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# Intermediate Representation (IR)

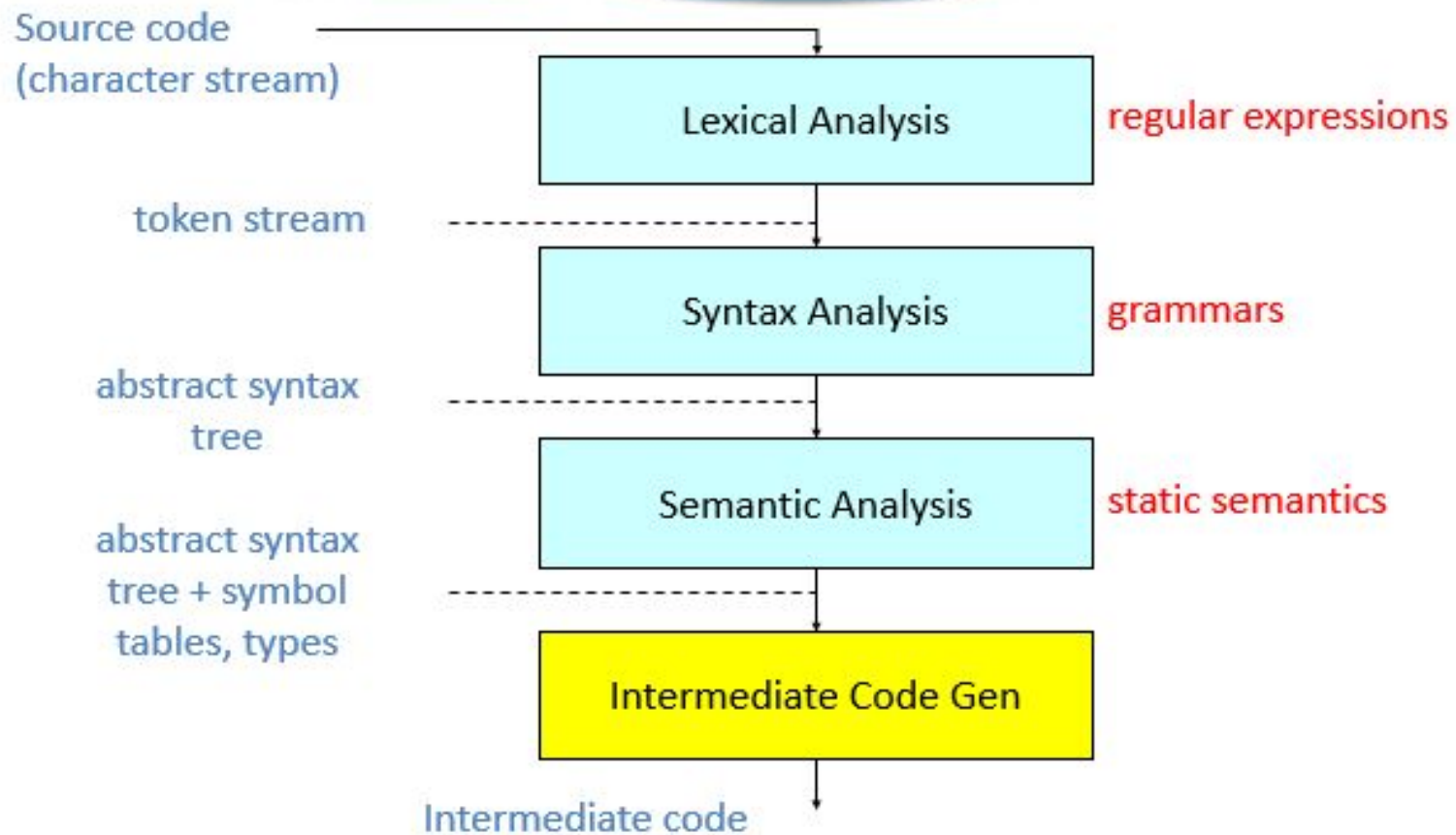
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TRANSLATION TO INTERMEDIATE CODE



# Where we are.....

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# TRANSLATION TO INTERMEDIATE CODE

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## **Intermediate Representation (IR):**

- An abstract machine language
- Expresses operations of target machine
- Not specific to any particular machine
- Independent of source language

## **IR code generation not necessary:**

- Semantic analysis phase can generate real assembly code directly.
- Hinders portability and modularity.

# TRANSLATION TO INTERMEDIATE CODE

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Suppose we wish to build compilers for  $n$  source languages and  $m$  target machines.

