

NUMBER SYSTEM

NUMBER SYSTEM

PRESENTED BY

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NUMBER SYSTEM

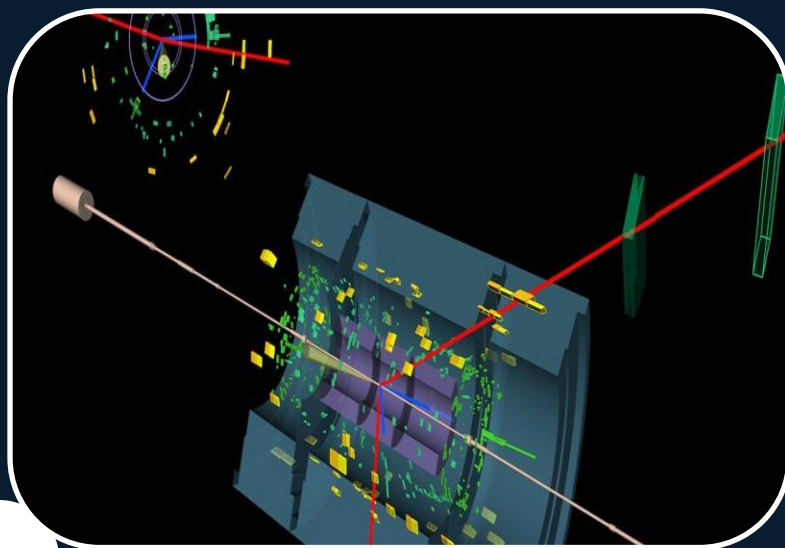
INTRODUCTION

A number system is a **mathematical notation** for representing numbers, which is essential for **counting, measuring,** and performing **mathematical operations.**



NUMBER SYSTEM

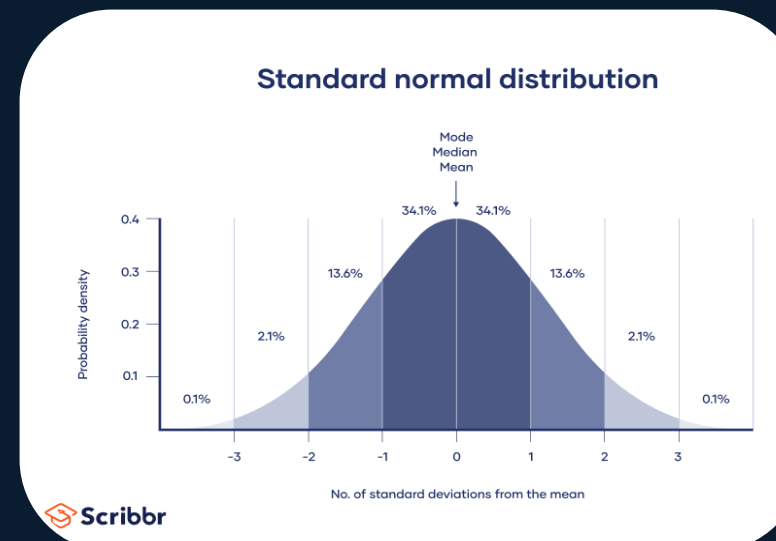
REAL LIFE USES



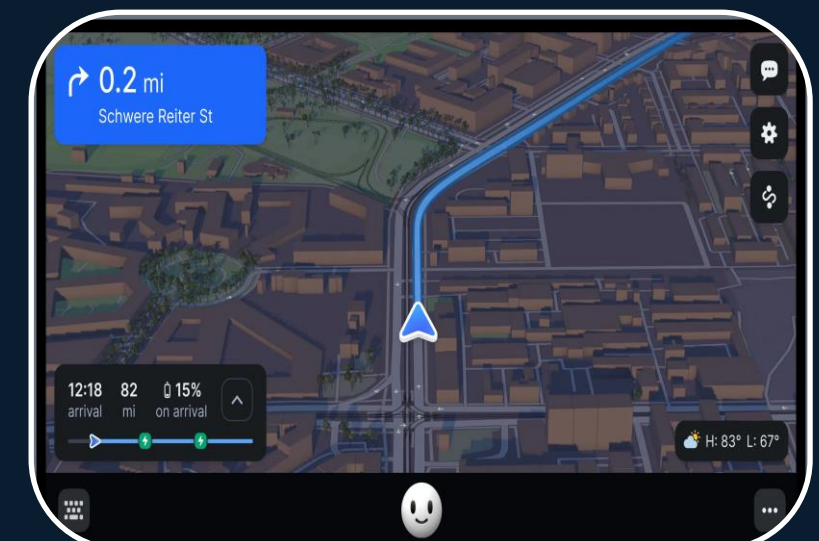
Engineering and Physics



Medicine and Biology



Statistics and Data Analysis



Geography and Navigation

NUMBER SYSTEM

HISTORY

Number systems have progressed from the **use of fingers** and **tally marks**, perhaps more than 40,000 years ago.

