

# Lab Basic Blocks

J. Nelson Amaral

# A Basic Block

Only the first instruction of a basic block can be the target of a branch.

Execution can only start here

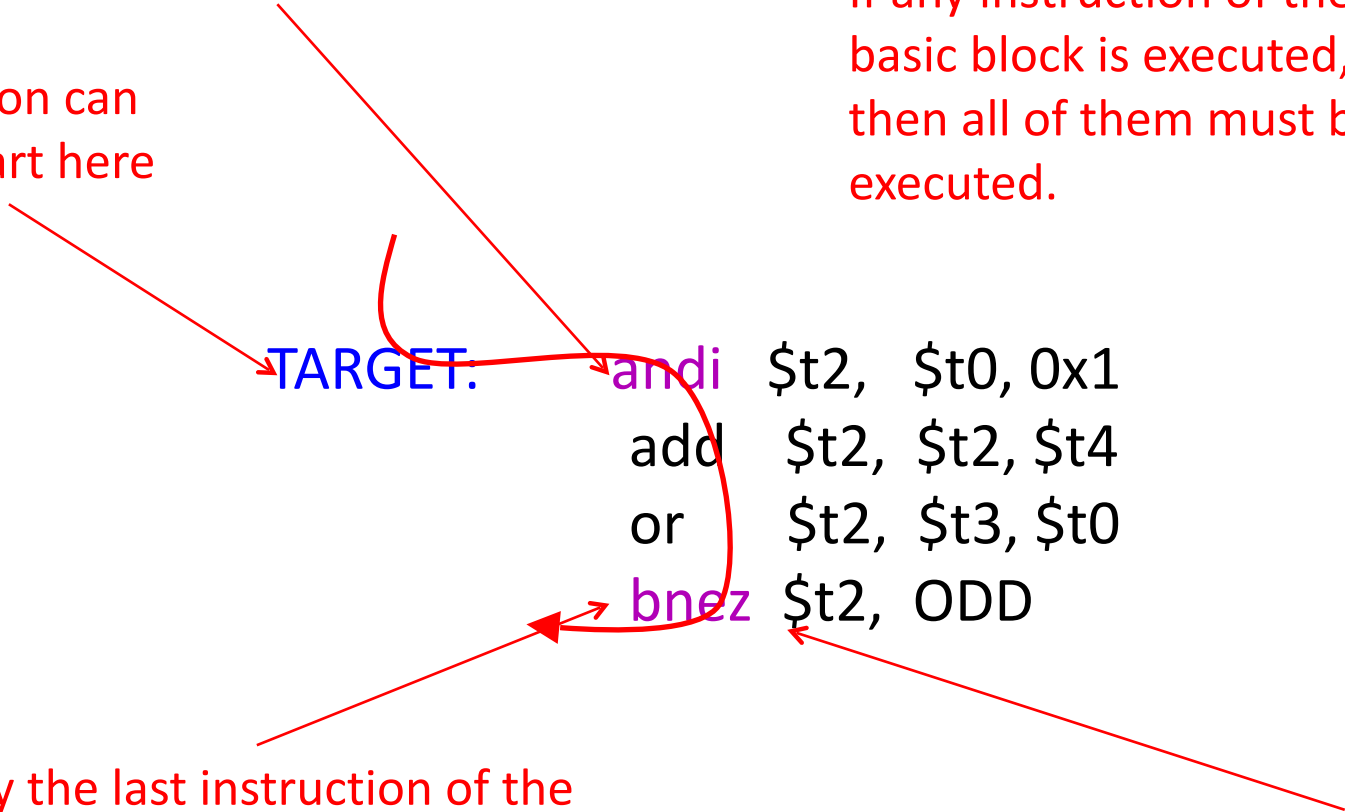
If any instruction of the basic block is executed, then all of them must be executed.

TARGET:

```
andi $t2, $t0, 0x1  
add  $t2, $t2, $t4  
or   $t2, $t3, $t0  
bnez $t2, ODD
```

Only the last instruction of the basic block can be a branch or a jump.

Execution can only stop here



# A Program Example

```
int odd_series(int p){  
    int j=0;  
    for (int i=0 ; i<p; i++){  
        if(i%2)  
            j += i;  
        else  
            j++;  
    }  
    return j;  
}
```

odd\_series:

```
li    $t0, 0           # i <-- 0  
li    $v0, 0           # j <-- 0  
blez  $a0, DONE        # if (p <= 0) goto DONE
```

LOOP:

```
andi  $t2, $t0, 0x1    # $t2 <-- bit0 of i  
bnez  $t2, ODD          # if i is odd goto ODD  
add   $v0, $v0, $t0     # j <-- j+i  
j     REINIT
```

ODD:

```
add   $v0, $v0, 1       # j <-- j+1
```

REINIT:

```
add   $t0, $t0, 1       # i <-- i+1  
blt   $t0, $a0, LOOP    # if i<p goto LOOP
```

DONE:

```
jr    $ra
```

# Finding Leaders

**Rule 1:** The first statement of a procedure is a leader.

```
odd_series:
    li    $t0, 0          # i <-- 0
    li    $v0, 0          # j <-- 0
    blez  $a0, DONE       # if (p <= 0) goto DONE
LOOP:
    andi  $t2, $t0, 0x1   # $t2 <-- bit0 of i
    bnez  $t2, ODD        # if i is odd goto ODD
    add   $v0, $v0, $t0   # j <-- j+i
    j     REINIT
ODD:
    add   $v0, $v0, 1      # j <-- j+1
REINIT:
    add   $t0, $t0, 1      # i <-- i+1
    blt   $t0, $a0, LOOP  # if i < p goto LOOP
DONE:
    jr    $ra
```

**Rule 2:** Any target of a branch or jump is a leader.

```
odd_series:
    li    $t0, 0          # i <-- 0
    li    $v0, 0          # j <-- 0
    blez  $a0, DONE       # if (p <= 0) goto DONE
LOOP:
    andi  $t2, $t0, 0x1    # $t2 <-- bit0 of i
    bnez  $t2, ODD         # if i is odd goto ODD
    add   $v0, $v0, $t0    # j <-- j+i
    j     REINIT
ODD:
    add   $v0, $v0, 1      # j <-- j+1
REINIT:
    add   $t0, $t0, 1      # i <-- i+1
    blt   $t0, $a0, LOOP  # if i < p goto LOOP
DONE:
    jr    $ra
```

**Rule 3:** Any instruction that follows a branch or jump is a leader.

```
odd_series:
    li    $t0, 0          # i <-- 0
    li    $v0, 0          # j <-- 0
    blez  $a0, DONE       # if (p <= 0) goto DONE
LOOP:
    andi  $t2, $t0, 0x1   # $t2 <-- bit0 of i
    bnez  $t2, ODD        # if i is odd goto ODD
    add   $v0, $v0, $t0    # j <-- j+i
    j     REINIT
ODD:
    add   $v0, $v0, 1      # j <-- j+1
REINIT:
    add   $t0, $t0, 1      # i <-- i+1
    blt   $t0, $a0, LOOP   # if i < p goto LOOP
DONE:
    jr    $ra
```



Instruction	Encoding
beq \$s, \$t, offset	0001 00ss ssst tttt oooo oooo oooo oooo
bgez \$s, offset	0000 01ss sss0 0001 oooo oooo oooo oooo
bgezal \$s, offset	0000 01ss sss1 0001 oooo oooo oooo oooo
bgtz \$s, offset	0001 11ss sss0 0000 oooo oooo oooo oooo
blez \$s, offset	0001 10ss sss0 0000 oooo oooo oooo oooo
bltz \$s, offset	0000 01ss sss0 0000 oooo oooo oooo oooo
bltzal \$s, offset	0000 01ss sss1 0000 oooo oooo oooo oooo
bne \$s, \$t, offset	0001 01ss ssst tttt oooo oooo oooo oooo
j target	0000 10aa aaaa aaaa aaaa aaaa aaaa aaaa
jal target	0000 11aa aaaa aaaa aaaa aaaa aaaa aaaa
jr \$s	0000 00ss sss0 0000 0000 0000 0000 1000

# Finding the Leaders – Lab #2

Instruction	Encoding
beq \$s, \$t, offset	0001 00ss ssst tttt oooo oooo oooo oooo
bgez \$s, offset	0000 01ss sss0 0001 oooo oooo oooo oooo
bgezal \$s, offset	0000 01ss sss1 0001 oooo oooo oooo oooo
bgtz \$s, offset	0001 11ss sss0 0000 oooo oooo oooo oooo
blez \$s, offset	0001 10ss sss0 0000 oooo oooo oooo oooo
bltz \$s, offset	0001 10ss sss0 0000 oooo oooo oooo oooo
bne \$s, \$t, offset	0001 01ss ssst tttt oooo oooo oooo oooo
j target	0000 10aa aaaa aaaa aaaa aaaa aaaa aaaa
jal target	0000 11aa aaaa aaaa aaaa aaaa aaaa aaaa
jr \$s	0000 00ss sss0 0000 0000 0000 0000 1000

Given the Leaders,  
How do we get the Basic Blocks?

A basic block is the leader followed by all subsequent instructions up to, but not including, the next leader.

```
odd_series:
    li    $t0, 0          # i <-- 0
    li    $v0, 0          # j <-- 0
    blez  $a0, DONE       # if (p <= 0) goto DONE
LOOP:
    andi  $t2, $t0, 0x1   # $t2 <-- bit0 of i
    bnez  $t2, ODD        # if i is odd goto ODD
    add   $v0, $v0, $t0   # j <-- j+i
    j     REINIT
ODD:
    add   $v0, $v0, 1      # j <-- j+1
REINIT:
    add   $t0, $t0, 1      # i <-- i+1
    blt   $t0, $a0, LOOP  # if i < p goto LOOP
DONE:
    jr    $ra
```

A basic block is the leader followed by all subsequent instructions up to, but not including, the next leader.

```
odd_series:
    li    $t0, 0          # i <-- 0
    li    $v0, 0          # j <-- 0
    blez  $a0, DONE       # if (p <= 0) goto DONE
LOOP:
    andi  $t2, $t0, 0x1   # $t2 <-- bit0 of i
    bnez  $t2, ODD        # if i is odd goto ODD
    add   $v0, $v0, $t0   # j <-- j+i
    j     REINIT
ODD:
    add   $v0, $v0, 1      # j <-- j+1
REINIT:
    add   $t0, $t0, 1      # i <-- i+1
    blt   $t0, $a0, LOOP  # if i < p goto LOOP
DONE:
    jr    $ra
```

# The Actual Code

0	[10010000]	34080000	ori \$8, \$0, 0	; 52: li \$t0, 0 # i
	[10010004]	34020000	ori \$2, \$0, 0	; 53: li \$v0, 0 # j
	[10010008]	18800009	blez \$4 36 [DONE-0x10010008];	54: blez \$a0, DONE #
	if (p			
1	[1001000c]	310a0001	andi \$10, \$0, 0	; 55: li \$t2, 0 # 0
	[10010010]	15400003	bne \$10, \$0, 0	; 56: bne \$t2, \$0, 0
2	[10010014]	00481020	add \$2, \$2, \$0	; 57: add \$2, \$2, \$0
	[10010018]	08100029	j 0x1001001c	; 58: j 0x1001001c
3	[1001001c]	20420001	addi \$2, \$0, 1	; 59: addi \$2, \$0, 1
4	[10010020]	21080001	addi \$8, \$0, 1	; 60: addi \$8, \$0, 1
	[10010024]	0104082a	slt \$1, \$8, \$0	; 61: slt \$1, \$8, \$0
	[10010028]	1420fff9	bne \$1, \$0, 0	; 62: bne \$1, \$0, 0
5	[1001002c]	03e00008	jr \$31	; 63: jr \$ra

6 block(s) found.

Block Leader: 0x10010000, Size: 3

Block Leader: 0x1001000C, Size: 2

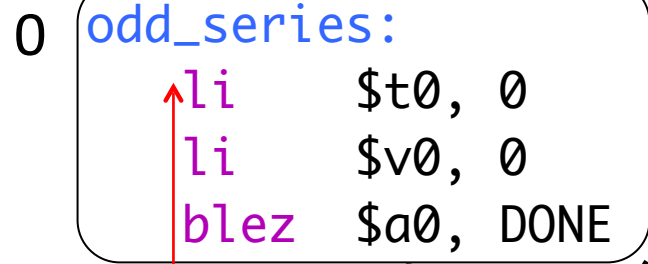
Block Leader: 0x10010014, Size: 2

Block Leader: 0x1001001C, Size: 1

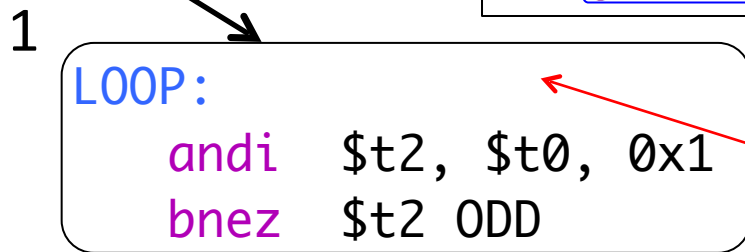
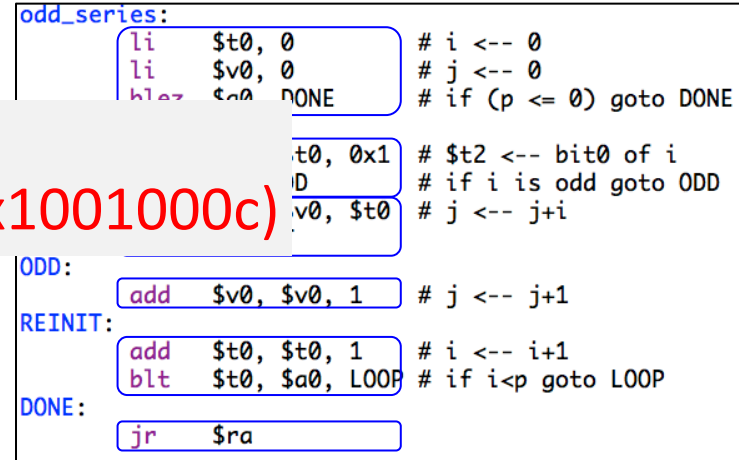
Block Leader: 0x10010020, Size: 3