## Case 1: no IR

- Need separate compiler for each source language/target machine combination.
- A total of  $n * m$  compilers necessary.
- Front-end becomes cluttered with machine specific details, back-end becomes cluttered with source language specific details.

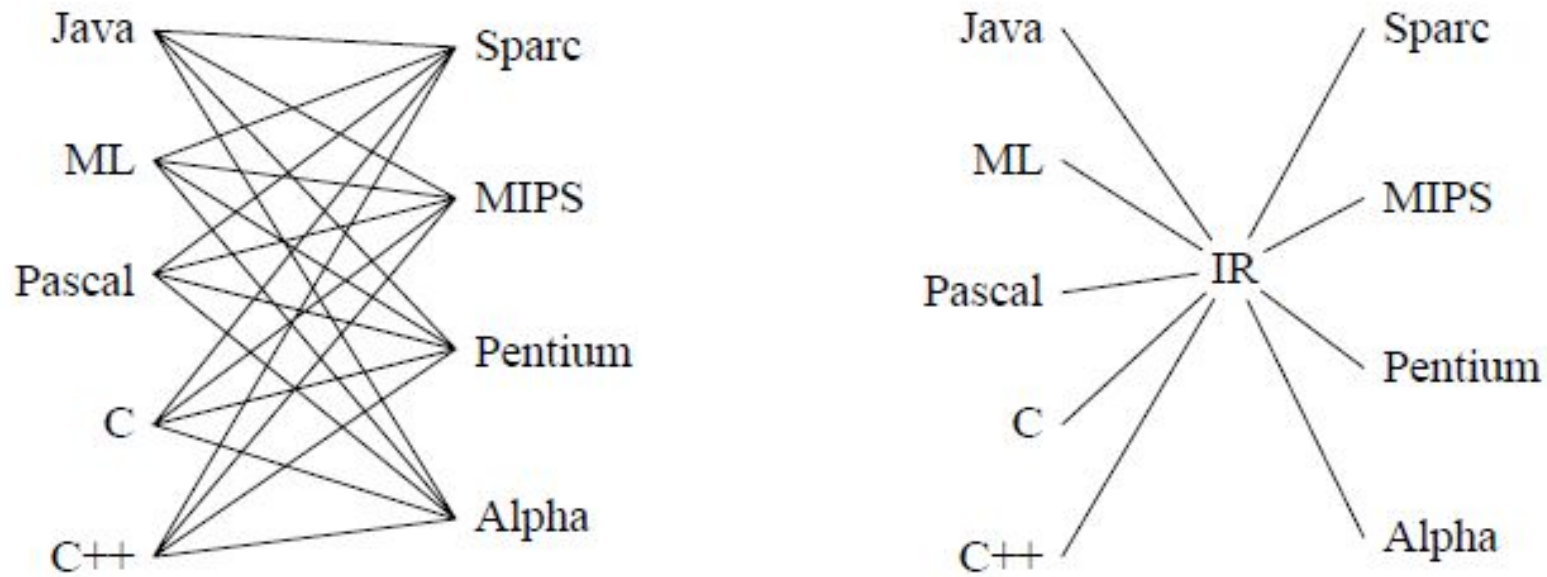
## Case 2: IR present

- Need just  $n$  front-ends,  $m$  back ends.



# INTERMEDIATE REPRESENTATION

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**FIGURE 7.1.** Compilers for five languages and four target machines:  
(left) without an IR, (right) with an IR.  
From *Modern Compiler Implementation in ML*,  
Cambridge University Press, ©1998 Andrew W. Appel

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# INTERMEDIATE REPRESENTATION

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Intermediate codes can be represented in a **variety of ways** and they have their own benefits.

