

**Initialization:**

**start\_node = 'A'**

**stop\_node = 'G'**

**open\_set = {'A'} (Nodes to be evaluated, initialized with the start node)**

**closed\_set = {} (Nodes that have been evaluated)**

**g = {'A': 0} (Cost of reaching each node from the start node)**

**parents = {'A': 'A'} (Parent node of each node in the path)**

**Iteration 1:**

**Current Node (n): 'A'**

**Neighbors: 'B' (cost 2), 'E' (cost 3)**

**'B':**

**Add 'B' to open\_set.**

**Set parent of 'B' as 'A'.**

**Set  $g(B) = g(A) + \text{cost}(A \text{ to } B) = 0 + 2 = 2$ .**

**'E':**

**Add 'E' to open\_set.**

**Set parent of 'E' as 'A'.**

**Set  $g(E) = g(A) + \text{cost}(A \text{ to } E) = 0 + 3 = 3$ .**

**Move 'A' from open\_set to closed\_set.**

**Iteration 2:**

**Current Node (n): 'B'**

**Neighbors: 'C' (cost 1), 'G' (cost 9)**

**'C':**

**Add 'C' to open\_set.**

**Set parent of 'C' as 'B'.**

**Set  $g(C) = g(B) + \text{cost}(B \text{ to } C) = 2 + 1 = 3$ .**

**'G':**

**Add 'G' to open\_set.**

**Set parent of 'G' as 'B'.**

**Set  $g(G) = g(B) + \text{cost}(B \text{ to } G) = 2 + 9 = 11$ .**

**Move 'B' from open\_set to closed\_set.**

**Iteration 3:**

**Current Node (n): 'E'**

**Neighbors: 'D' (cost 6)**

**'D':**

**Add 'D' to open\_set.**

**Set parent of 'D' as 'E'.**

**Set  $g(D) = g(E) + \text{cost}(E \text{ to } D) = 3 + 6 = 9$ .**

**Move 'E' from open\_set to closed\_set.**

**Iteration 4:**

**Current Node (n): 'D'**

**Neighbors: 'G' (cost 1)**

**'G':**

**Add 'G' to open\_set.**

**Set parent of 'G' as 'D'.**

**Set  $g(G) = g(D) + \text{cost}(D \text{ to } G) = 9 + 1 = 10$ .**

**Move 'D' from open\_set to closed\_set.**

**Iteration 5:**

**Current Node (n): 'G' (Goal Node)**

**Reconstruct the path from 'G' to 'A'.**

**Path:**

**Reverse the path: ['A', 'E', 'D', 'G']**

**Final path: ['A', 'E', 'D', 'G']**

**The shortest path from node 'A' to node 'G' is ['A', 'E', 'D', 'G'].**