MTH401-Differential Equation MID TERM MCQS

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Q1: Which of the following is the first order linear equation in unknown variable y?

- A) $z^{dy}_{dx} + (\sin x)y = \cos x \text{ (page 48) (100% Sure)}$
- D) $y \frac{dx}{dy} + (\sin y)x = \cos y$
- A) $y \frac{dx}{dy} + (\sin y)x = \cos x$
- A) $y \frac{dx}{dy} + (\sin x)x = \cos y$

Q2: Which of the following function would satisfy: $\frac{dy}{dx} = \frac{d2y}{dx^2} = \frac{----}{2}$

- A) $y = Ae^x$ (Confirm) (100% Sure)
- $\mathbf{B)} \ \mathbf{y} = \mathbf{A} \mathbf{x} \mathbf{e}^{\mathbf{x}}$
- $\mathbf{B)} \mathbf{y} = \mathbf{A} \mathbf{e}^{\mathbf{x}\mathbf{x}}$
- $\mathbf{B)} \mathbf{y} = \mathbf{A} \mathbf{x}^{\mathbf{x}} \mathbf{e}^{\mathbf{x}\mathbf{x}}$
- **Q3: If**

$$y=2+x$$

, then which of the following is true for it?

- A) Its annihilator is D
- C) Its annihilator operator is D² (pag159) (100% Sure)
- B) Its annihilator operator is D³
- B) Its annihilator operator is D + 1

Q4: For the non-exact differential equation M(x,y)dx + N(x,y)dy = 0, if $\partial W_{\partial y} - \partial N_{\partial x} / N$ \$ is a function of x, then the integrating factor is:

- A) function of x also (page40) (100% Sure)
- D) function of y
- D) constant
- D) multi-variable function of both x and y

Q5: Which of the following are explicit solution of the differential equation: $\frac{dy}{dx} = -\frac{x}{y}$

A)
$$y = \pm \sqrt{4 + x}$$

A)
$$y = \pm \sqrt{-4 + x^2}$$

D)
$$y = \pm \sqrt{4 - x^2}$$
 (page 16) (100% Sure)

D)
$$y = \pm \sqrt{-4 - x^2}$$

Q6: For
$$f(x,y) = \frac{2x}{3y} + 7$$
, $f(t_x, t_y) = ---$
A) $f(x,y)$
A) $t f(x,y)$ (page26) (100% Sure)
A) $t^2 f(x,y)$
D) $t^3 f(x,y)$

A)
$$t^2$$
 $f(x,y)$

$$D) t^3 f(x,y)$$

Q7: What is the annihilator operator of the function $g(x) = 4\sin x$?

A)
$$(D^2 - 1)$$

D)
$$(D^2 + 4)$$

D)
$$(D^2 - 4)$$

D)
$$(D^2 + 1) (100\% Sure)$$

Q8: The differential equation $\frac{dy}{dx} - y = y^3$

- A) Homogeneous
- A) Cauchy
- D) Bessel

Q9: The integrating factor for the first order linear differntial equation: $\frac{dy}{dx} + y\cot x = \sin^2 x$ is

C) sinx (100% Sure)

- D) cosx
- D) e^{sin x}
- D) e^{cos x}

Q10: In exponential model for the population growth: $P(t) = P_0 e^{kt}$ If k>0, then $\lim_{t\to\infty} P(t) =$

- A) 0
- **B**) 1
- B) ∞ (page 97) (100% Sure)
- \mathbf{B}) ∞
- Q11: The hook's law states that the force F is proportional to the
- A) Length
- B) Elongation (page197) (100% Sure)
- C) Weight
- D) None of these
- Q12: Separable form of the differential equation: $\frac{dy}{dx} = y 1$ is _____, where y = y 1.
- A) $\frac{dx}{x} = dv$
- $\mathbf{B)} \, \mathbf{dx} = \mathbf{v} \mathbf{dv}$
- C) $\frac{dy}{v} = dx$ (page17) (100% Sure)
- D) $\frac{dv}{v} = \frac{dx}{x}$
- Q13: For $f(x,y) = \frac{2x}{3y} + 7$, f(tx, ty) = ---
- A) f(x, y)
- B) t f(x, y) (page26) (100% Sure)
- C) t^2 f(x,y)
- D) t^3 f(x,y)
- Q14: Which of the following is an equivalent form of the exact differential equation: ydx + xdy = 0?
- A) $d^{x}/_{y} = 0$
- B) d $\frac{y}{x} = 0$ (page33) (100% Sure)
- C) d (xy) = 0
- $\mathbf{D)} \ \mathbf{d} \ (\mathbf{x} + \mathbf{y}) = \mathbf{0}$
- Q15: In the general solution of a separable differential equation is $\sin^{-1}y = \cos^{-1}x + c$, provided that $y(1/\sqrt{2}) = 1/\sqrt{2}$, then c = ---.
- A) $\frac{\Pi}{2}$