Block Leader: 0x1001002C, Size: 1

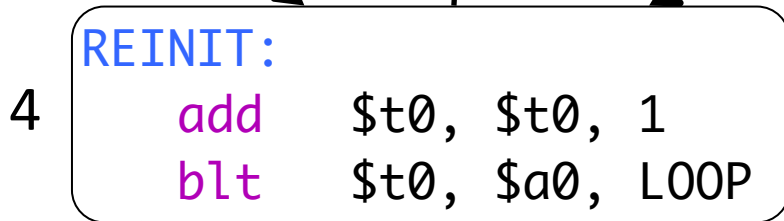
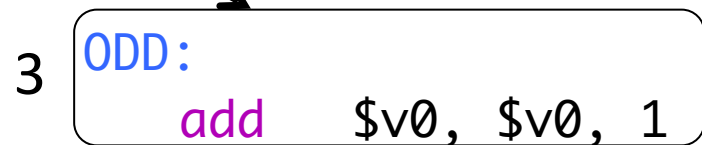
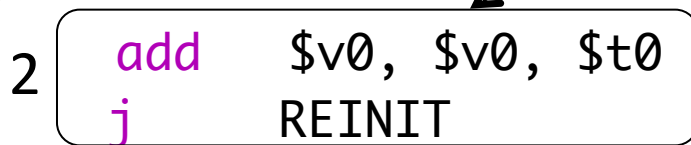
# Control Flow Graphs



This is the edge  
(0x10010000, 0x1001000c)



This is the  
basic block at  
address  
0x1001000c



This is the  
basic block at  
address  
0x10010000

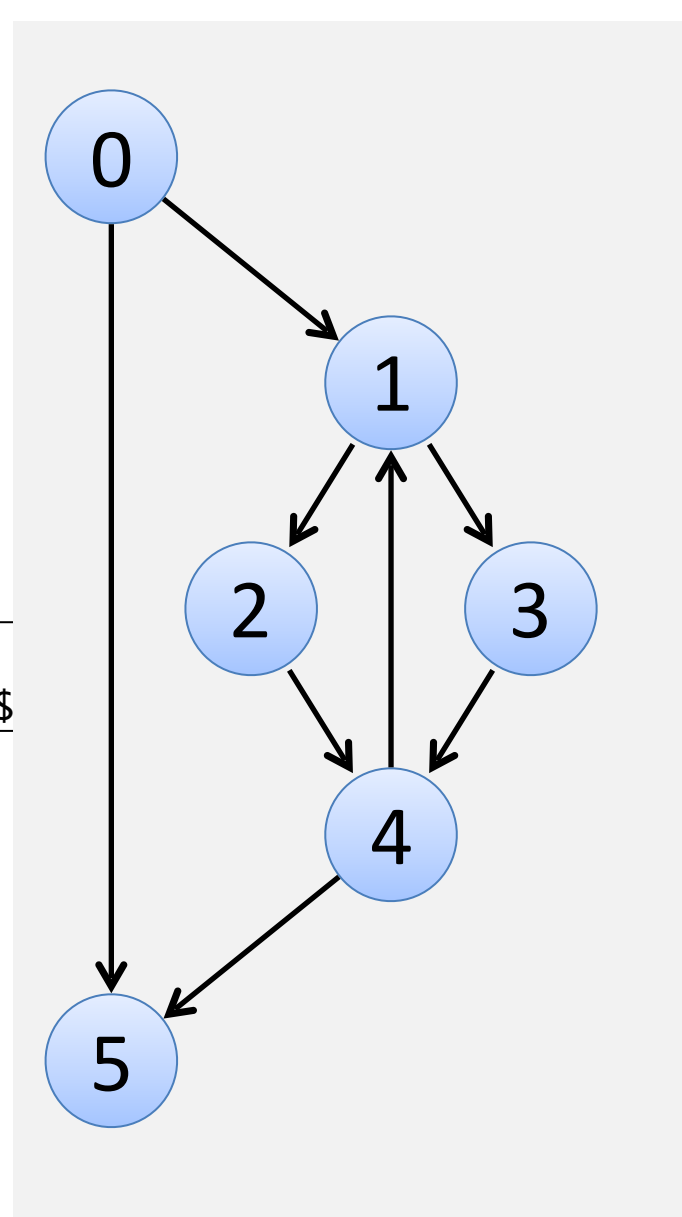
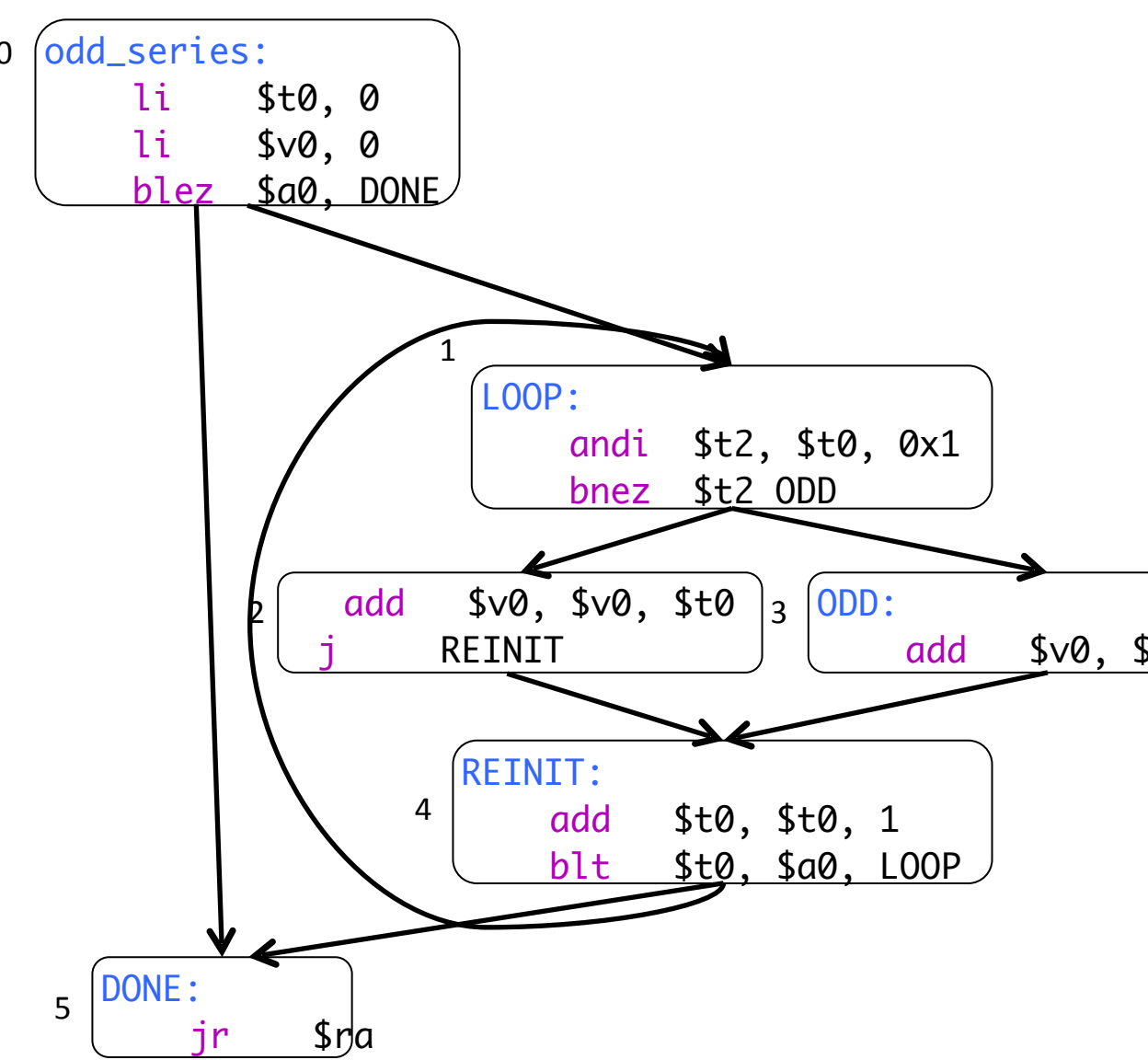


# The Actual Code

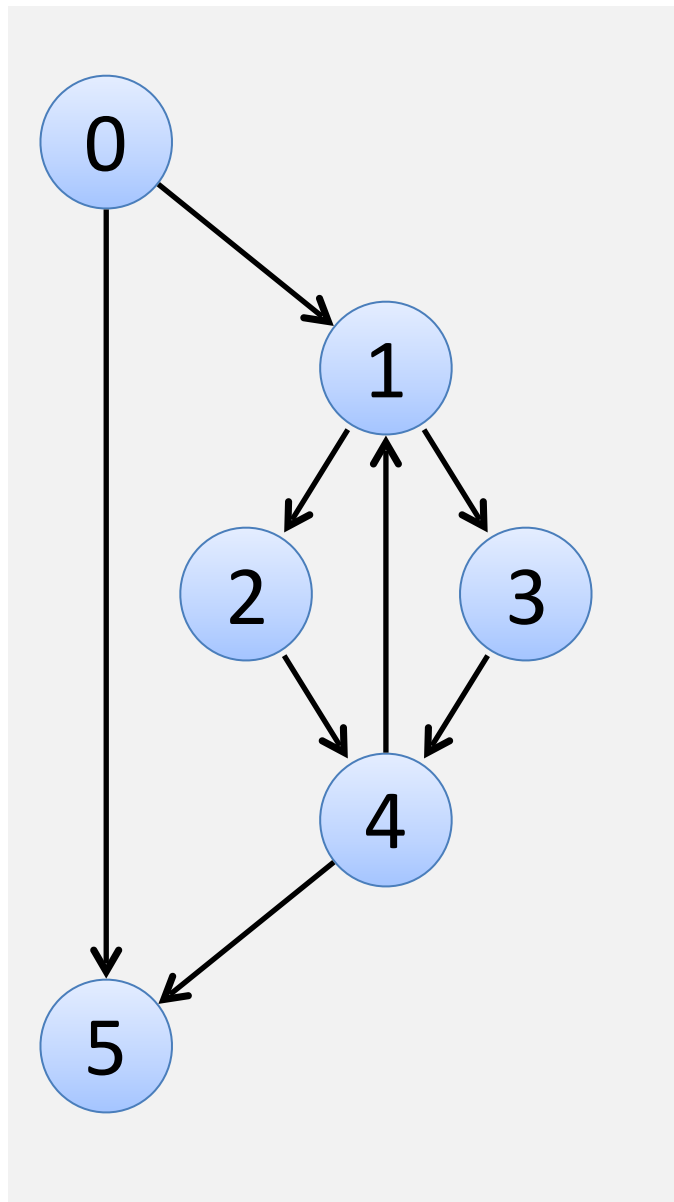
0	[10010000]	34080000	ori \$8, \$0, 0	; 52: li \$t0, 0 # i
	[10010004]	34020000	ori \$2, \$0, 0	; 53: li \$v0, 0 # j
	[10010008]	18800009	blez \$4 36 [DONE-0x10010008];	54: blez \$a0, DONE #
	if (p			
1	[1001000c]	310a0001	andi \$10, \$8, 1	; 56: andi \$t2 \$t0 0x1 #
	\$t2			
	[10010010]	15400003	bne \$10, \$0, 12	
2	[10010014]	00481020	add \$2, \$2, \$8	
	[10010018]	08100029	j 0x10010020 [RE	
3	[1001001c]	20420001	addi \$2, \$2, 1	
4	[10010020]	21080001	addi \$8, \$8, 1	
	[10010024]	0104082a	slt \$1, \$8, \$4	
	if i			
	[10010028]	1420fff9	bne \$1, \$0, -28	
5	[1001002c]	03e00008	jr \$31	

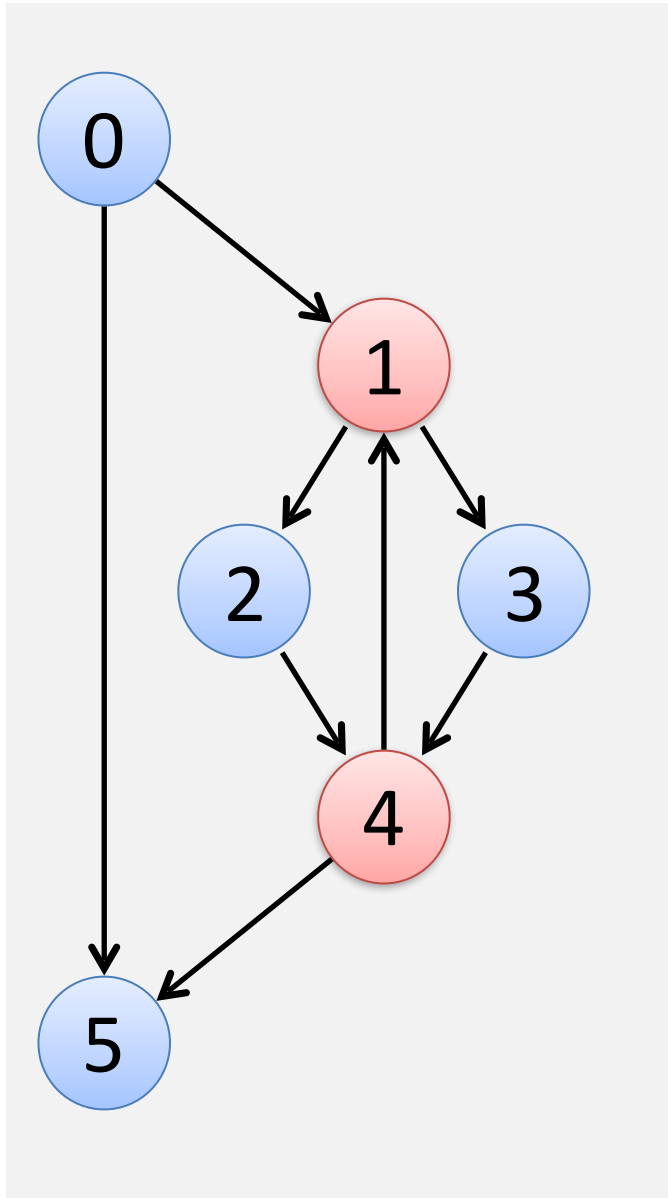
## Edges:

0x10010000 --> 0x1001000C  
 0x10010000 --> 0x1001002C  
 0x1001000C --> 0x10010014  
 0x1001000C --> 0x1001001C  
 0x10010014 --> 0x10010020  
 0x1001001C --> 0x10010020  
 0x10010020 --> 0x1001000C  
 0x10010020 --> 0x1001002C

