

# Abdullah Ahmed

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## Task 1 a)

```
K = 4;
bb = ones(1, K) / K;
aa = 1;

ww = -pi:(pi/100):pi;
H = freqz(bb, aa, ww);

subplot(2,1,1);
plot(ww, abs(H));
grid on;
xlabel('Normalized Radian Frequency (\omega)');
ylabel('|H(e^{j\omega})|');
title('Magnitude Response');

% Plot the phase response
subplot(2,1,2);
plot(ww, angle(H));
grid on;
xlabel('Normalized Radian Frequency (\omega)');
ylabel('Phase (radians)');
title('Phase Response');
```

## Task 1 b)

The four-point averaging filter acts as a low pass, reducing high-frequency components while preserving low-frequency ones. This results in a smoothing, as rapid variations and noise are attenuated while gradual changes remain, making the signal more continuous.

## Task 1 c)

```
clc;
clear;
close all;

L = 10;
wc = 0.44 * pi;
n = 0:L-1;
bb = (2/L) * cos(wc * n); % Filter Coefficients

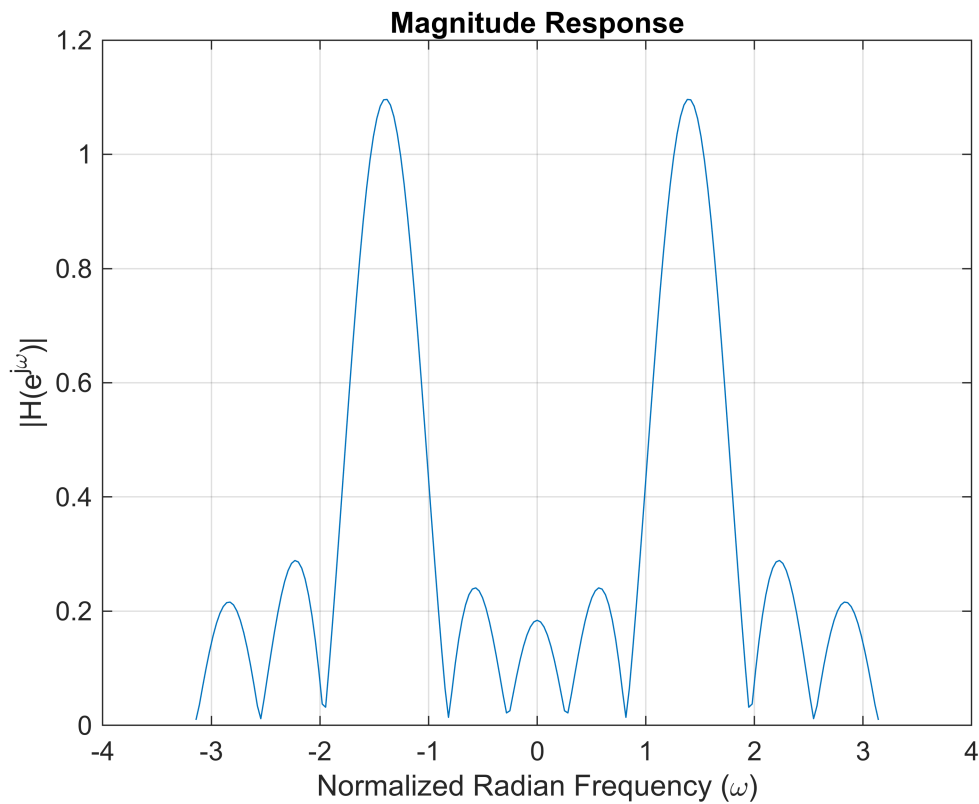
ww = linspace(-pi, pi, 201); % Frequency vector
H = freqz(bb, 1, ww); % Frequency response

figure;
```

```

plot(ww, abs(H));
grid on;
xlabel('Normalized Radian Frequency (\omega)');
ylabel('|H(e^{j\omega})|');
title('Magnitude Response');

