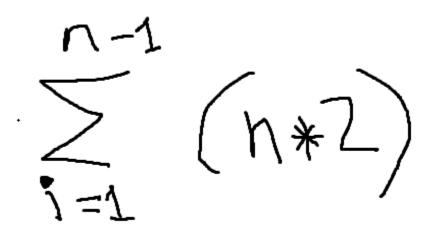
Part 1:

a) The constraints being placed on the variables A,B,C,D are abs() and int() to take the values and instantiate them



The constraints that are generated from value N input are calculated by this formula The third argument is meant to iterate through the values 1-(N-1)

| b) | |
|---|-----|
| sudoku(Rows) :- | |
| length(Rows, 9), maplist(same_length(Rows), Rows), | %1 |
| append(Rows, Vs), Vs ins 19, | %2 |
| maplist(all_distinct, Rows), | %3 |
| transpose(Rows, Columns), | %4 |
| maplist(all_distinct, Columns), | %5 |
| Rows = $[As,Bs,Cs,Ds,Es,Fs,Gs,Hs,Is]$, | %6 |
| blocks(As, Bs, Cs), | %7 |
| blocks(Ds, Es, Fs), | %8 |
| blocks(Gs, Hs, Is). | %9 |
| blocks([], [], []). | %10 |
| blocks([N1,N2,N3 Ns1], [N4,N5,N6 Ns2], [N7,N8,N9 Ns3]): | : |
| all_distinct([N1,N2,N3,N4,N5,N6,N7,N8,N9]), | %11 |
| blocks(Ns1, Ns2, Ns3). | %12 |

- 1. Length checks if Rows is of size 9, if it is unbound then it makes it size 9 of unbound variables, maplist then takes those 9 unbound indexes and creates a list for each index of size 9 filled with unbound values so that we essentially get a matrix
- 2. Append concatenates this new matrix into a new list named vs which is set to a domain of 1-9
- 3. This line checks if every rows list has only unique values
- 4. This line will save a copy of the inverting the rows lists and transposed to the columns list
- 5. This line checks if every list of the newly made columns have unique values within them
- 6. Creates the list of lists and assigning variable names to the sublists
- 7. Blocks will allow the 3 x 3 'blocks' to be assigned with unique values
- 8. Blocks will allow the 3 x 3 'blocks' to be assigned with unique values
- 9. Blocks will allow the 3 x 3 'blocks' to be assigned with unique values
- 10. Blocks base case that will end the recursive call
- 11. Blocks that are imputed are checked to make sure all internal values are unique
- 12. Recursive call
- 13. Defines the sudoku output format

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c)
:- use_module(library(clpb)).
% Example 1: You meet 2 inhabitants, A and B.
%
         A says: "B is either a knight or a knave."
%
          B says: "I am the opposite of who A says I am."
e1_knights(1, [A,B]):-
  sat(A=:=card([1],[\sim B,B])),
  sat(B=:=(\sim A)).
e2 knights(2, [A,B,C]) :-
  sat(A=:=card([1], [(C * B), (~A * ~B * ~C)])),
  sat(B=:=(A * \sim C)).
e3_knights(3, [A,B,C,D,E,F,G,H,I,J,K,L]):-
  sat(K=:=J),
  sat(J=:=F),
  sat(F=:=E),
  sat(E=:=C),
  sat(C=:=A),
  sat(A=:=(~A * ~B * ~C * ~D * ~E * ~F * ~G * ~H * ~I * ~J * ~K * ~L)),
  sat(L=:=I),
  sat(I=:=H),
  sat(H=:=G),
  sat(G=:=D),
  sat(D=:=B),
  sat(B=:=(\sim A)).
% ?- e*_knights(Example, Knights).
Part 2:
:- use_module(library(clpfd)).
:- use_module(library(lists)).
:- use_module(library(apply)).
crypt1([H1|L1],[H2|L2],[H3|L3],L4):-
  L4 ins 0..9,
  H1#\=0,
  H2\#=0,
  all_distinct(L4),
  reverse([H1|L1],R1),
  reverse([H2|L2],R2),
  reverse([H3|L3],R3),
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crypt1_(R1, R2, 0, R3).

crypt1_([], [], C, [H3]) :- H3 #= C. crypt1_([H1|T1], [H2|T2], C2, [H3|T3]) :-H3 #= (H1 + H2 + C2) mod 10, Carry #= (H1 + H2 + C2) div 10, crypt1_(T1, T2, Carry, T3).

% ?- crypt1([S,E,N,D],[M,O,R,E],[M,O,N,E,Y],[D,N,E,S,R,O,M,Y]), labeling([ff],[D,N,E,S,R,O,M,Y]).