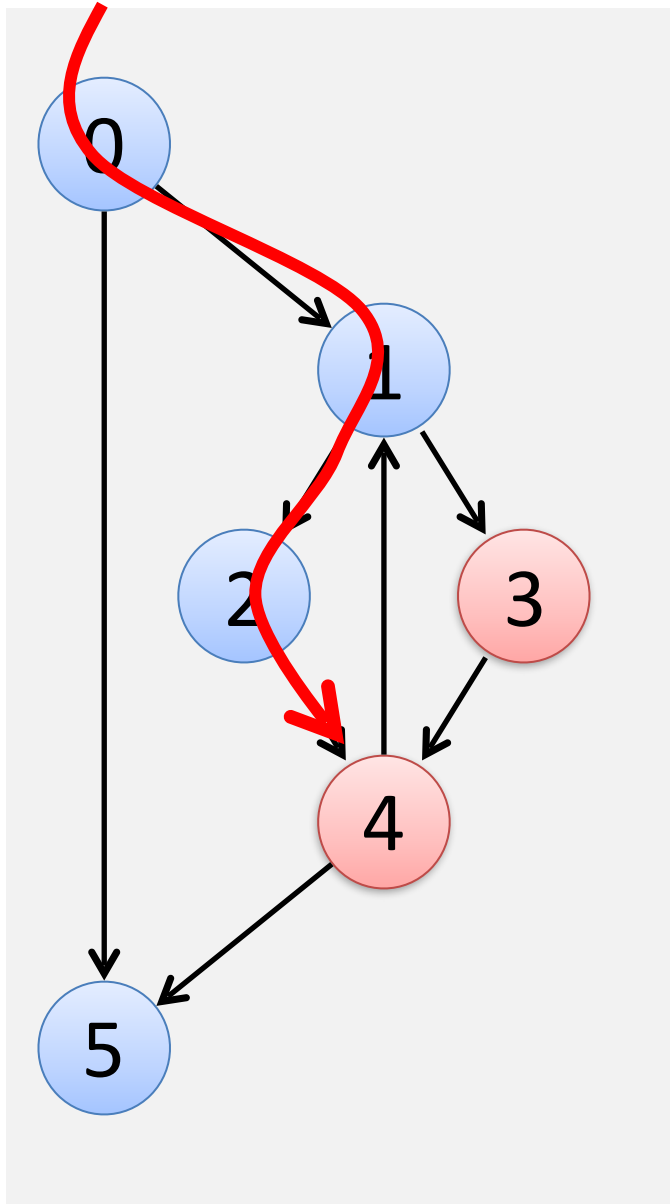


Dominators



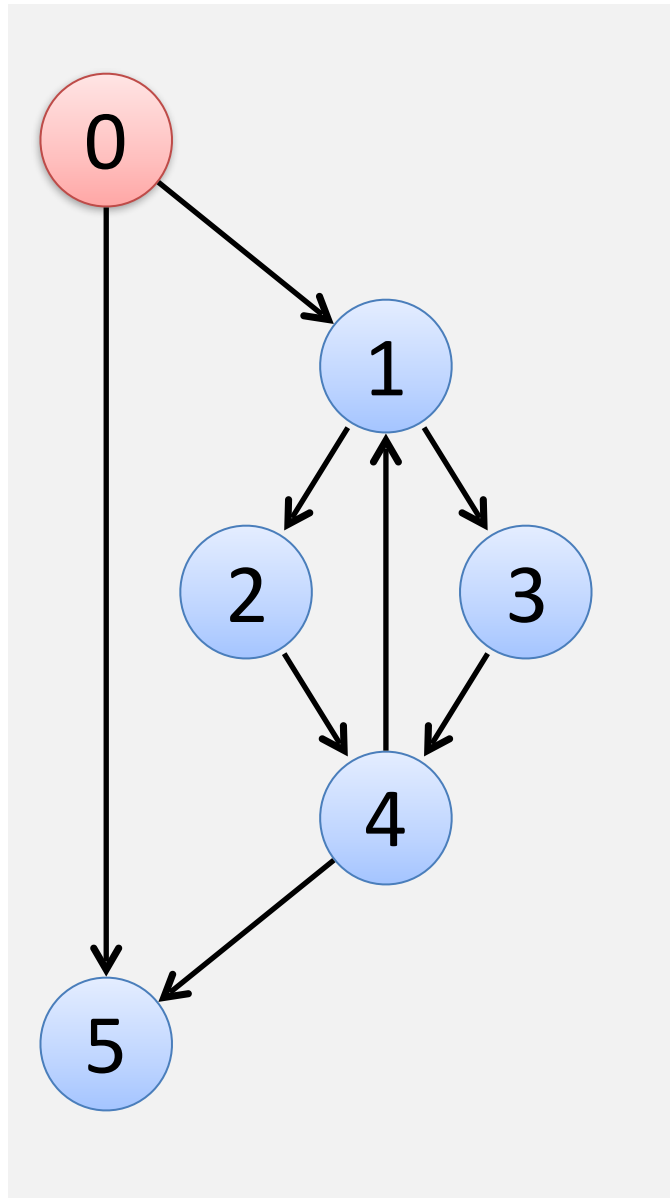


1 **dominates** 4 because you cannot execute 4 unless you have already executed 1



1 **dominates** 4 because you cannot execute 4 unless you have already executed 1

3 **does not dominate** 4 because there is a path (0→1→2→4) that reaches 4 without executing 3.

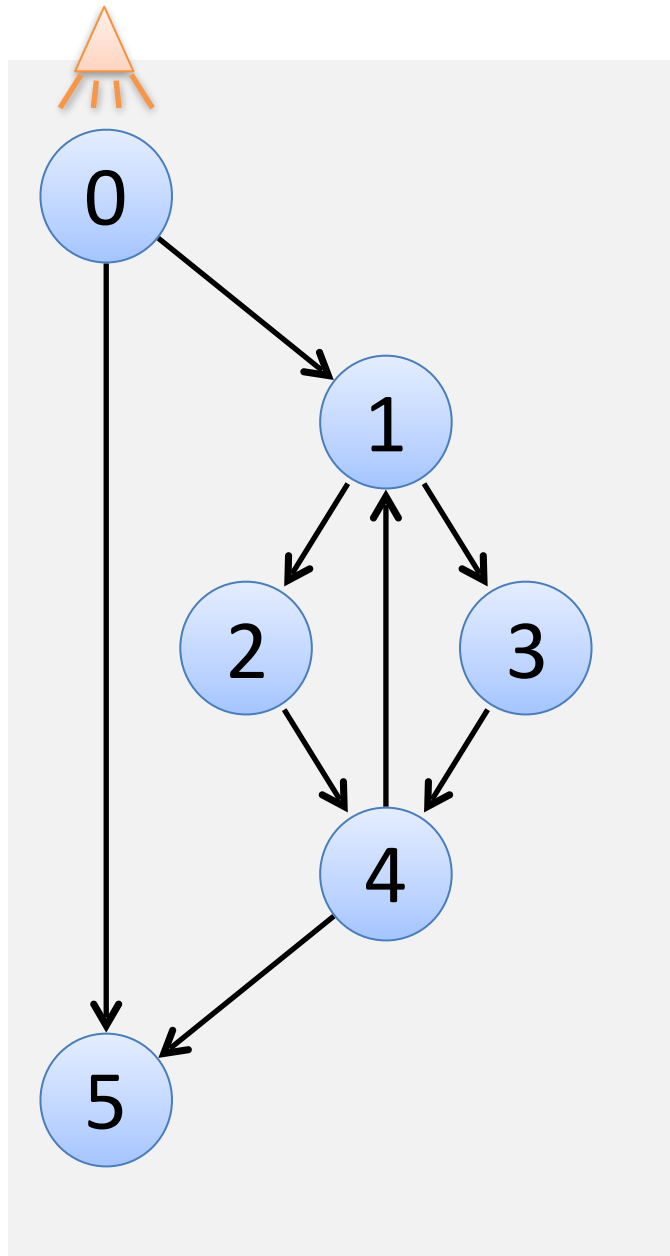


0 dominates all the basic blocks.

1 **dominates** 4 because you cannot execute 4 unless you have already executed 1

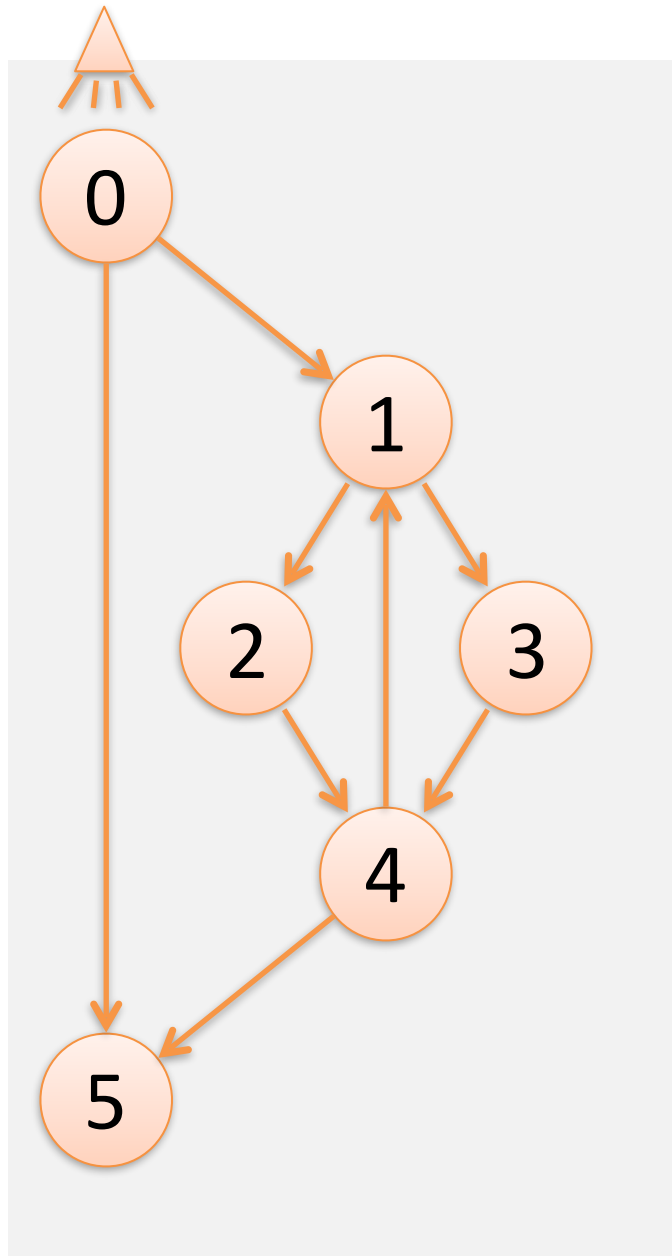
3 **does not dominate** 4 because there is a path  $(0 \rightarrow 1 \rightarrow 2 \rightarrow 4)$  that reaches 4 without executing 3.

A basic block dominates itself.

