

Question 11:

Runner A and Runner B run back and forth across a 50 m track initially starting at position (0,0) and facing [East] (Assume that [East] is the positive direction of motion). Runner A has an average speed $v_{av} = 15 \text{ m/s}$ and Runner B has an average speed of $v_{av} = 20 \text{ m/s}$. After an elapsed time of $\Delta t = 1 \text{ min}$, what was the position vector of Runner A relative to Runner B (i.e. \vec{d}_{AB})

finding position vector of runners by multiplying elapsed time:

$$\begin{aligned}\text{Runner A: } 15 \text{ m (60)} \\ = 900 \text{ m [East]}\end{aligned}$$

$$\begin{aligned}\text{Runner B: } 20 \text{ m (60)} \\ = 1200 \text{ m [East]}\end{aligned}$$

The position vector of runner A relative to B could be found by recognizing A as the final vector and B as initial

$$\begin{aligned}\text{So } \vec{d}_T^* &= \vec{d}_f - \vec{d}_i \\ &= 900 - (1200) \\ &= -300 \text{ [West]}\end{aligned}$$

∴ This means the position vector of runner A relative to runner B is 300 m [West].

0/5

2.5/4

Question 10:



Suppose that I fire an arrow straight up into the air from a cliff at a position $\vec{d}_{CG} = 56\text{ m [North]}$ relative to the ground. Suppose that a wooden box 14 m high is lying on the ground, and that the arrow lands directly on top of it. Compute the average velocity as well as the average speed of the arrow if the duration of the flight was $\Delta t = 45\text{ s}$. (Hint : The reference point is your choice)

N/ If the reference point is the CLIFF then we can conclude that the initial vector is from the CLIFF.

The final vector can be calculated by the displacement

$$\begin{aligned}\Delta \vec{r} &= \vec{d}_F - \vec{d}_i \\ &= -42 - (0) \\ &= -42\end{aligned}$$

\therefore the total displacement was
-42m or 42m [South].

$$\begin{aligned}\vec{v}_{av} &= \frac{-42\text{ m}}{45\text{ s}} \\ &= -0.93\text{ m/s}\end{aligned}$$

where did
-42 come
from?

Now let's find v_{av} .

~~The distance the arrow travels is the absolute value of the sum of its path. $|d_1| + |d_2|$~~

~~$$\text{So } |-42| = d$$~~

~~$$d = 42\text{ m traveled}$$~~

~~$$\therefore v_{av} = \frac{42\text{ m}}{45\text{ s}}$$~~

~~$$= 0.93\text{ m/s}$$~~

Again we go from
 $S \rightarrow A \rightarrow B \rightarrow C \rightarrow D \rightarrow S = 1600m$

2/6

Question 9:

A bunny takes a tour around his neighborhood starting at his shelter. He travels 600 m[East] to House A, then from House A he travels 754 m[West] to House B, then from House B he travels 550 m[West] to House C, and then finally from House C he travels 2 km[East] to House D. Compute his average velocity as well as his average speed if the elapsed time was $\Delta t = 2$ min. (Assume that the shelter is the reference point)

Since we begin at the shelter and the shelter is the reference point, we can conclude that $d_i = 0m$. Since we know the reference point we also understand that the final vector must be house C relative to the shelter or d_{CS} .

~~$d_{SA} = +600$~~

~~$d_{AB} = -754$~~

$d_{BC} = -550$

$d_{CD} = +2$

~~$d_{BS} = d_{BA} + d_{AS}$~~
 ~~$= 754 - 600$~~
 ~~$= +154$~~

$d_{CS} = d_{CB} + d_{BS}$
 $= 550 + 154$
 $= 704$

$d_{DS} = d_{DC} + d_{CS}$
 $= -2 + 704$
 $= 702$

$\vec{v}_{zv} = \frac{\vec{d}_f - \vec{d}_i}{\Delta t}$
 $= \frac{702 - 0m}{2min}$
 $= \frac{702km}{2min} = \frac{175.5m}{s}$

Step 2: Calculating v_{zv}

$v_{zv} = \frac{d}{\Delta t}$

* we require distance where is found by adding the sum of all measurements along the bunny's path.