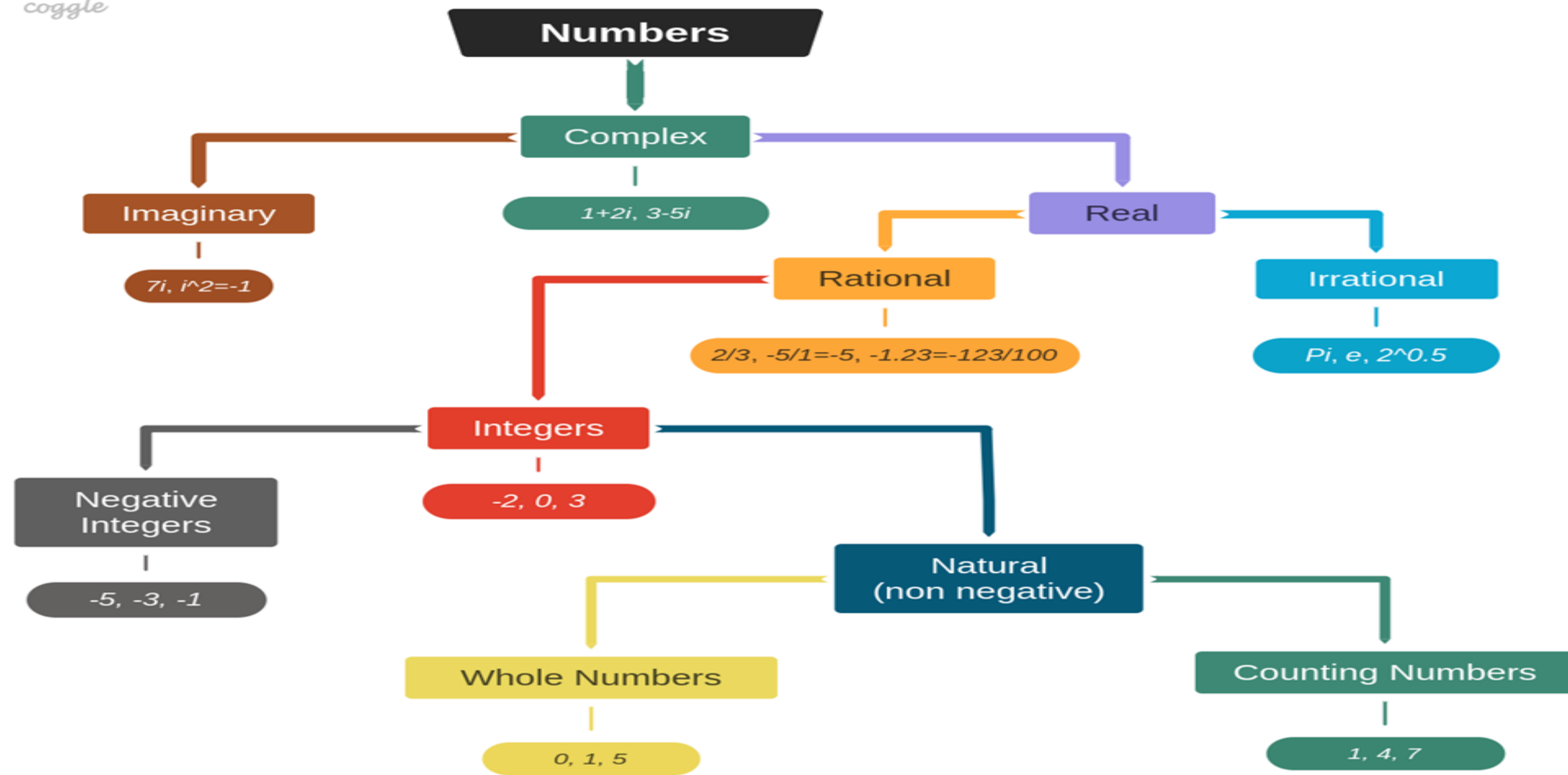
Egyptian	/	∩	∪	⌋	⌋	⌋					
	1	10	100	1,000	10,000	100,000					
Roman	I	II	III	IIII	V	VI	VII	VIII	IX	X	↓ CIO
	1	2	3	4	5	6	7	8	9	10	50 1,000
Mayan	•	••	•••	••••	—	— [•]	— ^{••}	— ^{•••}	— ^{••••}	— ^{•••••}	
	1	2	3	4	5	6	7	8	9	10	
Modern Arabic	١	٢	٣	٤	٥	٦	٧	٨	٩	٠	
	1	2	3	4	5	6	7	8	9	0	
Chinese	一	二	三	四	五	六	七	八	九		
	1	2	3	4	5	6	7	8	9		

Chinese	一	二	三	四	五	六	七	八	九		
	1	2	3	4	5	6	7	8	9		

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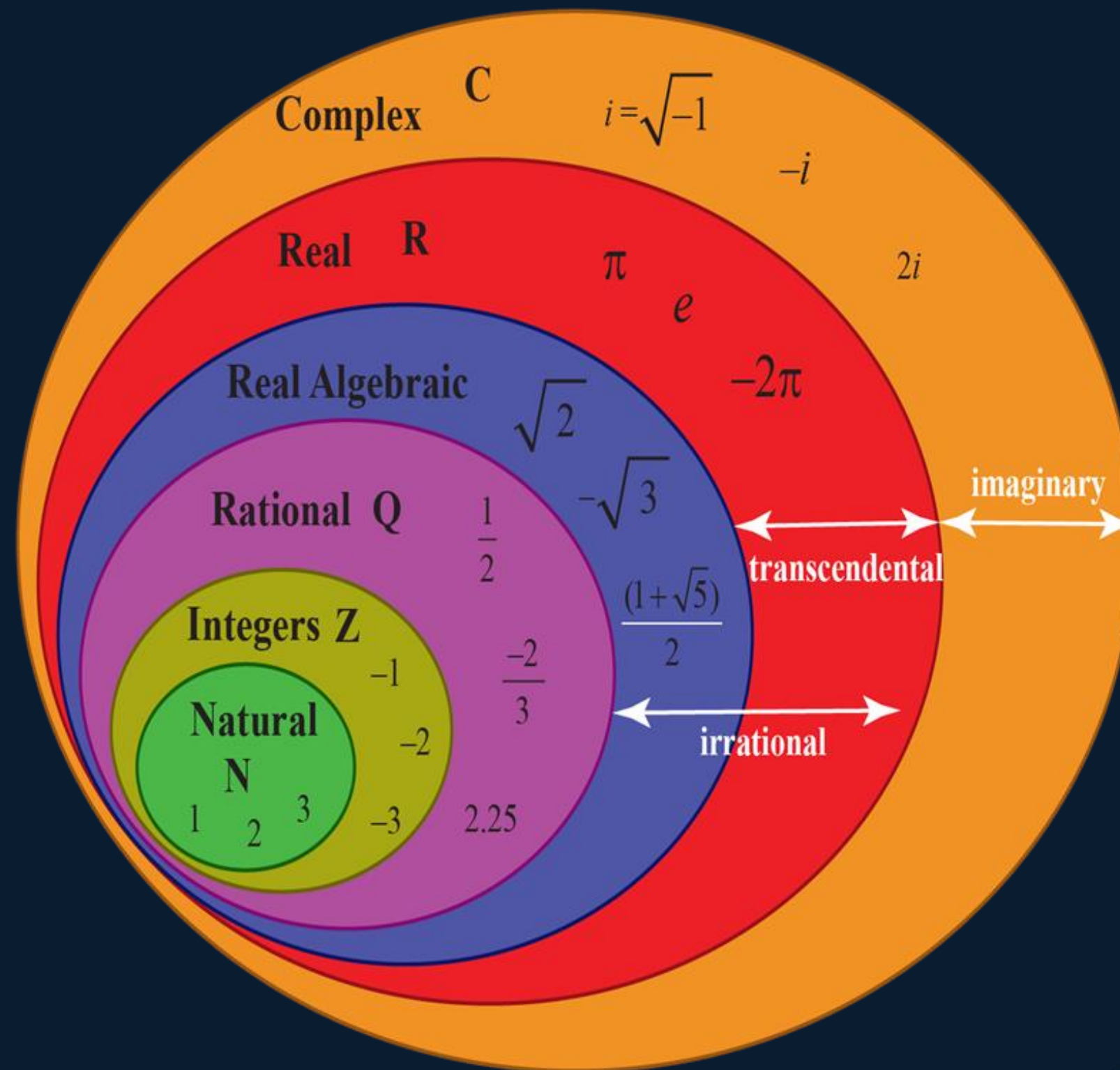
CLASSIFICATION OF NUMBERS