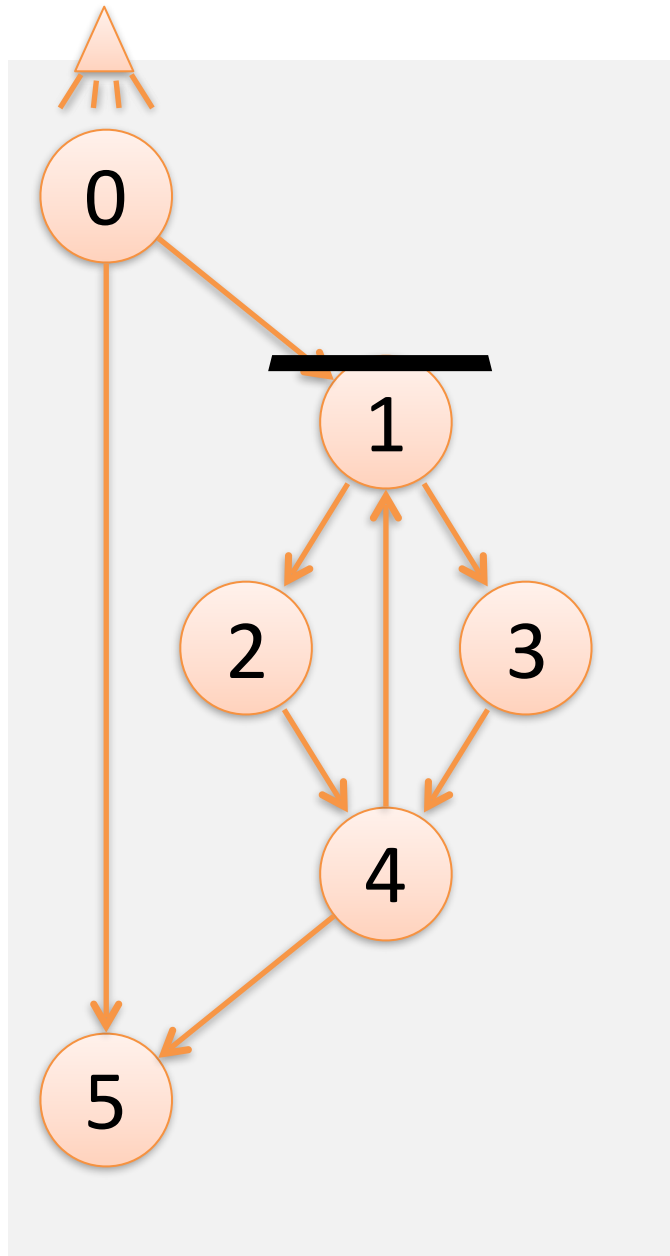


Intuitive Understanding of  
Dominance

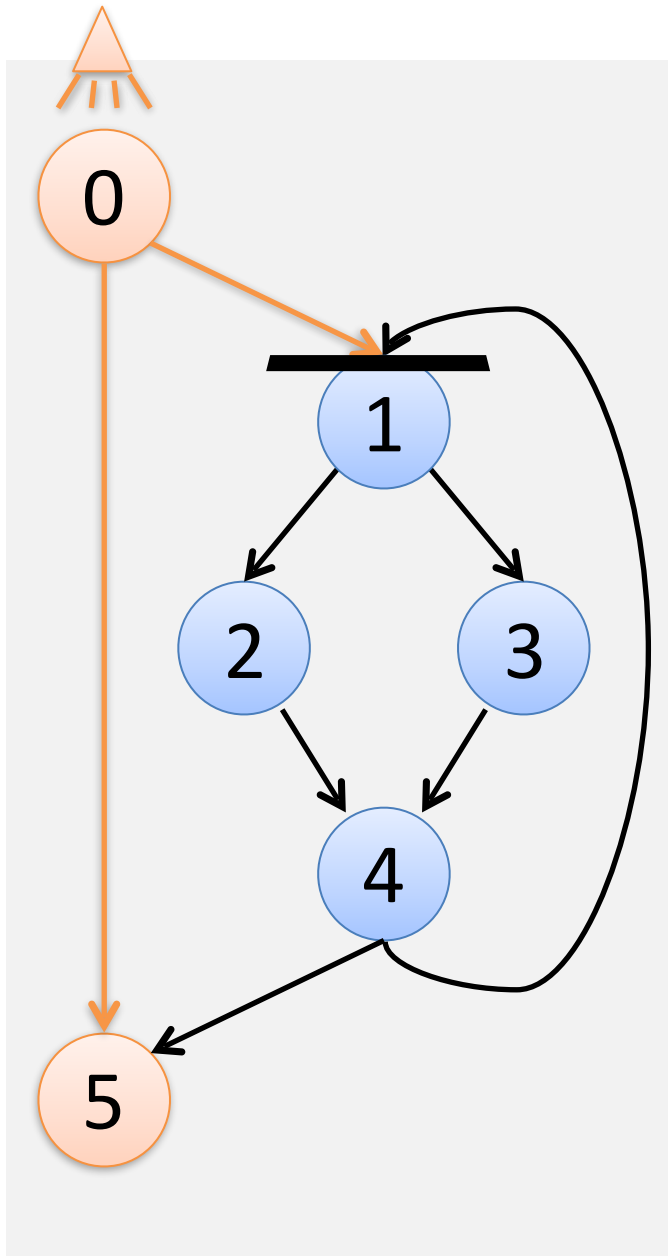




Intuitive Understanding of  
Dominance

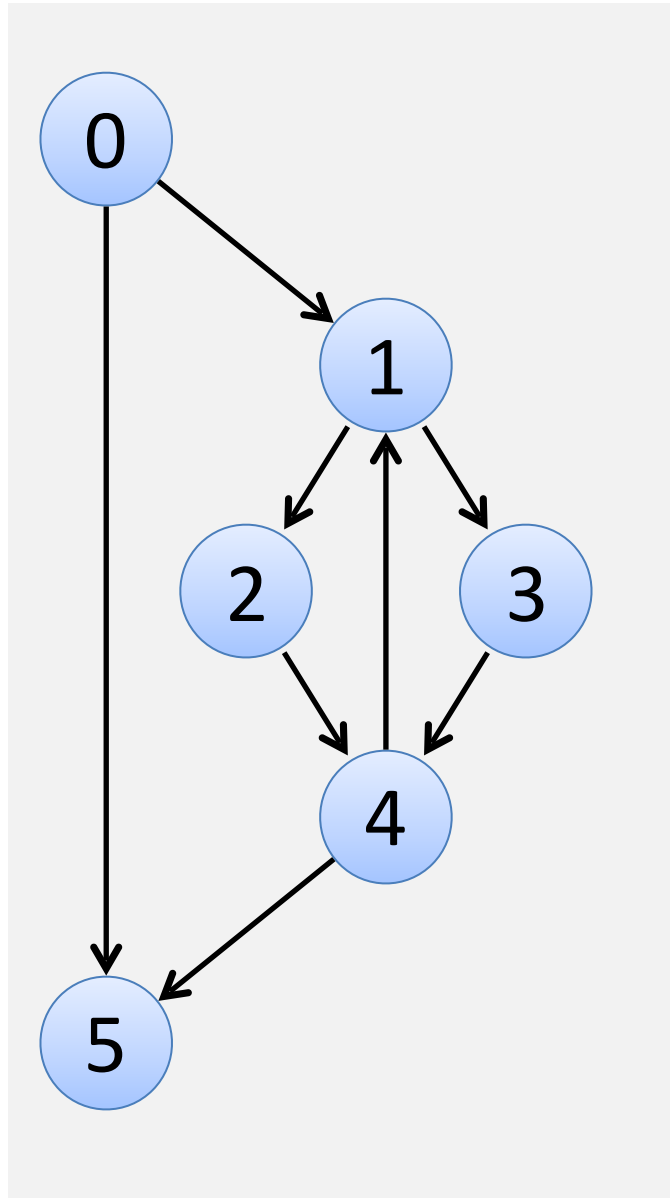


Intuitive Understanding of  
Dominance

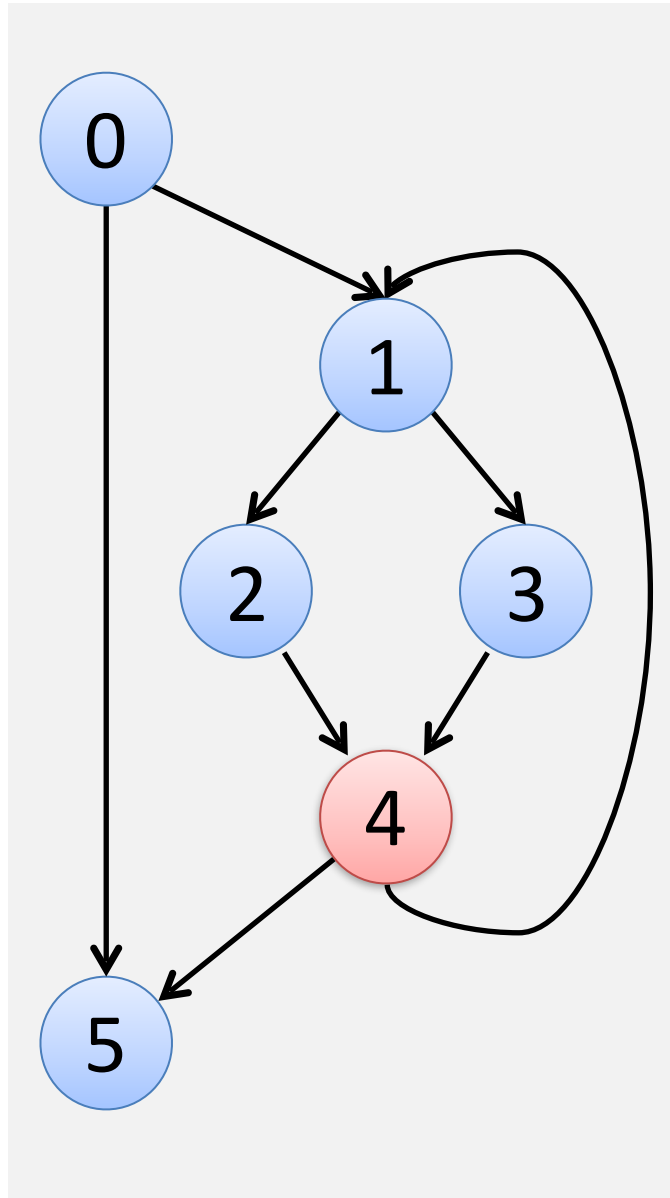


Intuitive Understanding of  
Dominance

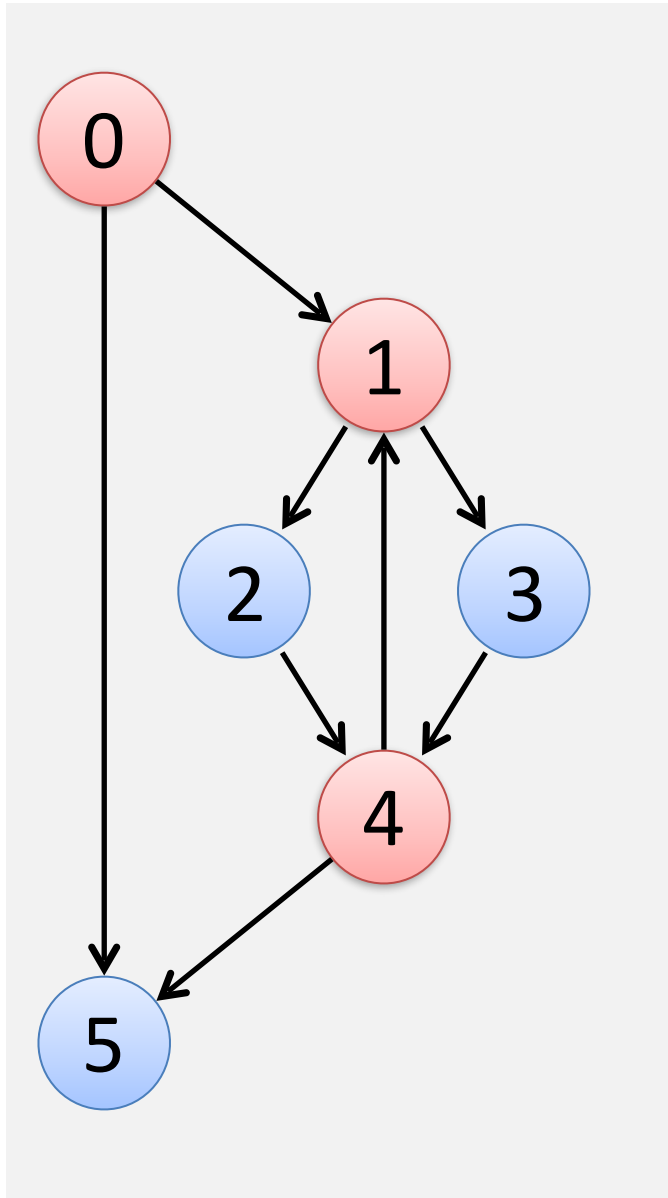
1 dominates nodes 1, 2, 3 and 4.



Which nodes dominate  
node 4?



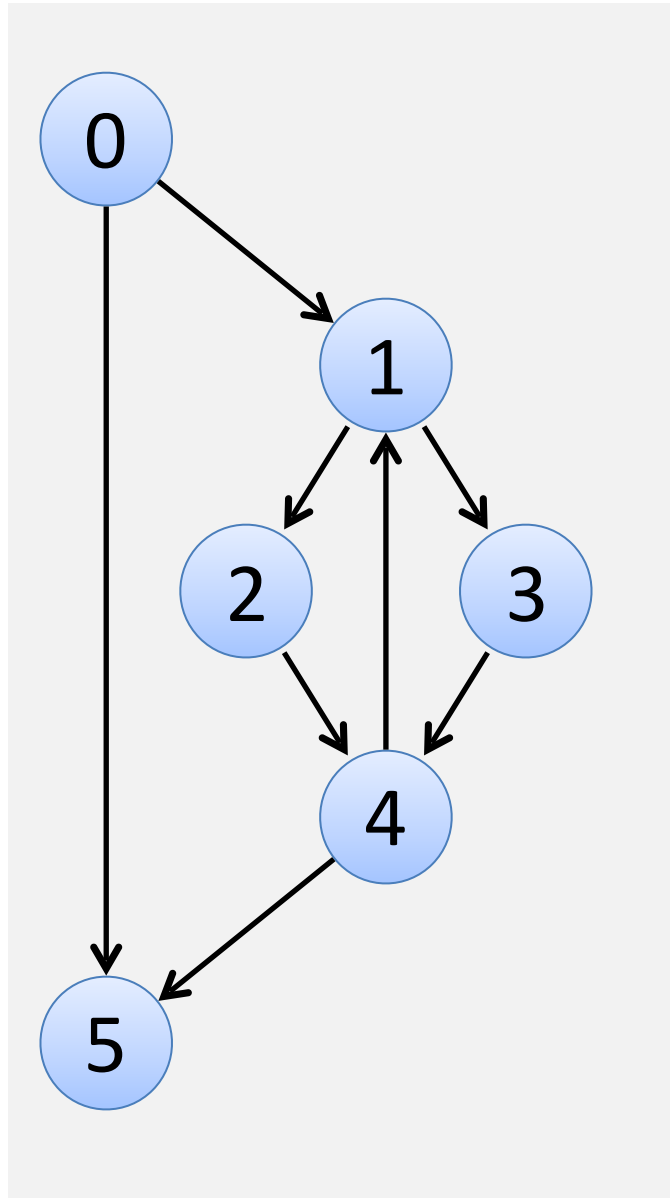
Which nodes dominate  
node 4?



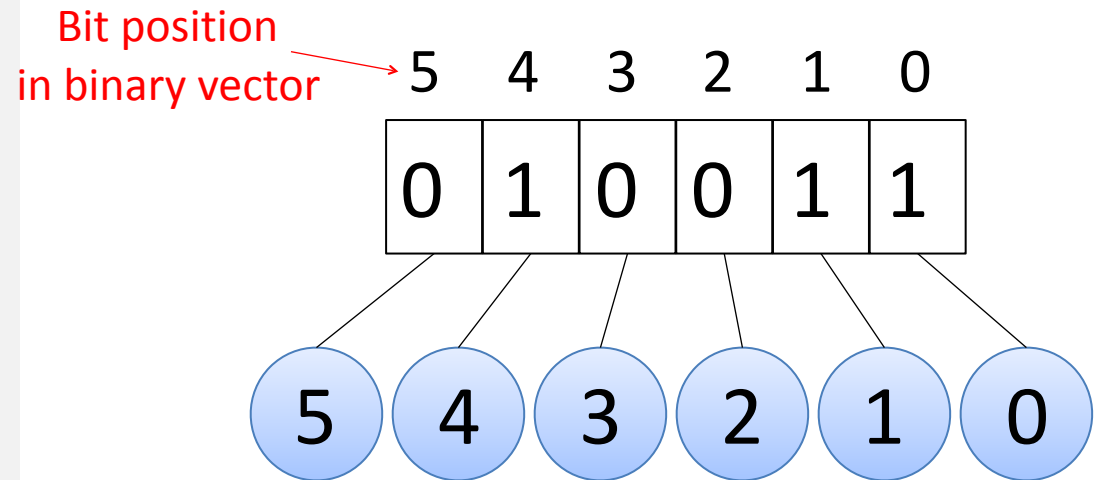
Which nodes dominate  
node 4?