```



#### Task 1 d)

```

K_values = [4, 8, 16, 32]; % Different filter lengths
ww = -pi:(pi/100):pi;      % Frequency range

figure;
for i = 1:length(K_values)
    K = K_values(i);
    b = ones(1, K) / K; % Averaging filter coefficients
    H = freqz(b, 1, ww); % Frequency response

    subplot(length(K_values), 2, 2*i - 1);
    plot(ww, abs(H)); grid on;
    title(['Magnitude Response for K = ', num2str(K)]);
    xlabel('Normalized Radian Frequency (\omega)');
    ylabel('|H(e^{j\omega})|');

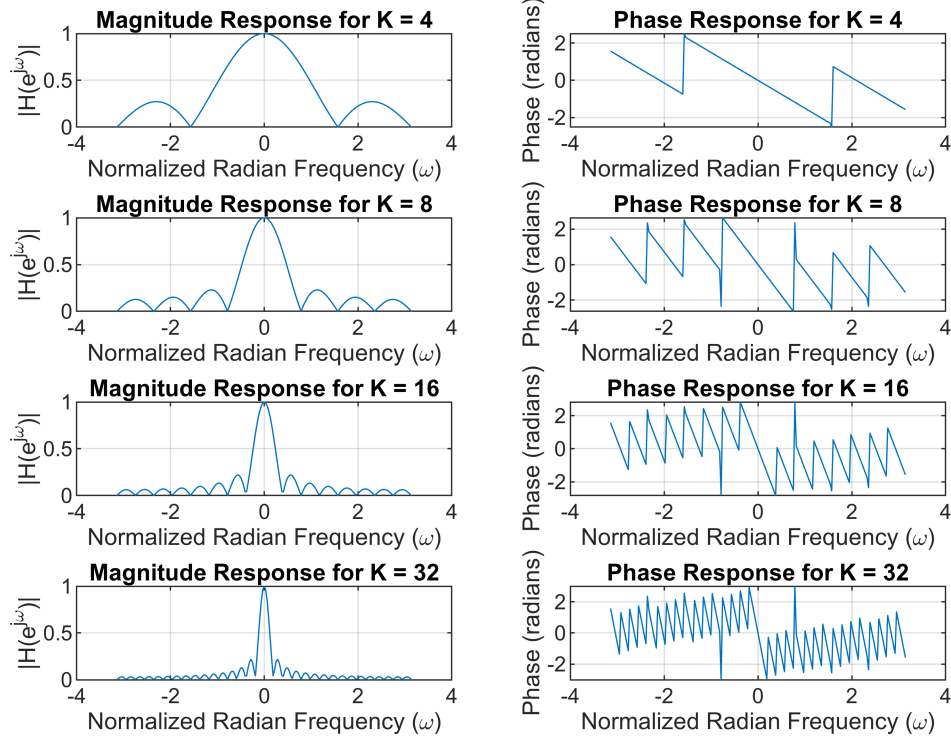
    subplot(length(K_values), 2, 2*i);
    plot(ww, angle(H)); grid on;
    title(['Phase Response for K = ', num2str(K)]);

```

```

xlabel('Normalized Radian Frequency (\omega)');
ylabel('Phase (radians)');
end

```



As the value of  $K$  increases, the number of lobes in the magnitude graph increases, and the waves or peaks in the angle graph also become more frequent.

## Task 2 a)

```

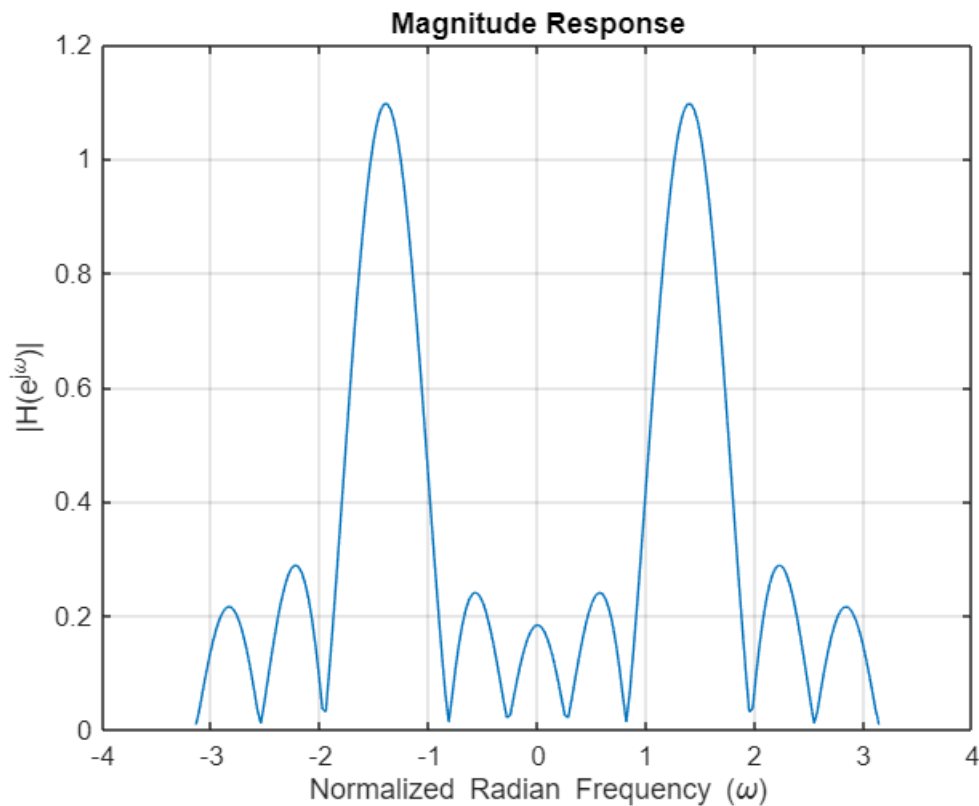
clc;
clear;
close all;

L = 10;
wc = 0.44 * pi;
ww = -pi:(pi/100):pi;

figure;
n = 0:L-1;
h = (2/L) * cos(wc * n);
H = freqz(h, 1, ww);

plot(ww, abs(H)); grid on;
title('Magnitude Response');
xlabel('Normalized Radian Frequency (\omega)');
ylabel('|H(e^{j\omega})|');