coggle



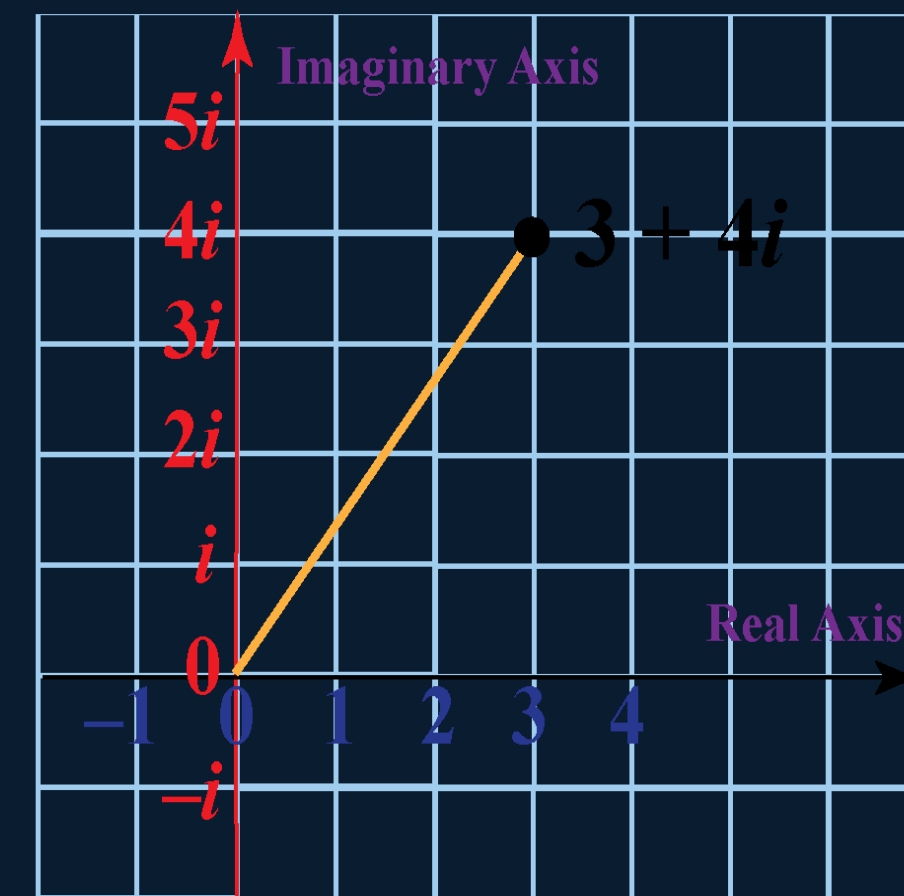
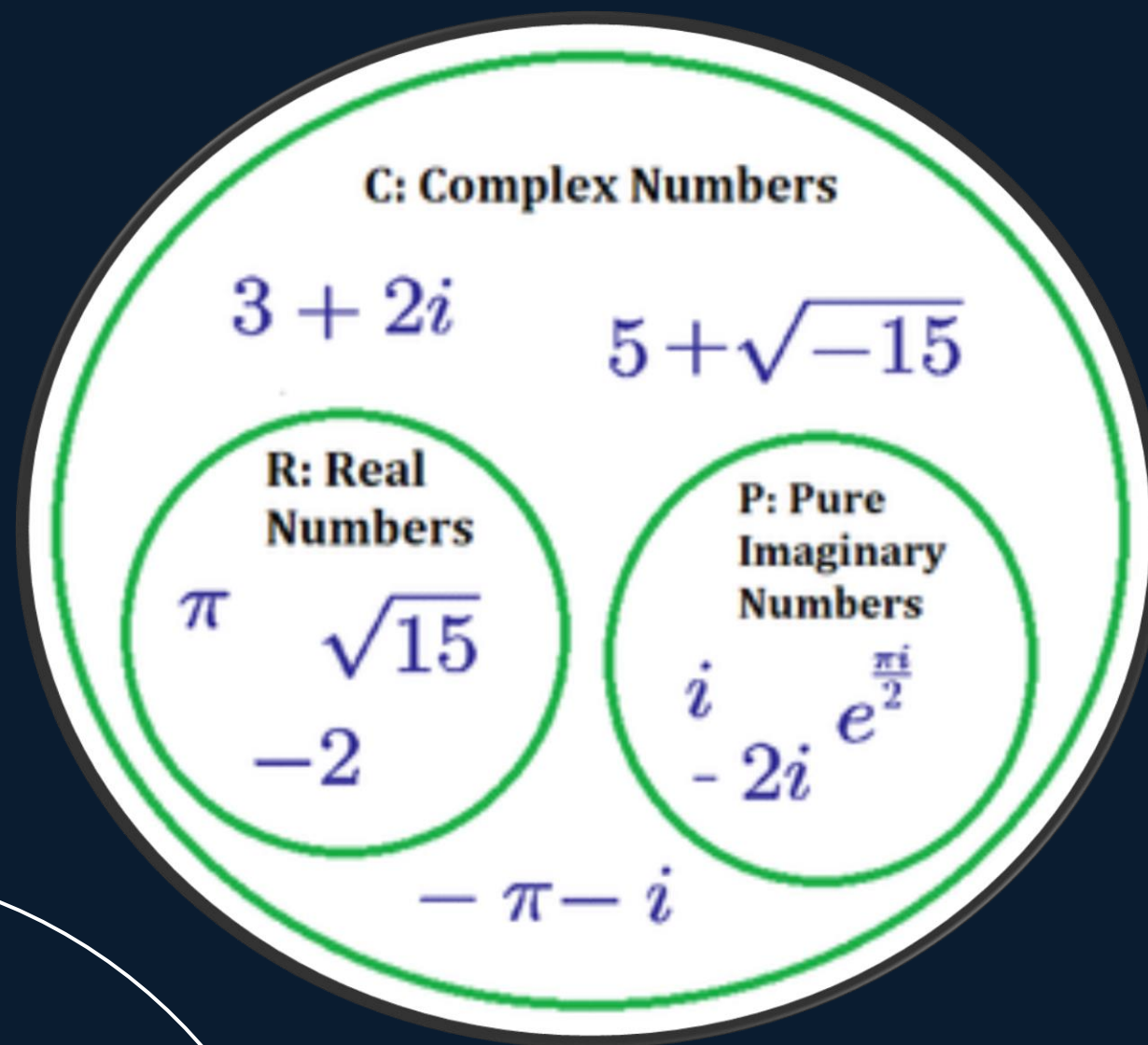
NUMBER SYSTEM