$$\text{Dom}(4) = \{0, 1, 4\}$$

This is called the  
*Dominator Set* of 4

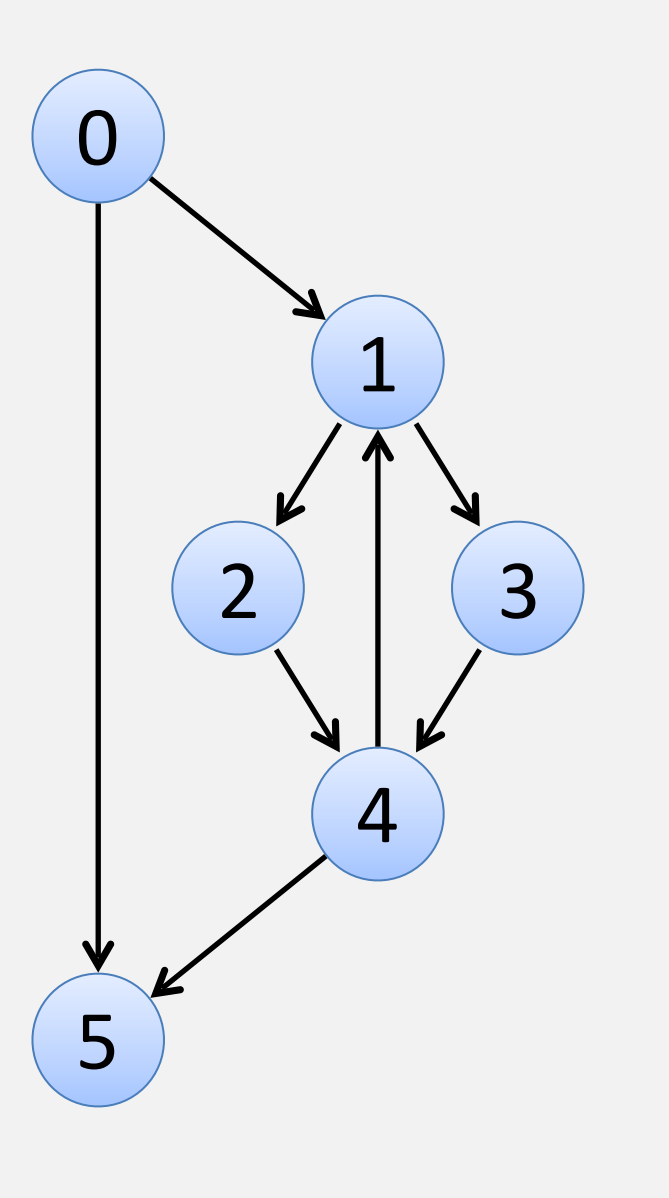


We can use a bit in a binary vector to represent each node in the CFG



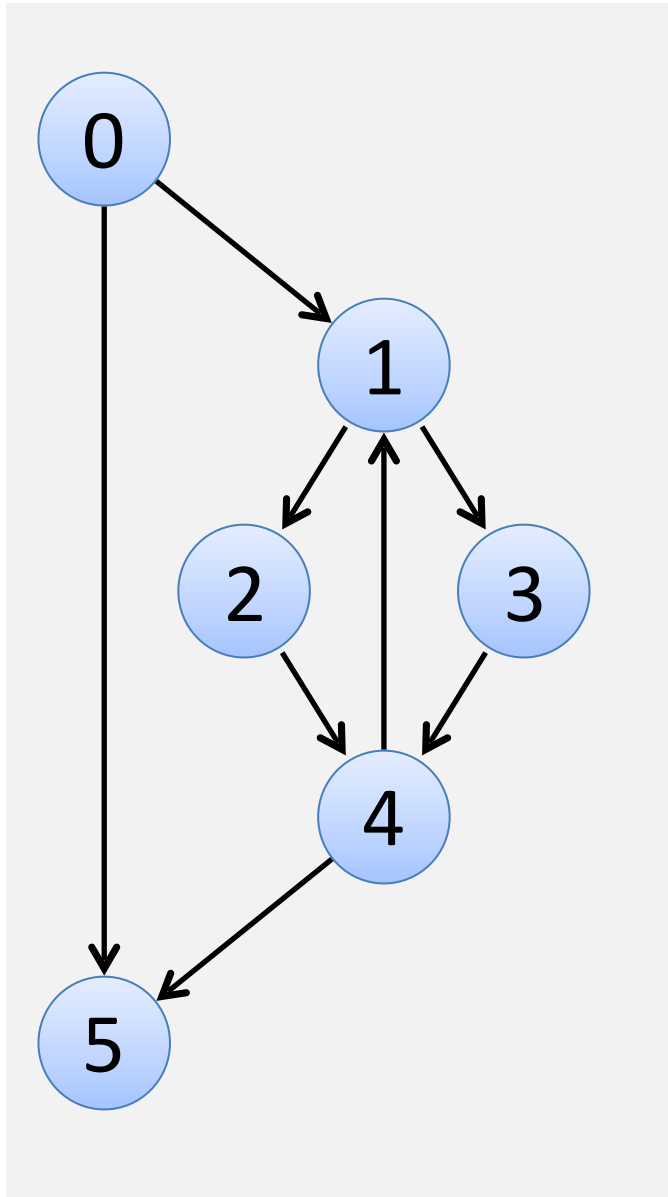
We can now represent the dominator set of 4 as a binary vector

$$\text{Dom}(4) = \{0, 1, 4\}$$

[illegible][illegible]



How to Compute Dominator Sets?

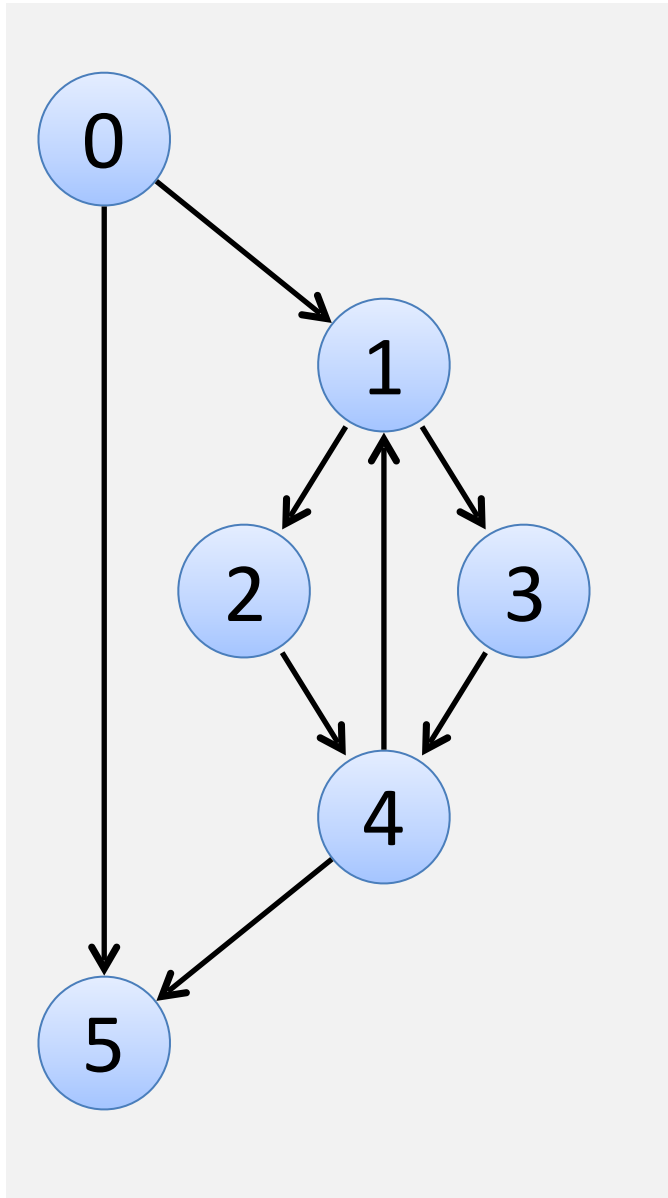


## Initialization:

0 is the only dominator of 0

All other nodes are dominated by every node.

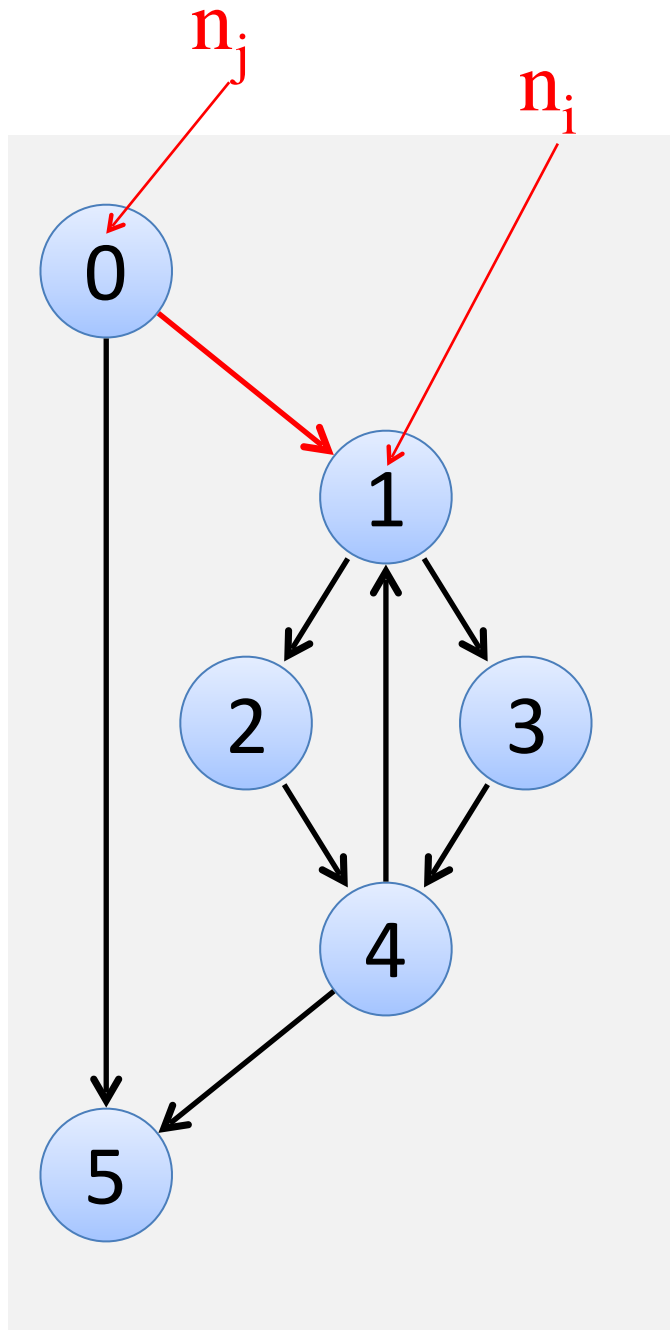
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	1	1	1	1	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	1	1	1	1	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	1	1	1	1	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	1	1	1	1	1



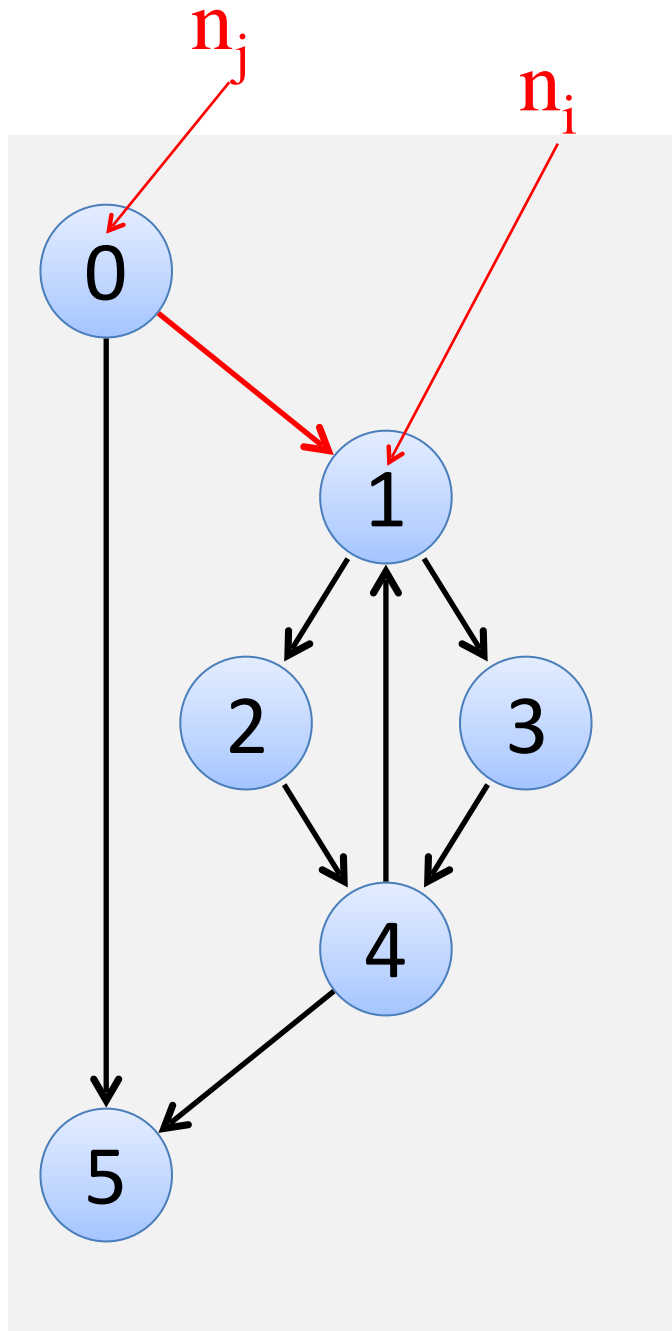
For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

$$\text{Dom}(1) = \{1\} \cup (\{0,1,2,3,4,5\} \cap \{0\})$$

$$\text{Dom}(1) = \{1\} \cup \{0\} = \{0,1\}$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	1	1	1	1	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	1	1	1	1	1



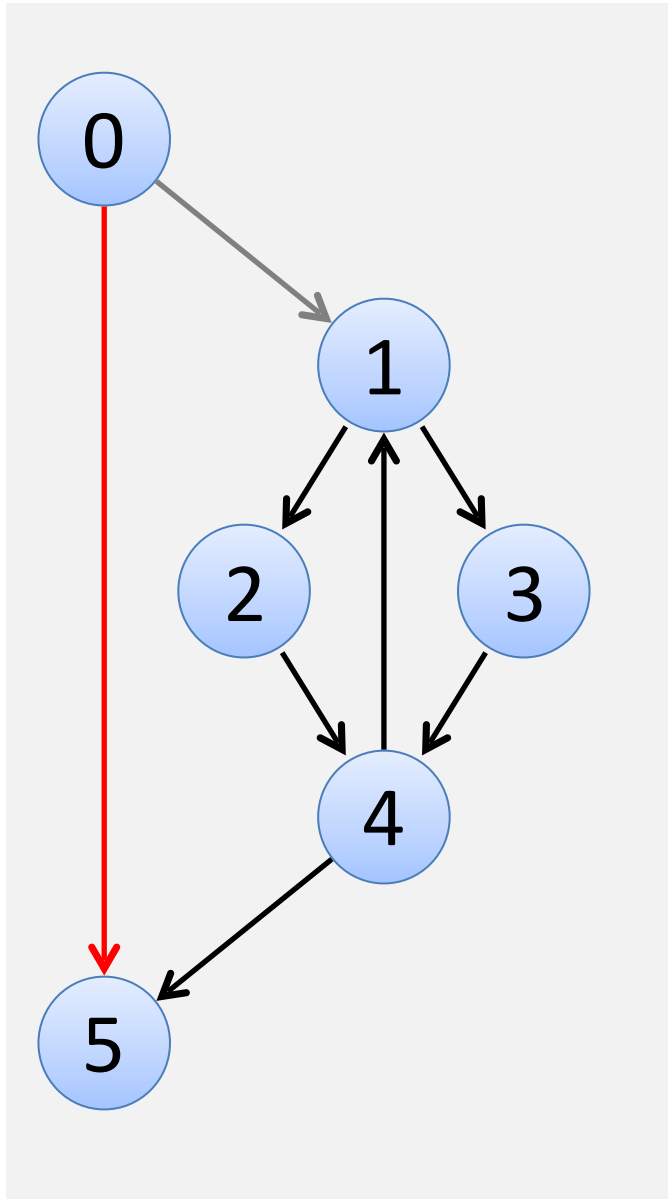
For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