~~$|d_1| + |d_2| + |d_3| + |d_4|$~~

~~$|600| + |754| + |550| + |2|$~~
 ~~$= 1906m$~~

$v_{zv} = \left(\frac{1906m}{2min} \right) \left(\frac{1hr}{60min} \right)$
 $=$

! there are displacement vectors!

2km

Must apply Corollary

It was 2km not 2m!

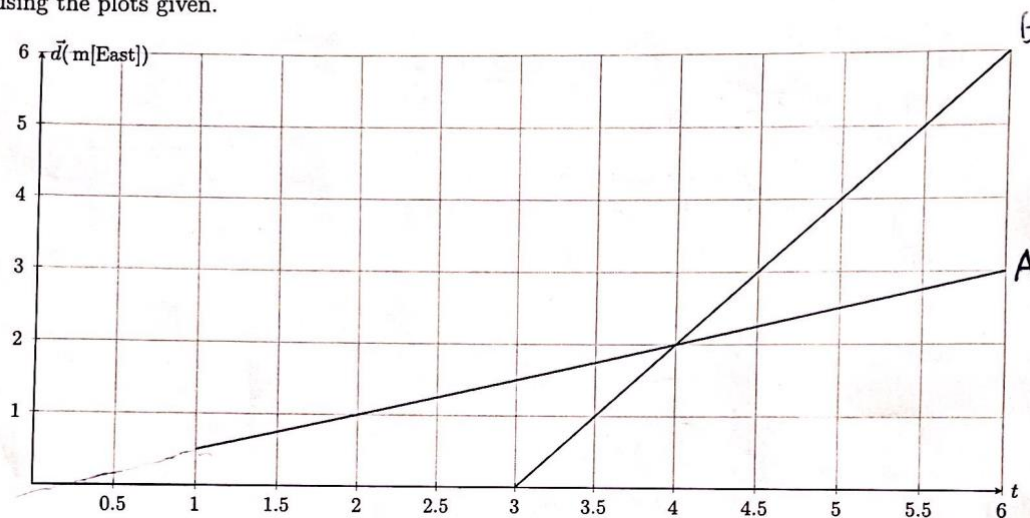
⇒ You had correct approach

⇒ YOU NEED TO HAVE NEAT/ORGANIZED Solutions so you can catch these mistakes

2.5/6

Question 8:

Two tourists, Tourist A, Tourist B, decide to tour a city, below we depict their Position \vec{r} . Time plots, however, we were only able to record information of Tourist A after $t = 1$, and information about Tourist B after $t = 3$. Your task is to determine the equations of motion for both Tourists using the plots given.



The form of the equation will be $x = mt + b$
By finding b we will have 2 equations

Tourist A: $x = \frac{1}{2}(t) + b$

$b = -\frac{1}{2}$ X

$x = \frac{1}{2}t - \frac{1}{2}$ X

Tourist B: $x = 2(t) + b$

$b = -6$ ✓

Tourist B: $x = 2t - 6$

(1, 0) is not a point on this plot!

How did you get slope?

0, 2, 1, 1, 1

Question 6:

Suppose a train took the following route the other day to the following cities; Oshawa, Pickering, Markham, London (Starting at Oshawa). Given below are all of his position vectors along the trip (All relative to **Toronto**). Compute his average velocity as well as his average speed if the trip took 4 h.

- $\vec{d}_{OSH} = 224 \text{ km [East]}$
- $\vec{d}_{PKR} = 154 \text{ km [East]}$
- $\vec{d}_{MRK} = 72 \text{ km [West]}$
- $\vec{d}_{LND} = 556 \text{ km [East]}$

5.5/6

compute \vec{v}_{av} :

We know that all position vectors are relative to Toronto. However our initial position vector is +224 km [East] since we begin in Oshawa. Our final position vector is London, which is +556 km East of Toronto. The elapsed Δt is 4 hr, which was given in the question.

