Interpretation:

- The ADF statistic is much lower than all critical values.
- The p-value is significantly less than 0.05, indicating strong evidence to reject the null hypothesis of non-stationarity.
- The Appliances time series is stationary, and no additional differencing is needed before modeling.

### 4. Split Data

I split the data into 80% for training and 20% for testing, following a standard practice. This allows me to train the model on the training set and evaluate its performance on the testing set.

### 5. Model Train

There are various techniques available for training time series models. I chose SARIMAX because:

- Stationarity: SARIMAX is well-suited for stationary data, and as shown above, I confirmed that my dataset is stationary using the Augmented Dickey-Fuller (ADF) test.
- Seasonality: SARIMAX can handle seasonal patterns effectively, which is crucial for my dataset that exhibits daily seasonality.
- Exogenous Variables: SARIMAX allows the inclusion of external predictors (exogenous variables), which can enhance the model's accuracy if additional features are available.

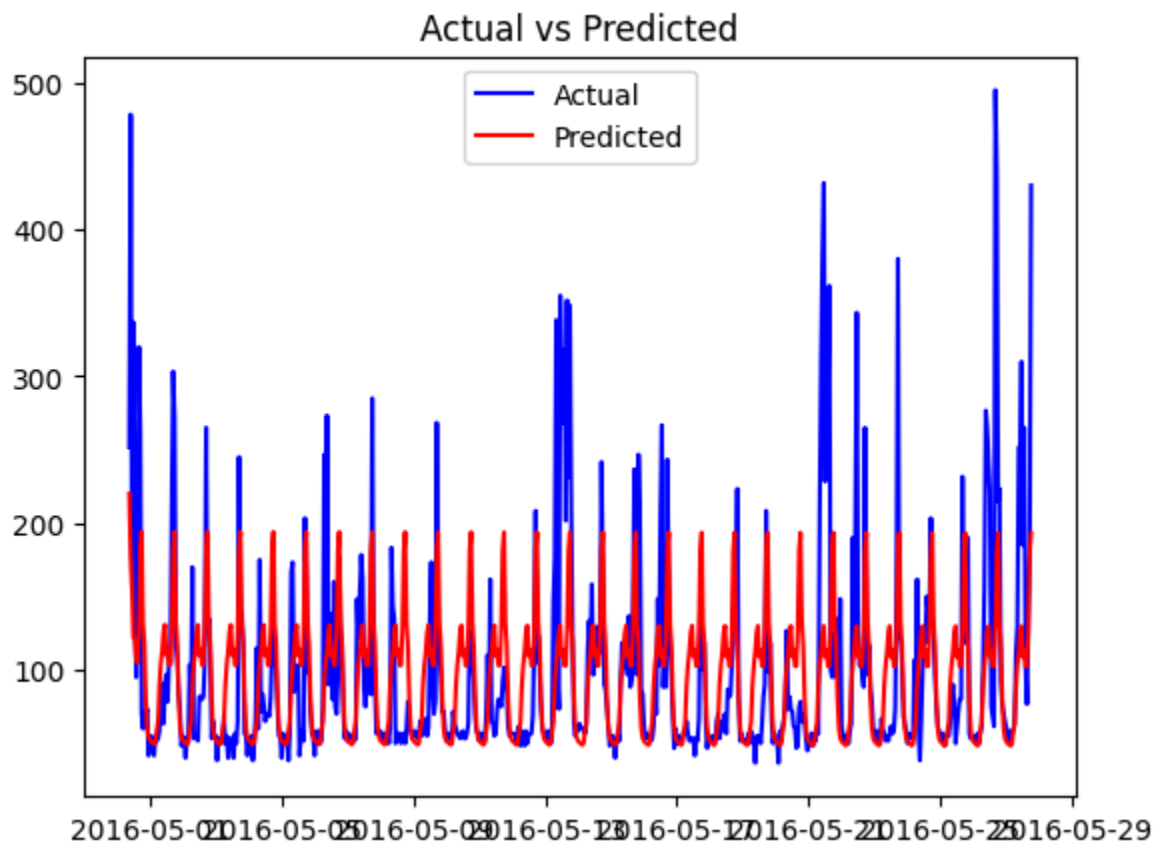
Considering these factors, I determined that SARIMAX was a suitable choice for my time series analysis and forecasting. While I have not yet explored other techniques to enhance the model, I plan to fine-tune its parameters to improve its performance. Although the model is learning, its current performance is not satisfactory.

## SARIMAX Results

```
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=====
Dep. Variable:          Appliances  No. Observations:          2632
Model:                SARIMAX(1, 1, 1)x(1, 1, 1, 24)  Log Likelihood          -14442.018
Date:                  Wed, 23 Apr 2025  AIC              28894.035
Time:                  05:01:03  BIC              28923.315
Sample:                01-11-2016  HQIC              28904.648
                        - 04-30-2016
Covariance Type:                opg
=====
=====
              coef  std err          z      P>|z|    [0.025    0.975]
-----
ar.L1         0.4820    0.012   41.305    0.000    0.459    0.505
ma.L1        -1.0000    0.715   -1.398    0.162   -2.402    0.402
ar.S.L24      0.0035    0.011    0.325    0.745   -0.018    0.025
ma.S.L24     -0.9627    0.006  -149.926    0.000   -0.975   -0.950
sigma2       4150.3549  2986.627    1.390    0.165  -1703.326    1e+04
=====
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Ljung-Box (L1) (Q):          32.34  Jarque-Bera (JB):          9719.20
Prob(Q):                    0.00  Prob(JB):                    0.00
Heteroskedasticity (H):        0.72  Skew:                    2.08
Prob(H) (two-sided):          0.00  Kurtosis:                 11.55
=====
=====
```

**Figure 2:** Output SARIMAX Model

## 6. Prediction Model



**Figure 3:** Prediction output