$$\text{Dom}(1) = \{1\} \cup (\{0,1,2,3,4,5\} \cap \{0\})$$

$$\text{Dom}(1) = \{1\} \cup \{0\} = \{0,1\}$$

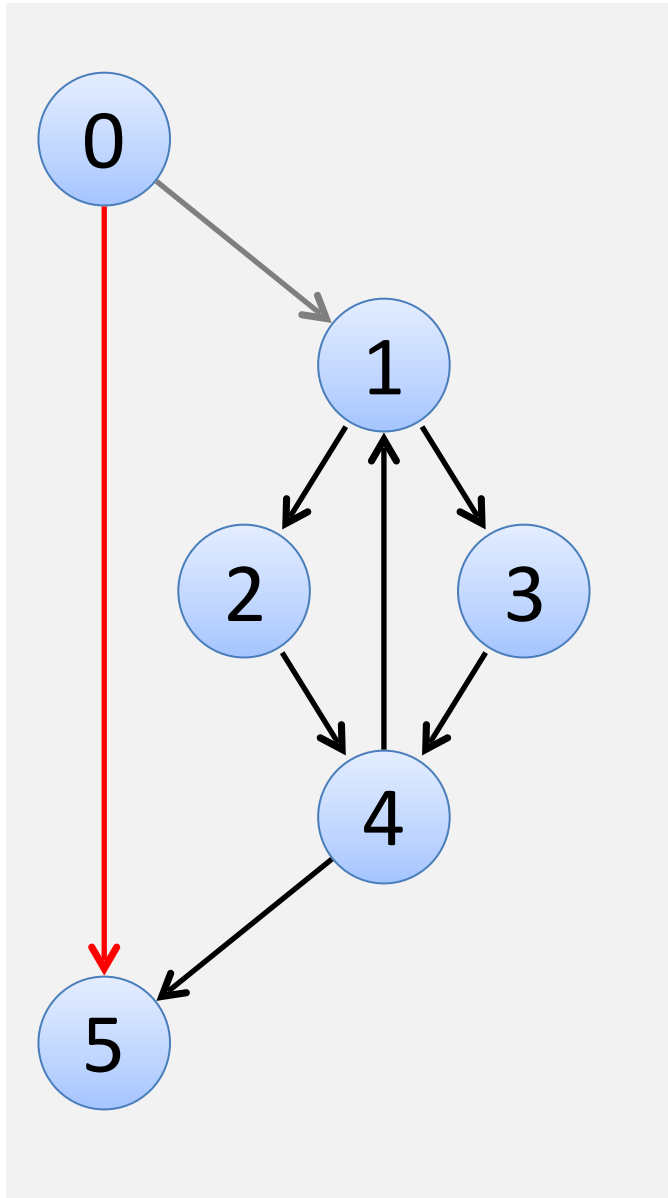
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	1	1	1	1	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

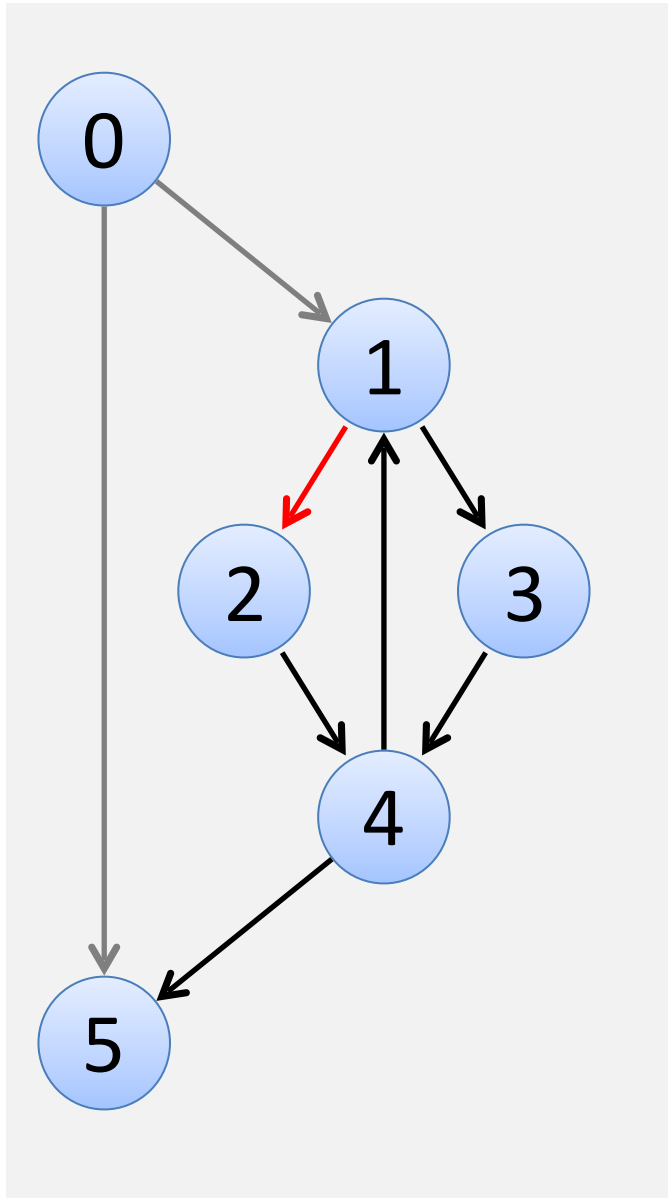
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	1	1	1	1	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1

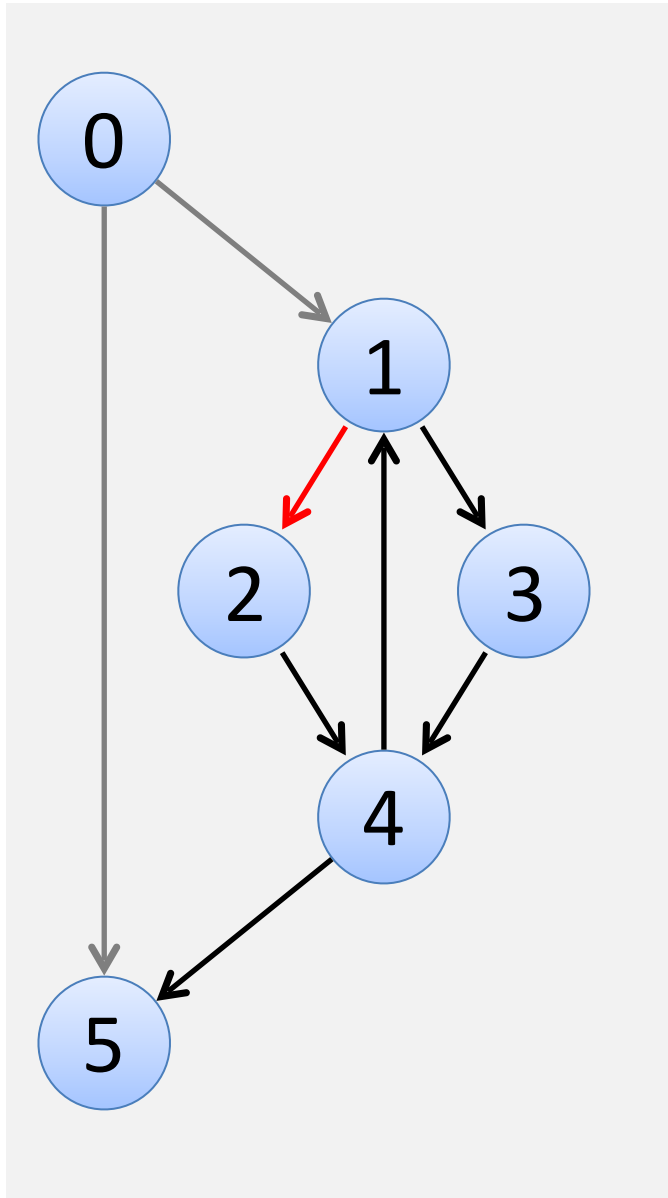


For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	1	1	1	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1

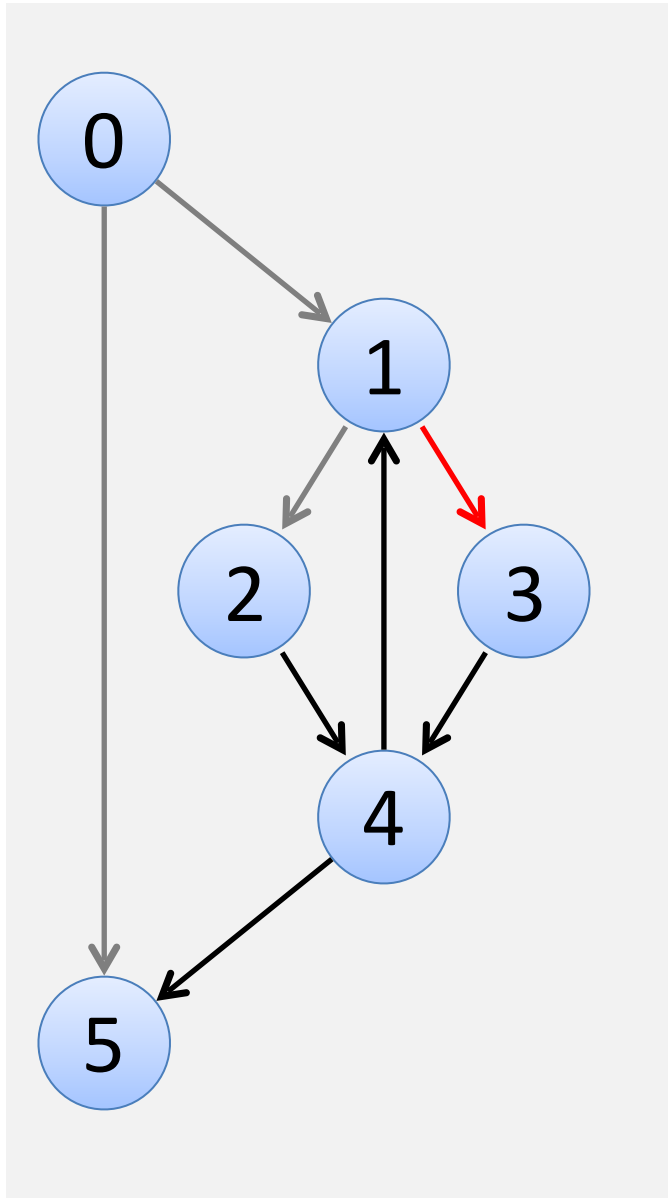




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$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

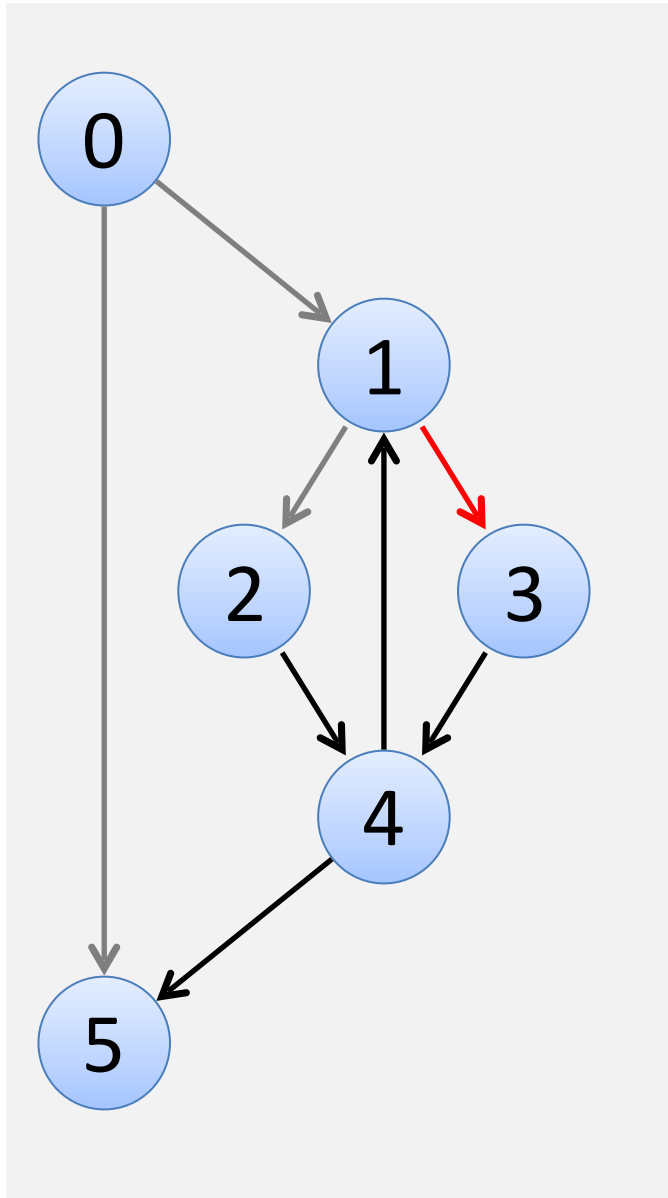
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	1	1	1	1	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1



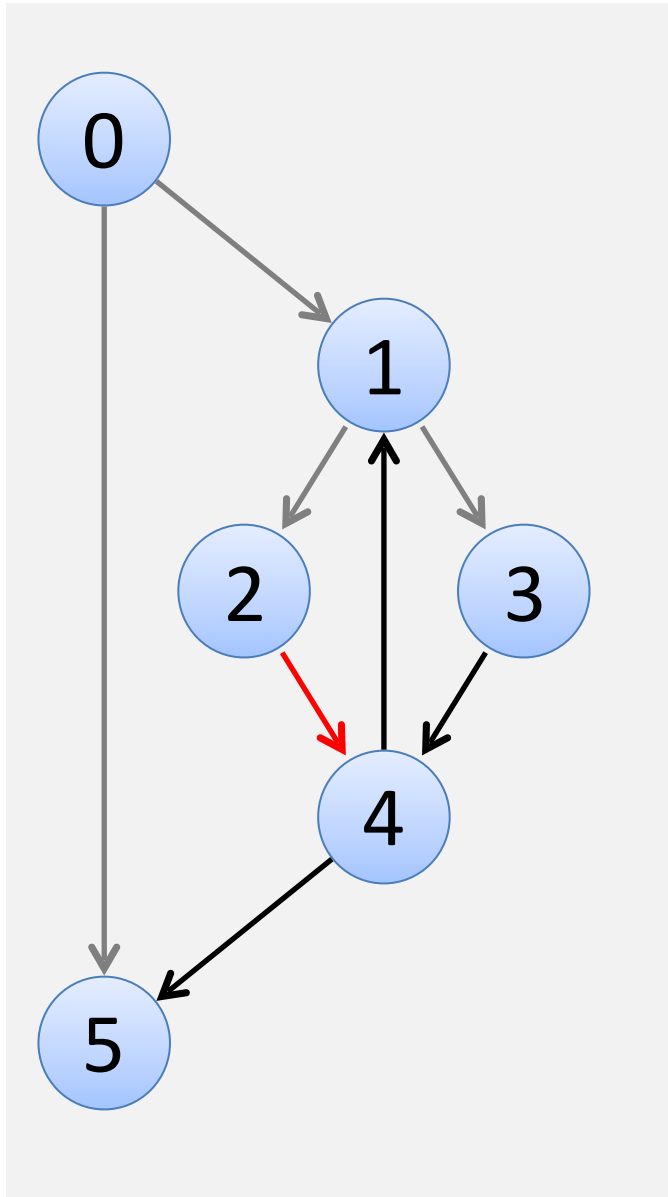
For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