```



## Task 2 b)

```

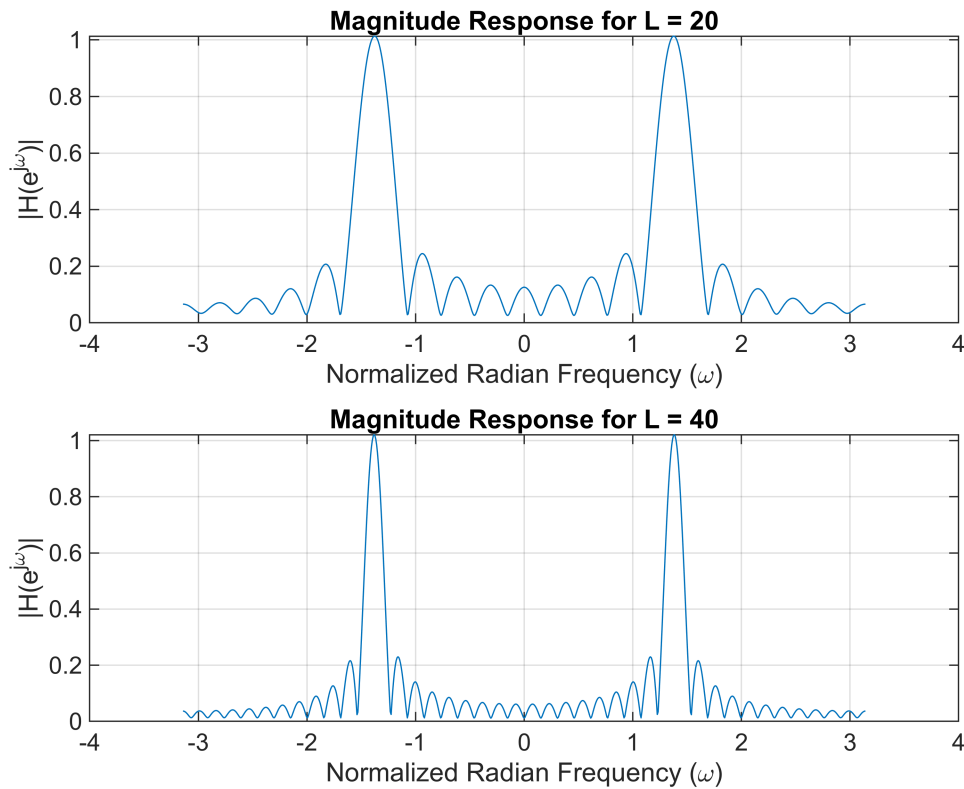
clc;
clear;
close all;

L_values = [20, 40];
ww = -pi:pi/400:pi; % Frequency vector

figure;
for i = 1:length(L_values)
    L = L_values(i);
    wc = 0.44 * pi;
    n = 0:L-1;
    h = (2/L) * cos(wc * n); % Filter Coefficients
    H = freqz(h, 1, ww);      % Frequency response

    subplot(2, 1, i);
    plot(ww, abs(H));
    grid on;
    xlabel('Normalized Radian Frequency (\omega)');
    ylabel('|H(e^{j\omega})|');
    title(['Magnitude Response for L = ' num2str(L)]);
end