CLASSIFICATION OF NUMBERS



NUMBER SYSTEM

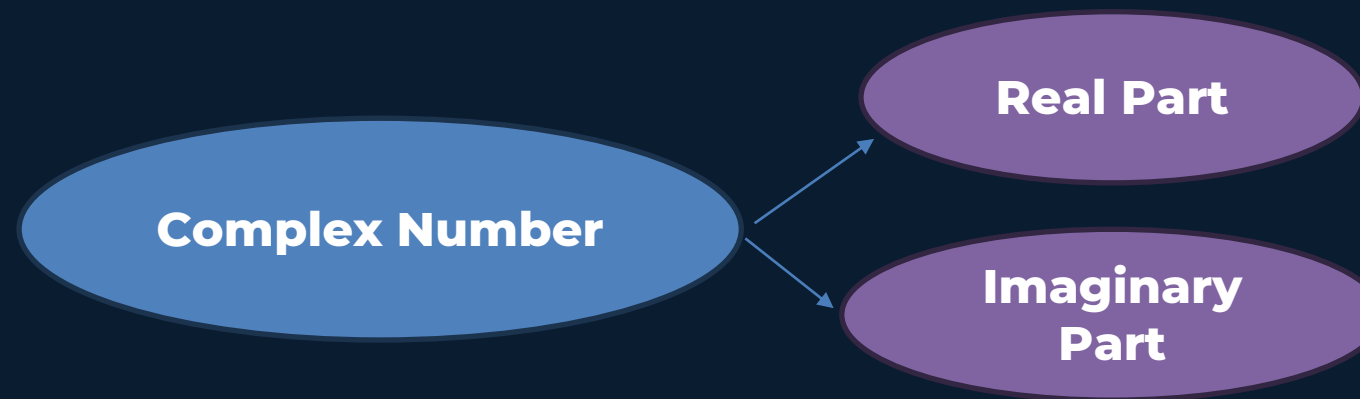
COMPLEX NUMBER



Here **i** is a **imaginary unit**

NUMBER SYSTEM

COMPLEX NUMBER



Complex Numbers

A Complex Number consist of a Real Part and an Imaginary Part

$a + bi$

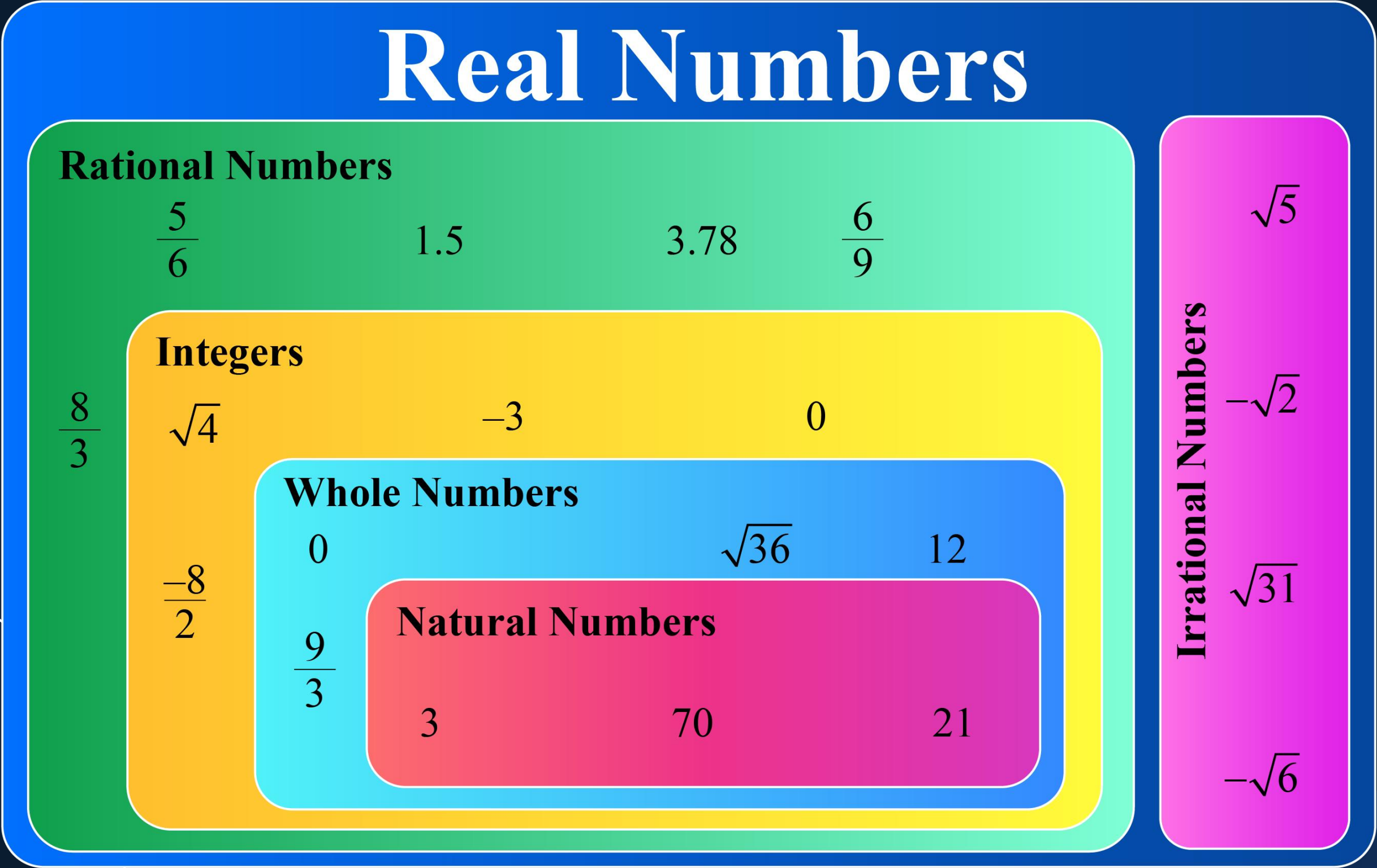
Real Part Imaginary Part

$i^2 = -1$
 $i = \sqrt{-1}$

The main difference between real part and imaginary part is **i**.
Imaginary always carry a imaginary unit **i**.