- B) 11/4
- C) $\frac{\Pi}{2}$

D) 0 (Confirm Solved) (100% Sure)

Q16: The differential equation of orthogonal trajectory to the family of curves x - 2y = c is:

A)
$$\frac{dy}{dx} = -\frac{1}{2}$$

B)
$$\frac{dy}{dx} = \frac{1}{2}$$

C)
$$\frac{dy}{dx} = 2$$

D) $\frac{dy}{dx} = -2$ (Confirm) (100% Sure)

Q17: Classify the following differential equation $e^{x} \frac{dy}{dx} + 2y = 3xy$

- A) Separable and not linear
- B) Linear and not sparable
- C) Both sparable and linear

D) Neither sparable nor linear (Confirm Solved) (100% Sure)

Q18: The periodic time is given by:

A)
$$\sqrt[W]{2\Pi}$$

B) ²¹¹/_w (page201) (100% Sure)

C)
$$2\Pi + w$$

Q19: If $x^2y^3dx + x^3y^2dy = 0$ has the equivalent form as $d(\frac{1}{3}x^3y^3) = 0$, then its solution is

$$A) x^3 + y^3 = c$$

B)
$$x^3 - y^3 = c$$

$$C) x^3y^3 = c$$

D)
$$x^3/y^3 = c$$

Q20: The family of parabolas $y^2 = 4ax$ are solutions of the differential equation: $\frac{dy}{dx} = \frac{2a}{y}$ for ----- value(s) of a.

- A) infinite
- B) finite
- C) unique

D) no (Confirm) (100% Sure)

O21: If $y = c_1 e^{(-2 + \sqrt{6})x} + c_2 e^{(-2 - \sqrt{6})x}$ is the complementary solution of:

$$A) Ax + B$$

$$D) Ax^2 + Bx + C$$

D) $Ax^3 + Bx^2 + Cx + D$ (Confirm) (100% Sure)

$$D) (Ax^2 + Bx)2x^2$$

Q22: If initial amount of radioactive isotope is 100g. What will be the amount at the end of 30 days such that K=0.043?

B) 363.297 (Confirm Solved) (100% Sure)

Q23: If 2,3,5 are real roots of a differential equation, then the general

A)
$$y_c = c_1 e^{2x} + c_2 e^{3x} + c_3 e^{5x}$$
 (confirm Solved) (100% Sure)

B)
$$y_c = c_1 e^{2x} + c_2 e^{-3x} + c_3 e^{5x}$$

B)
$$y_c = c_1 e^{2x} + c_1 e^{-3x} + c_1 e^{5x}$$

B)
$$y_c = (c_{1+c_2+c_3)e^{3x}+e^{2x}}$$

Q24: Wronskian W(x,2x) =

- 0 (Confirm Solved) (100% Sure)
- -1
- None of these

equation: $\frac{dy}{dx} = -\frac{x}{y}$,

Q25: Which of the following is the implicit solution of the differential

A)
$$x + y + 4 = 0$$

B)
$$x^2 + y^2 - 4 = 0$$
 (page 16) (100% Sure)

B)
$$x^2 - y^2 + 4 = 0$$

B)
$$x^2 - y^2 - 4 = 0$$

Q26: ydx - y(sinx)dy = 0, is an example of differential equation.

A) Exact (page33) (100% Sure)

- B) Non-exact
- B) Non-linear
- **B)** Non-homogeneous

Q27: Which of the following is an example of ordinary differential equation?

