

## Correctness

Well, correctness of my algorithm depends upon various factors

- $n$  Class rooms
- $h$  Daily working hours
- $K$  courses
- $X$  classes

We have availability matrix with  $5 \times h$ . 5 is the working days of the week. Lectures is the product of  $X$  and  $K$  or some of all classes of all the courses.

Say we have 7 working hours daily so, we can have maximum of  $7 \times 5$  or 35 lectures in a week. So, to exceed the number 35 we have to increase  $n$  or the number of classrooms.

On the other hand, if we have to arrange 15 lectures with 2 working hours and 1 class room, then this also not possible because we can have  $5 \times 2$  or 10 lectures in week!

**So we can have maximum of  $n \times \text{working hours} \times \text{working days}$  lectures in a week.**

If we have sufficient rooms and working hours of all the courses combined, the correctness of our algorithm would be **100%**.

## Complexity Analysis

If we have more lectures such that (lectures > working days x working hours) then as that of our algorithm we have to do the same scheduling for other class rooms also.

**BEST CASE:** If we have lectures or sum of classes less enough as that of one room or (lectures < working days x working hours), then we have **linear time** complexity e.g.  $5n$  or  $\Omega(n)$

**WORST CASE:** Suppose we can't schedule our classes in one room then our time complexity would be  $5nh$  or  $O(nh)$  where  $n$  is the number of classrooms to be used and  $h$  are the working hours.