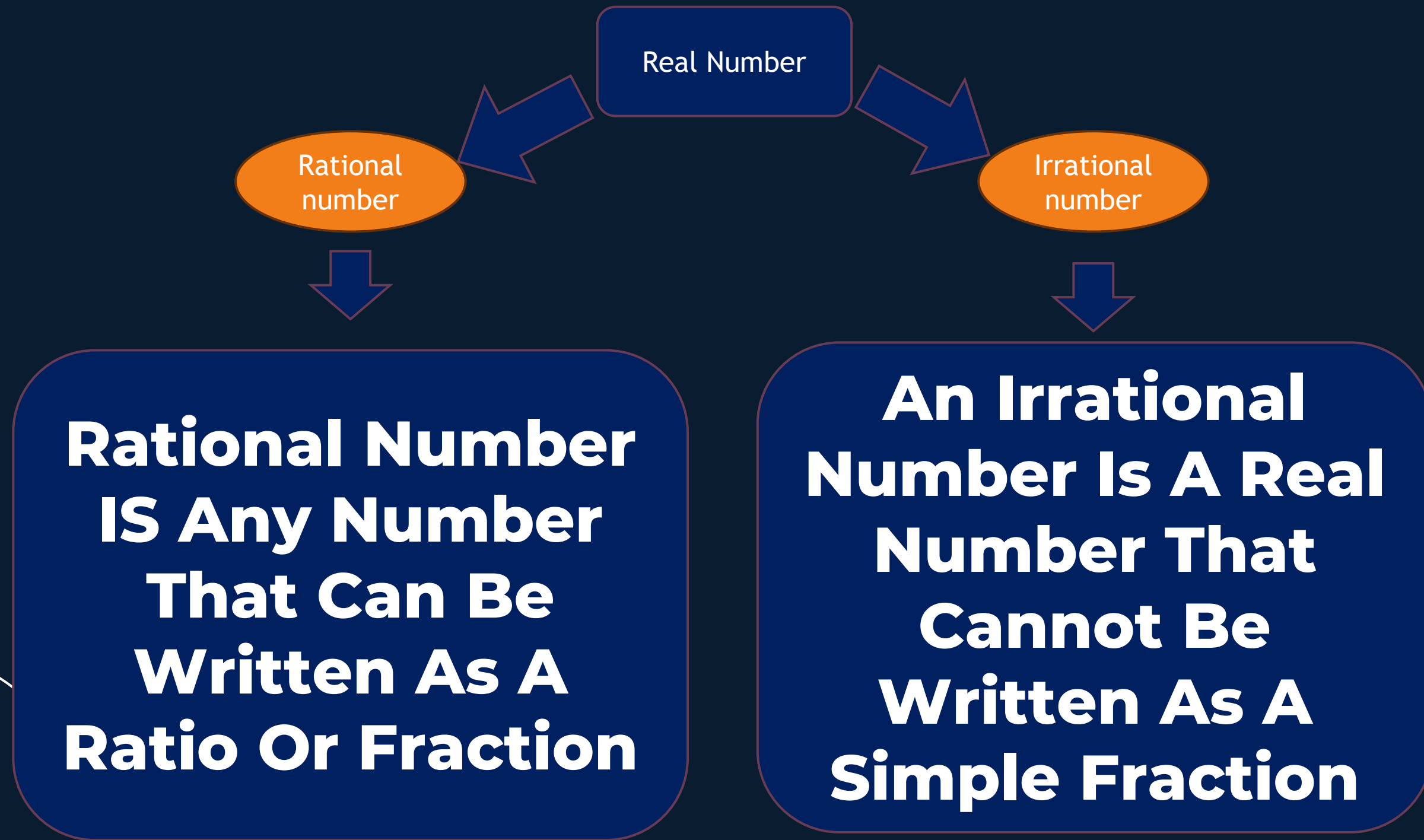
NUMBER SYSTEM

REAL NUMBER



NUMBER SYSTEM

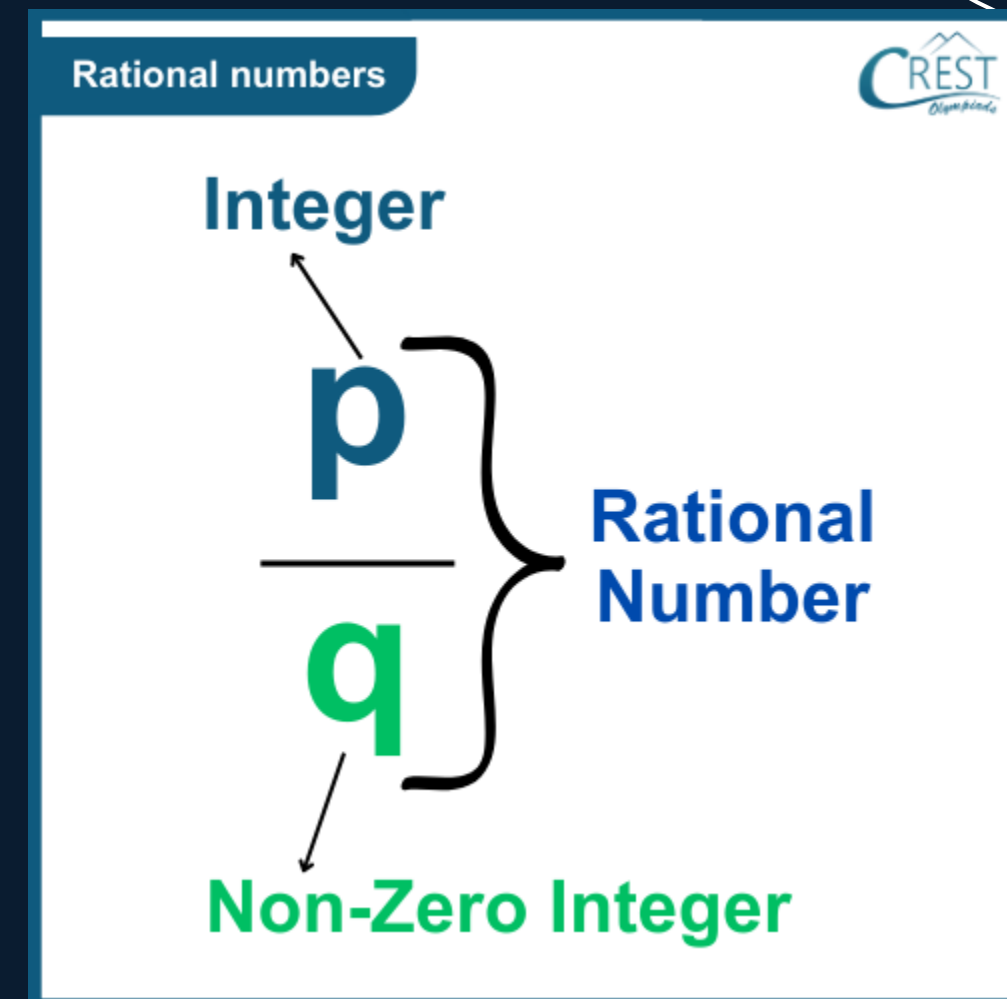
REAL NUMBER



NUMBER SYSTEM

RATIONAL NUMBER

A rational number is any number that can be written as a **fraction**, where both the numerator and the denominator are **integers**, and the **denominator is not equal to zero**.