A)
$$(y - x)dx + 4xdy = 0$$
 (page15) (100% Sure)

B)
$$\partial \mathbf{u}/\partial \mathbf{y} = -\partial \mathbf{u}/\partial \mathbf{x}$$

B)
$$ax^2 + bx + c = 0$$
, $a \neq 0$

B)
$$\phi(x) = f(x) + \lambda \int k(x,t) \phi(t)dt$$

Q28: A differential equation M(x,y)dx + N(x,y)dy = 0 is exact if there exists a multi-variable function f(x,y) such that

A)
$$df(x,y) = \partial f/\partial x dx + \partial f/\partial y dy$$
 (100% Sure)

B)
$$\int f(x,y)dx = \int \partial f/\partial x dx + \int \partial f/\partial y dy$$

B)
$$f(x,y) = \partial f / \partial x dx + \partial f / \partial y dy$$

B)
$$f(x,y) = \int \partial f / \partial x \, dx + \int \partial f / \partial y \, dy$$

Q29: Which of the following is an initial value problem (IVP)?

$$A) d^2y/dx^2 + y = 0$$

B)
$$d^2y/dx^2 + y = 0$$
, $x \in [-2, 2]$

B)
$$d^2y/dx^2 + y = 0$$
, $y(1) = -2$ and $y'(1) = -2$ (Confirm Solved) (100% Sure)

B)
$$d^2y/dx^2 + y = 0$$
, $y(1) = -2$ and $y'(1/2) = -2$

Q30: Which of the following would be a constant solution of the separable differential equation: $\frac{dy}{dx} = e^{x+y}$?

B)
$$y = 1$$

B)
$$y = a \in R$$

B) No constant solution exist

Q31: The family of curve $x^2 + y^2 = C^2$ represents a family of circles centered at

A)
$$(1, 0)$$

D) (0, 0) (page84) (100% Sure)

D) (1, 1)

Q32: The differential equation: $(x + 2y^3)^{dy}/_{dx} = y$ is linear in unknown:

- A) variable y
- B) multi-variable x and y
- B) variable x (100% Sure)
- B) dy/dx

Q33: For a system in simple harmonic motion which of the following is the time required to complete a cycle of motion?

- A) Frequency
- B) Amplitude
- B) Period (page201) (100% Sure)
- **B)** Revolution

Q34: Suppose that $y_1, y_2 \dots y_n$ are n solution of the homogeneous nth order differential equation. Then the solution is linearly dependent on an interval if and only if

- A) $W(y_1, y_2, \dots, y_n) = 0$ (page120) (100% Sure)
- B) W(y₁, y₂,, y_n) = ∞
- C) W($y_1, y_2,, y_n$) $\neq 0$
- D) $W(y_1, y_2, ..., y_n) = -\infty$

Q35: If we substitute u = y/x is differential equation.

- A) $ue^u du = dx$
- B) $ue^{(-u)} du = dx (page 61) (100\% Sure)$
- C) $ue^u du = dy$
- $D) ue^{(-u)} du = dy$

Q36: Which of the following would be a particular solution of the differential equation: dy/dx = 4?

- A) y = 4x + a
- B) y = ax + 4
- $\mathbf{B}) \mathbf{v} = \mathbf{a}\mathbf{x} + \mathbf{a}$

B) y = 4x + 4 (Solved Confirm) (100% Sure)

Q37: A set of functions $\{f_1(x), f_2(x), f_3(x), \dots, f_n(x)\}$ is said to be _____ on an interval I if there exist constants.

A) Linear dependent (page111) (100% Sure)

B) Linear independent

Q38: Separable form f(y)dy + g(x)dx = 0, of the differential equation $x \sin y dx + (x^2 + 1) \cos y dy = 0$ is _____.

A)
$$\tan y dy + x/x^{2} + 1 dx = 0$$

B)
$$\cot y dy + x/x^2 + 1 dx = 0$$
 (Solved Confirm) (100% Sure)

B)
$$\tan y dy + x/x^{2} - 1 dx = 0$$

B)
$$\cot y dy + x/x^{2} - 1 dx = 0$$

Q39: The differential equation is $(1 + \ln xy)dx + (1 + x/y) dy = 0$ is exact because

A)
$$\frac{\partial M}{\partial y} = \frac{\partial N}{\partial x} = \frac{1}{x}$$

B)
$$\partial^{M}/\partial_{x} = \partial^{N}/\partial_{y} = \frac{1}{y}$$

B)
$$\partial^{M}/\partial_{y} = \partial^{N}/\partial_{x} = \frac{1}{y}$$
 (Confirm Solved) (100% Sure)

B)
$$\partial^{M}/\partial_{x} = \partial^{N}/\partial_{y} = \frac{1}{x}$$

Q40: We can derive a differential equation governing the motion of a mass attached to spring when the Newton's second law combined with

A) Hook's law (page197) (100% Sure)

B) Newton's 3rd law