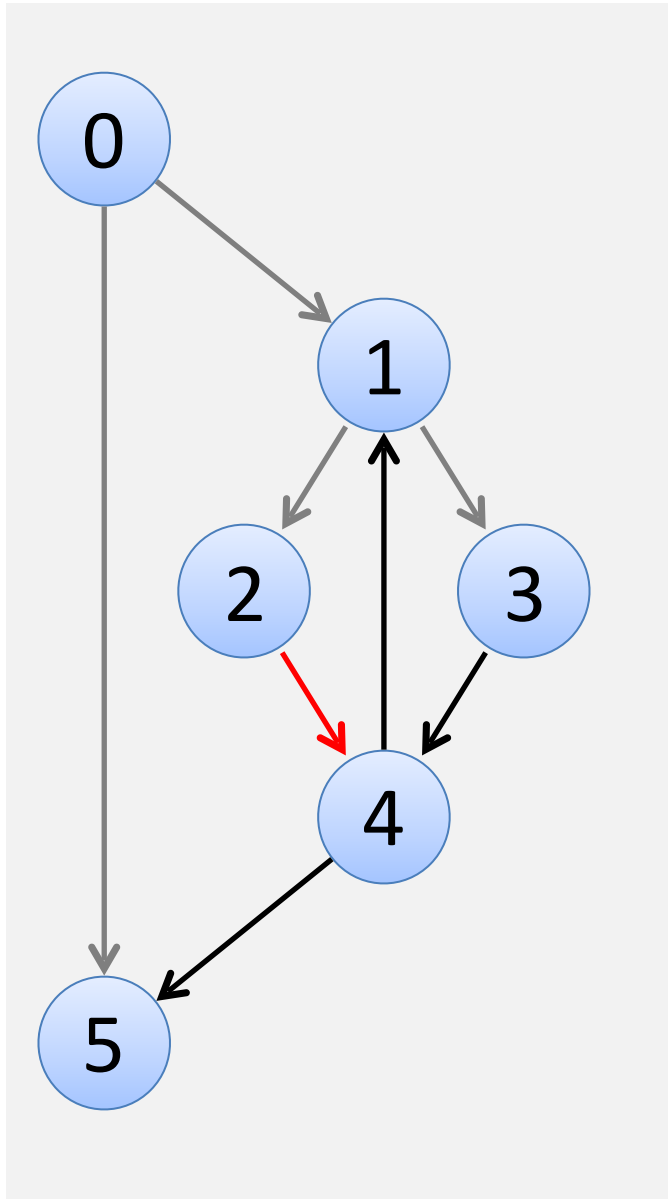
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1

For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$



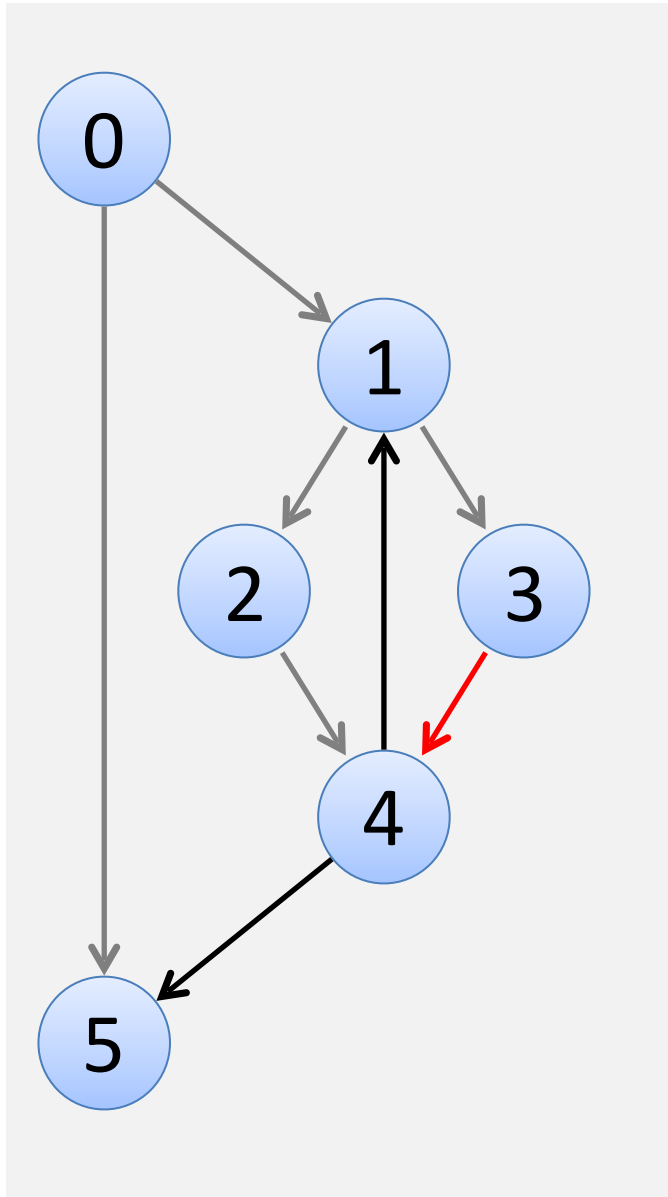
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	1	1	1	1	1	1
5	1	0	0	0	0	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	1	1	1
5	1	0	0	0	0	1



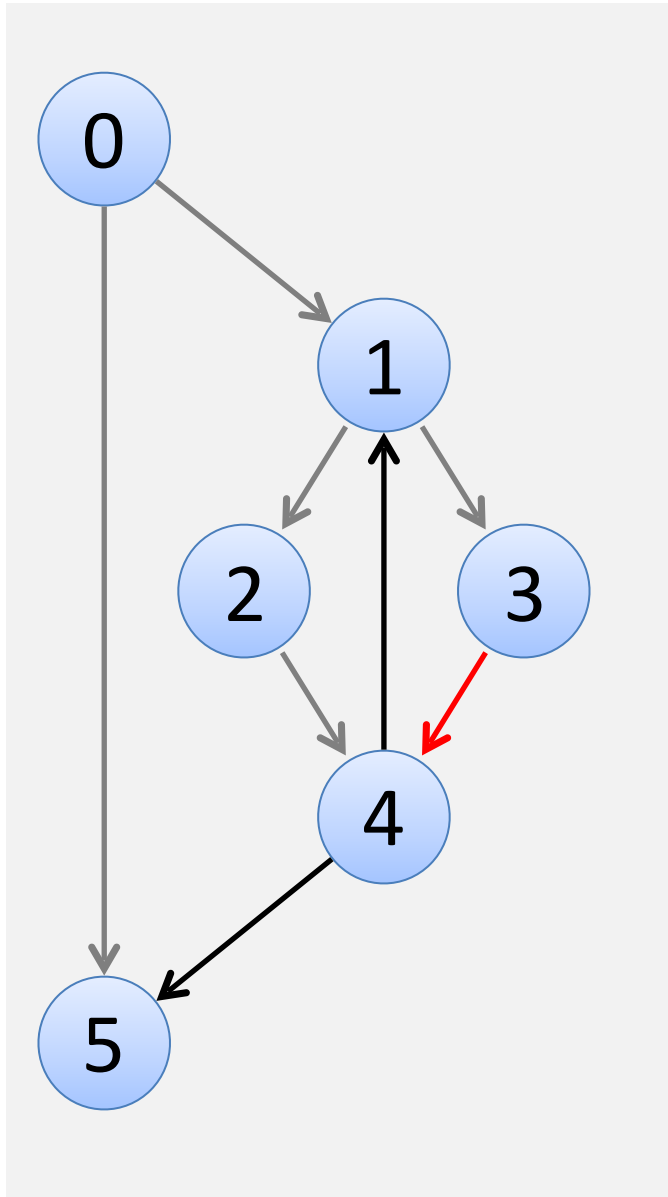
For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

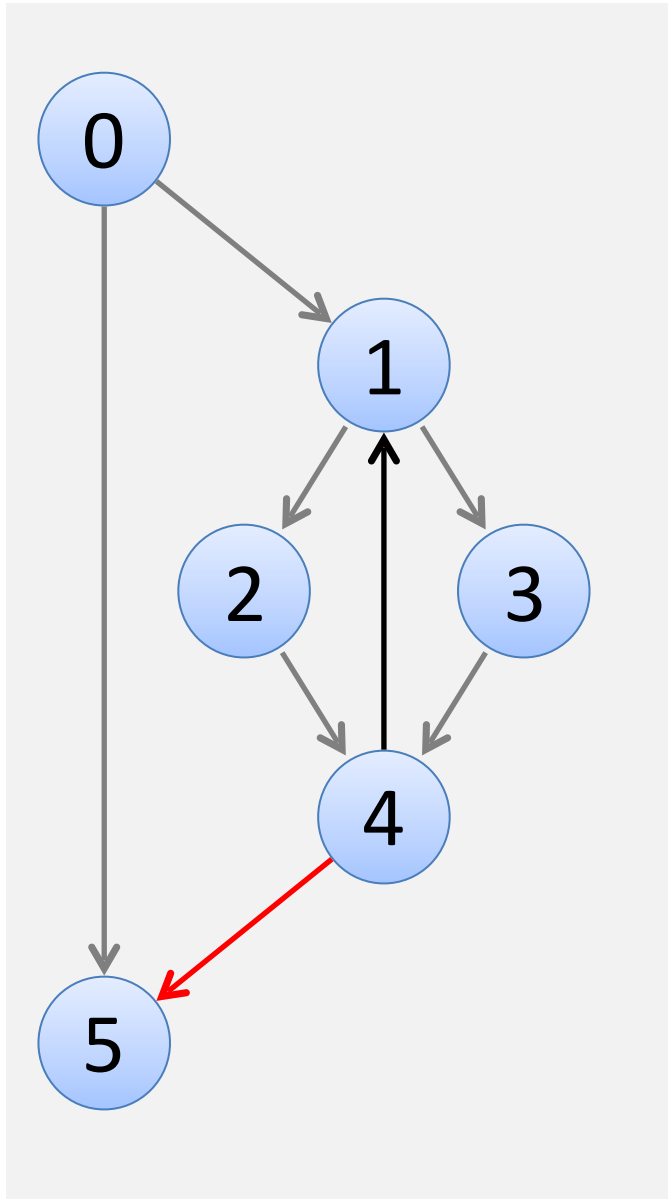
Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	1	1	1
5	1	0	0	0	0	1

For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$



Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	0	1	1
5	1	0	0	0	0	1

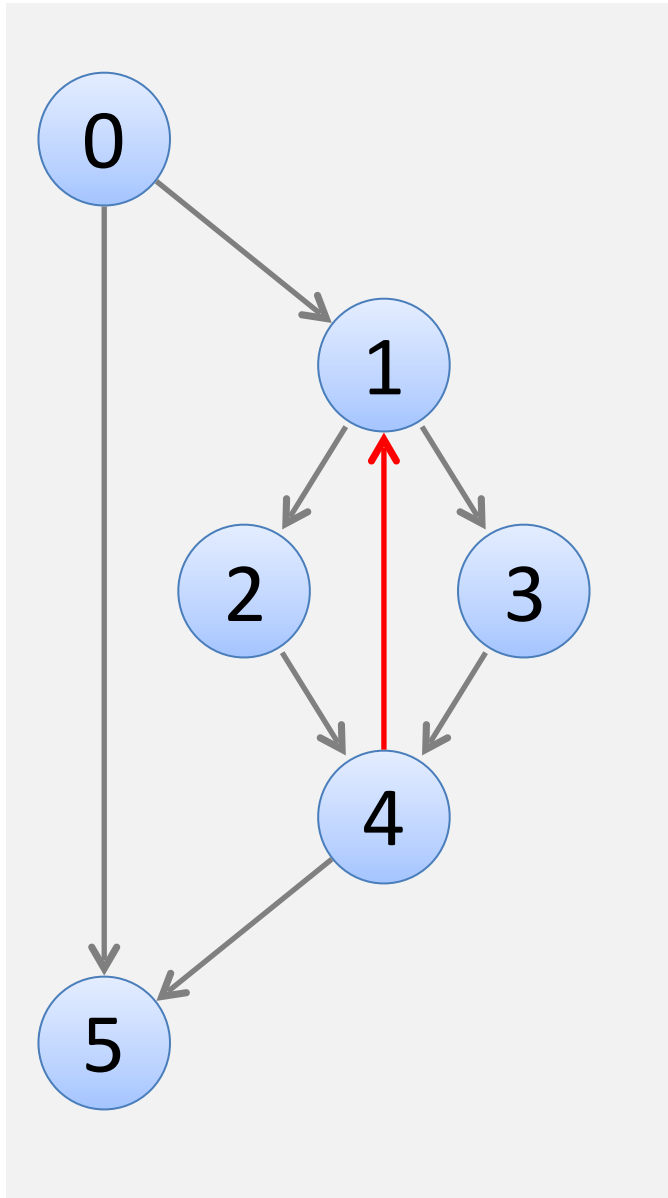


For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	0	1	1
5	1	0	0	0	0	1

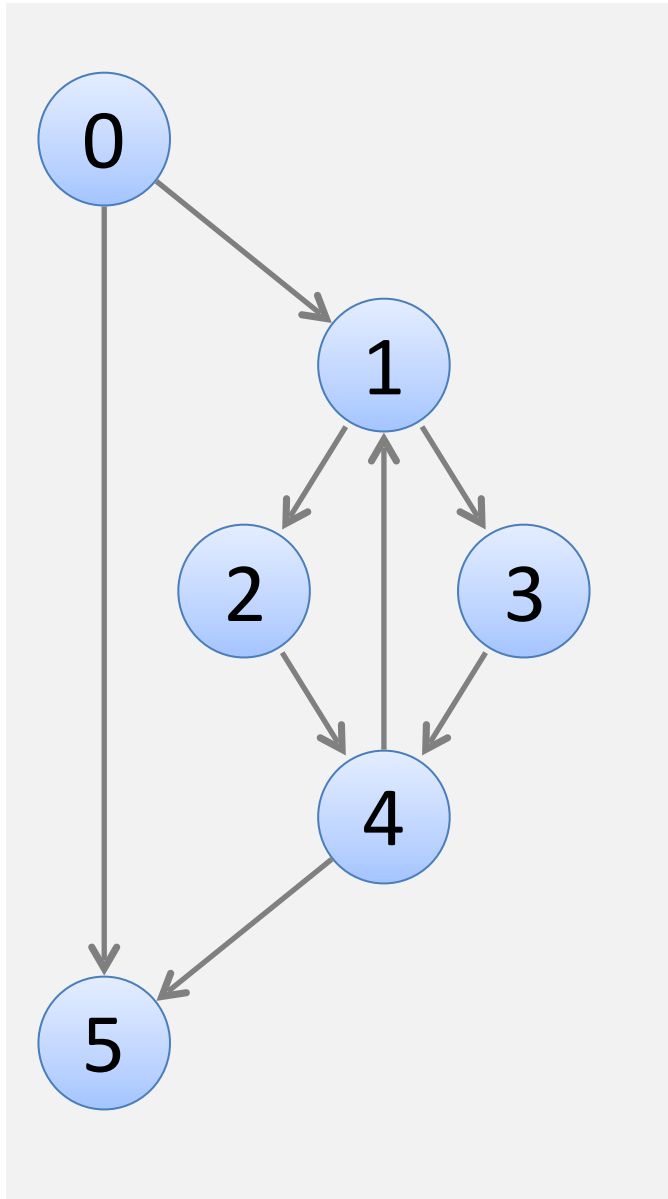




For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	0	1	1
5	1	0	0	0	0	1



For each edge  $(n_j, n_i)$  in CFG:

$$\text{Dom}(n_i) = \{n_i\} \cup (\text{Dom}(n_i) \cap \text{Dom}(n_j))$$

Node	Dominators					
	5	4	3	2	1	0
0	0	0	0	0	0	1
1	0	0	0	0	1	1
2	0	0	0	1	1	1
3	0	0	1	0	1	1
4	0	1	0	0	1	1
5	1	0	0	0	0	1

# Bit Vectors

Use as many words as necessary to store the bit vector in memory.