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IRRATIONAL NUMBER

Irrational Number Is A Type Of Real An Number Which Cannot Be Represented As A **Simple Fraction**. It Cannot Be Expressed In The Form Of A **Ratio**.

Irrational Numbers

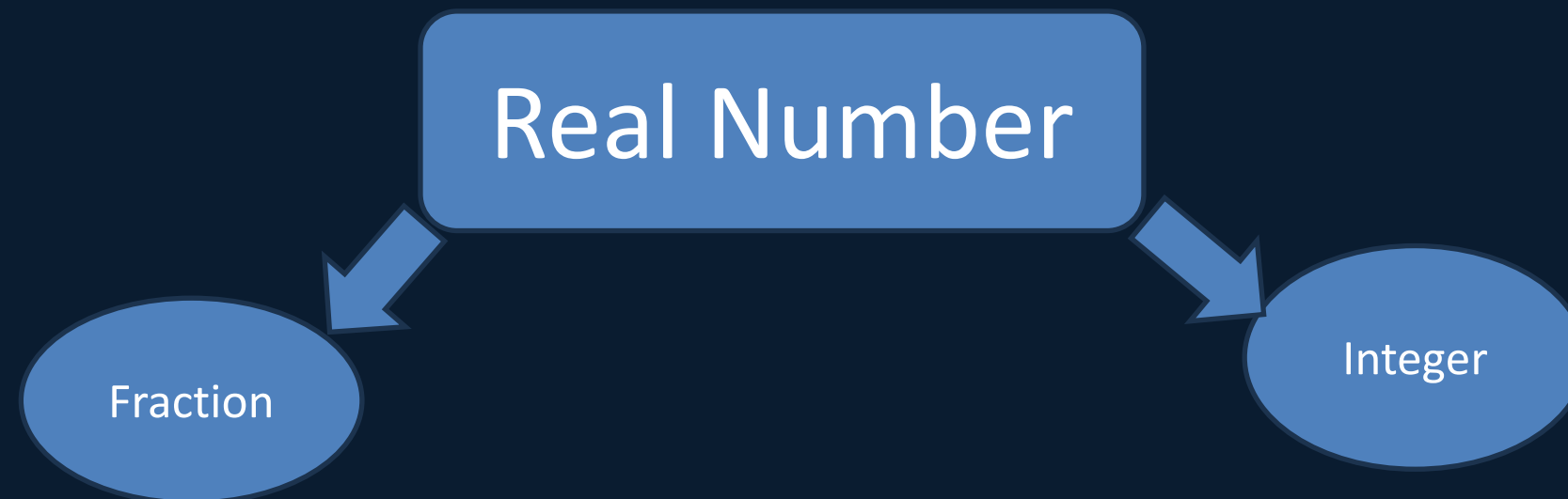
$$\sqrt{2} = 1.4142135\dots$$

$$\sqrt[3]{5} = 1.7099759\dots$$

$$\pi = 3.14159265\dots$$

NUMBER SYSTEM

REAL NUMBER



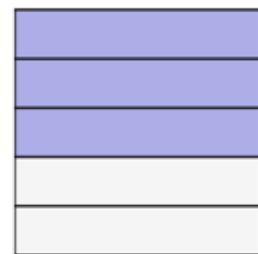
Fractions

A fraction is a number that describes a relationship between a part (represented by the numerator) and a whole (represented by the denominator).

Numerator
Number of parts we have

Fraction Bar

Denominator
Total parts in a whole

$$\frac{3}{5}$$


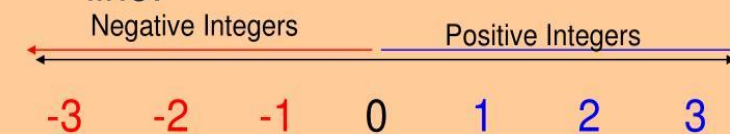
Integers

Integers are the whole numbers

(0, 1, 2, 3, ...)

and their opposites (-1, -2, -3, ...)

Integers are modeled on a number line:

