



INTRODUCTION TO ROBOTICS

(MTS -417)

DE-44 Mechatronics Syndicate— C

Lab Report 2

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Task 1:

- Indirect Placement of R2 using R1:
- Lua Script:

```
function sysCall init()
  sim= require('sim') -- Core API
  matrix= require('matrix') -- For matrix ops (CoppeliaSim's built-in)
  -- Get handles (assume objects named /R0, /R1, /R2 in scene)
  R0 = sim.getObjectHandle('/R0')
  R1 = sim.getObjectHandle('/R1')
  R2 = sim.getObjectHandle('/R2')
  -- Initial positions: Ensure at origin (optional, for reset)
  sim.setObjectPosition(R1, -1, \{0, 0, 0\})
  sim.setObjectPosition(R2, -1, \{0, 0, 0\})
  sim.setObjectPosition(R0, -1, \{0, 0, 0\})
  theta1 = math.pi / 4 -- 45^{\circ} in radians
  Rz1 = Matrix3x3:rotz(theta1) -- Rotation matrix
  t1 = Vector3(\{0.432, 0, 0\}) -- Translation vector
  T1 = Matrix4x4:fromrt(Rz1, t1)
  theta2 = 54 * math.pi / 180 --
  Ry2 = Matrix3x3:roty(theta2)
  t2 = Vector3(\{0, 0, 0.219\})
  T2 = Matrix4x4:fromrt(Ry2, t2)
  sim.setObjectMatrix(R1, R0, T1:data())
  sim.setObjectMatrix(R2, R1, T2:data())
  local R2 world pos = sim.getObjectPosition(R2, -1)
```

```
print(string.format("R2 Global Position: x=%.3f, y=%.3f, z=%.3f",
R2_world_pos[1], R2_world_pos[2], R2_world_pos[3]))
end

function sysCall_actuation()

end

function sysCall_sensing()
-- put your sensing code here
end

function sysCall_cleanup()
-- do some clean-up here
end

-- See the user manual or the available code snippets for additional callback functions and details
```

• Simulation Snippet:

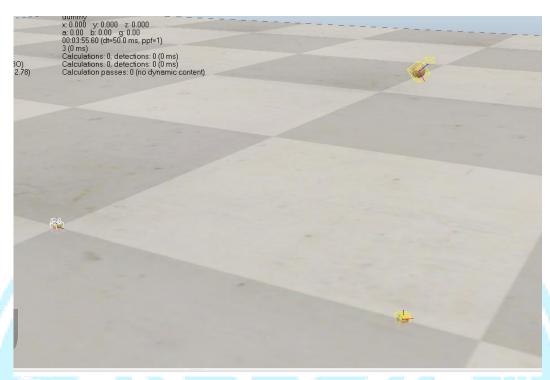


Figure 1

Task 2:

- **▶** Direct Placement of R2 using Transformations product:
 - Lua Script:

```
function sysCall_init()

sim= require('sim') -- Core API

matrix= require('matrix') -- For matrix ops (CoppeliaSim's built-in)

-- Get handles (assume objects named /R0, /R1, /R2 in scene)

R0 = sim.getObjectHandle('/R0')

R1 = sim.getObjectHandle('/R1')

R2 = sim.getObjectHandle('/R2')

-- Initial positions: Ensure at origin (optional, for reset)

sim.setObjectPosition(R1, -1, {0, 0, 0})

sim.setObjectPosition(R2, -1, {0, 0, 0})
```

```
sim.setObjectPosition(R0, -1, \{0, 0, 0\})
  theta1 = math.pi / 4 --45^{\circ} in radians
  Rz1 = Matrix 3x 3:rotz(theta1) -- Rotation matrix
  t1 = Vector3(\{0.432, 0, 0\}) -- Translation vector
  T1 = Matrix4x4:fromrt(Rz1, t1)
  theta2 = 54 * math.pi / 180 --
  Ry2 = Matrix 3x 3:roty(theta2)
  t2 = Vector3({0, 0, 0.219})
  T2 = Matrix4x4:fromrt(Ry2, t2)
  T3 = T1*T2
  sim.setObjectMatrix(R2, R0, T3:data())
  local R2 world pos = sim.getObjectPosition(R2, -1)
  print(string.format("R2 Global Position: x=%.3f, y=%.3f, z=%.3f",
  R2 world_pos[1], R2_world_pos[2], R2_world_pos[3]))
end
function sysCall actuation()
end
function sysCall sensing()
  -- put your sensing code here
end
function sysCall cleanup()
  -- do some clean-up here
end
```