Examples:

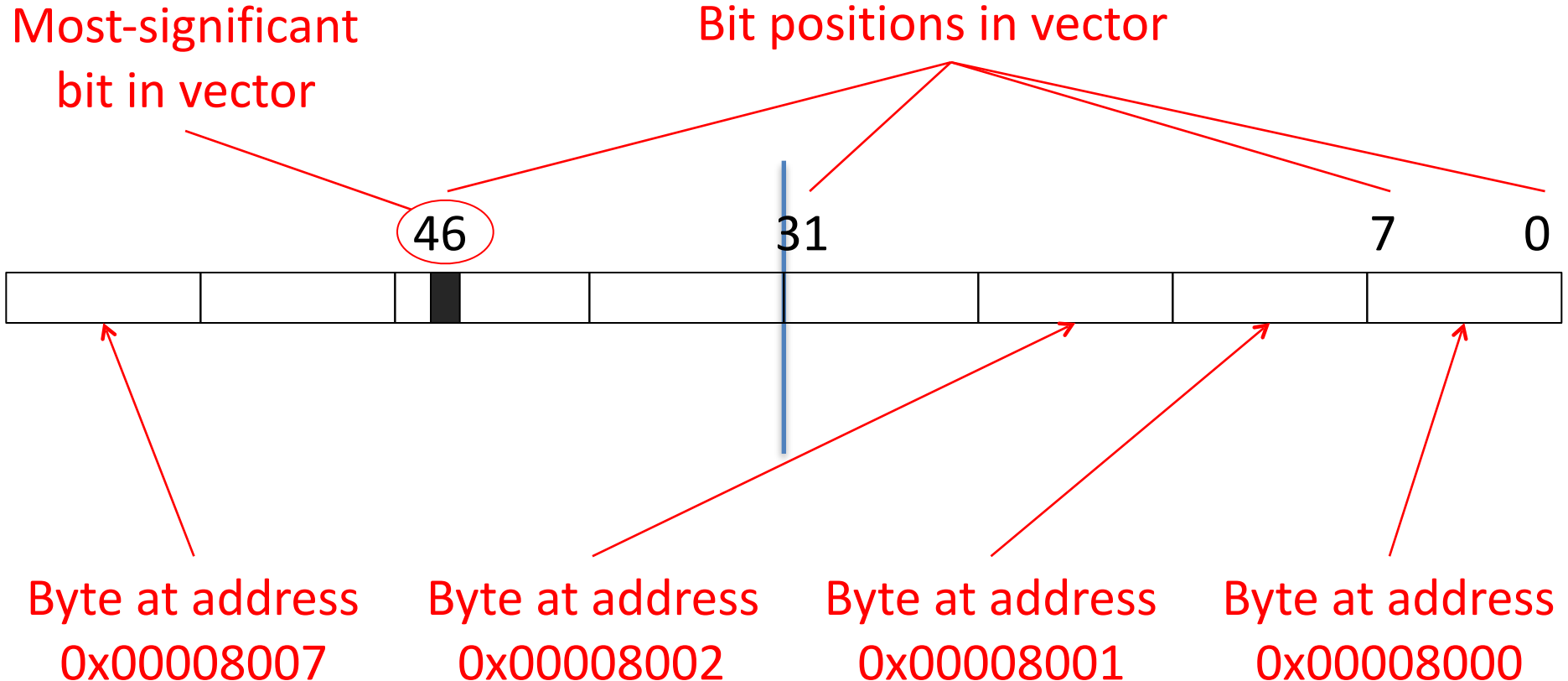
A 17-bit vector occupies one word.

A 42-bit vector occupies two words.

A 65-bit vector occupies three words.

# Bit Ordering

Consider a 47-bit vector stored at address 0x00008000.



# The Assignment (input)

The MIPS code  
is guaranteed  
to contain a  
single procedure.

This is the sentinel  
indicating the end  
of the procedure.

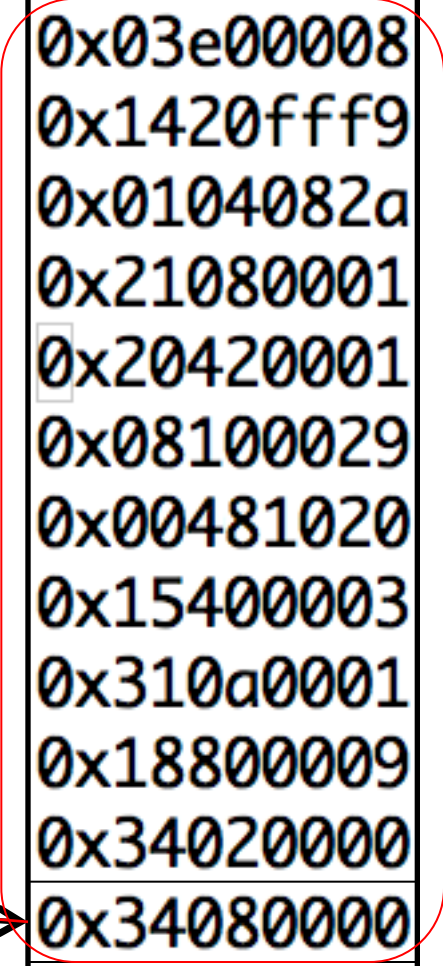
\$a0



\$a0 contains a memory  
address

This is the binary  
code for the  
odd\_series  
example in  
this presentation.

At that address is the binary  
representation of the first  
instruction

Memory	
0xffffffff	
0x03e00008	
0x1420fff9	
0x0104082a	
0x21080001	
0x20420001	
0x08100029	
0x00481020	
0x15400003	
0x310a0001	
0x18800009	
0x34020000	
0x34080000	

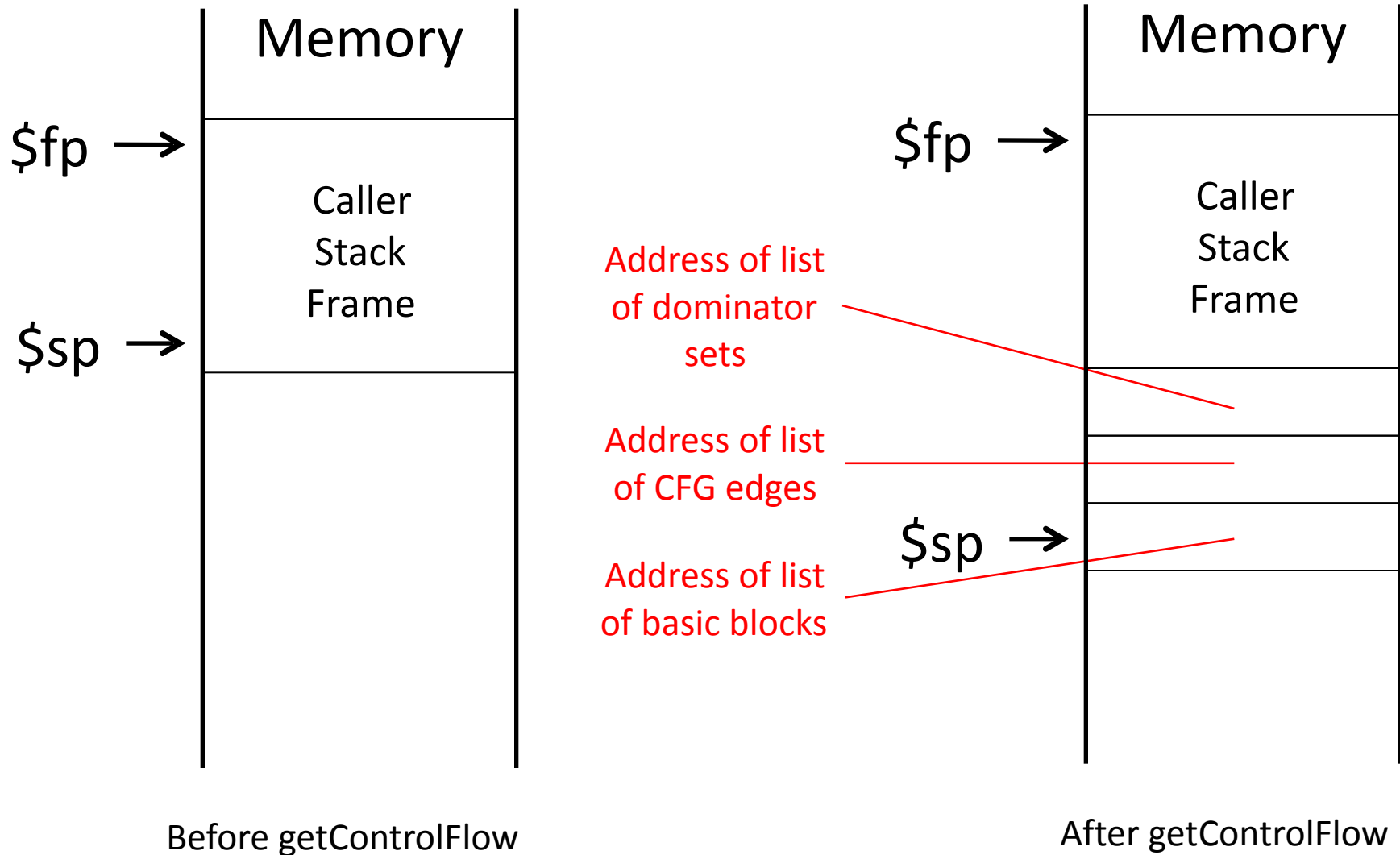
# The Assignment (output)

\$v0: number of basic blocks in the procedure.

\$v1: number of edges in the CFG of the procedure.

Three additional memory addresses returned into the stack.

# Returning Addresses in Stack





Basic blocks in ascending order of the address of their leaders.

# List of Basic Blocks

Basic Block List

higher address ↑

lower address ↓

0x0000 0001

0x1001 002c

0x0000 0003

0x1001 0020

0x0000 0001

0x1001 001c

0x0000 0002

0x1001 0014

0x0000 0002

0x1001 000c

0x0000 0003

0x1001 0000

[10010028] 1420fff9 bne \$1, \$0

[1001002c] 03e00008 jr \$31

\$0, 0 ; 52: li \$t0, 0 # i

\$0, 0 ; 53: li \$v0, 0 # j

36 [DONE-0x10010008]; 54: blez \$a0, DONE #

6 block(s) found.

Block Leader: 0x10010000, Size: 3

Block Leader: 0x1001000C, Size: 2

Block Leader: 0x10010014, Size: 2

Block Leader: 0x1001001C, Size: 1

Block Leader: 0x10010020, Size: 3

Block Leader: 0x1001002C, Size: 1

After getControlFlow address in \$sp+0 is the address of this word.

## CFG Edge List

higher address ↑

0x1001 002c  
0x1001 0020  
0x1001 000c  
0x1001 0020  
0x1001 0020  
0x1001 001c  
0x1001 0020  
0x1001 0014  
0x1001 001c  
0x1001 000c  
0x1001 0014  
0x1001 000c  
0x1001 002c  
0x1001 0000  
0x1001 000c  
0x1001 0000

lower address ↓

[10010028] 1420fff9 bne \$1, \$0, -28

[1001002c] 03e00008 jr \$31

After getControlFlow address in \$sp+4  
is the address of this word.

Edges in ascending order of  
the address of the source leader.

## of CFG Edges

Edges with the same source

\$0, 0 in ascending order of

\$0, 0 the address of the target leader.

0 # i

0 # j

4 36 [DONE-0X10010000]; 54: plez \$a0, DONE #

10, \$8, 1

· 56· andi \$t2 \$t0 0x1 #

Edges:

0x10010000 --> 0x1001000C

0x10010000 --> 0x1001002C

0x1001000C --> 0x10010014

0x1001000C --> 0x1001001C

0x10010014 --> 0x10010020

0x1001001C --> 0x10010020

0x10010020 --> 0x1001000C

0x10010020 --> 0x1001002C

# List of Dominator Sets

## Basic Block List

higher address ↑

0x0000 0021
0x0000 0013
0x0000 000b
0x0000 0007
0x0000 0003
lower address ↓
0x0000 0001

After getControlFlow  
address in \$sp+8 is the  
address of this word.

## Dominator Bit Vectors:

0000	0000	0000	0000	0000	0000	0000	0001
0000	0000	0000	0000	0000	0000	0000	0011
0000	0000	0000	0000	0000	0000	0000	0111
0000	0000	0000	0000	0000	0000	0000	1011
0000	0000	0000	0000	0000	0000	0000	1011
0000	0000	0000	0000	0000	0000	0001	0011
0000	0000	0000	0000	0000	0000	0010	0001

If the CFG has more than 32 basic blocks,  
then each binary vector will occupy more  
than one word.

Dominator sets in ascending order  
of the address of the corresponding  
basic-block's leader.

# Testing

- Test Cases
  - A few test cases are provided under Resources
- Student-Generated Test Cases
  - TestCaseGeneration
- Printing the Output of your solution
  - MIPS code provided for printing

# University of Alberta

## Code of Student Behavior

<http://www.governance.ualberta.ca/en/CodesofConductandResidenceCommunityStandards/CodeofStudentBehaviour.aspx>

### **30.3.2(2) Cheating**

30.3.2(2) a No Student shall in the course of an examination or other similar activity, obtain or attempt to obtain information from another Student or other unauthorized source, give or attempt to give information to another Student, or use, attempt to use or possess for the purposes of use any unauthorized material.