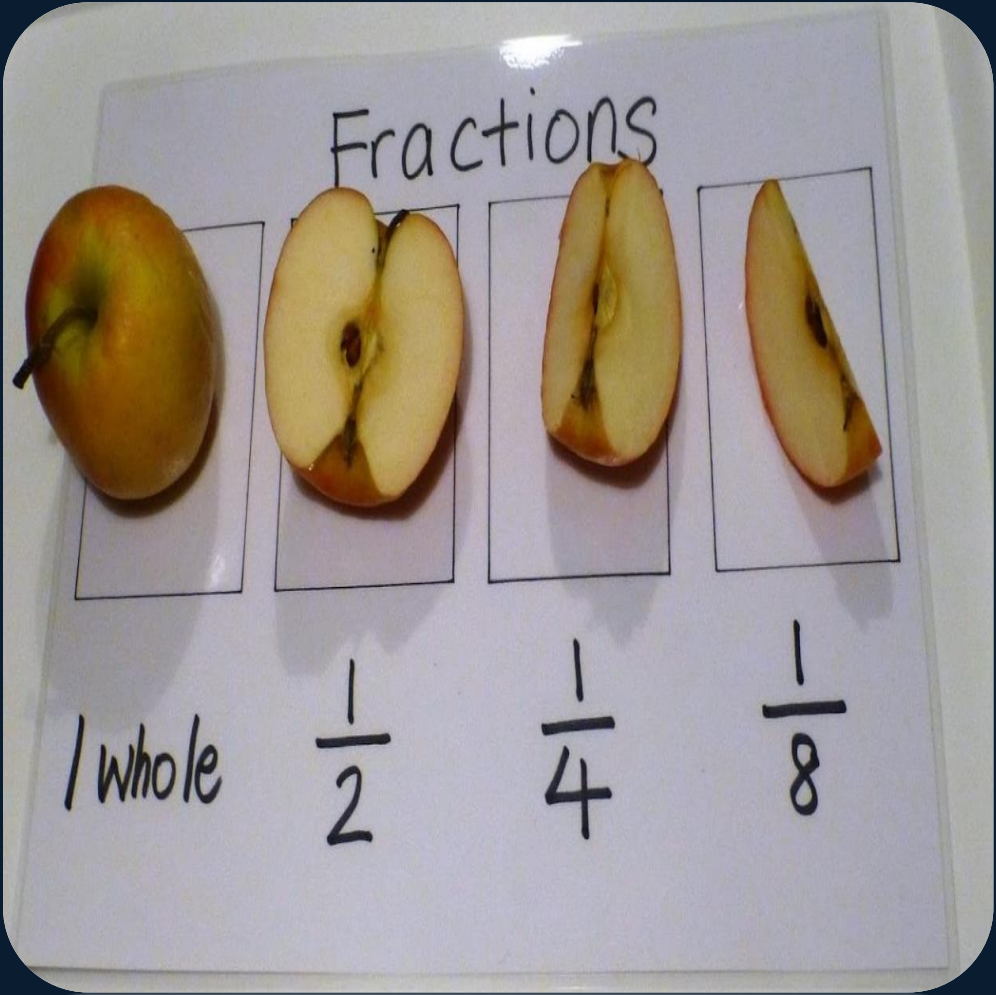


- As you move to the **right** on a number line, the integers **increase** in value
- As you move to the **left** on a number line, the integers **decrease** in value

NUMBER SYSTEM

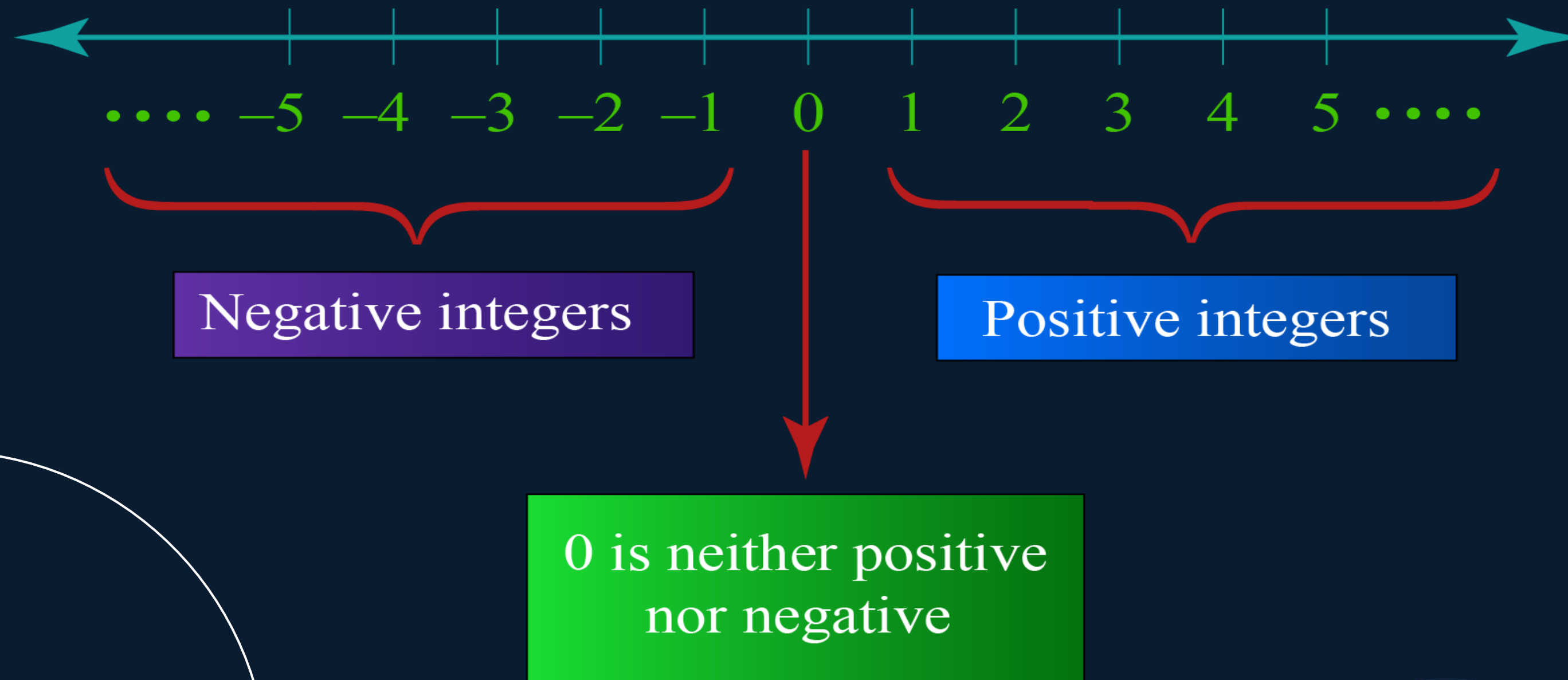
TYPE OF FRACTION

Proper Fraction	Improper Fraction	Mixed Number
$\frac{1}{2}$	$\frac{6}{5}$, $\frac{3}{3}$	$8\frac{1}{2}$
A fraction with a numerator that is less than the denominator.	A fraction with a numerator that is greater than or equal to the denominator.	A combination of a whole number and a fraction.



NUMBER SYSTEM

INTEGER



NUMBER SYSTEM

POSITIVE NUMBER

Positive Number

Composite

In
Mathematics, composite
numbers are numbers
that have more than two
factors.

4 6 8 9 10 15
Those are composite
numbers

Prime

Prime numbers are
numbers greater than 1
that only have two factors,
1 and the number itself.