## **High Level IR**

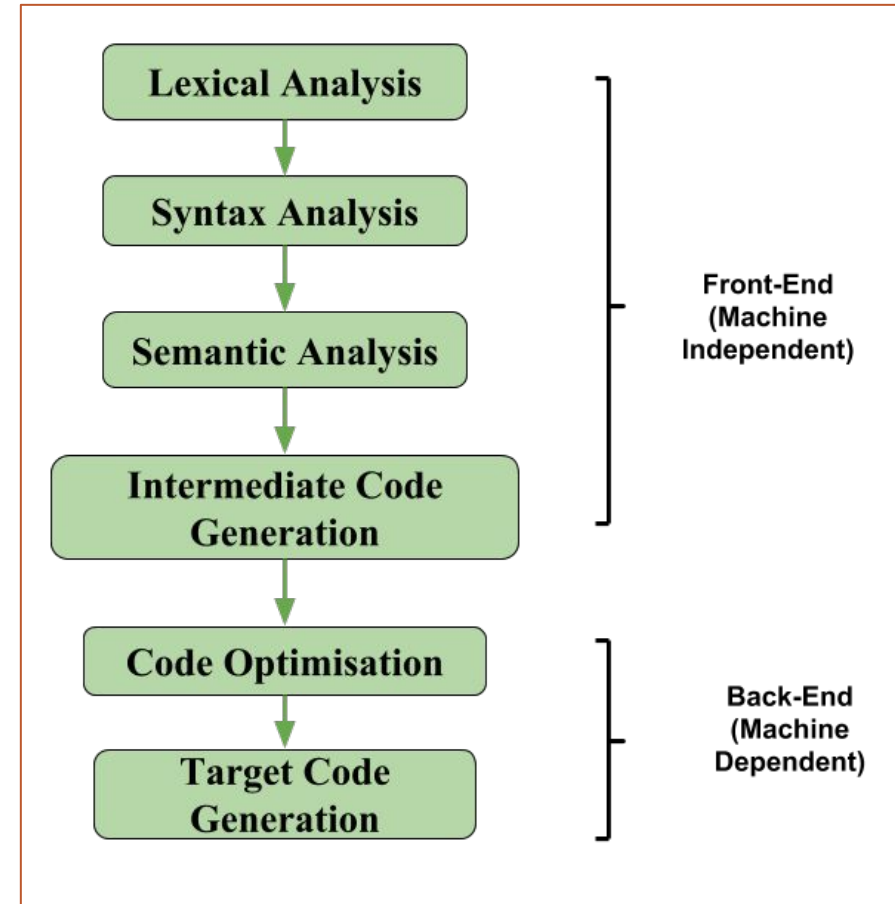
- High-level intermediate code representation is very close to the source language itself.
- They can be easily generated from the source code and we can easily apply code modifications to enhance performance.
- But for **target machine optimization, it is less preferred.**

## **Low Level IR**

- This one is close to the target machine, which makes it suitable for register and memory allocation, instruction set selection, etc. **It is good for machine-dependent optimizations.**

# INTERMEDIATE REPRESENTATION

- ✓ If we generate machine code directly from source code, then for  $n$  **target** machine we will have  $n$  **optimizers** and  $n$  **code generators** but if we will have a machine independent intermediate code, we will have **only one optimizer**.
- ✓ Intermediate code can be either language specific (e.g., Byte Code for Java) or language independent (three-address code).





# INTERMEDIATE REPRESENTATION FORMATS

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## (1) Postfix Notation

- The ordinary (infix) way of writing the sum of  $a$  and  $b$  is with operator in the middle :  $a + b$ . The postfix notation for the same expression places the operator at the right end as  **$ab +$** .
- In general, if  $e1$  and  $e2$  are any postfix expressions, and  $+$  is any binary operator, the result of applying  $+$  to the values denoted by  $e1$  and  $e2$  is postfix notation by  **$e1e2 +$** .
- No parentheses are needed in postfix notation because the position and arity (number of arguments) of the operators permit only one way to decode a postfix expression. In postfix notation the operator follows the operand.
- **Example** – The postfix representation of the expression  $(a - b) * (c + d) + (a - b)$  is :  **$ab - cd + * ab - +$** .



# INTERMEDIATE REPRESENTATION FORMATS

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## (2) Three-Address Code

- A type of intermediate code which is easy to generate and can be easily converted to machine code.
- It makes use of **at most three addresses and one operator** to represent an expression and the value computed at each instruction is stored in temporary variable generated by compiler.
- The compiler decides the order of operation given by three address code.

**General representation –**

`a = b op c`

Where a, b or c represents **operands like names, constants or compiler generated temporaries** and **op** represents the **operator**

# INTERMEDIATE REPRESENTATION FORMATS

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## (2) Three-Address Code

Example:

- $a = b + c * d$
- The intermediate code generator will try to **divide this expression into sub-expressions** and then generate the corresponding code

$t1 = c * d;$

$t2 = b + t1;$

$a = t2$

t1,t2 are temporary variables

- ✓ A three-address code has **at most three address locations to calculate the expression.**
- ✓ A three-address code can be represented in two forms : quadruples and triples.

# INTERMEDIATE REPRESENTATION FORMATS

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## Implementation of Three-Address Code

### Quadruples

Each instruction in quadruples presentation is divided into four fields: operator, arg1, arg2, and result. The above example is represented below in quadruples format:

#### **Advantage –**

Easy to rearrange code for global optimization.  
One can quickly access value of temporary variables using symbol table.

#### **Disadvantage –**

Contain lot of temporaries.  
Temporary variable creation increases time and space complexity.