$$\begin{aligned} \text{Therefore } \Delta \vec{d} &= \vec{d}_f - \vec{d}_i \\ &= +556 - (+224) \\ &= 332 \text{ km [East]} \end{aligned}$$

displacement vector! $\Delta \vec{d}$

$$\vec{v}_{av} = \frac{\Delta \vec{d}}{\Delta t}$$

$$\vec{v}_{av} = \frac{+332}{4}$$

$$\vec{v}_{av} = 83 \text{ km/h}$$

Computing \vec{v}_{av} :

$$\Delta \vec{d}_1 = \vec{d}_{PKR} - \vec{d}_{OSH}$$

$$= -70 \text{ km}$$

$$\Delta \vec{d}_2 = \vec{d}_{MRK} - \vec{d}_{PKR}$$

$$= -72 - (+154) \\ = -226$$

$$\Delta \vec{d}_3 = \vec{d}_{LND} - \vec{d}_{MRK}$$

$$= +556 - (-72)$$

$$= 628$$

The distance covered by an object is the sum of all distances thus it is

$$d = \sum |\Delta \vec{d}_i|$$

$$= |-70| + |628| + |226| \\ = 924$$

$$v_{av} = \frac{924 \text{ km}}{4 \text{ hr}}$$

$$v_{av} = 231 \text{ km/h}$$

4.5/6

Question 5:

Determine the sum/difference of the following vectors geometrically. Use the x -dimensional coordinate system.

(a) $\vec{A} = +2, \vec{B} = -8$

$\vec{A} = \xrightarrow{+2}$

$\vec{B} = \xleftarrow{-8}$

$\vec{A} + \vec{B} = \xrightarrow{-6}$

$\vec{A} + \vec{B} = -6$

(b) $\vec{A} = +4, \vec{B} = -3, \vec{C} = +10, \vec{D} = -12, \vec{E} = -13, \vec{F} = +20$

$\vec{A} = \xrightarrow{+4}$

$\vec{B} = \xleftarrow{-3}$

$\vec{A} + \vec{B} = \xrightarrow{+1}$
 $= \xrightarrow{+1}$

$\vec{C} = \xrightarrow{+10}$

$\vec{D} = \xleftarrow{-12}$

* we want $\vec{C} - \vec{D}$, for 2 vector \vec{A} , we desire $-\vec{A}$ to be the vector such that $\vec{A} + (-\vec{A}) = 0$

$-\vec{D} = \xrightarrow{+12}$

$\vec{C} - \vec{D} = \xrightarrow{+10} \xrightarrow{+12}$
 $= \xrightarrow{+22}$

$= +22$

$(\vec{A} + \vec{B}) - (\vec{C} - \vec{D}) + (\vec{E} - \vec{F})$

3.5/4

Geometrically we place the tail of \vec{B} to the tip of \vec{A}

find ans not clear

$\vec{E} = \xleftarrow{-13}$

$\vec{F} = \xrightarrow{+20}$

$-\vec{F} = \xleftarrow{-20}$

$\vec{E} - \vec{F} = \xleftarrow{-13} \xleftarrow{-20}$

$= \xleftarrow{-33}$

$\vec{A} + \vec{B} = \xrightarrow{+2}$

$\vec{C} - \vec{D} = \xrightarrow{+22}$

$-(\vec{C} - \vec{D}) = \xleftarrow{-22}$

$\vec{E} - \vec{F} = \xleftarrow{-33}$

$(\vec{A} + \vec{B}) - (\vec{C} - \vec{D}) + (\vec{E} - \vec{F})$
 $= \xrightarrow{+2} \xleftarrow{-22} \xleftarrow{-33}$
 $= \xleftarrow{-53}$

$= -53$

NOT Clear

9/9

Question 4:

Compute the **displacement** (or net displacement) given the position vectors. Assume that the reference point is (0,0) for all vectors.

(a) $\vec{d}_1 = 514 \text{ m [West]}, \vec{d}_2 = 332 \text{ m [West]}$

As we know, the displacement of an object is
 i.e. change in position $\Delta \vec{d} = \vec{d}_f - \vec{d}_i$

$\vec{d} \rightarrow$ $\Delta \vec{d} = (-332) - (-514)$
 $= -332 + 514$
 $= +182 \text{ m [East]}$

3/3

(b) $\vec{d}_1 = 51 \text{ m [S]}, \vec{d}_2 = 33 \text{ m [S]}, \vec{d}_3 = 27 \text{ m [N]}, \vec{d}_4 = 93 \text{ m [N]}, \vec{d}_5 = 298 \text{ m [S]}, \vec{d}_6 = 432 \text{ m [N]}$

