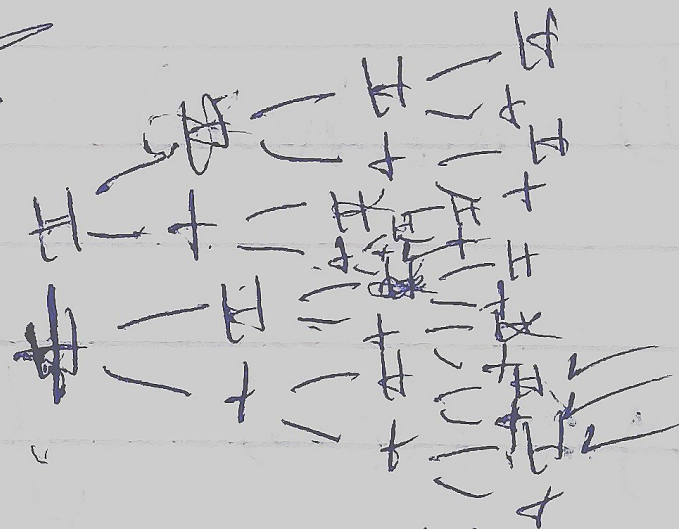


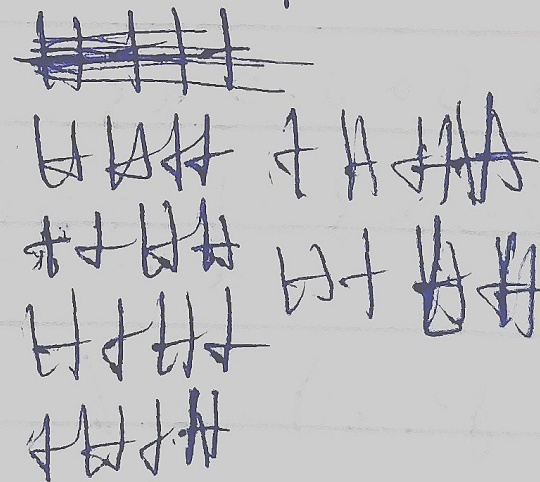
Task 22

Binomial Distribution

for $\underline{4} \rightarrow N=6$

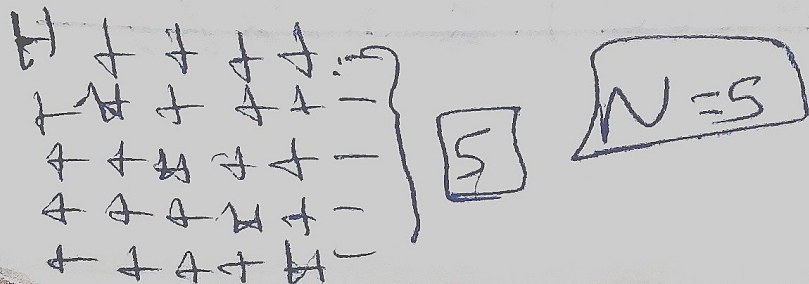


for 5 flips $\#H = \#T$



$N=5$

for 5 flips $\#H = 1, \#T = 4$



5 coin flips

2 Heads

$\begin{matrix} H + + + \\ H + H + + \\ H + + H + \\ H + + + H \end{matrix}$

4

$$N = 10$$

$\begin{matrix} H & L & H & L & L \\ \square & \square & \square & \square & \square \end{matrix}$

$$\frac{5 \times 4}{2}$$

$\begin{matrix} + H H + + \\ + H + H + \\ + H + + H \end{matrix}$

3

over-count
 which means there is two
 probabilities have the
 same probability

$\begin{matrix} + + H H + \\ + + H + H \end{matrix}$

2

$+ + + H H$

1

5 coins flips

3 Heads

$$\frac{5 \cdot 4 \cdot 3}{3}$$

~~20~~

$\begin{matrix} H & H & H & L & L \\ H & H & L & L & L \\ H & L & H & L & L \end{matrix}$

$$\Rightarrow \frac{5 \times 4 \times 3}{3 \times 2 \times 1} = 10$$

for the first one for the second one for the third one

$$\frac{n!}{k!(n-k)!} = \frac{n(n-1)(n-2)\dots(n-k+1)}{k!(n-k)!} = \checkmark$$

125 coins

3 Heads

$$\frac{125!}{3! \times (125-3)!} = 317750$$

flip coin 5 times

$$P(H) = 0.5$$

$P(\#H) = 1$ what is the probability of number of heads occurring

$$\frac{5!}{4! \times 1!} = 5$$

$$\text{Size of truth table} = 2^5 = 32$$

$$P(A) = \frac{5}{32} \checkmark$$

if we change $P(\#H) = 3$

$$\frac{5!}{3! \times 2!} = 10 \Rightarrow P(A) = \frac{10}{32} = \frac{5}{16} \checkmark$$

if we change

$$P(H) = 0.8 \quad P(\#H) = 1$$

flip coin 3 times

$$\frac{3!}{2! \times 1!} = 3$$

$$\begin{array}{l} HHT \\ HTH \\ THH \end{array} \quad P(A) = 0.8 \times 0.2 \times 0.2 \times 3 = \checkmark$$

$$P(H) = 0.8$$

flip coin 5 times

$$P(\#H = 4)$$

$$\frac{5!}{1! \times 4!} = 5$$

HHHHH

$$P(A) = 0.8^4 \times 0.2 \times 5 = 0.4096$$

for $P(H=3)$

$$\frac{5!}{2!3!} = 10 \Rightarrow 10 \times 0.8^2 \times 0.2^3 = \dots$$

flip coin 12 times $P(H)=0.8$
 $P(H=9)$

$$\frac{12!}{3!9!} = 220 \Rightarrow 220 \times 0.8^9 \times 0.2^3 = \dots$$

Summary:

$\frac{n!}{(n-k)!k!}$ } for calc the number of probabilities

$P^k (1-P)^{n-k}$ } for calc the probabilities of each

Binomial Distribution

we can use it to calc any events that have two out cond.