2 3 7 11 13 17 23
Those are prime numbers

Neither prime
nor
Composit

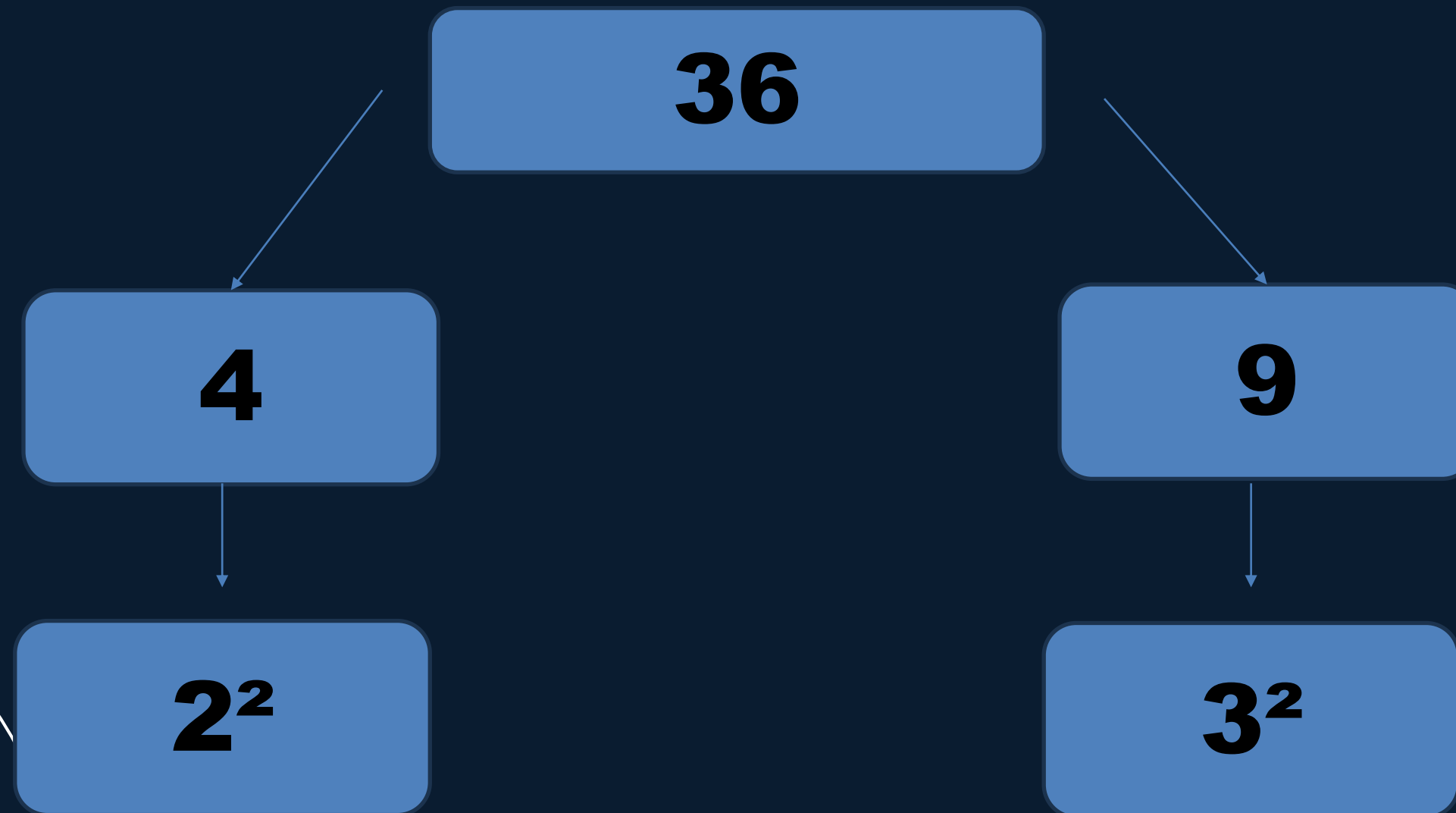
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PRIME FACTORIZATION

- Prime factorization of a number is the representation of the number by its prime factors.

Example:



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PRIME FACTORIZATION

- **Division Method.**
- **Tree Diagram.**
- **Multiplication.**

Formula:

$$N = X^a \times Y^b \times Z^c$$

Number of factor:

$$(a+1)(b+1)(c+1)$$

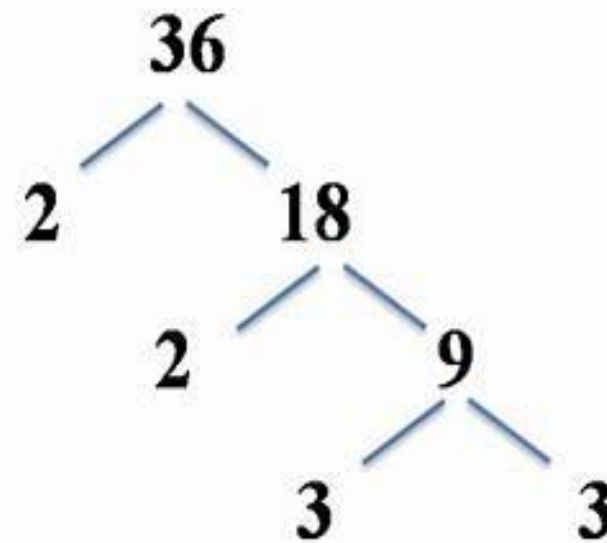
NUMBER SYSTEM

PRIME FACTORIZATION

**Division
Method.**

$$\begin{array}{r} 3 \overline{) 960} \\ 2 \overline{) 320} \\ 2 \overline{) 160} \\ 2 \overline{) 80} \\ 2 \overline{) 40} \\ 2 \overline{) 20} \\ 2 \overline{) 10} \\ 5 \end{array}$$

**Tree
Diagram.**



Multiplication.

$$\begin{aligned} 1600 &= 2 \times 800 = 2 \times 2 \times 400 = 2^2 \times 2 \times 200 \\ &= 2^3 \times 2 \times 100 = 2^4 \times 2 \times 50 \\ &= 2^6 \times 5 \times 5 = 2^6 \cdot 5^2 \end{aligned}$$

NUMBER SYSTEM

HIGHEST COMMON FACTOR

HCF

(Highest Common Factor)

$$\begin{array}{r} 24 \overline{) 42} \quad (1 \\ - 24 \\ \hline 18 \end{array} \quad \begin{array}{r} 18 \overline{) 24} \quad (1 \\ - 18 \\ \hline 6 \end{array} \quad \begin{array}{r} 6 \overline{) 18} \quad (3 \\ - 18 \\ \hline \times \end{array}$$

HCF

- HCF or Highest Common Factor is the greatest number which divides each of the two or more numbers.
- HCF is also called the Greatest Common Measure (GCM) and Greatest Common Divisor (GCD).
- Step 1: Write each number as a product of its prime factors. This method is called here **prime factorization**.
- Step 2: Now list the common factors of both the numbers
- Step 3: The product of all common prime factors is the HCF (use the lower power of each common factor)

NUMBER SYSTEM

LCM

The LCM of any two is the value that is evenly divisible by the two given numbers.

- The full form of LCM is Least Common Multiple.
- It is also called the Least Common Divisor (LCD).

Step 1: List the first few multiples of each number.

Step 2: Circle the common multiples.

Step 3: The lowest circled number is the LCM.

LCM of 6, 12 and 18



2	<u>6</u>	<u>12</u>	<u>18</u>
2	3	<u>6</u>	9
3	<u>3</u>	<u>3</u>	<u>9</u>
3	1	1	<u>3</u>
	1	1	1

$$\text{LCM} = 2 \times 2 \times 3 \times 3$$

$$\text{LCM} = 36$$

THANK
YOU!