-- See the user manual or the available code snippets for additional callback functions and details

• Simulation Snippet:



Figure 2

T1.T2 Multiplication:



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$\begin{array}{c} \circ T = \begin{pmatrix} 0.7071 & 0.7071 & 0 & 0 \\ 0 & 0 & 4 & 0 \\ 0 & 0 & 4 & 0 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 4 \\ 0 & 0 & 0 & 6.5878 & 0 & 0.8070 \\ 0 & 0.7071 \times 0.8078 + (-0.7071) \times 0 & + 0 \times (-0.8070) \\ 0 \times 0.5878 + 0.7071 \times 0 & + 0 \times (-0.8070) \\ 0 \times 0.5878 + 0.7071 \times 0 & + 0 \times (-0.8070) \\ 0 \times 0.5878 + 0.7071 \times 1 & + 0 \times 0 \\ 0 \times 0.7071 \times 0 & + 0 \times 1 & + 1 \times 0 \\ 0 \times 0 & 0 \times 0.7071 \times 1 & + 0 \times 0 \\ 0 \times 0 & 0 \times 0.7071 \times 1 & + 0 \times 0 \\ 0 \times 0 & 0 \times 0.7071 \times 1 & + 0 \times 0 \\ 0 \times 0.7071 \times 0.8070 & + (-0.7071) \times 0 & + 0 \times 0.8878 \\ 0 \times 0.8070 & 0 \times 0.8878 \\ $	Ditt.							
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$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		[0 7071	-0,7011				
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$ \frac{1}{T} = \begin{bmatrix} 0.5878 & 0 & 0.8090 & 0 \\ 0 & 4 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix} $ Rotation Part: $R_{02} = R_{01} \cdot R_{12}$ $ R_{01} = \begin{bmatrix} 0.7071 & -0.7071 & 0 \\ 0.7071 & 0.7071 & 0.7071 & 0 \\ 0.7071 & 0.5878 & (-0.7071) & 0 & + 0 & (-0.8090) \\ 0 & 0.7071 & 0.5878 & (-0.7071) & 0 & + 0 & (-0.8090) \\ 0 & 0.7071 & 0.5878 & (-0.7071) & 0 & + 0 & (-0.8090) \\ 0 & 0.7071 & 0 & + (-0.7071) & 1 & + 0 & 0 & 0 \\ 0 & 0.7071 & 0 & + (-0.7071) & 1 & + 0 & 0 & 0 \\ 0 & 0.7071 & 0 & + (-0.7071) & 1 & + 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & + 1 & 0 \end{bmatrix} $ $ 0.7071 & 0 & + (-0.7071) & 0 & + 0 & 0.5878 & 0 $ $ 0.7071 & 0 & + (-0.7071) & 0 & + 0 & 0.5878 & 0 $ $ 0.7071 & 0.8090 & + (-0.7071) & 0 & + 0 & 0.5878 & 0 $ $ 0.7071 & 0.8090 & + 0 & 0 & + 1 & 0.5878 & 0 $ $ 0.9090 & 0.5878 & 0.219 $ $ 0.9090 & 0.5878 & 0.219 $			0	0	0	1		
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Rotation Paul: $R_{02} = R_Q \cdot R_{12}$ $R_{02} = \begin{cases} 0.7071 & -0.7071 & 0 \\ 0.7071 & 0.7071 & 0 \\ 0.7071 & 0.5878 & (-0.7071) \times 0 \end{cases} + 0 \times (-0.8090)$ $= \begin{cases} 0.7071 \times 0.5878 + (-0.7071) \times 0 & + 0 \times (-0.8090) \\ 0.7071 \times 0.5878 + 0.7071 \times 0 & + 0 \times (-0.8090) \\ 0 \times 6.5878 + 0 \times 0 & + 4 \times (-0.8090) \end{cases}$ $0.7071 \times 0 + (-0.7071) \times 1 + 0 \times 0$ $0.7071 \times 0 + 0.7071 \times 1 + 0 \times 0$ $0.7071 \times 0.8090 + (-0.7071) \times 0 + 0 \times 0.5878$ $0.7071 \times 0.8090 + (-0.7071) \times 0 + 0 \times 0.5878$ $0 \times 0.8090 + 0 \times 0 + 1 \times 0.5878$ $0 \times 0.8090 + 0 \times 0 + 1 \times 0.5878$ $0.9090 \times 0.9090 \times 0.9090$		1. —	0.30 18	1	0	0		