Op	arg <sub>1</sub>	arg <sub>2</sub>	result
*	c	d	r1
+	b	r1	r2
+	r2	r1	r3
=	r3		a

# INTERMEDIATE REPRESENTATION FORMATS

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## Implementation of Three-Address Code

### Triples

Each instruction in triples presentation has three fields : op, arg1, and arg2. The results of respective sub-expressions are denoted by the position of expression. Triples represent similarity with DAG and syntax tree. They are equivalent to DAG while representing expressions.

Op	arg <sub>1</sub>	arg <sub>2</sub>
*	c	d
+	b	(0)
+	(1)	(0)
=	(2)	

# INTERMEDIATE REPRESENTATION FORMATS

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## Implementation of Three-Address Code

### Triples

#### **Advantage –**

This representation doesn't make use of extra temporary variable to represent a single operation instead when a reference to another triple's value is needed, a pointer to that triple is used

#### **Disadvantage –**

- Temporaries are implicit and difficult to rearrange code.
- It is difficult to optimize because optimization involves moving intermediate code. When a triple is moved, any other triple referring to it must be updated also. With help of pointer one can directly access symbol table entry.

# INTERMEDIATE REPRESENTATION FORMATS

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## Implementation of Three-Address Code

### Indirect Triples

- This representation is an enhancement over triples representation.
- It uses **pointers instead of position** to store results.
- **This enables the optimizers to freely re-position the sub-expression to produce an optimized code.**

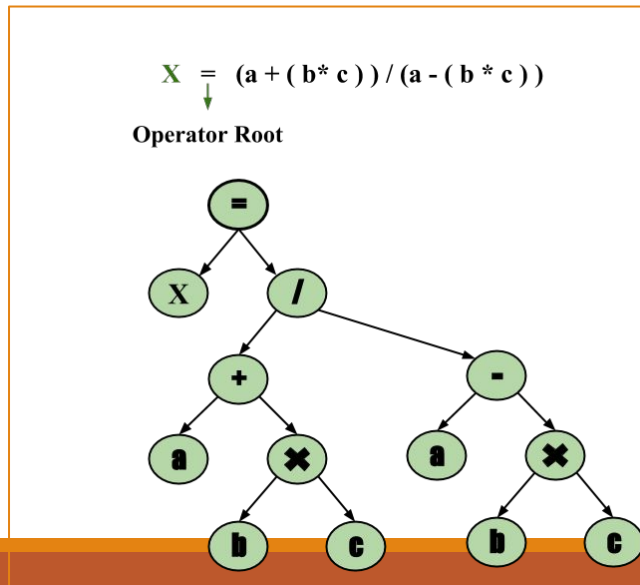
# INTERMEDIATE REPRESENTATION FORMATS

## (3) Syntax Tree –

- Syntax tree is nothing more than condensed form of a parse tree.
- **The operator and keyword nodes of the parse tree are moved to their parents** and a chain of single productions is replaced by single link in syntax tree. The **internal nodes are operators and child nodes are operands**.
- To form syntax tree put parentheses in the expression, this way it's easy to recognize which operand should come first.

## Example –

$$x = (a + b * c) / (a - b * c)$$





# GOOD IR PROPERTIES

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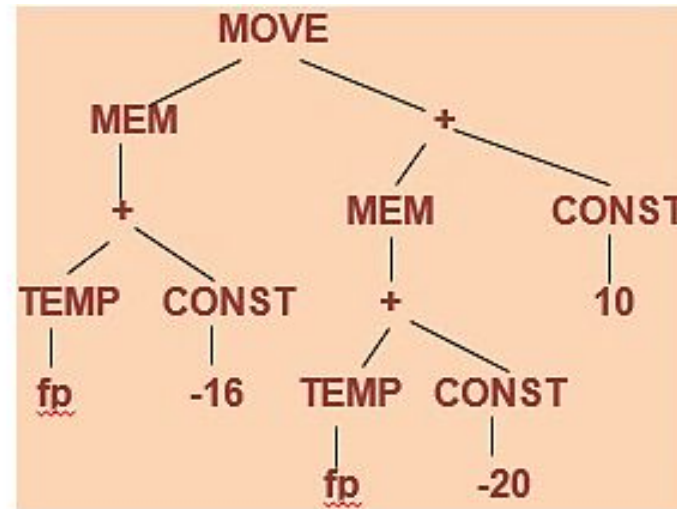
A good intermediate representation . . .

- must be convenient to produce from an AST,
- must be convenient to translate into real, machine code (for all desired targets)
- and must have clear and simple meaning, so that optimizations (which rewrite the IR) are easy to specify and implement.