$\vec{d} \rightarrow$ $\Delta \vec{d}_T = \vec{d}_f - \vec{d}_i$

$\Delta \vec{d}_T = +432 - (-51)$
 $= 432 + 51$
 $= +483$

\therefore The net displacement
 is 483 m [North]

3/3

(c) $\vec{d}_1 = 4 \text{ m [East]}, \vec{d}_2 = 4 \text{ m [West]}, \vec{d}_3 = 4 \text{ m [North]}, \vec{d}_4 = 4 \text{ m [East]}$

$\vec{d} \rightarrow$ $\Delta \vec{d}_T = \vec{d}_f - \vec{d}_i$
 $\Delta \vec{d}_T = +4 \text{ m} - (+4 \text{ m})$
 $= 0 \text{ m}$

\therefore The net displacement is
 0 m East since on West
 does not move sense

3/3

I'm
 confused.
 it's just
 $\vec{d}_f - \vec{d}_i = 4 - 4$
 $= 0$

5/6

Question 3:

Covert the following units to km/h.

(a) 44200 m/s

$$\left(\frac{44200 \text{ m}}{1 \text{ s}} \right) \left(\frac{1 \text{ km}}{1000 \text{ m}} \right) \left(\frac{3600 \text{ s}}{1 \text{ hr}} \right)$$

$$= \frac{159120000 \text{ km}}{1000 \text{ hr}} = 159120 \text{ km/h}$$

(b) $5512 \times 10^4 \text{ in/min}$

(1 inch = 2.54cm, 1 m = 100 cm)

$$\left(\frac{55120000 \text{ in}}{1 \text{ min}} \right) \left(\frac{2.54 \text{ cm}}{1 \text{ in}} \right) \left(\frac{60 \text{ min}}{1 \text{ hr}} \right) \left(\frac{1 \text{ m}}{100 \text{ cm}} \right) \left(\frac{1 \text{ km}}{1000 \text{ m}} \right)$$

$$= \frac{8400288000}{100000} = 84002.88 \text{ km/hr}$$

(c) $336 \frac{\text{km}}{\text{week}}$

$$\frac{336 \text{ km}}{168 \text{ hr}}$$

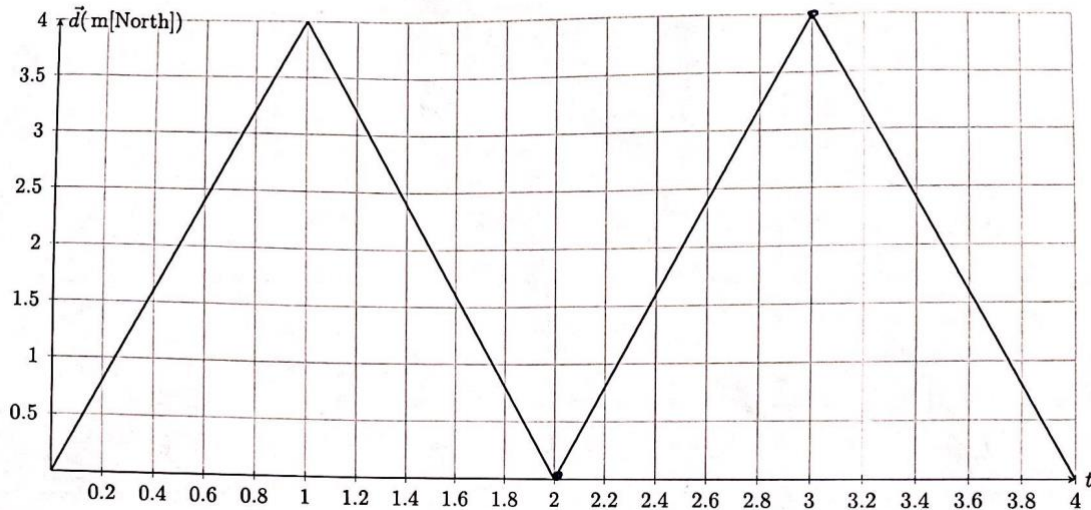
$$= 2 \text{ km/hr}$$

where is your steps?

1/2

Question 2:

Answer the following multiple choice questions. Refer to the plot below for all Q1, Q2.