```



## Task 2 c)

```

clc;
clear;
close all;

% Parameters
L = 40;           % Filter length
wc = 0.44 * pi;   % Center frequency
n = 0:L-1;        % Sample indices

% Compute the FIR filter
h = (2/L) * cos(wc * n);

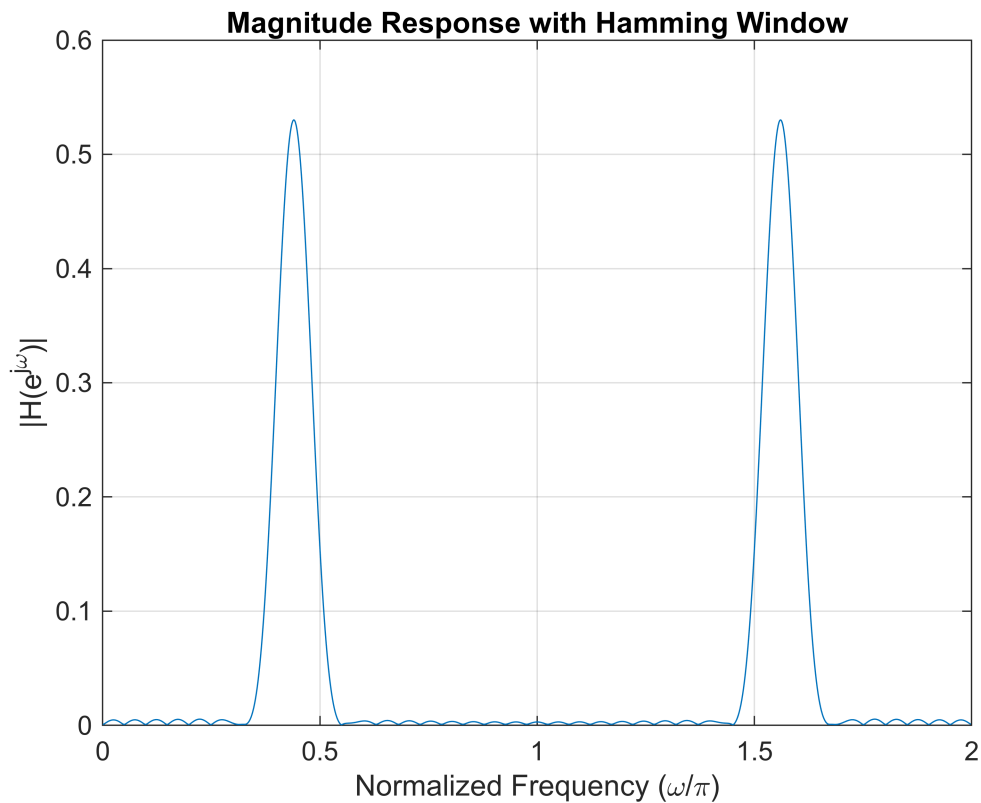
% Apply Hamming window
h = h .* hamming(L)'; % Element-wise multiplication with window

% Compute frequency response
[H, w] = freqz(h, 1, 1024, 'whole');

% Plot the magnitude response
figure;
plot(w/pi, abs(H));
grid on;
xlabel('Normalized Frequency (\omega/\pi)');

```

```
ylabel('|H(e^{j\omega})|');
title('Magnitude Response with Hamming Window');
```



#### Task 2 d)

```
clc;
clear;
close all;

L = 50;
wc = 0.44 * pi;
n = -(L-1)/2 : (L-1)/2;

h = (2/L) * cos(wc * n);
h = h / sum(h);

fs = 2 * pi;
N = 500;
n = 0:N-1;
x = 10*cos(0.3*pi*n) + 40*cos(0.44*pi*n - pi/3) + 20*cos(0.7*pi*n - pi/4);

y = conv(x, h, 'same');

X = fft(y);
Y = fftshift(X);
n_samples = length(Y);
```

```
fshift = (-n_samples/2:n_samples/2-1) * (fs/n_samples);
```

```
figure;  
plot(fshift, abs(Y) / n_samples);  
grid on;  
xlabel('Frequency (Hz)');  
ylabel('Magnitude |Y(f)|');  
title('Frequency Response of Filtered Output Signal');
```