For the IR in our course, we will use a simple *tree language*.

# IR EXPRESSION TREE

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**Represents the IR:**

MOVE(MEM(+ (TEMP(fp), CONST(-16))),  
+ (MEM(+ (TEMP(fp), CONST(-20))), CONST(10)))

**which evaluates the program:**

- $M[\text{fp}-16] := M[\text{fp}-20] + 10$

# IR EXPRESSIONS

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**CONST(*i*):** the integer constant *i*

**\*\* MEM(*e*):** if *e* is an expression that calculates a memory address, then this is the contents of the memory at address *e* (one word)

**NAME(*n*):** the address that corresponds to the label *n*

- eg. MEM(NAME(*x*))                      returns the value stored at the location *X*

**TEMP(*t*):** if *t* is a temporary register, return the value of the register,

- eg. MEM(BINOP(PLUS,TEMP(*fp*),CONST(24)))

fetches a word from the stack located 24 bytes above the frame pointer

**\*\* Note that when MEM is used as the left child of a MOVE, it means “store”, but anywhere it means else it means “fetch”**

# IR EXPRESSIONS

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***BINOP*(op,e1,e2)**: evaluate e1, evaluate e2, and perform the binary operation op over the results of the evaluations of e1 and e2

- op can be PLUS, AND, etc
- we abbreviate BINOP(PLUS,e1,e2) by +(e1,e2)

***CALL*(f,[e1,e2,...,en])**: evaluate the expressions e1, e2, etc (in that order), and at the end call the function f over these n parameters

- eg. CALL(NAME(g),ExpList(MEM(NAME(a)),ExpList(CONST(1),NULL)))

represents the function call g(a,1)

***ESEQ*(s,e)**: execute statement s and then evaluate and return the value of the expression e



# IR STATEMENTS

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**MOVE(TEMP(t),e):** store the value of the expression e into the register t

**MOVE(MEM(e1),e2):** evaluate e1 to get an address, then evaluate e2, and then store the value of e2 in the address calculated from e1

- eg, `MOVE(MEM(+(NAME(x),CONST(16))),CONST(1))`  
computes `x[4] := 1` (since `4*4 bytes = 16 bytes`).

**EXP(e):** evaluate e and discard the result

**JUMP(L):** Jump to the address L

- L must be defined in the program by some LABEL(L)

# IR STATEMENTS

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**CJUMP(o,e1,e2,t,f):** evaluate e1 & e2. If the values of e1 and e2 are related by o, then jump to the address calculated by t, else jump the one for f

- the binary relational operator **o** must be EQ, NE, LT etc

**SEQ(s1,s2,...,sn):** perform statement s1, s2, ... sn in sequence

**LABEL(n):** define the name n to be the address of this statement

- you can retrieve this address using NAME(n)

EQ=Equal NE = Not Equal LT=Less Than GT=Greater Than
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# ARRAY ACCESSES

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Given array variable  $a$ ,

$\&(a[0]) = a$

$\&(a[1]) = a + w$ , where  $w$  is the word-size of machine

$\&(a[2]) = a + (2 * w)$

...

Contents of array  $a$  at  $i^{\text{th}}$  index = **MEM(+ (NAME( $a$ ), CONST( $i * w$ )))**

**MEM(BINOP(PLUS, NAME( $a$ ), CONST( $i * w$ )))**



# RECORDS

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For **records**, we need to know the byte offset of each field (record attribute) in the base record

Since every value is 4 bytes long, the **ith** field of a structure ***a*** can be retrieved using **MEM(+ (A, CONST(i\*4)))**, where A is the address of ***a***

- here ***i*** is always a constant since we know the field name

# EXAMPLE

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**for i := 0 to 9 do V[i] := 5**

SEQ(MOVE(i, CONST(0)),

CJUMP(GT, i, CONST(9), done, loop),

LABEL(loop),

MOVE(MEM(+(Name(V), CONST(i\*4))),const(5)),

MOVE(i,+(i,CONST(1))),

CJUMP(GT, i, CONST(9), done, loop),

LABEL(done))

Assume, every value in the array V requires 4 bytes
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# EXAMPLE

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If(  $i < 10$ ) then  $y := 0$  else  $i := i - 1$

```
SEQ( CJUMP(LT, i, CONST(10), trueL,  
falseL),  
    LABEL(trueL),  
    MOVE(y, CONST(0)),  
    JUMP(exit),  
    LABEL(falseL),  
    MOVE(i, - (i,CONST(1))),  
    JUMP(exit),  
    LABEL(exit))
```

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THE END

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