- Which of the following scenarios best describe the motion depicted in the plot,
 - A ball rolling [North] across a flat road
 - A sprinter running on a circular track.
 - ☒ A man jumping on a trampoline.
- Which of the following statements are correct about the plot?
 - ☐ The body experienced uniform motion within the time interval [1, 2].
 - ☐ The body experienced uniform motion within the time interval [0, 4]
 - ☒ Within the time interval [0, 2], the average velocity was $\vec{v}_{av} = +0 \text{ m/s}$.
 - ☒ Within the time interval [2, 3], the average velocity was $\vec{v}_{av} = +4 \text{ m/s}$.
 - ☐ The average speed within the time interval [0, 4] was $v_{av} = 4 \text{ m/s}$.
- I label three points on a straight line, F, G, H. Which of the following statements are true?
 - $\vec{d}_{FG} = \vec{d}_{GF} + \vec{d}_{GH}$
 - $\vec{d}_{HF} = (-\vec{d}_{FG}) + (-\vec{d}_{HG})$
 - ☒ $\vec{d}_{FH} = (-\vec{d}_{GF}) + (-\vec{d}_{HG})$
 - ☒ $-\vec{d}_{FG} = \vec{d}_{GH} + \vec{d}_{HF}$

FINAL MARK:

$$41/67 = 61.2\%$$

Abdullah ZUBAIR

Test - 1

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6/13

Question 1:

Answer the following True / False questions (Assume [North], [East] is positive)

- The maximum height I can jump on a trampoline is $d = 5000$ m. I jump 3 times on the trampoline and the time elapsed was $\Delta t = 20$ s. (Assume that a single jump means I reached my maximum height **and** landed back on the trampoline)
 - My average velocity relative to the trampoline was $\vec{v}_{av} = +1700$ m/s. (T / ~~F~~) ✓
 - My average speed was $v_{av} = 1.5$ km/s. (T / ~~F~~) ✗
- Suppose that relative to the center of a field, a batsman stands at $\vec{d}_i = 50$ m[East]. The batsman bats a baseball at an average velocity of $\vec{v}_{av} = 350$ m/s[West]. The time elapsed was $\Delta t = 15$ s.
 - $\vec{d}_f = 5200$ m[East] is the final position vector. (T / ~~F~~) ✓
 - The magnitude of the average velocity is equal to the average speed. (T / ~~F~~) ✗
- Consider the Moon orbiting the Earth
 - The average velocity of the Moon is always non-zero after $t = 0$. (~~T~~ / ~~F~~) ✓ $v = \frac{\Delta d}{\Delta t} = \frac{\Delta d}{0}$
 - The average speed of the Moon is always non-zero after $t = 0$. (T / ~~F~~) ✗
- Consider the equation of motion of Car A : $x = -\frac{3}{2}t + 12$ and Car B : $x = \frac{7}{2}t - 7$
 - Car A has a greater average speed than Car B. (T / ~~F~~) ✓
 - Car B is initially [East] relative to the reference point. (~~T~~ / F) ✗
 - Car A is initially [West] relative to the reference point. (~~T~~ / F) ✗
 - Both drivers experienced uniform motion. (~~T~~ / F) ✓
 - Car A and Car B will meet at $t = 4$ s. (T / ~~F~~) ✗ (set $x_A = x_B$)
- I kick a soccer ball at an average speed v_{av} and it takes Δt seconds to reach a distance of d meters.
 - Kicking the soccer ball at $2v_{av}$ will allow it to travel $\frac{d}{2}$ meters in Δt seconds. (T / ~~F~~) ✓
 - Kicking the soccer ball at $\frac{v_{av}}{2}$ implies that it would take $2\Delta t$ seconds to travel d meters. (T / ~~F~~) ✗

Not correct reasoning though!

$$v_{av} = \frac{d}{\Delta t}$$

$$2v_{av} = \frac{2d}{\Delta t}$$

$$\Rightarrow v_{av} = \frac{d}{\Delta t}$$

$$\Rightarrow \frac{v_{av}}{2} = \frac{1}{2} \left(\frac{d}{\Delta t} \right) = \frac{d}{2\Delta t}$$

Abdullah ZUBAIR

Test - 1

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Question #1