Rotation Paul: $R_{02} = R_Q \cdot R_{12}$ $R_{02} = \begin{cases} 0.7071 & -0.7071 & 0 \\ 0.7071 & 0.7071 & 0 \\ 0.7071 & 0.5878 & (-0.7071) \times 0 \end{cases} + 0 \times (-0.8090)$ $= \begin{cases} 0.7071 \times 0.5878 + (-0.7071) \times 0 & + 0 \times (-0.8090) \\ 0.7071 \times 0.5878 + 0.7071 \times 0 & + 0 \times (-0.8090) \\ 0 \times 6.5878 + 0 \times 0 & + 4 \times (-0.8090) \end{cases}$ $0.7071 \times 0 + (-0.7071) \times 1 + 0 \times 0$ $0.7071 \times 0 + 0.7071 \times 1 + 0 \times 0$ $0.7071 \times 0.8090 + (-0.7071) \times 0 + 0 \times 0.5878$ $0.7071 \times 0.8090 + (-0.7071) \times 0 + 0 \times 0.5878$ $0 \times 0.8090 + 0 \times 0 + 1 \times 0.5878$ $0 \times 0.8090 + 0 \times 0 + 1 \times 0.5878$ $0.9090 \times 0.9090 \times 0.9090$		2	-0.8090	0	0.587	8 0-219		
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$R_{02} = \begin{cases} 0.7071 & -0.7071 & 0 \\ 0.7071 & 0.7071 & 0 \\ 0.7071 & 0.8070 & 0 & 0.8070 \end{cases}$ $= \begin{cases} 0.7071 \times 0.8878 + 0.7071 \times 0 & + 0 \times (-0.8090) \\ 0.7071 \times 0.5878 + 0.7071 \times 0 & + 0 \times (-0.8090) \\ 0 \times 6.5878 + 0 \times 0 & + 1 \times (-0.8090) \end{cases}$ $0.7071 \times 0 & + (-0.7071) \times 1 + 0 \times 0$ $0.7071 \times 0 & + 0.7071 \times 1 + 0 \times 0$ $0.7071 \times 0 & + 0 \times 1 & + 1 \times 0$ $0.7071 \times 0.8090 + (-0.7071) \times 0 + 0 \times 0.5878$ $0.7071 \times 0.8090 + (0.7071) \times 0 + 0 \times 0.5878$ $0 \times 0.8090 + 0 \times 0 & + 1 \times 0.5878$ $R_{02} = \begin{cases} 0.4151 & -0.7071 & 0.5719 \\ 0.4151 & 0.7071 & 0.5719 \\ -0.8090 & 0 & 0.5878 \end{cases}$ $0.7181 \times 1 = \begin{cases} 0.4151 & -0.7071 & 0.5719 & 0.432 \\ 0.4151 & 0.7071 & 0.5719 & 0.5719 & 0.5719 & 0.5719 & 0.5719 \end{cases}$		Robation Part:	R	02 = Roy.	Riz			
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Discussion:

Chaining transformations through an intermediate frame (R1) is equivalent to applying the composite transformation directly because homogeneous transformations are composable via matrix multiplication, which is associative. This means ${}^{0}T_{2} = {}^{0}T_{1} \cdot {}^{1}T_{2}$ represents the same overall rotation and translation. In robotics, this allows efficient forward kinematics by multiplying link transformations.

Task 2:

Answer: 45° **Explanation:**

The answer is correct because sim.setObjectMatrix in CoppeliaSim sets the transformation matrix of an object directly relative to the specified reference frame, overwriting any prior pose. In this case, the reference is R0, so the matrix T1 (which includes a 45° rotation about Z) replaces the initial 45° rotation entirely. The rotation angles do not add up; the function does not perform composition unless the reference frame is the object itself (which would apply the new transformation relative to its current pose). Here, since the reference is R0, the final orientation remains 45° about the Z-axis wrt R0.

References: Grok, Chatgpt